

- the function specifies the winner when
a pattern is found. This has
to plan who wins
6. use now another function to print board.
- ~~def insert_utter(utter, pos):~~
- ~~board[pos] = Utter~~

Program

```

board = [ ] for x in range(10)]
def insert_utter(utter, pos):
    board[pos] = Utter
def spot_is_free(pos):
    return board[pos] == None
def print_board(board):
    print(' 11 ')
    print(' ' + board[0] + ' ' + board[1] + ' ' + board[2])
    print(' ' + board[3] + ' & ' + board[4] + ' & ' + board[5])
    print(' ' + board[6] + ' - - - ')
    print(' ' + board[7] + ' ' + board[8] + ' ' + board[9])
    print(' 11 ')

```

```

def winner(b0, b):
    return (b[7] == 6 and b[8] == 6 and b[9] == 6) or
           (b[0] == 6 and b[1] == 6 and b[2] == 6) or
           (b[3] == 6 and b[4] == 6 and b[5] == 6) or
           (b[6] == 6 and b[7] == 6 and b[8] == 6) or
           (b[1] == 6 and b[2] == 6 and b[3] == 6) or
           (b[4] == 6 and b[5] == 6 and b[6] == 6) or
           (b[0] == 6 and b[3] == 6 and b[6] == 6) or
           (b[1] == 6 and b[4] == 6 and b[7] == 6) or
           (b[2] == 6 and b[5] == 6 and b[8] == 6) or
           (b[0] == 6 and b[1] == 6 and b[2] == 6) or
           (b[3] == 6 and b[4] == 6 and b[5] == 6) or
           (b[6] == 6 and b[7] == 6 and b[8] == 6) or
           (b[1] == 6 and b[2] == 6 and b[3] == 6) or
           (b[4] == 6 and b[5] == 6 and b[6] == 6) or
           (b[0] == 6 and b[3] == 6 and b[6] == 6) or
           (b[1] == 6 and b[4] == 6 and b[7] == 6) or
           (b[2] == 6 and b[5] == 6 and b[8] == 6)

```

```
def playnow():

```

```
    run = True

```

```
    while run:

```

```
        mow = input("Select a position to play")

```

```
        mow = int(mow)

```

```
        if mow > 0 and mow < 10:

```

```
            if spotFree(mow):

```

```
                run = False

```

```
                insertion('x', mow)

```

```
            else:
                print('spot is occupied')

```

```
            else:
                print('pos a no. within range')

```

def comparemow():

possiblemoves = Γ^n for n , where n is enumerate(board)
if $w[i] = \cdot$ and $n! = 0$

mow = 0

corners open = Γ^7

for i in possiblemoves:

if i in $\Gamma^{1, 3, 7, 9}$:

corneropen.append(i)

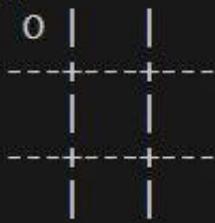
Would you like to go first or second? (1/2)

1



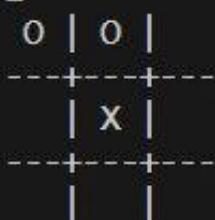
Player move: (0-8)

0



Player move: (0-8)

1



o		o		x
---	+	---	+	---
		x		
---	+	---	+	---

Player move: (0-8)

6

o		o		x
---	+	---	+	---
		x		
---	+	---	+	---
o				

o		o		x
---	+	---	+	---
x		x		
---	+	---	+	---
o				

Player move: (0-8)

5

o		o		x
---	+	---	+	---
x		x		o
---	+	---	+	---
o				

o		o		x
---	+	---	+	---
x		x		o
---	+	---	+	---
o				x

code:

```
import numpy as np  
import pandas as pd  
import os
```

```
def bfs(src, target):
```

```
    queue = []
```

```
    queue.append(src)
```

```
    esp = []
```

```
    while len(queue) > 0:
```

```
        source = queue.pop(0)
```

```
        esp.append(source)
```

```
        print(source)
```

```
        if source == target:
```

```
            print("Success")
```

```
        return
```

```
    pos_moves_to_d0 = []
```

```
    pos_moves_to_d0 = possible_moves(source, esp)
```

```
for move in pos_moves_to_d0:
```

```
    if not move in queue:
```

```
        queue.append(move)
```

```
def possible_moves(MAT, visited_states):
```

```
b = MAT[random(0)]
```

```
d = []
```

```
if b not in [0, 1, 2]:
```

```
a. append('u')
```

if b not in [6, 7, 8]:
 d. append ('o')

if b not in [0, 3, 6]:
 d. append ('r')

if b not in [2, 5, 1]:
 d. append ('r')

non-mover-it-
 (an = Γ)

for i in d:
 non-mover-it-
 concatappend (gen (atct, i, b))

return {mover-it-on for mover-it-on in
 non-mover-it-on if mover-it-on not in
 mid-atct}.

def gen (atct, m, b):

 tmp = atct.
 copy()

if m == 'd':
 tmp[b+3] = tmp[b],
 tmp[b-3]

if m == 'l':
 tmp[b-1], tmp[b] = tmp[b], tmp[b-1]

if m == 'r':
 tmp[b+1] = tmp[b], tmp[b+1]
return tmp.

$src = [1, 0, 3, 4, 5, 6, 0, 2, 8]$
 $target = [1, 2, 3, 4, 5, 6, 7, 8, 0]$
 $bfs(src, target)$

Output:

1	2	3
4	5	6
0	7	8

1	2	3
0	5	6
4	7	8

1	2	3
4	5	6
7	0	8

0	2	3
1	5	6
4	7	8

1	2	3
5	0	6
4	7	8

1	2	3
4	0	6
7	5	8

1	2	3
4	5	6
7	8	0

success

08/11/2023 8 puzzle problem using BFS

```
import numpy as np
import pandas as pd
import os
def bfe(src, target):
    queue = []
    queue.append(src)
    emp = []
    while len(queue) > 0:
        source = queue.pop(0)
        emp.append(source)
        if source == target:
            print("Success")
            return
        poss_moves_to_d0 = []
        poss_moves_to_d0 = possible_moves(source, emp)
        for move in poss_moves_to_d0:
            if move not in emp and move not in queue:
                queue.append(move)
    print("Failure")
```

```
def poss_moves_to_d0():
    state = np.array([0, 1, 2])
    d = [0] * 3
    if state[0] not in [0, 1, 2]:
        d.append(state[0])
    if state[1] not in [0, 1, 2]:
        d.append(state[1])
    if state[2] not in [0, 1, 2]:
        d.append(state[2])
    return d
```

```
def possible_moves(src, initial_state):
    b = initial_state.index(0)
    d = [0] * 3
    if b not in [0, 1, 2]:
        d.append(b)
    if src[b] == 0:
        if b - 1 >= 0:
            d.append(b - 1)
        if b + 1 < 3:
            d.append(b + 1)
    else:
        if b - 1 >= 0 and src[b - 1] == 0:
            d.append(b - 1)
        if b + 1 < 3 and src[b + 1] == 0:
            d.append(b + 1)
    return d
```

if b not in $\{6, 7, 8\}$:

d.append ('d')

if b not in $\{0, 3, 7\}$:

d.append ('x')

if b not in $\{2, 5, 8\}$:

d.append ('r')

pos-mow-it-con - ()

for i in d:

pos-mow-it-con.append (gen (state, i, b))

return [mow-it-con for mow-it-con in

pos-mow-it-con if mow-it-con not in
univ-state]

def gen (state, m, b):

temp = state.copy()

if $m == 'd'$:

temp[b+3], temp[b] = temp[b], temp[b+3]

if $m == 'u'$:

temp[b-3], temp[b] = temp[b], temp[b-3]

if $m == 'x'$:

temp[b-1], temp[b] = temp[b], temp[b-1]

if $m == 'r'$:

temp[b+1], temp[b] = temp[b], temp[b+1]

return temp.

$\text{src} = [1, 2, 3, 4, 5, 6, 0, 7, 8]$
 $\text{target} = [1, 2, 3, 4, 5, 6, 7, 8, 0]$
bfs (src, target)

output:

Success!! It is possible to solve 8 Puzzle problem
Path: [[1, 2, 3, 0, 4, 6, 7, 5, 8], [1, 2, 3, 4, 0, 6, 7, 5, 8], [1, 2, 3, 4, 5, 6, 7, 0, 8], [1, 2, 3, 4, 5, 6, 7, 8, 0]]

08/11/2023

8 puzzle prob.

def id-dfs(puzzle, goal, get-moves)
import itertools

def dfs(moves, depth):

{ depth == 0:
 return

{ moves[-1] = -goal:
 return moves

for move in get-moves(moves[-1]):

{ move not in moves:
 next-moves = dfs(moves + [move], depth - 1)

{ next-moves:

return next-moves

for depth in itertools.count(1):

moves = dfs([puzzle], depth)

{ moves:

return moves

def possible-moves(state):

b = state.index(0)

d = []

{ b not in {0, 1, 2}:
 d.append('u')

```

if b not in [6, 7, 8]:
    d.append('d')
if b not in [0, 3, 6]:
    d.append('x')
if b not in [2, 5, 8]:
    d.append('y')
post-mono = []
for i in d:
    post-mono.append(generate(atct, m, b))
return post-mono

```

```

def generate(atct, m, b):
    temp = atct[0].copy()
    if m == 'd':
        temp[b:b+3] = temp[b], temp[b+1], temp[b+2]
    if m == 'u':
        temp[b-3:b] = temp[b], temp[b-1], temp[b-2]
    if m == 'x':
        temp[b-1:b+1] = temp[b], temp[b+1]
    if m == 'y':
        temp[b+1:b+3] = temp[b], temp[b+2]
    return temp
initial = [1, 2, 0, 4, 0, 0, 0, 0, 0]

```

Enter the start state matrix

1 2 3
4 5 6
_ 7 8

Enter the goal state matrix

1 2 3
4 5 6
7 8 _

|
|
\ /

1 2 3
4 5 6
_ 7 8

|
|
\ /

1 2 3
4 5 6
7 _ 8

|
|
\ /

1 2 3
4 5 6
7 8 _

22/12/23

Vacuum Cleaner

def clean_room(floor, room-row, room-col):

$$\{ \text{floor } [room_row], [room_col] = 0 \} = 1 :$$

point 1° cleaning room at ($\{ room_row + 1 \}$,
 $\{ room_col + 1 \}$) ("room next dirty")

$$floor [room_row] [room_col] = 0 :$$

point 1° Room is clean now")

else:

point 1° Room at ($\{ room_row + 1 \}$,
 $\{ room_col + 1 \}$)
is already clean")

def main():

$$rows = 2$$

$$cols = 2$$

$$floor = [[0, 0], [0, 0]]$$

for i in range(rows):

for j in range(cols):

status = int(input("Enter clean status

for room at ($\{ i+1 \}$, $\{ j+1 \}$) // for

dirty, 0 for clean): "))

$$\{ floor[i][j] = status \}$$

for i in range (num):

 for j in range (num):

 clean_room (floor + i, j)

print ("Returning to room at (1,1) to clean
if it has become dirty again:")

clean_room (floor, 0, 0)

if name == " - clean - ":

 main()

Output

Enter initial state for 4 rooms
Room 0 state: 0
Room 1 state: 1
Room 2 state: 1
Room 3 state: 0
Room 6 is already clean.
vacuum Room 1 ..
cleaning Room 2 ..
Room 3 is already clean
Room 0 is already clean.
All rooms have been cleaned.

Sale
25/11/24

```
Enter clean status for Room 1 (1 for dirty, 0 for clean): 1
Enter clean status for Room 2 (1 for dirty, 0 for clean): 1
[('Room 1', 1), ('Room 2', 1)]
Cleaning Room 1 (Room was dirty)
Room 1 is now clean.
Cleaning Room 2 (Room was dirty)
Room 2 is now clean.
Returning to Room 1 to check if it has become dirty again:
Room 1 is already clean.
Room 1 is clean after checking.
```

29/12/23

knowledge base entailment

Entailment refers to the logical relationship below a KB (a set of statements or rules), a query.

If KB entails a statement, it means that whenever the statements in the KB are true, the given query must also be true.

$$KB \models Q.$$

knowledge base resolution.

The resolution rule involves taking two clauses that contain complementary literals and resolving them to produce a new clause.

knowledge base entailment

- If it's raining (P) then ground is wet.
- If the ground is wet (Q), then the plants will grow (R).
- It's not the case that plants will grow ($\neg R$)

$$\begin{array}{l} P \rightarrow Q \\ Q \rightarrow R \\ \hline \text{Not } R \end{array} \quad \text{e.g.: } \left\{ \begin{array}{l} P - \text{It's sunny.} \\ Q - \text{I go for picnic} \\ R - \text{I carry an umbrella.} \end{array} \right.$$

$$P \rightarrow R$$

code:

from SymPy import symbols, And, Not, Implies,
Axiomatic

def create_knowledge_base():

p = symbols('p')

q = symbols('q')

r = symbols('r')

knowledge_base = And(

Implies(p, q),

Implies(q, r),

Not(r))

)

return knowledge_base

def query_entail(knowledge_base, query):

entailment = Axiomatic_and((knowledge_base, not(query)))

return not entailment

f - name - == "main":

kb = create_knowledge_base()

(query) = symbols('p')

result = query_entail(kb, query)

print ("knowledge Base:", kb)

print ("Query:", query)

print ("Query entails knowledge Base:", result)

Dreieck
29/12/23

Knowledge Base: $\neg r \wedge (\text{Implies}(p, q)) \wedge (\text{Implies}(q, r))$
Query: p
Query entails Knowledge Base: False

Output:

knowledge Base: ~ α & Implies (Kb) & Impure

Query: p

Query contains knowledge

base: False.

* Knowledge base resolution:

def:

def negat-urau (urau):
 { urau \cap = ' \sim ':
 return urau \cap }

else:

 return ' \wedge ' + urau

def resolve (C_1, C_2) :

 resolved-clause = lit (C_1) | lit (C_2)

 for urau in C_1 :

 { negat-urau (urau) in C_2 :

 resolved-clause.remove (urau)

 resolved-clause.remove (negat-urau (urau))

 return tuple (resolved-clause)

def resolution (knowledge-base):

 while true:

 new clause = lit ()

for i, c_i in enumerate(knowledge-base):

for j, l_j in enumerate(knowledge-base):

if i != j:

new-clause = resolve(c_i, c_j)

if len(new-clause) > 0 and

new clause not in knowledge base

new-clause.add(new-clause)

if not new-clause:

break.

knowledge-base = new-clauses

return knowledge-base

-name-- == "name-":

kb = {('p', 'q'), ('~p', 'r'), ('~q', 'ur')}

result = resolution(kb)

print("original knowledge base : ", kb)

print("resolved knowledge base : ", result)

Step	Clause	Derivation
1.	$R \sim P$	Given.
2.	$R \sim Q$	Given.
3.	$\sim R \vee P$	Given.
4.	$\sim R \vee Q$	Given.
5.	$\sim R$	Negated conclusion.
6.		Resolved $R \sim P$ and $\sim R \vee P$ to $R \sim R$, which is in turn null. A contradiction is found when $\sim R$ is assumed as true. Hence, R is true.

19/01/2024

unification

code

```
import re

def getAttribute(expression):
    expression = expression.replace(" ", ".") + "]"
    expression = " / ".join(expression)
    expression = expression[1:-1]
    expression = re.split("( ?< ! \>)|(?!.))", expression)
    return expression
```

def unify(exp1, exp2):

if exp1 == exp2:
 return []

if isconstant(exp1) and isconstant(exp2):

if exp1 != exp2:
 return False

if isconstant(exp1):
 return [(exp1, exp2)]

if isconstant(exp2):
 return [(exp2, exp1)]

if isvariable(exp1):

if occurs(exp1, exp2):

return False

else:

return [(exp2, exp1)]

if getInitialParallels (exp1) != getInitialParallels (exp2)

print ("parallel don't match!");

return False

attributeCount1 = len (getAttributes (exp1))

attributeCount2 = len (getAttributes (exp2))

if attributeCount1 != attributeCount2:

return False

head1 = getFirstPart (exp1)

head2 = getFirstPart (exp2)

initialSubstitution = unify (head1, head2)

if not initialSubstitution:

return False

if attributeCount1 == 1:

return initialSubstitution

tail1 = getRemainingPart (exp1)

tail2 = getRemainingPart (exp2)

if initial ~~success~~ substitution != []

tail1 = apply (tail1, initialSubstitution)

tail2 = apply (tail2, initialSubstitution)

remainingSubstitution = unify (tail1, tail2)

~~remainingSubstitution~~

if not remainingSubstitution:

return False

initialSubstitution, result (remainingSubstitution)

initialSubstitution, result (remainingSubstitution)

return initialSubstitution

exp1 = "knows (n)"

exp2 = "knows (Richard)"

substitutions = unify (exp1, exp2)

print ("substitutions")

print (substitutions)

Output:

$\Gamma(x, 'richard')$

$\text{sup1} = \text{'knows'}(A, x)$

$\text{sup2} = \text{'knows'}(y, \text{mother}(y))$

Output: Prohibition:

$\Gamma(A, 'y'), \text{'mother'}(y), \neg x)$

Substitutions:

$[('A', 'y'), ('Y', 'x')]$

19/01/2024

Conversion of FOL to CNF

from sympy import symbols, And, Or, Implic.

Not, N_Inf.

def eliminate_implications(formula):

return formula - Rule (Implic(p, q), Or(Not(p), q))

def move_negations_inwards(formula):

return formula.simplify()

def fol_to_cnf(fol_formula):

formula_step1 = eliminate_implications(fol_formula)

formula_step2 = move_negations_inwards

Output:

Find a first order logic: $P_2(\neg q \vee r)$

FOL formula: $\text{And}(P \text{ or } \text{Not}(q), r)$

CNF formula: $\text{Or}(\text{And}(P, r) \text{ and } \text{Not}(P, \neg q))$

$\neg \text{bird}(x) \mid \neg \text{fly}(x)$
 $[\neg \text{bird}(A) \mid \neg \text{fly}(A)]$

□

Create a KB consisting of FOL and prove given query using forward reasoning.

Our knowledge base:

def-init-(self):

self-statement = $\{ \}$

def-add-statement (self, statement):

self.statements.append(statement)

def-forward-reasoning (self, query):

working-memory = set()

uncharged = false

will not uncharged:

uncharged = true

return query in working-memory.

Example

KB = Knowledge Base ()

KB.add-statement ($\{ "P", "Q" \}$). KB.add-statement ($\{ "Q", "R" \}$)

query = $\{ "Q" \}$

result = KB.forward-reasoning(query)

if result:

print ("Query is true")

else

print ("Query is false")

output:

Query is false.

Sab
25/1/24

- Querying criminal(x):

- 1. criminal(West)

All facts:

- 1. missile(M1)
 - 2. weapon(M1)
 - 3. enemy(Nono,America)
 - 4. owns(Nono,M1)
 - 5. hostile(Nono)
 - 6. criminal(West)
 - 7. american(West)
 - 8. sells(West,M1,Nono)

