# **Project 02: Regression, Classification, and Clustering**

### Libraries

```
In [1]: import pandas as pd
        import numpy as np
        from sklearn.model selection import train test split
        from sklearn.preprocessing import StandardScaler
        from sklearn import linear model
        from sklearn import metrics
        from sklearn.metrics import mean squared error
        import math
        import seaborn as sns
        from matplotlib import pyplot as plt
        from sklearn.tree import DecisionTreeClassifier
        from sklearn.neighbors import KNeighborsClassifier
        from sklearn.naive bayes import GaussianNB
        from sklearn.svm import SVC
        from scipy.cluster.hierarchy import linkage, fcluster
        from sklearn.cluster import KMeans, DBSCAN
```

#### **Dataset**

```
In [2]: #dataset
    election_data = pd.read_csv('merged_train.csv')
    election_data.head()
```

Out[2]:

	State	County	FIPS	Total Population	Percent White, not Hispanic or Latino	Percent Black, not Hispanic or Latino	Percent Hispanic or Latino	Percent Foreign Born	Percent Female	Percent Age 29 and Under	Percent Age 65 and Older	Median Household Income	Percent Unemployed	Pe Less S D
0	AZ	apache	4001	72346	18.571863	0.486551	5.947806	1.719515	50.598513	45.854643	13.322091	32460	15.807433	21.7
1	AZ	cochise	4003	128177	56.299492	3.714395	34.403208	11.458374	49.069646	37.902276	19.756275	45383	8.567108	13.4
2	AZ	coconino	4005	138064	54.619597	1.342855	13.711033	4.825298	50.581614	48.946141	10.873943	51106	8.238305	11.0
3	AZ	gila	4007	53179	63.222325	0.552850	18.548675	4.249798	50.296170	32.238290	26.397638	40593	12.129932	15.7
4	AZ	graham	4009	37529	51.461536	1.811932	32.097844	4.385942	46.313518	46.393456	12.315809	47422	14.424104	14.5
4														•

## Task 1

Partition the merged dataset into a training set and a validation set using the holdout method or the cross-validation method. How did you partition the dataset?

**Answer:** We are partitioning the dataset such that 75% of the observation are held out for training and the rest for validation.

```
In [3]: X_train, X_val, y_train, y_val = train_test_split(election_data.iloc[:,3:18], election_data['Party'], tes
t_size = 0.25, random_state = 0)
# print(X_train)
```

### Task 2

Standardize the training set and the validation set

```
In [4]: # variables required for training
# x_train = X_train.select_dtypes(include=[np.int64,np.float64])
x_train = X_train.iloc[:,:-2]

# variables required for validation
# x_val = X_val.select_dtypes(include=[np.int64,np.float64])
x_val = X_val.iloc[:,:-2]

# Standardize the training and validation set
scaler = StandardScaler()
scaler.fit(x_train)
x_train_scaled = scaler.transform(x_train)
x_val_scaled = scaler.transform(x_val)

x_train_scaled_df = pd.DataFrame(x_train_scaled,index = x_train.index,columns=x_train.columns)
x_val_scaled_df = pd.DataFrame(x_val_scaled,index = x_val.index,columns=x_val.columns)
```

### Task 3

Build a classification model to classify each county as Democratic or Republican. Consider at least two different classification techniques with multiple combinations of parameters and multiple combinations of variables. Compute evaluation metrics for the validation set and report your results.

### 3.1: Regression model for Democratic values

#### 3.1.1: Using all predictor variables

```
In [6]: #predictor variable
y_pred = fitted_model.predict(x_val_scaled)
# print(y_pred)
```

```
In [7]: # Evaluation Metrics
    n, p = x_train_scaled.shape

# Generatiion of Evaluation metrics
    corr_coef = np.corrcoef(y_pred,X_val['Democratic'])[1, 0]

R_sqrd = corr_coef ** 2
    print("R squared value:",R_sqrd)

adjusted_r = 1 - (((1-R_sqrd)*(n-1))/(n-p-1))
    print("Adjusted R squared value:",adjusted_r)

rmse_val = math.sqrt(mean_squared_error(y_pred, X_val['Democratic']))
    print('RMSE value:',rmse_val)
```

Adjusted R squared value: 0.9328609925641973

RMSE value: 14771.994793075706

#### **3.1.2:** Using the following predictor variables:

- Total Population
- · Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- · Percent Hispanic or Latino
- Percent Foreign Born'

```
In [9]: model = linear model.LinearRegression()
         fitted model = model.fit(X = x train scaled df[selected predictor variables], y = X train['Democratic'])
         print(fitted model.coef )
         [ 70705.8786866
                            -2212.85847901
                                             -131.80192434 -10178.54695173
            9916.882427581
In [10]: #predictor variable
         y pred = fitted model.predict(x val scaled df[selected predictor variables])
         # y pred
In [11]: # Evaluation Metrics
         n = x train scaled.shape[0]
         p = len(selected predictor variables)
         # print(ind-col-1)
         # Generatiion of Evaluation metrics
         corr coef = np.corrcoef(y pred, X val['Democratic'])[1, 0]
         R sqrd = corr coef ** 2
         print("R squared value:",R sqrd)
         adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
         print("Adjusted R squared value:",adjusted r)
         rmse val = math.sqrt(mean squared error(y pred, X val['Democratic']))
         print('RMSE value:',rmse val)
```

Adjusted R squared value: 0.9268898834614469

RMSE value: 14592.862156527459

### **3.1.3:** Using the following predictor variables:

- Total Population
- Percent Black, not Hispanic or Latino
- Percent Less than Bachelor's Degree

```
In [12]: | selected predictor variables = ['Total Population',
                                                                                                                                     'Percent Black, not Hispanic or Latino',
                                                                                                                                     'Percent Less than Bachelor\'s Degree'l
In [13]: | model = linear model.LinearRegression()
                              fitted model \overline{\text{democratic}} = \overline{\text{model.fit}}(X = x \text{ train scaled df[selected predictor variables]}, y = X \text{ train['Democratic beautiful predictor variables]}, y = X \text{ train['Dem
                              ocratic'l)
                              print(fitted model democratic.coef )
                               [70692.75301251 1827.68857508 -9335.76053975]
In [14]: #predictor variable
                              y pred = fitted model democratic.predict(x val scaled df[selected predictor variables])
                               # v pred
In [15]: # Evaluation Metrics
                              n = x train scaled.shape[0]
                              p = len(selected predictor_variables)
                              # print(ind-col-1)
                               # Generatiion of Evaluation metrics
                              corr coef = np.corrcoef(v pred, X val['Democratic'])[1, 0]
                              R sqrd = corr coef ** 2
                              print("R squared value:",R sqrd)
                               adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
                               print("Adjusted R squared value:",adjusted r)
                               rmse val = math.sqrt(mean squared error(y pred, X val['Democratic']))
                               print('RMSE value:',rmse val)
```

Adjusted R squared value: 0.9503396513738752

RMSE value: 12456.892528655851

#### 3.1.4: Using LASSO Regression with all variables

```
In [16]: model = linear model.Lasso(alpha = 1)
         fitted model = model.fit(X = x train scaled df, y = X train['Democratic'])
         print(fitted model.coef )
         [ 69224.71479124 -3195.33996565 -1013.63916087 -6917.77376216
                            192.59502461 -5290.27001162 -1846.83971098
            3975.00309549
            1471.58775101
                            1467.72300999 4030.09531822 -10515.05282676
            -155.561767521
In [17]: #predictor variable
         y pred = fitted model.predict(x val scaled df)
         # v pred
In [18]: # Evaluation Metrics
         n, p = x train scaled.shape
         # Generation of Evaluation metrics
         corr coef = np.corrcoef(y pred, X val['Democratic'])[1, 0]
         R sqrd = corr coef ** 2
         print("R squared value:",R_sqrd)
         adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
         print("Adjusted R squared value:",adjusted r)
         rmse_val = math.sqrt(mean_squared_error(y_pred, X_val['Democratic']))
         print('RMSE value:',rmse val)
         R squared value: 0.9338579590814098
```

Adjusted R squared value: 0.9328830763921335

RMSE value: 14768.885350551016

### 3.2 Regression model for Republican values

#### 3.2.1: Using all predictor variables

```
In [19]: model = linear model.LinearRegression()
         fitted model = model.fit(X = x train scaled df, y = X train['Republican'])
         print(fitted model.coef )
         [45467.5097118 1769.95034533 -3141.4206375
                                                        1167.17323402
          -6463.65917143 -1121.73432851 -955.67013341 2580.74056065
           5910.97457236 2037.10575397 3530.42010898 -3156.11275644
          -5992.051817351
In [20]: #predictor variable
         y pred = fitted model.predict(x val scaled df)
         # v pred
In [21]: # Evaluation Metrics
         n, p = x train scaled.shape
         # print(ind-col-1)
         # Generatiion of Evaluation metrics
         corr coef = np.corrcoef(y pred, X val['Republican'])[1, 0]
         R sqrd = corr coef ** 2
         print("R squared value:",R sqrd)
         adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
         print("Adjusted R squared value:",adjusted r)
         rmse val = math.sqrt(mean squared error(y pred, X val['Republican']))
         print('RMSE value:',rmse val)
```

Adjusted R squared value: 0.7198319563310673

RMSE value: 15962.431310602105

#### 3.2.2: Using the following predictor variables

- Total Population
- Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Foreign Born

```
In [25]: # Evaluation Metrics
n = x_train_scaled.shape[0]
p = len(selected_predictor_variables)

# Generatiion of Evaluation metrics
corr_coef = np.corrcoef(y_pred,X_val['Republican'])[1, 0]

R_sqrd = corr_coef ** 2
print("R squared value:",R_sqrd)

adjusted_r = 1 - (((1-R_sqrd)*(n-1))/(n-p-1))
print("Adjusted R squared value:",adjusted_r)

rmse_val = math.sqrt(mean_squared_error(y_pred, X_val['Republican']))
print('RMSE value:',rmse_val)
```

Adjusted R squared value: 0.6685722671259478

RMSE value: 17111.71419341798

#### **3.2.3: Using the following predictor variables:**

- Total Population
- Percent White, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Foreign Born
- Percent Age 65 and Older
- Percent Unemployed
- Median Household Income
- Percent Rural

```
In [26]: selected predictor variables = ['Total Population',
                                          'Percent White, not Hispanic or Latino',
                                          'Percent Hispanic or Latino'.
                                          'Percent Foreign Born',
                                          'Percent Age 65 and Older',
                                          'Percent Unemployed',
                                          'Median Household Income',
                                          'Percent Rural'l
In [27]: model = linear model.LinearRegression()
         fitted model republican = model.fit(X = x train scaled df[selected predictor variables], y = X train['Rep
         ublican'l)
         print(fitted model republican.coef )
          [45133.5738712
                          4612.72460625 3998.62967731 -4790.68208843
           2692.84982155 2174.86528205 6130.35899569 -5297.8335129 l
In [28]: #predictor variable
         y pred = fitted model republican.predict(x val scaled df[selected predictor variables])
         # v pred
In [29]: # Evaluation Metrics
         n = x train scaled.shape[0]
         p = len(selected predictor variables)
         # Generatiion of Evaluation metrics
         corr coef = np.corrcoef(y pred, X val['Republican'])[1, 0]
         R sqrd = corr coef ** 2
         print("R squared value:",R sqrd)
         adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
         print("Adjusted R squared value:",adjusted r)
         rmse_val = math.sqrt(mean_squared_error(y_pred, X_val['Republican']))
         print('RMSE value:',rmse val)
```

Adjusted R squared value: 0.7277747689989

RMSE value: 15749.245925443487

#### 3.2.4 Using LASSO Regression with all variables

```
In [30]: # Model-4 LASSO Regression (with variables)
         model = linear model.Lasso(alpha = 1)
         fitted model = model.fit(X = x train scaled df, y = X train['Republican'])
         print(fitted model.coef )
         [45464.11625996 1763.84615535 -3141.51363944 1160.39910811
          -6454.91877737 -1119.19972956 -956.20034133 2577.09105238
           5906.62715265 2034.44712921 3523.56962737 -3151.08771664
          -5989.093531811
In [31]: #predictor variable
         y pred = fitted model.predict(x val scaled df)
         # v pred
In [32]: # Evaluation Metrics
         n, p = x train scaled.shape
         # Generatiion of Evaluation metrics
         corr coef = np.corrcoef(y pred, X val['Republican'])[1, 0]
         R sqrd = corr coef ** 2
         print("R squared value:",R sqrd)
         adjusted r = 1 - (((1-R \ sqrd)*(n-1))/(n-p-1))
         print("Adjusted R squared value:",adjusted r)
         rmse_val = math.sqrt(mean_squared error(y pred, X val['Republican']))
         print('RMSE value:',rmse val)
```

R squared value: 0.7238886663016905

Adjusted R squared value: 0.7198189981179286

RMSE value: 15962.567869419843

Best performing model for Democratic values: Linear Regression with the predictor varibales as 'Total Population', 'Percent Black, not Hispanic or Latino', 'Percent Less than Bachelor's Degree' as it has the highest r squared value (0.950506110643013)

Best performing model for Republican values: Linear Regression with the predictor varibales as 'Total Population', 'Percent White, not Hispanic or Latino', 'Percent Hispanic or Latino', 'Percent Foreign Born', 'Percent Age 65 and Older', 'Percent Unemployed', 'Median Household Income', 'Percent Rural' as it has the highest r squared value (0.7302080671530998)

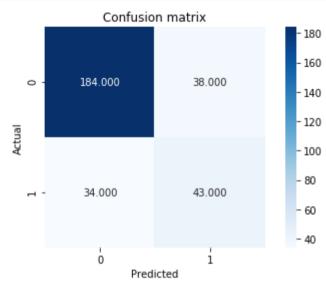
### Task 4

Build a classification model to classify each county as Democratic or Republican. Consider at least two different classification techniques with multiple combinations of parameters and multiple combinations of variables. Compute evaluation metrics for the validation set and report your results.

#### 4.1: Decision Tree

#### 4.1.1: Using all predictor variables

```
In [35]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

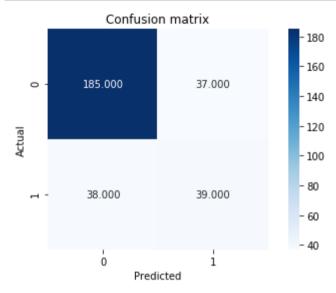


```
In [36]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7591973244147158, 0.24080267558528423, 0.5308641975308642, 0.5584415584415584, 0.5443037974683544]

#### 4.1.2: Using Race Variables

```
In [40]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

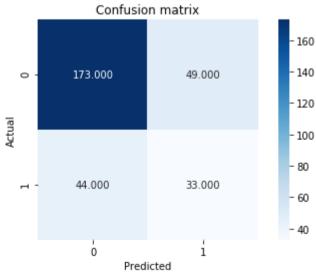


```
In [41]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7491638795986622, 0.25083612040133785, 0.5131578947368421, 0.5064935064935064, 0.5098039215686275]

#### 4.1.3: Using Age & Gender Variables

```
In [42]: selected predictor variables = ['Percent Female',
                                          'Percent Age 29 and Under',
                                          'Percent Age 65 and Older'l
In [43]: classifier = DecisionTreeClassifier(criterion='entropy', random state=0)
         classifier.fit(x train scaled df[selected predictor variables], y train)
Out[43]: DecisionTreeClassifier(ccp alpha=0.0, class weight=None, criterion='entropy',
                                max depth=None, max features=None, max leaf nodes=None,
                                min impurity decrease=0.0, min impurity split=None,
                                min samples leaf=1, min samples split=2,
                                min weight fraction leaf=0.0, presort='deprecated',
                                random state=0, splitter='best')
In [44]: v pred = classifier.predict(x val scaled df[selected predictor variables])
In [45]: conf matrix = metrics.confusion_matrix(y_val, y_pred)
         sns.heatmap(conf matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
         plt.ylabel('Actual')
         plt.xlabel('Predicted')
         plt.title('Confusion matrix')
         plt.tight layout()
```

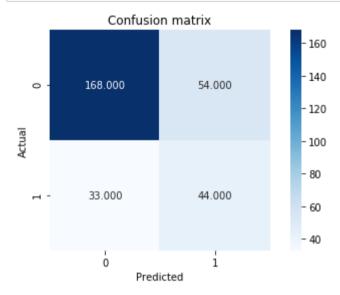


```
In [46]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.6889632107023411, 0.3110367892976589, 0.4024390243902439, 0.42857142857142855, 0.41509433962264153]

#### 4.1.4: Using Employement, Education and Rural Variables

```
In [50]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



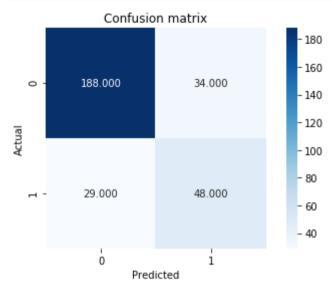
```
In [51]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7090301003344481, 0.29096989966555187, 0.4489795918367347, 0.5714285714285714, 0.5028571428571429]

#### 4.1.5: Using the following predictor variables

- Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Age 29 and Under
- Percent Less than High School Degree
- · Percent Less than Bachelor's Degree

```
In [55]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

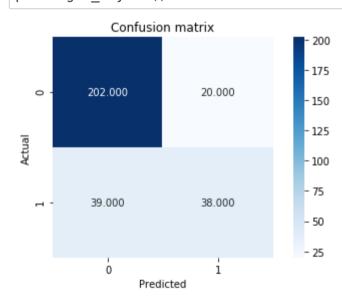


```
In [56]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7892976588628763, 0.21070234113712372, 0.5853658536585366, 0.6233766233766234, 0.6037735849056604]

### 4.2: K - Nearest neighbors

#### 4.2.1: Using all predictor variables

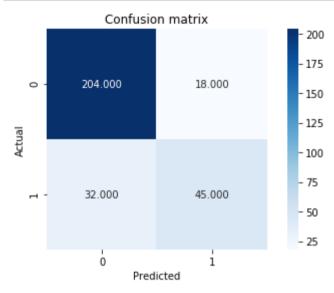


```
In [60]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.802675585284281, 0.19732441471571904, 0.6551724137931034, 0.4935064935064935, 0.562962962962963]

#### 4.2.2: Using Race Variables

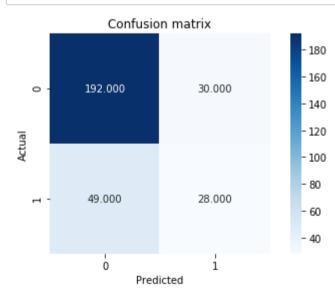
```
In [64]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



```
In [65]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.8327759197324415, 0.16722408026755853, 0.7142857142857143, 0.5844155844155844, 0.6428571428571429]

#### 4.2.3: Using Age & Gender Variables

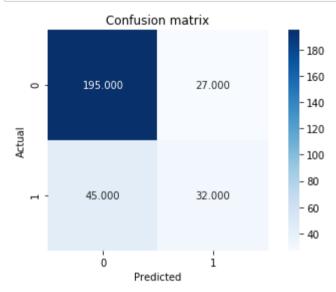


```
In [70]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7357859531772575, 0.2642140468227425, 0.4827586206896552, 0.36363636363636365, 0.41481481481481481

#### 4.2.4: Using Employement, Education and Rural Variables

```
In [74]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



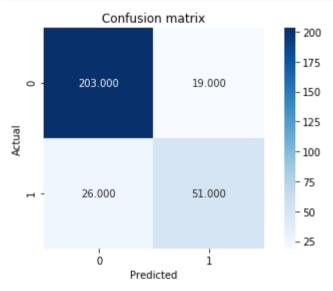
```
In [75]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7591973244147158, 0.24080267558528423, 0.5423728813559322, 0.4155844155844156, 0.47058823529411764]

#### 4.2.5: Using the following predictor variables

- Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Age 29 and Under
- · Percent Less than High School Degree
- Percent Less than Bachelor's Degree

```
In [79]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



```
In [80]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    Fl_score = metrics.fl_score(y_val, y_pred)
    print([accuracy, error, precision, recall, Fl_score])
```

[0.8494983277591973, 0.1505016722408027, 0.7285714285714285, 0.6623376623376623, 0.6938775510204082]

### 4.3: Naive Bayes

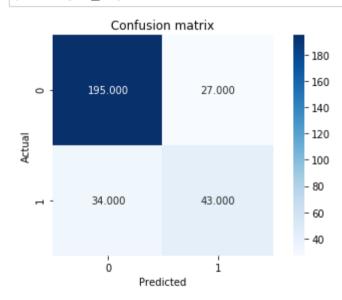
#### 4.3.1: Using all predictor variables

```
In [81]: classifier = GaussianNB()
    classifier.fit(x_train_scaled, y_train)

Out[81]: GaussianNB(priors=None, var_smoothing=le-09)

In [82]: y_pred = classifier.predict(x_val_scaled)

In [83]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight layout()
```

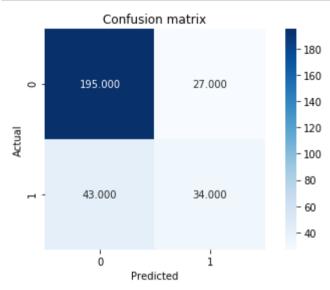


```
In [84]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    Fl_score = metrics.fl_score(y_val, y_pred)
    print([accuracy, error, precision, recall, Fl_score])
```

[0.7959866220735786, 0.20401337792642138, 0.6142857142857143, 0.5584415584415584, 0.5850340136054422]

#### 4.3.2: Using Race Variables

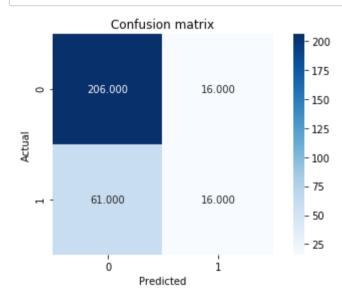
```
In [88]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



```
In [89]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7658862876254181, 0.2341137123745819, 0.5573770491803278, 0.44155844155844154, 0.4927536231884058]

#### 4.3.3: Using Age & Gender Variables

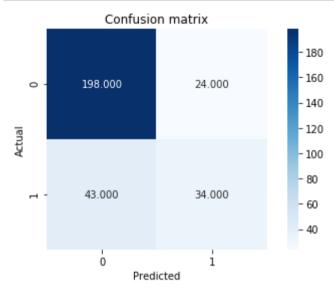


```
In [94]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7424749163879598, 0.2575250836120402, 0.5, 0.2077922077922078, 0.29357798165137616]

#### 4.3.4: Using Employement, Education and Rural Variables

```
In [98]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

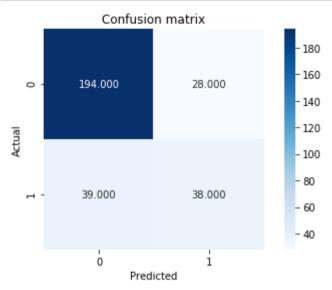


```
In [99]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

#### 4.3.5: Using the following predictor variables

- Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Age 29 and Under
- · Percent Less than High School Degree
- · Percent Less than Bachelor's Degree

```
In [103]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

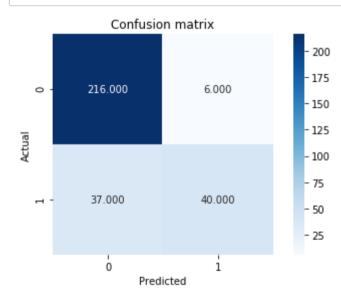


```
In [104]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7759197324414716, 0.2240802675585284, 0.575757575757575758, 0.4935064935, 0.5314685314685315]

# 4.4: Support Vector Machines

# 4.4.1: Using all predictor variables

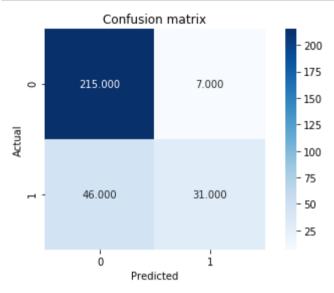


```
In [108]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.8561872909698997, 0.14381270903010035, 0.8695652173913043, 0.5194805194805194, 0.6504065040650406]

#### 4.4.2: Using Race Variables

```
In [112]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```

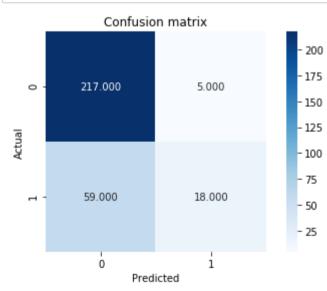


```
In [113]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.822742474916388, 0.17725752508361203, 0.8157894736842105, 0.4025974025974026, 0.5391304347826087]

# 4.4.3: Using Age & Gender Variables

```
In [114]: selected predictor variables = ['Percent Female',
                                           'Percent Age 29 and Under',
                                          'Percent Age 65 and Older'l
In [115]: classifier = SVC(kernel='rbf')
          classifier.fit(x train scaled df[selected predictor variables], y train)
Out[115]: SVC(C=1.0, break ties=False, cache size=200, class weight=None, coef0=0.0,
              decision function shape='ovr', degree=3, gamma='scale', kernel='rbf',
              max iter=-1, probability=False, random state=None, shrinking=True,
              tol=0.001, verbose=False)
In [116]: y pred = classifier.predict(x val scaled df[selected predictor variables])
In [117]: conf matrix = metrics.confusion matrix(y val, y pred)
          sns.heatmap(conf matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
          plt.vlabel('Actual')
          plt.xlabel('Predicted')
          plt.title('Confusion matrix')
          plt.tight layout()
```

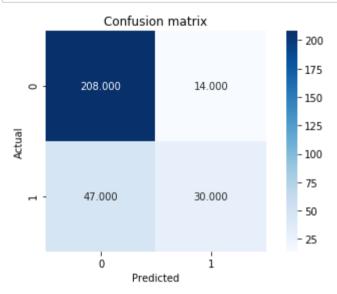


```
In [118]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7859531772575251, 0.21404682274247488, 0.782608695652174, 0.23376623376623376, 0.36]

#### 4.4.4: Using Employement, Education and Rural Variables

```
In [122]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



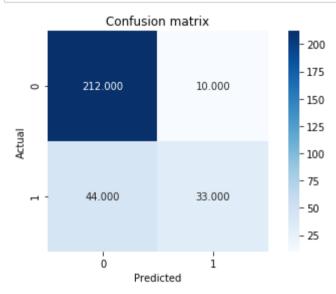
```
In [123]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    F1_score = metrics.f1_score(y_val, y_pred)
    print([accuracy, error, precision, recall, F1_score])
```

[0.7959866220735786, 0.20401337792642138, 0.6818181818181818, 0.38961038961038963, 0.49586776859504134]

#### 4.4.5: Using the following predictor variables

- Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- Percent Hispanic or Latino
- Percent Age 29 and Under
- · Percent Less than High School Degree
- Percent Less than Bachelor's Degree

```
In [127]: conf_matrix = metrics.confusion_matrix(y_val, y_pred)
    sns.heatmap(conf_matrix, annot = True, fmt = ".3f", square = True, cmap = plt.cm.Blues)
    plt.ylabel('Actual')
    plt.xlabel('Predicted')
    plt.title('Confusion matrix')
    plt.tight_layout()
```



```
In [128]: accuracy = metrics.accuracy_score(y_val, y_pred)
    error = 1 - accuracy
    precision = metrics.precision_score(y_val, y_pred)
    recall = metrics.recall_score(y_val, y_pred)
    Fl_score = metrics.fl_score(y_val, y_pred)
    print([accuracy, error, precision, recall, Fl_score])
```

# **4.4: Model Performances**

# • Decision Tree

Accuracy	Precision	Recall	F1 Score
0.76	0.53	0.55	0.54
0.75	0.51	0.51	0.51
0.69	0.4	0.43	0.42
0.71	0.45	0.57	0.5
0.79	0.59	0.62	0.6
	0.76 0.75 0.69 0.71	0.76 0.53 0.75 0.51 0.69 0.4 0.71 0.45	0.76     0.53     0.55       0.75     0.51     0.51       0.69     0.4     0.43       0.71     0.45     0.57

# • K Nearest Neighbors

Variables	Accuracy	Precision	Recall	F1 Score	
All	8.0	0.66	0.49	0.56	
Race	0.83	0.71	0.58	0.64	
Age & Gender	0.74	0.48	0.36	0.42	
Employement, Education and Rural Variables	0.76	0.54	0.42	0.47	
Optimum	0.85	0.72	0.66	0.69	

# • Naive Bayes

Variables	Accuracy	Precision	Recall	F1 Score
All	0.8	0.61	0.56	0.58
Race	0.77	0.56	0.44	0.49
Age & Gender	0.74	0.5	0.2	0.29
Employement, Education and Rural Variables	0.78	0.57	0.44	0.5
Optimum	0.78	0.58	0.49	0.53

# • Support Vector Machines

Variables	Accuracy	Precision	Recall	F1 Score
All	0.86	0.87	0.52	0.65
Race	0.82	0.82	0.41	0.53
Age & Gender	0.79	0.78	0.23	0.36
Employement, Education and Rural Variables	0.8	0.68	0.4	0.5
Optimum	0.82	0.77	0.43	0.55

#### What is the best performing classification model?

**Answer:** K-Nearest Neighbors with k = 3 using the following variables gives the best F1 Score

- · Percent White, not Hispanic or Latino
- Percent Black, not Hispanic or Latino
- · Percent Hispanic or Latino
- · Percent Age 29 and Under
- · Percent Less than High School Degree
- · Percent Less than Bachelor's Degree

# What is the performance of the model?

Accuracy: 0.85Precision: 0.72Recall: 0.66F1 Score: 0.69

# How did you select the parameters of the model?

**Answer:** We have one parameters for K-Nearest Neighbors model, the number of nearest neighbors to consider. Among k = 1 to 5, k = 3 gave best performance across all variable combinations.

# How did you select the variables of the model?

#### Answer:

- From the types of variables: Race, Age, Gender, Employement, Education & Rural, we choose a combination of types of variables.
- Upon trial of many different combinations we understand that any single group of variables do not contribute to the best performance of a model. But a combination of different variables. That is Race, Age & Gender, Employment & Education on itself do not work best.
- Race, Age and Education are the best predictor variables.

# Task 5

Build a clustering model to cluster the counties. Consider at least two different clustering techniques with multiple combinations of parameters and multiple combinations of variables. Compute unsupervised and supervised evaluation metrics for the validation set with the party of the counties (Democratic or Republican) as the true cluster and report your results.

# 5.1: Hierarchical Clustering - Single Linkage

#### 5.1.1: Using all predictor variables

```
In [130]: clustering = linkage(all_x, method = "single", metric = "euclidean")
    clusters = fcluster(clustering, 2, criterion = 'maxclust')

In [131]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(all_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.01254522751329356, 0.5761121869509526]
```

#### 5.1.2: Using best classification predictor variables

```
In [132]: clustering = linkage(best_classification_x, method = "single", metric = "euclidean")
    clusters = fcluster(clustering, 2, criterion = 'maxclust')

In [133]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(best_classification_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])
    [0.01254522751329356, 0.39604171483766787]
```

# 5.1.3: Using best classification predictor variables by clustering algorithm

# 5.1.4: Using best clustering predictor variables

```
In [136]: clustering = linkage(best_clustering_x, method = "single", metric = "euclidean")
clusters = fcluster(clustering, 2, criterion = 'maxclust')
```

```
In [137]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(best_clustering_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.01254522751329356, 0.9335336089390852]
```

# 5.2: Hierarchical Clustering - Complete Linkage

#### 5.2.1: Using all predictor variables

```
In [138]: clustering = linkage(all_x, method = "complete", metric = "euclidean")
    clusters = fcluster(clustering, 2, criterion = 'maxclust')

In [139]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(all_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.24558873323923197, 0.2550107182979104]
```

#### 5.2.2: Using best classification predictor variables

```
In [140]: clustering = linkage(best_classification_x, method = "complete", metric = "euclidean")
    clusters = fcluster(clustering, 2, criterion = 'maxclust')

In [141]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(best_classification_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.05050820092852576, 0.55498710702161]
```

# 5.2.3: Using best classification predictor variables by clustering algorithm

#### 5.2.4: Using best clustering predictor variables

```
In [144]: clustering = linkage(best_clustering_x, method = "complete", metric = "euclidean")
    clusters = fcluster(clustering, 2, criterion = 'maxclust')

In [145]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(best_clustering_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])
    [0.01254522751329356, 0.9335336089390852]
```

# **5.3: KMeans Clustering**

# **5.3.1: Using all predictor variables**

```
In [146]: clustering = KMeans(n_clusters = 2, init = 'random', n_init = 10, random_state=0).fit(all_x)
    clusters = clustering.labels_

In [147]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(all_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.2157355337732104, 0.3275869370675781]
```

#### 5.3.2: Using best classification predictor variables

#### 5.3.3 Using best classification predictor variables by clustering algorithm

# 5.3.4: Using best clustering predictor variables

```
In [152]: clustering = KMeans(n_clusters = 2, init = 'random', n_init = 10, random_state=0).fit(best_clustering_x)
clusters = clustering.labels_
```

# 5.4: DBSCAN Clustering - Eps: 1.5, MinPts: 5

#### 5.4.1: Using all predictor variables

```
In [154]: clustering = DBSCAN(eps = 1.5, min_samples = 5, metric = "euclidean").fit(all_x)
    clusters = clustering.labels_

In [155]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(all_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[0.031145536387172504, 0.17571212619876678]
```

#### 5.4.2: Using best classification predictor variables

#### 5.4.3: Using best classification predictor variables by clustering algorithm

#### 5.4.3: Using best clustering predictor variables

# 5.5: DBSCAN Clustering - Eps: 1.0, MinPts: 3

#### **5.5.1:** Using all predictor variables

```
In [162]: clustering = DBSCAN(eps = 1.0, min_samples = 5, metric = "euclidean").fit(all_x)
    clusters = clustering.labels_

In [163]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(all_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])

[-0.06112315653389419, -0.24675582876304566]
```

#### 5.5.2: Using best classification predictor variables

# 5.5.3: Using best classification predictor variables by clustering algorithm

# 5.5.4: Using best clustering predictor variables

```
In [168]: clustering = DBSCAN(eps = 1.0, min_samples = 3, metric = "euclidean").fit(best_clustering_x)
clusters = clustering.labels_
```

```
In [169]: adjusted_rand_index = metrics.adjusted_rand_score(y, clusters)
    silhouette_coefficient = metrics.silhouette_score(best_clustering_x, clusters, metric = "euclidean")
    print([adjusted_rand_index, silhouette_coefficient])
```

[0.01254522751329356, 0.9335336089390852]

# **5.6: Model Performances**

# • Hierarchical Clustering - Single Linkage

Variables	Classification	Clustering
All	0.0125	0.5761
Best Classification	0.0125	0.396
Best Classification(by clustering)	0.0125	0.7789
Best Clustering	0.0125	0.9335

# • Hierarchical Clustering - Complete Linkage

Variables	Classification	Clustering
All	0.2455	0.255
Best Classification	0.0505	0.5549
Best Classification(by clustering)	0.0125	0.7789
Best Clustering	0.0125	0.9335

# • KMeans Clustering

Variables	Classification	Clustering
All	0.2157	0.3275
Best Classification	0.0451	0.4797
Best Classification(by clustering)	0.3297	0.4401
Best Clustering	0.1313	0.8593

# • DBSCAN Clustering - Eps: 1.5, MinPts: 5

Variables	Classification	Clustering		
All	0.0311	0.1757		
Best Classification	0.201	0.4871		

Variables	Classification	Clustering
Best Classification(by clustering)	0.0626	0.6884
Best Clustering	0.0125	0.9335

# • DBSCAN Clustering - Eps: 1.0, MinPts: 3

Variables	Classification	Clustering
All	-0.0611	-0.2467
Best Classification	0.1176	0.2222
Best Classification(by clustering)	0.1678	0.5169
Boot Chrotorina	0.0105	0.0005

# What is the best performing clustering model?

Answer: All clustering models besides K-Means perform identically.

What is the performance of the model?

Answer: Silhouette Coefficient: 0.9335

How did you select the parameters of model?

**Answer:** Parameters

• Hierarchical Methods have no parameters to fine tune

- KMeans parameters may perform better if we increase the number of iterations.
- DBSCAN parameters, eps was approximated by obtaining the modes

• All: 2.7061026407808066

Best Classification: 1.022669045646768

■ Best Classification(by clustering): 1.063542197328302

■ Best Clustering: 0.6652472079887632 (2nd most frequent distance)

# How did you select the variables of the model?

**Answer:** Through trial of many different variable combinations we find the best variable for clustering to be *Total Population*.

# Task 6

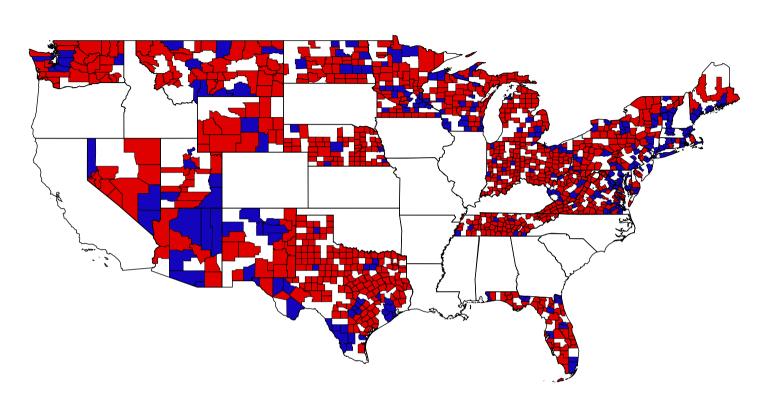
Create a map of Democratic counties and Republican counties using the counties' FIPS codes and Python's Plotly library (plot.ly/python/county-choropleth/). Compare with the map of Democratic counties and Republican counties created in Project 01. What conclusions do you make from the plots?

```
In [170]: comp data = election data.iloc[:,:18]
          data = comp data.select dtypes(include=[np.int64,np.float64])
          data = data.iloc[:.1:14]
          # Standardizztion of data
          scaler = StandardScaler()
          scaler.fit(x train)
          data scaled = scaler.transform( data)
          data scaled df = pd.DataFrame( data scaled,index = data.index,columns= data.columns)
          # classification Model K-nearest neighbors
          prime pred = classifier k nearest.predict( data scaled df[['Percent White, not Hispanic or Latino',
                                          'Percent Black, not Hispanic or Latino',
                                          'Percent Hispanic or Latino',
                                          'Percent Age 29 and Under',
                                          'Percent Less than High School Degree',
                                          "Percent Less than Bachelor's Degree"]])
          # Merging for fips
          prime data = pd.DataFrame({'Party': prime pred, 'FIPS': comp data['FIPS']})
          # Map of Democratic and Republic counties with FIPS codes
          import plotly.figure factory as f
          from plotly.offline import init notebook mode, iplot
          init notebook mode(connected=True)
          fips = prime data['FIPS'].tolist()
          values = prime data['Party'].map({0: 'Republican', 1: 'Democratic'})
          colors = ["#1405BD", "#DE0100"]
          figure = f.create choropleth(colorscale=colors,
                                       fips=fips,
                                       county outline={'color': '#000000', 'width': 0.3},
                                        state outline={'color': '#000000', 'width': 0.7},
                                       legend title='Political Party',
                                       values= values,
                                       title='Political Party by Counties via K-Nearest Neighbors')
          figure.layout.template = None
          iplot(figure, validate=False)
```

Political Party

Republican

Democratic



# Task 7

Use your best performing regression and classification models to predict the number of votes cast for the Democratic party in each county, the number of votes cast for the Republican party in each county, and the party (Democratic or Republican) of each county for the test dataset (demographics\_test.csv). Save the output in a single CSV file. For the expected format of the output, see sample\_output.csv

```
In [171]: election_demographic = pd.read_csv('demographics_test.csv')
    election_demographic.head()
```

#### Out[171]:

	State	County	FIPS	Total Population	Percent White, not Hispanic or Latino	Percent Black, not Hispanic or Latino	Percent Hispanic or Latino	Percent Foreign Born	Percent Female	Percent Age 29 and Under	Percent Age 65 and Older	Median Household Income	Percent Unemployed	P Les !
0	NV	eureka	32011	1730	98.265896	0.057803	0.462428	0.346821	51.156069	27.109827	15.606936	70000	3.755365	8.4
1	TX	zavala	48507	12107	5.798299	0.594697	93.326175	9.193029	49.723301	49.302057	12.480383	26639	11.955168	40.8
2	VA	king george	51099	25260	73.804434	16.722090	4.441805	2.505938	50.166271	40.186065	11.868567	84342	6.479939	7.1
3	ОН	hamilton	39061	805965	66.354867	25.654340	2.890944	5.086945	51.870615	40.779686	14.161657	50399	7.864630	9.8
4	TX	austin	48015	29107	63.809393	8.479060	25.502456	9.946061	50.671660	37.351840	17.799842	56681	5.782337	17.5
∢ ■														•

```
In [172]: x_test = election_demographic.select_dtypes(include=[np.int64,np.float64])
    x_test = x_test.iloc[:,1:14]
    x_test_scaled = scaler.transform(x_test)
    x_test_scaled_df = pd.DataFrame(x_test_scaled,index = x_test.index,columns=x_test.columns)
```

```
In [175]: y pred party = classifier k nearest.predict(x test scaled df[['Percent White, not Hispanic or Latino',
                                           'Percent Black, not Hispanic or Latino',
                                           'Percent Hispanic or Latino',
                                           'Percent Age 29 and Under',
                                           'Percent Less than High School Degree',
                                          "Percent Less than Bachelor's Degree"]])
          election_demographic['Party'] = y_pred_party
          election demographic.head()
```

# Out[175]:

	State	County	FIPS	Total Population	Percent White, not Hispanic or Latino	Percent Black, not Hispanic or Latino	Percent Hispanic or Latino	Percent Foreign Born	Percent Female	Percent Age 29 and Under	Percent Age 65 and Older	Median Household Income	Percent Unemployed	P Les !
0	NV	eureka	32011	1730	98.265896	0.057803	0.462428	0.346821	51.156069	27.109827	15.606936	70000	3.755365	8.4
1	TX	zavala	48507	12107	5.798299	0.594697	93.326175	9.193029	49.723301	49.302057	12.480383	26639	11.955168	40.8
2	VA	king george	51099	25260	73.804434	16.722090	4.441805	2.505938	50.166271	40.186065	11.868567	84342	6.479939	7.1
3	ОН	hamilton	39061	805965	66.354867	25.654340	2.890944	5.086945	51.870615	40.779686	14.161657	50399	7.864630	9.8
4	TX	austin	48015	29107	63.809393	8.479060	25.502456	9.946061	50.671660	37.351840	17.799842	56681	5.782337	17.5
4														•

In [176]: | sample\_output = election\_demographic[['State','County', 'Democratic', 'Republican', 'Party']] sample output.head()

# Out[176]:

	State	County	Democratic	Republican	Party
0	NV	eureka	-4368.133477	10279.986522	1
1	TX	zavala	-9771.647091	-87.022736	1
2	VA	king george	21823.049764	18795.181860	1
3	ОН	hamilton	183669.476767	112375.441324	1
4	TX	austin	7294.738614	6193.106586	0

# Out[177]:

	State	County	Democratic	Republican	Party
0	NV	eureka	0.000000	10279.986522	1
1	TX	zavala	0.000000	0.000000	1
2	VA	king george	21823.049764	18795.181860	1
3	ОН	hamilton	183669.476767	112375.441324	1
4	TX	austin	7294.738614	6193.106586	0

```
In [178]: sample_output.to_csv("output.csv")
```