Borrador

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Calculando el punto crítico $\boldsymbol{\alpha(s,t)}$, que está determinado:

$\boldsymbol{\alpha(s,t) = \mu + \frac{(s\theta^2)}{2}}$

$$Q = \begin{pmatrix} -\lambda & \lambda \\ \mu & -\mu \end{pmatrix}$$

$\pi = (\frac{\mu}{\lambda+\mu}; \frac{\lambda}{\lambda+\mu})$

$\boldsymbol{\alpha(s,t) = log\{\vec{\pi} exp[(Q + Hs)t]\vec{1}\}}$

$\alpha(s,t) = log\{(\frac{\mu}{\lambda+\mu}; \frac{\lambda}{\lambda+\mu}) exp[\begin{pmatrix} -\lambda & \lambda \\ \mu & -\mu + hs \end{pmatrix} t]\vec{1}\}$