

- 14 Esboce, para o circuito da Figura 10, a forma de onda de saída ( $v_{\text{saída}}$ ).

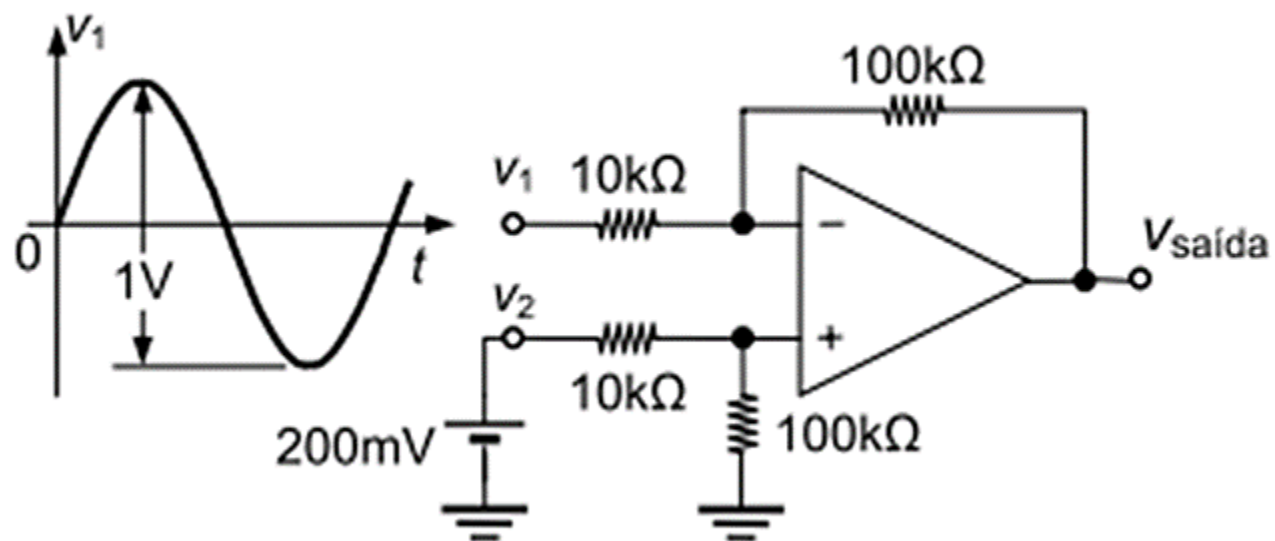
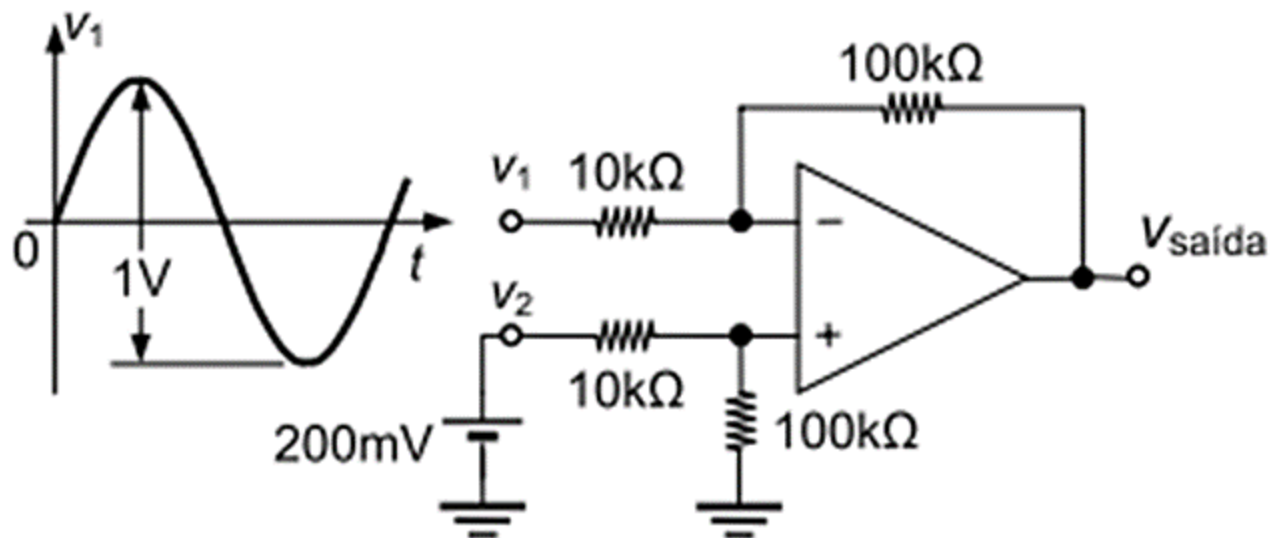
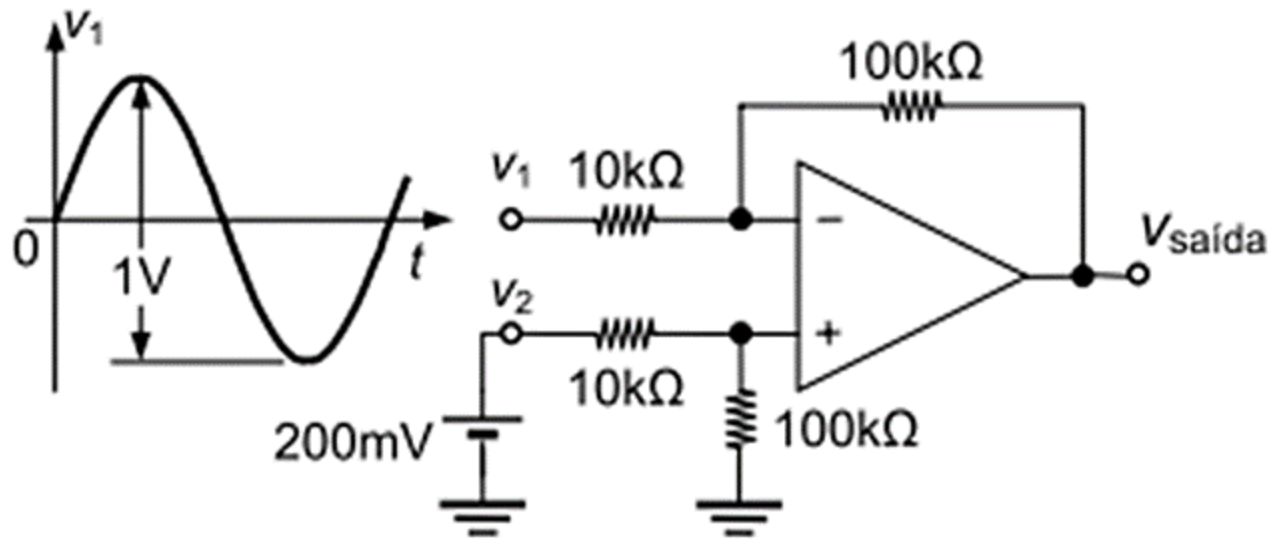


Figura 10

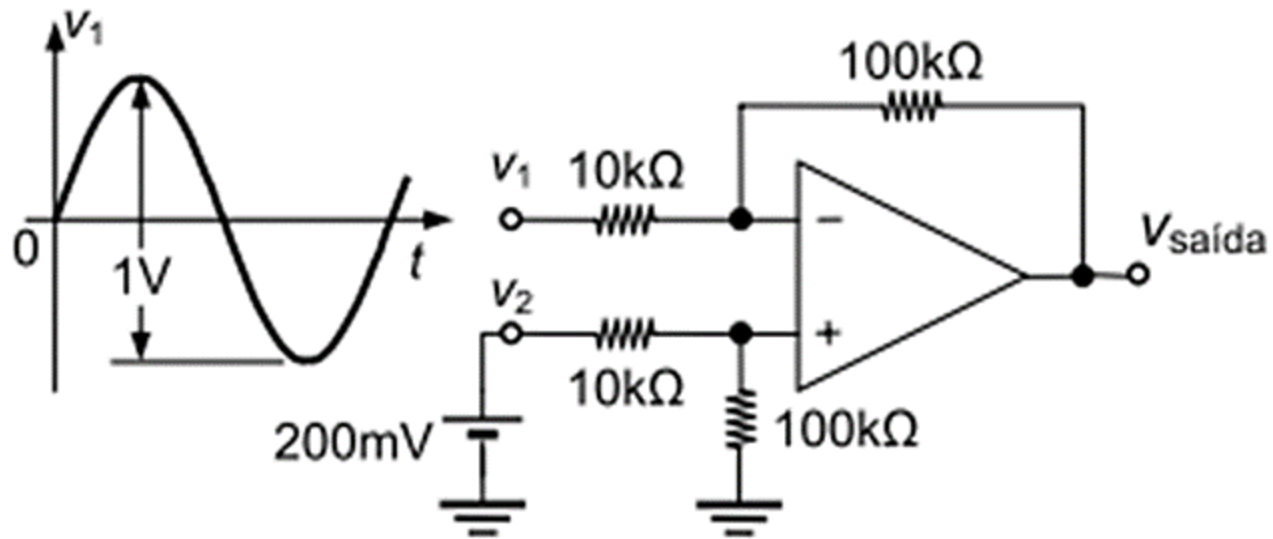


**Amplificador diferencial**  $\rightarrow V_{saída} = \frac{R_2}{R_1}(v_2 - v_1)$



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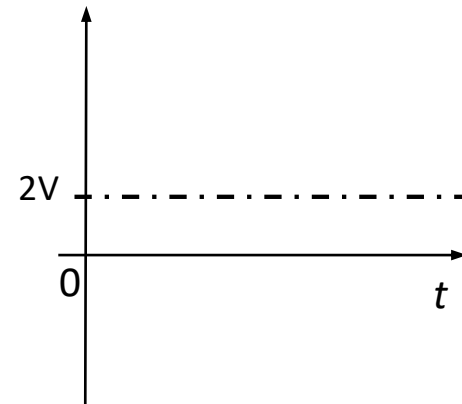
$$\begin{aligned}
 v_{saída} &= \frac{100\text{ k}\Omega}{10\text{ k}\Omega}(0,2\text{ V} - 0,5\text{ sen}(\omega t)) \\
 &= 2 - 5\text{ sen}(\omega t) \quad (\text{V})
 \end{aligned}$$

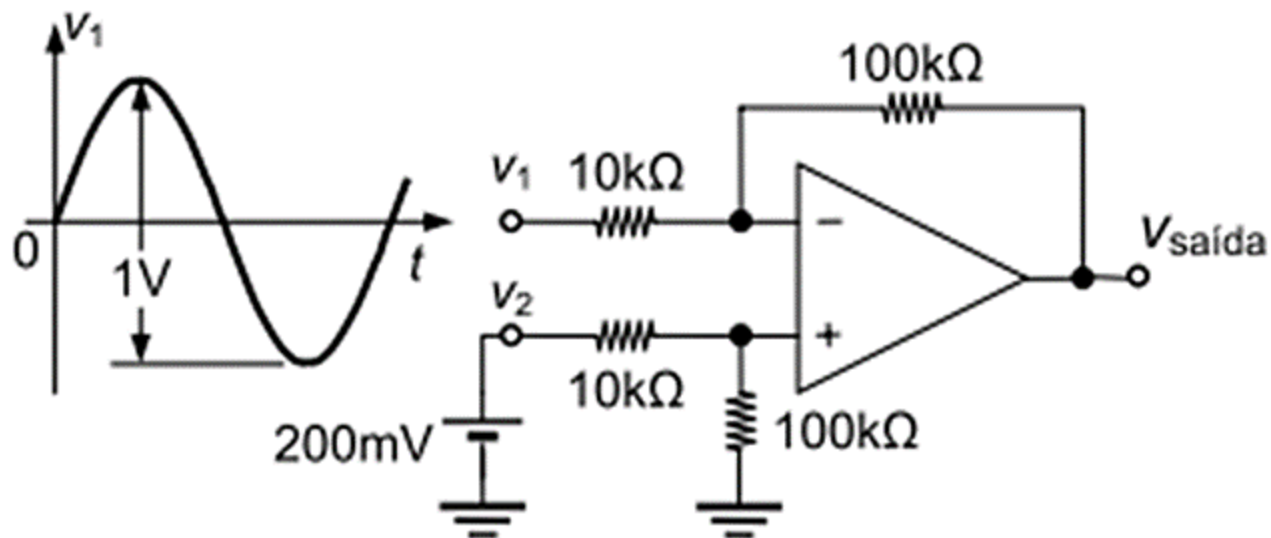


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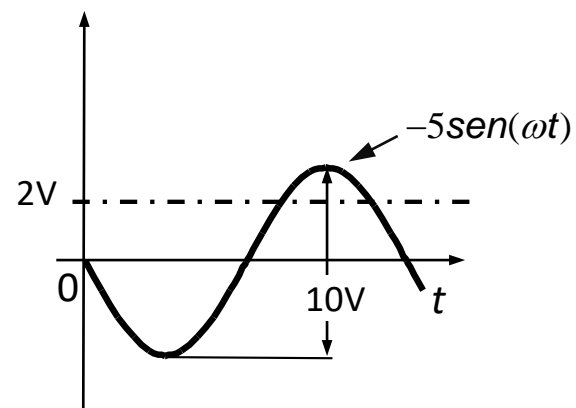


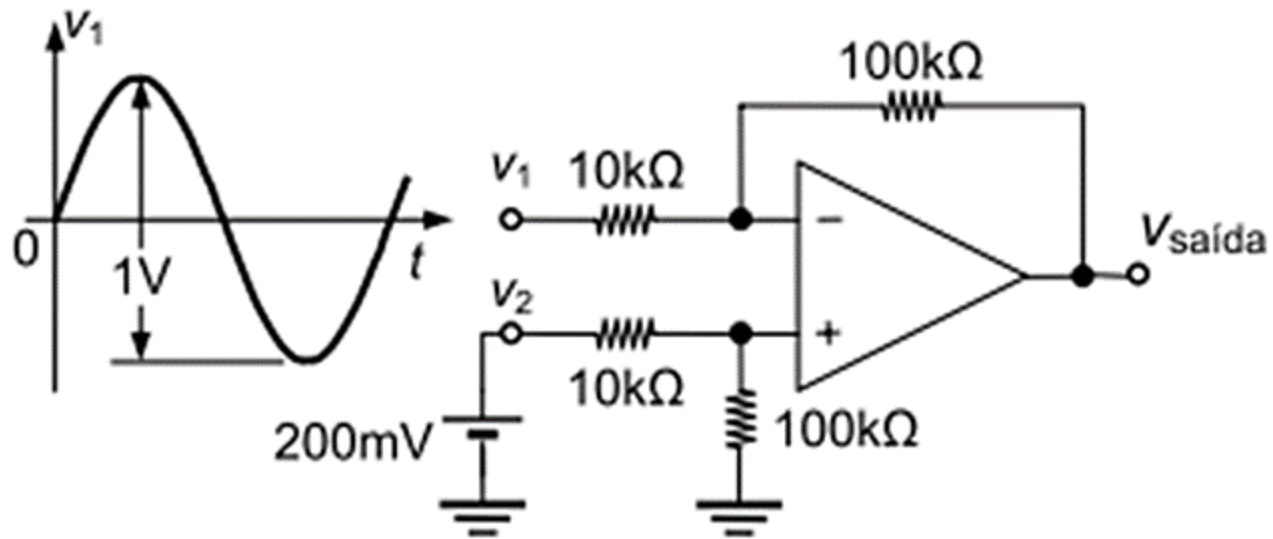


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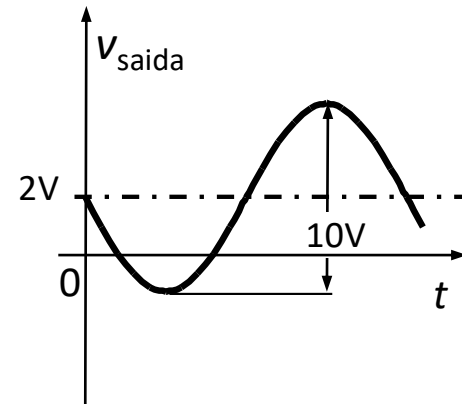




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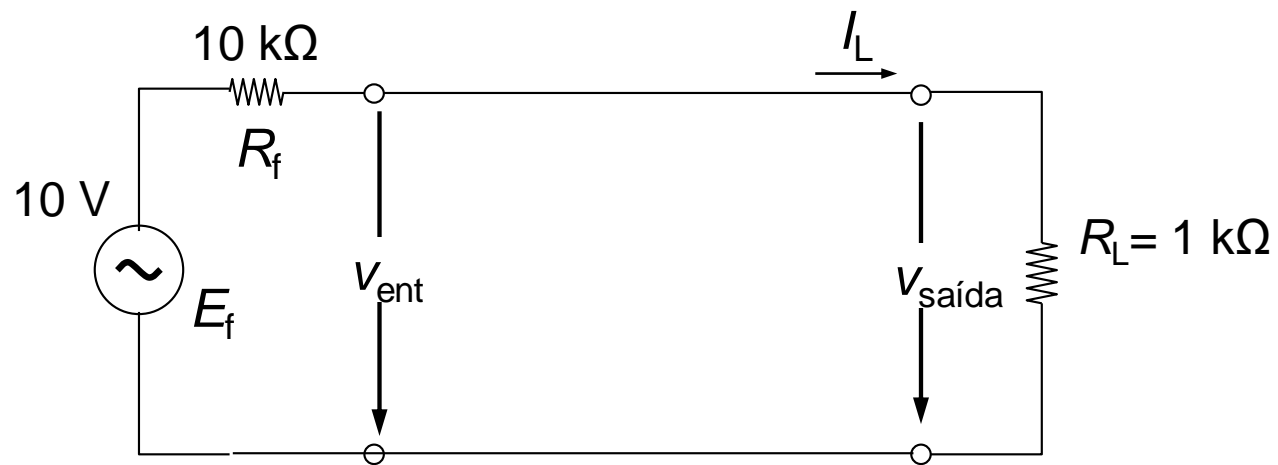
- 15 Apresente um circuito que, utilizando apenas AmpOP's e resistências de  $10\text{k}\Omega$ , implemente a função  $v_{\text{saída}} = v_3 - v_2 - v_1$ .

16 Pretende-se ligar uma fonte de 10 V com uma resistência interna de  $10\text{k}\Omega$  a uma carga com uma resistência de  $1\text{k}\Omega$ . Diga qual é a tensão que aparece aos terminais da carga se,

16.1 A carga for ligada directamente à fonte.

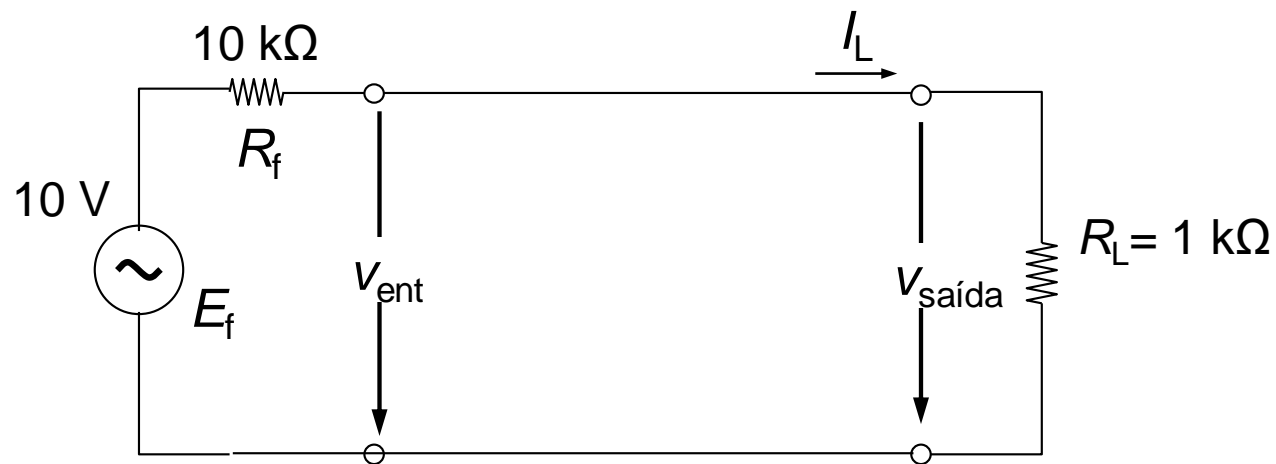
16.2 Se um seguidor de tensão for inserido entre a fonte e a carga.

16.3 Para cada caso diga qual é a corrente na carga. De onde vem a corrente da carga no caso de 16.2?





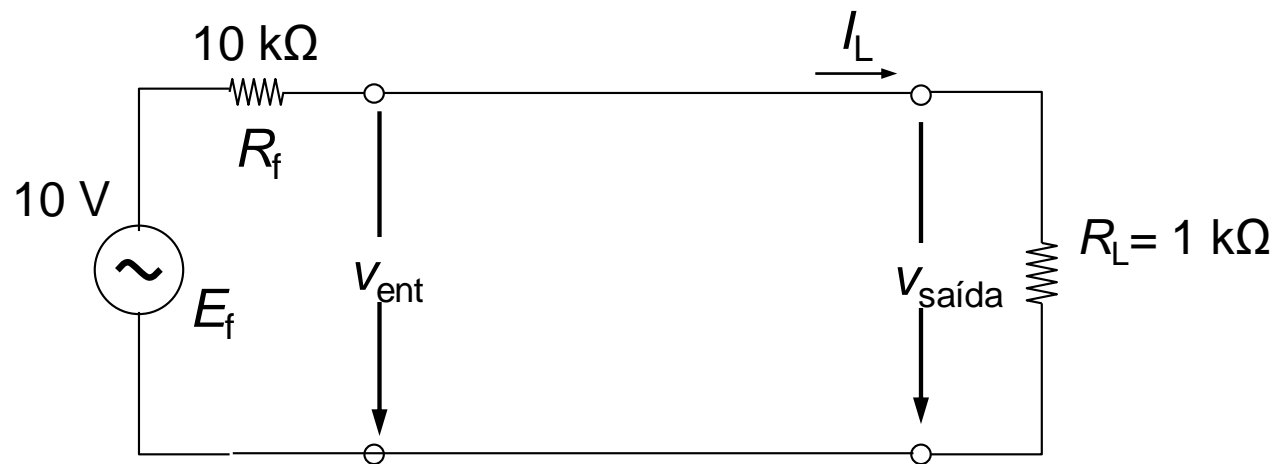
16.1



$$I_L = \frac{10\text{V}}{1\text{k}\Omega + 10\text{k}\Omega} = 0.909\text{ mA}$$

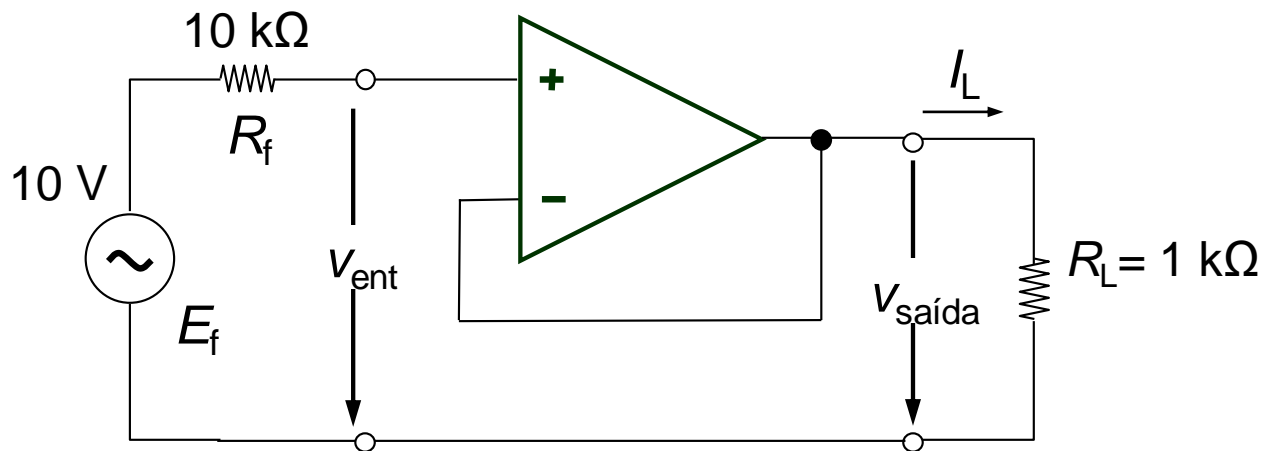
$$v_{\text{saída}} = 1\text{k}\Omega \times 0.909\text{ mA} = 0.909\text{ V}$$

16.1

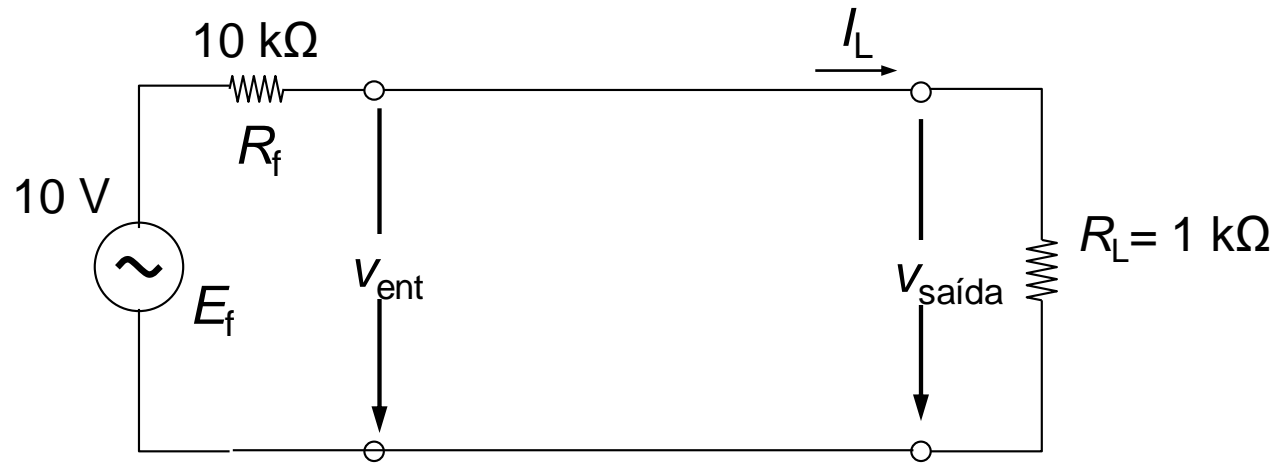


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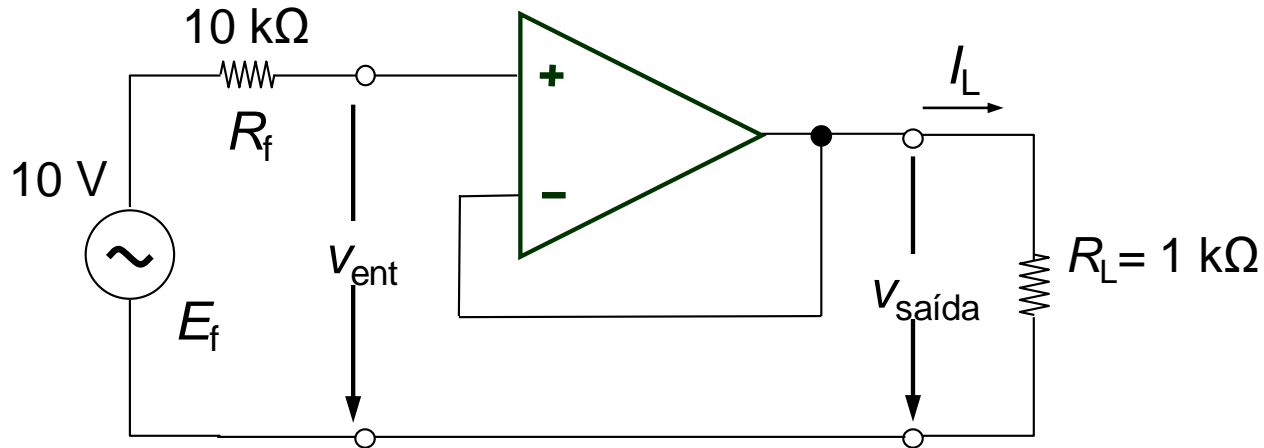
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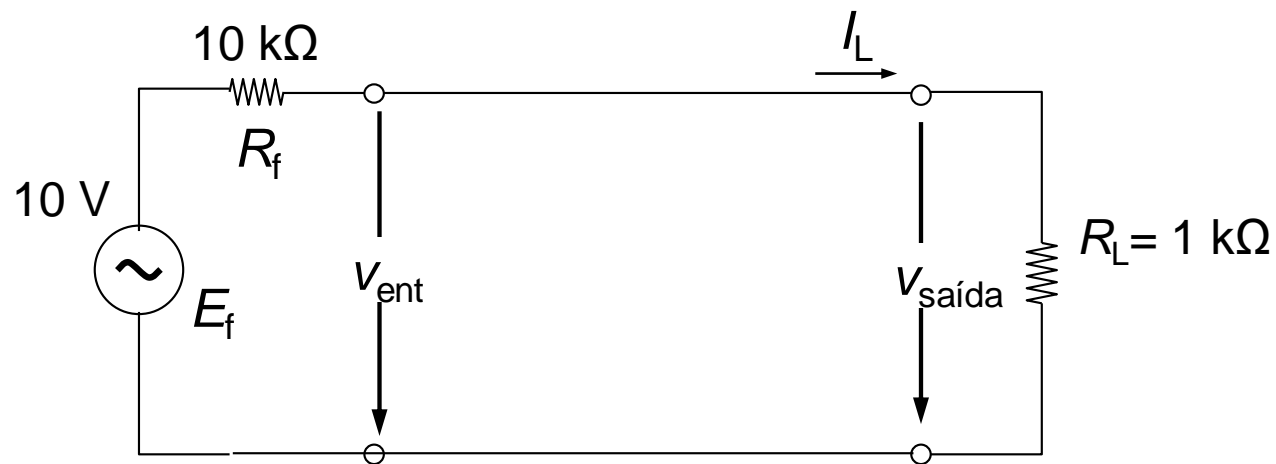
16.2



$$V_{\text{saída}} = 10\text{ V}$$

$$I_L = \frac{10\text{V}}{1\text{ k}\Omega} = 10\text{ mA}$$

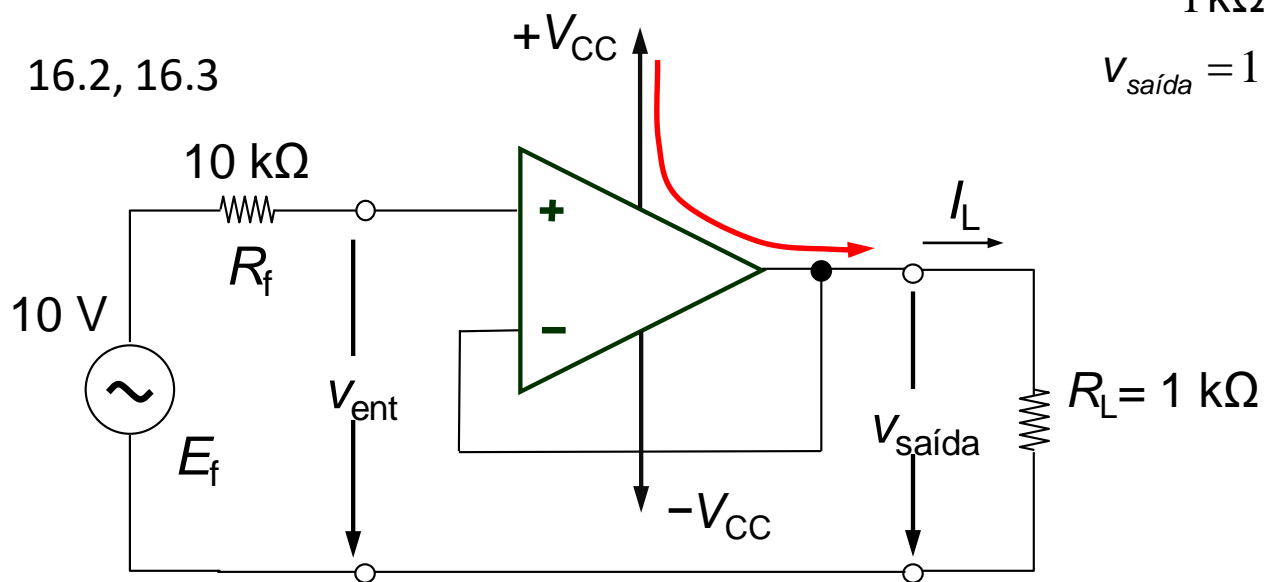
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16.2, 16.3



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