

# Estimating GHG fluxes from the UK

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September 15, 2017

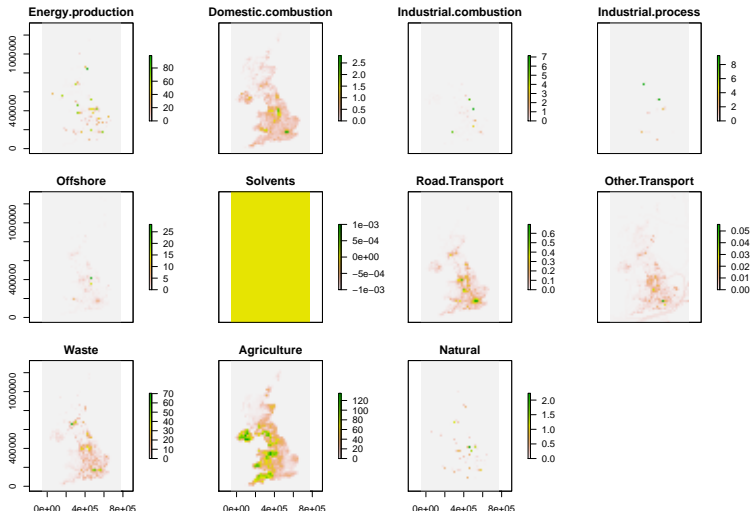
# Bottom-up and atmospheric GHG flux estimates - Two Methods:

- ▶ Bottom-up GHG flux estimates
  - ▶ anthropogenic: from national GHG inventory process
  - ▶ biogenic: from biogeochemical models run at national-scale
- ▶ Atmospheric GHG flux estimates
  - ▶ from inverse modelling of atmospheric GHG concentrations on tall-tower network

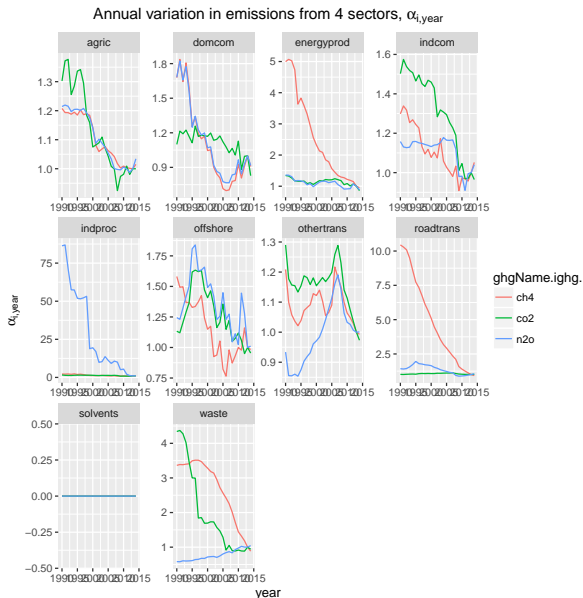
How to reconcile differences?

How to use both methods to best constrain the national GHG budget?

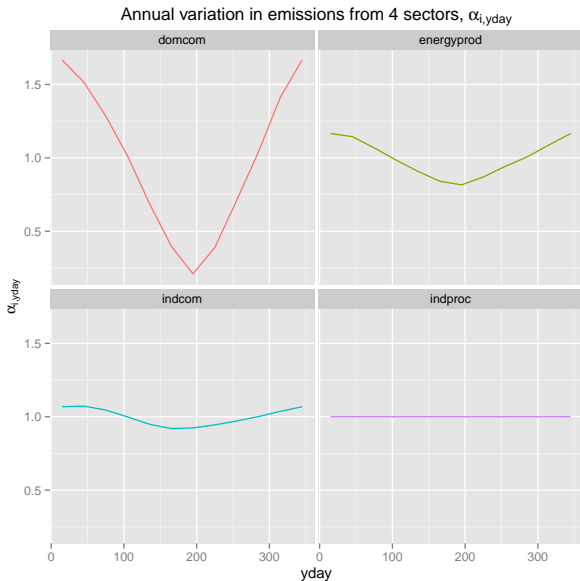
# Spatial patterns by emission sector



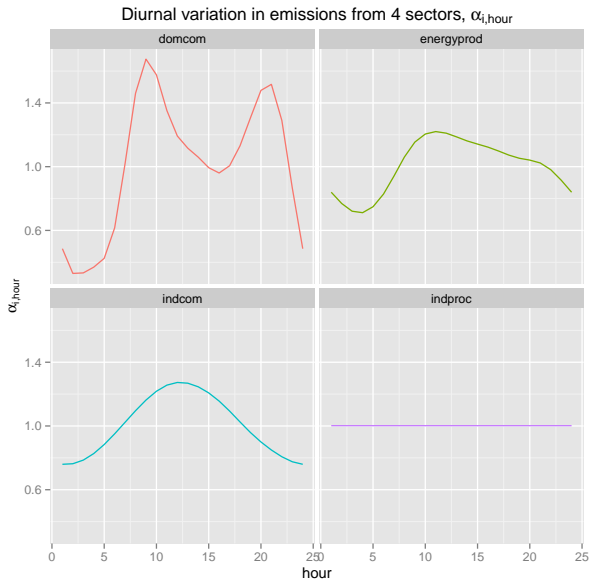
# Temporal patterns by emission sector: annual



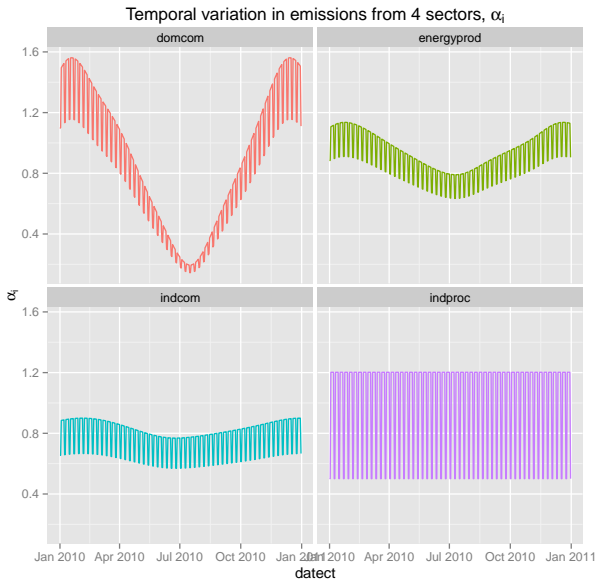
# Temporal patterns by emission sector: seasonal



# Temporal patterns by emission sector: diurnal



# Temporal patterns by emission sector



# Spatio-temporal model of emissions by sector

Each emissions sector has a characteristic spatio-temporal pattern.

$$F_t = \sum_{i=1}^{n_{\text{sector}}} F_{i,\text{spatial}} \times \alpha_{it}$$

$$\alpha_{it} = f(\alpha_{i,\text{year}}, \text{year}) \times f(\alpha_{i,\text{yday}}, \text{yday}) \times \\ f(\alpha_{i,\text{wday}}, \text{wday}) \times f(\alpha_{i,\text{hour}}, \text{hour})$$

where  $f(\text{year})$ ,  $f(\text{yday})$ ,  $f(\text{wday})$  and  $f(\text{hour})$  are cubic splines.  
 $\alpha$  is a vector of 44 coefficients: 11 sectors  $\times$  4 temporal scales.  
We use this simple model to analyse discrepancies between atmospheric observations and bottom-up model predictions



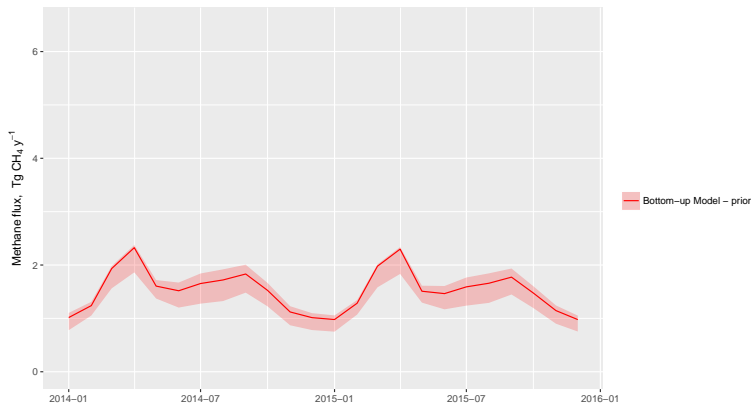
# Analyse discrepancies over time and space

**Figure:** Difference between bottom-up and atmospheric flux estimates for CO<sub>2</sub>, 2014 (left), CH<sub>4</sub>, 2014-2015 (middle) and N<sub>2</sub>O, 2013-2016 (right). Atmospheric estimates from NAME, University of Bristol and Met Office.

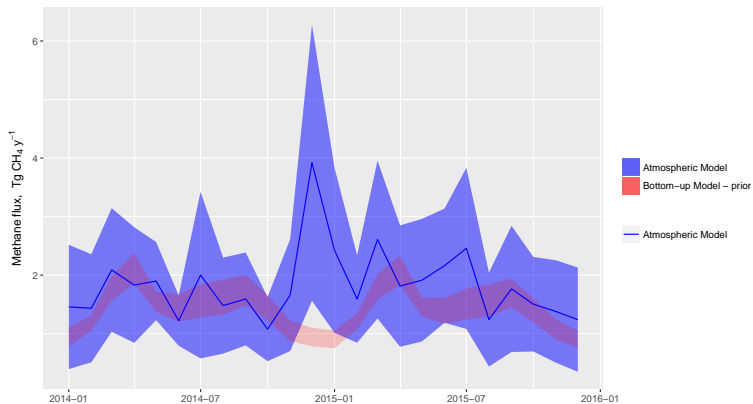
# Bayesian Data assimilation approach

- ▶ Combine atmospheric model output with bottom-up model predictions
  - ▶ vary the bottom-up model  $\alpha$  parameters
  - ▶ calculate likelihood ( goodness-of-fit)
- ▶ produces uncertainty distribution for parameters and estimates of GHG flux

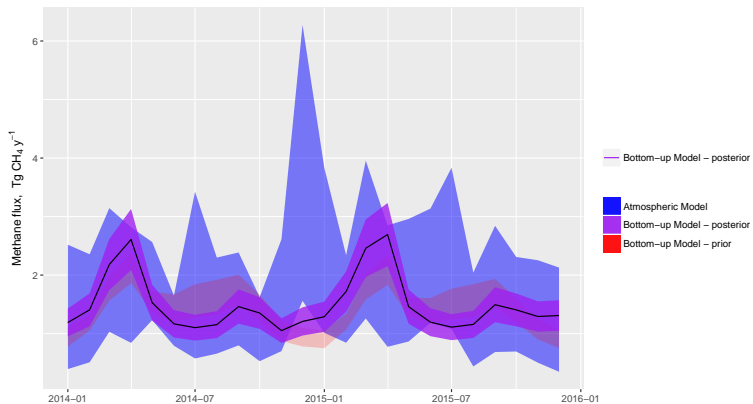
# Results - CH<sub>4</sub>



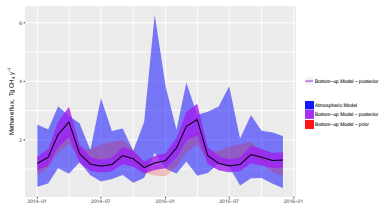
# Results - CH<sub>4</sub>



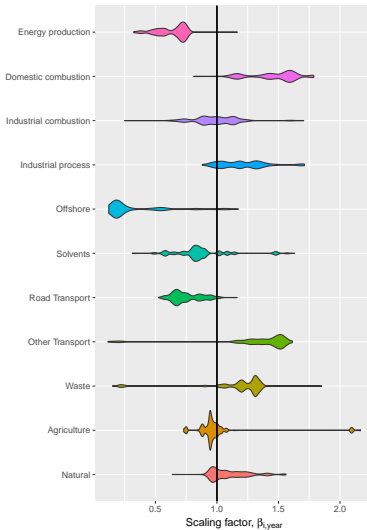
# Results - CH<sub>4</sub>



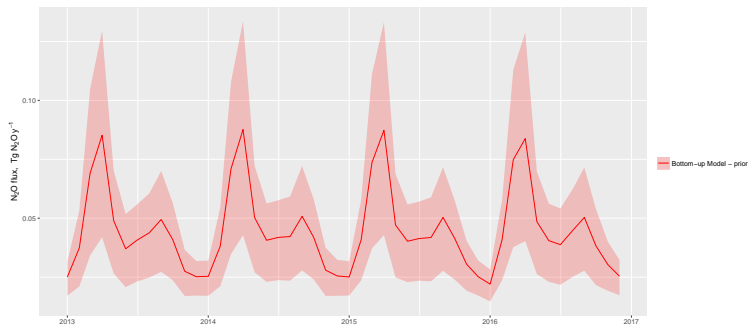
# Results - CH<sub>4</sub>



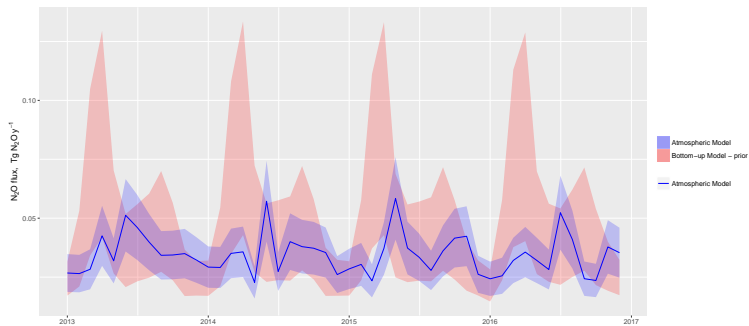
Posterior distribution of scaling factor on inventory methane emissions to best match inverse model predictions



# Results - N<sub>2</sub>O

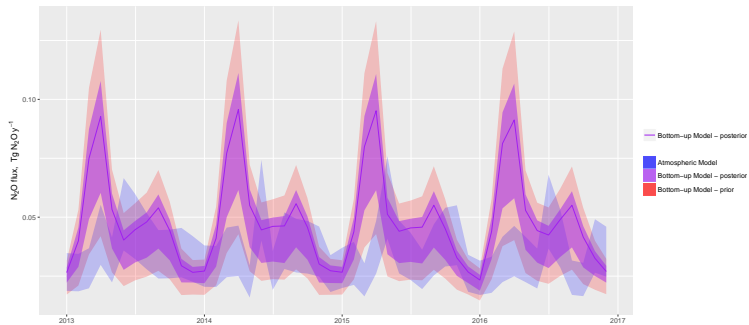


# Results - N<sub>2</sub>O

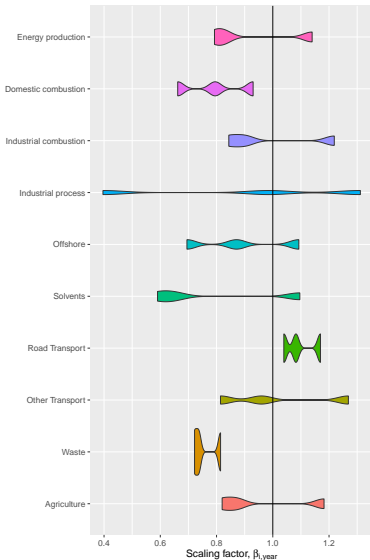
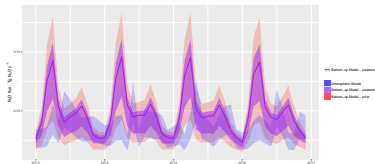




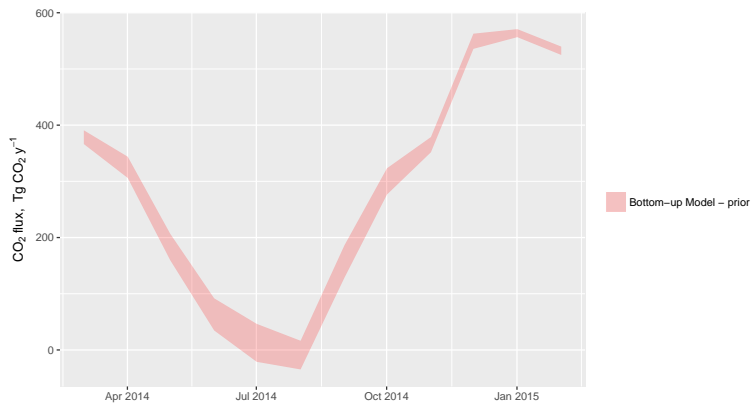
# Results - N<sub>2</sub>O



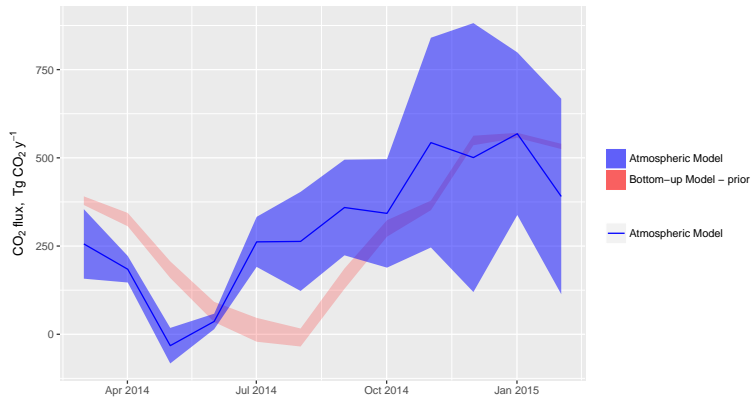
# Results - N<sub>2</sub>O



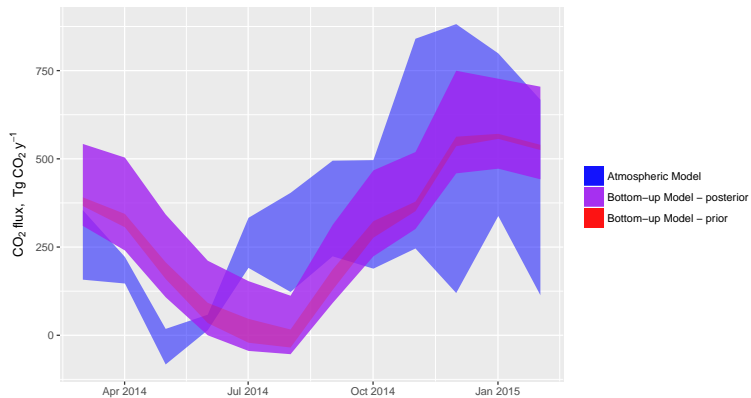
# Results - CO<sub>2</sub>



# Results - CO<sub>2</sub>



# Results - CO<sub>2</sub>



# Summary

- ▶ We have a method for comparing bottom-up and atmospheric models
  - ▶ Bayesian data assimilation methodology allows uncertainties to be combined in a consistent way
- ▶ Total emissions
  - ▶ increased for  $\text{N}_2\text{O}$ , uncertainty decreased
  - ▶ unchanged for  $\text{CH}_4$ , uncertainty increased
  - ▶ increased for  $\text{CO}_2$ , uncertainty increased
- ▶ Analysis allows us to attribute discrepancies
  - ▶ at sector level
    - ▶ e.g. spring peak in agricultural methane
  - ▶ at process level
    - ▶ e.g. emission factor from N fertilisation