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- a data structure for storing and accessing the lhs and rhs of rules.

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- Shift: Moving a single token from the input buffer onto the stack till a handle appears on the stack.
- Reduce: When a handle appears on the stack, it is popped and replaced by the left hand side of the corresponding production.
- Accept: When the stack contains only the start symbol and input buffer is empty, the parser halts announcing a *successful* parse.
 - Error: When the parser can neither shift nor reduce nor accept. Halts announcing an error.

Is the following situation possible?

- $\alpha \beta \gamma$ is the stack contents and $A \rightarrow \gamma$ is the handle.
- ullet The stack contents reduces to lpha eta A
- Now $B \to \beta$ is the next handle.

Implication: The handle is buried in the stack. The search for the handle can be expensive.

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Assume that this is true. Then, by the definition of a handle, there is a sequence of rightmost derivations:

$$S \stackrel{*rm}{\Rightarrow} \alpha BAxyz \stackrel{rm}{\Rightarrow} \alpha \beta Axyz \stackrel{rm}{\Rightarrow} \alpha \beta \gamma xyz$$

But in the right sentential form $\alpha BAxyz$, B is not the rightmost non-terminal, and thus $\stackrel{rm}{\Rightarrow}$ is not a rightmost derivation. Therefore the above scenario is not possible.

So what scenarios are possible after a reduction?

 $\alpha \beta \gamma xyz$

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$$\alpha \beta A \quad xyz$$

$$\downarrow \exists$$

$$\alpha \beta \gamma xyz$$

Production used is $A \rightarrow \gamma$

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$$\alpha C$$
 xyz
$$\alpha \beta A$$
 xyz
$$\downarrow \exists$$

$$\alpha \beta \gamma xyz$$

Production used is $C \to \beta A$

So what scenarios are possible after a reduction?

$$\begin{array}{ccc} \alpha \mathcal{C} & xyz & \alpha \mathcal{D} & yz \\ & & & \Downarrow \S \\ & & \alpha \beta \mathcal{A} & xyz \\ & & & & \Downarrow \S \\ & & & \alpha \beta \gamma xyz \end{array}$$

Production used is $D \rightarrow \beta Ax$

So what scenarios are possible after a reduction?

$$\begin{array}{cccc} \alpha \mathcal{C} & xyz & \alpha \mathcal{D} & yz & \alpha \beta \mathcal{A}x\mathcal{E} & z \\ & & & & & & & & \\ & & & & & & & \\ & & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & \\ & & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & \\ & & & \\ & \\ & & \\ & & \\ & \\ & & \\ & & \\ & & \\ & \\ & \\ & & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ &$$

Production used is $E \rightarrow y$

Example of Shift-Reduce Parsing

Ambiguous grammar of expressions

Conflicts in a Shift-Reduce Parser

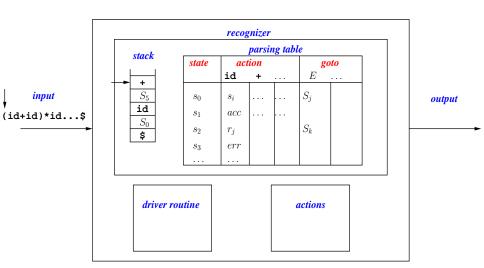
For some grammars, the shift-reduce parser may get into the following conflicting situations.

- Shift-reduce conflict A handle β occurs at tos; the nexttoken a is such that $\beta a \gamma$ happens to be another handle. The parser has two options
 - reduce the handle using $A \rightarrow \beta$
 - ignore the handle; shift a and continue parsing and eventually reduce using some rule $B \to \beta a \gamma$.
- Reduce-reduce conflict the stack contents are $\alpha\beta\gamma$ and both $\beta\gamma$ and γ are handles with $A\to\beta\gamma$ and $B\to\gamma$ as the corresponding rules. Then the parser has two reduce possibilities.

To handle such conflicts, the nexttoken could be used to prefer one move over the other.

- choose shift (or reduce) in a shift-reduce conflict
- prefer one reduce (over others) in a reduce-reduce conflict.

LR Parser Model



LR Parsers

Consist of

- a stack which contains strings of the form $s_0X_1s_1X_2...X_ms_m$, where X_i is a grammar symbol and s_i is a special symbol called a state.
- a parsing table which comprises two parts, usually named as Action and Goto.

The entries in the Action part are:

- s_i which means shift to state i
- r_i which stands for reduce by the j^{th} rule,
- accept
- error

The Goto part contains blank entries or state symbols.



The Driver Routine

- Initializes stack with *start* state. Calls scanner to get next token.
- Consults the parsing table and performs the action specified there.
- Parsing continues till either an error or accept entry is encountered.

top of stack	nexttoken	action	parsing action		
state j	а	si	push a ; push state i		
	a	rj	$rj: A \rightarrow \alpha;$ $length(\alpha) = r;$ $pop\ 2r$ symbols from stack; top of stack contains state $k;$ $goto[k, a] = cl;$ $push\ A;$ $push\ state\ l;$		
state j	\$	асс	successful parse; halt		
state j	а	err	error handling		

SLR(1) Parser

1.
$$E \rightarrow E+T$$
 2. $E \rightarrow T$
3. $T \rightarrow T*F$ 4. $T \rightarrow F$

3.	1	\rightarrow	1 * F	4.	ı	\rightarrow	r
5.	F	\rightarrow	(<i>E</i>)	6.	F	\rightarrow	id

	action					goto			
state	id	+	*	()	\$	Ε	T	F
0	<i>s</i> 5			<i>s</i> 4			<i>c</i> 1	<i>c</i> 2	<i>c</i> 3
1		<i>s</i> 6				acc			
2		r2	<i>s</i> 7		r2	r2			
3		r4	r4		r4	r4			
4	<i>s</i> 5			<i>s</i> 4			<i>c</i> 8	<i>c</i> 2	<i>c</i> 3
5		r6	<i>r</i> 6		r6	<i>r</i> 6			
6	<i>s</i> 5			<i>s</i> 4				<i>c</i> 9	<i>c</i> 3
7	<i>s</i> 5			<i>s</i> 4					c10
8		<i>s</i> 6			s11				
9		<i>r</i> 1	<i>s</i> 7		r1	r1			
10		r3	r3		<i>r</i> 3	r3			
11		<i>r</i> 5	<i>r</i> 5		<i>r</i> 5	<i>r</i> 5			