

# RRT - Rapidly-Exploring Random Trees

Tim Jagla, André Keuns, Anne Reich

Otto-von-Guericke-Universität Magdeburg

February 1, 2015

# Collision Free Path Planning

# Motivation

- path planning: find a path from location  $A$  to  $B$
- Example for path planning:
  - mobile robot inside a build
  - shall go to location  $XY$
- Example extension for collision free path planning:
  - avoiding walls and not falling stairs

# Simple Example

- Simple General Forward Search
  - State: Unvisited, Dead, Alive
  - Priority queue,  $Q$ , with the set of alive states
  - Start loop over  $Q$
  - In each while iteration check next state
    - It is the goal, is terminate
    - Otherwise, it tries applying every possible action

# Algorithms

- Other known collision free path planning algorithms
  - Breadth first
  - Deep first
  - Dijkstra's algorithm
  - A\*
  - Best First
  - Backward search
  - ...

# Principles

- Basic Ingredients of Planning
  - State
  - Input
  - Initial and goal states
  - A criterion: Feasibility and/or Optimality
  - a plan

# Rapidly-Exploring Random Trees

# Principles

- Grows a tree rooted at the starting configuration by using random samples from the search space
- As each sample is drawn, a connection is attempted between it and the nearest state in the tree
- If the connection is feasible, this results in the addition of the new state to the tree
- The probability of expanding an existing state is proportional to the size of its Voronoi region
  - As the largest Voronoi regions belong to the states on the frontier of the search = the tree preferentially expands towards large unsearched areas



# Notations

$X$  = metric space

$x_{init}$  = initale state

$X_{goal}$  = goal region,  $X_{goal} \subset X$

$C$  = configuration space of a rigid body or  
systems of bodies in a world

$T$  = RRT (Tree of vertices)

$T(C)$  = tanget bundle of the configuration space

$X_{obs}$  = obstacle region,  $X_{obs} \subset X$

$X_{free}$  = region without obstacles,  $X_{free} \subset X$

Each edge of the RRT will correspond to a path that lies entirely in

V

# General Procedure

- start with  $x_{init}$  and  $T$ , with  $K$  vertices
- in each iteration a random state,  $x_{rand}$ , is selected from  $X$
- find the closest vertex to  $x_{rand}$  with the terms of a distance metric
- select an input that minimizes the distance from closest vertex to  $x_{rand}$  and check that the state is in  $X_{free}$
- is it free, add this new state as a vertex to  $T$

# Nice Properties

- The expansion is heavily biased toward unexplored portions of the state space
- The distribution of vertices approaches the sampling distribution, leading to consistent behavior
- Is probabilistically complete under very general conditions
- The algorithm is relatively simple, which facilitates performance analysis

# Nice Properties

- It always remains connected, even though the number of edges is minimal
- Can be considered as a path planning module, which can be adapted and incorporated into a wide variety of planning systems
- Entire path planning algorithms can be constructed without requiring the ability to steer the system between two prescribed states, which greatly broadens the applicability of RRTs

# Challenges of our work

überlegung 2d -> 3d -> 6d / configuration space

# Pseudo Code

# Live Demo

graph aufbau vollständigen graphen

# Sources

- 1 Rapidly-Exploring Random Trees: A New Tool for Path Planning - Steven M. LaValle  
`http://coitweb.uncc.edu/~xiao/itcs6151-8151/RRT.pdf`  
(03.02.2015)
- 2 Planning Algorithms - Steven M. LaValle  
`http://planning.cs.uiuc.edu/` (03.02.2015)
- 3 `http://en.wikipedia.org/wiki/Rapidly_exploring_random_tree` (03.02.2015)



# Thank you for your attention