

Specific charge = charge / mass

Minimum energy for pair production is 2 lots of the rest energy

Threshold frequency = work function /  $h$

$e \times V_s$  = max kinetic,  $e$  is the charge of an electron and  $V_s$  is the stopping potential

Wave speed = distance / time

$\mu = M / L$ , mass per unit length = mass of string / length

Tension in investigating resonant frequency =  $mg$ ,  $m$  is the mass of the objects pulling on the string

Constructive interference occurs when the path difference is  $n\lambda$

Destructive interference occurs when the path difference is  $(n + \frac{1}{2})\lambda$

In double slit,  $\sin(\theta) = \text{path difference} / \text{slit separation}$

In double slit,  $\tan(\theta) = \text{fringe spacing} / \text{Distance between slit and screen}$

Weight =  $mg$

Momentum = mass  $\times$  velocity

Impulse = change in momentum

Extension = new length - original length

Energy per unit volume =  $\frac{1}{2} \times \text{stress} \times \text{strain}$

Energy = (current)  $\times$  (potential difference)  $\times$  (time) =  $(\text{current})^2 \times (\text{resistance}) \times (\text{time})$

Angular speed = (angle object turns through) / time

Kelvin = (degrees celsius) + 273

$pV = \text{constant}$ ,  $p$  is pressure and  $v$  is Volume (only valid if temperature is constant)

$V / T = \text{constant}$ ,  $V$  is volume and  $T$  is temperature (only valid if pressure is constant)

$p / T = \text{constant}$ ,  $p$  is pressure and  $T$  is temperature (only valid if volume is constant)

Work done = pressure  $\times$  (change in volume)

(time period of orbit)<sup>2</sup> is directly proportional to (radius)<sup>3</sup>

Escape velocity = square root of  $(2GM / r)$ ,  $G$  = gravitational constant,  $M$  = mass of planet

For capacitor charging,  $V = V_0(1 - e^{-t/RC})$

For capacitor charging,  $I = I_0 e^{-t/RC}$

For capacitor discharging (decay),  $V = V_0 e^{-t/RC}$

For capacitor discharging (decay),  $I_0(1 - e^{-t/RC})$  ask about this as I'm not sure

$N = nN_A$ ,  $N$  is number of atoms,  $N_A$  is avogadro constant,  $n$  is the the number of moles

$A = A_0 e^{-\lambda t}$ ,  $A$  is the activity,  $A_0$  is the activity at  $t = 0$

Average binding energy per nucleon = binding energy / nucleon number

$1/f = 1/u + 1/v$ ,  $f$  is focal length,  $u$  is the object to lens,  $v$  is lens to image  
(if  $v$  is negative then it is a virtual image)

Collecting power is directly proportional to (dish diameter)<sup>2</sup>

Intensity = power /  $(4 \times \pi \times d^2)$ ,  $d$  is the distance from star