

Probabilistic energy forecasting for smart grids and buildings

Rob J Hyndman

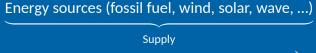
21 March 2017

## **Demand forecasting**

#### Demand forecasting in the smart grid



Figure: http://solutions.3m.com



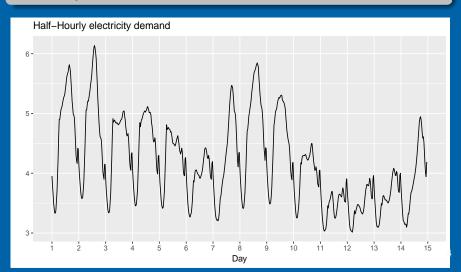
#### Demand forecasting in the smart grid

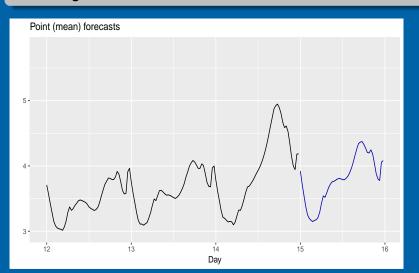
Need demand forecasts for outage planning, energy trading, demand response, system management, ...

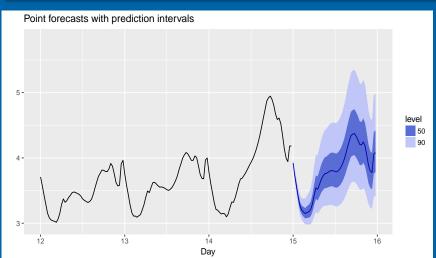
#### **Predictors**

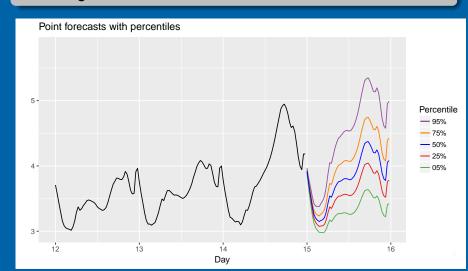
- calendar effects
  - Time of day
  - Day of week
  - Time of year
  - Holidays
- prevailing and recent weather conditions
- demand response incentives
- household characteristics

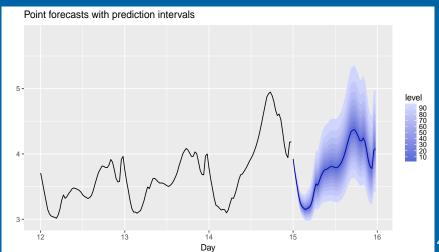
We build a nonlinear nonparametric stochastic model of demand as a function of these predictors.

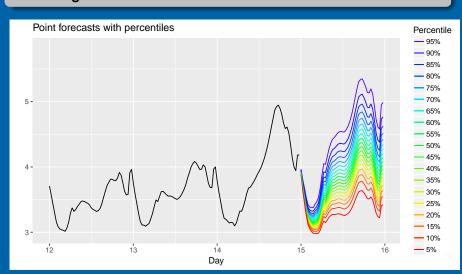


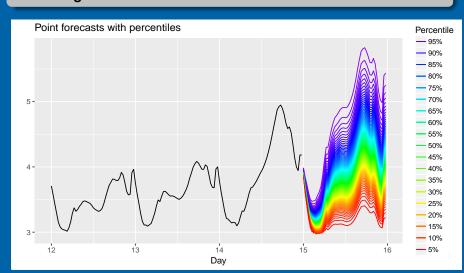


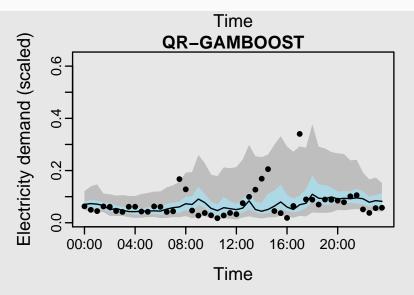












Half-hourly data. Blue: 50% region. Grey: 95% region.

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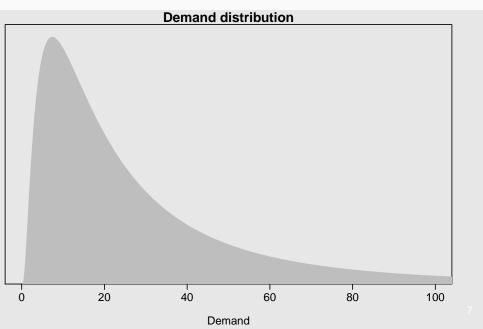
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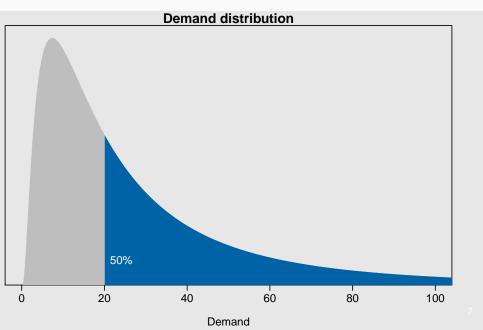
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- $q_t(p)$  = Percentile forecast of  $y_t$ , to be exceeded with probability 1-p.

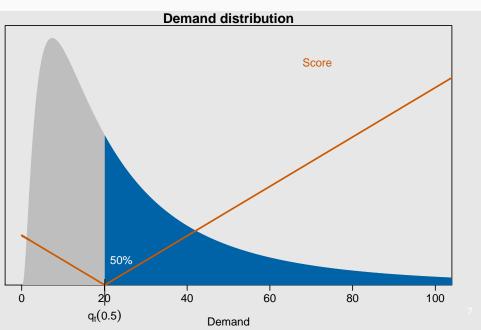
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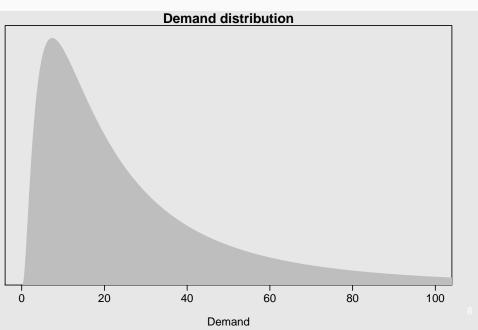
$$q_t(p)$$
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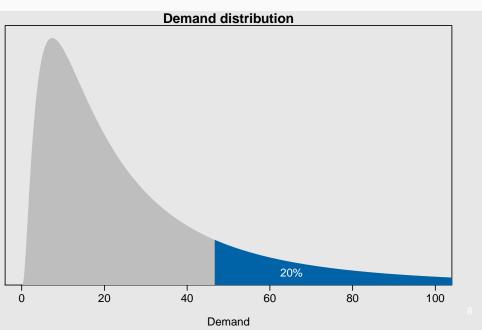
- If  $q_t(p)$  is accurate, then  $y_t$  should be less than  $q_t(p)$  about 100p% of the time.
- Need to penalize unlikely side more (a "pinball loss" function)

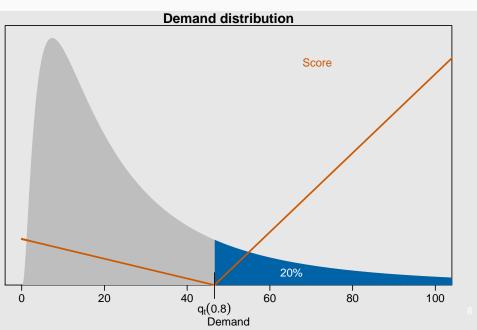


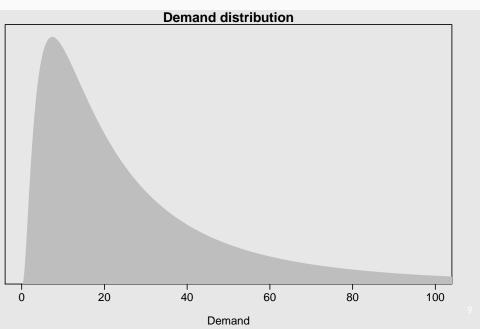


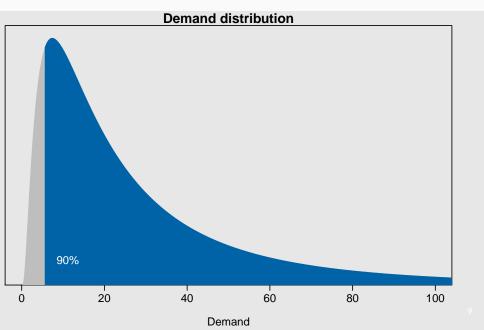


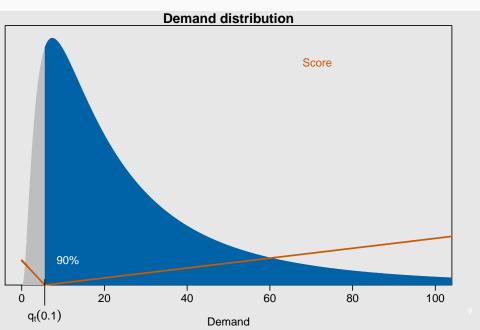












Quantile Score for observation y:

For 0 :

$$S(y_t, q_t(p)) = \begin{cases} p(y_t - q_t(p)) & \text{if } y_t \ge q_t(p) \\ (1 - p)(q_t(p) - y_t) & \text{if } y_t < q_t(p) \end{cases}$$

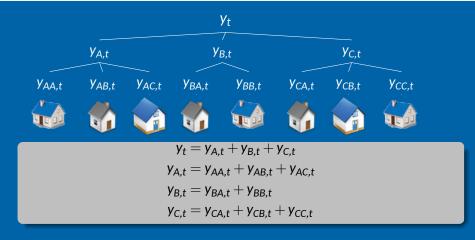
- Scores are averaged over all observed data for each p to measure the accuracy of the forecasts for each percentile.
- Average score over all percentiles gives the best distribution forecast:

$$QS = \frac{1}{99T} \sum_{p=1}^{99} \sum_{t=1}^{T} S(q_t(p), y_t)$$

- Equivalent to CRPS (Continuous Rank Probability Score).
- Reduces to MAE if we are only interested in p = 0.5.

# Hierarchical forecasting

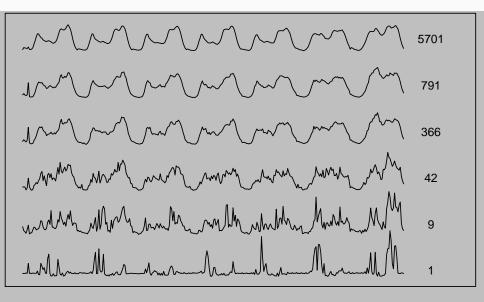
#### Hierarchical electricity demand data



#### Aggregations may be based on:

- Geography (suburbs, regions, states)
- Demography (number of people in household, age distributions)
- Appliances (air conditioning, electric heating)

#### Hierarchical electricity demand data



### **Hierarchical forecasting**



- Easier to forecast at more aggregated levels.
- We forecast at every level and reconcile the forecasts.
- Optimal reconcilation algorithm: Hyndman et al (2011, 2016, 2017)
- Forecast means should add up, but percentiles are more complicated
- Current research topic: How to reconcile percentiles at all levels?

## **Building-level energy forecasting**



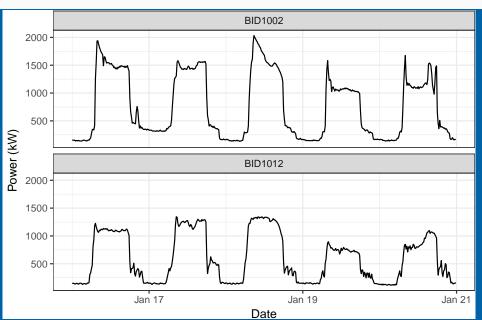
Commercial buildings require energy forecasting to help:

- Manage peak demand.
- Quantify the impacts of building management changes.
- Assess performance and energy efficiency.

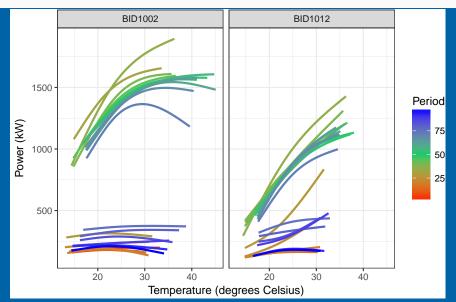
**Buildings Alive** works with 150+ commercial buildings which include supermarkets, hospitals and office blocks.

Each require daily forecasts to inform facilities managers.

## **Building Level Data**



#### **Building Level Data**



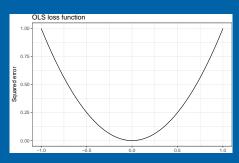
Natural cubic splines for each period of the day (df = 2).

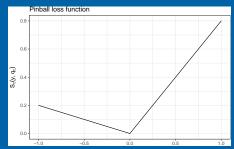
#### **Quantile Regression**

Probabilistic forecasts can be produced using quantile regression.

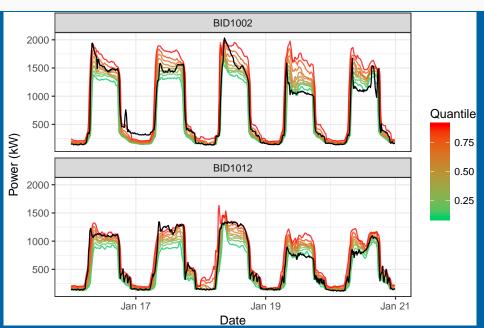
Use the pinball loss function:

$$S_p(y,q_p) = \begin{cases} p(y-q_p) & \text{for } y = q_p, \\ (1-p)(q_p-y) & \text{for } q_p > y. \end{cases}$$





### **Quantile Regression Forecasting**



#### **Assessing performance**

- Forecasting a full distribution allows facilities managers to better assess risks and take appropriate actions.
- Allows facilities managers to know the severity and probability of demand peaks.
- Can immediately assess if a building's performance was good compared to historical performance under similar conditions.

# Competitions, conferences and

resources

#### **GEFCom**

#### **Global Energy Forecasting Competitions**

- Organized by Professor Tao Hong (UNC)
- GEFCom 2012: Load, Wind Forecasting
- GEFCom 2014: Load, Price, Wind, Solar Forecasting
- GEFCom 2017: Hierarchical probabilistic forecasts, real-time, rolling origin.
- gefcom.org
- Winning entries published in International Journal of Forecasting.
- Huge improvements in forecast accuracy over previously published methods.

#### **International Symposium on Energy Analytics 2017**

#### Predictive Energy Analytics in the Big Data World

Proudly sponsored by International Institute of Forecasters June 22–23, 2017

Cairns, Australia

#### Featured speakers

- Yannig Goude, Electricite de France, France
- Rob J Hyndman, Monash University, Australia
- Pierre Pinson, Technical University of Denmark, Denmark
- Richard Povinelli, Marquette University, USA
- Rafal Weron, Wroclaw University of Technology, Poland
- Hamidreza Zareipour, University of Calgary, Canada
- Xun Zhang, Chinese Academy of Sciences, China

#### **International Symposium on Forecasting 2017**



#### Some resources

#### **Blogs**

- robjhyndman.com/hyndsight/
- blog.drhongtao.com/

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#### **Organizations**

- International Institute of Forecasters: forecasters.org
- IEEE Working Group on Energy Forecasting: linkedin.com/groups/ IEEE-Working-Group-on-Energy-4148276

## References

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