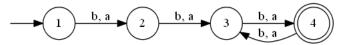
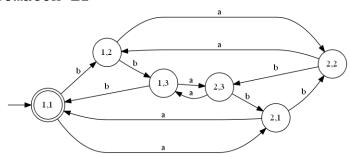
Given automatons:

Automaton L1:



Automaton L2:



Solution steps:

First, we will calculate -L2, beacause L3 = L1 \setminus L2 = L1 $^{\circ}$ -L2

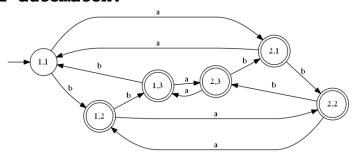
-L2 states are the same:

<1,1>, <1,2>, <1,3>, <2,1>, <2,2>, <2,3>

-L2 terminal states are:

<1,2>, <1,3>, <2,1>, <2,2>, <2,3>

-L2 automaton:



Resulting automaton's states are:

<1,1,1>, <1,1,2>, <1,1,3>, <1,2,1>, <1,2,2>, <1,2,3>, <2,1,1>, <2,1,2>, <2,1,3:

Terminal states are:

<4,1,2>, <4,1,3>, <4,2,1>, <4,2,2>, <4,2,3>

Transitions are:

1,1,1:

$$--(b) -> 2,1,2$$

$$--(a)-> 2,2,1$$

1,1,2:

$$--(b) -> 2,1,3$$

$$--(a)-> 2,2,2$$

1,1,3:

$$--(b)-> 2,1,1$$

$$--(a)-> 2,2,3$$

1,2,1:

$$--(b)-> 2,2,2$$

- --(a)-> 2,1,1
- 1,2,2:
 - --(b)-> 2,2,3
 - --(a)-> 2,1,2
- 1,2,3:
 - --(b) -> 2,2,1
 - --(a) -> 2,1,3
- 2,1,1:
- --(b)-> 3,1,2
- --(a) -> 3,2,1
- 2,1,2:
- --(b) -> 3,1,3
- --(a) -> 3,2,2
- 2,1,3:
 - --(b)-> 3,1,1
- --(a)->3,2,3
- 2,2,1:
- --(b)-> 3,2,2
- --(a) -> 3,1,1
- 2,2,2:
 - --(b)-> 3,2,3
 - --(a)-> 3,1,2
- 2,2,3:
 - --(b) -> 3,2,1
 - --(a)-> 3,1,3
- 3,1,1:
 - --(b)-> 4,1,2
 - --(a) -> 4,2,1
- 3,1,2:
 - --(b)-> 4,1,3
- --(a)->4,2,2
- 3,1,3:
 - --(b) -> 4,1,1
 - --(a) -> 4,2,3
- 3,2,1:
 - --(b)-> 4,2,2
 - --(a) -> 4,1,1
- 3,2,2:
 - --(b)-> 4,2,3
 - --(a)->4,1,2
- 3,2,3:
 - --(b) -> 4,2,1
 - --(a)->4,1,3
- 4,1,1:
 - --(b)-> 3,1,2
- --(a) -> 3,2,1
- 4,1,2:
 - --(b)-> 3,1,3
 - --(a)-> 3,2,2

--(a)-> 3,1,3

Result L1 \ L2 = L3:

