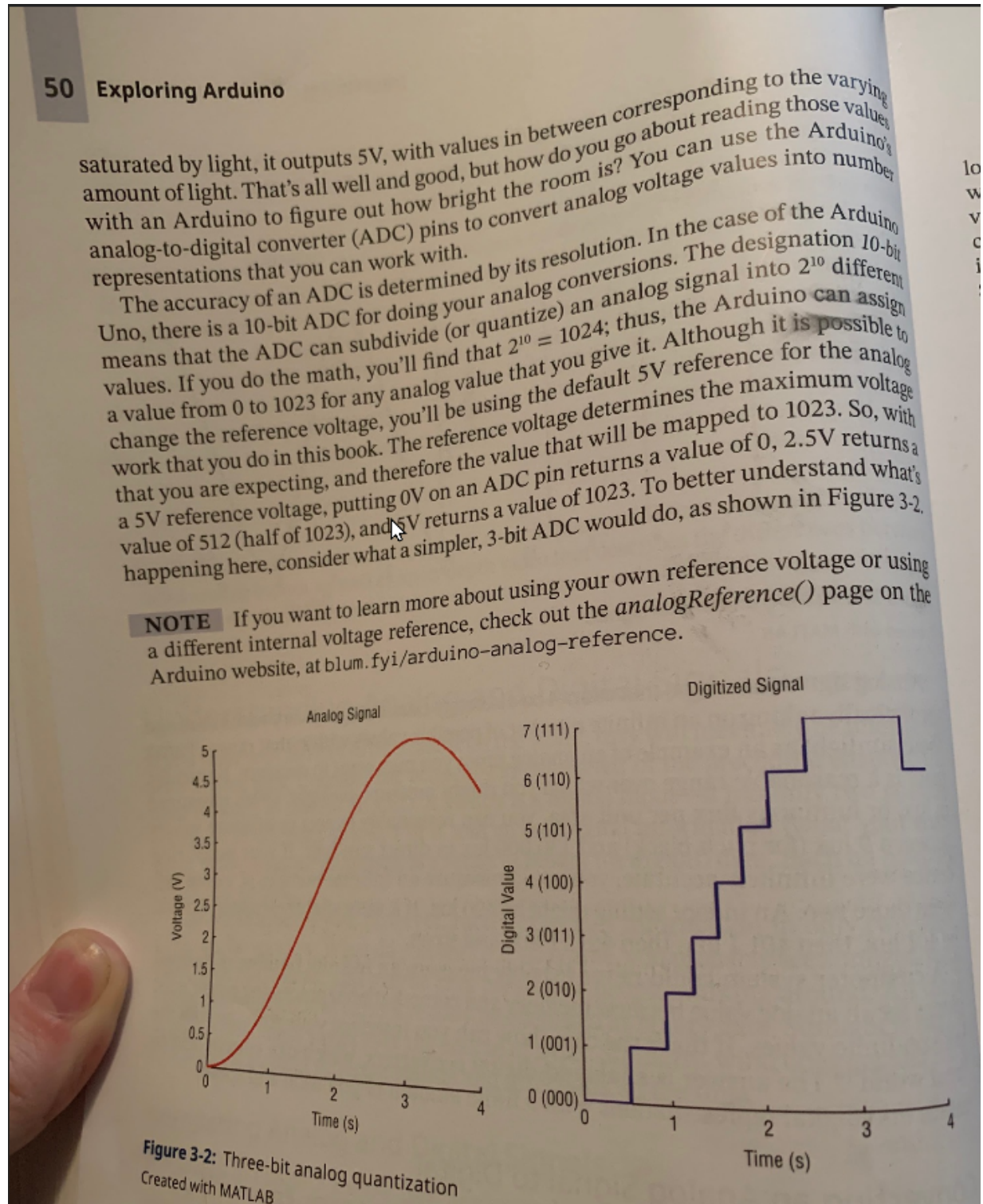
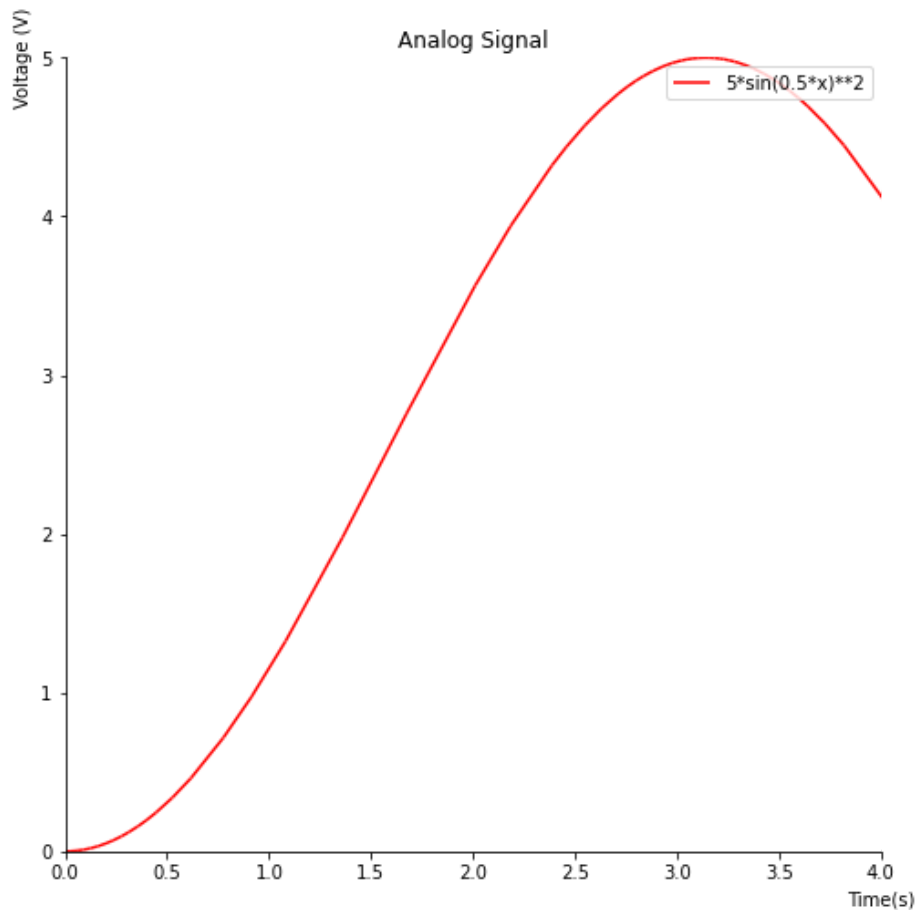


```
In [17]: # picture from Jeremy Blum's book "Exploring Arduino" 2nd edition Page 50
from IPython.display import Image
from IPython.core.display import HTML
Image(url= "https://i.imgur.com/K6pJCwd.png")
```

Out[17]:

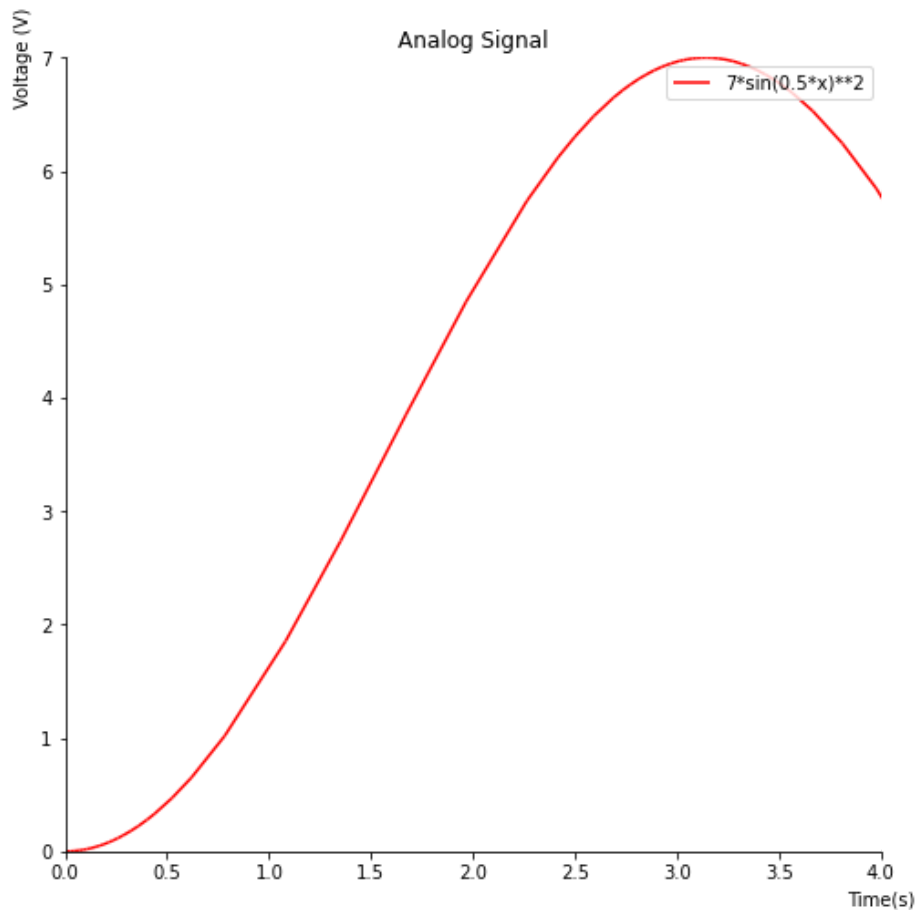


```
In [13]: # through trial and error we find that 5*sin(0.5*x)**2 is very close to Blum's g
# the problem is that I could not figure out how to get the same amount of steps
# But with 7*sin(0.5*x)**2 then making the digital signal graph starts looking l
from sympy import *
x = symbols('x')
eq0 = 5*sin(0.5*x)**2
p = plot(eq0, legend = True, xlim = (0,4), ylim = (0,5), title="Analog Signal", xlabel=
p.show()
```



```
In [14]: # What is unique here to my work was reverse engineering the graphs of Jeremy Blum
#
# Languages: Python Object Oriented Programming Language, Sympy (symbolic mathem
#           and Jupyter Notebook web-based Integrated Development Environment (IDE)
# https://docs.sympy.org/
# https://python.org/
# https://jupyter.org/
#
# referencing Jeremy Blum's "Exploring Arduino" - 2nd edition P.50 for the idea
# thank you Andrew F. Rich for help with digital function notation
eq = 7*sin(0.5*x)**2
p = plot(eq, legend = True, xlim = (0,4), ylim = (0,7), title="Analog Signal", xlabel=
p.show()

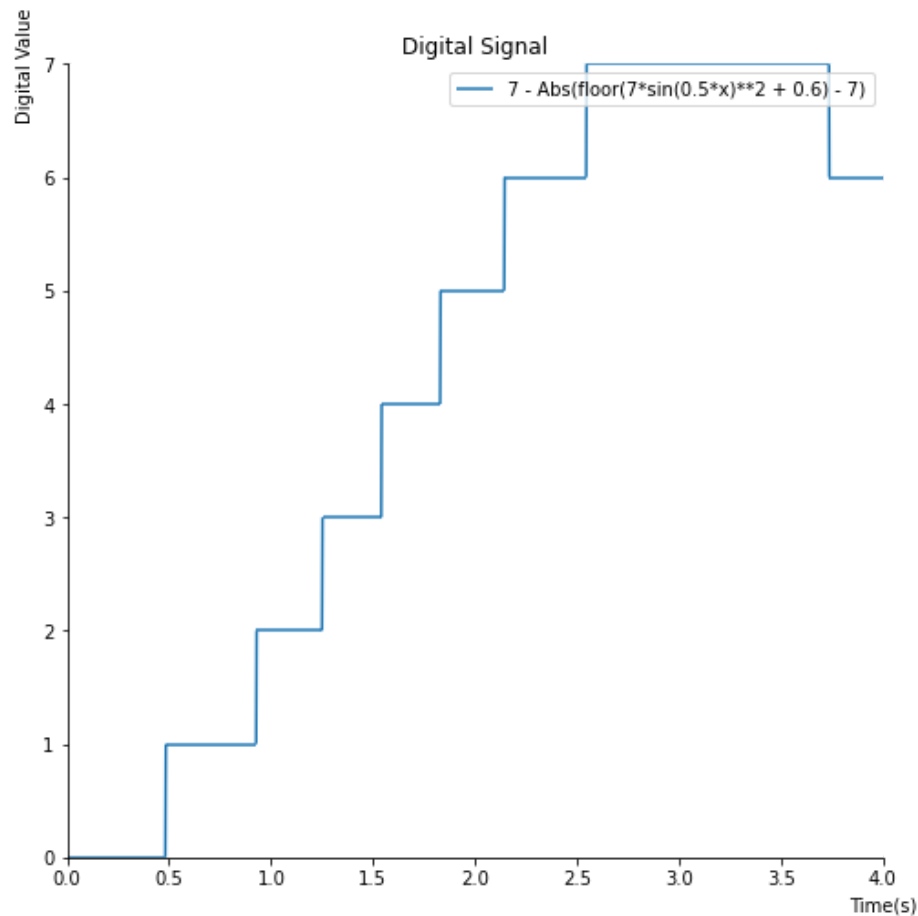
# here we continually guessed values for some sine equation to look similar to P
# The differing aspect ratios of the images can make the sine wave function look
#
# notice our y-axis is different (mine has 7 versus Blum's 5)
# this is because I don't know how to get digital function to graph the 7 or
```



```
In [8]: # notice here we use the previous 7*sin(0.5*x)**2 (variable: eq) as an input for
eq2 = ((7 - Abs(floor((eq+0.6)) - 7)))
```

```
p = plot(eq2, legend = True, xlim = (0,4), ylim = (0,7), title="Digital Signal", xla
p.show()
```

```
# here we also reverse engineered Blum's digital value graph approximately
```



In [ ]: Digital Value of range [0,7] translated to 3-bit ADC would be

```
7 == 111
6 == 110
5 == 101
4 == 100
3 == 011
2 == 010
1 == 001
0 == 000
```

also important to note that 3-bit ADC means the ADC can quantize analog signals so a 10-bit ADC can do  $2^{10}$  or 1024 representations. In these 3-bit graphs, you are **from** a 5 volt supply. (although I had to use 7 volts to graph Blum's digital signal)

In my personal case using the Arduino Metro microcontroller, a 5V regulator can supply peak ~800mA **as long as** the die temp of the regulator is below 125°C using <https://www.rapidtables.com/calc/electric/ohms-law-calculator.html> that means we have:

```
Resistance (R) = 6.25 ohms
Current (I) = 800 milliamps (mA)
Voltage (V) = 5 Volts (V)
Power (P) = 4 watts(W)
```

In [15]: eq # Analog Signal Function

Out[15]:  $7 \sin^2(0.5x)$

In [16]: eq2 # Digital Signal Function

Out[16]:  $7 - \left| \left| 7 \sin^2(0.5x) + 0.6 \right| - 7 \right|$

In [ ]: **in** conclusion, **with**  $5 \sin(0.5x)^2$  I had trouble getting the stepwise function but **with**  $7 \sin(0.5x)^2$  the digital graph looks more like Blum's. So in reverse I was able to get either the Analog graph correct **and** Digital graph incorrect **or** **and** digital graph correct.

In [ ]: special thanks to Robin R Mitchell **for** ideas about low level binary machine translation  
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