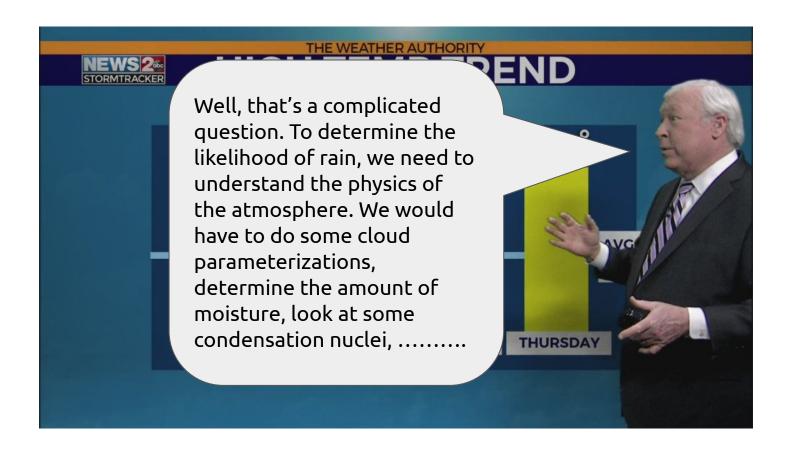
# Introduction to Supervised Learning



You look outside and it looks like this:

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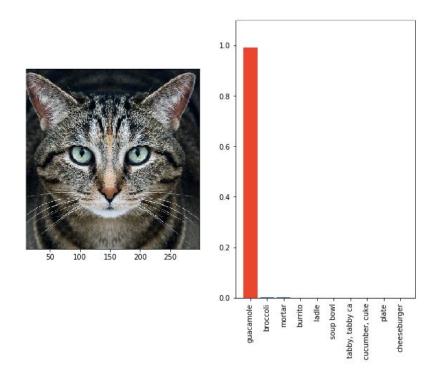
You look outside and it looks like this:



You look outside and it looks like this:



**Moral:** Given a good set of predictor variables and enough "experience" (training data), we can often make good predictions.



EXCLUSIVE

STAT+

IBM's Watson supercomputer recommended 'unsafe and incorrect' cancer treatments, internal documents show





By Casey Ross ♥ and Ike Swetlitz July 25, 2018

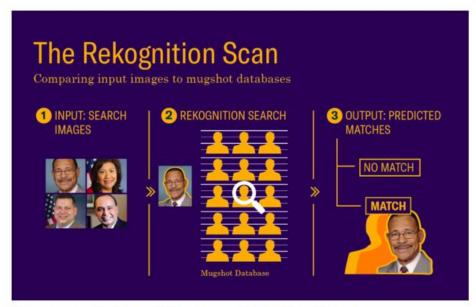
Reprints

# Amazon ditched AI recruiting tool that favored men for technical jobs

Specialists had been building computer programs since 2014 to review résumés in an effort to automate the search process

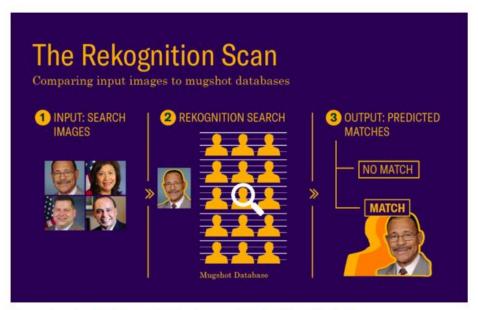


https://www.theguardian.com/technology/2018/oct/10/amazon-hiring-ai-gender-bias-recruiting-engine

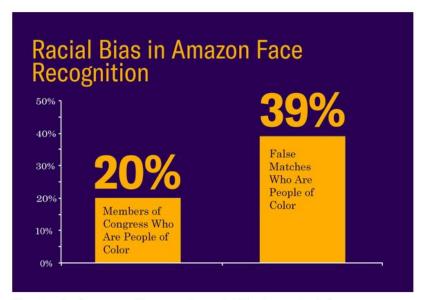


Rep. Sanford Bishop (D-Ga.) was falsely identified by Amazon Rekognition as someone who had been arrested for a crime.

https://www.aclu.org/blog/privacy-technology/surveillance-technologies/amazons-face-recognition-falsely-matched-28

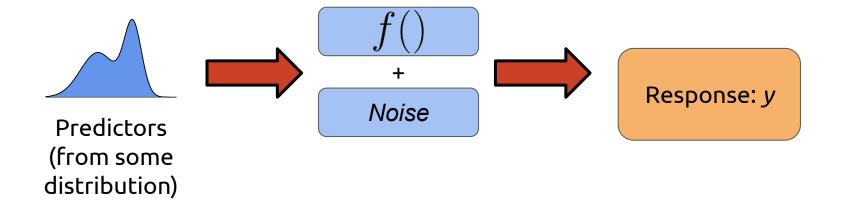


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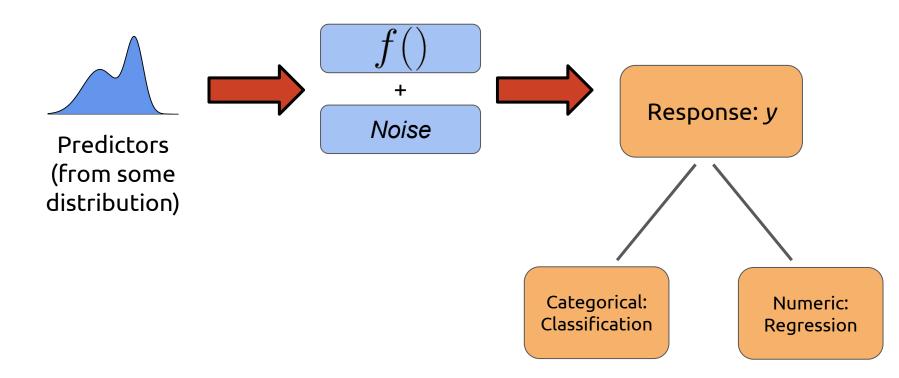


People of color were disproportionately falsely matched in our test.

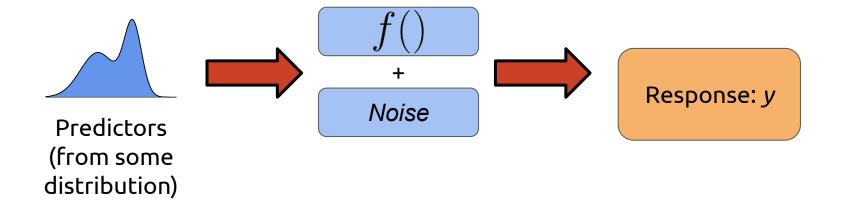
# Supervised Learning - Setup



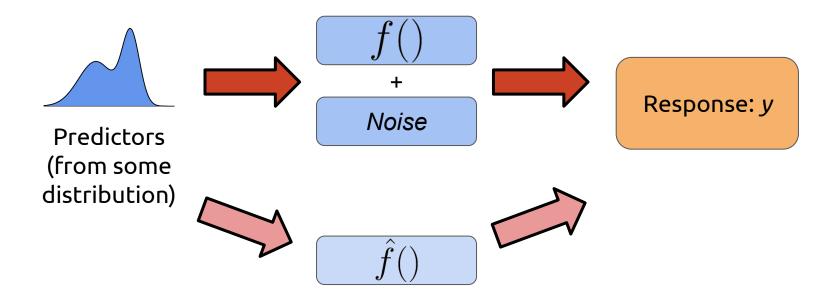
# Supervised Learning - Setup



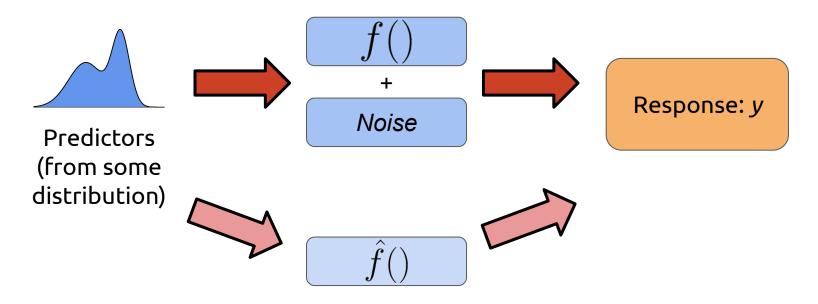
# Supervised Learning - Setup



# Supervised Learning - Goals

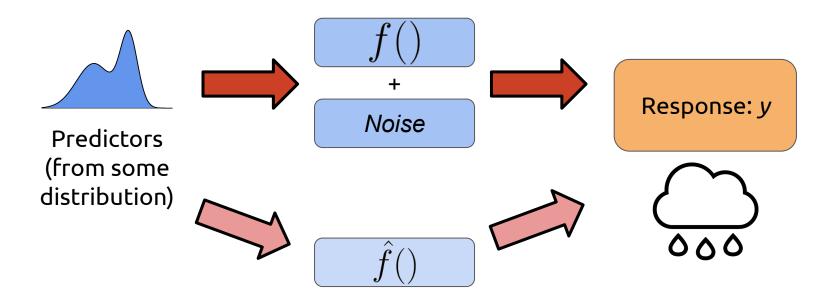


#### Supervised Learning - Goals

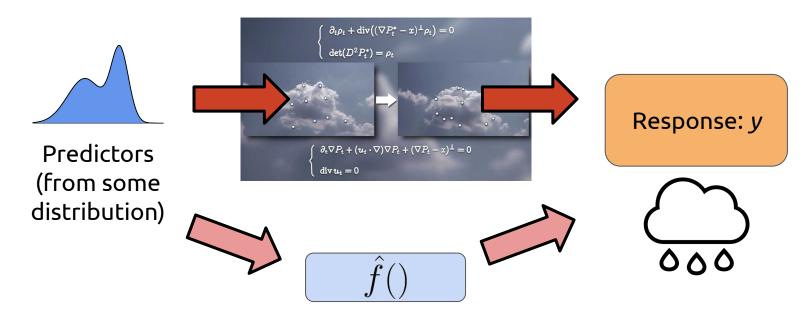


**Goal:** Choose a function so that the our predictions are close (on average) to the true values.

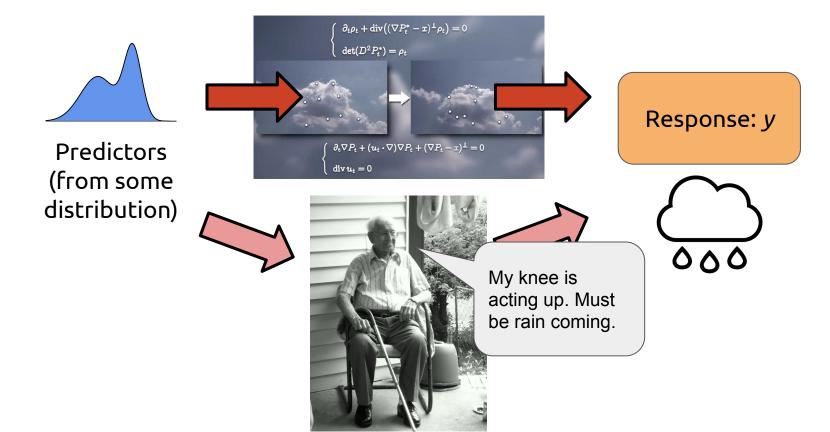
# Supervised Learning - Grossly Oversimplified



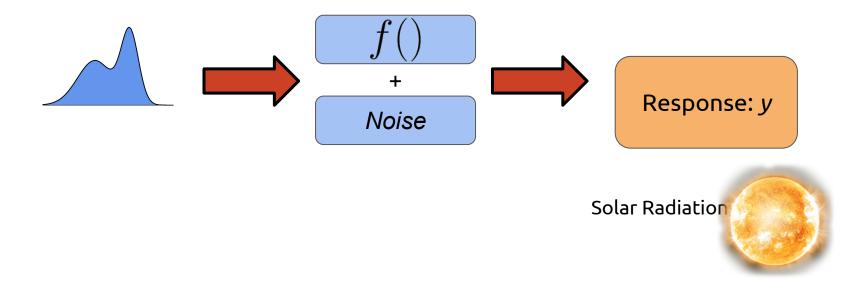
#### Supervised Learning - Grossly Oversimplified



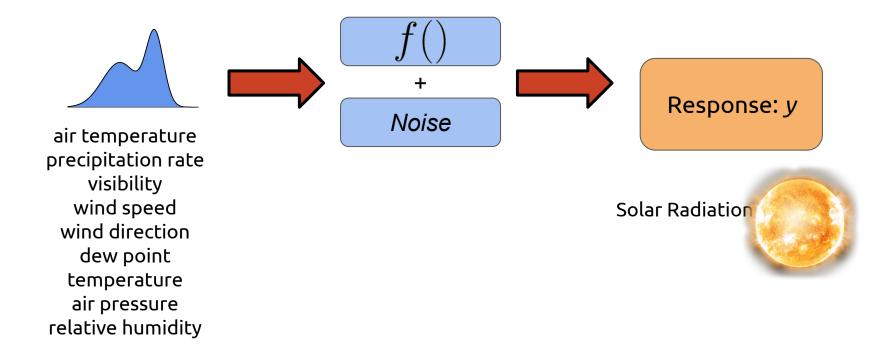
# Supervised Learning - Grossly Oversimplified



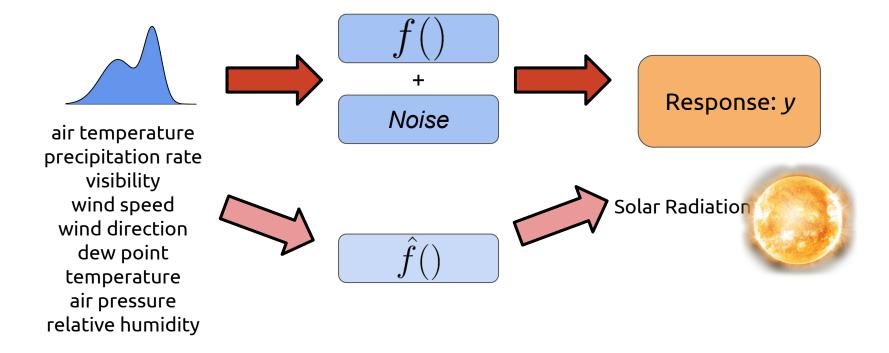
#### **Example - Weather Prediction**



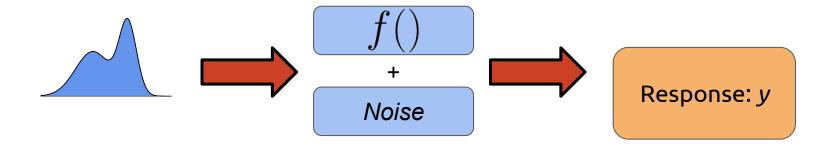
#### **Example - Weather Prediction**



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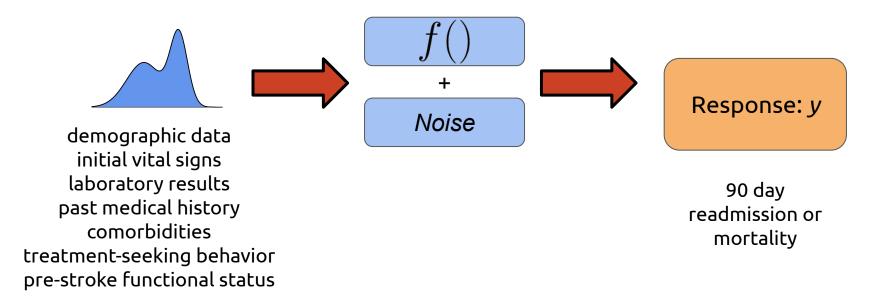


#### Example - Readmission or Death of Stroke Patients

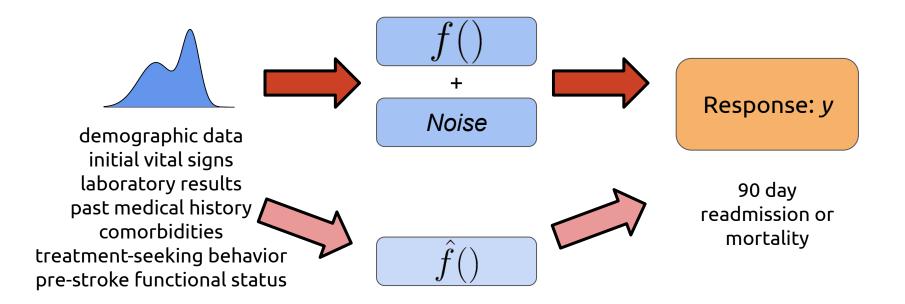


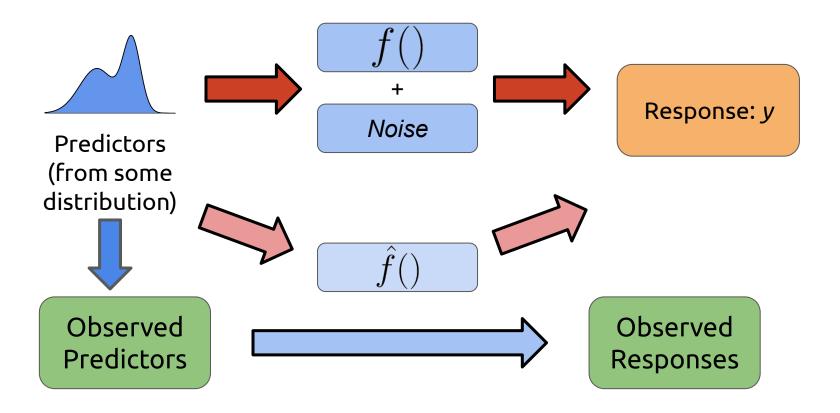
90 day readmission or mortality

#### Example - Readmission or Death of Stroke Patients



#### Example - Readmission or Death of Stroke Patients





# Supervised Learning - Goals

To measure how "good" our model is, we need some way to measure "error" (eg. mean squared error).

Our goal is to minimize the expected loss over *new* data.

**Important:** We are not trying to minimize loss over the observed data (which is often very easy to do), but to minimize the *generalization error* - the performance on unseen data.

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**Linear regression** use a particularly simple functional form to make predictions - a weighted sum of the predictor variables.

Given k predictors  $x^{(1)}$ ,  $x^{(2)}$ ,..., $x^{(k)}$ , linear regression uses the following equation to predict the target variable:

$$\hat{f}(\vec{x}) = \beta_0 + \beta_1 x^{(1)} + \beta_2 x^{(2)} + \dots + \beta_k x^{(k)}$$

Here,  $\beta_0$ ,  $\beta_1$ ,..., $\beta_k$  are constants that are determined by using the available training data.

**Example:** We might want to try and predict home price (our target) based on square footage (sqft), number of bedrooms (br), and number of floors (floors).

The model we will use to make predictions will look like:

$$\hat{f}(\vec{x}) = \beta_0 + \beta_1 \cdot (\text{sqft}) + \beta_2 \cdot (\text{br}) + \beta_3 \cdot (\text{floors})$$

**Example:** We might want to try and predict home price (our target) based on square footage (sqft), number of bedrooms (br), and number of floors (floors).

The model we will use to make predictions will look like:

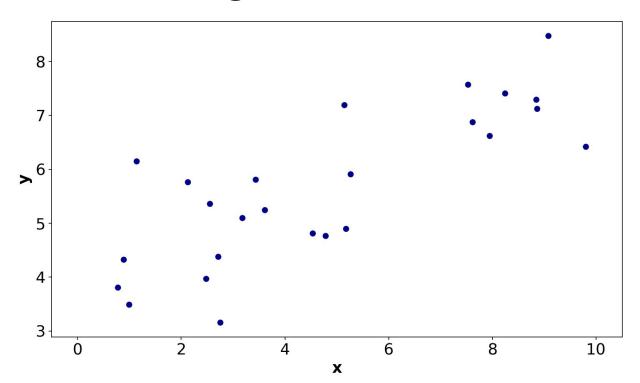
$$\hat{f}(x) = 40000 + 180 \cdot (\text{sqft}) + 15000 \cdot (\text{br}) + 30000 \cdot (\text{floors})$$

How do we find the values for the coefficients?

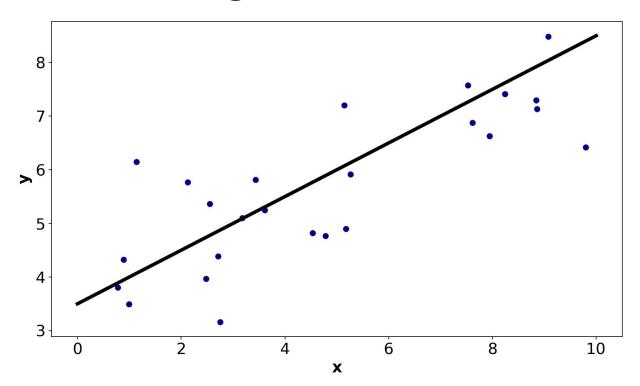
How do we find the values for the coefficients?

The usual way to do it is to minimize the total squared residuals between the predicted and actual values for the data used to fit/train the model.

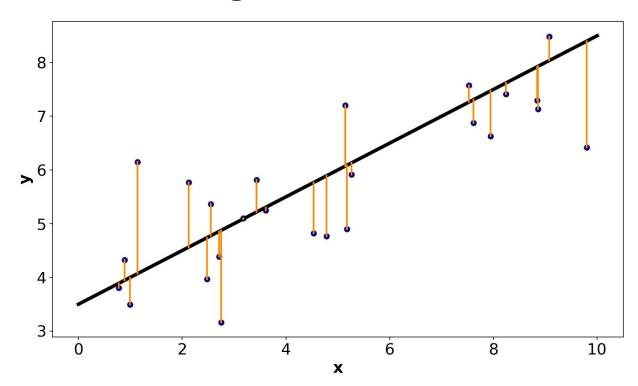
$$RSS = \sum_{i=1}^{n} (y_i - \hat{f}(\vec{x}_i))^2$$



**Example:** Let's say we have this data available. We want to predict *y* based on our one predictor, *x*.



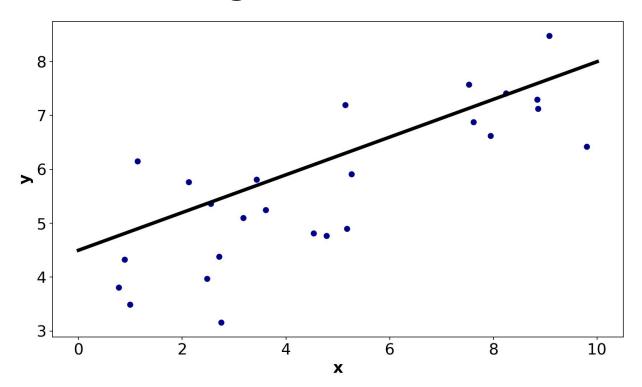
One possible line: y = 3.5 + 0.5x



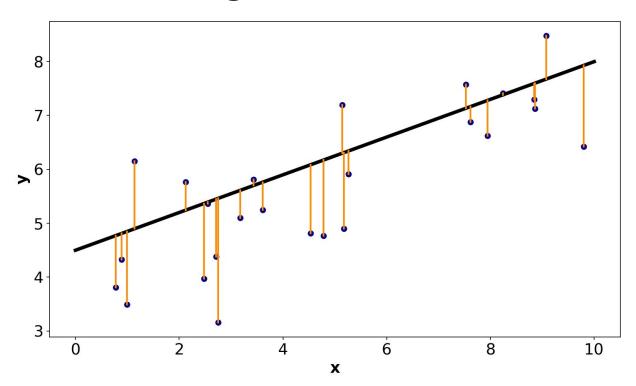
One possible line:

$$y = 3.5 + 0.5x$$

For this line, RSS = 20.36

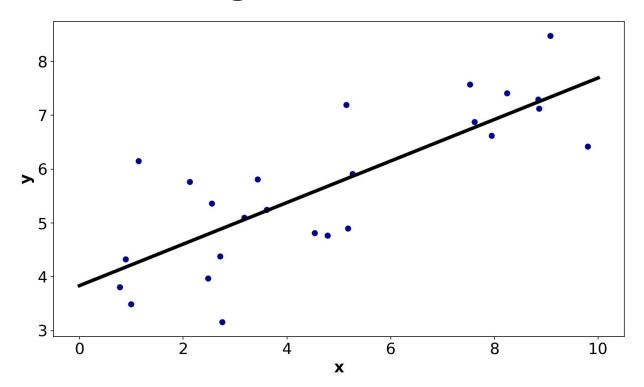


Another possibility: y = 4.5 + 0.35x

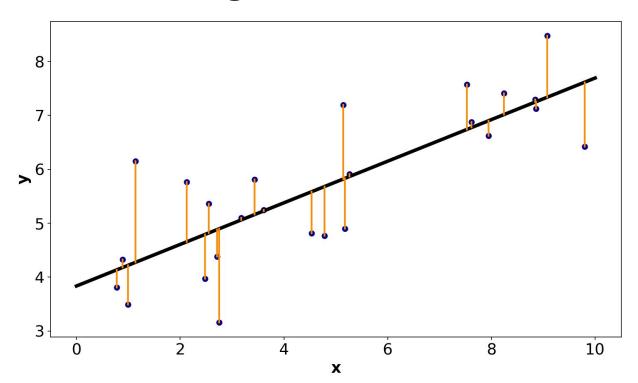


Another possibility: y = 4.5 + 0.35x

Here, RSS = 24.28

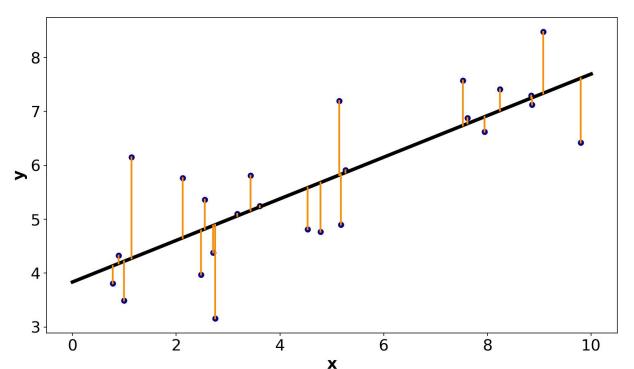


The best possible: y = 3.84 + 0.386x



The best possible: y = 3.84 + 0.386x

Here, RSS = 17.97



For the best-fitting line, the average (absolute) residual is equal to 0.67.

Can we expect that on new data generated by the same process, we will be off on average by 0.67 still?