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Let's make these two look more like the third one.

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P(k heads on n flips) = $\binom{n}{k} \cdot (0.5)^k \cdot (1-0.5)^{\square}$

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Question: What changes if the coin is bent, so that P(H) = 0.7?

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Question: What changes if the coin is bent, so that P(H) = 0.7?

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P(k heads on n flips) = $\binom{n}{k} \cdot (0.7)^k \cdot (1 - 0.7)^{n-k}$

More generally,

P(k heads on n flips) = $\binom{n}{k} \cdot P(H)^k \cdot (1 - P(H))^{n-k}$

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