

Generative Adversarial Nets

Author: Zhang Xiaozheng Date:2019/11

Unlike some DNN or CNN which is used to do prediction or classification, Generative Model is used to generate data which is just looks like true data. At first, I didn't understand its application, but after see some articles, I find the Generative Model do have many applications, which is:

- When we face the case that our data set have many incomplete data, we need to handle these incomplete data to full fill our training.
- If we have some unclear photo, we can use generative model to generate a clear photo.
- We can use generative model to generate human voice.

So in this passage, the author propose a new theory to generate Generative model which is Generative Adversarial Nets.

To explain it clearly, we can take an example. Imagine that you are a counterfeiter, trying to produce fake currency and use it without detection. While the police is trying to analysis the fake currency in real currency. As for Generative Adversarial Nets, we define a generative model G and a discriminate model D. What G does is just like a counterfeiter and D is the police.

We use \mathbf{x} to represent the real data which obeys distribution $p_{data}(\mathbf{x})$, \mathbf{z} to represent the noise which obeys distribution $p_z(\mathbf{z})$. $G(\mathbf{z}|\theta_g)$ mapping \mathbf{z} to real data \mathbf{x} which obeys distribution $p_g(\mathbf{x})$. And what $D(\mathbf{x})$ outputs is the probability that \mathbf{x} is from real data or fake data. The higher $D(\mathbf{x})$ outputs the more likely \mathbf{x} is from real data.

So D's goal is to maximize:

$$E_{\mathbf{x} \sim p_{data}} [\log(D(\mathbf{x}))]$$

What's more we also want to minimize $D(G(\mathbf{z}))$, to let the goal all be to maximize some equation. We rewrite our function like:

$$E_{\mathbf{z} \sim p_z} [\log(1 - D(G(\mathbf{z})))]$$

At the same time, what G want to do is to minimize last equation. So we can rewrite our function:

$$\min_G \max_D V(G, D) = E_{\mathbf{x} \sim p_{data}} [\log(D(\mathbf{x}))] + E_{\mathbf{z} \sim p_z} [\log(1 - D(G(\mathbf{z})))]$$

It just like G and D are playing minimax game.

The prove is in another PDF.