20250420 01

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[62]: # Creating the DataFrame
      import pandas as pd
      data = {'student_id': ['S01', 'S02', 'S03', 'S04', 'S05', 'S06', 'S07', 'S08', _
       'math_score': [80, 92, 70, 88, 60, 95, 75, 85, 66, 78],
              'english_score': [78, 85, 75, 90, 65, 93, 68, 88, 70, 80],
              'gender': ['F', 'M', 'F', 'M', 'F', 'M', 'F', 'M', 'F', 'M'],
              'school_type': ['Public', 'Private', 'Public', 'Private', 'Private',
                             'Public', 'Private', 'Public', 'Public', 'Private'],
              'final_score': [82, 94, 73, 92, 62, 97, 76, 90, 68, 81]}
      df = pd.DataFrame(data)
[64]: # Feature engineering
      num_cols = ['math_score', 'english_score']
      cat_cols = ['gender', 'school_type']
      # Checking if any potential problems
      {col: df[col].unique() for col in cat_cols}
[64]: {'gender': array(['F', 'M'], dtype=object),
       'school_type': array(['Public', 'Private'], dtype=object)}
[66]: # Preprocessing
      from sklearn.preprocessing import StandardScaler, OneHotEncoder
      from sklearn.compose import ColumnTransformer
      preprocessor = ColumnTransformer([('num', StandardScaler(), num_cols),
                                        ('cat', OneHotEncoder(drop = 'first'),
       ⇔cat_cols)])
[68]: # Cleaning the data and making training/test sets
      from sklearn.model_selection import train_test_split
      X = df.drop(columns = ['student_id', 'final_score'])
      y = df['final_score']
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X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.3, ___
       →random_state = 42)
[70]: # Creating pipelines : Linear Regression and Decision Tree
      from sklearn.pipeline import Pipeline
      from sklearn.linear_model import LinearRegression
      from sklearn.tree import DecisionTreeRegressor
      # Linear Regression
      pipe_lr = Pipeline([('preprocessing', preprocessor),
                          ('model', LinearRegression())])
      # Decision Tree
      pipe_tree = Pipeline([('preprocessing', preprocessor),
                            ('model', DecisionTreeRegressor(random_state=42))])
[72]: # Trainging
      pipe_lr.fit(X_train, y_train)
      pipe_tree.fit(X_train, y_train)
      # Predicting
      y_pred_lr = pipe_lr.predict(X_test)
      y_pred_tree = pipe_tree.predict(X_test)
[74]: # Evaluating
      from sklearn.metrics import mean_absolute_error, root_mean_squared_error, u
       ⊶r2_score
      # Linear Regression
      mae_lr = mean_absolute_error(y_test, y_pred_lr)
      rmse_lr = root_mean_squared_error(y_test, y_pred_lr)
      r2_lr = r2_score(y_test, y_pred_lr)
      # Decision Tree
      mae tree = mean absolute error(y test, y pred tree)
      rmse_tree = root_mean_squared_error(y_test, y_pred_tree)
      r2_tree = r2_score(y_test, y_pred_tree)
      # Printing the results
      print("Linear Regression")
      print("MAE:", mae_lr)
      print("RMSE:", rmse_lr)
      print("R2:", r2_lr)
      print("\nDecision Tree")
      print("MAE:", mae_tree)
      print("RMSE:", rmse_tree)
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print("R2:", r2_tree)
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Linear Regression

MAE: 1.2464561969668135 RMSE: 1.4534331865384456 R²: 0.987541145314822

Decision Tree

MAE: 4.6666666666667 RMSE: 5.0990195135927845 R²: 0.8466579292267365

In the baseline model using original features (math_score, english_score, gender, school_type), the Linear Regression model outperformed the Decision Tree with an MAE of 1.25 vs 4.67 and an R² of 0.99 vs 0.85. This suggests that the relationship between features and final_score is largely linear and well captured by a regression line.

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[77]: # Introducing new features
      df['avg_score'] = (df['math_score'] + df['english_score'])/2
      df['score_diff'] = df['math_score'] - df['english_score']
      num_cols_new = ['avg_score', 'score_diff']
      # New training and test sets
      X_new = df.drop(columns=['student_id', 'final_score'])
      y_new = df['final_score']
      X train new, X test new, y train new, y test new = train test split(X new, )
       \rightarrowy new, test size = 0.3, random state = 42)
      # New ColumnTransformer
      preprocessor_new = ColumnTransformer([('num', StandardScaler(), num_cols_new),
                                             ('cat', OneHotEncoder(drop = 'first'), __

cat cols)])
      # New LinearRegression pipeline
      pipe_lr_new = Pipeline([('preprocessing', preprocessor_new),
                               ('model', LinearRegression())])
      # New DecisionTree pipeline
      pipe_tree_new = Pipeline([('preprocessing', preprocessor_new),
                                 ('model', DecisionTreeRegressor(random_state=42))])
      # Training new models
      pipe lr new.fit(X train new, y train new)
      pipe_tree_new.fit(X_train_new, y_train_new)
      # Predicting with new models
      y_pred_lr_new = pipe_lr_new.predict(X_test_new)
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y_pred_tree_new = pipe_tree_new.predict(X_test_new)
# Evaluating new models
# Linear Regression
mae_lr_new = mean_absolute_error(y_test_new, y_pred_lr_new)
rmse_lr_new = root_mean_squared_error(y_test_new, y_pred_lr_new)
r2_lr_new = r2_score(y_test_new, y_pred_lr_new)
# Decision Tree
mae_tree_new = mean_absolute_error(y_test_new, y_pred_tree_new)
rmse_tree_new = root_mean_squared_error(y_test_new, y_pred_tree_new)
r2_tree_new = r2_score(y_test_new, y_pred_tree_new)
print("Linear Regression (new features)")
print("MAE:", mae_lr_new)
print("RMSE:", rmse_lr_new)
print("R2:", r2_lr_new)
print("\nDecision Tree (new features)")
print("MAE:", mae_tree_new)
print("RMSE:", rmse_tree_new)
print("R2:", r2_tree_new)
```

Linear Regression (new features)

MAE: 1.246456196966804 RMSE: 1.4534331865384358 R²: 0.9875411453148221

Decision Tree (new features)

MAE: 4.6666666666667 RMSE: 5.0990195135927845 R²: 0.8466579292267365

After testing an alternative feature design using avg_score and score_diff, we found that the models performance remained unchanged. This is expected since these derived features are linear transformations of the original inputs (math_score, english_score) and do not provide additional predictive power. The linear model remains highly effective, with R^2 0.99.