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SQ 4.1

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Instructions: Though calculators can be used for the entire daily question, all problems require you to show your work. Any answer without proper justification will receive <u>ZERO</u> credit. Only <u>EXACT</u> answers will receive full credit unless otherwise noted.

1. Given
$$g(x) = \frac{1}{4}x^4 + \frac{1}{3}x^3 - 4x^2 - 12x + 7$$
 on [-4, 5], determine

a) The critical points

$$g'(x) = \chi^3 + \chi^2 - 8\chi - 1\lambda$$
 $O = \chi^3 + \chi^2 - 8\chi - 1\lambda$
 $O = (\chi^2 - \chi - 6)(\chi + 2)$
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c) The absolute extrema values and where they occur

local max of 332/3 9-1 =-4

$$\frac{(-4)^{3}}{4} + \frac{(-4)^{3}}{3} - 4(-4)^{3} - 12(-4) + 7 + \frac{5^{9}}{4} + \frac{5^{3}}{7} - 4(5)^{7} - 12(5) + 7$$

$$64 - \frac{1}{3} - 64 + 48 + 7 + \frac{156}{4} + 41\frac{2}{3} - 160 - 60 + 7$$

$$33^{2}/3 + \frac{1}{12}$$

$$465 \text{ oluke max of } 44\frac{11}{12} \text{ at } x = 5$$

$$465 \text{ oluke min of } -35\frac{2}{3} \text{ at } x = 7$$

2. Given
$$h(x) = \frac{\ln x}{x}$$
, determine $2 \neq 6$

a) The critical points

$$h'(\alpha) = \frac{x}{x} - \ln x$$

$$h'(\alpha) = \frac{1 - \ln x}{\sqrt{x^2}}$$

$$0=1-lnx$$

 $1=lnx$ him unlef
 $x=0$
 $x=e$

b) The local extrema values and where they occur

c) The absolute extrema values and where they occur