

COP 5537 ASSIGNMENT #2

1 Pseudocode for Fleury's Algorithm

Algorithm 1 Fleury's Algorithm (Adjacency matrix A, Vertex start, node_count)

```
1:  $V \leftarrow \{v_1, v_2, \dots, v_n\}$  ▷ Set of vertices
2:  $vertex\_count \leftarrow node\_count$  ▷ Assign current number of vertices in graph A
3:
4: for  $v \leftarrow 0$  to  $n$  do
5:   if  $A[start][v]$  then ▷ Checks if edge (start, v) exists
6:      $visited\_nodes \leftarrow 0$  ▷ Initialize all vertices as non-visited
7:
8:      $A[start][v] = A[v][start] = 0$  ▷ Temporarily removing edge (start, v) to check if graph gets disconnected
9:      $visited\_count = Prims(A, n, v, visited\_nodes)$  ▷ Counting number of connected vertices using Prim's algorithm
10:    if  $abs(vertex\_count - visited\_count) \leq 1$  then ▷ Removing edge (start, v) will not separate A into two disconnected sets of edges
11:       $print\ edge\ (start, v)$ 
12:
13:      if  $Bridge\_edge(start, v)$  then ▷ Edge (start,v) is bridge edge
14:         $vertex\_count = vertex\_count - 1$  ▷ Decrease vertex count by 1
15:
16:      if  $Bridge\_edge(v, start)$  then ▷ Edge (v,start) is bridge edge
17:         $vertex\_count = vertex\_count - 1$  ▷ Decrease vertex count by 1
18:
19:       $A[start][v] = A[v][start] = 0$  ▷ Removing edge (start, v)
20:       $Fleury's\_Algorithm(A, v, vertex\_count)$ 
21:    else
22:       $A[start][v] = A[v][start] = 1$  ▷ Not removing edge (start, v)
```

Algorithm 2 Prims(Adjacency matrix A, n, Vertex source, visited_nodes)

```
1:  $distance \leftarrow \infty$  ▷ Initialization
2:  $parent \leftarrow -1$ 
3:  $count \leftarrow 0$ 
4:  $distance[source] \leftarrow 0$  ▷ Set distance of source as 0
5:
6: for  $k \leftarrow 1$  to  $n$  do
7:    $u \leftarrow Min\_dis(distance, visited\_nodes)$  ▷ Returns node u with the shortest distance from source; if no connected node from source then returns -1
8:
9:   if  $u \neq -1$  then ▷ Vertex u is conncted and visited
10:     $visited\_nodes[u] = 1$ 
11:     $count = count + 1$ 
12:
13:    for  $v \leftarrow 1$  to  $n$  do
14:      if  $visited\_nodes[v] = 0$  and  $A[u][v] > 0$  and  $A[u][v] < distance[v]$  then
15:         $distance[v] = A[u][v]$ 
16:         $parent[v] = u$ 
17: return  $count$ 
```
