

templateGeometry:

```

int dcmp(double x) { return abs(x) < 1e-7 ?
0 : (x<0 ? -1 : 1);}

class point{
public:
    double x, y;
    point(double x=0, double
y=0):x(x),y(y){}
    point(const point& dt){ this->x=dt.x;
this->y=dt.y; }
    point operator - (const point& dt){
return point(x-dt.x,y-dt.y); }
    bool operator == (const point& dt)
const{ return (x==dt.x && y==dt.y); }//
point equality
    point operator + (const point& dt){
return point(x+dt.x,y+dt.y); }
    double cross(point a, point b) { return
(a-*this)*(b-*this); }
    friend istream& operator>>(istream& os,
point& dt); // point input
    friend ostream& operator<<(ostream& os,
const point& dt); // point output
};

double dot(point a, point b) { return a.x *
b.x + a.y * b.y; }
double cross(point a, point b) { return a.x *
b.y - a.y * b.x; }

class triangle{
public:
    point a, b, c;
    triangle(point a=origin, point b=origin,
point c=origin):a(a),b(b),c(c){}
    bool pointInTriangle(point p) {
        return dcmp(cross(b - a, p - a)) >=
0 : (x<0 ? -1 : 1);
    }
};


```

```

        && dcmp(cross(c - b, p - b)) >=
0;
        && dcmp(cross(a - c, p - c)) >=
0;
    }
    double inside(point p){
        return abs(abs(area()))
        -abs(triangle(a,b,p).area())
        -abs(triangle(b,c,p).area())
        -abs(triangle(c,a,p).area()))<=0.0001;
    }
    double area(){ return
((a.x*b.y+b.x*c.y+c.x*a.y)-(a.y*b.x+b.y*c.x+
c.y*a.x))/2; }
    bool bonac(){
        if(area()!=0) return false;
        return ((a.x-b.x)*(b.x-c.x)>=0 &&
(a.y-b.y)*(b.y-c.y)>=0);
    }
    //clockwise = negative
};

point start;
bool compoint(point a, point b){
    if(triangle(start,a,b).area()==0) return
((start|a)<(start|b));
    return (triangle(start,a,b).area()>0);
}

class polygon{
private:
public:
    vector<point> p;
    polygon(ll n){ p.resize(n); }
    polygon(vector<point> p =
vector<point>(0)):p(p){}

```

```

    polygon(stack<point> s){
        p.resize(s.size());
        for(ll i=s.size()-1; i>=0; i--){
            p[i]=s.top(); s.pop();
        }
    }
    polygon(const polygon& P){ this->p=P.p;
}
ll size(){ return p.size(); }
friend istream& operator>>(istream& os,
polygon& P); // polygon input
friend ostream& operator<<(ostream& os,
const polygon& P);
double area(){
    double up=0, down=0;
    ll n = p.size();
    for(ll i=0; i<n; i++){
        up+=p[i].x*p[(i+1)%n].y;
        down+=p[i].y*p[(i+1)%n].x; }
    return (up-down)/2;
}
polygon hull(bool pure = true){
    ll n = size();
    point q[n+1];
    for(ll i=0; i<n; i++) q[i] = p[i];
    point far(INT_MAX, INT_MAX);
    ll leftdown=0;
    for(ll i=0; i<n; i++){
        if(q[i].x<far.x ||
(q[i].x==far.x && q[i].y<=far.y)){
            far = q[i];
            leftdown = i;
        }
    }
    swap(q[leftdown],q[0]);
    q[n]=q[0];
    start = q[0];
}
```

```

sort(q+1, q+n, compPoint);
if(!pure){
    ll g = n;

while(triangle(q[n],q[n-1],q[g-1]).area()==0)
) g--;
    for(ll i=g; i<=(g+n-1)/2; i++)
swap(q[i],q[n-1-i+g]);
}
stack<point> ans;
ans.push(q[0]);
ans.push(q[1]);
for(ll i=2; i<=n; i++){
    while(true){
        if(ans.size()==1) break;
        point edge1 = ans.top();
ans.pop();
        point edge2 = ans.top();
        double tm =
triangle(edge2,edge1,q[i]).area();
        if(pure && tm>0)||(!pure &&
tm>=0)){
            ans.push(edge1);
            break;
        }
        if(i<n) ans.push(q[i]);
    }
    return polygon(ans);
}
ll pointInConvexPolygon(point a) { // 1=outside, 0=on edge, -1=strictly inside
    ll n = p.size();
    assert(n >= 3);

    int lo = 1, hi = n - 1;
    while(hi - lo > 1) {
        int mid = (lo + hi) / 2;

```

```

            if(dcmp(cross(p[mid] - p[0], a -
p[0])) > 0) lo = mid;
            else     hi = mid;
        }

        bool in = triangle(p[0], p[lo],
p[hi]).pointInTriangle(a);
        if(!in) return 1;

        if(dcmp(cross(p[lo] - p[lo - 1], a -
p[lo - 1])) == 0) return 0;
        if(dcmp(cross(p[hi] - p[lo], a -
p[lo])) == 0) return 0;
        if(dcmp(cross(p[hi] - p[(hi + 1) %
n], a - p[(hi + 1) % n])) == 0) return 0;
        return -1;
    }
    ll inside(point a){ // 2: boundary, 1:
inside, 0: outside
    ll n = size();
    if(a==p[0]) return 2;
    if(!(triangle(p[0],p[1],a).area()>=0
&& triangle(p[0],p[n-1],a).area()<=0))
return 0;
    ll l = 1, r = n-1;
    while(l<r){
        ll m1 = (l+r)/2;
        ll m2 = m1+1;
        double f1 =
triangle(p[0],p[m1],a).area();
        double f2 =
triangle(p[0],p[m2],a).area();
        if(f1>=0 && f2<0){
            l = m1;
            r = m1;
        }
        else if(f1<0) r = m1;
        else l = m2;
    }
    return 1;
}

```

```

    }
    if(l<n-1) cout<< a<< " "<< l<< " "<<
p[1]<< p[1+1]<< p[0];
    else cout<< a<< " "<< l<< " "<<
p[1]<< p[0];
    if(l<n-1 &&
!triangle(p[0],p[1],p[l+1]).inside(a))
return 0;
    if(l==n-1){
        return
(triangle(p[0],a,p[n-1]).bonac())? 2:0;
    }
    if(l==1 &&
triangle(p[0],a,p[1]).bonac()) return 2;
    return
(triangle(p[1],a,p[1+1]).bonac())? 2:1;
}
void reorder_polygon(vector<point> & P){
    size_t pos = 0;
    for(size_t i = 1; i < P.size(); i++){
        if(P[i].y < P[pos].y || (P[i].y ==
P[pos].y && P[i].x < P[pos].x))
            pos = i;
    }
    rotate(P.begin(), P.begin() + pos,
P.end());
}
struct polarComp {
    point O, dir;
    polarComp(point O = point(0, 0), point
dir = point(1, 0))
        : O(O), dir(dir) {}
    bool half(point p) {
        return dcmp(cross(dir, p)) < 0 ||
(dcmp(cross(dir, p)) == 0 && dcmp(dot(dir,
p)) > 0);
    }
}

```

```

bool operator()(point p, point q) {
    return make_tuple(half(p-0), 0) <
make_tuple(half(q-0), cross(p-0, q-0));
}
};

polygon minkowski_sum(polygon A, polygon B){
    ll n = A.size(), m = B.size();
    rotate(A.p.begin(),
min_element(A.p.begin(), A.p.end()),
A.p.end());
    rotate(B.p.begin(),
min_element(B.p.begin(), B.p.end()),
B.p.end());

    A.p.push_back(A.p[0]);
B.p.push_back(B.p[0]);
    for(ll i = 0; i < n; i++) A.p[i] =
A.p[i+1] - A.p[i];
    for(ll i = 0; i < m; i++) B.p[i] =
B.p[i+1] - B.p[i];

    polygon C(n+m+1);
C.p[0] = A.p.back() + B.p.back();
    merge(A.p.begin(), A.p.end()-1,
B.p.begin(), B.p.end()-1, C.p.begin()+1,
polarComp(point(0, 0), point(0, -1)));
    for(ll i = 1; i < C.p.size(); i++)
C.p[i] = C.p[i] + C.p[i-1];
    C.p.pop_back();
    return C;
}

```

**Miller Robin Primality Test:**

```

using u64 = uint64_t;
using u128 = __uint128_t;

```

```

bool check_composite(u64 n, u64 a, u64 d,
int s) {
    u64 x = binpower(a, d, n);
    if (x == 1 || x == n - 1)
        return false;
    for (int r = 1; r < s; r++) {
        x = (u128)x * x % n;
        if (x == n - 1)
            return false;
    }
    return true;
};

bool MillerRabin(u64 n, int iter=5) { // 
returns true if n is probably prime, else
returns false.
    if (n < 4)
        return n == 2 || n == 3;

    int s = 0;
    u64 d = n - 1;
    while ((d & 1) == 0) {
        d >= 1;
        s++;
    }

    for (int i = 0; i < iter; i++) {
        int a = 2 + rand() % (n - 3);
        if (check_composite(n, a, d, s))
            return false;
    }
    return true;
}

```

**Convex Hull Trick Linear:**  
/\*\*  
Linear Convex Hull Trick  
Requirement:

Minimum:  
M increasing, x decreasing,  
useless(s-1, s-2, s-3)  
M decreasing, x increasing,  
useless(s-3, s-2, s-1)

Maximum:  
M increasing, x increasing,  
useless(s-3, s-2, s-1)  
M decreasing, x decreasing,  
useless(s-1, s-2, s-3)

If queries are in arbitrary order, use  
query2 O(logn) per query.

Source: Rezwan, Anachor (query2)  
\*\*/

```

struct CHT {
    vector<LL> M;
    vector<LL> C;
    int ptr = 0;

    //Use double comp if M,C is LL range
    bool useless(int l1, int l2, int l3) {
        return (C[l3]-C[l1])*(M[l1]-M[l2])
<= (C[l2]-C[l1])*(M[l1]-M[l3]);
    }

    LL f(int id, LL x) {
        return M[id]*x+C[id];
    }

    void add(LL m, LL c) {
        M.push_back(m);
        C.push_back(c);
        int s = M.size();

```

```

        while (s >= 3 && useless(s-3, s-2,
s-1)) {
            M.erase(M.end()-2);
            C.erase(C.end()-2);
            s--;
        }
    }

    LL query(LL x) {
        if (ptr >= M.size()) ptr =
M.size()-1;
        while (ptr < M.size()-1 && f(ptr, x)
> f(ptr+1, x)) ptr++; // change > to < for
maximum
        return f(ptr, x);
    }

    LL query2(LL x) {
        int lo=0, hi=M.size()-1;
        while(lo<hi) {
            int mid = (lo+hi)/2;
            if (f(mid, x) > f(mid+1, x))
lo = mid+1; // change > to < for maximum
            else
hi = mid;
        }
        return f(lo, x);
    }
}

```

**Convex Hull Trick Dynamic:**

```

///convex hull for maximizing
///in case of minimization, just
insert(-m,-c) ///and negate the result for
query

struct Line {
    mutable ll k, m, p;

```

```

        bool operator<(const Line& o) const {
            return k < o.k;
        }
        bool operator<(ll x) const { return p
< x;
    }

    struct CHT: multiset<Line, less<>> {
        // (for doubles, use inf = 1/.0,
        div(a,b) = a/b
        static const ll inf = LLONG_MAX;
        ll div(ll a, ll b) { // floored
division
            return a / b - ((a ^ b) < 0 &&
a % b);
        }
        bool isect(iterator x, iterator y) {
            if (y == end()) return x->p =
inf, 0;
            if (x->k == y->k) x->p = x->m >
y->m ? inf : -inf;
            else x->p = div(y->m - x->m,
x->k - y->k);
            return x->p >= y->p;
        }
        void add(ll k, ll m) {
            auto z = insert({k, m, 0}), y =
z++, x = y;
            while (isect(y, z)) z =
erase(z);
            if (x != begin() && isect(--x,
y)) isect(x, y = erase(y));
            while ((y = x) != begin() &&
(--x)->p >= y->p)
                isect(x, erase(y));
        }
        ll query(ll x) {
            assert(!empty());
            auto l = *lower_bound(x);
            return l.k * x + l.m;
        }
    };
}
```

}

} ch;

### 2SAT

```

int n;
vector<vector<int>> adj, adj_t;
vector<bool> used;
vector<int> order, comp;
vector<bool> assignment;

void dfs1(int v) {
    used[v] = true;
    for (int u : adj[v]) {
        if (!used[u])
            dfs1(u);
    }
    order.push_back(v);
}

void dfs2(int v, int cl) {
    comp[v] = cl;
    for (int u : adj_t[v]) {
        if (comp[u] == -1)
            dfs2(u, cl);
    }
}

bool solve_2SAT() {
    order.clear();
    used.assign(n, false);
    for (int i = 0; i < n; ++i) {
        if (!used[i])
            dfs1(i);
    }

    comp.assign(n, -1);
    for (int i = 0, j = 0; i < n; ++i) {
        int v = order[n - i - 1];
        if (comp[v] == -1)

```

```

        dfs2(v, j++);

    }

assignment.assign(n / 2, false);
for (int i = 0; i < n; i += 2) {
    if (comp[i] == comp[i + 1])
        return false;
    assignment[i / 2] = comp[i] > comp[i
+ 1];
}
return true;
}

void add_disjunction(int a, bool na, int b,
bool nb) {
    // na and nb signify whether a and b are
    to be negated
    a = 2*a ^ na;
    b = 2*b ^ nb;
    int neg_a = a ^ 1;
    int neg_b = b ^ 1;
    adj[neg_a].push_back(b);
    adj[neg_b].push_back(a);
    adj_t[b].push_back(neg_a);
    adj_t[a].push_back(neg_b);
}

```

**Articulation Points:**

```

int n; // number of nodes
vector<vector<int>> adj; // adjacency list
of graph

vector<bool> visited;
vector<int> tin, low;
int timer;

void dfs(int v, int p = -1) {
    visited[v] = true;
    tin[v] = low[v] = timer++;

```

```

        int children=0;
        for (int to : adj[v]) {
            if (to == p) continue;
            if (visited[to]) {
                low[v] = min(low[v], tin[to]);
            } else {
                dfs(to, v);
                low[v] = min(low[v], low[to]);
                if (low[to] >= tin[v] && p!= -1)
                    IS_CUTPOINT(v);
                ++children;
            }
        }
        if(p == -1 && children > 1)
            IS_CUTPOINT(v);
    }

void find_cutpoints() {
    timer = 0;
    visited.assign(n, false);
    tin.assign(n, -1);
    low.assign(n, -1);
    for (int i = 0; i < n; ++i) {
        if (!visited[i])
            dfs (i);
    }
}

```

**Bridges:**

```

void IS_BRIDGE(int v,int to); // some
function to process the found bridge
int n; // number of nodes
vector<vector<int>> adj; // adjacency list
of graph

vector<bool> visited;
vector<int> tin, low;
int timer;

```

```

void dfs(int v, int p = -1) {
    visited[v] = true;
    tin[v] = low[v] = timer++;
    bool parent_skipped = false;
    for (int to : adj[v]) {
        if (to == p && !parent_skipped) {
            parent_skipped = true;
            continue;
        }
        if (visited[to]) {
            low[v] = min(low[v], tin[to]);
        } else {
            dfs(to, v);
            low[v] = min(low[v], low[to]);
            if (low[to] > tin[v])
                IS_BRIDGE(v, to);
        }
    }
}

```

```

void find_bridges() {
    timer = 0;
    visited.assign(n, false);
    tin.assign(n, -1);
    low.assign(n, -1);
    for (int i = 0; i < n; ++i) {
        if (!visited[i])
            dfs(i);
    }
}

```

**Maxflow Dinic:**

```

O(v2e), unit cap: O(e*rt(e))
struct FlowEdge {
    int v, u;
    long long cap, flow = 0;
}

```

```

FlowEdge(int v, int u, long long cap) :
v(v), u(u), cap(cap) {}
};

struct Dinic {
    const long long flow_inf = 1e18;
    vector<FlowEdge> edges;
    vector<vector<int>> adj;
    int n, m = 0;
    int s, t;
    vector<int> level, ptr;
    queue<int> q;

    Dinic(int n, int s, int t) : n(n), s(s),
t(t) {
        adj.resize(n);
        level.resize(n);
        ptr.resize(n);
    }
    void add_edge(int v, int u, long long
cap) {
        edges.emplace_back(v, u, cap);
        edges.emplace_back(u, v, 0);
        adj[v].push_back(m);
        adj[u].push_back(m + 1);
        m += 2;
    }

    bool bfs() {
        while (!q.empty()) {
            int v = q.front();
            q.pop();
            for (int id : adj[v]) {
                if (edges[id].cap ==
edges[id].flow)
                    continue;
                if (level[edges[id].u] !=
-1)

```

```

                    continue;
                level[edges[id].u] =
level[v] + 1;
                q.push(edges[id].u);
            }
            return level[t] != -1;
        }

        long long dfs(int v, long long pushed) {
            if (pushed == 0) return 0;
            if (v == t) return pushed;
            for (int& cid = ptr[v]; cid <
(int)adj[v].size(); cid++) {
                int id = adj[v][cid];
                int u = edges[id].u;
                if (level[v] + 1 != level[u])
                    continue;
                long long tr = dfs(u,
min(pushed, edges[id].cap -
edges[id].flow));
                if (tr == 0)
                    continue;
                edges[id].flow += tr;
                edges[id ^ 1].flow -= tr;
                return tr;
            }
            return 0;
        }

        long long flow() {
            long long f = 0;
            while (true) {
                fill(level.begin(), level.end(),
-1);
                level[s] = 0;
                q.push(s);
                if (!bfs()) break;

```

```

                    fill(ptr.begin(), ptr.end(), 0);
                    while (long long pushed = dfs(s,
flow_inf)) f += pushed;
            }
            return f;
        }
    };

Shortest cycle
int shortest_cycle(int n){
    int ans = INT_MAX;
    for (int i = 0; i < n; i++) {
        vector<int> dist(n, (int)(1e9));
        vector<int> par(n, -1);
        dist[i] = 0;
        queue<int> q;
        q.push(i);
        while (!q.empty()) {
            int x = q.front();
            q.pop();
            for (int child : gr[x]) {
                if(dist[child] ==
(int)(1e9)) {
                    dist[child] = 1 + dist[x];
                    par[child] = x;
                    q.push(child);
                }
            }
            else if (par[x] != child and par[child] !=
x)
                ans = min(ans, dist[x] +
dist[child] + 1);
        }
    }
    if (ans == INT_MAX)
        return -1;
    else

```

```
    return ans;
}
```

**Hopcroft**

```
const int N = 3e5 + 9;

struct HopcroftKarp {
    static const int inf = 1e9;
    int n;
    vector<int> l, r, d;
    vector<vector<int>> g;
    HopcroftKarp(int _n, int _m) {
        n = _n;
        int p = _n + _m + 1;
        g.resize(p);
        l.resize(p, 0);
        r.resize(p, 0);
        d.resize(p, 0);
    }
    void add_edge(int u, int v) {
        g[u].push_back(v + n); //right id is
increased by n, so is l[u]
    }
    bool bfs() {
        queue<int> q;
        for (int u = 1; u <= n; u++) {
            if (!l[u]) d[u] = 0, q.push(u);
            else d[u] = inf;
        }
        d[0] = inf;
        while (!q.empty()) {
            int u = q.front();
            q.pop();
            for (auto v : g[u]) {
                if (d[r[v]] == inf) {
                    d[r[v]] = d[u] + 1;
                    q.push(r[v]);
                }
            }
        }
    }
    int maximum_matching() {
        int ans = 0;
        while (bfs())
            for(int u = 1; u <= n; u++) if (!l[u]
&& dfs(u)) ans++;
        return ans;
    }
};

int32_t main() {
    ios_base::sync_with_stdio(0);
    cin.tie(0);
    int n, m, q;
    cin >> n >> m >> q;
    HopcroftKarp M(n, m);
    while (q--) {
        int u, v;
        cin >> u >> v;
        M.add_edge(u, v);
    }
    cout << M.maximum_matching() << '\n';
    return 0;
}
```

```

    }
}
return d[0] != inf;
}
bool dfs(int u) {
    if (!u) return true;
    for (auto v : g[u]) {
        if(d[r[v]] == d[u] + 1 && dfs(r[v])) {
            l[u] = v;
            r[v] = u;
            return true;
        }
    }
    d[u] = inf;
    return false;
}
int maximum_matching() {
    int ans = 0;
    while (bfs())
        for(int u = 1; u <= n; u++) if (!l[u]
&& dfs(u)) ans++;
    return ans;
}
};

int32_t main() {
    ios_base::sync_with_stdio(0);
    cin.tie(0);
    int n, m, q;
    cin >> n >> m >> q;
    HopcroftKarp M(n, m);
    while (q--) {
        int u, v;
        cin >> u >> v;
        M.add_edge(u, v);
    }
    cout << M.maximum_matching() << '\n';
    return 0;
}
```

```
}
```

**Eulerian Tour:**

```
int n, m; // Runs in O(E)
vector<vector<pair<int, int>>> g;
vector<int> path;
vector<bool> seen;
void dfs(int node) {
    while (!g[node].empty()) {
        auto [son, idx] = g[node].back();
        g[node].pop_back();
        if (seen[idx]) { continue; }
        seen[idx] = true;
        dfs(son);
    }
    path.push_back(node);
}
int main() {
    cin >> n >> m;
    vector<int> degree(n, 0);
    g.resize(n);
    degree.resize(n);
    seen.resize(m);
    for (int i = 0; i < m; i++) {
        int x, y;
        cin >> x >> y;
        x--, y--;
        g[x].emplace_back({y, i});
        g[y].emplace_back({x, i});
        degree[x]++;
        degree[y]++;
    }
    for (int node = 0; node < n; node++) {
        if (degree[node] % 2) {
            cout << "IMPOSSIBLE" << endl;
            return 0;
        }
    }
}
```

```

dfs(0);
if (path.size() != m + 1) {
    cout << "IMPOSSIBLE";
} else {
    for (int node : path) { cout << node
+ 1 << ' ';}
}
cout << endl;
}

Fast Fourier Transform:
struct CD {
    double x, y;
    CD(double x=0, double y=0) :x(x), y(y)
{}
    CD operator+(const CD& o) { return
{x+o.x, y+o.y};}
    CD operator-(const CD& o) { return
{x-o.x, y-o.y};}
    CD operator*(const CD& o) { return
{x*x-y*y, x*y+y*x};}
    void operator /= (double d) { x/=d;
y/=d;}
    double real() {return x;}
    double imag() {return y;}
};
CD conj(const CD &c) {return CD(c.x, -c.y);}

typedef long long LL;
const double PI = acos(-1.0L);

namespace FFT {
    int N;
    vector<int> perm;
    vector<CD> wp[2];

    void precalculate(int n) {
        assert((n & (n-1)) == 0);
    }
}

```

```

N = n;
perm = vector<int> (N, 0);
for (int k=1; k<N; k<<=1) {
    for (int i=0; i<k; i++) {
        perm[i] <= 1;
        perm[i+k] = 1 + perm[i];
    }
}
wp[0] = wp[1] = vector<CD>(N);
for (int i=0; i<N; i++) {
    wp[0][i] = CD( cos(2*PI*i/N),
sin(2*PI*i/N) );
    wp[1][i] = CD( cos(2*PI*i/N),
-sin(2*PI*i/N) );
}
}

void fft(vector<CD> &v, bool invert =
false) {
    if (v.size() != perm.size())
precalculate(v.size());
    for (int i=0; i<N; i++)
        if (i < perm[i])
            swap(v[i], v[perm[i]]);

    for (int len = 2; len <= N; len *=
2) {
        for (int i=0, d = N/len; i<N;
i+=len) {
            for (int j=0, idx=0;
j<len/2; j++, idx += d) {
                CD x = v[i+j];
                CD y =
wp[invert][idx]*v[i+j+len/2];
                v[i+j] = x+y;
                v[i+j+len/2] = x-y;
            }
        }
    }
}

void pairfft(vector<CD> &a, vector<CD>
&b, bool invert = false) {
    int N = a.size();
    vector<CD> p(N);
    for (int i=0; i<N; i++) p[i] = a[i]
+ b[i] * CD(0, 1);
    fft(p, invert);
    p.push_back(p[0]);

    for (int i=0; i<N; i++) {
        if (invert) {
            a[i] = CD(p[i].real(), 0);
            b[i] = CD(p[i].imag(), 0);
        }
        else {
            a[i] =
(p[i]+conj(p[N-i]))*CD(0.5, 0);
            b[i] =
(p[i]-conj(p[N-i]))*CD(0, -0.5);
        }
    }
}

vector<LL> multiply(const vector<LL> &a,
const vector<LL> &b) {
    int n = 1;
    while (n < a.size()+ b.size())
n<<=1;
    vector<CD> fa(a.begin(), a.end()),
fb(b.begin(), b.end());
    fa.resize(n); fb.resize(n);
//    fft(fa); fft(fb);
}

```

```

pairfft(fa, fb);
for (int i=0; i<n; i++) fa[i] =
fa[i] * fb[i];
fft(fa, true);
vector<LL> ans(n);
for (int i=0; i<n; i++) ans[i] =
round(fa[i].real());
return ans;
}

const int M = 1e9+7, B = sqrt(M)+1;
vector<LL> anyMod(const vector<LL> &a,
const vector<LL> &b) {
    int n = 1;
    while (n < a.size() + b.size())
n<<=1;
    vector<CD> al(n), ar(n), bl(n),
br(n);

    for (int i=0; i<a.size(); i++)
al[i] = a[i]%M/B, ar[i] = a[i]%M%B;
    for (int i=0; i<b.size(); i++)
bl[i] = b[i]%M/B, br[i] = b[i]%M%B;

    pairfft(al, ar); pairfft(bl, br);
//        fft(al); fft(ar); fft(bl);
fft(br);

    for (int i=0; i<n; i++) {
        CD ll = (al[i] * bl[i]), lr =
(al[i] * br[i]);
        CD rl = (ar[i] * bl[i]), rr =
(ar[i] * br[i]);
        al[i] = ll; ar[i] = lr;
        bl[i] = rl; br[i] = rr;
    }
    pairfft(al, ar, true); pairfft(bl,
br, true);
}

```

```

//        fft(al, true); fft(ar, true);
fft(bl, true); fft(br, true);
vector<LL> ans(n);
for (int i=0; i<n; i++) {
    LL right = round(br[i].real()),
left = round(al[i].real());
    LL mid =
round(round(bl[i].real()) +
round(ar[i].real()));
    ans[i] = ((left%M)*B*B +
(mid%M)*B + right)%M;
}
return ans;
}

//usage: vector<LL> a(n), b(m);
// vector<LL> ans = FFT::anyMod(a, b);
NTT (Number Theoretic Transform):
namespace NTT {
    vector<int> perm, wp[2];
    const int mod = 998244353, G = 3;
///G is the primitive root of M
    int root, inv, N, invN;

    int power(int a, int p) {
        int ans = 1;
        while (p) {
            if (p & 1) ans =
(1LL*ans*a)%mod;
            a = (1LL*a*a)%mod;
            p >>= 1;
        }
        return ans;
    }

    void precalculate(int n) {
        assert( (n&(n-1)) == 0 &&
(mod-1)%n==0);

```

```

N = n;
invN = power(N, mod-2);
perm = wp[0] = wp[1] =
vector<int>(N);

perm[0] = 0;
for (int k=1; k<N; k<<=1)
    for (int i=0; i<k; i++) {
        perm[i] <<= 1;
        perm[i+k] = 1 + perm[i];
    }

root = power(G, (mod-1)/N);
inv = power(root, mod-2);
wp[0][0]=wp[1][0]=1;

for (int i=1; i<N; i++) {
    wp[0][i] =
(wp[0][i-1]*1LL*root)%mod;
    wp[1][i] =
(wp[1][i-1]*1LL*inv)%mod;
}
}

void fft(vector<int> &v, bool invert =
false) {
    if (v.size() != perm.size())
precalculate(v.size());
    for (int i=0; i<N; i++)
        if (i < perm[i])
            swap(v[i], v[perm[i]]);

    for (int len = 2; len <= N; len *=
2) {
        for (int i=0, d = N/len; i<N;
i+=len) {
            for (int j=0, idx=0;
j<len/2; j++, idx += d) {

```

```

        int x = v[i+j];
        int y =
(wp[invert][idx]*1LL*v[i+j+len/2])%mod;
        v[i+j] = (x+y>=mod ?
x+y-mod : x+y);
        v[i+j+len/2] = (x-y>=0 ?
x-y : x-y+mod);
    }
}
if (invert) {
    for (int &x : v) x =
(x*1LL*invN)%mod;
}
}

vector<int> multiply(vector<int> a,
vector<int> b) {
    int n = 1;
    while (n < a.size() + b.size())
n<<=1;
    a.resize(n);
    b.resize(n);

    fft(a);
    fft(b);
    for (int i=0; i<n; i++) a[i] = (a[i]
* 1LL * b[i])%mod;
    fft(a, true);
    return a;
}
};


```

**Z function trivial:**

```

vector<int> z_function(string s) {
    int n = s.size();
    vector<int> z(n);gauss
    int l = 0, r = 0;

```

```

        for(int i = 1; i < n; i++) {
            if(i < r) {
                z[i] = min(r - i, z[i - 1]);
            }
            while(i + z[i] < n && s[z[i]] == s[i
+ z[i]]) {
                z[i]++;
            }
            if(i + z[i] > r) {
                l = i;
                r = i + z[i];
            }
        }
        return z;
    }
}


```

**KMP:**

```

vll prefix_function(string s) {
    ll n = s.size();
    vll p(n, 0);
    for(ll i = 1; i < n; i++) {
        ll j = p[i-1];
        while(j > 0 && s[i] != s[j]) j =
p[j-1];
        if(s[i] == s[j]) j++;
        p[i] = j;
    }
    return p;
}

ll kmp(string s, string t) {
    ll n = s.size(), m = t.size(), ans = 0,
j = 0;
    vll p = prefix_function(t);
    for (int i = 0; i < n; i++) {
        while(j > 0 && s[i] != t[j]) j =
p[j-1];
        if(s[i] == t[j]) j++;
        if(j==m){ j = p[j-1]; ans++; }
    }
}


```

```

    }
    return ans;
}

```

**Prefix function automaton:**

If the current prefix function value is  $i$  (i.e., you've matched the first  $i$  characters of string  $s$ ), and you now append the character ' $a$ ' +  $c$ , then:

**aut[i][c]** gives the new value of the prefix function for the updated string.

```

void compute_automaton(string s,
vector<vector<int>>& aut) {
    s += '#';
    int n = s.size();
    vector<int> pi = prefix_function(s);
    aut.assign(n, vector<int>(26));
    for (int i = 0; i < n; i++) {
        for (int c = 0; c < 26; c++) {
            if (i > 0 && 'a' + c != s[i])
                aut[i][c] = aut[pi[i-1]][c];
            else
                aut[i][c] = i + ('a' + c ==
s[i]);
        }
    }
}

```

**Trie Usaco:**

```

const int WMAX = 1e5 + 10; //sum of length
of all strings
int trie_s[WMAX][26];
int node_count;
bool stop[WMAX];
void insert(string word) {
    int node = 0;
    for (char c : word) {

```

```

        if (trie_s[node][c - 'a'] == 0)
{ trie_s[node][c - 'a'] = ++node_count; }
        node = trie_s[node][c - 'a'];
}
stop[node] = true;
}

```

**Suffix Array:**

```

vll c;
// string S;
// vll SA;
vll sort_cyclic_shifts(const string &s){
    ll n = s.size();
    const ll alphabet = 256;
    vll p(n), cnt(alphabet, 0);
    c.clear();
    c.emplace_back();
    c[0].resize(n);
    for (ll i=0; i<n; i++)
cnt[s[i]]++;
    for (ll i=1; i<alphabet; i++)  cnt[i] += 
cnt[i-1];
    for (ll i=0; i<n; i++)
p[--cnt[s[i]]] = i;
    c[0][p[0]] = 0;
    ll classes = 1;
    for (ll i=1; i<n; i++) {
        if (s[p[i]] != s[p[i-1]])
classes++;
        c[0][p[i]] = classes - 1;
    }
    vll pn(n), cn(n);
    cnt.resize(n);

    for (ll h=0; (1<<h) < n; h++) {
        for (ll i=0; i<n; i++) {
            pn[i] = p[i] - (1<<h);
            if (pn[i] < 0)  pn[i] += n;
        }
    }
}

```

```

        }
        fill(cnt.begin(), cnt.end(), 0);

        /// radix sort
        for (ll i = 0; i < n; i++)
cnt[c[h][pn[i]]]++;
        for (ll i = 1; i < classes; i++)
cnt[i] += cnt[i-1];
        for (ll i = n-1; i >= 0; i--)
p[--cnt[c[h][pn[i]]]] = pn[i];

        cn[p[0]] = 0;
        classes = 1;

        for (ll i=1; i<n; i++) {
            pll cur = {c[h][p[i]],
c[h][(p[i] + (1<<h))%n]};
            pll prev = {c[h][p[i-1]],
c[h][(p[i-1] + (1<<h))%n]};
            if (cur != prev)  ++classes;
            cn[p[i]] = classes - 1;
        }
        c.push_back(cn);
    }
    return p;
}

vll suffix_array_construction(string s){
    s += "!";
    vll sorted_shifts =
sort_cyclic_shifts(s);

    sorted_shifts.erase(sorted_shifts.begin());
    return sorted_shifts;
}

/// LCP between the ith and jth (i != j)
suffix of the STRING

```

```

ll suffixLCP(ll i, ll j){
    assert(i != j);
    ll log_n = c.size()-1;

    ll ans = 0;
    for (ll k = log_n; k >= 0; k--) {
        // cout<< " " << k << " " << i << " " <<
j << " " << c[k][i] << " " << c[k][j] << endl;
        if (c[k][i] == c[k][j]) {
            ans += (ll)(1 << k);
            i += 1 << k;
            j += 1 << k;
        }
    }
    return ans;
}

vll lcp_construction(const string &s, const
vll &sa){
    ll n = s.size();
    vll rank(n, 0);
    vll lcp(n-1, 0);
    for (ll i=0; i<n; i++) rank[sa[i]] = i;
    for (ll i=0, k=0; i < n; i++) {
        if (rank[i] == n - 1) {
            k = 0;
            continue;
        }
        ll j = sa[rank[i] + 1];
        while (i + k < n && j + k < n &&
s[i+k] == s[j+k])  k++;
        lcp[rank[i]] = k;
        if (k)  k--;
    }
    return lcp;
}

```

**MO + SQRT Decomposition:**

```

void remove(idx); // TODO: remove value at
idx from data structure
void add(idx); // TODO: add value at idx
from data structure
int get_answer(); // TODO: extract the
current answer of the data structure

int block_size;
struct Query {
    int l, r, idx;
    bool operator<(Query other) const{
        return make_pair(l / block_size, r)
    <
        make_pair(other.l /
block_size, other.r);
    }
};

vector<int> mo_s_algorithm(vector<Query>
queries) {
    vector<int> answers(queries.size());
    sort(queries.begin(), queries.end());
    // TODO: initialize data structure
    int cur_l = 0;
    int cur_r = -1;
    // invariant: data structure will always
reflect the range [cur_l, cur_r]
    for (Query q : queries) {
        while (cur_l > q.l) {
            cur_l--;
            add(cur_l);
        while (cur_r < q.r) {
            cur_r++;
            add(cur_r);
        while (cur_l < q.l) {
            remove(cur_l);
            cur_l++;
        }
    }
}

```

```

        while (cur_r > q.r) {
            remove(cur_r);
            cur_r--;
        }
        answers[q.idx] = get_answer();
    }
    return answers;
}

Mint (for matrix):
#pragma GCC optimize("O3")
#pragma GCC optimize("unroll-loops")
struct mint {
    ll x; // typedef long long ll;
    mint(ll x=0):x((x%mod+mod)%mod){}
    mint operator-() const { return mint(-x);}
    mint& operator+=(const mint a) {
        if ((x += a.x) >= mod) x -= mod;
        return *this;
    }
    mint& operator-=(const mint a) {
        if ((x += mod-a.x) >= mod) x -= mod;
        return *this;
    }
    mint& operator*=(const mint a) { (x *=
a.x) %= mod; return *this;}
    mint operator*(const mint a) const {
return mint(*this) *= a;}
    mint pow(ll t) const {
        if (!t) return 1;
        mint a = pow(t>>1);
        a *= a;
        if (t&1) a *= *this;
        return a;
    }
};

ostream& operator<<(ostream& os, const mint&
a) { return os << a.x;}

```

**Matrix:**

```

struct Matrix {
    int h, w;
    vector<vector<T>> d;
    Matrix() {}
    Matrix(int h, int w, T val=0): h(h), w(w),
d(h, vector<T>(w, val)) {}
    Matrix& unit() {
        assert(h == w);
        F0R(i,h) d[i][i] = 1;
        return *this;
    }
    const vector<T>& operator[](int i) const {
return d[i];}
    vector<T>& operator[](int i) { return
d[i];}
    Matrix operator*(const Matrix& a) const {
        assert(w == a.h);
        Matrix r(h, a.w);
        F0R(i,h)F0R(k,w)F0R(j,a.w) {
            r[i][j] += d[i][k]*a[k][j];
        }
        return r;
    }
    Matrix pow(long long t) const {
        assert(h == w);
        if (!t) return Matrix(h,h).unit();
        if (t == 1) return *this;
        Matrix r = pow(t>>1);
        r = r*r;
        if (t&1) r = r*(*this);
        return r;
    };
}

```

Hungarian:

Given an  $n \times n$  matrix A, the task is to find a permutation p of length n such that the value  $\text{sum}(A[i][p[i]])$  is minimized. The resulting complexity is  $O(n^3)$ .

```

vector<int> u (n+1), v (m+1), p (m+1), way
(m+1);
for (int i=1; i<=n; ++i) {
    p[0] = i;
    int j0 = 0;
    vector<int> minv (m+1, INF);
    vector<bool> used (m+1, false);
    do {
        used[j0] = true;
        int i0 = p[j0], delta = INF, j1;
        for (int j=1; j<=m; ++j)
            if (!used[j]) {
                int cur =
A[i0][j]-u[i0]-v[j];
                if (cur < minv[j])
                    minv[j] = cur, way[j] =
j0;
                if (minv[j] < delta)
                    delta = minv[j], j1 =
j;
            }
        for (int j=0; j<=m; ++j)
            if (used[j])
                u[p[j]] += delta, v[j] -=
delta;
            else
                minv[j] -= delta;
        j0 = j1;
    } while (p[j0] != 0);
    do {
        int j1 = way[j0];
        p[j0] = p[j1];
    }
}

```

```

        j0 = j1;
    } while (j0);
}
vector<int> ans (n+1);
for (int j=1; j<=m; ++j)
    ans[p[j]] = j;

Centroid Decomposition:
vector<bool> used(n);
vector<int> sz(n);
auto cd = [&] (auto cd, int v) -> void {
    auto getCentroid = [&] () {
        auto dfs = [&](auto f, int v, int
p=-1) -> int {
            sz[v] = 1;
            for (int u : adj[v]) {
                if (u == p || used[u]) continue;
                sz[v] += f(f, u, v);
            }
            return sz[v];
        };
        int tot = dfs(dfs, v), c = -1;
        auto dfs2 = [&](auto f, int v, int
p=-1) -> void {
            bool ok = (tot-sz[v])*2 <= tot;
            for (int u : adj[v]) {
                if (u == p || used[u])
                    continue;
                f(f, u, v);
                if (sz[u]*2 > tot) ok =
false;
                if (ok) c = v;
            }
            dfs2(dfs2, v);
            return c;
        };
        int c = getCentroid();
        used[c] = true;
    };
}

```

```

// process centroid
// modify
for (int u : adj[c]) {
    if (used[u]) continue;
    vector<pair<int, int>> ps;
    auto dfs = [&](auto f, int v, int
p=-1, int dep=1) -> void {
        // modify
        for (int u : adj[v]) {
            if (u == p || used[u])
                continue;
            f(f, u, v, dep+1);
        }
        // modify
    };
    dfs(dfs, u);
}
for (int u : adj[c]) {
    if (used[u]) continue;
    cd(cd, u);
}
}

```

**HLD:**

```

const int N = 2e5 + 5, D = 19, S = (1 << D);
int n, q, v[N];
vector<int> adj[N];
int sz[N], p[N], dep[N];
int st[S], id[N], tp[N];
void update(int idx, int val) {
    st[idx += n] = val;
    for (idx /= 2; idx; idx /= 2) st[idx] =
max(st[2 * idx], st[2 * idx + 1]);
}
int query(int lo, int hi) {
    int ra = 0, rb = 0;
    for (lo += n, hi += n + 1; lo < hi; lo =
2, hi /= 2) {

```

```

        if (lo & 1) ra = max(ra,
st[lo++]);
        if (hi & 1) rb = max(rb,
st[--hi]);
    }
    return max(ra, rb);
}
int dfs_sz(int cur, int par) {
    sz[cur] = 1;
    p[cur] = par;
    for (int chi : adj[cur]) {
        if (chi == par) continue;
        dep[chi] = dep[cur] + 1;
        p[chi] = cur;
        sz[cur] += dfs_sz(chi, cur);
    }
    return sz[cur];
}
int ct = 1;
void dfs_hld(int cur, int par, int top) {
    id[cur] = ct++, tp[cur] = top;
    update(id[cur], v[cur]);
    int h_chi = -1, h_sz = -1;
    for (int chi : adj[cur]) {
        if (chi == par) continue;
        if (sz[chi] > h_sz) {
            h_sz = sz[chi];
            h_chi = chi;
        }
    }
    if (h_chi == -1) return;
    dfs_hld(h_chi, cur, top);
    for (int chi : adj[cur]) {
        if (chi == par || chi == h_chi)
continue;
        dfs_hld(chi, cur, chi);
    }
}

```

```

int path(int x, int y) {
    int ret = 0;
    while (tp[x] != tp[y]) {
        if (dep[tp[x]] < dep[tp[y]])
swap(x, y);
        ret = max(ret, query(id[tp[x]],
id[x]));
        x = p[tp[x]];
    }
    if (dep[x] > dep[y]) swap(x, y);
    ret = max(ret, query(id[x], id[y]));
    return ret;
}
dfs_sz(1, 1);
dfs_hld(1, 1, 1);
update(id[s], v[s]);
res = path(a, b);

```

**Auxiliary Tree:**

```

vector<vector<int>> to2(n);
rep(ci,n) { // ci = color id
    vector<int>& vs = cvs[ci];
// cvs = nodes of that col
    if (vs.size() == 0) continue;
    sort(vs.begin(), vs.end(),
        [&](int a, int b) { return in[a] <
in[b];});
    int m = vs.size();
    rep(i,m-1) {
        vs.push_back(lca(vs[i],vs[i+1]));
    }
    sort(vs.begin(), vs.end(),
        [&](int a, int b) { return in[a] <
in[b];});
    vs.erase(unique(vs.begin(), vs.end()),
vs.end());
    {
        vector<int> st;

```

```

        for (int v : vs) {
            while (st.size()) {
                int p = st.back();
                if (in[p] < in[v] && in[v] <
out[p]) break;
                st.pop_back();
            }
            if (st.size())
to2[st.back()].push_back(v);
            st.push_back(v);
        }
        // process aux tree
        for (int v : vs) to2[v] = vector<int>();
    }
}

```

**Euler Tour Tree:**

```

vector<int> et, first_in(n), ein(n-1),
eout(n-1);
auto dfs = [&] (auto dfs, int u, int p=-1)
-> void {
    first_in[u] = et.size();
    et.push_back(u);
    trav(v, adj[u]) if(v.to != p) {
        ein[v.id] = et.size()-1;
        dfs(dfs, v.to, u);
        eout[v.id] = et.size()-1;
        et.push_back(u);
    }
};

```

**Mobius:**

```

void Mobius(){
    mu[1] = 1;
    for (ll i = 1; i < MAX; i++) if (mu[i])
        for (ll j = i + i; j < MAX; j +=
i)

```

```

        mu[j] -= mu[i];
}

```

**Phi:**

```

vector<int> phi(n + 1);
for (int i = 0; i <= n; i++)
    phi[i] = i;
for (int i = 2; i <= n; i++) {
    if (phi[i] == i)
        for (int j = i; j <= n; j += i)
            phi[j] -= phi[j] / i;

```

**Chinese Remainder Theorem**

```

ll egcd(ll a, ll b, ll &x, ll &y){
    if(b==0){
        x = 1; y = 0;
        return a;
    }
    ll x1, y1;
    ll d = egcd(b,a%b,x1,y1);
    x = y1; y = x1 - y1*(a/b);
    return d;
}

```

```

pll crt(pll a, pll b){
    ll s, t;
    ll g = egcd(a.fi,b.fi,s,t);
    if(a.se%g!=b.se%g) return mp(-1,-1);
    ll m = a.fi*b.fi;
    ll ss = ((s%b.fi*b.se%b.fi)%b.fi)*a.fi;
    ll tt = ((t%a.fi*a.se%a.fi)%a.fi)*b.fi;
    ll ans = ((ss+tt)%m + m)%m;
    return mp(m/g,(ans/g)%(m/g));
}

```

**Catalan Number**

```

//Bracket Sequence
#define mod 1000000007

```

```

int factorial[2000001];
void init(){
    int n = 2000000;
    factorial[0] = 1;
    for(int i = 1 ; i <= n ; i++){
        factorial[i] = (factorial[i - 1] *
i) % mod;
    }
}
int gcdExtended(int a, int b, int *x, int
*y) {
    if (a == 0) {
        *x = 0, *y = 1;
        return b;
    }
    int x1, y1;
    int gcd = gcdExtended(b%a, a, &x1,
&y1);
    *x = y1 - (b/a) * x1;
    *y = x1;
    return gcd;
}
int modInverse(int a, int m) {
    int x, y;
    int g = gcdExtended(a, m, &x, &y);
    int res = (x%m + m) % m;
    return res;
}
signed main(){
    ios_base::sync_with_stdio(false);
    cin.tie(0);
    cout.tie(0);
    int n;
    cin >> n;
    init();
    if(n % 2 != 0){
        cout << "0\n";
    }
}

```

```

else{
    n /= 2;
    int temp = factorial[n];
    temp = (temp * temp) % mod;
    temp = (temp * (n + 1)) % mod;
    temp = modInverse(temp, mod);
    int ans = (factorial[2 * n]*temp)%
mod;
    cout << ans << "\n";
}
return 0;
}

//Bracket sequence with prefix
const int MOD=1000000007;
long long int inverse(long long int i){
    if(i==1) return 1;
    return (MOD -
((MOD/i)*inverse(MOD%i))%MOD+MOD)%MOD;
}

int main(){
    ios::sync_with_stdio(0);
    cin.tie(0);
    cout.tie(0);
    ll n;
    cin>>n;
    if(n%2==1){
        cout<<0;
        return 0;
    }
    n/=2;
    string s;
    cin>>s;
    ll k=0,o=0;
    for(int i=0;i<s.size();i++){
        if(s[i]=='(') {
            k++;
        }
    }
}

```

```

        o++;
    }
    else k--;
    if(k<0){
        cout<<0;
        return 0;
    }
}
n=o;
if(k<0 || n<0 || 2*n+k<n){
    cout<<0;
    return 0;
}
ll fact[2*n+k+1];
fact[0]=1;
for(int i=1;i<=2*n+k;i++){
    fact[i]=(fact[i-1]*i)%MOD;
}
ll ans=
(fact[2*n+k]*inverse(fact[n]))%MOD;
ans*=inverse(fact[n+k]);
ans%=MOD;
ans*=((k+1)*inverse(n+k+1))%MOD;
ans%=MOD;
cout<<ans;
}

```

**Eulerian Tour:**

```

int n, m; // Runs in O(E)
vector<vector<pair<int, int>>> g;
vector<int> path;
vector<bool> seen;
void dfs(int node) {
    while (!g[node].empty()) {
        auto [son, idx] = g[node].back();
        g[node].pop_back();
        if (seen[idx]) { continue; }
        seen[idx] = true;

```

```

            dfs(son);
        }
        path.push_back(node);
    }
    int main() {
        cin >> n >> m;
        vector<int> degree(n, 0);
        g.resize(n);
        degree.resize(n);
        seen.resize(m);
        for (int i = 0; i < m; i++) {
            int x, y;
            cin >> x >> y;
            x--, y--;
            g[x].emplace_back({y, i});
            g[y].emplace_back({x, i});
            degree[x]++;
            degree[y]++;
        }
        for (int node = 0; node < n; node++) {
            if (degree[node] % 2) {
                cout << "IMPOSSIBLE" << endl;
                return 0;
            }
        }
        dfs(0);
        if (path.size() != m + 1) {
            cout << "IMPOSSIBLE";
        } else {
            for (int node : path) { cout << node
+ 1 << ' ';}
        }
        cout << endl;
    }
}

```

**Sparse Table:**

```

class SparseTable {
public:

```

```

int ** st;
int K;
int n;
SparseTable(vector<int>a) {
    n = a.size();
    K = __lg(n) + 1;
    st = new int*[K];
    for(int i = 0; i < K; i++) st[i] =
new int[n];
    for(int i = 0; i < n; i++) {
        st[0][i] = a[i];
    }
    for (int i = 1; i <= K; i++) {
        for (int j = 0; j + (1 << i) <=
n; j++) {
            st[i][j] = min(st[i - 1][j],
st[i - 1][j + (1 << (i - 1))]);
        }
    }
}
~SparseTable() {
    for(int i = 0; i < K; i++) delete[]
st[i];
    delete[] st;
}
int get(int L, int R) {
    int i = __lg(R - L + 1);
    int minimum = min(st[i][L], st[i][R
- (1 << i) + 1]);
    }
};


```

**Hash:**

```

class hashTable {
public:
    int n, limit;
    string s;
    vector<vector<ll>>pref, suff;

```

```

vector<ll> primes;
vector<ll> m;
vector<vector<ll>> p_pow, pinv_pow;
/*
use this:
vector<ll> p = {773,709};
vector<ll> mods = {281559881,398805713};
*/
hashTable(int _n, string _s, int
_limit=2, vector<ll> _primes={773,709},
vector<ll> _mods = {281559881,398805713}) {
    this->s = _s; //1 indexed
    this->n = _n;
    this->limit = _limit;
    this->primes = _primes;
    this->m = _mods;
    this->p_pow.resize(limit);
    this->pinv_pow.resize(limit);
    for(int i = 0; i < limit; i++) {
        p_pow[i].resize(n+2),
        pinv_pow[i].resize(n+2);
        p_pow[i][0] = pinv_pow[i][0] =
1;
        for(int j = 1;j <= n; j++) {
            p_pow[i][j] = (p_pow[i][j-1]
* primes[i]) % m[i];
        }
        pinv_pow[i][1] = inv(primes[i],
m[i]);
        for(int j = 2; j <= n; j++) {
            pinv_pow[i][j] =
(pinv_pow[i][j-1] * pinv_pow[i][1]) % m[i];
        }
    }
    pref.resize(this->limit);
    suff.resize(this->limit);
    for(int i = 0; i < limit; i++) {
        pref[i].resize(n+2);
    }
}

```

```

        suff[i].resize(n+2);
    }
    precompute();
}
void precompute() {
    for(int ith_hash = 0; ith_hash <
limit; ith_hash++) {
        ll hash_value = 0;
        for(int i = 1; i <= n; i++) {
            hash_value = (hash_value +
(s[i] - 'a' + 1) * p_pow[ith_hash][i-1]) %
m[ith_hash];
            pref[ith_hash][i] =
hash_value;
        }
        pref[ith_hash][0] = 0;
    }
    for(int ith_hash = 0; ith_hash <
limit; ith_hash++) {
        ll hash_value = 0;
        for(int i = n; i >= 1; i--) {
            hash_value = (hash_value + (s[i] - 'a' + 1)
* p_pow[ith_hash][n-i]) % m[ith_hash];
            suff[ith_hash][i] =
hash_value;
        }
        suff[ith_hash][n+1] = 0;
    }
}
ll get_pref(int l, int r, int ith_hash)
{
    ll here = sub(pref[ith_hash][r],
pref[ith_hash][l-1], m[ith_hash]);
    here = mult(here,
pinv_pow[ith_hash][l-1], m[ith_hash]);
    return here;
}

```

```

ll get_suff(int l, int r, int ith_hash)
{
    ll here = sub(suff[ith_hash][l],
suff[ith_hash][r+1], m[ith_hash]);
    here = mult(here,
pinv_pow[ith_hash][n-r], m[ith_hash]);
    return here;
}
long long binpow(long long a, long long
b, long long m) {
    a %= m;
    long long res = 1;
    while (b > 0) {
        if (b & 1)
            res = res * a % m;
        a = a * a % m;
        b >>= 1;
    }
    return res;
}
ll inv(ll x, ll m) {
    return binpow(x, m-2, m);
}
ll sub(ll x, ll y, ll m) {
    x %= m, y %= m;
    x -= y;
    if(x < 0) x += m;
    return x;
}
ll mult(ll x, ll y, ll m) {
    x %= m, y %= m;
    return (x * y) % m;
}
bool is_palindrome(int l, int r) {
    if(get_pref(l, r, 0) == get_suff(l,
r, 0) && get_pref(l, r, 1) == get_suff(l, r,
1)) return true;
    return false;
}

```

```

    }
};
```

**Persistent Segment Tree:**

```

//q(1) -> a[k][i] = x
//q(2) -> a[k][1] + ... + a[k][r]
//a(3) -> append(a[k]), n += 1
struct Node {
    ll val;
    Node *l, *r;
    Node(ll x) : val(x), l(nullptr),
    r(nullptr) {}
    Node(Node *ll, Node *rr) {
        l = ll, r = rr;
        val = 0;
        if (l) val += l->val;
        if (r) val += r->val;
    }
    Node(Node *cp) : val(cp->val),
    l(cp->l), r(cp->r) {}
};

int n, cnt = 1;
ll a[200001];
Node *roots[200001];

Node *build(int l = 1, int r = n) {
    if (l == r) return new Node(a[l]);
    int mid = (l + r) / 2;
    return new Node(build(l, mid),
    build(mid + 1, r));
}

Node *update(Node *node, int val, int pos,
int l = 1, int r = n) {
    if (l == r) return new Node(val);
    int mid = (l + r) / 2;
```

```

        if (pos > mid) return new
        Node(node->l, update(node->r, val, pos, mid
        + 1, r));
        else return new Node(update(node->l,
        val, pos, l, mid), node->r);
    }

    ll query(Node *node, int a, int b, int l =
    1, int r = n) {
        if (l > b || r < a) return 0;
        if (l >= a && r <= b) return
        node->val;
        int mid = (l + r) / 2;
        return query(node->l, a, b, l, mid) +
        query(node->r, a, b, mid + 1, r);
    }

    int main() {
        ios_base::sync_with_stdio(0);
        cin.tie(0);
        int q;
        cin >> n >> q;
        for (int i = 1; i <= n; i++) cin >>
        a[i];
        roots[cnt++] = build();

        while (q--) {
            int t;
            cin >> t;
            if (t == 1) {
                int k, i, x;
                cin >> k >> i >> x;
                roots[k] =
                update(roots[k], x, i);
            } else if (t == 2) {
                int k, l, r;
                cin >> k >> l >> r;
```

```

cout << query(roots[k],
l, r) << '\n';
} else {
    int k;
    cin >> k;
    roots[cnt++] = new
    Node(roots[k]);
}
return 0;
}

BIT:
//point update range sum
struct FenwickTreeOneBasedIndexing {
    vector<int> bit; // binary indexed tree
    int n;
    FenwickTreeOneBasedIndexing(int n) {
        this->n = n + 1;
        bit.assign(n + 1, 0);
    }
    FenwickTreeOneBasedIndexing(vector<int>
    a) :
    FenwickTreeOneBasedIndexing(a.size()) {
        for (size_t i = 0; i < a.size();
        i++)
            add(i, a[i]);
    }
    int sum(int idx) {
        int ret = 0;
        for (++idx; idx > 0; idx -= idx &
        -idx)
            ret += bit[idx];
        return ret;
    }
    int sum(int l, int r) {
        return sum(r) - sum(l - 1);
```

```

}
void add(int idx, int delta) {
    for (++idx; idx < n; idx += idx &
-idx)
        bit[idx] += delta;
}
//range update point query
void range_add(int l, int r, int val) {
    add(l, val);
    add(r + 1, -val);
}

int point_query(int idx) {
    int ret = 0;
    for (++idx; idx > 0; idx -= idx & -idx)
        ret += bit[idx];
    return ret;
}
//2D BIT:
//vector<vector<int>>bit of n*n
//sum(x,y)->
//for(x++;x>0;x-=x&-x) {
//  for(y++;y>0;y-=y&-y)res+=bit[x][y]
//}


```

**Divide and Conquer DP:**

```

int m, n;
vector<long long> dp_before, dp_cur;
long long C(int i, int j); //we can do
MO's algo like addition and removal here, in
amortized O(1) time.


```

```

// compute dp_cur[l], ... dp_cur[r]
(inclusive)
void compute(int l, int r, int optl, int
optr){
    if (l > r)

```

```

        return;

        int mid = (l + r) >> 1;
        pair<long long, int> best = {LLONG_MAX,
-1};

        for (int k = optl; k <= min(mid, optr); k++) {
            best = min(best, {(k ? dp_before[k - 1] : 0) + C(k, mid), k});
        }

        dp_cur[mid] = best.first;
        int opt = best.second;

        compute(l, mid - 1, optl, opt);
        compute(mid + 1, r, opt, optr);
    }

    long long solve() {
        dp_before.assign(n, 0);
        dp_cur.assign(n, 0);
        for (int i = 0; i < n; i++)
            dp_before[i] = C(0, i);

        for (int i = 1; i < m; i++) {
            compute(0, n - 1, 0, n - 1);
            dp_before = dp_cur;
        }

        return dp_before[n - 1];
    }

```

**SOS DP:**

```

for (int s=m; s; s=(s-1)&m)

```

**Indexed Set:**

```
#include <ext/pb_ds/assoc_container.hpp>
```

```

using namespace __gnu_pbds;
template <typename T> using indexed_set =
tree<T, null_type, less<T>, rb_tree_tag,
tree_order_statistics_node_update>; //
order_of_key(x) = # of elements smaller than
the element x, find_by_order(x) = x-th
element of the set

```

**Linear Diophantine Equation**

```

int gcd(int a, int b, int& x, int& y) {
    if (b == 0) {
        x = 1;
        y = 0;
        return a;
    }
    int x1, y1;
    int d = gcd(b, a % b, x1, y1);
    x = y1;
    y = x1 - y1 * (a / b);
    return d;
}

```

```

bool find_any_solution(int a, int b, int c,
int &x0, int &y0, int &g) {
    g = gcd(abs(a), abs(b), x0, y0);
    if (c % g) {
        return false;
    }
    x0 *= c / g;
    y0 *= c / g;
    if (a < 0) x0 = -x0;
    if (b < 0) y0 = -y0;
    return true;
}

```

```

void shift_solution(int &x, int &y, int a,
int b, int cnt) {
    x += cnt * b;
    y -= cnt * a;
}

```

```

}

int find_all_solutions(int a, int b, int c,
int minx, int maxx, int miny, int maxy) {
    int x, y, g;
    if (!find_any_solution(a, b, c, x, y,
g))
        return 0;
    a /= g;
    b /= g;
    int sign_a = a > 0 ? +1 : -1;
    int sign_b = b > 0 ? +1 : -1;
    shift_solution(x, y, a, b, (minx - x) /
b);
    if (x < minx)
        shift_solution(x, y, a, b, sign_b);
    if (x > maxx)
        return 0;
    int lx1 = x;
    shift_solution(x, y, a, b, (maxx - x) /
b);
    if (x > maxx)
        shift_solution(x, y, a, b, -sign_b);
    int rx1 = x;
    shift_solution(x, y, a, b, -(miny - y) /
a);
    if (y < miny)
        shift_solution(x, y, a, b, -sign_a);
    if (y > maxy) return 0;
    int lx2 = x;
    shift_solution(x, y, a, b, -(maxy - y) /
a);
    if (y > maxy)
        shift_solution(x, y, a, b, sign_a);
    int rx2 = x;

    if (lx2 > rx2) swap(lx2, rx2);
    int lx = max(lx1, lx2);

```

```

        int rx = min(rx1, rx2);
        if (lx > rx)
            return 0;
        return (rx - lx) / abs(b) + 1;
    }
Treap
// given a string s, perform m operations of
the form:
// 1. reverse the substring s[l..r]
// (1-indexed)
// 2. move the substring s[l..r] to the end
of the string

struct Node {
    Node *l = 0, *r = 0;
    char val; // if it was a string
    int y, c = 1;

    bool rev = false;
    int sum;
    int add = 0;
    bool has_add = 0;

    Node(char val) : val(val), y(rand()) {}
    void recalc();
};

int cnt(Node* n) { return n ? n->c : 0; }
void Node::recalc() {
    c = 1 + cnt(l) + cnt(r);
}
void push(Node* n) { // push the reverse
flag down
    if (!n) return;
    if (n->rev) {
        swap(n->l, n->r); // reverse
children
        if (n->l) n->l->rev ^= true;
        if (n->r) n->r->rev ^= true;

```

```

        n->rev = false;
    }
    if (n->has_add) {
        n->val += n->add;
        n->sum += n->add * cnt(n);
        n->has_add = false;
        n->add = 0;
    }
    if(n->l) n->l->has_add = true,
n->l->add += n->add;
    if(n->r) n->r->has_add = true,
n->r->add += n->add;
}

pair<Node*, Node*> split(Node* n, int k) {
// Split the tree into two parts: the first
part contains the first k nodes
    if (!n) return {};
    push(n);
    if (cnt(n->l) >= k) {
        auto [L, R] = split(n->l, k);
        n->l = R;
        n->recalc();
        return {L, n};
    } else {
        auto [L, R] = split(n->r, k -
cnt(n->l) - 1);
        n->r = L;
        n->recalc();
        return {n, R};
    }
}

Node* merge(Node* l, Node* r) {
    if (!l) return r;
    if (!r) return l;
    push(l);

```

```

push(r);
if (l->y > r->y) {
    l->r = merge(l->r, r);
    l->recalc();
    return l;
} else {
    r->l = merge(l, r->l);
    r->recalc();
    return r;
}

Node* ins(Node* t, Node* n, int pos) {
//insert n at position pos, 0-indexed
    auto [l, r] = split(t, pos);
    return merge(merge(l, n), r);
}
Node* erase(Node* t, int pos) { //erase at
pos, 0 indexed
    Node *a, *b, *c;
    tie(a, b) = split(t, pos);
    tie(b, c) = split(b, 1);
    delete b; // free memory if needed
    return merge(a, c);
}
void move(Node*& t, int l, int r, int k) {
// Example application: move the range [l,
r) to index k
    Node *a, *b, *c;
    tie(a, b) = split(t, l);
    tie(b, c) = split(b, r - 1);
    if (k <= l) t = merge(ins(a, b, k), c);
    else t = merge(a, ins(c, b, k - r));
}
// get range sum of [l, r)
int range_sum(Node*& t, int l, int r) {
    Node *a, *b, *c;
    tie(a, b) = split(t, l);
}

```

```

tie(b, c) = split(b, r - 1);
int res = b->sum;
t = merge(a, merge(b, c));
return res;
}
// range add [l, r) by x
// if(b) b->add += x, b->has_add = true;
// merge back to t

// range reverse [l, r)
// if(b) b->rev ^= true;
// merge back to t

void each(Node* n, string& out) {
    if (!n) return;
    push(n);
    each(n->l, out);
    out += n->val;
    each(n->r, out);
}

int main() {
    int n, m;
    cin >> n >> m;
    string s;
    cin >> s;

    Node* treap = nullptr;
    for (char ch : s)
        treap = merge(treap, new Node(ch));

    while (m--) {
        int a, b;
        cin >> a >> b;
        Node *left, *mid, *right;
        tie(left, mid) = split(treap, a -
1);

```

```

tie(mid, right) = split(mid, b - a +
1);
treap = merge(left, right);
mid->rev ^= true;
treap = merge(treap, mid); // move
to end
}

string res;
each(treap, res); // print the array
cout << res << '\n';
}

Gaussian Algorithm
const int N = 3e5 + 9;
const double eps = 1e-9;
int Gauss(vector<vector<double>> a,
vector<double> &ans) {
    int n = (int)a.size(), m =
(int)a[0].size() - 1;
    vector<int> pos(m, -1);
    double det = 1; int rank = 0;
    for(int col = 0, row = 0; col < m && row <
n; ++col) {
        int mx = row;
        for(int i = row; i < n; i++)
if(fabs(a[i][col]) > fabs(a[mx][col])) mx =
i;
        if(fabs(a[mx][col]) < eps) {det = 0;
continue;}
        for(int i = col; i <= m; i++)
swap(a[row][i], a[mx][i]);
        if (row != mx) det = -det;
        det *= a[row][col];
        pos[col] = row;
        for(int i = 0; i < n; i++) {
            if(i != row && fabs(a[i][col]) > eps)
{
```

```

        double c = a[i][col] / a[row][col];
        for(int j = col; j <= m; j++)
a[i][j] -= a[row][j] * c;
    }
    ++row; ++rank;
}
ans.assign(m, 0);
for(int i = 0; i < m; i++) {
    if(pos[i] != -1) ans[i] = a[pos[i]][m] /
a[pos[i]][i];
}
for(int i = 0; i < n; i++) {
    double sum = 0;
    for(int j = 0; j < m; j++) sum += ans[j]
* a[i][j];
    if(fabs(sum - a[i][m]) > eps) return -1;
//no solution
}
for(int i = 0; i < m; i++) if(pos[i] ==
-1) return 2; //infinite solutions
return 1; //unique solution
}
int main() {
    int n, m; cin >> n >> m;
    vector< vector<double> > v(n);
    for(int i = 0; i < n; i++) {
        for(int j = 0; j <= m; j++) {
            double x; cin >> x; v[i].push_back(x);
        }
    }
    vector<double> ans;
    int k = Gauss(v, ans);
    if(k) for(int i = 0; i < n; i++) cout <<
fixed << setprecision(5) << ans[i] << ' ';
    else cout << "no solution\n";
    return 0;
}

```

```

int gauss (vector < bitset<N> > a, int n,
int m, bitset<N> & ans) {
    vector<int> where (m, -1);
    for (int col=0, row=0; col<m && row<n;
++col) {
        for (int i=row; i<n; ++i)
            if (a[i][col]) {
                swap (a[i], a[row]);
                break;
            }
        if (! a[row][col])
            continue;
        where[col] = row;

        for (int i=0; i<n; ++i)
            if (i != row && a[i][col])
                a[i] ^= a[row];
        ++row;
    }
    // The rest of implementation is the
    same as above
}

Lazy Segment tree recursive:
template <class S,
          S (*op)(S, S),
          S (*e)(),
          class F,
          S (*mapping)(F, S),
          F (*composition)(F, F),
          F (*id)()
          >
struct lazy_segtree {
//internally 1 indexing
    public:
        lazy_segtree() : lazy_segtree(0) {}
        explicit lazy_segtree(int n) :
lazy_segtree(std::vector<S>(n, e())) {}

```

```

        explicit lazy_segtree(const
std::vector<S>& v) : _n(int(v.size())) {
    //v is 1 indexed
    size = _n - 1;
    d = std::vector<S>(4 * _n + 5, e());
    lz = std::vector<F>(4 * _n + 5,
id());
    arr = v;
    build(1, 1, size);
}
void build(int tv, int tl, int tr) {
    if(tl == tr) d[tv] = arr[tl];
    else {
        int tm = (tl + tr) >> 1;
        build(tv*2, tl, tm);
        build(tv*2+1, tm+1, tr);
        d[tv] = op(d[tv*2], d[tv*2 +
1]);
    }
}
void push(int tv, int tl, int tr) {
    if(lz[tv]==id()) return;
    d[tv] = mapping(lz[tv], d[tv]);
    if(tl < tr) {
        lz[tv*2] = composition(lz[tv*2],
lz[tv]);
        lz[tv*2+1] =
composition(lz[tv*2+1], lz[tv]);
    }
    lz[tv] = id();
}
void update(int l, int r, F f, int tv,
int tl, int tr, int init) {
    //printf("now at %d %d\n", tl, tr);
    push(tv, tl, tr);
    if(r < l) return;
    if(l == tl && r == tr) {
        lz[tv] = f;
    }
}

```

```

        push(tv, tl, tr);
    }
    else {
        int tm = (tl + tr) / 2;
        update(l, min(tm, r), f, tv*2,
tl, tm, init);
        update(max(tm+1, l), r, f,
tv*2+1, tm+1, tr, init);
        d[tv] = op(d[tv*2], d[tv*2+1]);
    }
}
S get(int l, int r, int tv, int tl, int
tr) {
    push(tv, tl, tr);
    if(r < l) return e();
    if(l == tl && r == tr) {
        return d[tv];
    }
    else {
        int tm = (tl + tr) / 2;
        return op(get(l, min(tm, r),
tv*2, tl, tm),
            get(max(tm+1, l), r, tv*2+1,
tm+1, tr));
    }
}
void apply(int l, int r, F f) {
    update(l, r-1, f, 1, 1, size, l);
}
S prod(int l, int r) {
    return get(l, r-1, 1, 1, size);
}
private:
    int _n, size, log;
    std::vector<S> d;
    std::vector<S> arr;
    std::vector<F> lz;
};

```

Aho Corasick:

```

struct AC {
    struct state {
        int to[ALPHA], depth, sLink,
        int par, parLet, cnt, nxt[ALPHA];
    } states[N];
    vector<int> suff_tree[N]; int tot_nodes;
    void init() {
        for(int i = 0; i < N; i++)
suff_tree[i].clear();
        tot_nodes = 1; clr(states);
//careful, memset TLE
    }
    int add_string(string &str) {
        int cur = 1;
        for(int i = 0; i < str.size(); i++) {
            int c = str[i]-'a';
            if(!states[cur].to[c]) {
                states[cur].to[c] = ++tot_nodes;
                states[tot_nodes].par = cur;
            }
            states[tot_nodes].depth=states[cur].depth+1;
            states[tot_nodes].parLet = c;
            cur = states[cur].to[c];
        }
        return cur;
    }
    void push_links() {
        queue <int> qq;
        qq.push(1);
        while (!qq.empty()) {
            int node = qq.front();
            qq.pop();
            if (states[node].depth <= 1)
                states[node].sLink = 1;
            else {

```

```

                int cur =
states[states[node].par].sLink;
                int parLet = states[node].parLet;
                while (cur > 1 and
!states[cur].to[parLet]){
                    cur = states[cur].sLink;
                }
                if (states[cur].to[parLet]) {
                    cur = states[cur].to[parLet];
                }
                states[node].sLink = cur;
            }
            if(node!=1)

suff_tree[states[node].sLink].pb(node);
            for (int i = 0 ; i < ALPHA; i++) {
                if(states[node].to[i])
qq.push(states[node].to[i]);
            }
        }
        int next_state(int from, int c) {
            if(states[from].nxt[c])
                return states[from].nxt[c];
            int cur = from;
            while(cur>1&&!states[cur].to[c])
                cur=states[cur].sLink;
            if(states[cur].to[c]) cur =
states[cur].to[c];
            return states[from].nxt[c] = cur;
        }
        void dfs(int u) {
            for(int v : suff_tree[u]) {
                dfs(v); states[u].cnt += states[v].cnt;
            }
        }
    }aho;

```

**Manacher:**

```
//p[0][i] = maxlen of hlf palin arnd half
idx i
//p[1][i] = maxlen of hlf palin arnd idx i,0
based
VI p[2];
void manacher(const string s) {
    int n = s.size(); p[0] = VI(n+1); p[1] =
VI(n);
    for (int z=0; z<2; z++) {
        for (int i=0, l=0, r=0; i<n; i++) {
            int t = r - i + !z;
            if (i<r) p[z][i] = min(t, p[z][l+t]);
            int L = i-p[z][i], R = i+p[z][i] - !z;
            while (L>=1 && R+1<n && s[L-1] ==
s[R+1])
                p[z][i]++;
            L--;
            R++;
        }
    }
    bool ispalin(int l, int r) {
        int mid = (l+r+1)/2, sz = r-l+1;
        return 2*p[sz%2][mid] + sz%2 >=sz;
    }
}
namespace mincost {
    const int V=40100,E=1001000,_inf=0x20;
    int q[V*30],
vis[V],fst[V],pre[V],nxt[E],y[E],f[E],S,T,
flow,tot,tn; const ll inf=1ll<<60; ll
dis[V],c[E],cost;
    void init(int s,int t,int Tn) {
tot=1; tn=Tn; F0R(i,tn) fst[i]=0; S=s;T=t;
    void add(int u,int v,int ff,int cc) {

tot++;y[tot]=v;nxt[tot]=fst[u];f[tot]=ff;c[t
ot]=cc;fst[u]=tot;
tot++;y[tot]=u;nxt[tot]=fst[v];f[tot]=0;c[t
ot]=-cc;fst[v]=tot;
```

```
}
bool spfa() {
    F0R(i,tn)
dis[i]=inf,vis[i]=0,pre[i]=0;
    dis[S]=0;q[0]=S;vis[S]=1; int t=1;
    F0R(i,t) {
        int u=q[i];
        for (int j=fst[u];j;j=nxt[j]) {
            int v=y[j];
            if (f[j]&&dis[v]>dis[u]+c[j]) {
                dis[v]=dis[u]+c[j];
                pre[v]=j;
                if (!vis[v])
                    vis[v]=1,q[t++]=v;
            }
            vis[u]=0;
        }
        return dis[T]!=inf;
    }
    void augment() {
        int p=T, _f=1<<30; // For pos, set _f
= 0
        while (pre[p])
_f=min(_f,f[pre[p]]),p=y[pre[p]^1];
        flow+=_f;cost+=_f*dis[T]; p=T;
        while (pre[p])
f[pre[p]]-=_f,f[pre[p]^1]+=_f,p=y[pre[p]^1];
    }
    void solve() {
        flow=0,cost=0;vector<ll> ans;
        while (spfa()) augment();
        ans.pb(-cost);
        // For pos, ans.pb(cost);
    }
}
// mincost::init(source,sink,total_nodes)
// mincost::add(from,to,cap,cost)
```

```
// For neg, set _f=big, and cost = actual
cost
// mincost::solve()
template<Geometry>..... 1
Miller Robin Primality Test..... 3
Convex Hull Trick Linear..... 3
Convex Hull Trick Dynamic..... 4
2SAT..... 4
Articulation Points..... 5
Bridges..... 5
Maxflow Dinic..... 5
Shortest cycle..... 6
Hopcroft..... 7
Eulerian Tour..... 7
Fast Fourier Transform..... 8
NTT (Number Theoretic Transform)..... 9
Z function trivial..... 10
KMP..... 10
Prefix function automaton..... 10
Trie Usaco..... 10
Suffix Array..... 11
MO + SQRT Decomposition..... 12
Mint (for matrix)..... 12
Matrix..... 12
Hungarian..... 13
Centroid Decomposition..... 13
HLD..... 13
Auxiliary Tree..... 14
Euler Tour Tree..... 14
Mobius..... 14
Phi..... 15
Chinese Remainder Theorem..... 15
Catalan Number..... 15
Eulerian Tour..... 16
Sparse Table..... 16
```

Hash:.....	16
Persistent Segment Tree:.....	18
BIT:.....	18
Divide and Conquer DP:.....	19
SOS DP:.....	19
Indexed Set:.....	19
Linear Diophantine Equation.....	19
Treap.....	20
Gaussian Algorithm.....	21
Lazy Segment tree recursive:.....	22
Aho Corasick:.....	23
Manacher:.....	24
Command with necessary flags:.....	25

**Command with necessary flags:**

```
g++ -std=c++17 -Wshadow -Wall -o "%e" -g
-fsanitize=address -fsanitize=undefined
-D_GLIBCXX_DEBUG
```

**RNG:**

```
mt19937
rng((unsigned)chrono::system_clock::now().time_since_epoch().count()); //mt199937_64 for ll
```

**Suffix Automaton:**

```
struct state {
    int len, link; map<char, int> next;
};
const int MAXLEN = 100000;
state st[MAXLEN * 2];int sz, last;
void sa_init() {
    st[0].len = 0; st[0].link = -1; sz++;
    last = 0;
}
```

```
void sa_extend(char c) {
    int cur = sz++;
    st[cur].len = st[last].len + 1;
    int p = last;
    while (p != -1 && !st[p].next.count(c)){
        st[p].next[c] = cur;
        p = st[p].link;
    }
    if (p == -1) st[cur].link = 0;
    else {
        int q = st[p].next[c];
        if (st[p].len + 1 == st[q].len) {
            st[cur].link = q;
        } else {
            int clone = sz++;
            st[clone].len = st[p].len + 1;
            st[clone].next = st[q].next;
            st[clone].link = st[q].link;
            while (p != -1
                && st[p].next[c] == q) {
                st[p].next[c] = clone;
                p = st[p].link;
            }
            st[q].link=st[cur].link=clone;
        }
    }
    last = cur;
}
```