

Home works:

- i) $x(n) = \sin(n\pi/2)$ & $h(n) = \cos(n\pi)$
Determine that system's output/response for $-5 \leq n \leq 5$

Code :

```
clc;
clear all;
disp('linear convolution program');
fs=input('Enter sampling frequency : ');
n= -5:(1/fs):5;
x=sin(n*pi/2);
m1=length(x);
h=cos(n*pi);
m2=length(h);
x=[x,zeros(1,m2)];
subplot(2,2,1), stem(x);
title('i/p sequence x(n) is :');
xlabel('----->n');
ylabel('-----> x(n) '); grid;

h=[h,zeros(1,m1)];
subplot(2,2,2), stem(h);
title('i/p sequence h(n) is :');
xlabel('----->n');
ylabel('-----> h(n) '); grid;
disp('Linear convolution of x(n) & h(n) is y(n) :');
y=zeros(1,m1+m2-1);

for i=1:m1+m2-1
    y(i)=0;
    for j=1:m1+m2-1
        if(j<i+1)
            y(i)=y(i)+x(j)*h(i-j+1);
        end
    end
end
end
y
subplot(2,2,[3,4]), stem(y);
title('Linear convolution of x(n) & h(n) is :');
xlabel('----->n');
ylabel('-----> y(n) ');
grid;
```

Output:

linear convolution program

Enter sampling frequency : 20

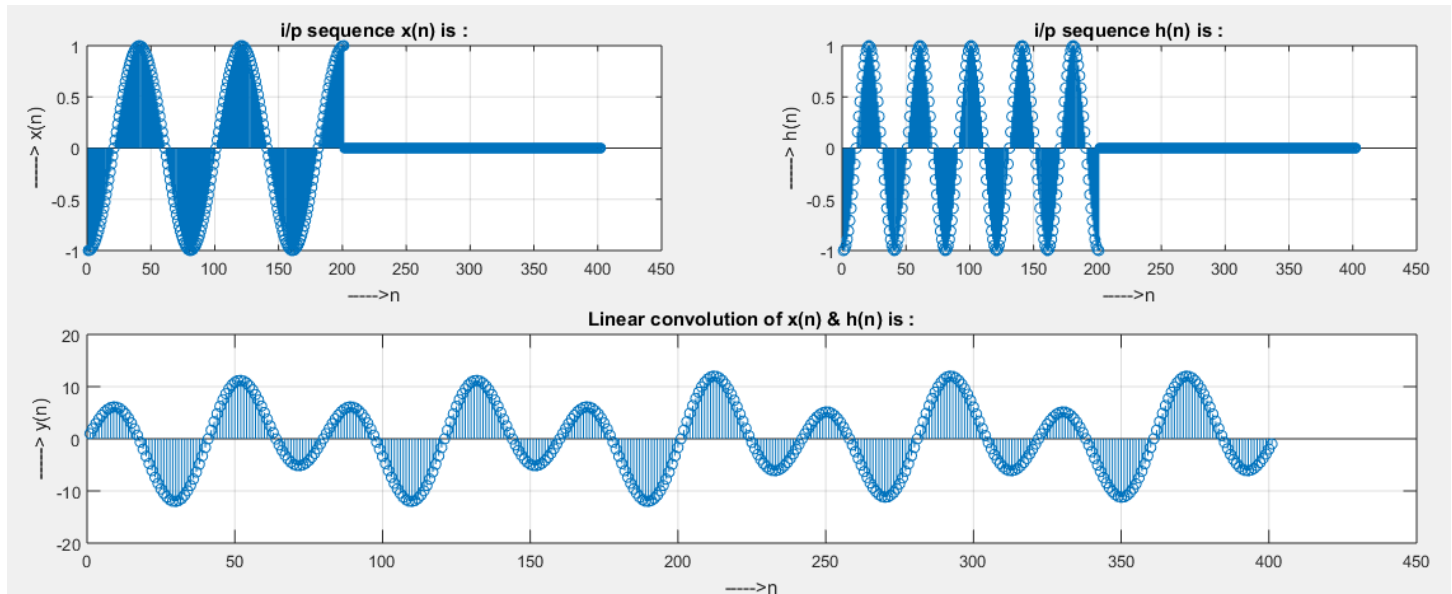


Figure 2.7: convolution between $x(n) = \sin(n\pi/2)$ & $h(n) = \cos(n\pi)$

Class works:

Task: To generate random signals using MATLAB.

```
N=1024;
R1=randn(1,N); %generate normal random numbers
R2=rand(1,N); %generate uniformly random numbers

figure(1);
subplot('221');
plot(R1);
grid;
title('Normal [Gaussian] Distributed Random Signal');
xlabel('Sample Number');
ylabel('Amplitude');

subplot('222');
hist(R1);
grid;
title('Histogram[Pdf] of a normal Random Signal');
xlabel('Sample Number');
ylabel('Total');

subplot('223');
plot(R2);
grid;
title('Uniformly Distributed Random Signal');
xlabel('Sample Number');
ylabel('Amplitude');

subplot('224');
hist(R2);
grid;
title('Histogram[Pdf] of a uniformly Random Signal');
xlabel('Sample Number');
ylabel('Total');
```

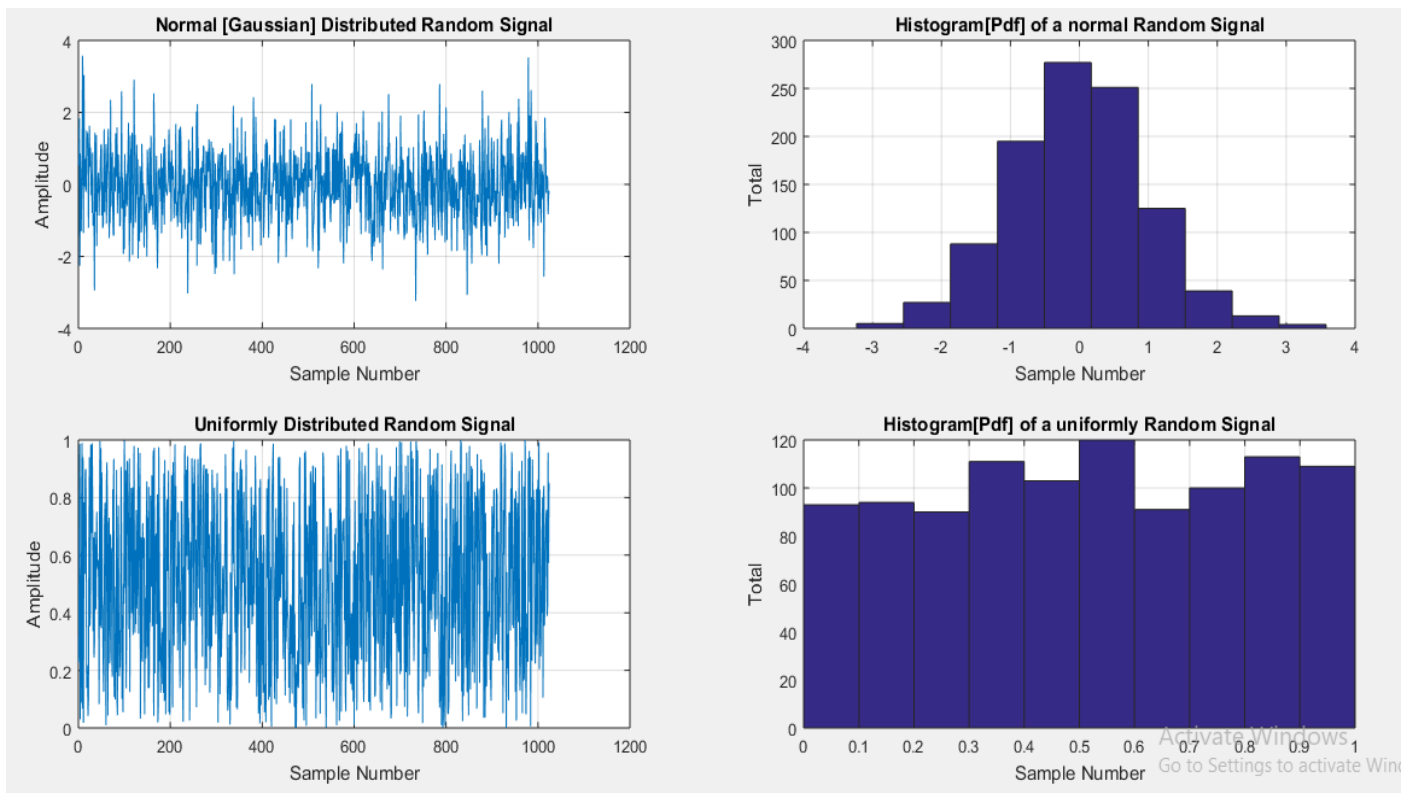


Figure 2.5: generating random signals using MATLAB.

Task: To perform convolution between two vectors using MATLAB.

```
clc;
clear all;
disp('linear convolution program');
x=input('enter i/p x(n):');
m=length(x);
h=input('Enter i/p h(n): ');
n=length(h);
x=[x,zeros(1,n)];
subplot(2,2,1), stem(x);
title('i/p sequence x(n) is :');
xlabel('----->n');
ylabel('-----> x(n)'); grid;
h=[h,zeros(1,m)];

subplot(2,2,2), stem(h);
title('i/p sequence h(n) is :');
xlabel('----->n');
```

```

ylabel('-----> h(n)'); grid;
disp('Linear convolution of x(n) & h(n) is y(n) :');
y=zeros(1,m+n-1);
for i=1:m+n-1
    y(i)=0;
    for j=1:m+n-1
        if(j<i+1)
            y(i)=y(i)+x(j)*h(i-j+1);
        end
    end
end
end
y

subplot(2,2,[3,4]), stem(y);
title('Linear convolution of x(n) & h(n) is :');
xlabel('----->n');
ylabel('-----> y(n)');
grid;

```

Output:

```

linear convolution program
enter i/p x(n):[1 2 3 4 1]
Enter i/p h(n): [2 1 0 -2]
Linear convolution of x(n) & h(n) is y(n) :
y =    2        5        8        9        2       -5       -8       -2

```

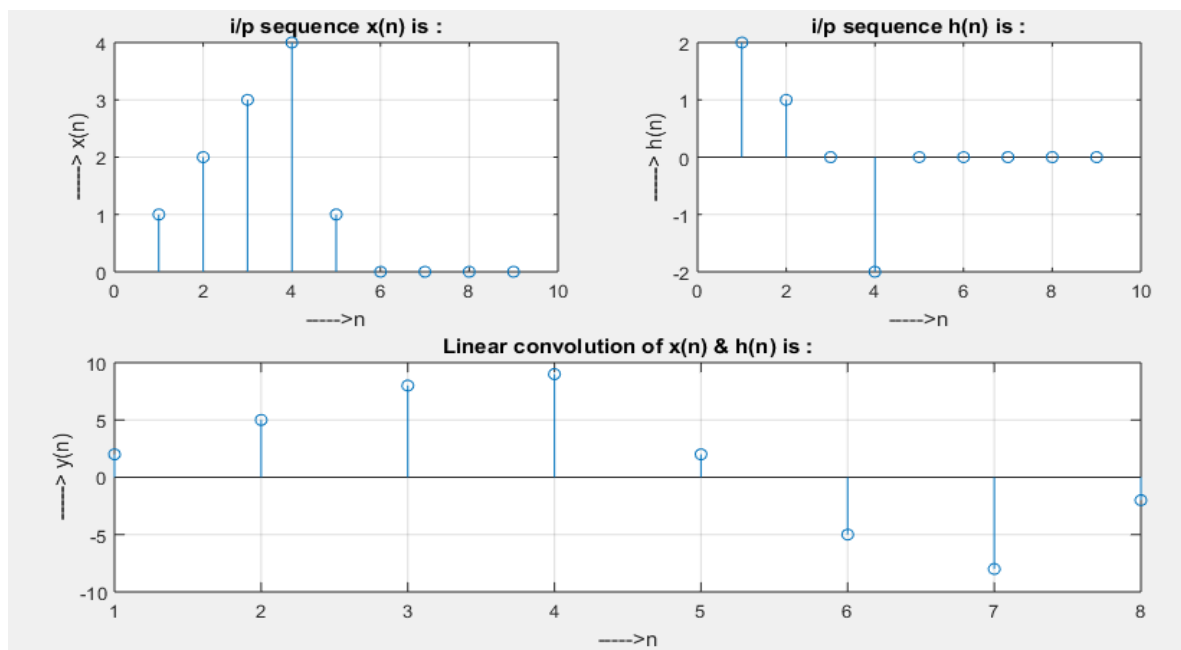


Figure 2.6: convolution between two vectors

Class works:

Task: To represent complex exponential as a function of real & imaginary part.

```
clc;
clear all;
close all;

N=100;

dw=pi/N;
w=0:dw:2*pi;
x=exp(-j*w); %%complex exponential

subplot(2,2,1)
stem(w,real(x));
title('Real part')
xlabel('Index(n)')

subplot(2,2,2)
stem(w,imag(x));
title('Imag. part')
xlabel('Index(n)')
```

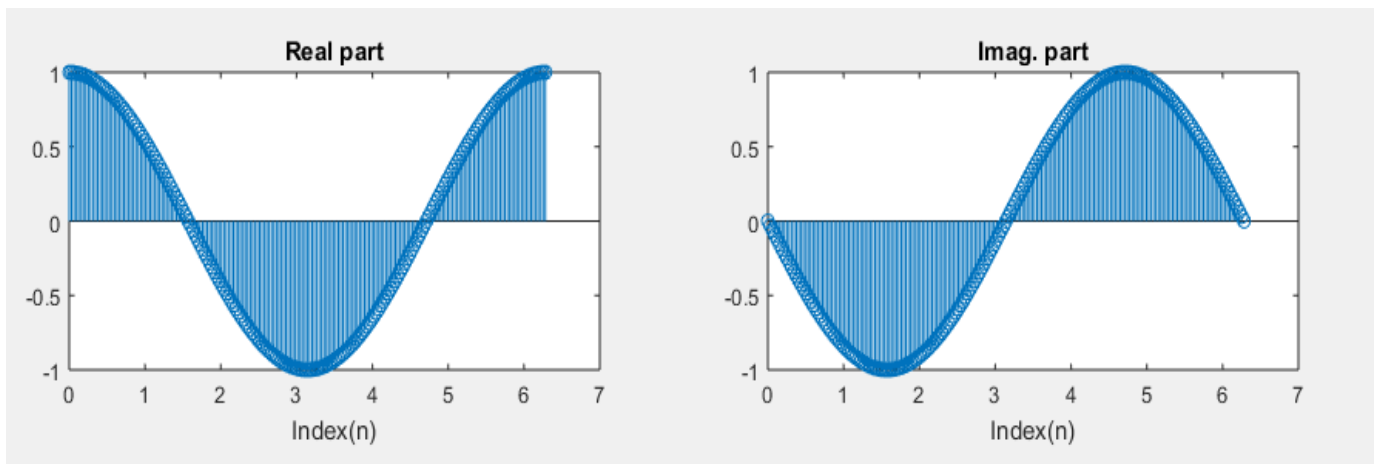


Figure 2.4: To represent complex exponential as a function of real & imaginary part.

Class works:

Task: To represent complex exponential as a function of real & imaginary part.

```
clc;
clear all;
close all;

N=1024;
a=3;
b=2;
c=1;

dw=2*pi/N;
w=-pi:dw:pi-dw;
s=exp(j*w);
G=(s-a)./((s-b).*(s-c));

figure;
plot(w,abs(G));
figure;
plot(w,20*log10(abs(G)));
```

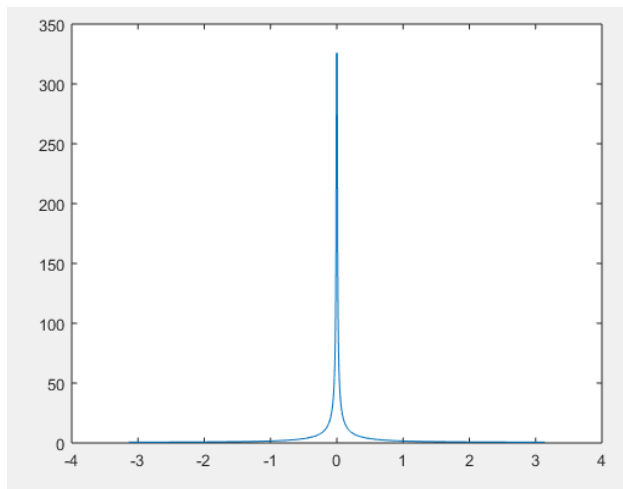


Figure 2.2: representing complex exponential function .

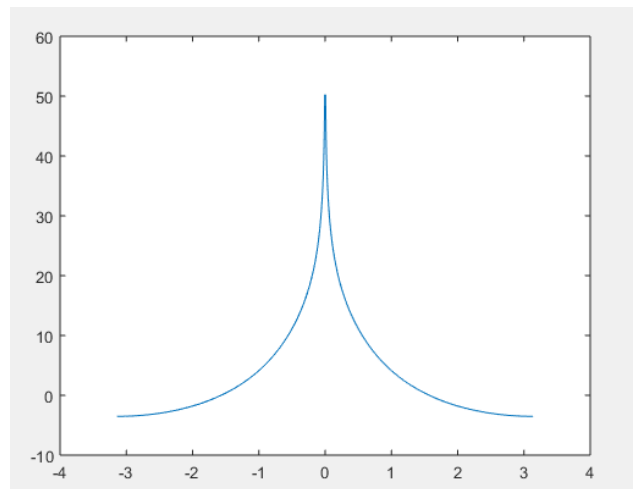


Figure 2.3: representing complex exponential function in logarithmic scale.

Class works:

Task : To generate discrete sine & cosine signals with given sampling frequency.

```
fs=input('Enter sampling frequency : ');  
f=input('Enter signal frequency : ');  
a=input('Enter amplitude : ');
```

```
%generation of sine signal  
t=0:(1/fs):1;  
y=a*sin(2*pi*f*t);  
subplot(2,1,1);  
stem(t,y);  
xlabel('Time-----');  
ylabel('Amplitude-----');  
title('Sine Wave');
```

```
%generation of cosine signal  
t=0:(1/fs):1;  
y=a*cos(2*pi*f*t);  
subplot(2,1,2);  
stem(t,y);  
xlabel('Time-----');  
ylabel('Amplitude-----');  
title('Cosine Wave');
```

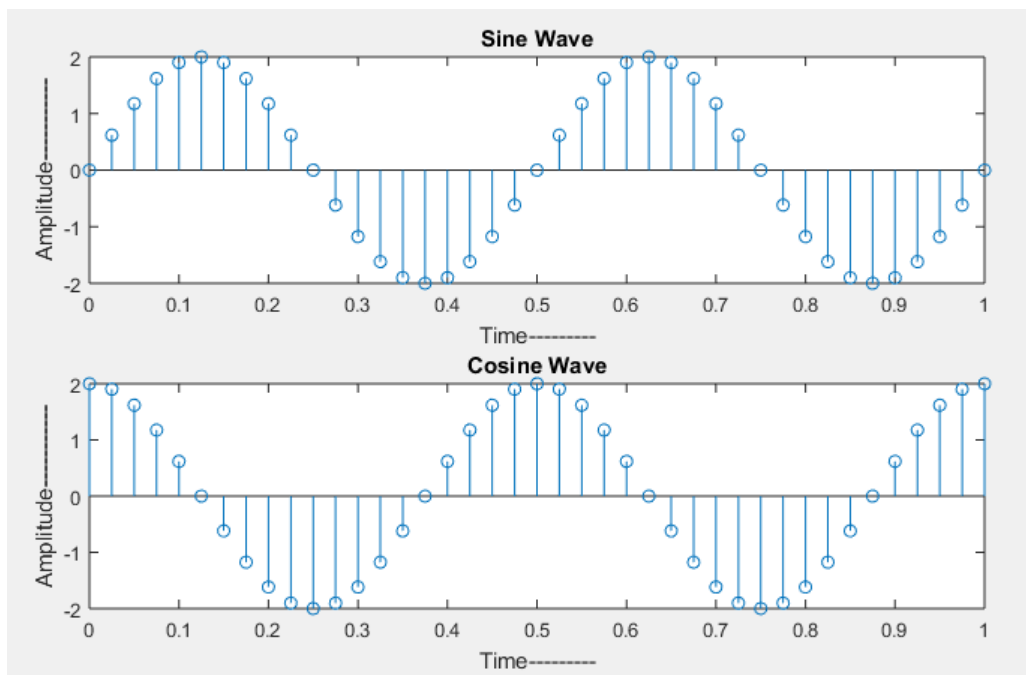


Figure 2.1: To generate discrete sine & cosine signals with given sampling frequency
 $F_s = 40$, $f = 2$, $a = 2$.