

# *CSE 251:Electronic Devices & Circuits*

## 3.Introduction to Op-Amp

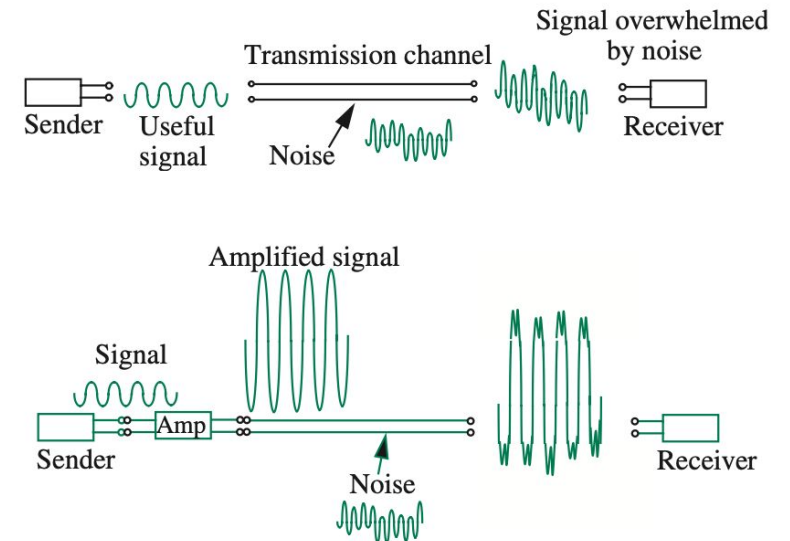
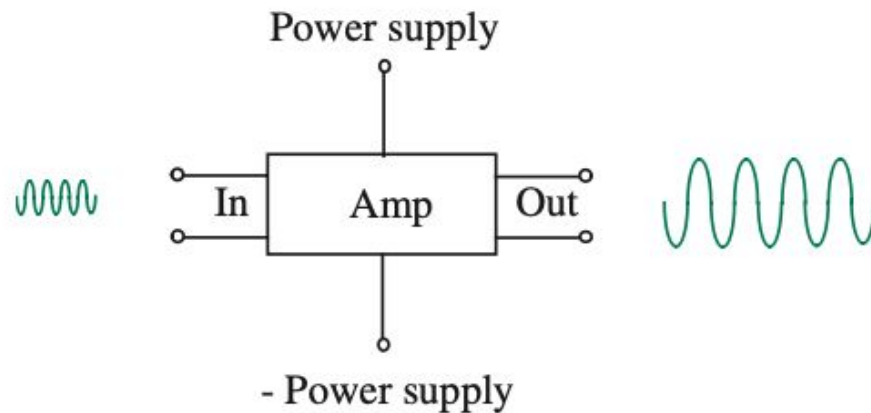
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# Review

- Last class: alternative representation, KCL, KVL, nodal
- Today: Operational amplifiers (Op-amp)

# Amplifier

- Linear amplifier  $\Rightarrow OUT = k \times IN$ .  $k$  is called the **gain** of the amplifier
- OUT/IN can be voltage or current
- Amplifier must provide power gain ( $P_{OUT} > P_{IN}$ ), hence need **power supply**
- Usage: communication

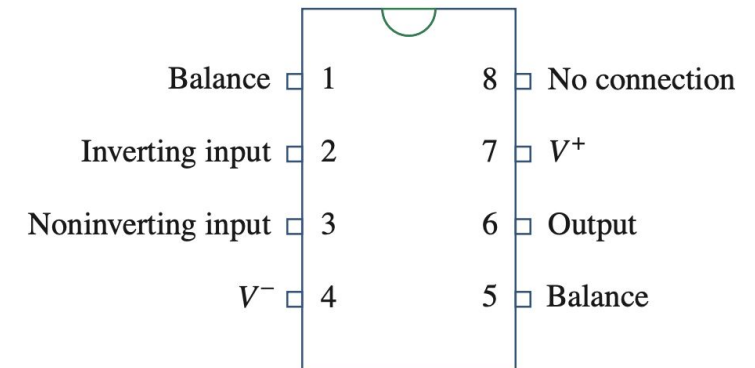
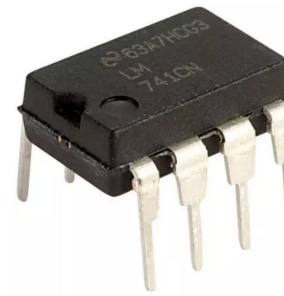
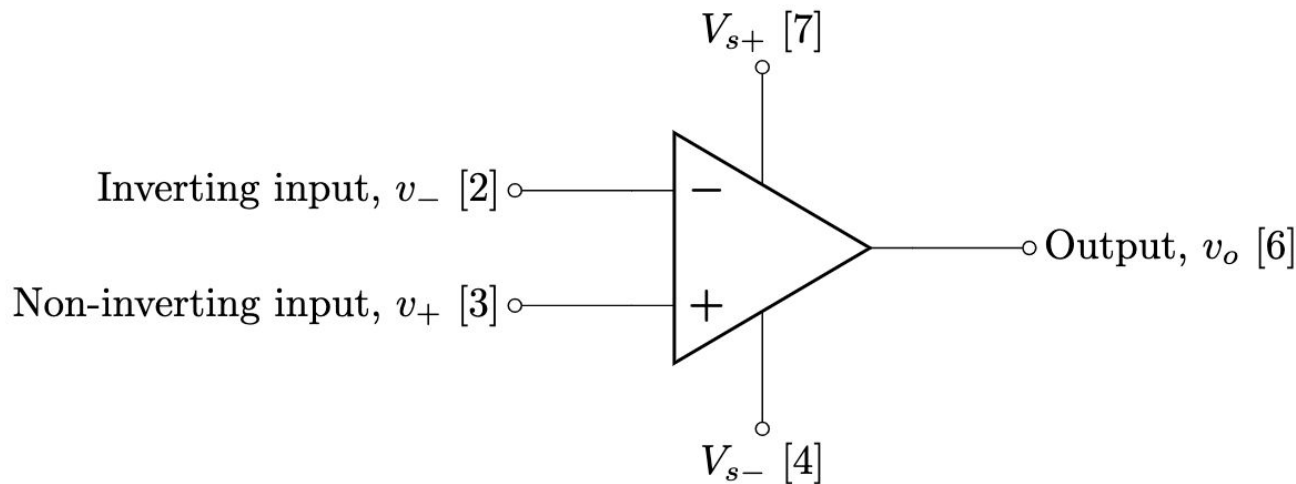


# Operational Amplifiers

- An operational amplifier, or **op-amp** for short, is a versatile and powerful integrated circuit that is widely used in a variety of electronic applications.
- An Op-Amp is designed so that it performs some mathematical operations when external components, such as resistors and capacitors, are connected to its terminals.
- The op amp is an electronic device consisting of a complex arrangement of resistors, transistors, capacitors, and diodes. A full discussion of what is inside the op amp is beyond the scope of this course. For now, it will suffice to treat the op amp as a circuit building block and simply study what takes place at its terminals.

# Terminals and Circuit Symbol

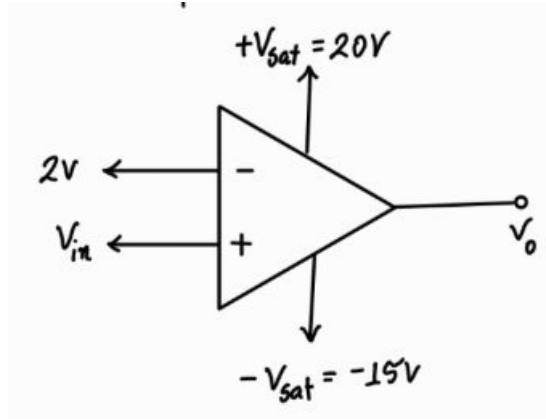
- Op-amps are **differential amplifiers** – meaning it amplifies the voltage difference between two terminals. Therefore, it has two inputs
- Since this is an amplifier, there are two terminals for **power supply**



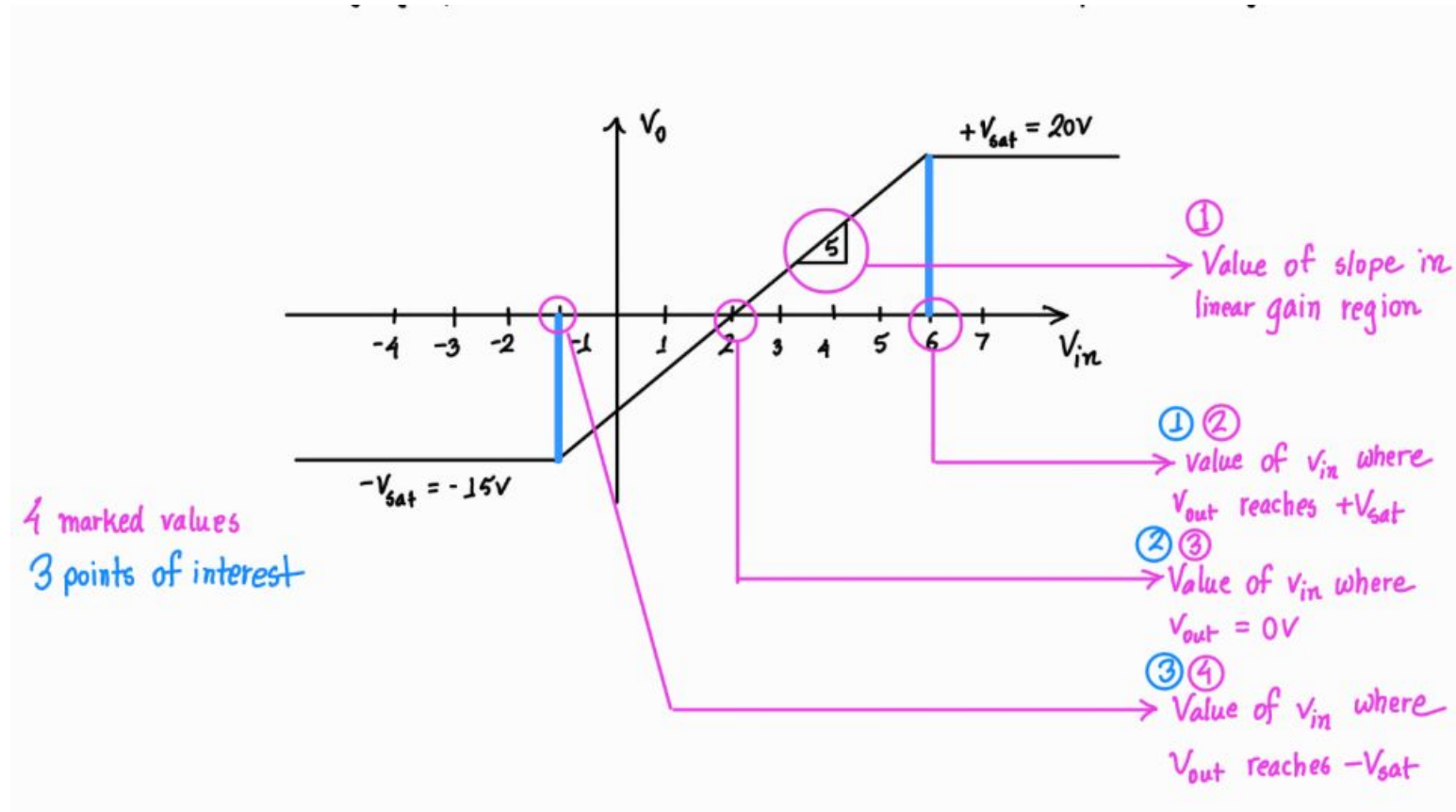
Why  $V_s$  needed?

# Example

- Consider  $A=5$ . Calculate  $V_o$  for different values of  $V_{in}$

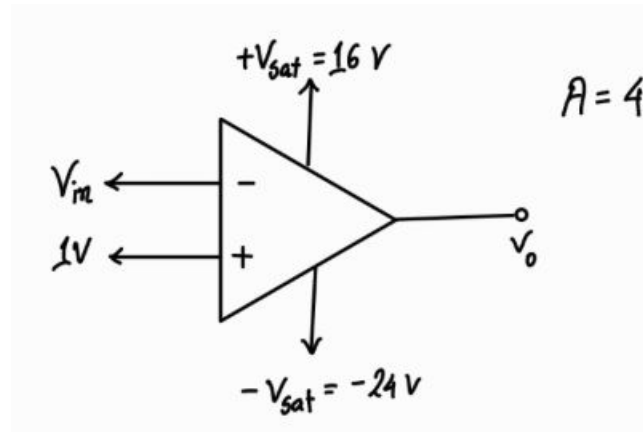


# Example(VTC)



# Example

- Plot the VTC



- The technique is only applicable for finite gain

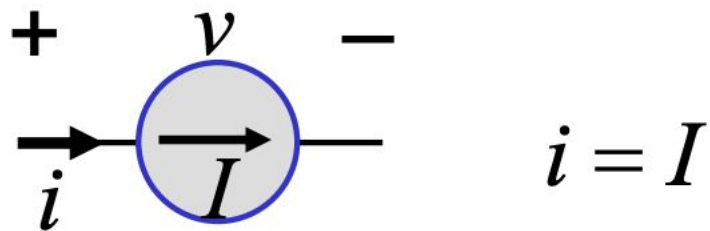


# Dependent Source

- Active sources – either voltage or current source
- Difference: voltage (or current) controlled by the voltage/current in a different branch
- Technically non-linear devices – because in real life, dependent sources are made using non-linear electronic devices (e.g. MOSFET)
- However, analysis are similar to linear circuits (CSE250), hence we will start with this

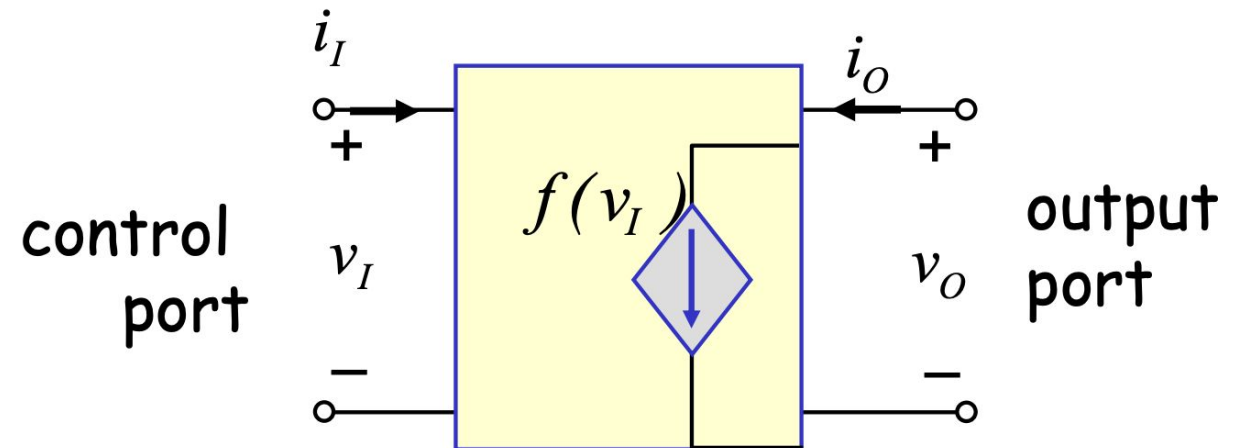
# Major Difference

Independent devices:



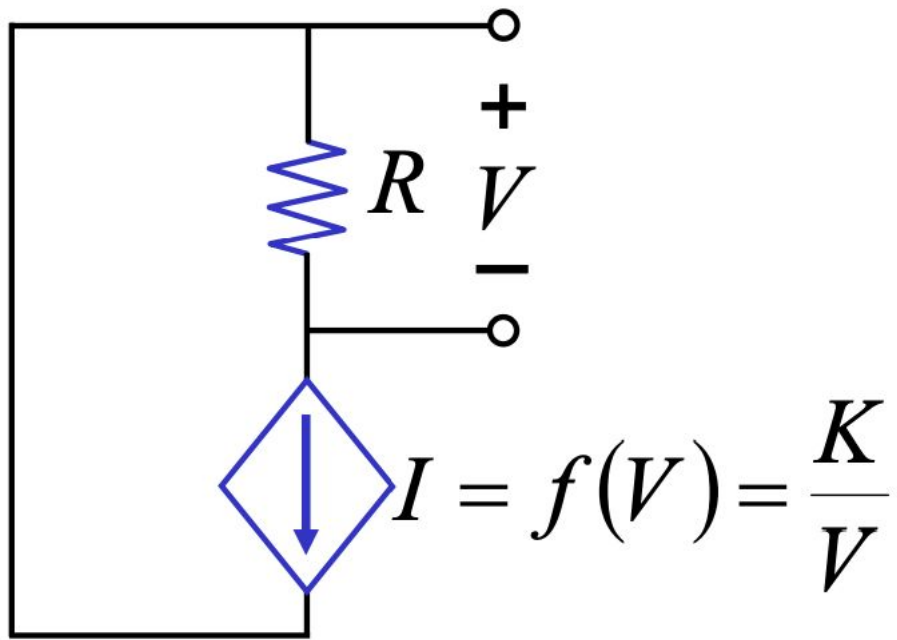
2 terminals, 1 port

Dependent devices:

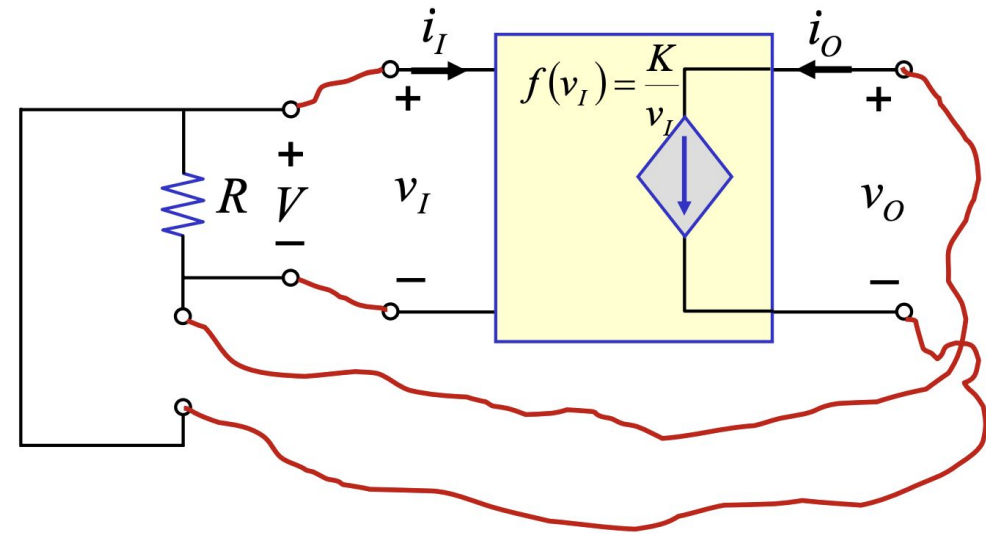


2 terminals, 2 port

## Example 2



Find  $V$

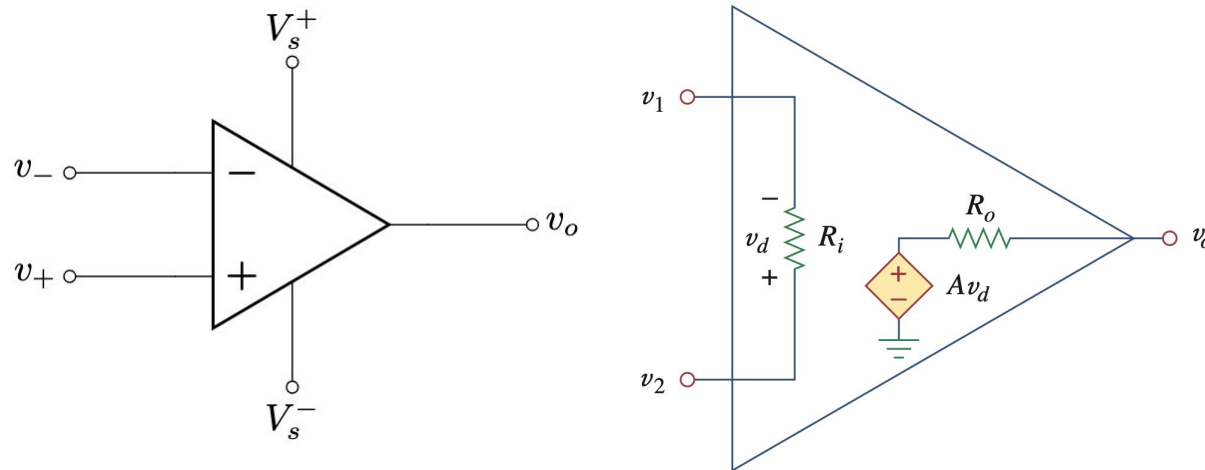


$$\begin{aligned} \text{Ans: } V &= IR \Rightarrow V = \left(\frac{K}{V}\right) R \\ &\Rightarrow V^2 = KR \Rightarrow V = \sqrt{KR} \end{aligned}$$

Application of dependent sources: amplifiers!

# Equivalent Circuit

Since op amp is an amplifier, the internal circuit can be modeled using a **voltage controlled voltage source** (VCVS)! (actual circuit is complicated)



$v_1 = v_-$  = voltage of inverting terminal

$v_2 = v_+$  = voltage of noninverting terminal

$v_d = v_+ - v_- = v_2 - v_1$   
= differential input voltage for VCVS

$A$  = Open loop gain

$R_i$  = Input resistance

$R_o$  = Output resistance

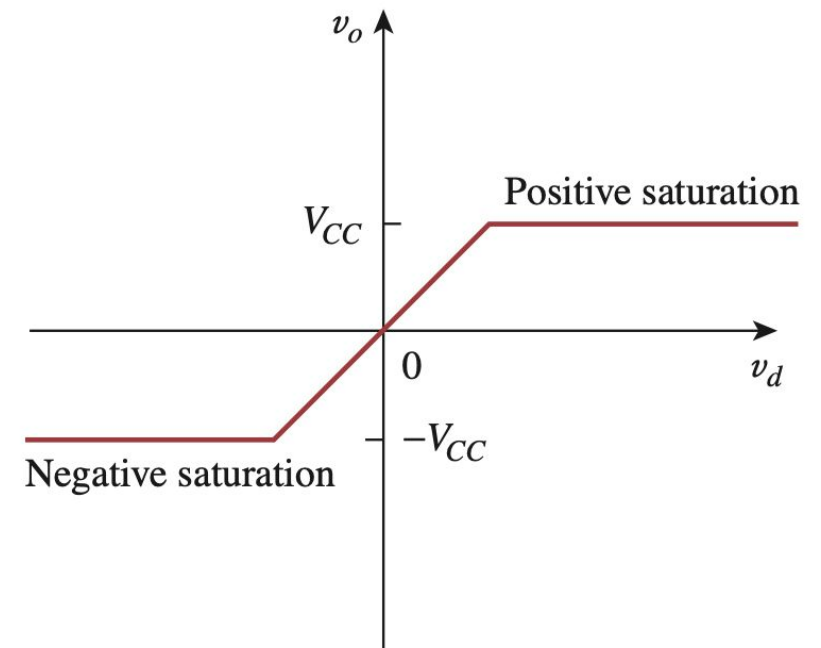
The op amp senses the difference between the two inputs, multiplies it by the gain  $A$ , and causes the resulting voltage to appear at the output. Thus, the output  $v_o$  is given by

$$v_o = Av_d = A(v_2 - v_1) = A(v_+ - v_-)$$

# Practical Limitation - Saturation

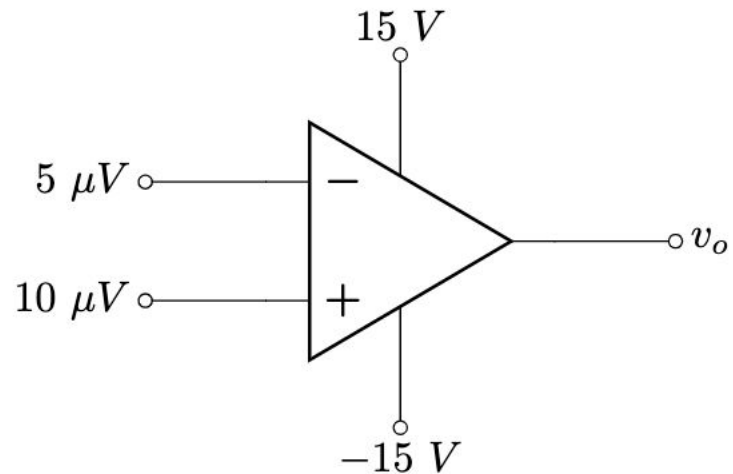
- Similar to amplifiers, the output of op-amp is limited by power supply (Saturation)
- Op-amp can operate in three modes, depending on  $v_d$ :
  - Positive saturation:  $v_o = V_s^+ = V_{CC}$
  - Linear region:  $-V_{CC} < v_o = Av_d < V_{CC}$  [Slope = A]
  - Negative saturation:  $v_o = V_s^- = -V_{CC}$
- If we attempt to increase  $v_d$  beyond the linear range, the op-amp becomes saturated and yields  $v_o = V_{CC}$  or  $v_o = -V_{CC}$ . That is the output voltage is restricted by

$$-V_{CC} \leq v_o \leq V_{CC}$$



# Example 3

- Find  $v_o$



$$A = 2 \times 10^5$$

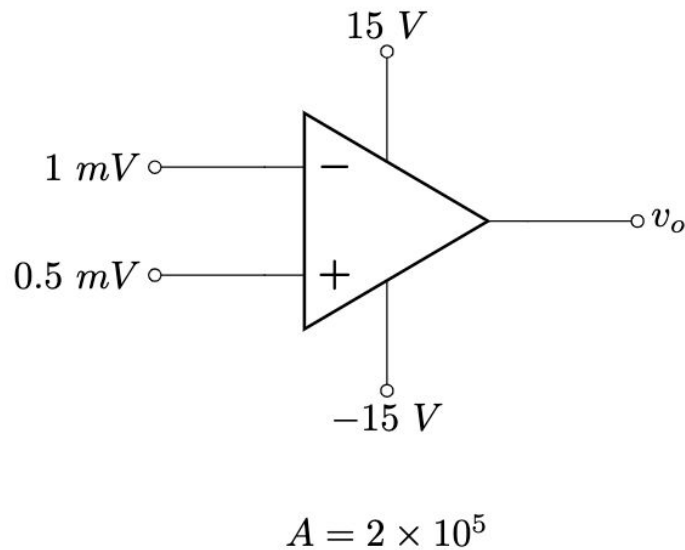
**Solution:**

$$v_d = v_+ - v_- = 10\ \mu V - 5\ \mu V = 5\ \mu V$$
$$\Rightarrow v_o = Av_d = (2 \times 10^5) \times (5 \times 10^{-6}) = 1\ V$$

Since this is in between  $-V_{CC}$  and  $V_{CC}$ , output valid

## Example 4

- Find  $v_o$



### Solution:

$$v_d = v^+ - v^- = 0.5 \text{ mV} - 1 \text{ mV} = -0.5 \text{ mV}$$

$$\rightarrow v_o = Av_d = (2 \times 10^5) \times (-0.5 \times 10^{-3}) = -100 \text{ V}$$

However, the output must be limited within the range of  $-V_{CC}$  to  $+V_{CC}$ . Therefore, the highest output voltage can be -15V.

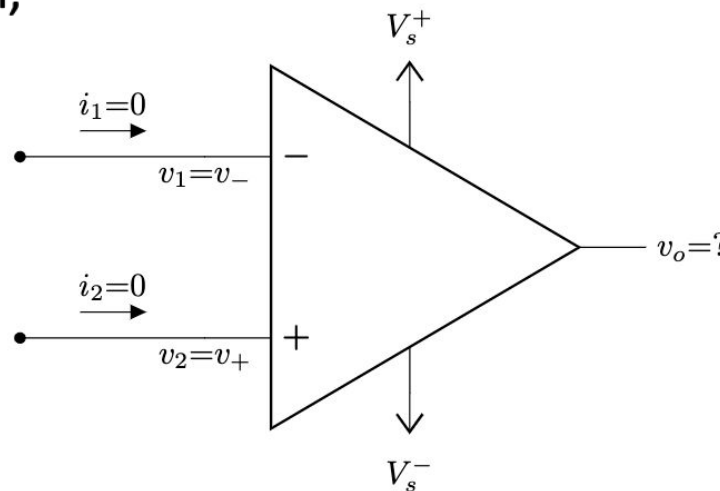
$$\therefore v_o = -15 \text{ V}$$

# The Ideal Op-Amp

- To facilitate the understanding of op amp circuits, we will assume **ideal op amps**
  - Infinite open-loop gain,  $A = \infty$
  - Infinite input resistance,  $R_i = \infty = \text{open circuit}$
  - Zero output resistance,  $R_o = 0 = \text{short circuit}$
- Although an ideal op amp provides only an approximate analysis, most modern amplifiers have such large gains and input impedances that the approximate analysis is a good one.
- **Circuit solving become much simpler.** As  $R_i = \infty, i_1 = i_2 = 0$
- Since  $A = \infty$ , in open-loop configuration,  $v_o$  will either be positive saturated or negative saturated (why?)

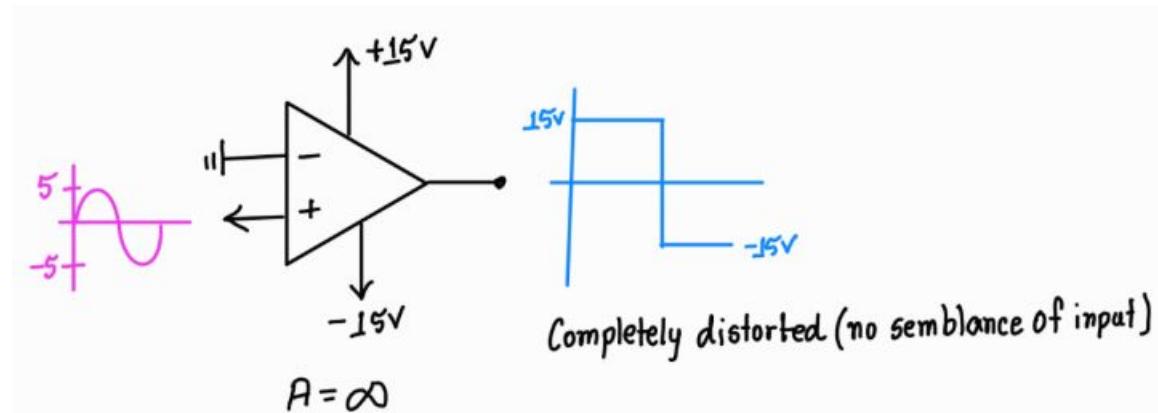
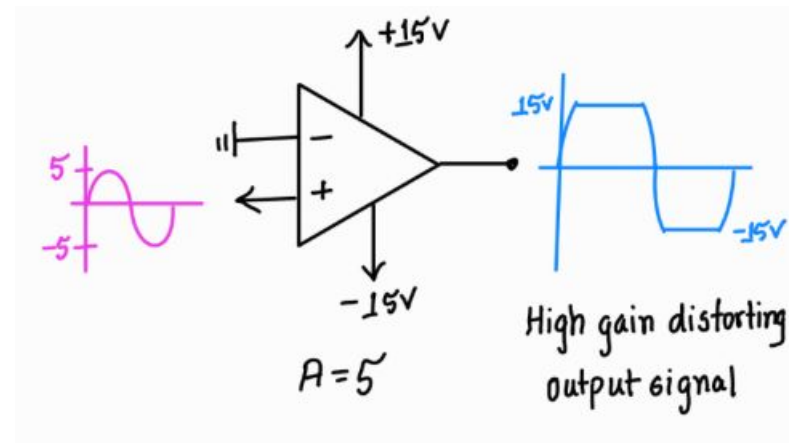
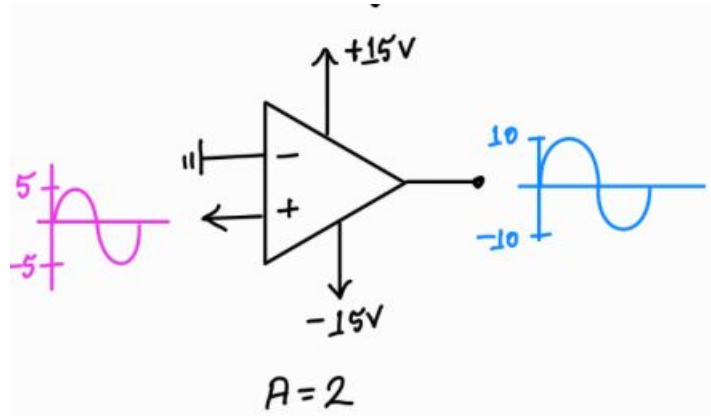
$$v_o = \begin{cases} V_s^+ & \text{if } v_d > 0 \Rightarrow v_2 > v_1 \\ V_s^- & \text{if } v_d < 0 \Rightarrow v_2 < v_1 \end{cases}$$

**Reminder:**  $v_d = v_2 - v_1 = v_+ - v_-$



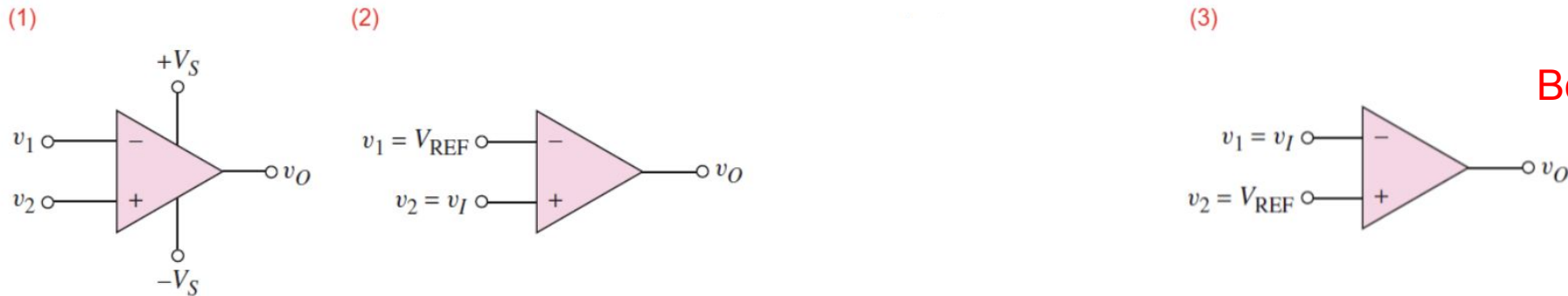


# Problem with infinite gain



# Why use open loop then? - Comparator

- A comparator compares two voltages to determine which is larger.
- The comparator is essentially an op-amp operated in an open-loop configuration
- Two types –
  - (1) **Non-inverting**: outputs a positive voltage ( $V_H = V_S^+$ ) when input is greater than reference
  - (2) **Inverting**: outputs a negative voltage ( $V_L = V_S^-$ ) when input is greater than reference
- Application – smoke detector, turning AC on/off automatically, etc



Bonus Task: VTC of (2) & (3)

Figure 2: (1) Op-Amp Comparator (2) Noninverting Circuit (3) Inverting Circuit

# Comparator Application – Automatic AC

Auto AC ON/OFF  
Sensor



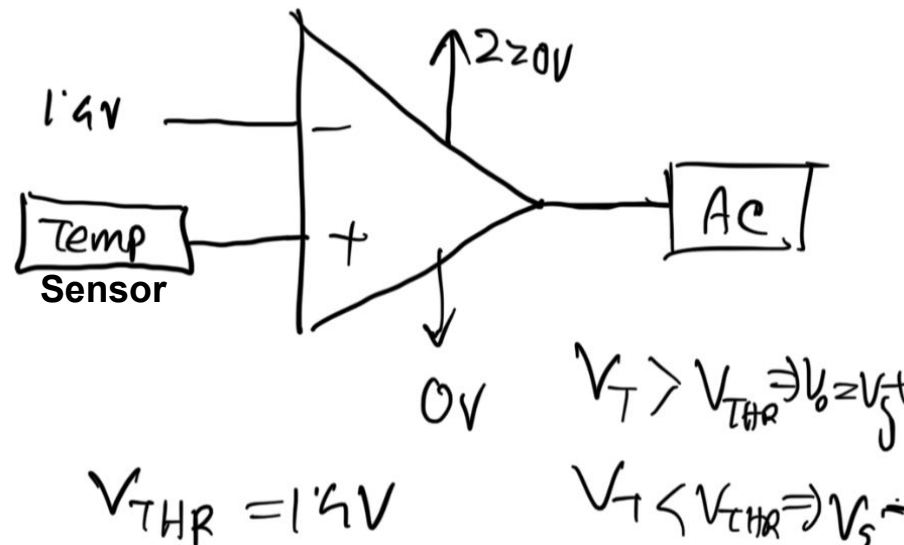
$$V_T \propto T$$

$$23^\circ, V_T = 1.2V$$

$$24^\circ, V_T = 1.4V$$

$$25^\circ, V_T = 1.6V$$

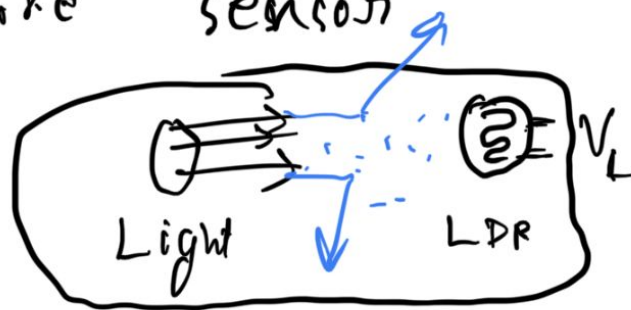
AC should be on if  
 $T > 24^\circ C$



# Smoke Detector

## ③ Smoke Detector

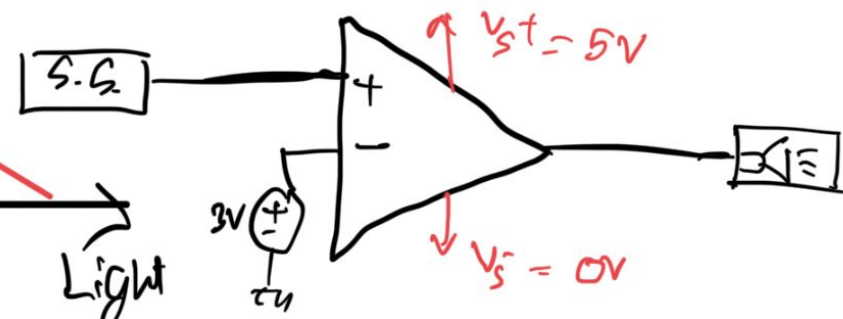
Smoke sensor



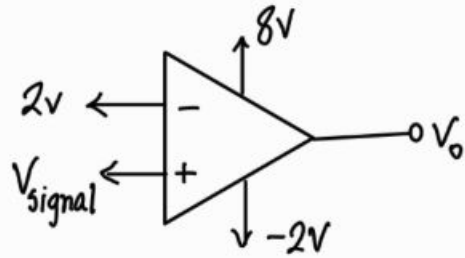
No smoke,  $V_L = \text{small} = 2V$

Smoke,  $V_L = \text{high} = 4V$

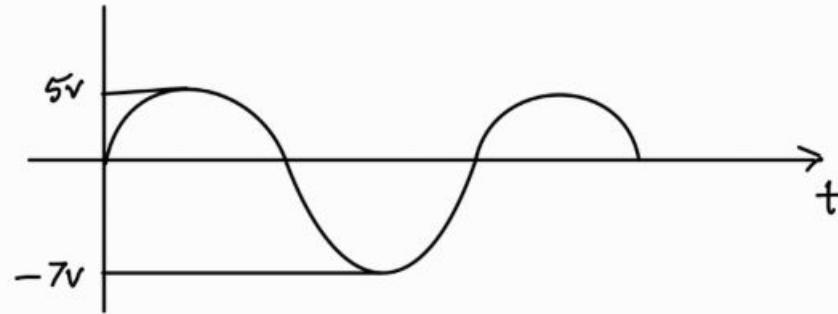
$V_L > 3V \Rightarrow \text{Alarm ON}$   
 $V_L < 3V \Rightarrow \sim \text{OFF}$



# Comparator Example



for  $V_{\text{signal}}$  graph given below, draw the  $v_o$  graph —



# Comparator Example

