

**BRAC UNIVERSITY**  
**CSE422 : Artificial Intelligence**  
**Fall 2025**

**Duration: 30 minutes**

**Quiz 3**

**Total: 15 marks**

**Name:** \_\_\_\_\_ **ID:** \_\_\_\_\_ **0.5 Points**

**Section:** \_\_\_\_\_ **0.5 Points**

1. Consider the current state of a game of Tic-Tac-Toe as follows:

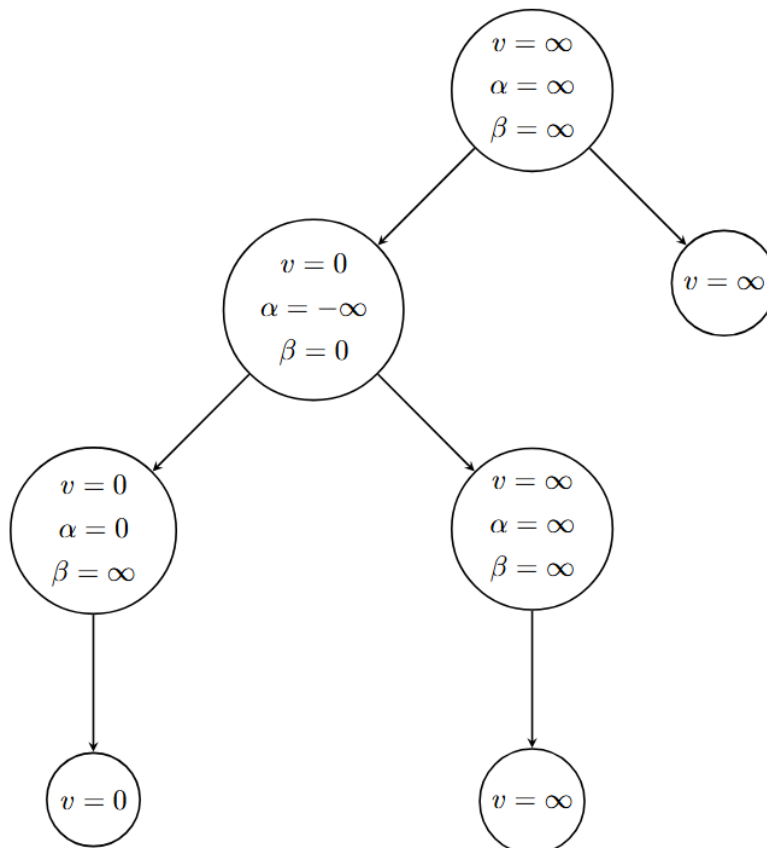
O	X	O
X	O	
		X

Fig: Current State

Use the **Minimax algorithm with Alpha-Beta Pruning** to determine the next move. (7 Points)

- Assume you are playing as 'O'.
- For each internal node, show its **minimax value**, along with its **alpha and beta values**.
- Generate child nodes **in row-major order** (i.e., fill cells from top-left to bottom-right).
- A win earns  $\infty$  **utility points**, a draw earns **0 utility points**, and a loss earns  $-\infty$  **utility points**.
- Only **expand nodes that are necessary** for the Minimax search.

Solution:



2. Consider the following objective function:

$$E(\theta) = |\sin^2(\theta) * \cos(\theta)|$$

Using the Hill-Climbing algorithm, if the initial value of  $\theta$  is 0.5 and the value of  $\theta$  can be changed by 0.1 at each step, what will be the **next value of  $\theta$** ? [Note: You must show all necessary calculations] (4 Points)

Answer:

$$E(0.4) = 0.14$$

$$E(0.6) = 0.26$$

$$\theta = 0.6$$

3. Write two techniques that we can use to **overcome the local maxima problem** of the Hill-Climbing algorithm. (2 Points)

Answer: 1. Random restart, 2. Simulated annealing.

4. Does random restart guarantee **global maxima** for the Hill-Climbing algorithm? (1 Points)

Answer: No.

### **Bonus**

Prove that Simulated Annealing Reduces to Hill Climbing as  $T \rightarrow 0$ . (1.5 Points)

Solution: