

Chapter - 5

26.6.2024
Zinia maim

Syntax Directed Translation

Syntax → construction (Ex: $\text{S} \rightarrow \text{Sub} + \text{verb} + \text{obj.}$ → syntax)

Semantic → meaning

(S) (V) (O)

I eat rice.

↓ translation → to understand the meaning
মানুষ খেতে রান্না

Syntax Analyzer → Semantic analyzer

(Parse tree)

(Parse tree with additional info that shows what part of sentence has a meaning)

SDD (Syntax Directed Definition)

→ CFG with attributes & rules

$E \rightarrow E + T$



$E.$ type

Example of attribute

$x \rightarrow$ symbol

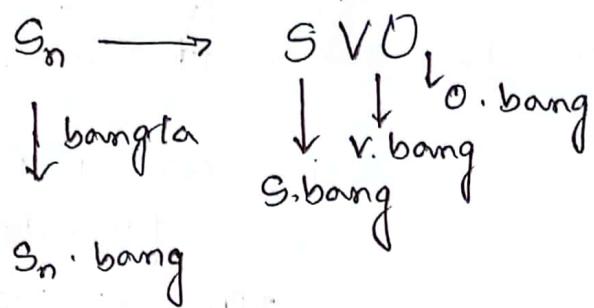
$a \rightarrow$ one of x 's attribute

→ $x.a$

* attributes may be number, type, table reference, values for instance

Ex : $S_n \rightarrow SVO \rightarrow O \cdot eng$
↓
 $S_n \rightarrow S_n \cdot eng$
English sentence

I eat rice
↓
 $S_n \cdot eng = S \cdot eng || V \cdot eng || O \cdot eng$
by concatenating



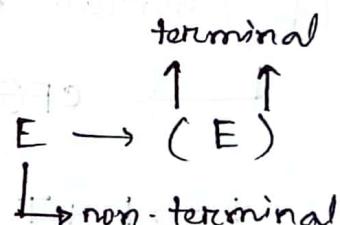
অসমি ভাষা আৰু

$$S_n \cdot \text{bang} = S \cdot \text{bang} || O \cdot \text{bang} || V \cdot \text{bang}$$

→ This rule is called semantic rules.

attribute for non-terminal :

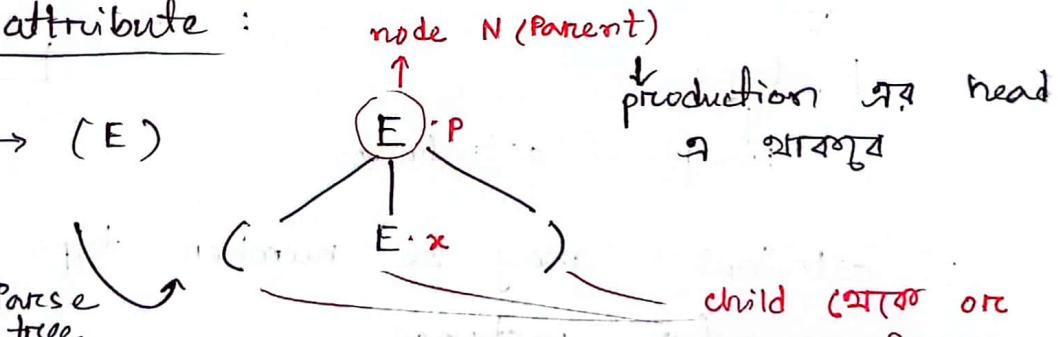
- synthesized
- inherited



Synthesized attribute :

$$E \rightarrow (E)$$

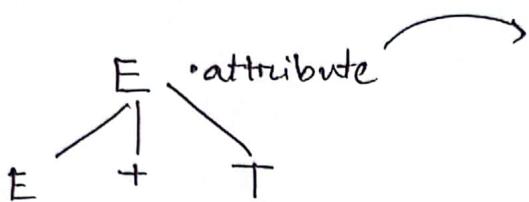
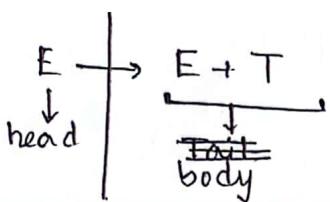
Parse tree



$$E \cdot p = E \cdot x + E \cdot p$$

↓ parent এবং ↓ child এবং ↓ নিজের

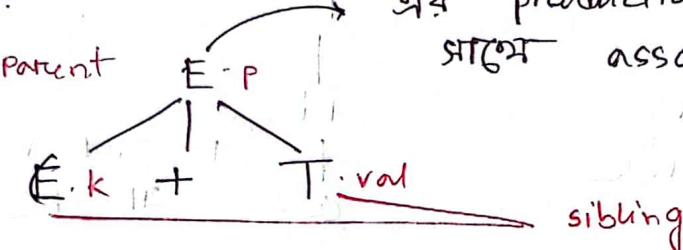
attribute value
(here val) পাই
then , that's
synthesized
attribute



will be synthesized if it's from itself or its children.

Inherited

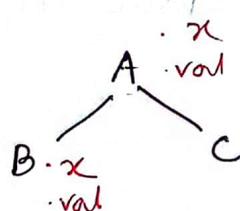
Ex :



$$E.k = E.P + T.val$$

Ex :

$$A \rightarrow BC$$



semantic rule :

$$B.val = B.x$$

\downarrow
B, production एवं body एवं आदि ;

and निम्नलिखित attribute निम्नलिखित ,

↳ inherited attr

semantic rule :

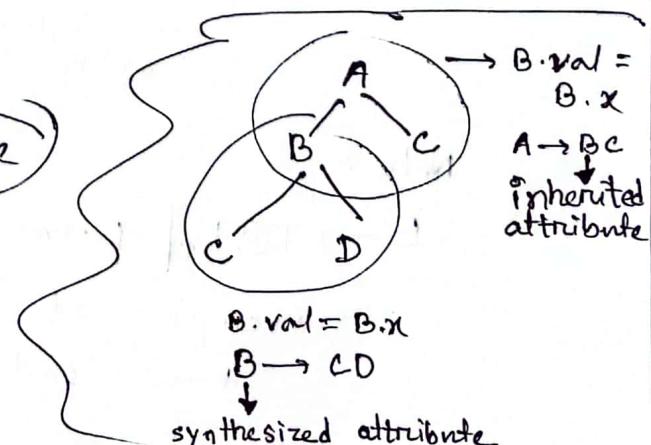
$$A.val = A.x$$



A, head एवं आदि .

निम्नलिखित attribute निम्नलिखित ,

↳ synthesized attribute



attribute for terminal :

$$E \rightarrow id$$

- terminal এর attribute is always synthesized which comes from lexical analyzer. (lexical value)

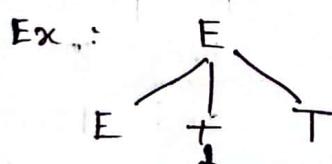
$$E \rightarrow id$$

\downarrow
id . lex val
attribute

$$\begin{array}{c} E \\ | \\ id \\ | \\ a \end{array}$$

lex প্রক্রিয়া
পূর্ণ মান

- There are no semantic rules in SDD itself for computing the value of an attribute for terminal.



$$E \cdot \text{val} = E \cdot \text{val} + T \cdot \text{val}$$

Ex : $E \rightarrow E @ T$

Production rule Semantic rule \leftarrow

$$E \cdot \text{val} = E \cdot \text{val} + T \cdot \text{val}$$

SDD

Assume, This is
addition sign

meaning, $E \cdot \text{val} + T \cdot \text{val}$
semantic rule \rightarrow $E \cdot \text{val} + T \cdot \text{val}$

Note :

$$E \rightarrow T @ E_1 \quad E \cdot \text{val} = E_1 \cdot \text{val} + T \cdot \text{val}$$

Subscript add করে to understand which E is in head and which E is in body.

Ex 5.1 :

$$\begin{array}{l} \text{Terminal} \rightarrow 6 \quad 7 \\ \text{Non-terminal} \rightarrow 4 \quad 7 \quad (L, E, T, F) \\ L \rightarrow E \cdot n \xrightarrow{\text{newline}} L.\text{val} = E.\text{val} \\ F \rightarrow (E) \xrightarrow{} F.\text{val} = E.\text{val} \\ F \rightarrow \text{digit} \xrightarrow{} F.\text{val} = \text{digit} \cdot \text{lex val} \end{array}$$

attribute \rightarrow val, lex.val

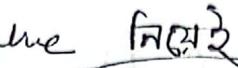
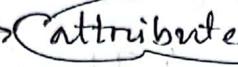
L.val \rightarrow synthesized
E.val
T.val
F.val

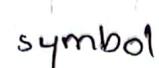
all are synthesized attributes

FSI-attributed SDD

all are in the head of the production rule \rightarrow synthesized.

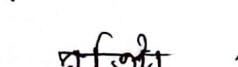
Attribute Grammar :

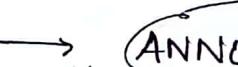
Just attribute value  , calculation
of attribute value  ,
side effects → symbol table & value update,
printing something

 Not a attribute grammar

- Ex 5.1 → attribute grammar.

Evaluating an SDD, at the nodes of a Parse tree

 attribute value as
additional info in the parse tree

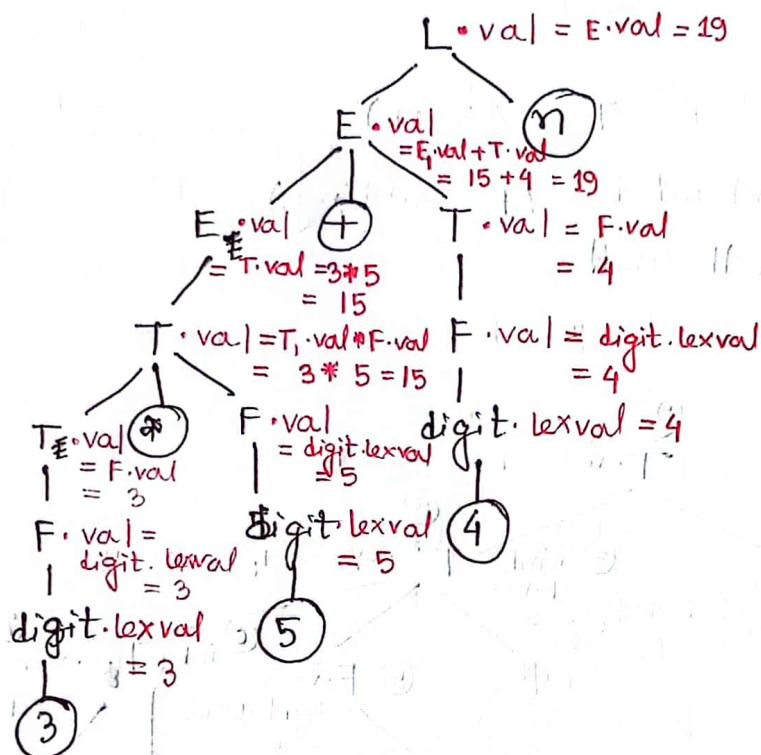
 ANNOTATED PARSE TREE

how to evaluate (in which order)?

Ex : 5.1 → bottom to up evaluate 
(Post order traversal)

Ex : 5.2

Annotated Parse tree for $3 * 5 + 4 \pi$ (Ex : 5.1) From Ex : 5.1



Circular Dependency:

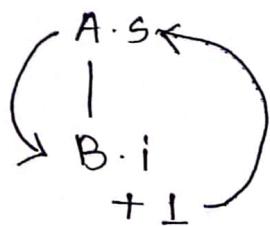
SDD with inherited & synthesized attribute.

$$A \rightarrow B$$

$\xrightarrow{\text{synthesized}}$
 $A \cdot s = B \cdot i \quad (B \text{ is child})$
 $B \cdot i = A \cdot s + 1$
 $\xrightarrow{\text{inherited}} \text{ (A is parent)}$

In this case,

- * we need to redesign the SDD.
- * we need to know evaluation order hence.



Ex : 5 * 3

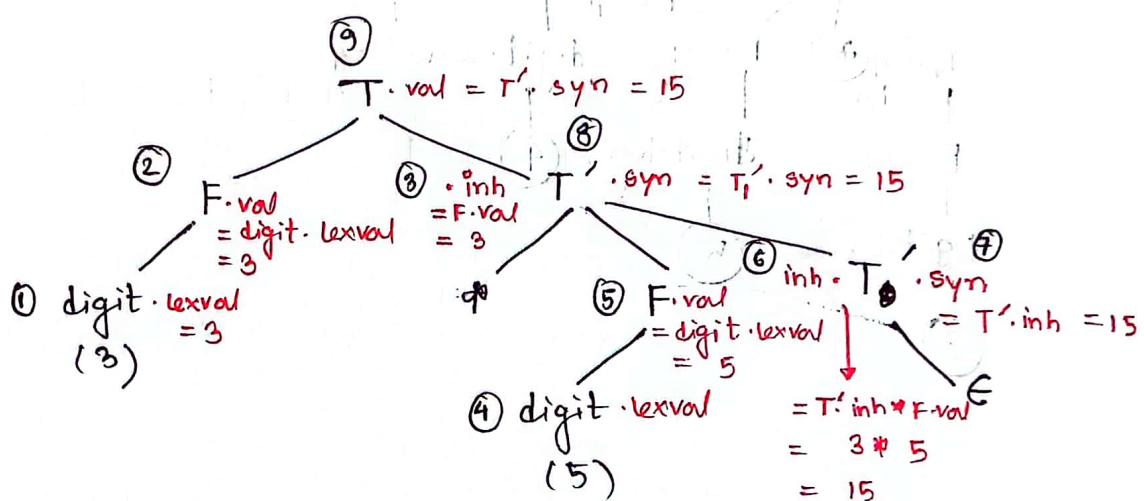
Annotated Parse tree for $3 * 5$

Non-term $\rightarrow T, F, T' (3 \text{ to } 7)$

$T' \cdot \text{inh} \longleftrightarrow \text{inherited } (F \text{ sibling})$

$T \cdot \text{val} \rightarrow \text{synthesized}$

Two types of
attributes
exist.
So dependency
check is
a must.



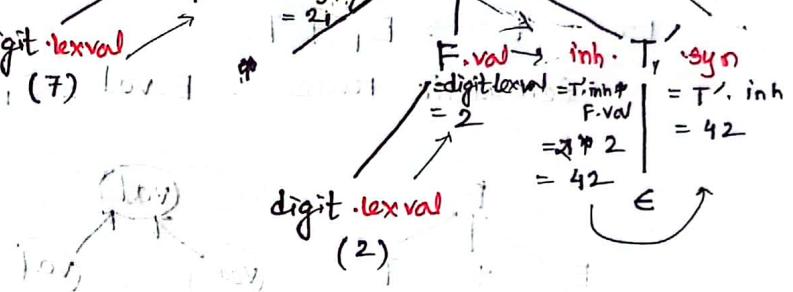
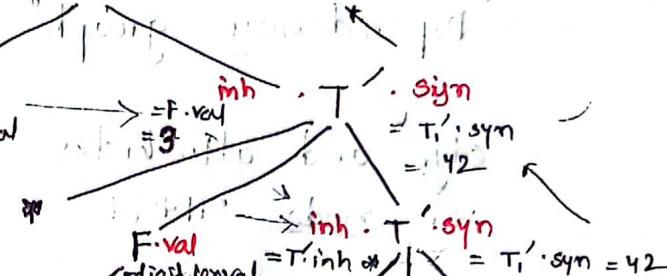
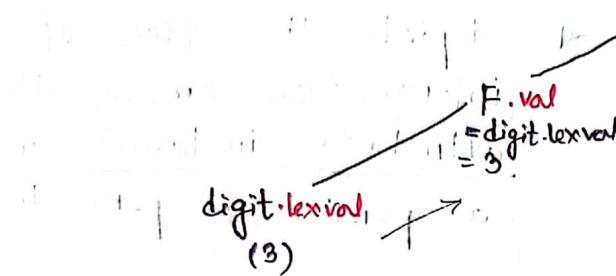
3 * 7 * 2

(1) (2) (3) (4) (5) (6) (7)

Final value of T = 42 (Total value of T1 + T2 + T3 + T4 + T5 + T6 + T7)

Value of T1 = 3

$$T \cdot \text{val} = T_1 \cdot \text{syn} = 42$$



Final value of T = 42

Final value of T = 42 (Total value of T1 + T2 + T3 + T4 + T5 + T6 + T7)

3 7 2 1 A

Evaluation Order of SDD's :

→ কোন value আগে calculate করব কাহার → to understand this.

→ "Dependency graph" → depicts the flow of information among the attribute instances in a particular parse tree

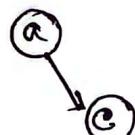
Ex : $E \rightarrow E_1 + T$

Semantic rule : $E.\text{val} \Leftarrow E_1.\text{val} + T.\text{val}$



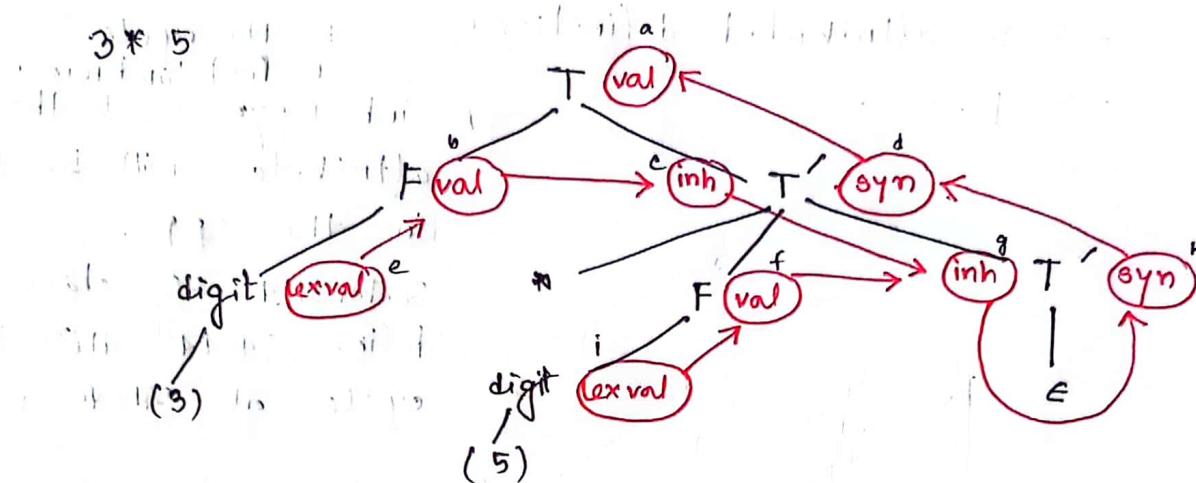
→ directed graph

$x \rightarrow AB$, semantic rule : $B.c = 2x(X.a)$

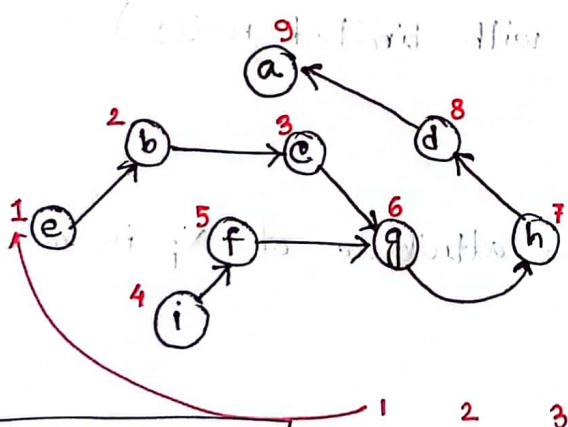


Note: If there's any cycle in the graph, then we need to change the semantic rules.

Ex : 5.5 :



To sort the nodes \rightarrow Topological sort \leftarrow we need to identify which node isn't dependent on anyone.



Note:

↪ eb if c g h d a
This is also correct order. So, we can draw more than one dependency graph using topological sort.

In order अनुक्रम
Topological sort : e b c i f g h d a

\rightarrow after sorting, from the dependency graph, we can easily evaluate the annotated parse tree.

Classes of SDD :

- S-attributed definitions → No cycle
- L- " " + " " → Post ordering
inh + syn → both
- attribute will be there in the SDD.

এমনভাবে এই class
define করব যাতে বৈধ
cycle না প্রাপ্ত,

L-attributed definition :

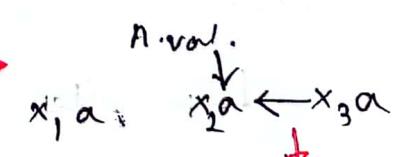
- * dependency graph edges can go from left to right, but not from right to left.
- * Syn + (inh attributes with limited rules)

Rules :

$$A \rightarrow x_1, x_2, x_3 \rightarrow \text{attribute of } x_i \text{ is } a.$$

- $x_1 \cdot a = A \cdot \text{val}$ ✓

- $x_3 \cdot a = A \cdot \text{val} + x_1 \cdot a + x_2 \cdot a$ ✓

- $x_2 \cdot a = A \cdot \text{val} + x_3 \cdot a$ X. \rightarrow 

right to left arrow not allowed
- $x_3 \cdot a = A \cdot \text{val} + x_3 \cdot \text{val}$ ✓

inh → from sibling, head or itself
left ↗ আবশ্যিক হলো to be L-attributed

Example → S-attributed SDD

↓
↳ all grammar symbols have only synthesized attribute
(child | সন্তানের calculate মানের values)

L-attributed SDD

↳ all S-attributed SDD are L-attributed SDD
because they both support synthesized attribute

Example 5.8 → Not an S-attributed SDD

↓
L-attributed SDD
(inh + syn)

Ex : ② $T' \rightarrow *FT_1'$ $T_1'.inh = \underbrace{T_1'.inh}_{\substack{\text{head} \\ \text{left } \nearrow \text{ আবশ্যিক}}} \times \underbrace{F.val}_{\substack{\text{sibling} \\ (\text{left } \nearrow \text{ আবশ্যিক})}}$

① $T \rightarrow FT'$ $T'.inh = \underbrace{F.val}_{\substack{\text{left } \nearrow \text{ sibling}}}$

Example 5.9 \rightarrow

$$A \rightarrow BC, A.s = B.b$$

(syn)

$$B.i = f(C.c, A.s)$$

A is
B.b

$$B.i \leftarrow C.c$$

Right to left

So, not an s-attributed (inh attr.)

not "L" SDD (right sibling value)

one inheritance and fail if s-attributed
(cyclic attr.)

one inheritance

or $i = dai \cdot T + dai \cdot T$

T^2

or $i = dai \cdot T + T^2$

$T^2 = T \cdot T$

Semantic rule with controlled side effects:

SDD of desk calc \rightarrow print a result
 ↓ side effect

u u semantic analyzer \rightarrow enter type of ID into symbol table

Attribute grammar \rightarrow No side effect

Translation scheme \rightarrow left-right evaluation

incidental side effect \rightarrow root node \nearrow side effect

যার ছাত্র বোলো problem
 হয় না।

(1) $L \rightarrow E_n$ print ($E_n . val$)

production \rightarrow side effect \rightarrow dummy node \rightarrow \nearrow production

এর head এর সাথে associate
 করুন।

5.10 SDD for simple type declarations:

int a
 $\underbrace{\text{int}}_{T} \quad \underbrace{\text{a}}_{L}$
 declaration type list

float a
 $\underbrace{\text{float}}_{T} \quad \underbrace{\text{a}}_{L}$
 $T \rightarrow \text{int}$
 $T \rightarrow \text{float}$
 $L \rightarrow L_1, id$
 $L \rightarrow id$

Q) Given SDD → semantic rule generate T2.7

$D \rightarrow TL$

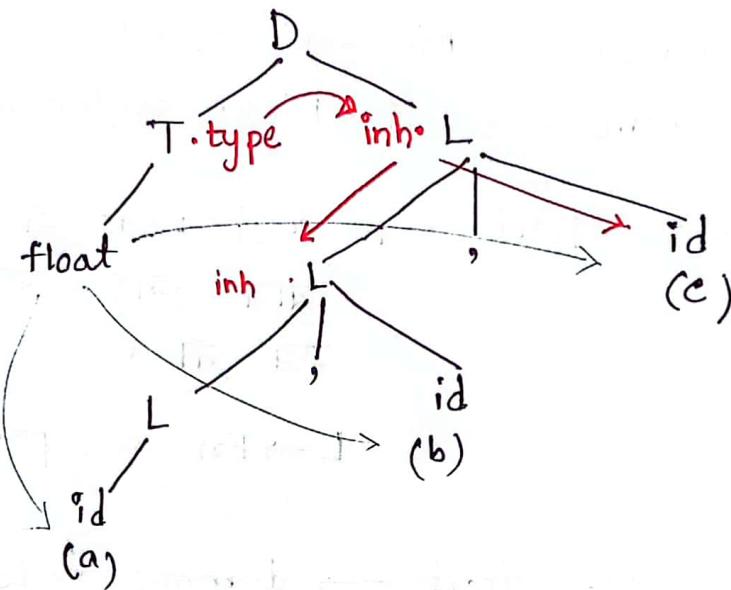
$\rightarrow int\ L$

$\rightarrow int\ L, id$

$\rightarrow int\ .L, id, id$

$\rightarrow int\ id, id, id \rightarrow int\ a, b, c$

float a, b, c :



* a, b, c এর type নাথের branch \rightarrow (float)

\hookrightarrow inherited attr. \rightarrow L \rightarrow

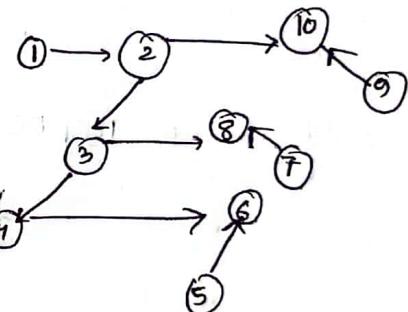
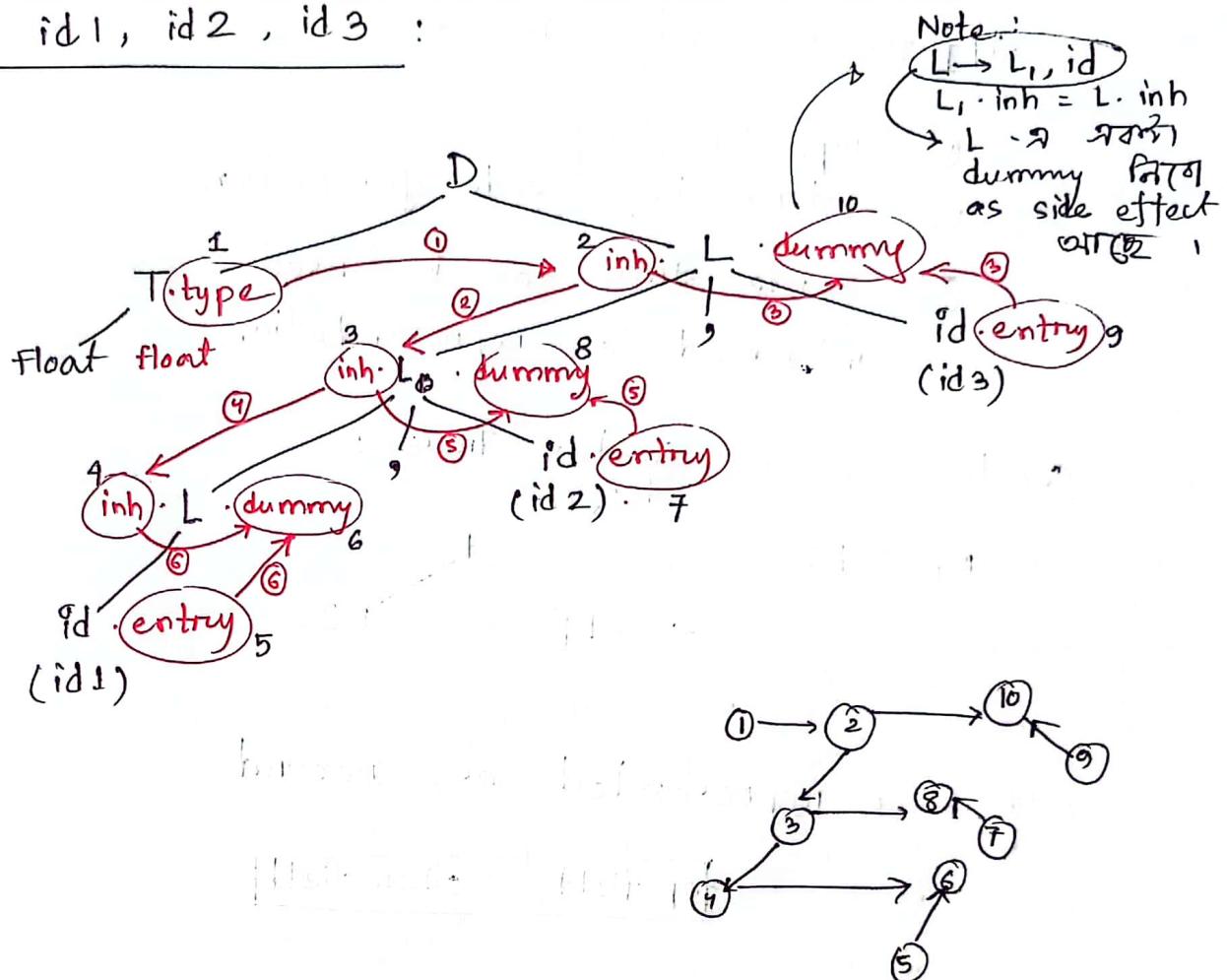
$$L \cdot \text{inh} = T \cdot \text{type}$$

* L, . inh = L, . inh (L head)

* (id)c এর type symbol T.entry করতে,
addType (id.entry, L.inh)

inherited attr. ആവശ്യം → dependency graph

float id1, id2, id3 :



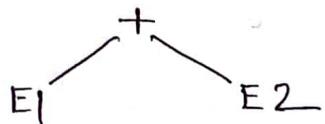
we can make
annotated parse
tree from this.

Application of SDT :

- ① Type checking
- ② intermediate code generation
- ③ Syntax tree can be used as intermediate representation

construction of Syntax Trees :

$E_1 + E_2$



node → represented as record

top.field	other field
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leaf → value lex. analyzer fn^{ct}

op. field	val. field
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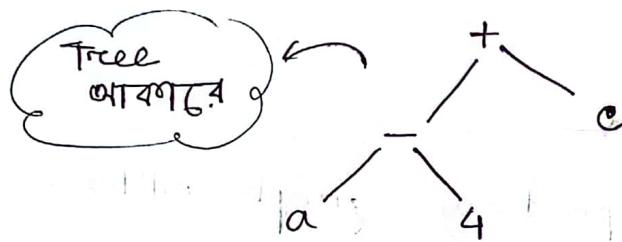
Interior node with two children

top.field	left child	right child
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Ex : 5.11

- node creation \rightarrow 'new' \rightarrow side effect
- S-attributed definition
- Ex : $a + b + 6 - 7 + c$
- dependency graph, লাগবে না (inh attr. নাই) \rightarrow S-attributed
- syntax tree for $a - 4 + c$

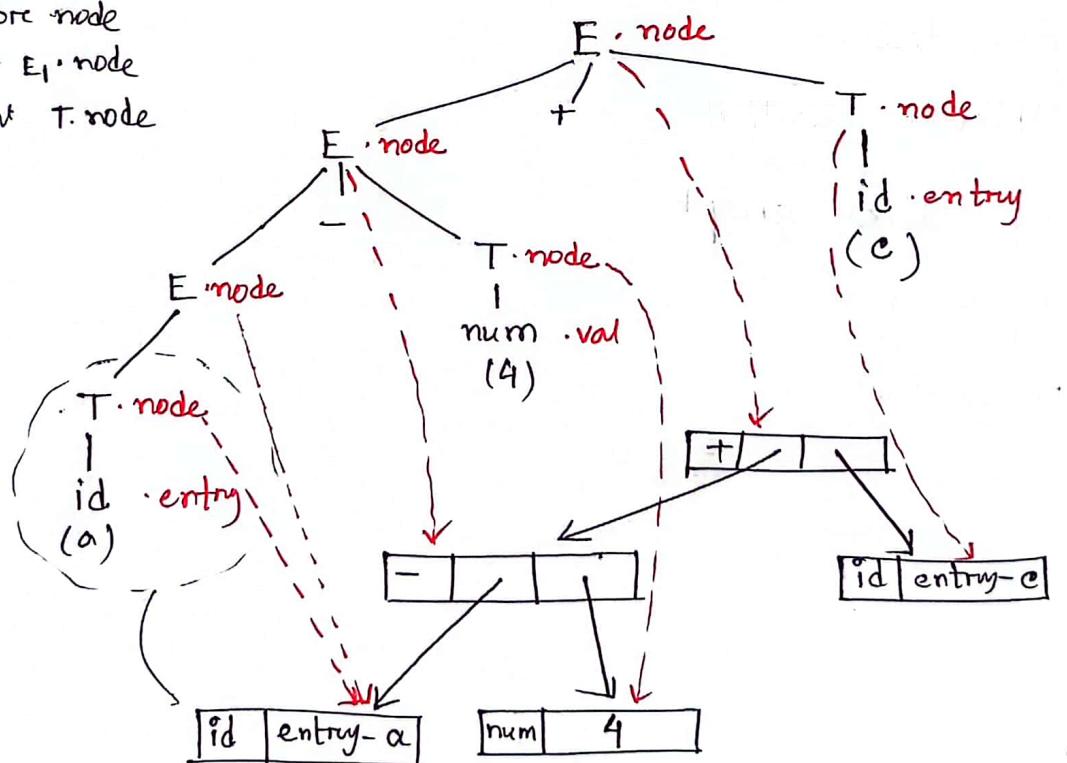
Note:
leftmost
operation
after STD



Note:

- parse tree
- > for node reference / node pointer
- syntax tree

E → interior node
└ left E₁ · node
→ right T · node



parallelly
 this step
 have
 written

$p_1 = \text{new Leaf}(\text{id}, \text{entry-a})$
 $p_2 = \text{new Leaf}(\text{num}, 4)$
 $p_3 = \text{new Node}('-', p_1, p_2)$
 $p_4 = \text{new Leaf}(\text{id}, \text{entry-c})$
 $p_5 = \text{new Node}('+', p_3, p_4)$

5.12 -

(syn + inh) attribute

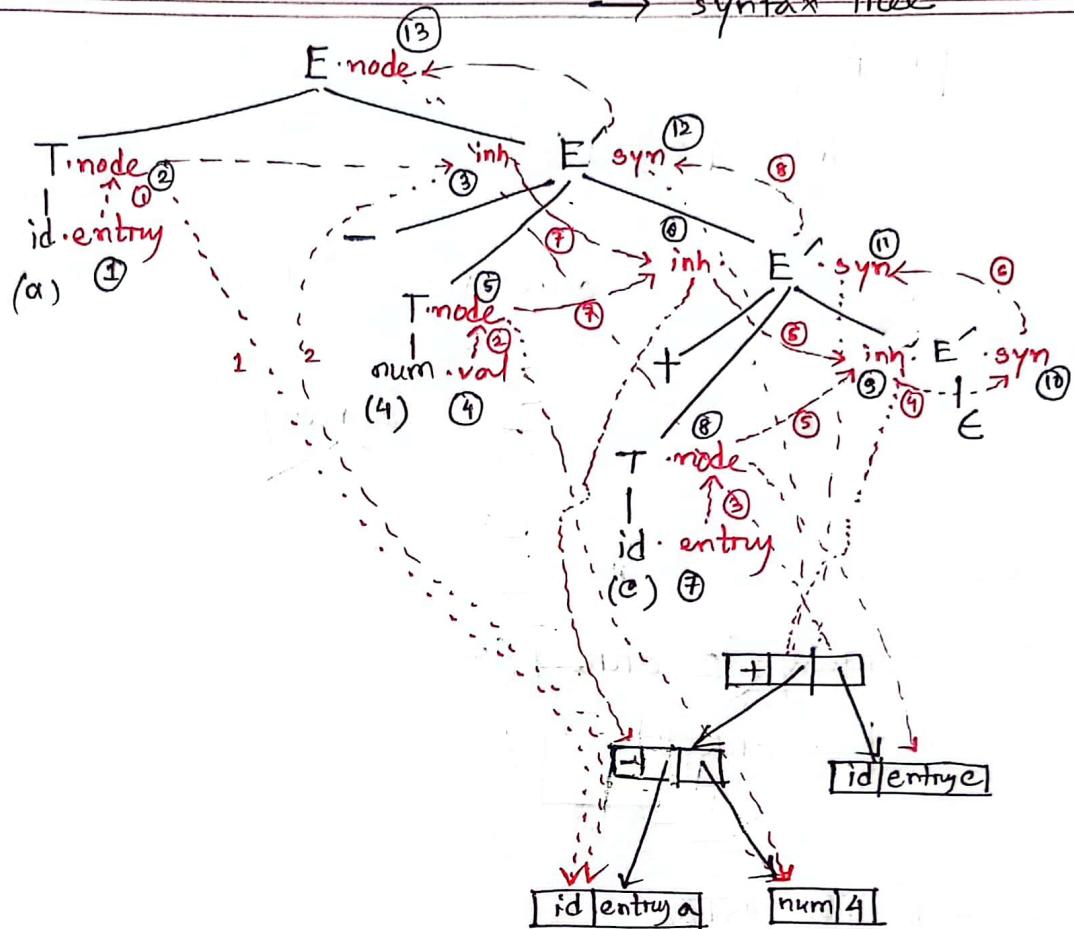
additional thing \rightarrow dependency graph निर्भावग्राफ़

Steps :

- ① Parse tree
- ② attribute वर्गीकरण
- ③ dependency graph
- ④ Topological
- ⑤ Evaluation

a-4 + c :

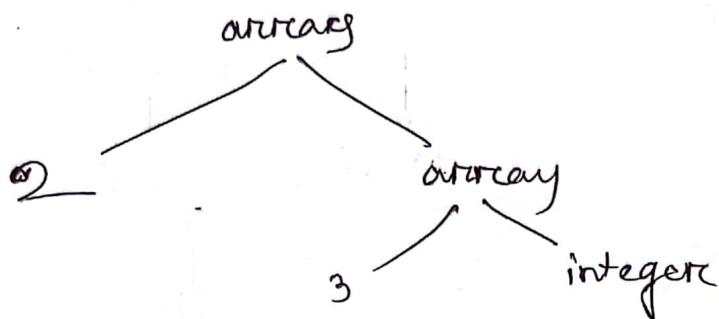
— parse tree
--> dependency graph
*--> node ref
→ syntax tree



1. $P_1 = \text{leaf}(\text{id}, \text{entry} - a)$
2. $P_2 = \text{leaf}(\text{num}, 4)$
3. $P_3 = \text{Node}(-, P_1, P_2)$
4. $\text{leaf}(\text{id}, \text{entry} - c)$
5. $\text{Node}(+, P_3, P_4)$

5.13

int [2] [3]



array(2, array(3, integer))

↳ array of 2 arrays of 3 integers

→ inh ~~ORTFZ~~

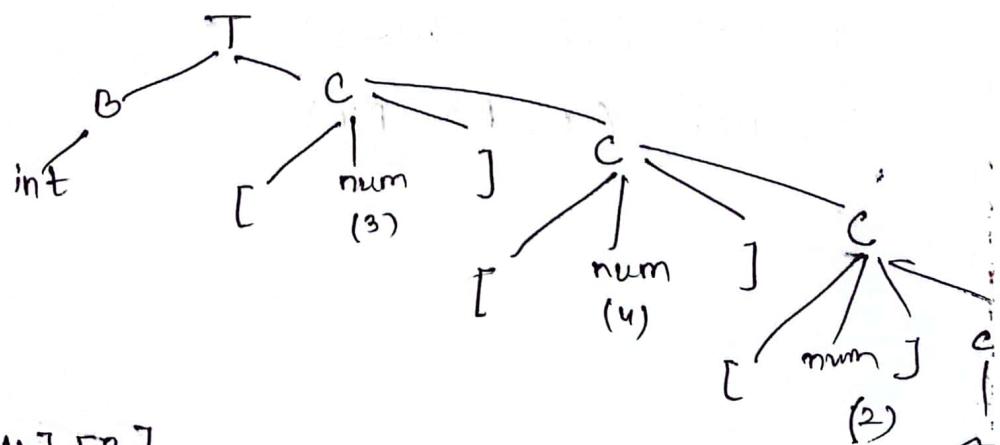
→ side effect ~~ORTFZ~~

T → Type

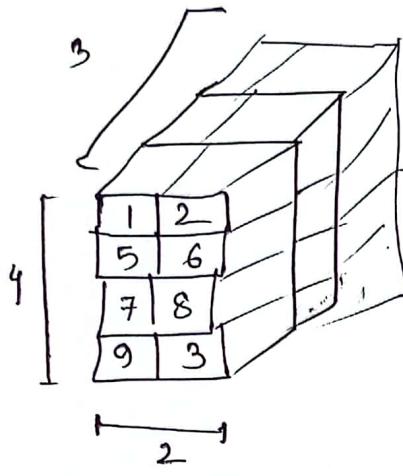
B → basic type

C → component

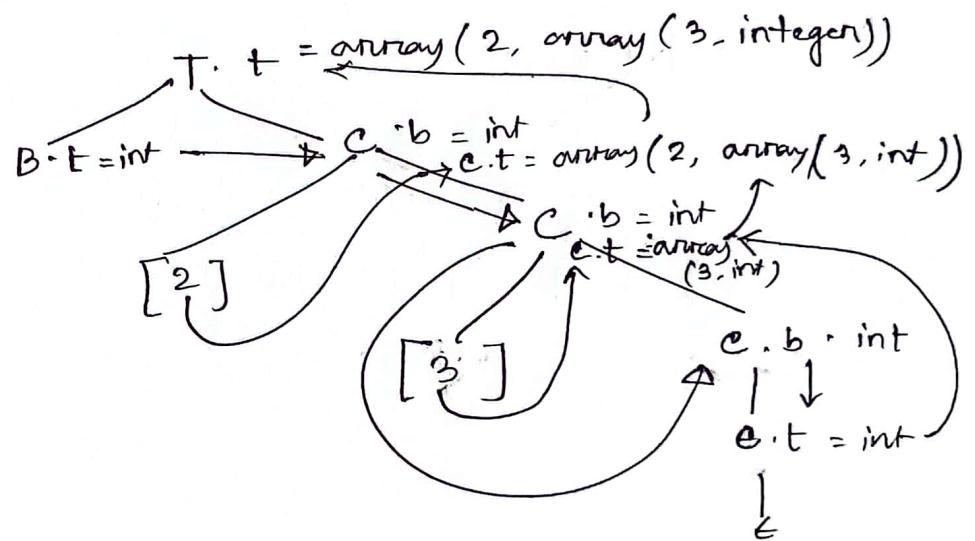
[num] → size



int [3] [4] [2]



for int [2] [3] :



Syntax Directed Translation Scheme :

$$E \rightarrow E_1 + T$$

Production
(4+5)

$$| E.\text{code} = E_1.\text{code} || T.\text{code} || '+'$$

semantic rule
(45+)

Specification \rightarrow SDD

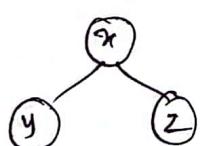
Implementation \rightarrow SDT

$$E \rightarrow E_1 + T \quad \left\{ \begin{array}{l} \text{print } '+' \\ \text{semantic action} \end{array} \right\} \quad \text{within production body}$$

SDT \rightarrow

① parse tree

② preorder on left to right depth order



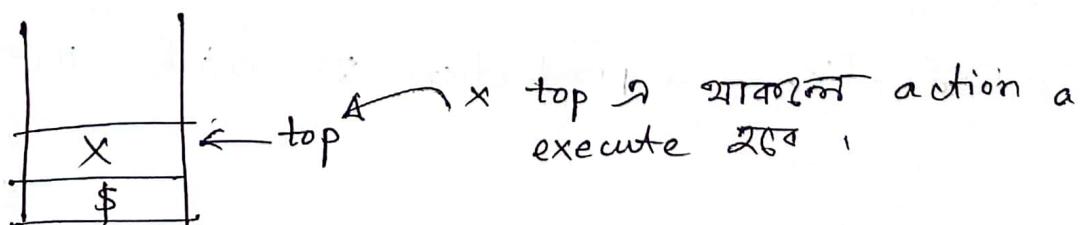
Preorder : x y z

Postorder : y z x

$$B \rightarrow X \{ a \} Y \rightarrow \text{SDT}$$

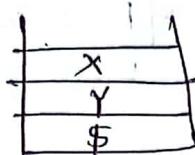
a উপরের ক্ষেত্রে প্রযুক্তি x - terminal এর মান

more precisely ,



Post order = leftmost derivation

$$B \rightarrow XY$$



> reverse order \Rightarrow
stack \Rightarrow $YX\$\top$

Postfix scheme \rightarrow synthesized attr. all
parser stack implementation of Postfix SDT's:

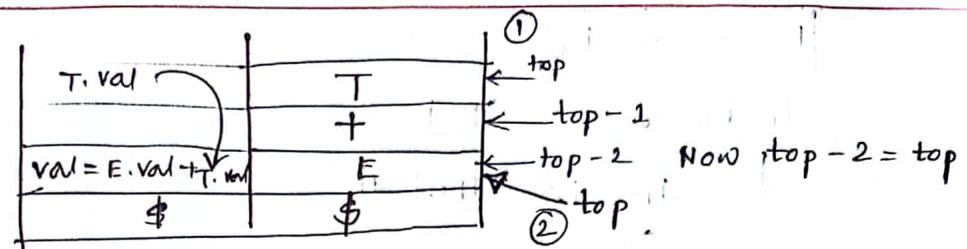
$\xrightarrow{L} LR$ parsing
 $\xrightarrow{\quad}$ rightmost derivation
 $\xrightarrow{\quad}$ left to right scan

$$\begin{aligned} L &\rightarrow E^n \\ &\rightarrow E + T^n \\ &\rightarrow E + F^n \\ &\rightarrow E + \text{digit } n \\ &\rightarrow T + \text{digit } n \\ &\rightarrow F + \text{digit } n \\ &\rightarrow \text{digit} + \text{digit } n \end{aligned}$$

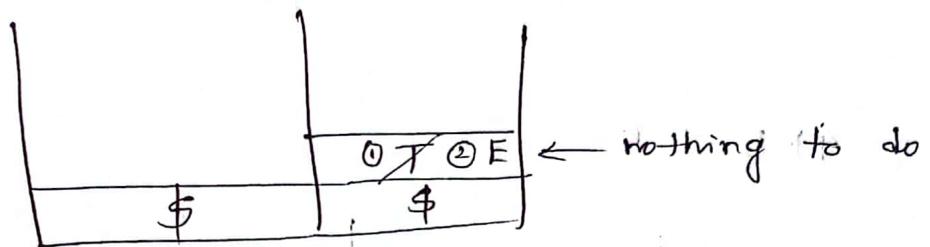
* shift

* Reduction \rightarrow production এর head ফলো
reduce করা

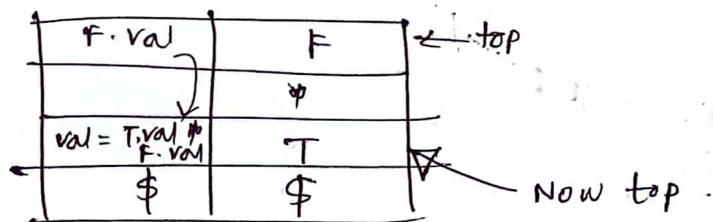
$E \rightarrow E + T$



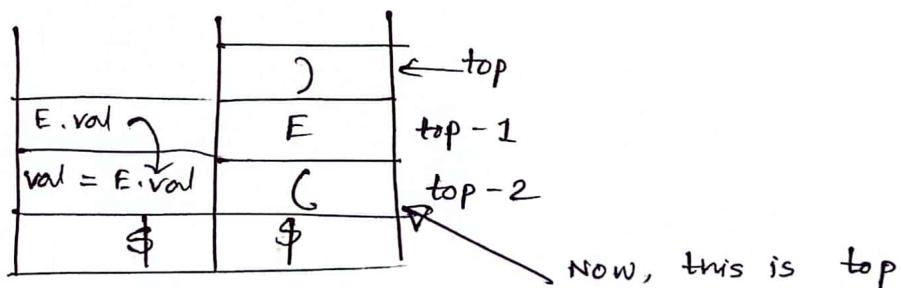
$E \rightarrow T$



$T \rightarrow T * F$



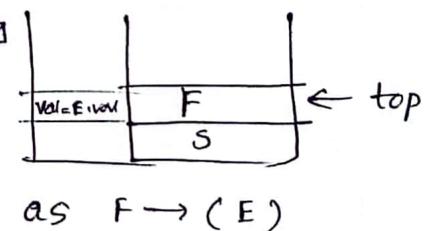
$F \rightarrow (E)$



→) appeared on top of the stack

→ Perform the semantic action ({ action })

→ Reduce the production



Pearson - Jeffrey 352 of 1035

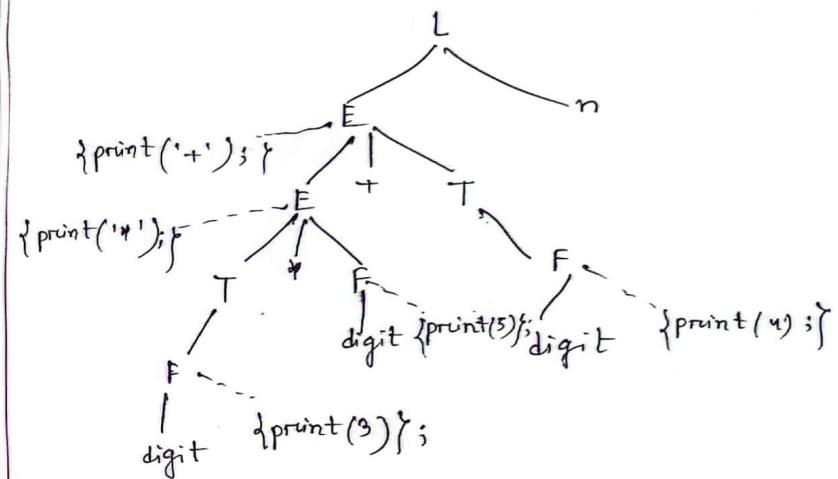
[Ex : 5.16]

Problematic SDT

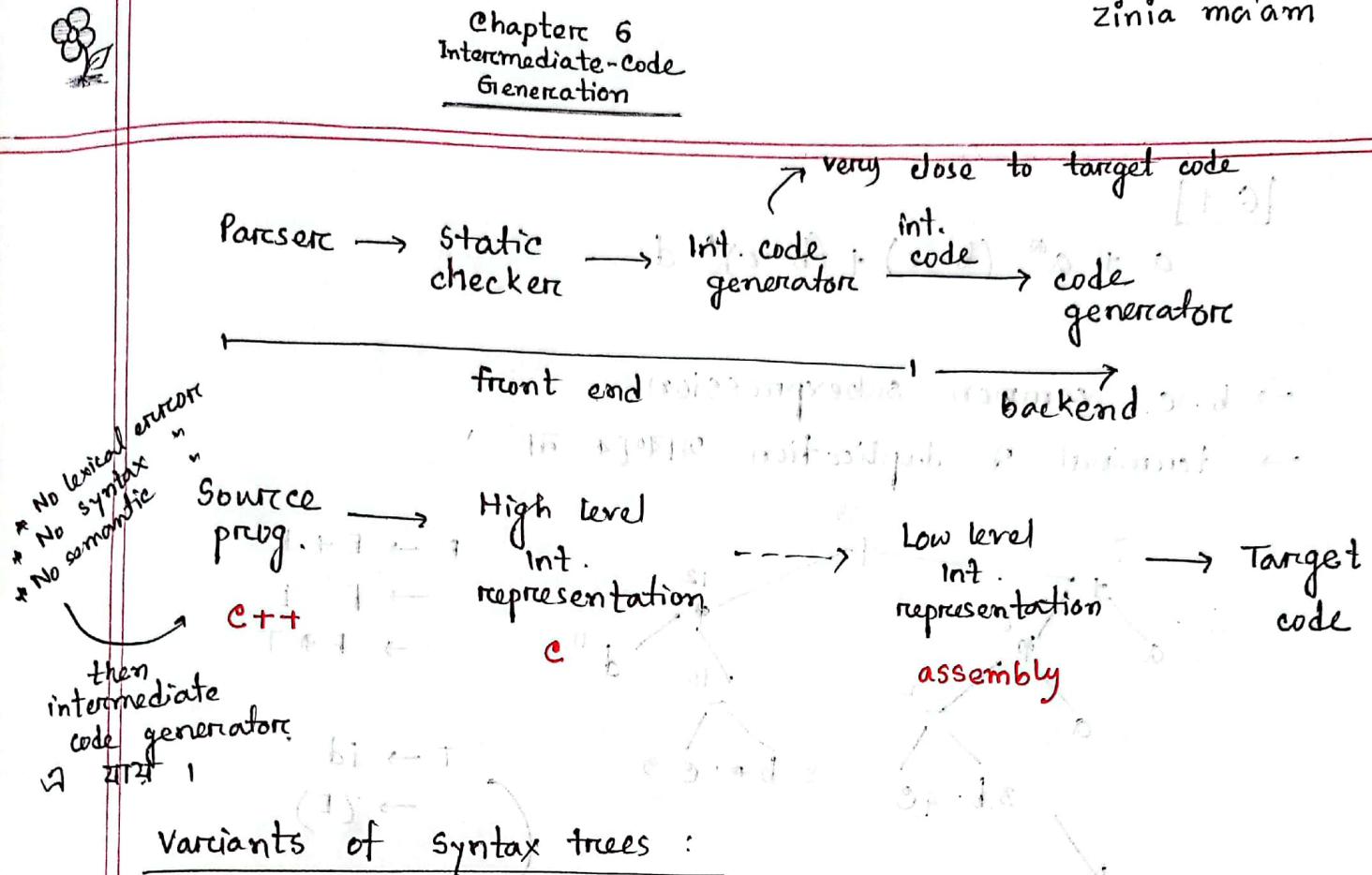
↳ Prefix वानाबो

(Ex : $4+5 \rightarrow +45$)
 $4*5 \rightarrow *45$

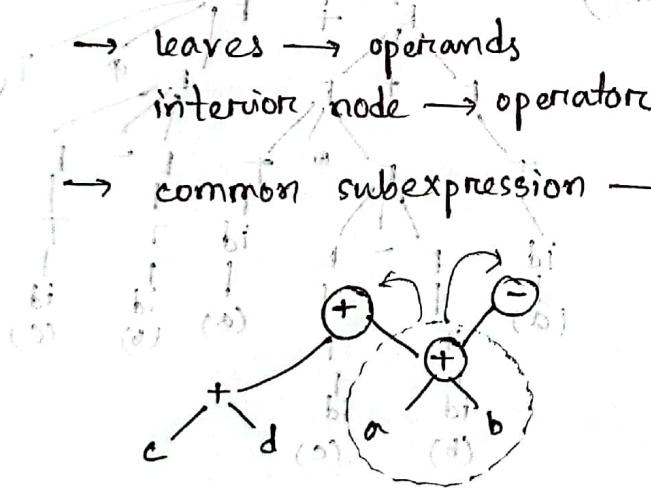
$4*5 + 6$



Chapter 6 Intermediate-Code Generation



- DAG (Directed acyclic graph)



- common subexpression → multiple parent
- efficient code generation → help $a+b$
- same subexpression → use $a+b$

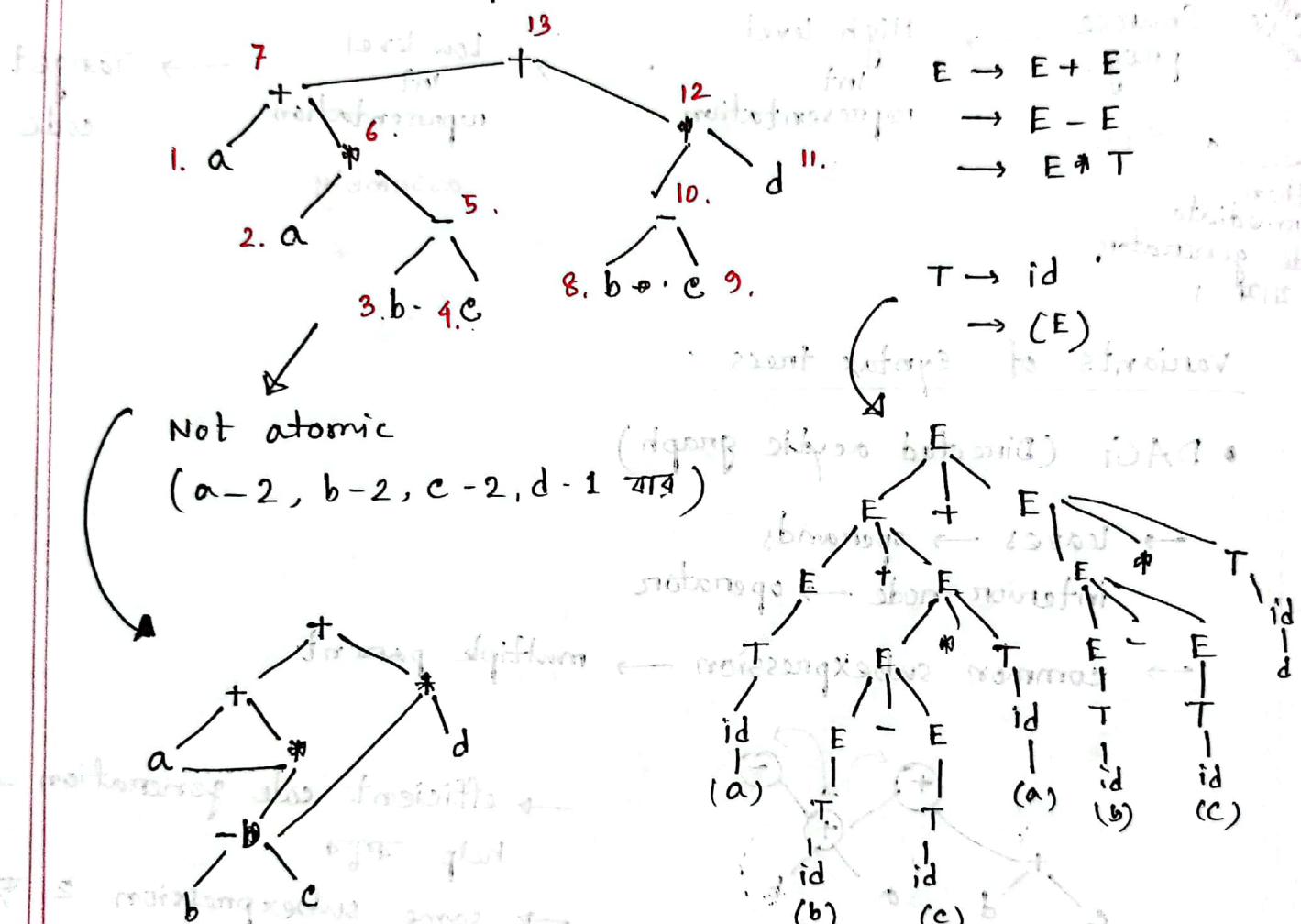
change variable

most difficult part with respect to efficiency

6.1

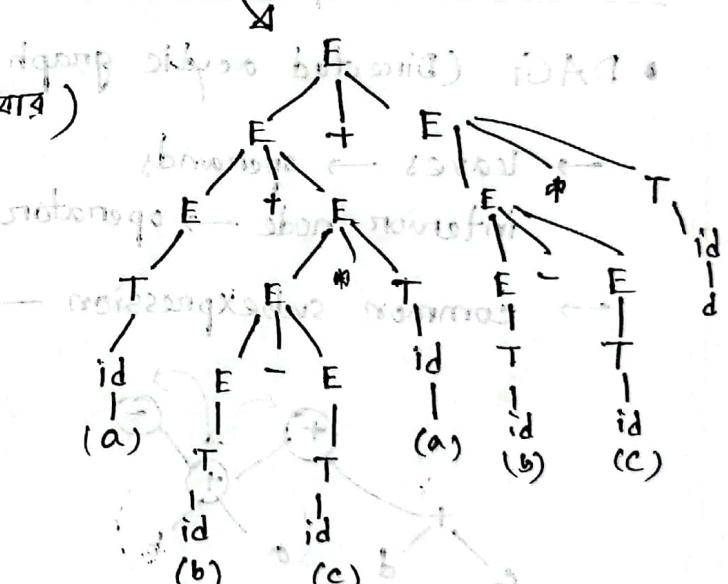
$$a + a^* (b - c) + (b - c)^* d$$

→ $b - c$ common subexpression
→ terminal or duplication



↳ atomic operands

→ Syntax tree in DAG form



6.1

$$E \rightarrow E_1 + T$$

$$E \rightarrow E_1 - T$$

$$E \rightarrow T$$

$$T \rightarrow T_1 * F$$

$$T \rightarrow T_1 / F$$

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow id$$

$$F \rightarrow num$$

E.node = new node ('+', E.₁.node, T.node)

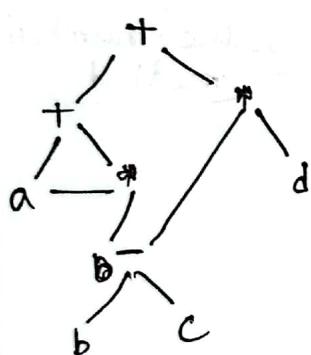
E.node = new node ('-', E.₁.node, T.node)

E.node = T.node

T.node = new node ('*', T.₁.node, F.node)

F.node = new leaf (id, id.entry)

F.node = new leaf (num, num.val)



P_2, P_8, P_9, P_{10}
↳ No physical
existence
previous created
nodes are used.

1. a ~~existing~~ leaf
 $P_1 = \text{leaf}(\text{id}, \text{id.entry} - a)$
2. $P_2 = \text{leaf}(\text{id}, \text{id.entry} - a) = P_1$
No physical existence ↳ as a ~~existing~~ create ~~new~~ ~~new~~
3. $P_3 = \text{leaf}(\text{id}, \text{id.entry} - b)$
4. $P_4 = \text{leaf}(\text{id}, \text{id.entry} - c)$
5. $P_5 = \text{Node}(-, P_3, P_4) \rightarrow (b - c)$
6. $P_6 = \text{Node}(+, P_1, P_5) \rightarrow a + (b - c)$
7. $P_7 = \text{Node}(+, P_1, P_6) \rightarrow a + a + (b - c)$
8. $P_8 = \text{leaf}(\text{id}, \text{id.entry} - b) = P_3$
9. $P_9 = \text{leaf}(\text{id}, \text{id.entry} - c) = P_4$
10. $P_{10} = \text{Node}(+, P_3, P_4) = P_5$
11. $P_{11} = \text{leaf}(\text{id}, \text{id.entry} - d)$
12. $P_{12} = \text{Node}(+, P_5, P_{11})$
13. $P_{13} = \text{Node}(+, P_7, P_{12})$

DAG এর construction :

Value - Number method :

→ nodes → stored in an array of records

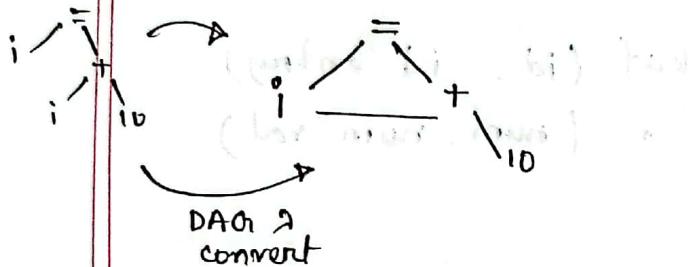
Operation	val
-----------	-----

multidimensional

op	left child right child
----	--------------------------

index number দ্বারা
refer কো

DAG for $i = i + 10$



1.	id	→ to entry for i	id entry
2.	num	i	num 10
3.	+	1	2
4.	=	1	3
5.			

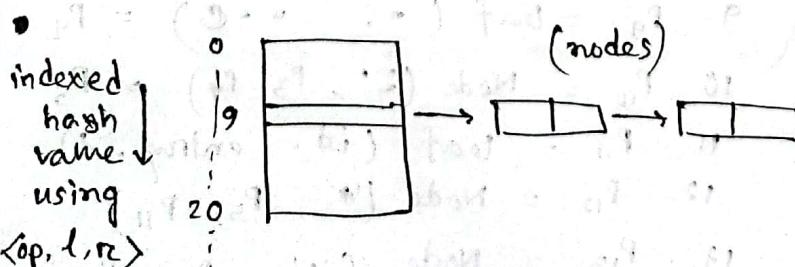
↳ 2) array construction
method → value-number
method.

- $\langle op, l, r \rangle \rightarrow \langle op, l, r \rangle$
- operation : $\begin{cases} \text{right child} \\ \text{left child} \end{cases}$

- value number $\xrightarrow{\text{means}}$ index number

- Search $\langle op, l, r \rangle$ পেরে গেলে → return index number

- for faster searching → HASH TABLE



Three address code: A format for temporary place.

→ at most 1 operator at right side of an expression

$x + y * z \rightarrow t1 = y * z$ with $y * z$ having higher precedence than $x +$.
So, $y * z$ then $x + (y * z)$

compiler-generated temporary name

→ linearized → sequential

6.4

$a + a * (b - c) + b * (b - c) * d$ → assignment modification

$$t1 = b - c$$

$$t2 = a * t1$$

$$t3 = a + t2$$

$$t4 = d * t1$$

(ii) bbs

(3, 4) bbs

→ three address code

two concept → address
→ instruction

- addresses can be name (Ex : a, b, c, d), constant (10, 20)
compiler generated temp. variable (t1, t2, etc)

- instruction :

→ assignment inst : $x = y \text{ op } z$

binary,
arithmetic / logic operator

→ assignment of form $x = op \ y$

unary
logical negation,
shift operator etc
conversion operator

→ copy instruction → $x = y$ Ex: $a = -c$ becomes $a = (float) c$

→ unconditional jump → goto L

→ conditional jump

- if $x > 0$ goto L → x true হলে "L" এ যাও
- if False $x < 0$ goto L → x false "L"

→ condition jumps → if ($x > 0$) goto L

→ Procedure call and return

$$return \text{ বর্ণনা } \rightarrow SJ + S = SJ$$

first

- param x
- call p, n

no. of parameters
function name

$$y = \text{call } p, n$$

function $f(x)$ return বর্ণনা assignment
return y

add (5,6) → add (int a, int b)

param 5
param 6

t1 = call add, 2

return a+b

multiple function

$p(x_1, x_2, \dots, x_n)$ এর মধ্যে কোন সংজ্ঞা নেই

↳ param x_1
 param x_2
 ...
 param x_n
 call p, n

যদি x_1, x_2, \dots, x_n এর মধ্যে কোন সংজ্ঞা নেই তাহলে parameter redundant হবে এবং
 এটা প্রক্রিয়া করা উচিত নয়।

→ indexed copy instruction $\rightarrow x = y[i]$

$x[i] = y$

↳ let $i = 1$

$x[1] = y$

প্রশ্ন করুন: if it's float
 $108 \rightarrow y$ store হবে

let, 100 (প্রতি start

$y[2]$

100	104	108
		value

$y[1] \rightarrow 104$
 $y[2] \rightarrow 108$

Example 1

$n = f(a[i])$, $a \rightarrow$ array of int (4 byte এর বাটে কাজ করে)

three address code :

$t1 = i * 4$

$t2 = a[t1]$

param $t2$

$t3 = \text{call } f, 1$

$n = t3$

Example 2

$n = f(a, g(a))$

↳

param a

$t1 = \text{call } g, 1, \text{ param } t1$

$t2 = \text{call } f, 2, \text{ param } t1$

out of $n = t2$

→ address and pointer assignment

$$x = \& y \quad x = *y \quad *x = y$$

address
परिणाम

pointer

(sets the $\text{re}(\text{real})$ -value of x to be the location (l value) of y)

name

$x = *y \rightarrow y$ is pointer and re -value is location

of y , i.e., $\&y$

6.5.

do $i = i + 1$; while ($a[i] < v$);

L: $t_1 = i + 1$ let, $a[i] \rightarrow$ double type
 $i = t_1$

$t_2 = i * 8$

$t_3 = a[t_2]$

if $t_3 < v$ goto L

following

symbolic (label) lines

- 100 : $t_1 = i + 1$
- 101 : $i = t_1$
- 102 : $t_2 = i * 8$
- 103 : $t_3 = a[t_2]$
- 104 : if $t_3 < v$ goto 100

HOME WORK

⑧ do {
 $x[i] = x[i] + 5;$
 $i = i + 2;$
} while ($a < 100 \text{ and } i < 6$);

L'

L : $t_1 = i * 4$
 $t_2 = x[t_1]$
 $a = t_2$
param a
param 5
 $t_3 = \text{call add}$
 $t_4 = i + 2$
 ~~$i = t_4$~~
if $t_2 < 100$ goto L1
goto L6
L1 : if $t_4 < 6$ goto L6
L6 :

$x[i] = a$
a memory
x memory

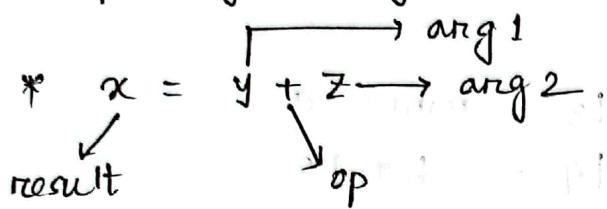
Summa max = 13

13 = max

Quadruples :

4 field

op, arg1, arg2, result



op.	arg1	arg2	result
+	y	z	x

unary operation

* $x = \text{minus } y \rightarrow$ don't use arg2

minus	y	x
-------	---	---

copy statement

* $x = y$

=	y	:	x
---	---	---	---

* param x

param	x	:	
-------	---	---	--

not used

unconditional jump

* goto L

goto	:		L
------	---	--	---

conditional jump

* if x goto L

goto	x	:	L
------	---	---	---

* if $x < y$ goto L

<	x	y	+	L
goto	+	1		L

$$a = b^* - c + b^* - c$$

→ $t_1 = \text{minus } c$

$$t_2 = b^* t_1$$

$$t_3 = t_2 + t_2$$

$$a = t_3$$

this is also correct
(optimization)

$$t_3 = \text{minus } c$$

$$t_4 = b^* t_3$$

$$t_5 = t_2 + t_4$$

$$a = t_5$$

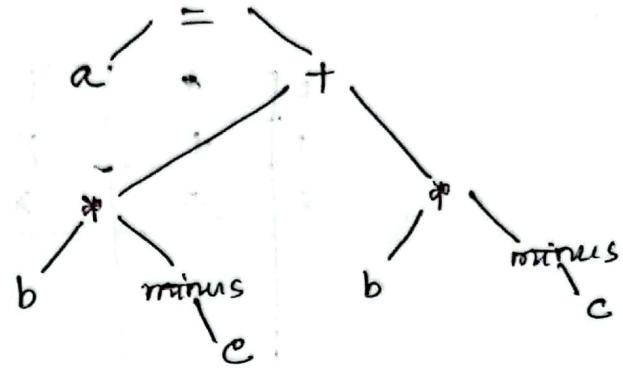
three address code.

	op	arg 1	arg 2	result
0	minus	c		t1
1	*	b	t1	t2
2	minus	c		t3
3	*	b	t3	t4
4	+	t2	t4	t5
5	=	t5		a

example

Triple :

op, arg₁, arg₂
result refer করা



Syntax tree

0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)

$$x[i] = 5$$

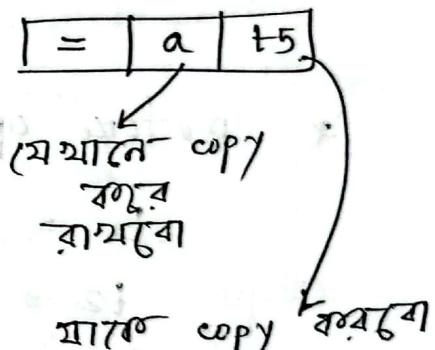
$$x[2] = .5$$

$x[0]$

$2 * 4$ (from int)
 $2 * 8$ (from double)
 add with
 $x[0] \rightarrow x$ base

00	7	int
:	:	:
:	:	:

* copy statement (different
relationships) $a = t5$



* $x[i] = y$

	op	arg ₁	arg ₂
0	*	i	4
1	+	x	(0)
2	=	(1)	5

* $x = y[i]$

0	*	i	4
1	+	y	(0)
2	=	x	(1)

Quadruple is more efficient

→ optimizing compiler.

* Before optimizing

$$t_1 = itof(60)$$

$$t_2 = a * t_1$$

$$t_3 = t_2 + 40$$

quadruples:

0	itof	60	t1	
1	*	a	t1	t2
2	+	t2	40	t3

triples:

0	itof	60		
1	*	a	(0)	
2	+	(1)	40	

optimizing

$$t2 = a * 60.0$$

$$t3 = t2 + 40$$

0	*	a	60.0	t2
1	+	t2	40	t3

0	*	a	60.0	
1	+	(0)	40	

so after optimizing

before optimizing,

$$2 \rightarrow +, (1), 40$$

$$\text{Now, } 1 \rightarrow +, (0), 40$$

1's role is lost (reference is changes

INSTRUCTION
field is used

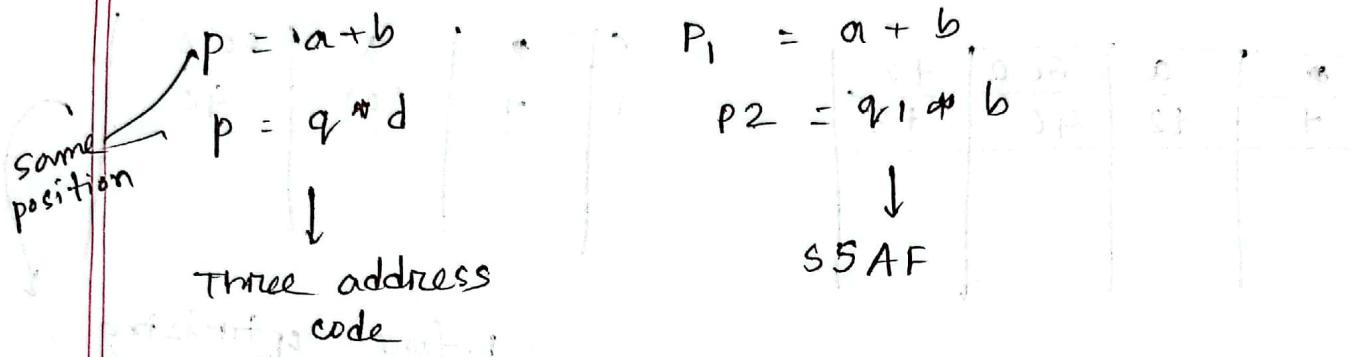
So, we use
Indirect triples.

optimization
for instruction
has to be deleted. (but it also has a
problem, creates
holes).

then, first of all making either

static single assignment form (SSAF)

एक वार्षिक 2 रास्ते स्टोर बदलना है,



Problem :

if (flag) $x = -1$; else $x = 1$

$y = x * a$

x_1

x_2

but एकत्र करें x .

if (flag) $x_1 = -1$, else $x_2 = 1$

$x_3 = \Phi(x_1, x_2)$ right result
pick वो.

$y = x * a$

Practice problem 1 → Do it yourself.

Types & Declarations :

- * ensures the types of operand ~~match~~ match the type expected by operator.

boolean $x : > x = y$ \rightarrow syntax ✓
string $y : >$ but, meaning isn't right
~~bool~~ (boolean \neq string)

boolean = string \rightarrow type expression

equivalency \equiv

- Name
- struct
 - strict
 - less strict

Type expressions :

\rightarrow set of basic types & constructors.

int [2][3] \rightarrow array of 2 arrays of 3 int.

\rightarrow Type expression :

array(2, array(3, int))

\downarrow
type constructor

\hookrightarrow basic type

operator array takes

- numbers
- a basic type

- boolean, char, int, float, void \rightarrow basic type

Ex :

float x ; T.E : float

int i ; T.E : int

if I wrote $x = i \rightarrow$ it will check $\text{float} = \text{int}$

" " " $i/x \rightarrow (\text{int}) i / (\text{float}) x$

res will be in float.

- Type name is name T.E.

array (2, array (3, int))

number

T.E

- record is a data structure with named field.

float x \rightarrow T.E : float

struct { float x; float y; } P \rightarrow record (x : float, y : float)

function or func we use \rightarrow .

$s \rightarrow t$
 parameter
 fact

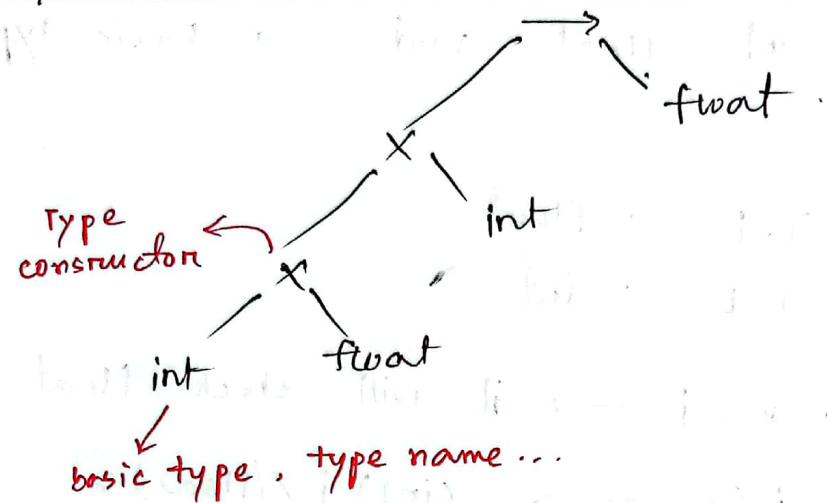
return type

function int f (float x) \rightarrow T.E : float \rightarrow int

" " float g (int a, float b, int c) \rightarrow T.E : int \times float \times int \rightarrow float



Type Expression Tree : $\text{int} \times \text{float} \times \text{int} \rightarrow \text{float}$.



Type equivalence :

if two type expression are equal, then return
a certain type else Error
↳ Semantic error.

structurally eq.

Name eq.

structurally eq :

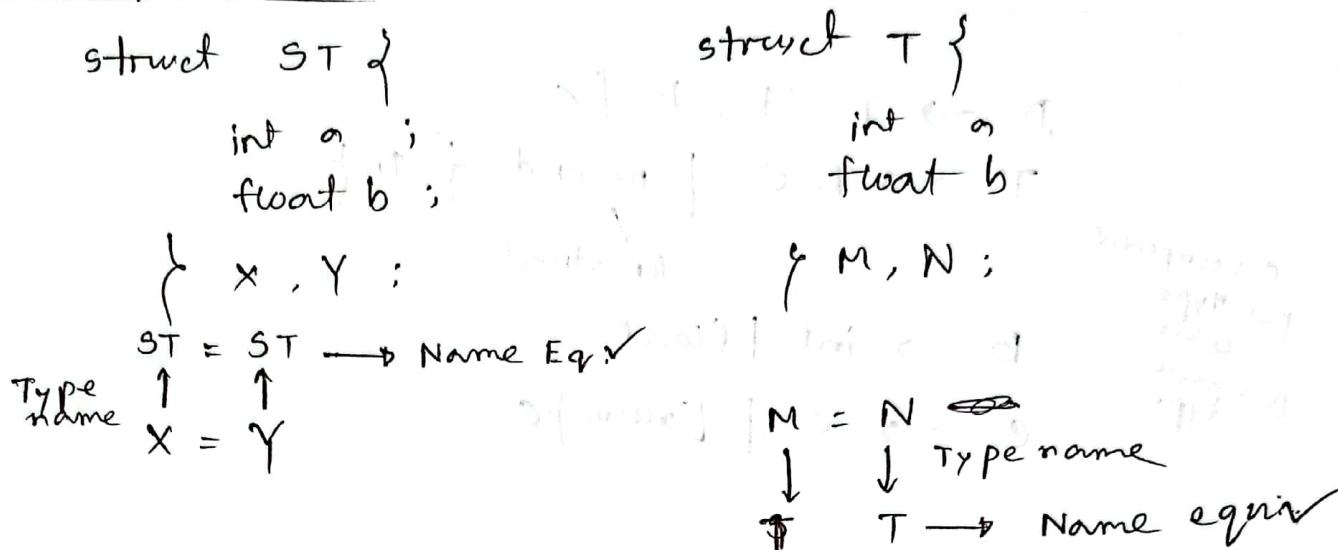
→ same basic type ($\text{int} = \text{int}$)

→ applying same constructor ($\text{array } 1 = \text{array } 0$)

→ one is a type name that
denotes the other

3. Name equivalence

Name equivalence :



strict eq :

$ST \rightarrow \begin{cases} \text{int } a \\ \text{float } b \end{cases}$ $T \rightarrow \begin{cases} \text{int } a \\ \text{float } b \end{cases}$

পথের member ও ক্রম সame and name same (int then float & a ≈ int, b ≈ float)
→ উভয় strict equiv.

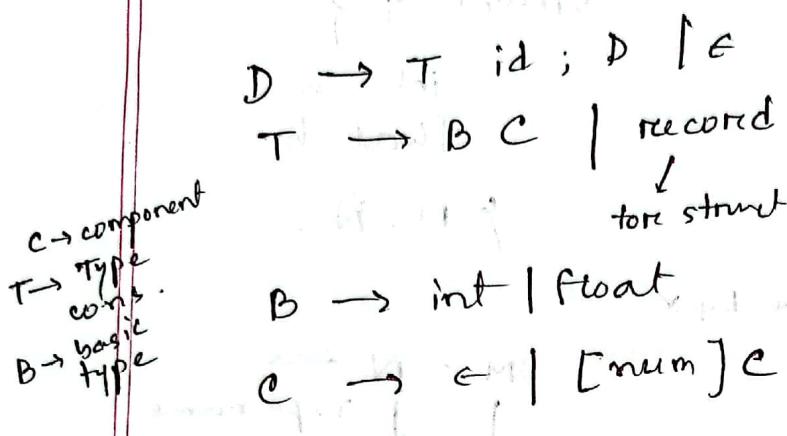
less eq :

members ও ক্রম same হবে,

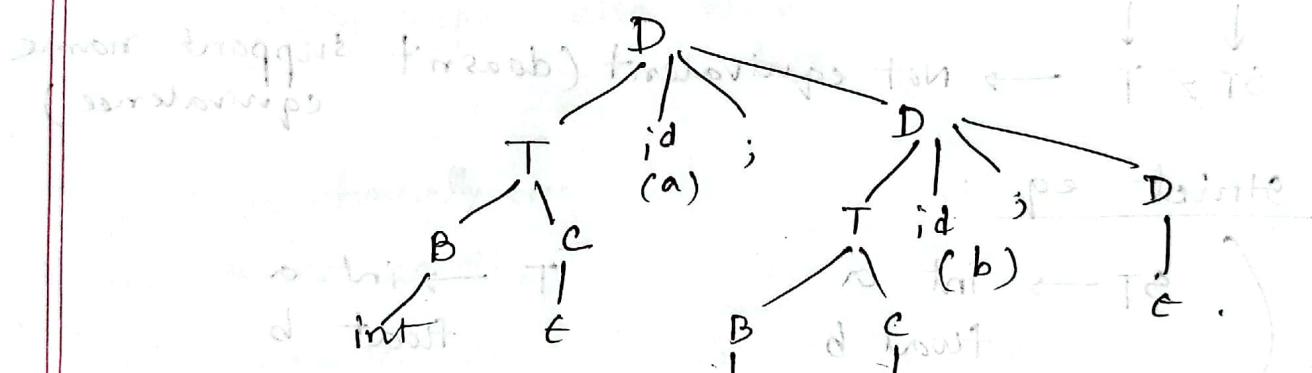
struct . eq :
 $X = M$
 \downarrow
 $ST = T$

int a; int b; float c; &

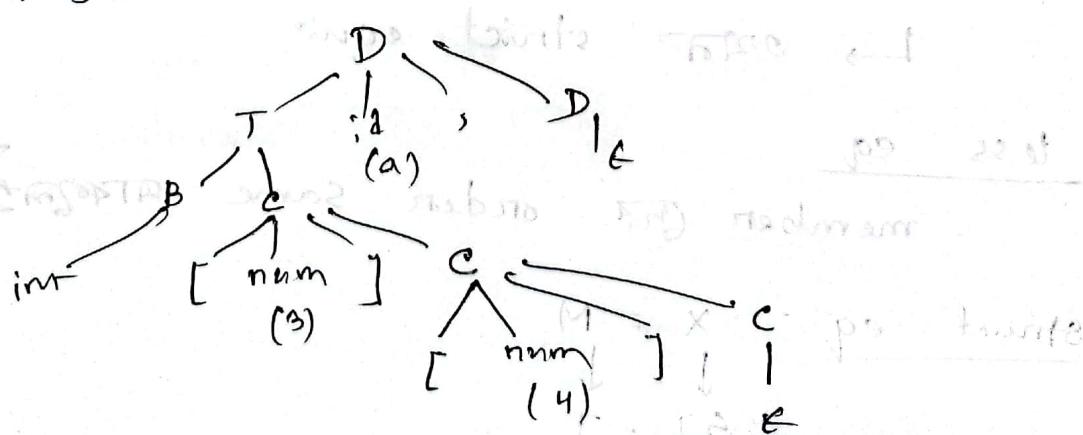
Declarations :



int a; float b;



int [3][4] a; float b;



Storage Layout for local names:

From type of name → determine the amount of storage needed in run time

↓
at compile time

varying length → Ex: dynamic

↳ fixed amount of storage
reserve आवश्यक समय रखा है।

- storage → blocks of contiguous bytes

→ कम्प्युटरी byte (generally 2 byte) → word

Ex. 6.9 :

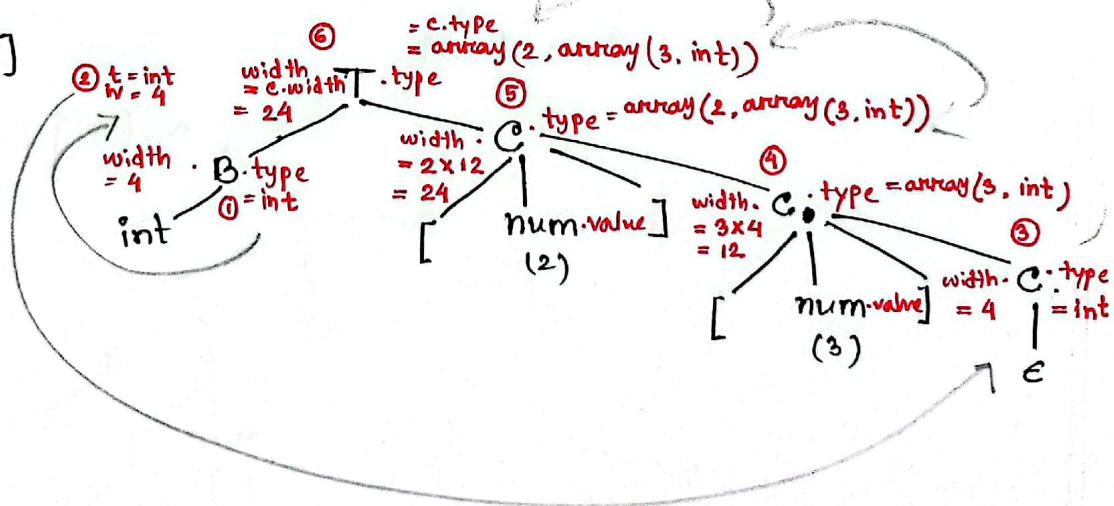
SDT of
array
types

T → B { ... } C { ... }

type → int, float

↓ ↓
4 byte 8 byte (width)

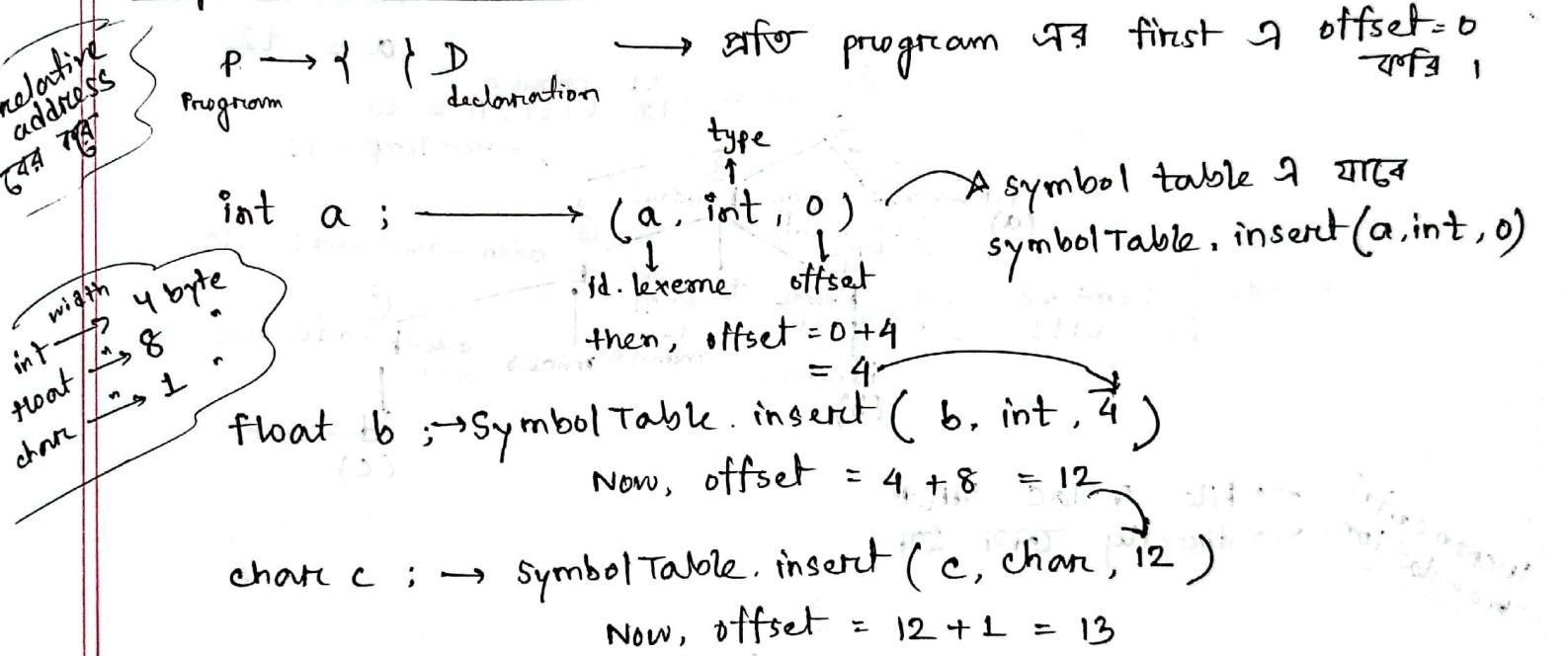
int [2][3]



Ex 6.9 vs Ex : 5.13

- No inherited attr.
- basic type or array type declare করা হবে।
- all synthesized.
- Type & width declare করে
- S attributed grammar
- $T \rightarrow B \cdot C ; C \cdot b = B \cdot t$, hence b is inherited attr. as it's being taken from its sibling.
- Not an S attr. grammar

Sequence of declaration:



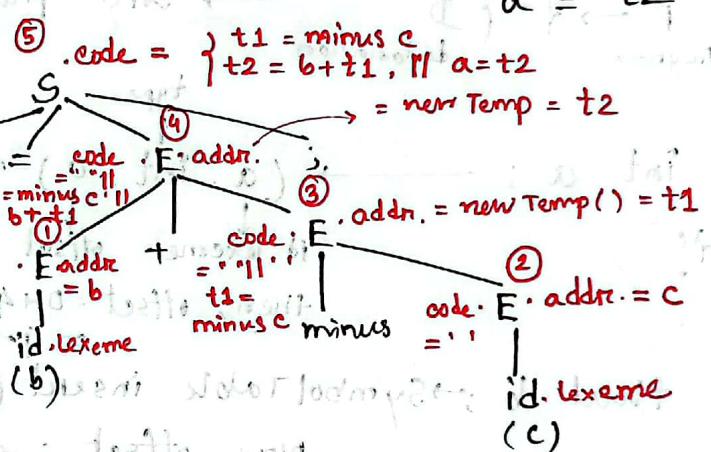
Three address code for expression :

$$a = 5 + 4 - 3 \times e = a + (b + c) + (-d) \checkmark$$

$$a = b + c + d \checkmark$$

code \rightarrow three address code

expression $a = b + -c \rightarrow$ Three address code $\rightarrow t_1 = \text{minus } c$
 $t_2 = b + t_1$



Incremental
Translation

\rightarrow file \rightarrow TAC আসে

\rightarrow directly আসে

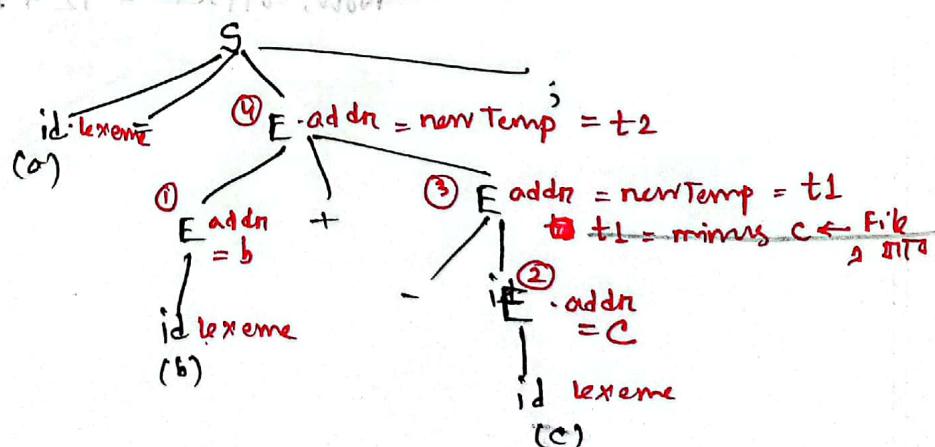
gen function
এক file \rightarrow
মাত্র করো

TAC file :

$$t1 = \text{minus } c$$

$$t2 = b + t1$$

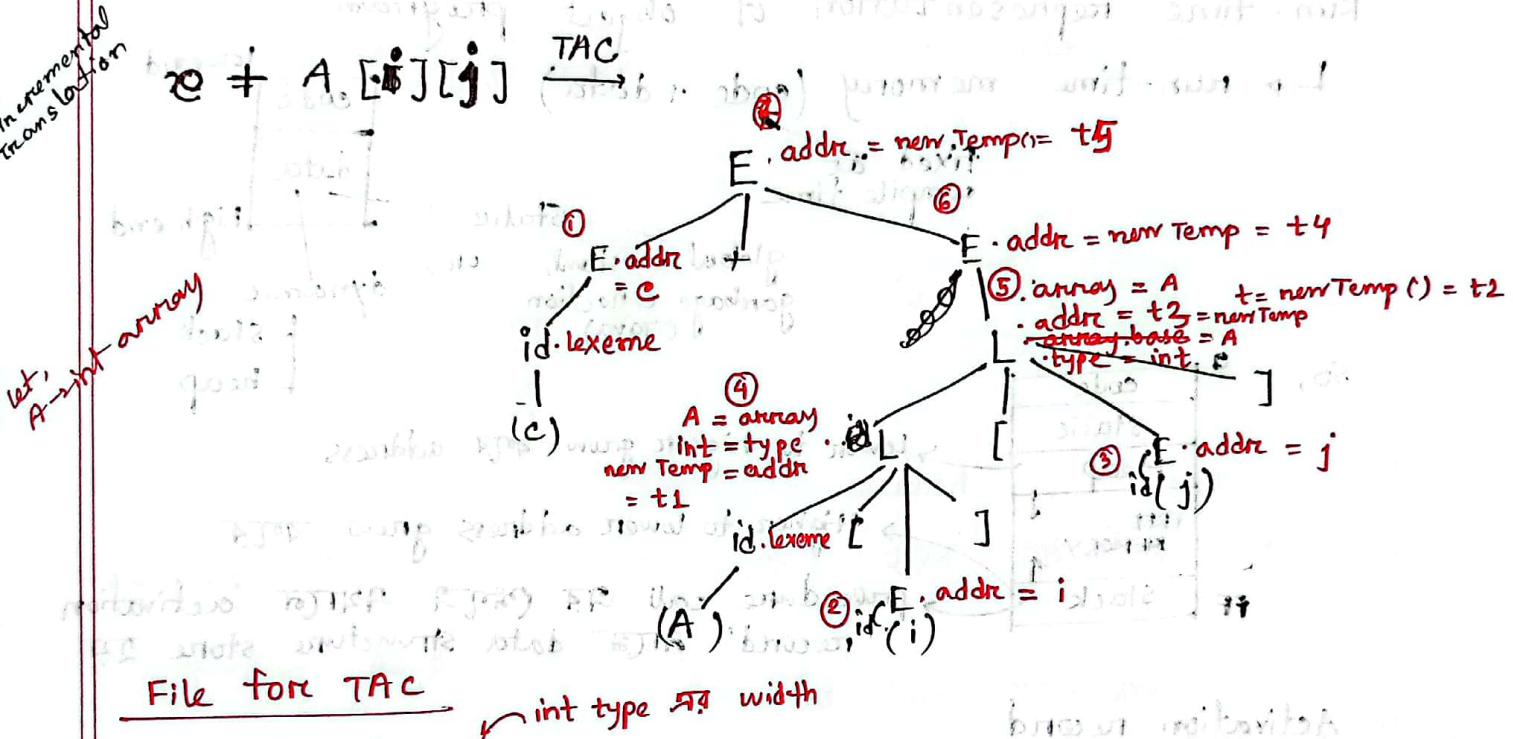
$$a = t2$$



$\text{Arrz}[5] \rightarrow \text{base add.} \rightarrow \text{Arrz} = \& \text{Arrz}[0]$
two dimension $\rightarrow \text{base} + (\text{i} \times \text{width}) + (\text{j} \times \text{width})$

Translation of Array References - SDT

$a[i]$ \rightarrow a is int array
 $\rightarrow t1 = i * 4$ type of $t1$ is integer
 $y_{\text{arr}} = a[i+10]$ locality of y_{arr} is 20
 $a[i+t]$ or $b[i+t][j+t]$ $\rightarrow a[b[i+t]]$



Home task \rightarrow Practice

which integers face fence test

nothing or perfect locality

locality of i is 1000



CHAPTER 7

Run-time Environment

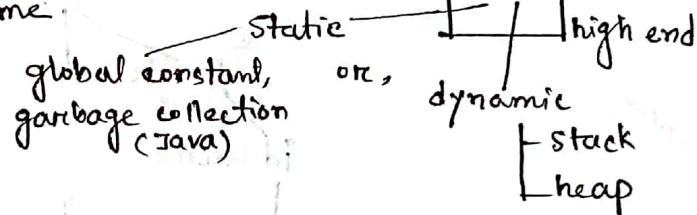
Storage organization :

- * Target program has own logical address space to run in.
- * compiler, OS & target machine share space.
- * OS maps physical address to memory.

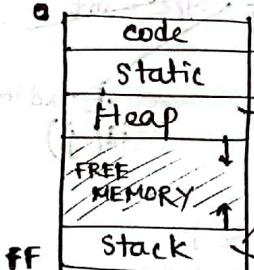
Run-time representation of object program

↳ run-time memory (code + data)

fixed at compile time



So,



Lower to higher grow वाले address

Higher to lower address grow वाले

procedure call एवं फ्रेग्मेंट एथाने activation record' त्रास्मै data structure store हये

Activation record

→ value of program counter

→ machine reg. when proc. call occurs

Heap → malloc, new etc dynamic data एवं फ्रेग्मेंट use हये

Padding :

* integers placed at an address divisible by 4.

* char (10 char) → 12 byte assign एवं बड़ा compiler

* space left due to alignment consideration

↳ Padding

मध्यन space तयन compiler data pack एवं दृष्टिकोण where no padding is left .

Static vs Dynamic Storage Allocation :

compile time এই
storage প্রয়োজন
needed জানা যাবে

compile time এই জানা
যায় না।

Stack → local to procedures, those names are allocated space
on stack.

Heap → calling function এর কাছের data থাকবে

Stack Allocation Space :

- * Push → when proc calls
- * Pop → when proc terminates

Activation Tree :

node → একটি activation record

* একটি func. এর কাজ শেষ হলে ঘোষণা করা হবে

ex : add (5, 6)
get(); at first কাজ করবে,
then add করা হবে।



EX : 7.1

→ read Array(); A[0] to A[9]

→ sentinel set করা

→ call Quicksort func. → partition func. call.
→ recursively Q.S. ...

$qs(1, 9)$
 $\downarrow P=4$
 $qs(1, 3) \quad qs(5, 9)$

activation of proc p calls q
 activation of q enters q rule ends end q
 ends end p

- * q normally terminates when it ends
- * program failure when q ends, p also ends.

• nodes represent activation

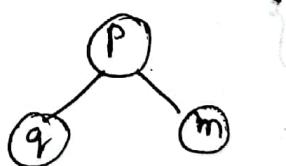
starting of program

(For C, it's main)

node এর child হবে, তার node এর proc
 প্রক্রিয়া call হচ্ছে, কিন্তু

Ex : $P() \{$

$q();$
 $m();$



left to right

inorder they're called.

q end m in activation

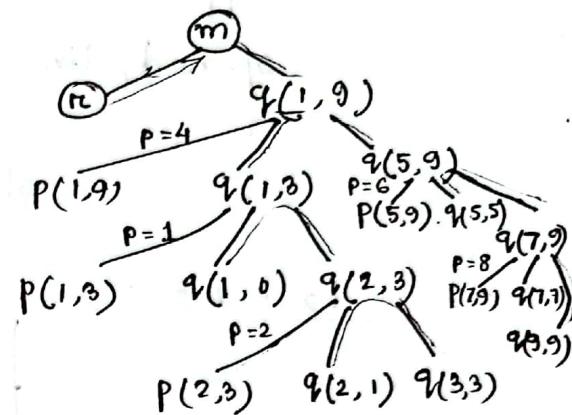
$n > m$
partition
হ্যাব;

root → main
partition, QS, read Array → nodes
edge → হ্যাব return করবে

```

int a [ ] ;
void read Array () {
    int i → local
}
int partition ( ) {
}
void QS ( ) {
    if (n > m) {
        i = partition(m, n);
        QS(m, i-1);
        QS(i+1, n);
    }
}
main() {
    read Array ();
    QS(1, 9);
}

```



** Preorder
Traversal → root
left right

** calling sequence $m \rightarrow 1 \rightarrow 2 \rightarrow \dots \rightarrow n$

** post order (L, R, Root)
return

* q(7,9) activated means $\rightarrow q(5,9)$
 $\rightarrow q(1,9)$
 $\rightarrow m$

as node এর
ancestors activated

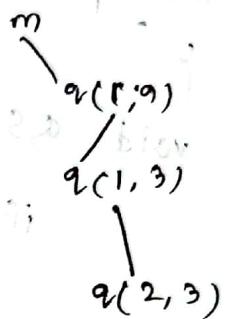
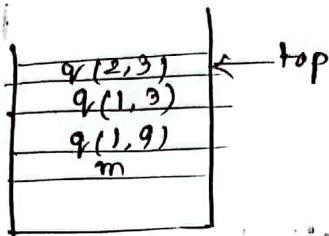
17.9.2024
2nd Part
(Zinia miam)

opp

opened / live node $n \rightarrow$ its ancestor node $\&$ alive

stack \Rightarrow top \Rightarrow থার্কে

Ex : 7.3



contents of activation record:

* Temporaries \rightarrow compiler generated temporary

* Local data \rightarrow int sumf +, -)

local
number : for sumf. } contents of register

main() {
 add(5,6); sum \rightarrow PC, SP, IP
 { for } \rightarrow store temp
 in these register

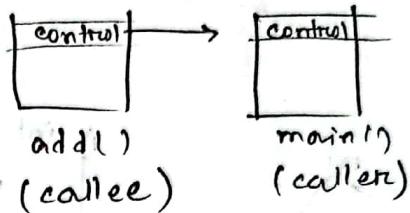
* Access link \rightarrow a pointer to locate data from another activation record.

* control link → a pointer to A.R. of caller

main()

add();

}



* returned value → int sumf (, - , -)

↓
না আবশ্যিক থাবল

int sum = a + b;
return sum;

→ returned value

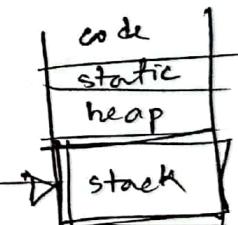
for efficiency → register a return value রাখতে হবে।

* actual parameter → a and b.

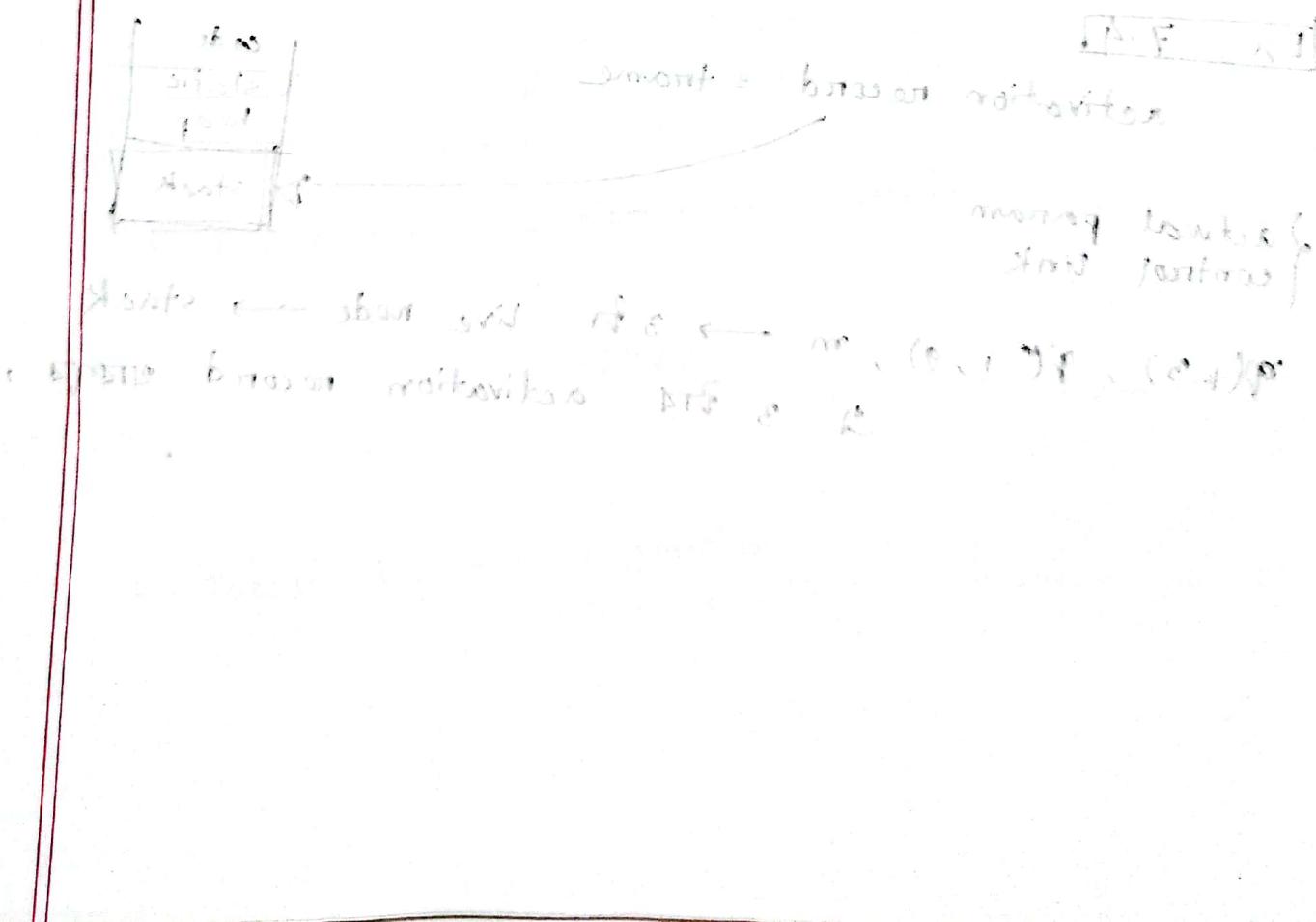
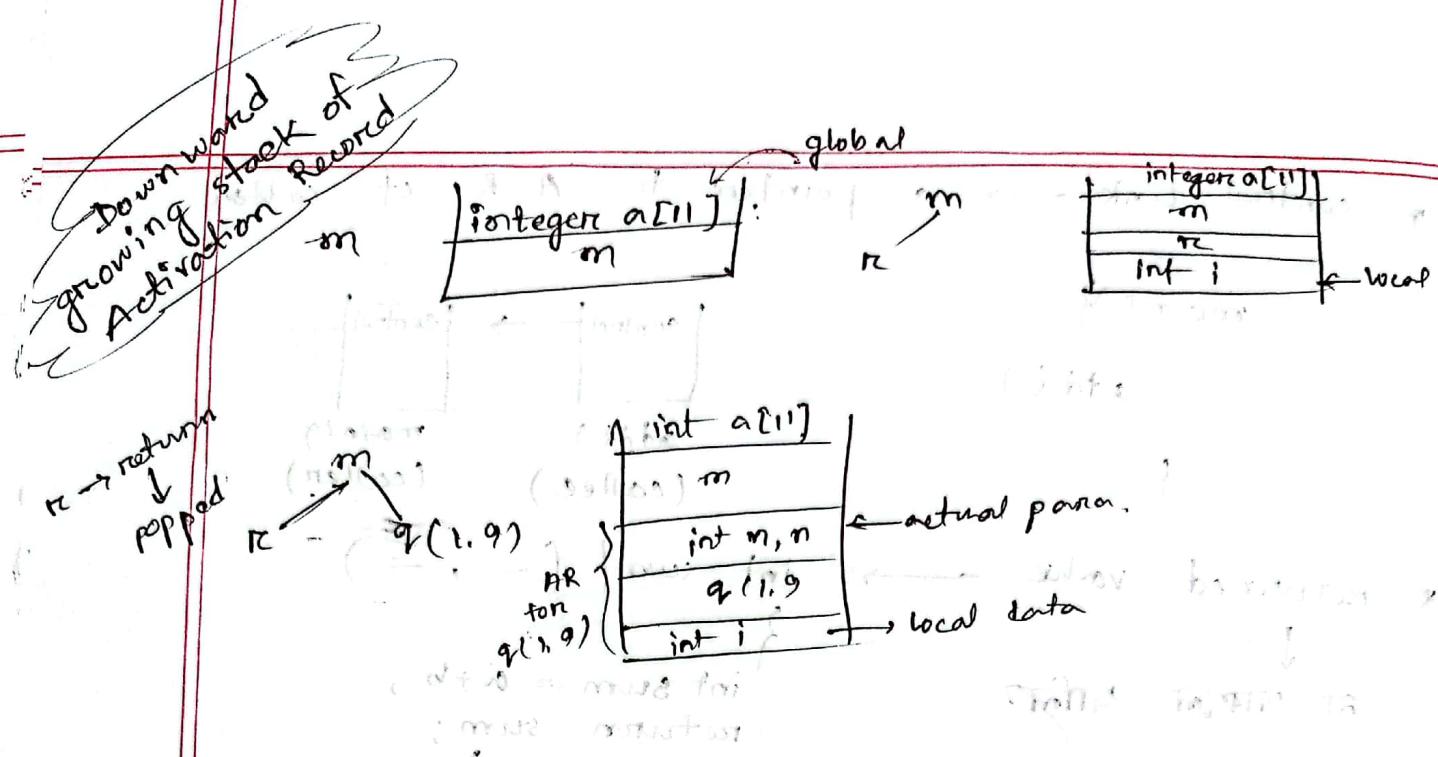
Ex : 7.4

activation record = frame

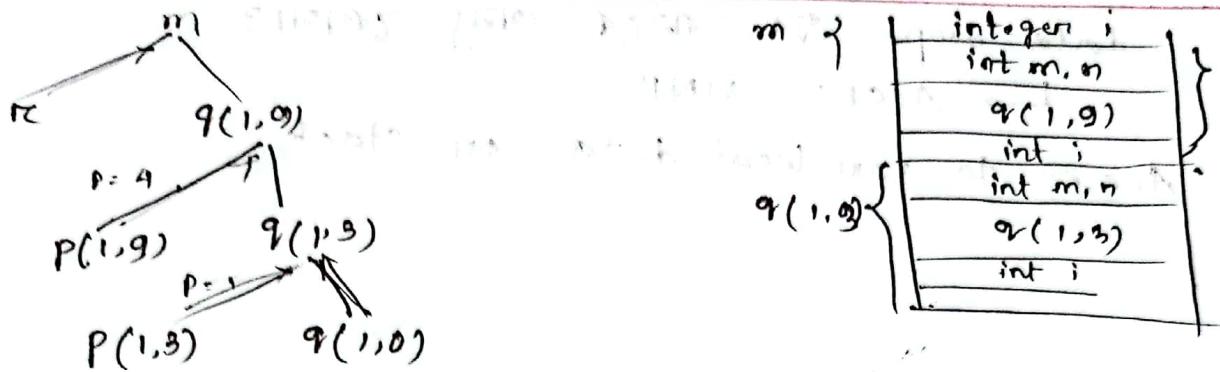
{ actual param
control link }



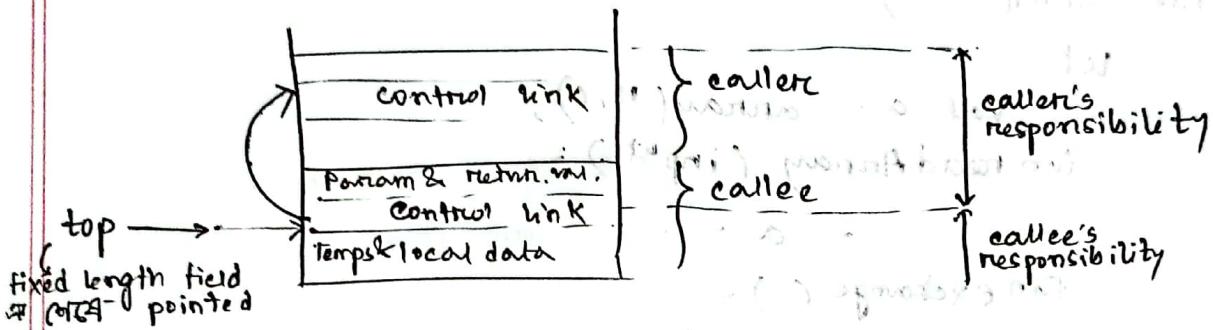
rp(1,3), q(1,9), m → 3rd live node → stack
এটি 3 টি activation record থাবল।



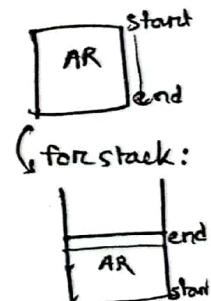
74.3



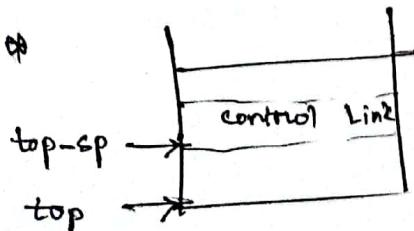
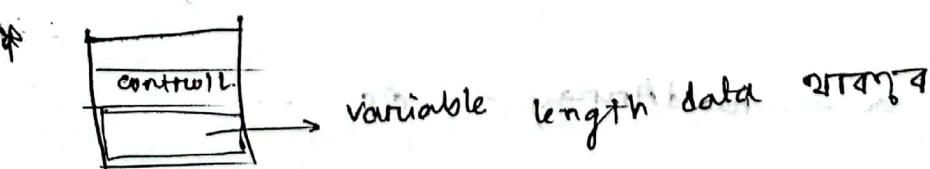
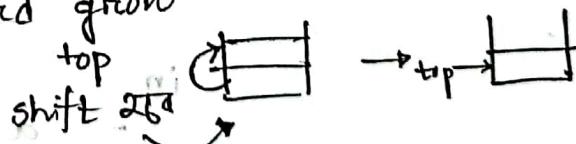
calling Sequences :



fixed length item
 → control link
 → Access link
 → Machine status field



call এর দ্বারা downward grow
 return " "



• data scope এর গাঁথের মেন্ট কৃশ্যাত
 ↳ ACCESS LINK

• Access to non local data on stack

QS using nested f :

* fun sort() =

let

 val a = array(11, 0);

 fun readArray (input) =

 -- a -- ;

 fun exchange () =

 -- a -- ;

 fun QS (m, n) =

 let

 val v = -blif; exchange a; sort qs body for

 fun partition (y, z) =

 loop readArray p; exchange

 a -- v -- partition -- qs

 end

 in

 -- a -- . readArray -- QS --

Q. 3.1.1

function call

end
var
extents
ret

g	Access L.
a	
q(1, g)	
Access Link	
v	
q(1, b)	
Access Link	
v	
p(1, b)	
Access Link	
e(1, b)	
Access Link	

qs varia call
in sort func

for qs in sort func

partition qs scope
wrt to qs (b)

function

qs, exchange → in sort
partition → in qs

Example :

b(d)

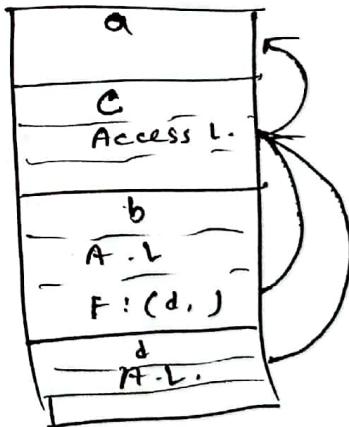
root function

→ nested function allow
func. as parameter.

c → inside a

let → declarations

in → body of func.



7.3 → 7.3.1, 7.3.2, 7.3.4, 7.3.5, 7.3.6, 7.3.7
display

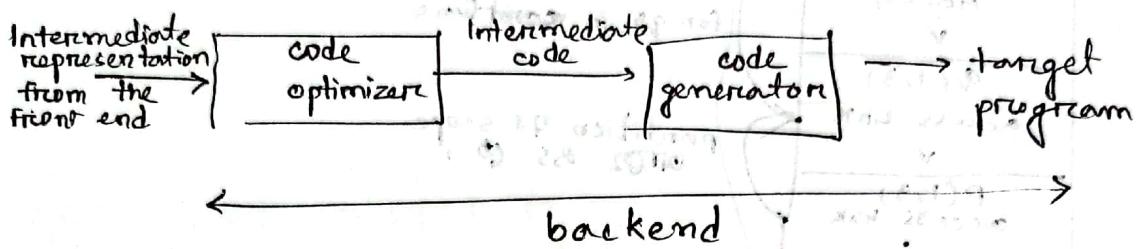
Chapter 8

CODE GENERATION

Front end → lexical, syntax, semantic

IR → Intermediate code

from code optimizer to last → backend



Inst. set architecture : 1) RISC

2) CISC

3) stack based.



$$\textcircled{1} \quad x = y + z$$

req \Rightarrow load.

```

LD R0, y
LD R1, z
ADD R0, R0, R1
ST x, R0
    
```

↑
var \Rightarrow store

$$\textcircled{2} \quad a = b + c$$

$$d = a + e$$

```

LD R0, b
LD R1, c
ADD R0, R0, R1
ST a, R0, LD R0, a > inefficient/redundant
LD R2, e
ADD R0, R0, R2
ST d, R0
    
```

naive translation \rightarrow correct but unacceptably inefficient.

A simple Target machine model:

* load, store, computation op, jump, conditional, label.

* R_0-R_{n-1} registers

* integers.

LOAD

LD dest, addr.
register → variable

LD r_1, r_2 (mem to reg.)
LD r_1, r_2 (reg to reg.)

STORE

ST $x, r_2 \rightarrow$ req. to mem location

Operation

OP dest, src1, src2
ADD or SUB

0, 32 01
3, 12 01

12, 02 02 00A

branch

BR L label

0, 07 00 00B

3, 22 01

12, 08 01 00A

cond

BCond $r, L \rightarrow$ label

0, b 12

value check, fulfill, 2nd to 1st jump

← metabolism when

BLTZ r, L

r value less than
zero \rightarrow jump

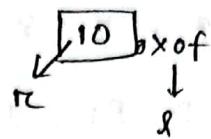
addressing modes :

$\&$ - value \rightarrow location

$\& - " \rightarrow$ real value.

* $x \rightarrow$ var

* $a(R)$ base + offset
var reg.



let R_2 reg \rightarrow y mem
 $LD R_1, a(R_2)$ (a \rightarrow location + R_2 \rightarrow location)
 $= (\text{loc.})_{\text{real value of}}$
 in \rightarrow that location

$LD R_1, 100(R_2)$

real - value $(100 + R_2 \rightarrow \text{mem location})$

indirect add mode :

* $\& R \rightarrow$ content of reg. R .

* $100(R_2)$

value $(100 + (\text{content})(R_2))$

constant add :

$LD R_1, \# 100$
 100 go to $R_1 \rightarrow$ store

~~$LD R_1, 100$~~ \rightarrow location

Ex 8.2

$$x = y - z$$

LD R1, y

LD R2, z

SUB R1, R1, R2

ST x, R1

$b = a[i]$ → array start from 0
& byte value

To understand (Sol):

LD R1, i

MUL R1, R1, 8

LD R2, a(R1)

ST b, R2

$a[j] = c$

LD R1, c

LD R2, j

MUL R2, R2, 8

ST a(R2), R1

$x = *P$

LD R1, P

LD R2, a(R1)

ST x, R2

* $P = 7$

LD R1, P

LD R2, Y

ST O(R1), R2

if $x < y$ goto L

LD R1, X

LD R2, Y

SUB R1, R1, R2

BLTZ R1, M

memory address
where L label is written

Costs : 1

LD R0, R1

→ 1 inst.

→ reg cost = 0

Total cost = 1

LD R0, M → Total cost = 2

LD R1, + 100(R2) → " = 3

Addresses in target code:

Static → global constant → compile time

dynamic → heap → cannot be determined in compile time.

" → stack

for proc calls
and return

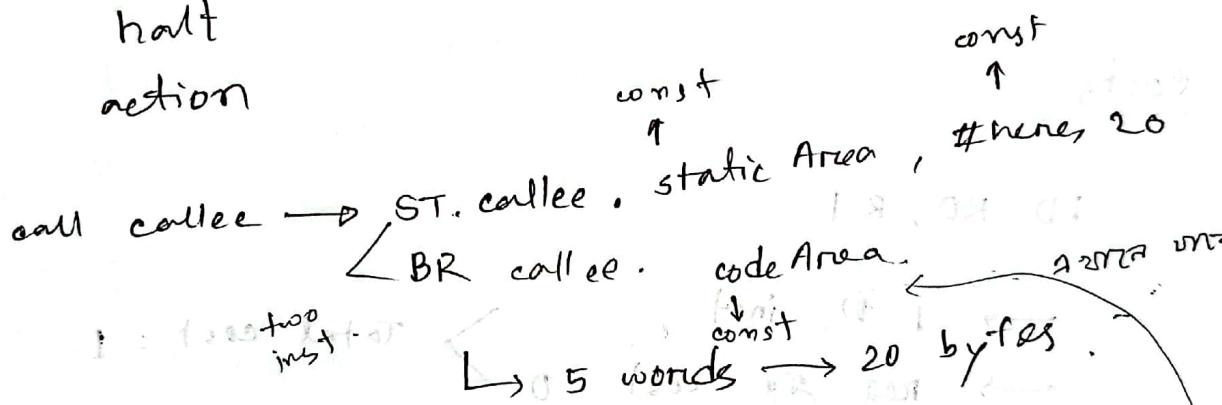
static allocation:

call callee

return

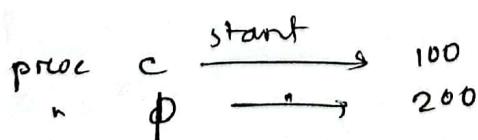
halt

action



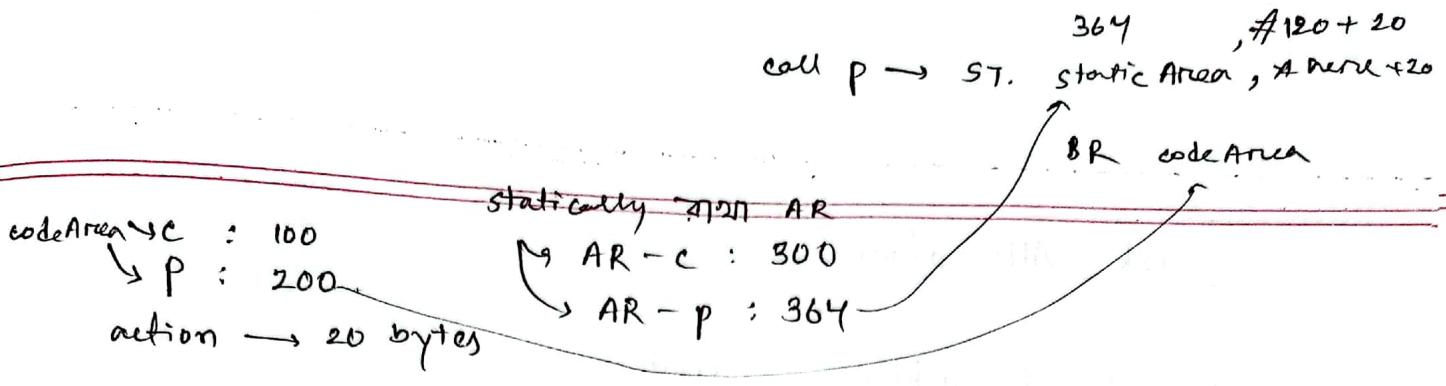
return callee → BR callee, static area

Ex 8.3:



each inst takes 20 bytes.

activation records start from 360 and 384 respectively



// code c

action 1 (20 bytes static Area)

call p

action 2

halt

100 : Action 1

120 : ST 364 , #140
↓ ↓ ↓
3x 4 = 12 bytes

132 : BR 200
↓ ↓
140 : ACTION 2

160 : Halt

code p

action 3

return

200 : Action 3

220 : BR #364

return callee
↓ BR #callee.static area

100 : //c

200 : //p

300 : AR - C

364 : 140

↑
memory

Stack Allocation :

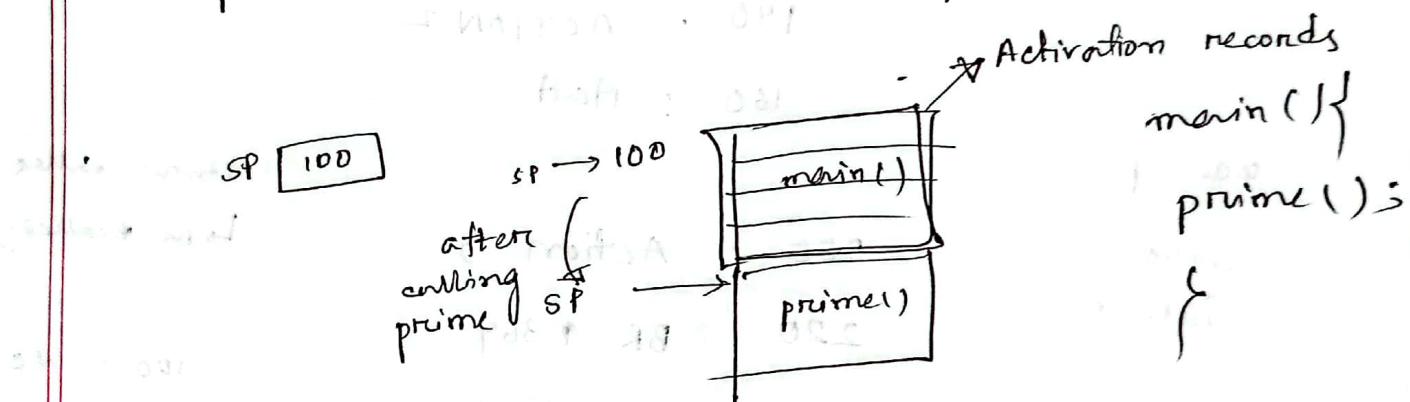
* indexed address mode

$$\rightarrow a(n) \rightarrow \text{base add of } a + n$$

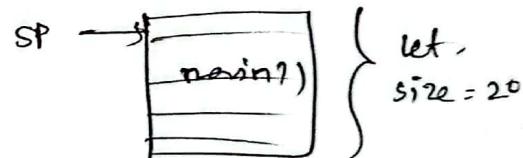
$$100(n) \rightarrow (100 + n)$$

* position using SP (stack pointer)

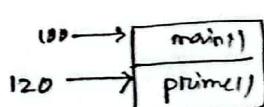
* proc calls \rightarrow inc. SP \rightarrow transfer to called proc.



after returning , dec. SP .



• LD SP , # stack start
/ code



HALT

call callee \rightarrow ADD SP, SP , # caller . record Size
 ST 0(SP), # here +16 ← return address stored
 BR callee . code Area // jump to callee

Step 2

4 words

NEXT reg
addr
ind reg

~~stack~~ return \rightarrow BR * 0(SP) SP [120]

$0 + 120 = 120$
location \rightarrow
value 120

Jump.

~~stack~~ SUB SP, SP, # caller. recordSize
if stack <= 120
then jump

main () { address of block with activation

QS () with stack 120

{ msize = 20 psize = 40 qsize = 60
QS () } partition ()

QS ()

QS ()

Activation record size :

msize = 20

psize = 40

qsize = 60

codeArea:

m 100

p 200

q 300

stack starts \rightarrow 600

action x → ACTION → 20 bytes (let)

Example 8.4 :

As stack address starts 600 ← 100 // main. code Area

LD SP, #600

⋮

// partition. code Area

200

⋮

300

600

SP

600

1 Inst. reg 2 word = 8 byte

100 : LD SP, #600

20 byte ← 108 : ACTION 1

128 : ADD SP, SP, #20 SP | 620

136 : ST 0(SP), #152 (# 136 + 16 = 152) → 620 : 152

144 : BR 300 (call q) → q 2nd code area = 300

152 : // quick sort code Area

300 : ACTION 4

320 : ADD SP, SP, #60 SP | 680

328 : ST 0(SP), #344 (# 328 + 16 = 344) → 680 : 344

336 : BR 200

// partition code Area

200 : ACTION 3

return : 220 : BR *0(SP)

SP | 680

680 : 344

→ q 2nd size. (q call) 620

344 : SUB SP, SP, #60

352 : ACTION 5.

as 71 size

372 : ADD SP, SP, #60. SP [680]
380 : ST 0(SP), #396 680 : 396

call 9 : 388 BR 300

action 6 : 396 ~~ACTION 6~~ SUB, SP, SP, #60 SP [620]

call 9 : 404 : ACTION 6

424 : ADD SP, SP, #60 SP [680]
448 : ST 0(SP), #448 680 : 448

432 :

448 : SUB, SP, SP, #60 SP [620]

456 : BR 10(SP) 620 : 152

1 min

152 : SUB, SP, SP, #20 SP [600]

action 2 : 160 : ACTION 2

180 : HALT.

080 : 00000000000000000000000000000000

080 : 48F

00000000000000000000000000000000

00000000000000000000000000000000

00000000000000000000000000000000

00000000000000000000000000000000

00000000000000000000000000000000

00000000000000000000000000000000

00000000000000000000000000000000

Basic blocks & Flow graphs :

first instruction
first basic block
enter

8.5

INPUT : seq of 3-add instructions

OUTPUT :

each inst in basic block \rightarrow part of

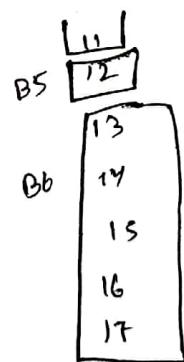
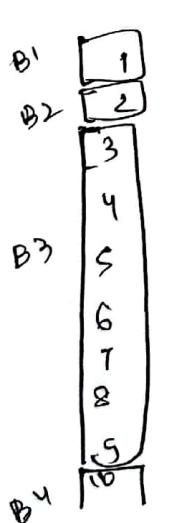
Method :
leader \rightarrow basic block \rightarrow first inst.

FIRST inst \rightarrow leader

target of cond / uncond jump \rightarrow leader

immediately followed by uncond / cond. jump \rightarrow leader.

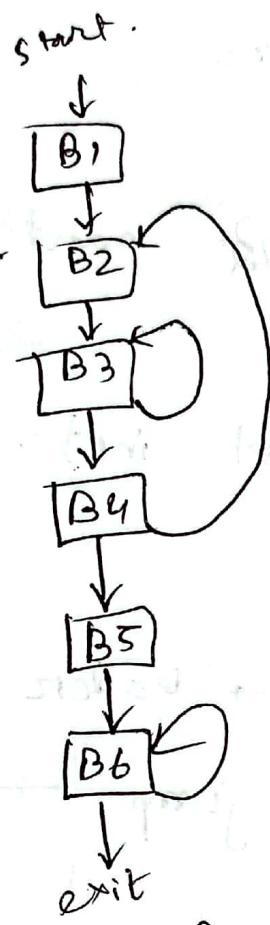
leaders \rightarrow 1, 3, 2, 13, 10, 12, 8
 target of cond. jump (9) target (11) target (17)
 immediate inst. ✓
 9, 11, 17 \rightarrow leaders



6 basic blocks

Flow Graph :

nodes → Basic blocks .



Basic block optimization