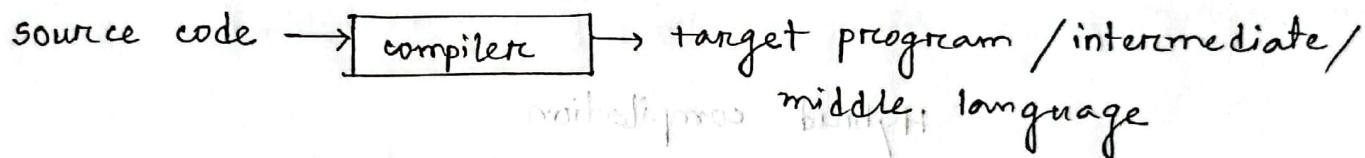


• C

- .exe → executable file
- .o → like an interpreter (object file)

- * Define grammar
- * Build the front-end compiler for source code
- * Build the back end code generator

• compiler → language processor



• compiler can detect errors. (during translation process)

• i/p → target program → o/p
(.exe file)

• source program → interpreter → o/p
input → interpreter → o/p

hello.py → source code

hello.pyc → interpreted to bytecode
(executable file)

• python doesn't use compilers

Ques : Compiler vs Interpreter

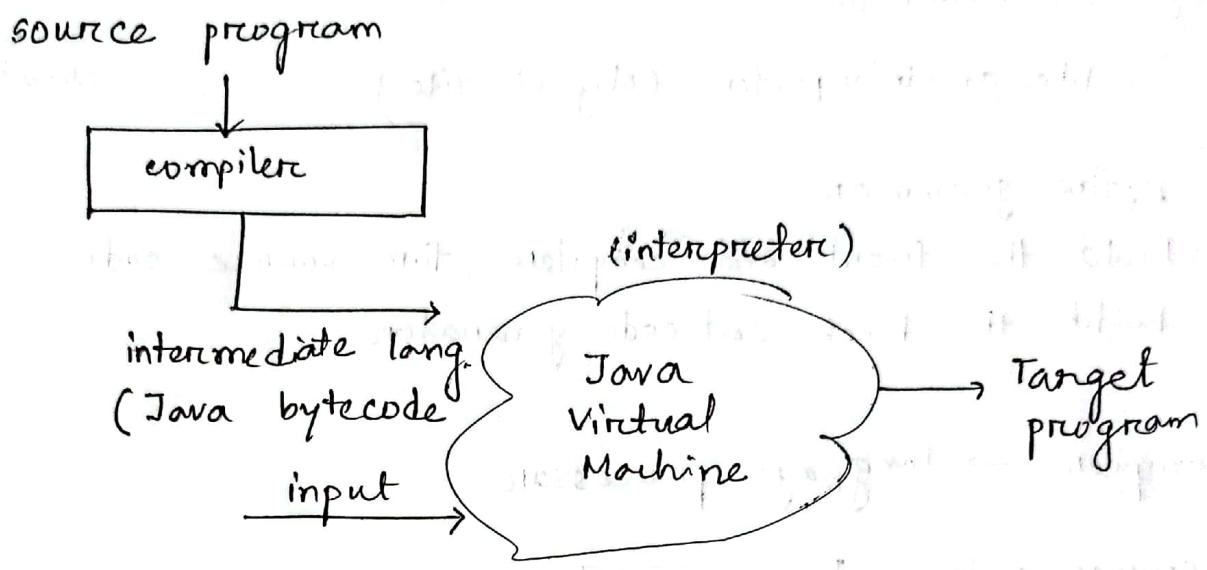
object file
linker
create

* whole program at a time
(faster)
step 2

statement by statement
975;

error
dignise
etc
etc
stop

Imp: Java → hybrid compiler → Justify it.



Hybrid compilation

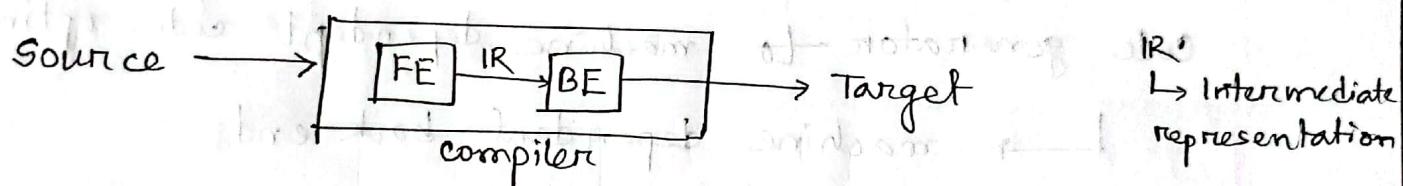
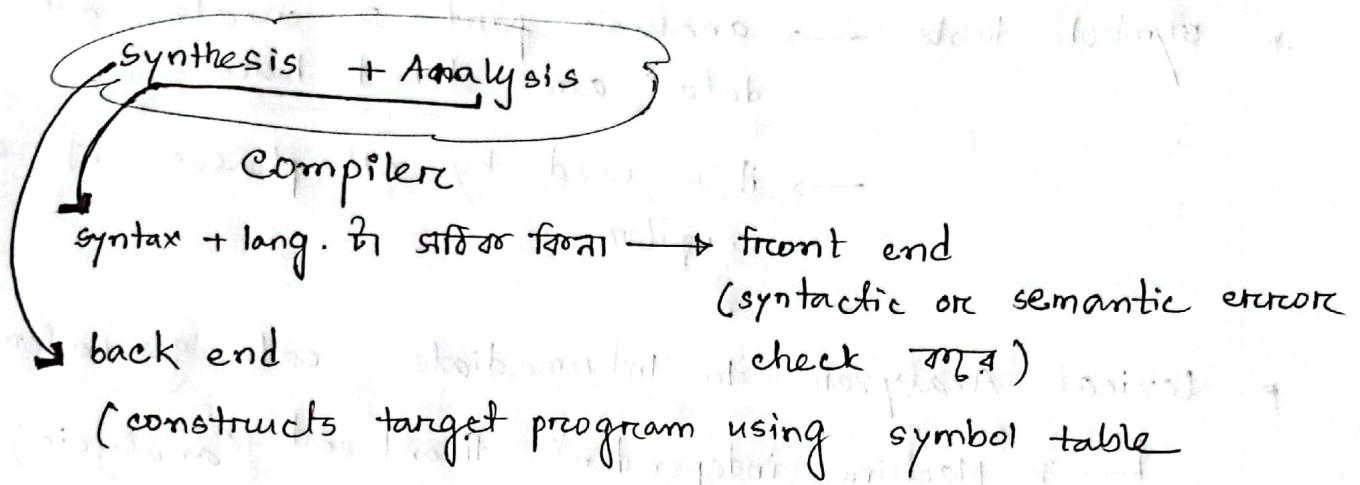
- * main benefit of Java hybrid compiler
- * assembler → machine dependent

intel → 8086 ...
& object files

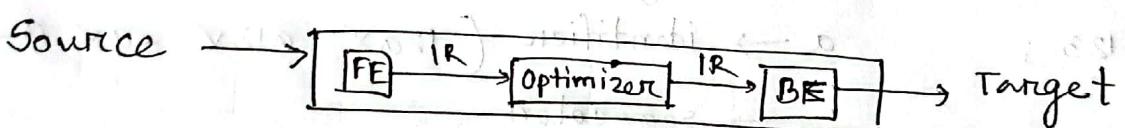
Linker → all library files → link → executable file
create

Loader → executable file → memory → create

Linker & loader ↗ functions → definition



Two pass compiler



Single Pass compiler

What happens in parallel execution model?

Best answer

Execution model

Best answer

* symbol table → analysis part → create & data are stored here
→ it's used by all phases of a compiler

* Lexical Analyzer to Intermediate code generator
└→ Machine independent front end (analysis)

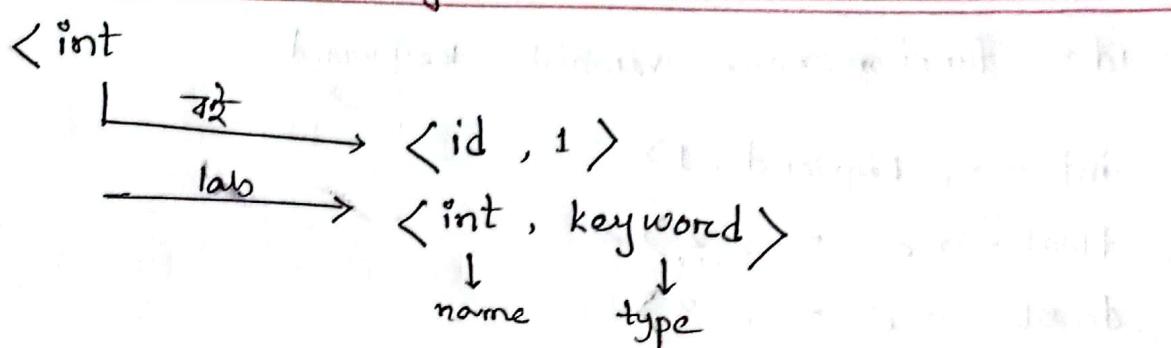
Code generator → machine dependent code optimizer
└→ machine dependent back end

*
int a ; int → keyword
a = 123 ; a → identifier (12ax a12v -av a-v)
; → semi colon
= → assignment operator
== → relational
123 → number
 name type

lexical analyzer → scanner → symbol table
scan → शब्द

└→ token stream generate
→ शब्द

how token streams are generated :



Token stream → $\langle \text{token-name, attribute-value} \rangle$

* $\boxed{\text{position} = \text{initial} + \text{rate} * 60}$ → make a token stream for this source program

position → $\langle \text{ID}, 1 \rangle$

= → $\langle = \rangle$

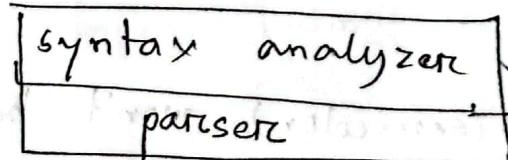
initial → $\langle \text{ID}, 2 \rangle$

+ → $\langle + \rangle$

rate → $\langle \text{ID}, 3 \rangle$

* → $\langle * \rangle$

60 → $\langle 60 \rangle$

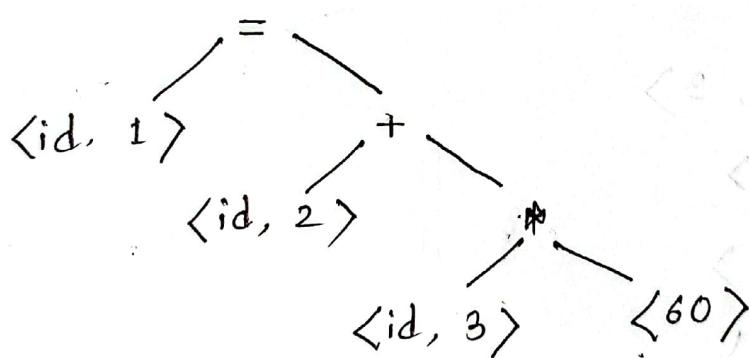
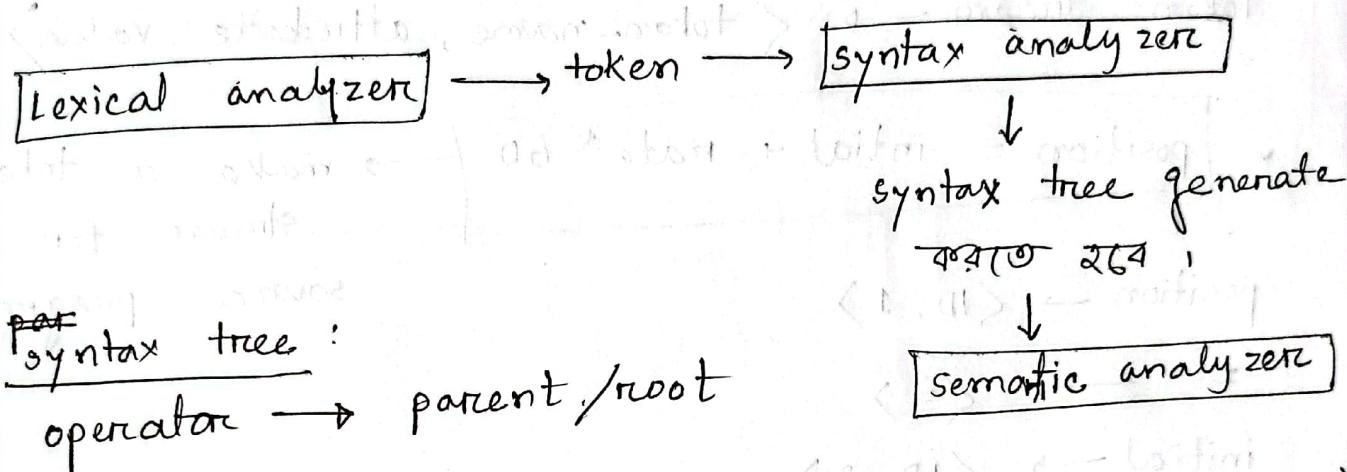


id → function-name, variable, keyword.

int → < keyword, 1 >

float → < " ", 2 >

double → < " ", 3 >



* ; (semicolon) won't be included in syntax tree

* Semantic analyzer :

↳ type checking → conversion

Ex : int a = 1 ;

int b = 3 ;

float sum = a + b ;

4.0

float a = 1.0

float b = 3.0

int sum = a + b ;

4

3-address code → 3 টির ট্রিপেল ওপারেন্ড আবশ্য যাবে না।
 → প্রতি assignment operation এ right side এ ১ IT (atmost) operator আবশ্য।

Ex: Suppose, rate, initial, position datatype, float.

rate * 60

↓
let, rate = 40.0

60 will be converted into 60.0, (semantic analyzer).

So, int to float
(60)

- Semantic analyzer → Intermediate code generator

t1 = int tofloat (60)

t2 = <id, 3> * t1 ;

t3 = <id, 2> + t2

<id, 1> = t3

↳ এই code generate কর তাবে
3 address code, হল,

intermediate representation

- int. code gen → code optimizer (optional)

t1 = id 3 * 60.0

id1 = id 2 + t1

} code optimization

(faster & shorter)

Machine code generate:

LOAD

ADD

SUB

MUL

DIV

STORE

MOV

(DEL)

machine dependent
assembler uses register.

(Mid level lang).

LOAD R2, id3

#60,0 → 60 is a
constant,

MUL R2, 60.0

assembler uses

LOAD R1, id2

to identify
constant.

ADD R1, R2

STORE id1, R1

(scanner) lexical → token

(parser) syntax → tree

semantic → type check

inter. CG → 3 address code

scanners \rightarrow lexical analyzers

Symbol Table

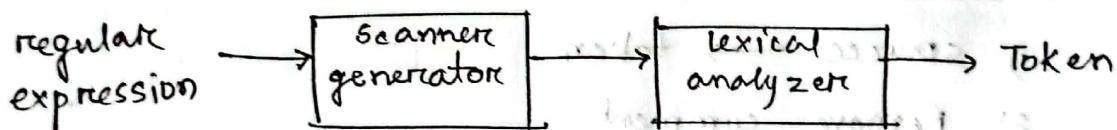
name, type, scope, function etc info.

Grouping of phases into passes

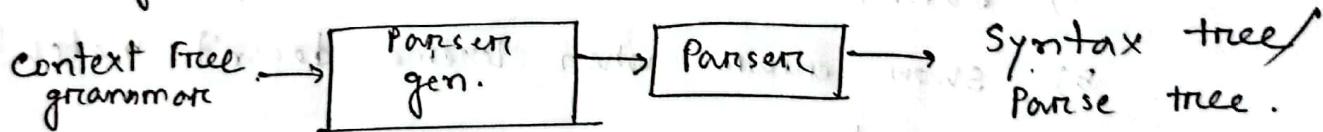
- One pass / Front End Pass \rightarrow Analysis
- Back end. Pass \rightarrow synthesis
- * code optimizer \rightarrow optional pass

Tool for compiler :

* scanner generators :



* Parser generators :



* Syntax Directed Translation Engine

Code generators

* Data Flow Analysis Engine

\hookrightarrow calculation of flow for front

* Compiler construction Tool Kits

\hookrightarrow 6 in phase integrated.

Chap 3Lexical Analysis

$$\underline{\text{position} = \text{initial} + \text{rate} * 60}$$

- character stream / lexeme is generated using lexical analyzer
- Stream of tokens are sent to parser (symbol analyzer)

types of generated token { position → <id, 1>

or, <position, identifier, 1>

(better) 4 or, <identifier, symbol table entry for Position>

Type checking → semantic analyzer

ROLE OF LEXICAL ANALYZER :

- 1) source → token
- 2) Remove comment
- 3) keyword, id, operator, constant, separator → recognize
- 4) blank, newline, blank → strip out
- 5) show errors when lexeme doesn't match
- 6) correlating errors message

→ Scanning

→ Lexical analysis

Why separated from syntax analyzer :

- ④ Simplicity → easier to maintain, test
- ④ Efficiency
- ④ Portability

lexeme → seq. of characters

pattern → description

Token :

if, else, comparison, id, number, literal

<=, !=

surrounded by
60, 3.1416, pi
(constants)

if (a == b)

printf ("it's true") ;

{ if
a → <id, 1>
== → <==> or,
<comparison, 1>, or
<comparison, symbol
table entry for ==>

printf("Total = %d", score);

printf → printf (unique keyword like if)

"..." → literal

,

→ comma

score → <id, symbol table entry for score >

; → semicolon

Attribute for token

* multiple lexeme \rightarrow same pattern

\hookrightarrow then attribute for token is must.

0 > both number
1

so, <number, symbol-table entry for 0>

< " ", " information " 1 >
 \downarrow
token_name attribute

<hello world> or <literal, symbol-table entry for
"hello world">

<1, 6> \leftrightarrow

10 <1> \leftrightarrow

<1, nothing>

and <1, nothing>

3. multiple stuff

(this happened during scanning)

multiple tokens

multiple tokens

multiple tokens

multiple tokens

multiple tokens

multiple tokens

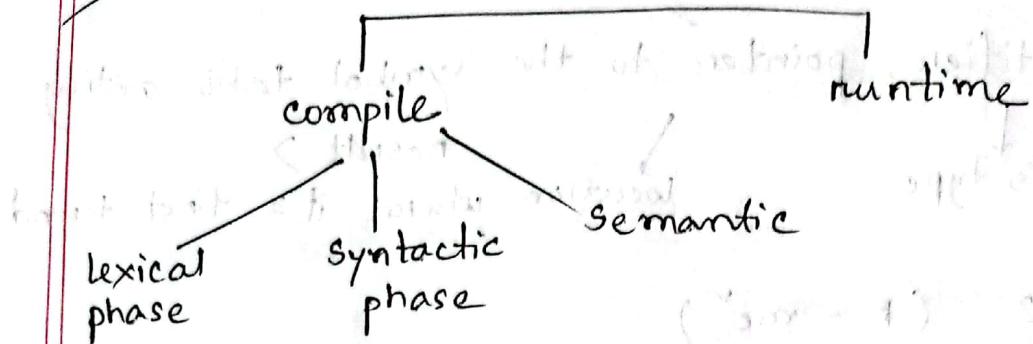
Attribute for token :

int result ;
 ↓
 <result , identifier, pointer to the symbol. table entry for
 lexeme it's type ↓ result >
 ↓ location where it is first found

$E = m * c^{***} 2 \quad (E = mc^2)$

E < identifier, pointer t. t. s. t. e. f. E >
 = < assign-op >
 m < identifier, pointer - - - - M >
 * < mul-op > or < * >
 c < identifier, pointer - - - - C >
 ** < exp-op >
 2 < number, pointer - - - - 2 >
 or < number, integer value 2 >
 # op, punctuation, keyword → no need of attribute value

Errors :



lexical error :

fi (a == f(x))

↳ misspelling of keyword if

→ cannot detect the error ; it'll be used
as id .

- * exceeding length of id / numeric constant
- * appearance of illegal characters
- * unmatched string / pattern

Ex : printf ("Hello-World"); \$

↳ illegal char
(lexical error)

(বিরুদ্ধ পার্সার)
(বিবরণ করা হবে as)

• panic mode → illegal char কে skip করা হবে
এটা recognizable না ।

• Synchronizing token are delimiters → ; or }

error - recovery actions

1. deleting extraneous characters

Ex: printf x → printf to symbol table ↗
entry ↗ deleting the char "x"

- ## 2. Inserting a missing character

3. replacing an incorrect char by correct char.

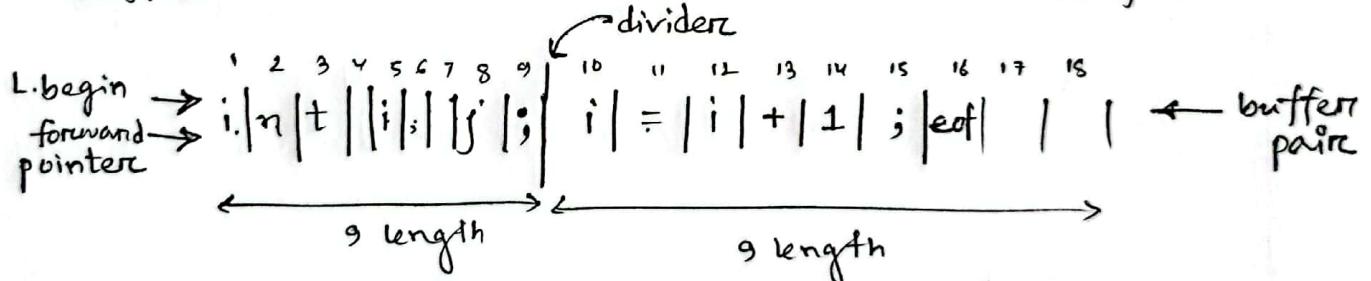
4. transposing two adjacent characters.

5 test → 5 ടെസ്റ്റ് ~~അംഗം~~ "test" suffix → lexical error.

is how can we speed up the reading

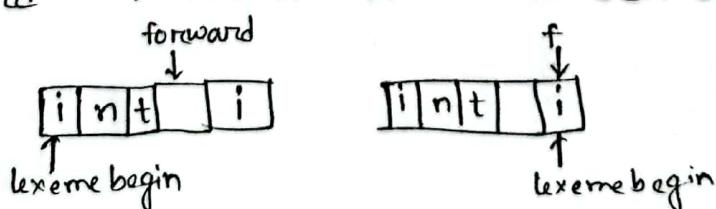
Input buffering: with input buffer as part

buffer is divided into $2N$ characters half.



source code লিখ → eof দিয়ে দিবে buffer ↴

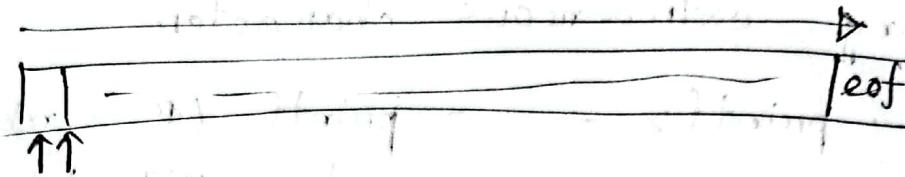
- lexeme begin & forward initially points to the first character of input string.
 - forward → moves ahead to search end of lexeme



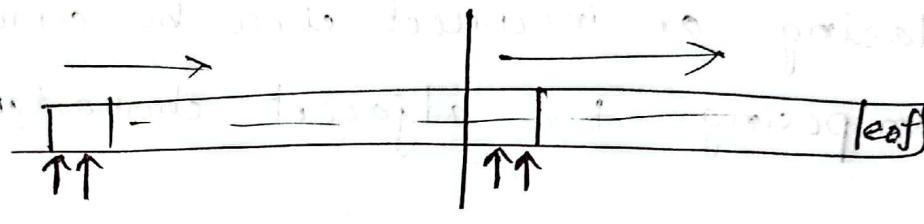
tab / \ / blank space → lexeme generate হবে না

Question) Input buffering for ?
One scheme buffering its function
Two " " "

scheme
one stream buffer :



[to speed up] → two stream buffer



- * 2 part वाले extreme begin & forward pointer थाएँ
- * first & second buffer are scanned alternately.



sentinel
approach
method

Sentinel → প্রয়োগ ওর গুরান্ড

→ next char পড়ার আগে we will check 1st or 2nd half এর end এ টেনে প্রয়োগ করা।

1st half এর শেষে-

→ reload 2nd half

→ fwd দ্বাৰা 2nd half
এবং first এ ফু

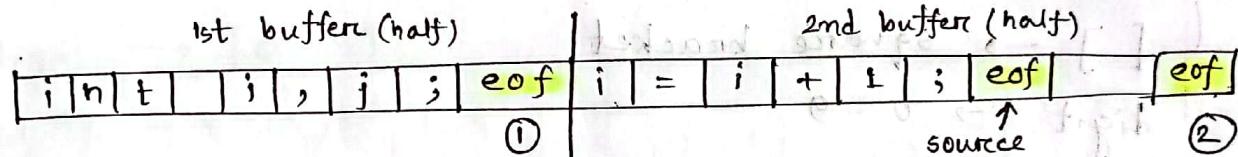
2nd half শেষে,

→ reload 1st half

→ fwd দ্বাৰা 1st half দ্বাৰা
পুনৰ ফু

soln

time consuming to take two tests always



fwd++;

checks if fwd == eof.

→ optimizes the code by
reducing number of tests

① & ② → guards
sentinel

Recognition of tokens

stmt → if expr (is true) then stmt |
if expr then stmt else stmt | E

expr → term relop term | term

term → id | number

letters

followed by some
digits or letters

relational
operators

(>, <, >=,

<=, ==,

!=)

সেগুলো comparison op. is a
relational operators.

Note

1) 'i' → or

2) number

+ is constant

3) term
should be
id or number

$s \rightarrow \text{stmt}$
 $E \rightarrow \text{expr}$
 $T \rightarrow \text{term}$

$s \rightarrow \text{if } E \text{ then } s_1 \mid \text{if } E \text{ then } s \text{ else } s_1 \mid E$

$E \rightarrow T \text{ relop } T \mid T \text{ UNOP } E \mid \text{const}$

$T \rightarrow \text{id} \mid \text{number}$

Primitives :

Note :

1) whitespace
is a character

• \rightarrow any char except newline

$\backslash n \rightarrow \text{newline}$

$\{ \} \rightarrow \text{parentheses}$

$\{ \} \rightarrow \text{curly braces}$

$[] \rightarrow \text{square bracket}$

$\text{digit} \rightarrow 0 - 9$

$[0 - 9] \rightarrow \text{digit class}$

$0 - 9 \rightarrow \text{digit}$

$0^* \rightarrow$ either 0 or no zero
↳ zero or more copies of preceding expression

$0^+ \rightarrow$ one or more copies of preceding expression

$0^+ \rightarrow 0, 00, 000, \dots$

$0^? \rightarrow$ zero or one copy of

$0^? \rightarrow 0 \text{ or } \phi$

$\epsilon \rightarrow$ empty string

$\wedge \rightarrow$ beginning of line

$\$ \rightarrow$ end of line

$a|b \rightarrow$ a or b

$(ab)^+ \rightarrow$ one or more copy of 'ab' group

Ex : abv, ababv, abababv, mabvX, ...

$(ab)^* \rightarrow \phi, ab, abab, \dots$

" $a+b$ " \rightarrow literal " $a+b$ "

Ex :

digit $\rightarrow [0-9]$

digits \rightarrow digit⁺
Ex : 00, 012 ...

number \rightarrow tokens digits (. digits .) ? \cup (E [+-] ? digits) ?

Ex : 12.35 (float number)

\hookrightarrow 12 (. digits .) ?

optional

12, 12.0, 0.35, 12.3578370, ...

12E45 \checkmark , 3.5EX., 3.5E24 \checkmark , 35E+24 \checkmark ,

0.35E-24 \checkmark , 12.34E-34 \checkmark , 12.E34X

letter $\rightarrow [A-Z a-z]$

id \rightarrow letters (letters | digits)*

Ex : av, abbv, a123v, a123uv, -tyX

exters \rightarrow extext X

CT \rightarrow sentinel #~~#~~

If, letter \rightarrow [A-Za-z] | [-| \$ | #]

then, id \rightarrow Ex: #112, A#12, all are valid
as I've redefined letter.

if \rightarrow if

then \rightarrow then

else \rightarrow else

break \rightarrow break

relop \rightarrow < | > | <= | >= | \neq | <> (! = can also be used)

token

Note:

neg. numbers এর জন্য,

number \rightarrow [+ -] ? digits (. digits) ? | (E [+ -] ? digits) ?

ws \rightarrow (blank | tab) (newline)⁺

→ whitespace strip out করতে define করাব ,
we don't return it to the parser

S (digit .) | < -> | <= - >= | < > | ! = | < >

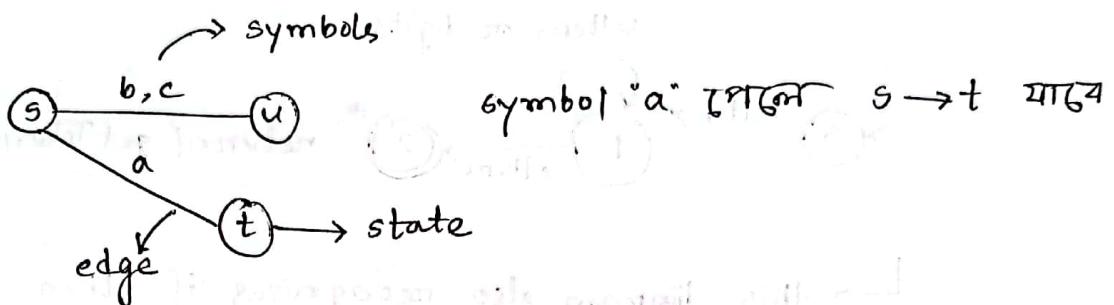
[+ - 0] | { S - A } | { P - D - A }

| (digit (float)) | (float) | ! = | < - > | <= - >= | < >

X#12, X12.3, X12.3e, X12.3E, X12.3E12

Transition Diagrams : Shows the states for reading and

→ collection of nodes/circles called states.



→ deterministic (not more than one edge out of a given state for a given symbol)

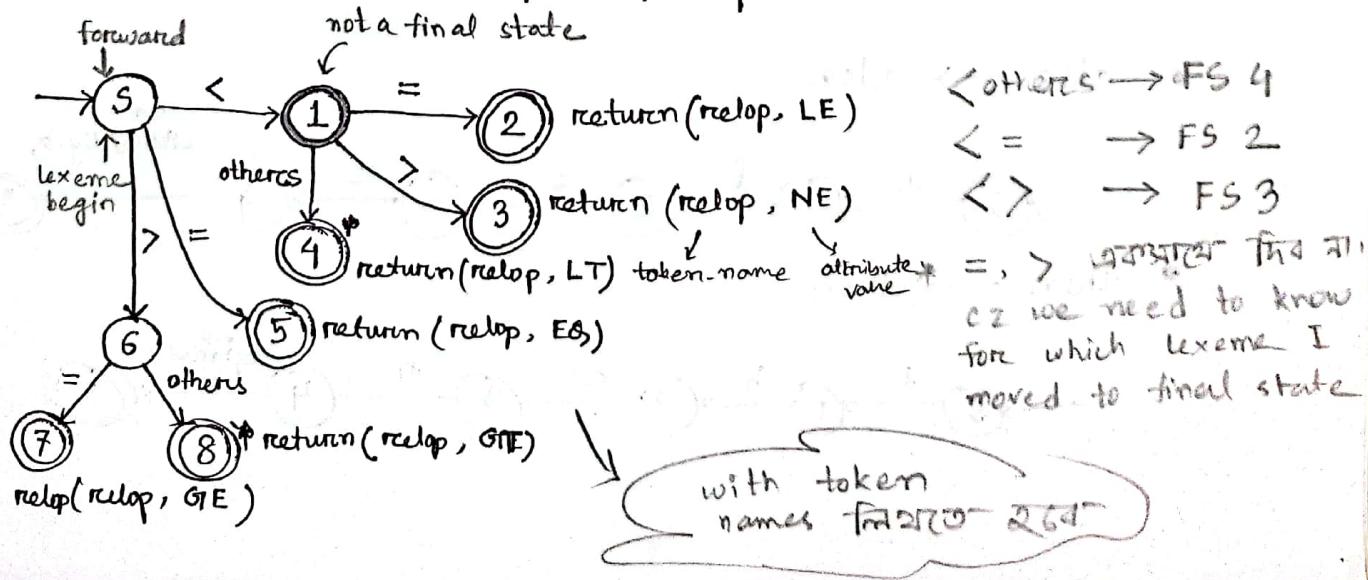
→ accepting / final state → double circle.

→ अवश्यक situation : when I need to step back my forward pointer → I will use "*" in my accepting state.

→ start state → begins from state "start".

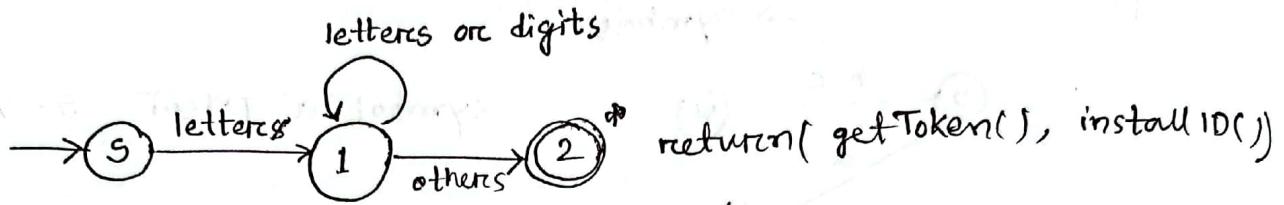
Example of transition diagram :

- rereop → < | > | <= | = | / <>



Recognition of reserved words or identifiers

- id → letter (letters | digits)*



↳ this diagram also recognizes if, then, else --- etc keywords.

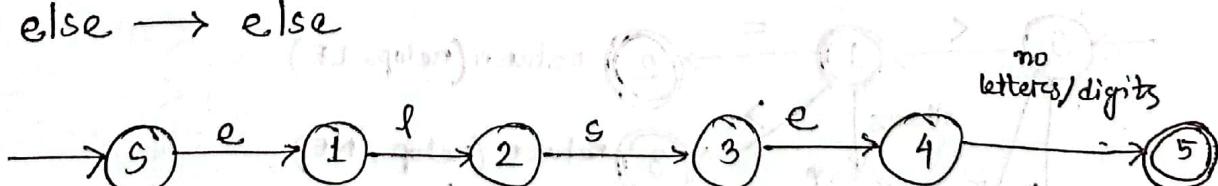
↳ 32 bit transition diagram for keywords (वाचक वर्तनाएँ)
(symbol table का उपयोग किये जाते हैं)

installID() → checks if the lexeme is already in the symbol table. If not present, → it's id.

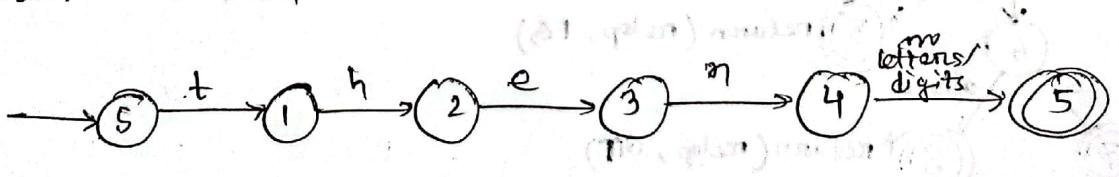
Any identifier not in the symbol table during lexical analysis cannot be reserved words, so token is id.

getToken() → returns the token name;
either id or a name of reserved words.

- else → else



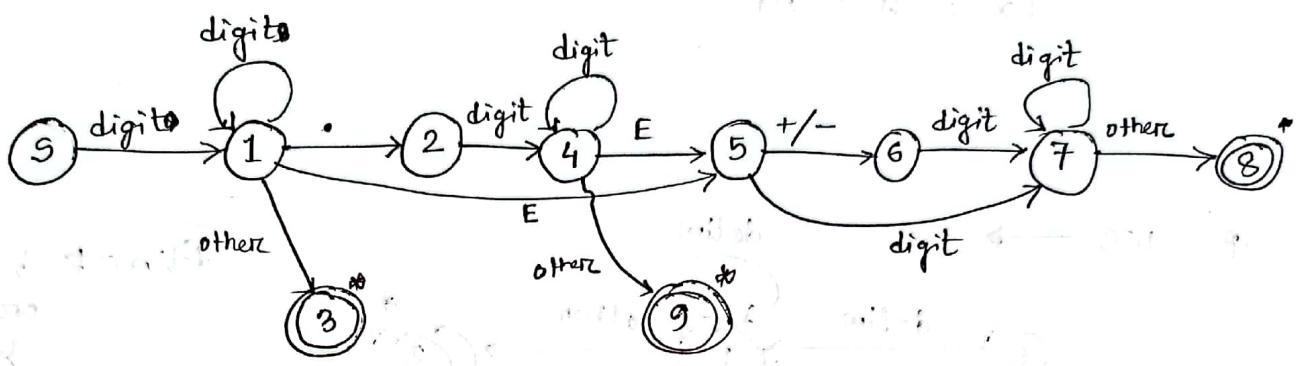
- then → then



P503.e.61

digit → [0-9]
digits → [digit]⁺

• `number` → `digits (· digits)? (E [+-]? digits)?`

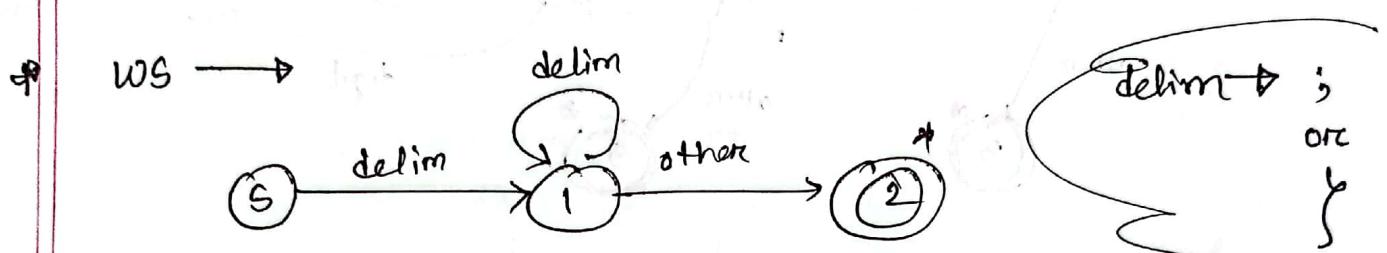


12E. → it's not a lexeme of token 'number'.

Q If it's a lexeme or not, explain the reason.

H.W complex numbers এর token & pattern use
বন্টুর pattern লিখে আনবো।

Ex : $a \pm bi$



Note : No action done in the accepting state.

term paper on number avoid

Architecture of Transition Diagram :

state \rightarrow case

retract() \rightarrow 1 step back \rightarrow যাওয়া

fail() \rightarrow not an error case

Ex : 123.E

error case \rightarrow স্টেম

Token-name
attribute-value

TOKEN → class

retToken → relational operator एवं एक्सेस instance
new(RELOP) का उपयोग करके create करते हैं।

state $\rightarrow 0$ (start)

~~एते~~ state \rightarrow ~~एते~~ case in the switch .

state 0 \rightarrow 60 next char read যান্তর c 60 গ্রামে

(case 0) $\begin{cases} < \rightarrow 1 \text{ state} \\ = \rightarrow 5 \text{ (constant) rotation} \\ > \rightarrow 6 \text{ " } \text{is dropped} \end{cases}$

else fail() → lexeme is not relop.

case 1 : c = nextChar();

if ($c == '='$) \rightarrow state = 2 ;

else if ($c == '>'$) \rightarrow state = 3;

else state = y;

break &

case 4 : retract() ;

`retToken.attribut_value = LT`

```
return (retToken);
```

break

(meditor) mutation.

retoken
ମେଯ ନାମ
ସବାର ଡିନ୍

relop
on
REFOP

case 2 :

```
retToken.attribute = LE;  
return (retToken);  
break;
```

case 3 : retToken.attribute = NE

```
return (retToken);  
break;
```

case 5 : retToken.attribute = EQ ;
return (retToken);
break;

case 6 :

```
c = nextChar();  
if (c == '=') state = 7  
else state = 8;  
break;
```

case 7 : retToken.attribute = GE ;
return (retToken);
break;

case 8 : retract();
retToken.attribute = GT ;
return (retToken);
break;

mid + final \rightarrow imp



- Q Write a C++ function whose job is to stimulate transition diagram for relOp / id / number / complex
(Note : Token, pattern & transition diagram might be given)

E token
accepted
fail case

mid + Final \rightarrow imp.

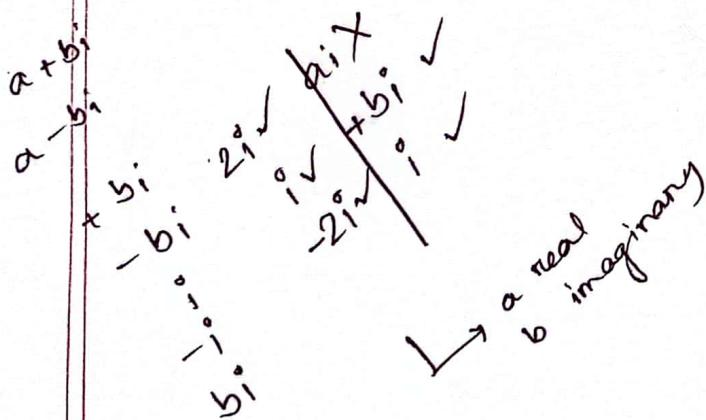
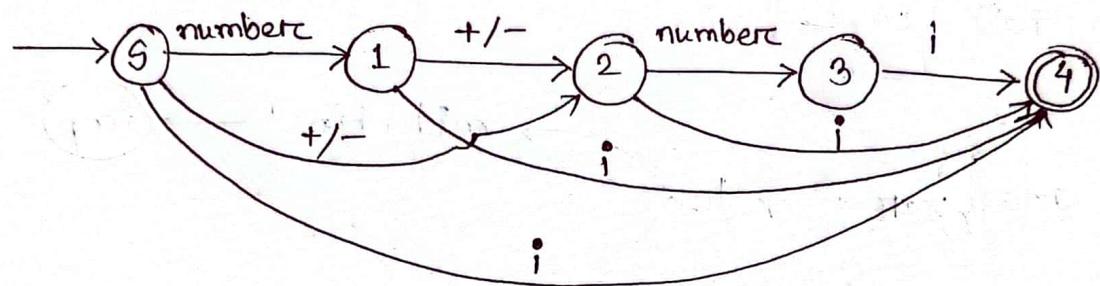
Lexical analyzer \rightarrow lex

Transition Diagram of complex numbers

complex numbers $\rightarrow a \pm bi$

CN \rightarrow number $[+/-]$ (number) ? i |

$[+/-]$? (number) ? i



Vt buffering

sentinel

panic mode

one or two scheme

lexeme, pattern, transition diag.

code given → token generation এবং অন্তর্ভুক্ত pattern
লিখতে হবে।

int main()

char ch ;

ch = 'a' ;

printf ("%c", ch) ;

}

- 1) keyword
 - 2) id
- { sequence must be accurate }

pattern generate করতে
হবে - int, char, id,
semi, comma, LC, RC,
LP, RP, string

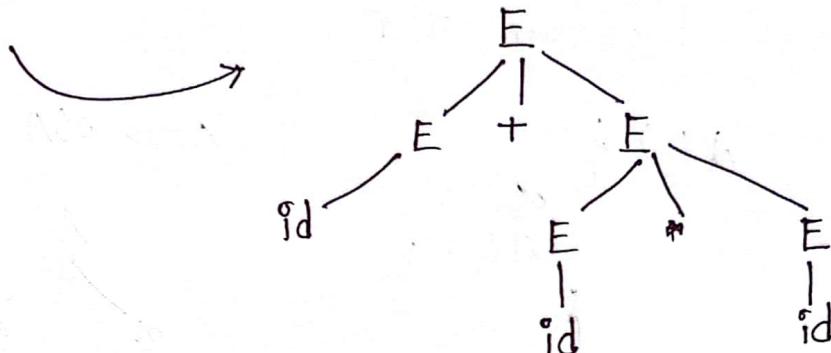
SYNTAX ANALYSIS

→ CHAPTER 4 ←

- ④ प्रायः ग्राम्या grammar generate
221 → non terminal
(usually capital letters)
- ④ ... ना → terminal
Ex : (,), *, +, id

- $E \rightarrow E+E \mid E*E \mid (E) \mid id$

$a+b*c$



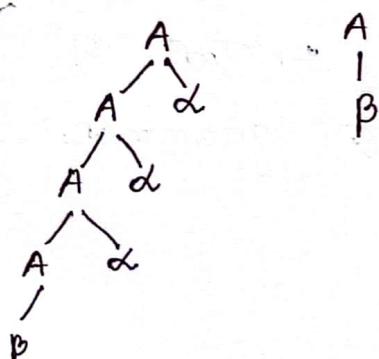
→ top-down (root to leaves)

$\left. \begin{array}{l} \text{top-down} \\ \text{bottom-top} \\ \text{universal} \end{array} \right\}$ CFG to parse tree

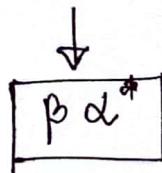
- Left recursion → terminal परे
→ the function is being called first

$$A \rightarrow A\alpha \mid \beta$$

$A() \left\{ \begin{array}{l} A(); \\ \alpha; \end{array} \right.$ → A is calling itself at first.



$\beta\alpha\alpha\alpha, \beta$



top-down parsing,
left recursive
grammar accept
ব্যৱহাৰ না।
So, we need to
eliminate left
recursion.

নিম্নে নিজের call করাটি terminal
পাওয়ার পরে

- Right recursion

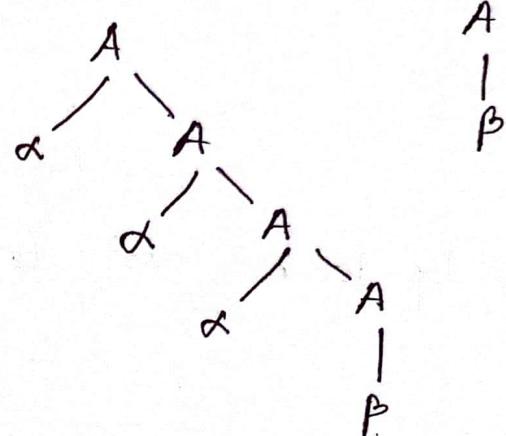
- terminal যোগে
- function পরে

$A()$

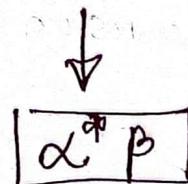
$\alpha ;$
 $A();$

{

$A \rightarrow \alpha A \mid \beta$



$\alpha\alpha\alpha\beta \rightarrow \beta$



'*' একটি বেলো string আরুলো অ
modify করতে হবে। এরুলো তেলো grammar
accept করবে না।

left recursion ?

$$A \rightarrow A \alpha \mid \beta \checkmark$$

$$A \rightarrow \alpha A \quad x$$

$A \rightarrow \alpha \times$

$$E \rightarrow T^*T \times$$

- $A \rightarrow A \alpha | B$

recursive part non-recursive part

$A \rightarrow \beta A'$ non-terminal
एवं prime

$$A' \rightarrow \alpha A' | \in$$

- $$E \rightarrow E + T$$

$$E \rightarrow TE'$$

$$E' \rightarrow +T E' | E$$

- $E \rightarrow E + E \quad | \quad E * E \quad | \quad (E) \quad | \quad id$

 $\downarrow \alpha_1 \qquad \qquad \downarrow \alpha_2 \qquad \qquad \downarrow \beta_1 \qquad \downarrow \beta_2$

$\hookrightarrow E \rightarrow (E) E' \mid id E'$

$$E' \rightarrow +EE' | *EE' | \in$$

$$A \rightarrow \beta_1 A' | \beta_2 A' | \beta_3 A'$$

$$A' \rightarrow \alpha_1 A' | \alpha_2 A' |$$

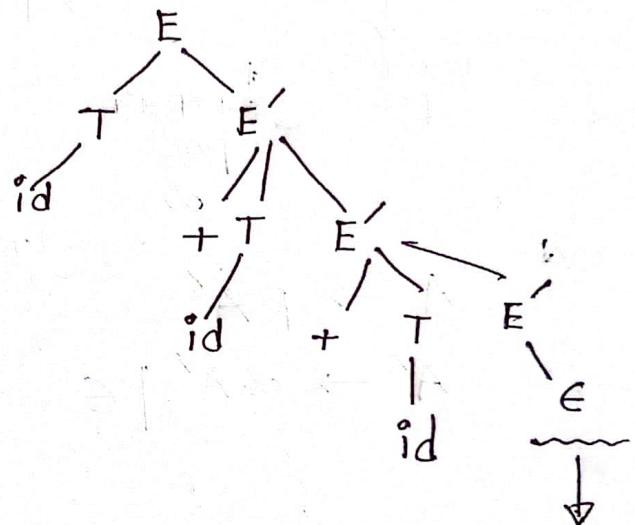
• $E \rightarrow E(\alpha T) | T$

$T \rightarrow id$

$\star E \rightarrow TE'$
 $E' \rightarrow +TE' | \epsilon$
 $T \rightarrow id$

generate $id + id + id$

Non-terminal $\rightarrow E, T$



Q why left recursive grammar goes into loop for top-down parsing?

$\rightarrow A \rightarrow A\alpha | \beta \rightarrow$ we don't know where to stop.

A is calling itself again & again

\hookrightarrow to eliminate left recursion

$$A \rightarrow \beta A' \\ A' \rightarrow \alpha A' | \epsilon$$

it helps to back track

$$\begin{array}{l}
 E \rightarrow \underline{E} + T | T \\
 T \rightarrow \underline{T} * F | F \\
 F \rightarrow (E) | id
 \end{array}$$

Non-terminal $\rightarrow E, T, F$

$\alpha_1, \beta_1, \alpha_2, \beta_2$
we didn't replace as nothing matters if I
replace or not
replace

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' | \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' | \epsilon$$

$$F \rightarrow (E) | id$$

$$S \rightarrow Aa | b$$

$$A \rightarrow AC | Sd | \epsilon$$

$$\begin{array}{l}
 S \rightarrow Aa | b \\
 A \rightarrow \cancel{SdA'} | A' \\
 A' \rightarrow cA' | \epsilon
 \end{array}$$

$$\begin{array}{l}
 S \rightarrow (Aa | b) \rightarrow \\
 A \rightarrow AC | (Aa | b)d | \epsilon
 \end{array}$$

$$A \rightarrow \cancel{Ac} | \cancel{Aad} | bd | \epsilon \rightarrow$$

$$A \rightarrow bdA' | A'$$

$$A' \rightarrow cA' | adA' | \epsilon$$

प्रक्रिया 2,

$$\begin{array}{l}
 A \rightarrow AC | Sd | \epsilon \\
 S \rightarrow Aa | b
 \end{array}$$

$$A \rightarrow AC | Sd | \epsilon$$

$$\begin{array}{l}
 \hookrightarrow A \rightarrow SdA' | A' \swarrow \\
 A' \rightarrow cA' \uparrow \text{This 'A' will be used for } S \rightarrow Ab
 \end{array}$$

$$S \rightarrow \underline{SdA'a} | A'a | b$$

$$\begin{array}{l}
 \hookrightarrow S \rightarrow A'aS' | bS' \\
 S' \rightarrow dA'aS' | \epsilon
 \end{array}$$

1) $S \rightarrow S_0 S_1 | 01$

2) $L \rightarrow L, S | S$

3) $S \rightarrow A$

$A \rightarrow \underline{A}d | \underline{A}e | aB | aC$

$B \rightarrow bBe | f$

4) $A \rightarrow Ba | Aa | c$

$B \rightarrow Bb | Ab | d$

5) $S \rightarrow X | b$

$X \rightarrow S | a$

6) $S \rightarrow x S b | b$

$X \rightarrow \epsilon$

Q) Why 5 & 6 are not left recursive?

Answer :

1) $S \rightarrow \underline{SOSI} \mid 01$

$S \rightarrow 01S'$

$S' \rightarrow OS1S' \mid \epsilon$

2) $L \rightarrow \underline{L}, S \mid S$

$L \rightarrow SL'$

$L' \rightarrow \underline{\epsilon}, SL' \mid \epsilon$

3) $S \rightarrow A$

$A \rightarrow aBA' \mid aCA'$

$A' \rightarrow dA' \mid eA' \mid \epsilon$

$B \rightarrow bBe \mid f$

4) $\left\{ \begin{array}{l} A \rightarrow BaA' \mid cA' \\ A' \rightarrow aA' \mid \epsilon \end{array} \right.$

$B \rightarrow AbB' \mid dB'$

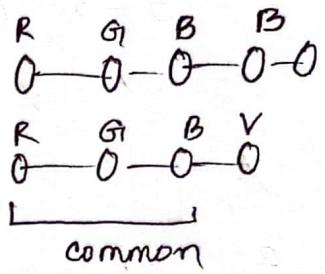
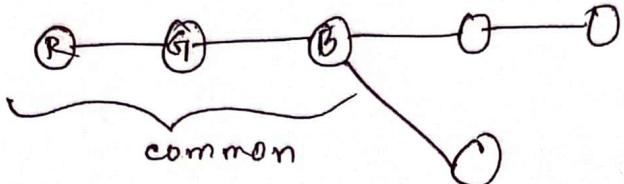
$B' \rightarrow bB' \mid \epsilon$

$B \rightarrow \underline{Bb} \mid \underline{BaA'b} \mid cA'b \mid d$

$\left\{ \begin{array}{l} B \rightarrow cA'bB' \mid dB' \\ B' \rightarrow bB' \mid aA'bB' \mid \epsilon \end{array} \right.$

Left factoring :

→ common path এবং সাধাৰণ নিবেদন



Ex :

Non-deterministic $A \rightarrow \alpha\beta_1 | \alpha\beta_2 | \alpha\beta_3 \rightarrow \text{common } \alpha' + \text{সাধাৰণ } A'$
" বাই সব β

deterministic $A \rightarrow \alpha A'$
 $A' \rightarrow \beta_1 | \beta_2 | \beta_3$

পথের
step কোম্পটি
determine
যোৱা possible

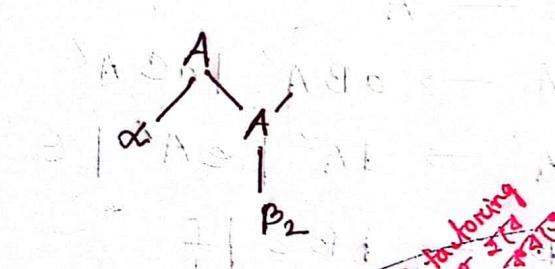
* $S \rightarrow aEd$
 $A \rightarrow aEf$

string is @ 'aEf'. So, there
is ambiguity.

S থেকে or A থেকে
start কৈছে desired

string মাত্রে নাফি

কুমারে না ।



Left factoring
বাই সব β

① Non det. ② ambiguity ③ left recursion

top-down
parsing হৈব না

* capital letter \rightarrow Non terminal
small " \rightarrow terminal

stmt (S) \rightarrow [if : expr then stmt else stmt |
if expr then stmt]

$S \rightarrow \frac{iET \underline{SeS}}{\alpha} \mid \frac{iETS \underline{S}}{\alpha}$
↳ $S \rightarrow iET S, S'$
 $S' \rightarrow eS \mid \epsilon$

$S \rightarrow \underline{iET SeS} \mid \underline{iETS} \downarrow a, E \rightarrow b$
↳ $S \rightarrow iETS \downarrow a \mid a$
 $S' \rightarrow eS \mid \epsilon$
 $E \rightarrow b$

$S \rightarrow \underline{aSSbs} \mid \underline{aSasb}$
↳ $S \rightarrow aSS'$
 $S' \rightarrow Sbs \mid asb$

$S \rightarrow \underline{aSSbs} \mid \underline{aSasb} \mid \underline{abb} \downarrow b$

↳ $S \rightarrow aS' \mid b$
 $S' \rightarrow \underline{SSbs} \mid \underline{Sasb} \mid bb \downarrow$

$S' \rightarrow SS'' \mid bb$
 $S'' \rightarrow Sbs \mid asb$

So, $S \rightarrow aS' \mid b$
 $S' \rightarrow SS'' \mid bb, S'' \rightarrow Sbs \mid asb \dots$

$$S \rightarrow aSSbs \mid aSasb \mid abb \mid b.$$
$$A \rightarrow aA$$
$$B \rightarrow aB$$

} No left factoring

(Same as
last one.)

HOME TASK

i) $S \rightarrow bSSaaS \mid bSSasb \mid bSb \mid a$

ii) $S \rightarrow bSS' \mid a$

$$S' \rightarrow Saas \mid Sasb \mid b$$

iii) $S \rightarrow a \mid ab \mid abc \mid abcd$

iv) $A \rightarrow \alpha A'$

$$A' \rightarrow AB \mid BC \mid AC$$

$E \rightarrow \underline{E} + T \mid T, \quad T \rightarrow \underline{T} * F \mid F, \quad F \rightarrow (E) \mid id$

$E \rightarrow TE'$

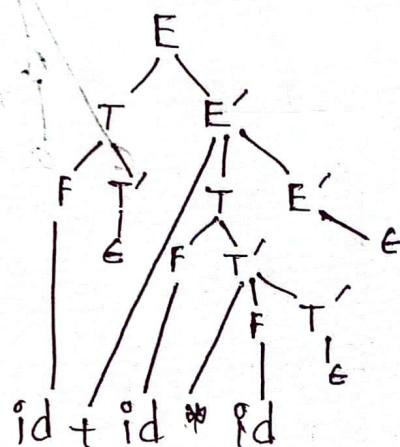
$E' \rightarrow + TE' \mid \epsilon$

$T \rightarrow FT'$

$T' \rightarrow * FT' \mid \epsilon$

$F \rightarrow (E) \mid id$

$id + id * id \rightarrow$



Types of Top-down parsing :

- 1) Recursive-descent parsing \rightarrow requires backtracking
- 2) Predictive parsing

Recursive descent Parsing :

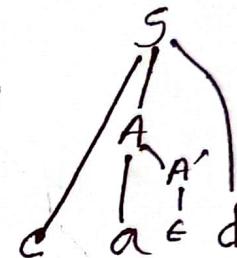
$$S \rightarrow c A d$$

$$A \rightarrow \underline{ab} \mid \underline{a}$$

↙
 $S \rightarrow c A d$

$$A \rightarrow a A'$$

$$A' \rightarrow b \mid \epsilon$$



- $$\begin{array}{l} A \rightarrow T^a \\ T \rightarrow *FT' \mid \epsilon \end{array} \quad \left\{ \begin{array}{l} \text{FIRST}(A) = \text{FIRST}(T) = \{ *, \epsilon \} \\ A \rightarrow *a \quad A \rightarrow a \end{array} \right.$$

So, $\text{FIRST}(A) = \{ *, a \}$
- $$\begin{array}{l} A \rightarrow TB \\ T \rightarrow *FT' \mid \epsilon \\ B \rightarrow b \end{array} \quad \left\{ \begin{array}{l} \text{FIRST}(A) = \text{FIRST}(T) = \{ *, \epsilon \} \\ A \rightarrow *B \quad A \rightarrow B \\ \text{FIRST}(B) = \{ b \} \end{array} \right.$$

$\text{FIRST}(A) = \{ *, b \}$

- $$\begin{array}{l} S \rightarrow ACB \mid CbB \mid Ba \\ A \rightarrow da \mid Bc \\ B \rightarrow g \mid \epsilon \\ C \rightarrow h \mid \epsilon \end{array}$$

$$\text{First}(S) = \{ d, g, h, \epsilon, a, b \}$$

$$\text{First}(A) = \{ d, g, h, \epsilon \}$$

$$\text{First}(B) = \{ g, \epsilon \}$$

$$\text{First}(C) = \{ h, \epsilon \}$$

- $$\begin{array}{l} A \rightarrow T^a \\ T \rightarrow *FT' | \epsilon \end{array} \quad \left\{ \begin{array}{l} \text{FIRST}(A) = \text{FIRST}(T) = \{ *, \epsilon \} \\ A \rightarrow *a \quad A \rightarrow a \end{array} \right.$$

So, $\text{FIRST}(A) = \{ *, a \}$
- $$\begin{array}{l} A \rightarrow TB \\ T \rightarrow *FT' | \epsilon \\ B \rightarrow b \end{array} \quad \left\{ \begin{array}{l} \text{FIRST}(A) = \text{FIRST}(T) = \{ *, \epsilon \} \\ A \rightarrow *B \quad A \rightarrow B \\ \text{FIRST}(B) = \{ b \} \end{array} \right.$$

$\text{FIRST}(A) = \{ *, b \}$

- $$\begin{array}{l} S \rightarrow ACB \mid CbB \mid Ba \\ A \rightarrow da \mid Bc \\ B \rightarrow g \mid \epsilon \\ C \rightarrow h \mid \epsilon \end{array}$$

bB

$$\text{First}(S) = \{ d, g, h, \epsilon, a, b \}$$

gC
 C

$$\text{First}(A) = \{ d, g, h, \epsilon \}$$

dCB
 gCB
 hCB

$$\text{First}(B) = \{ g, \epsilon \}$$

ga
 a

$$\text{First}(C) = \{ h, \epsilon \}$$

$dghb^a$

production rule এর সামনে

Rules for FOLLOW:

here S

- ① প্রথমে এর non-terminal এর FOLLOW বের করবো
তার শুরুতে \$ বলিয়ে দিব।

$$\begin{array}{l} \bullet \quad S \rightarrow a A B b \\ \quad A \rightarrow c \mid e \\ \quad B \rightarrow d \mid e \end{array} \quad \left\{ \begin{array}{l} \text{FIRST}(B) = \{d, \epsilon\} \\ \text{FIRST}(A) = \{c, \epsilon\} \\ \text{FIRST}(S) = \{a\} \end{array} \right.$$

$$\text{FOLLOW}(S) = \{\$\}$$

$$\text{FOLLOW}(A) = \{d, b\}$$

$$\text{FOLLOW}(B) = \{b\}$$

- ② যখন খেলনা কিছুক্ষে একটি non-terminal (here B)
follow বৃক্ষ এটার FIRST বের করতে হবে।

$$\text{FIRST}(B) = \{d, \epsilon\}$$

$$A \xrightarrow{d} \text{ and } A \xrightarrow{\epsilon}$$

$$\begin{array}{l} \bullet \quad S \rightarrow a A B \\ \quad A \rightarrow c \mid e \\ \quad B \rightarrow d \mid e \end{array} \quad \left\{ \begin{array}{l} \text{FOLLOW}(S) = \{\$\} \\ \text{FOLLOW}(B) = \{\$\} \\ \text{FOLLOW}(A) = \{d, \$\} \\ \quad \text{and, } a A e \\ \quad \{d, \$\} \end{array} \right.$$

- ③ যখন খেলনা কিছুক্ষে 'e' FOLLOW বৃক্ষের অধীন তার
FOLLOW হবে "সে ক্ষেত্রে কাছে আসছে" তার
FOLLOW

$$\begin{aligned}
 E &\rightarrow E + T \mid T \\
 T &\rightarrow T * F \mid F \\
 F &\rightarrow (E) \mid id
 \end{aligned}$$

$$E \rightarrow TE'$$

$$E' \rightarrow + T E' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow * FT' \mid \epsilon$$

$$F \rightarrow (E) \mid id$$

$$\text{FIRST}(F) = \{ (, id \}$$

$$\text{FIRST}(T') = \{ * , \epsilon \}$$

$$\text{FIRST}(T) = \{ (, id \}$$

$$\text{FIRST}(E') = \{ +, \epsilon \}$$

$$\text{FIRST}(E) = \{ (, id \}$$

$$\text{FOLLOW}(E) = \{ \$,) \}$$

$$\text{FOLLOW}(E') = \{ \$,) \}$$

\hookrightarrow E' নিল তাঁর E এবং E' FOLLOW

$$\text{FOLLOW}(T) = E' \text{ FOLLOW করার}$$

\hookrightarrow non terminal

$$\text{so, } \text{FIRST}(E') = \{ +, \epsilon \}$$

$$+ , T E'$$

\downarrow $\$$ and E এর FOLLOW

$$= \{ +, \$,) \}$$

$$\text{FOLLOW}(T') = \{ \$, +,) \}$$

$$\text{FOLLOW}(F) = \{ *, \$, +,) \}$$

$id + id * id$

id FIRST \rightarrow আসন্ন \rightarrow E, T & F এর
L Production rule এ সম্ভাব্য
আসন্ন

* Predictive parsing এর প্রক্রিয়া FIRST & FOLLOW দ্বারা
(বর্তী must).
No backtracking

LL(1) \rightarrow 1st input symbol at a time scan করা হবে।
leftmost derivation
scanning the input from left to right
LL(1) লিখতে না

M \rightarrow table

A \rightarrow row \rightarrow non terminal
a \rightarrow column \rightarrow terminal

	+	*	id	()	\$
E	$E \rightarrow TE'$		$E \rightarrow TE'$	$E \rightarrow e$		$E \rightarrow e$
E'	$E' \rightarrow TE'$			$E \rightarrow e$		$E \rightarrow e$
T		$T \rightarrow e$	$T \rightarrow FT'$	$T \rightarrow FT'$	$T \rightarrow FT'$	
F				$F \rightarrow id$	$F \rightarrow (E)$	$T \rightarrow e$

* E আসন্ন A এর FOLLOW করা দরকার :

* $A \rightarrow BT$ $B \xrightarrow{\text{FIRST}} b$ $\frac{b}{A \rightarrow BT}$

b) $E \rightarrow TE'$
 $\xrightarrow{\text{L}} T$ এর FIRST (, id)

$E' \rightarrow +TE' | \epsilon$
 $\xrightarrow{\text{terminal}} E'$ এর FOLLOW $\rightarrow \$,)$

$$S \rightarrow aSbS \mid bSaS \mid \epsilon$$

A α β γ

$$\text{FIRST}(S) = \{a, b, \epsilon\}$$

$$\text{FOLLOW}(S) = \{\$, b, a\}$$

a	b	$\$$
$S \rightarrow aSbS$	$S \rightarrow bSaS$	$S \rightarrow \epsilon$
$S \rightarrow \epsilon$	$S \rightarrow \epsilon$	

$S \rightarrow \alpha$	এবং	$\text{FIRST} \rightarrow a$	}
$S \rightarrow \beta$	"	$\rightarrow b$	
$S \rightarrow \gamma$	"	$\rightarrow \epsilon$	
$S \rightarrow \epsilon$ এবং অন্য			$\text{FIRST} \rightarrow \{a, b, \epsilon\}$

$$S \rightarrow \overbrace{aSb}^{\alpha} \mid \overbrace{aSc}^{\beta} \longrightarrow \text{LL(1) রয়ে না }$$

first same for α, β .

$$S \rightarrow AAab \mid BbBa$$

$$A \rightarrow a \mid \epsilon$$

$$B \rightarrow b \mid \epsilon$$

$$A \rightarrow a$$

FIRST

$$A \rightarrow \epsilon$$

FOLLOW of A . a

$$\text{First}(B) = \{b, \epsilon\}$$

$$\text{First}(A) = \{a, \epsilon\}$$

$$\text{FIRST}(S) = \{a, b\}$$

same
NOT LL(1).

$$\text{FOLLOW}(S) = \{\$\}$$

$$\text{FOLLOW}(A) = \{a\}$$

$$\text{FOLLOW}(B) = \{b, a\}$$

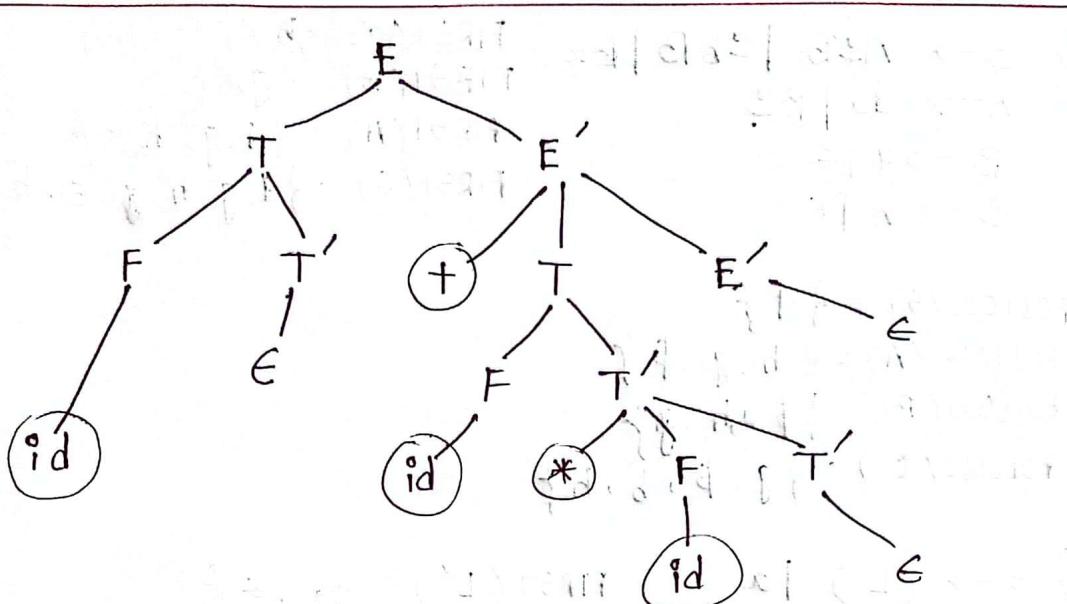
$S \rightarrow iE \dots \rightarrow \text{NON LL(1)} \rightarrow \text{HOME TASK}.$

* left recursion আছে কিনা
 * " facto

Non recursive
predictive Parsing

MATCH	STACK	input	ACTION
	\$	id + id * id \$	
	E \$	id + id * id \$	E
	TE' \$	id + id * id \$	$E \rightarrow TE'$
	FT' E' \$	id + id * id \$	$T \rightarrow FT'$
	id T' E' \$	id + id * id \$	$F \rightarrow id$
id	T' E' \$	+ id * id \$	Matched id
id	E' \$	+ id * id \$	$T' \rightarrow E'$
id	+ TE' \$	+ id * id \$	$E' \rightarrow + TE'$
id +	TE' \$	id * id \$	matched +
id +	FT' E' \$	id * id \$	$T' \rightarrow FT'$
id +	id T' E' \$	id * id \$	$F \rightarrow id$
id + id	T' E' \$	* id \$	Matched id
id + id	* FT' E' \$	* id \$	$T' \rightarrow * FT'$
id + id *	FT' E' \$	id \$	matched *
id + id *	id T' E' \$	id \$	$F \rightarrow id$
id + id * id	T' E' \$	\$	matched id
id + id * id	E' \$	\$	$T' \rightarrow E'$
id + id * id	\$	\$	$E' \rightarrow E$
			input matched
			!!!

Using Actions:



for final

Q.

grammar → check if left recursive. এবং নির্মা

Non det করে left factoring

Non LL(1) To gen. predictive parsing → det. FIRST & FOLLOW.

হুনে নথ নথ নথ
Using stack non - recursive pred. parsing

FIRST & FOLLOW DETERMINE :

① $S \rightarrow ACB \mid CbB \mid Ba$ $\text{FIRST}(C) = \{h, \epsilon\}$
 $A \rightarrow da \mid BC$ $\text{FIRST}(B) = \{g, \epsilon\}$
 $B \rightarrow g \mid \epsilon$ $\text{FIRST}(A) = \{d, g, h, \epsilon\}$
 $C \rightarrow h \mid \epsilon$ $\text{FIRST}(S) = \{d, g, h, \epsilon, b, a\}$

$\text{FOLLOW}(S) = \{\$\}$
 $\text{FOLLOW}(A) = \{h, g, \$\}$
 $\text{FOLLOW}(B) = \{\$, ah, g\}$
 $\text{FOLLOW}(C) = \{g, \$, b, h\}$

② $S \rightarrow (L) \mid a$ $\text{FIRST}(L') = \{, , \epsilon\}$
 $L \rightarrow SL'$ $\text{FIRST}(L) = \{c, a\}$
 $L' \rightarrow , SL' \mid \epsilon$ $\text{FIRST}(S) = \{c, a\}$

$\text{FOLLOW}(S) = \{\$, , ,)\}$

$\text{FOLLOW}(L) = \{)\}$

$\text{FOLLOW}(L') = \{)\}$

③ $S \rightarrow A$ $\text{FIRST}(S) = \{b\}$
 $A \rightarrow aBA'$ $\text{FIRST}(A') = \{d, \epsilon\}$
 $A' \rightarrow dA' \mid \epsilon$ $\text{FIRST}(A) = \{a\}$
 $B \rightarrow b$ $\text{FIRST}(S) = \{a\}$

$\text{FOLLOW}(S) = \{\$\}$

$\text{FOLLOW}(A) = \{\$\}$

$\text{FOLLOW}(A') = \{\$\}$

$\text{FOLLOW}(B) = \{d, \$\}$