

Part 1

- ① Array
- ② Linked List
- ③ Stack
- ④ Queues
- ⑤ Hash tables.

Big(O)

Algorithm এর performance
বোঝায়।

Array, LinkList এ আছে [Time & Space complexity] Analysis.

$O(1)$

↳ constant time এ মূল কাজের

S.O.P $(n[0]);$

↳ n array এর size
এখানে matters করবে না।

সর্বদা constant time ২ মোটাবে

Always.

S.O.P $(n[0]);$ $O(2)$

S.O.P $(n[1]);$

but generally we assume the above
code to be having a complexity
of running constant time.

$O(n)$:- (input size dependent)

S-1
for (int x : number) { $\rightarrow O(n)$
 s.o.p (x);
}

S-2
s.o.p () $\rightarrow (1)$
for (int x : n) { $\rightarrow (n)$
 s.o.p (x);
}
s.o.p () $\rightarrow (1)$

মান হচ্ছে $O(n+1+1) = O(n+2)$

cause input size million হলেও তার

সাথে ২ যোগ করলেও তেমন কিছু রকম না

ভিন্নতা আসে (যদিও ১ বা ২ পার্থক্য

হয়। এতে আসলে পার্থক্য নেই)।

§-3/1

MA (P_1, P_2) \hookrightarrow

for (int $n: X$) $\hookrightarrow O(n) \rightarrow O(n)$

S.O.P (n);

}

for (int $n: Y$) $\hookrightarrow O(n) \rightarrow O(n)$

S.O.P (n);

\hookrightarrow negligible

$$O(n+n) = O(2n)$$

$$= O(n)$$

⊗

$O(n+m)$

but linearly increase

করে তাহে $O(n)$

নির্ধারিত হবে।

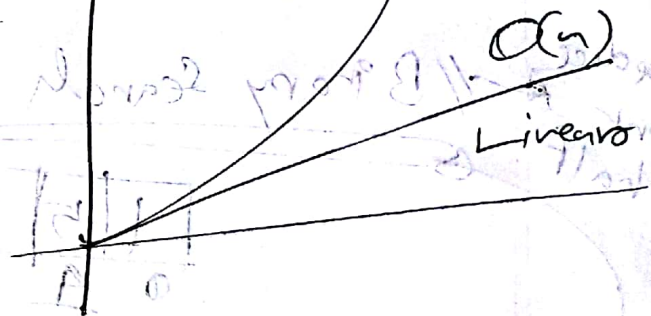
$O(n^2)$

Nested for loop

```
for (int n=1; n<5; n++) {  
    for (int k=1; k<=3; k++) {  
        s.o.p(k); s.o.p(k+n);  
    }  
}
```

$O(n \times n) = O(n^2)$ Quadratic

Nested loop का 2ला वेकन
difference हल 1 but
nested loop बाले वेकन
हले वेक बडु माले
difference देहा माले



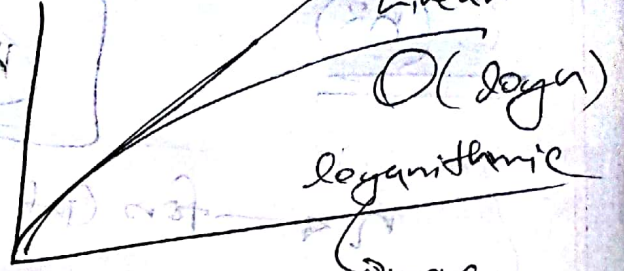
reference another for loop $\rightarrow O(n)$
duplicate $\rightarrow O(n^2)$

$O(n + n^2) \equiv O(n^2)$

We need approximation not exact value.

आइए nested loop शकले $O(n^3)$ हल
 $O(n^3) < O(n^2)$ [fast]

$O(\log n)$ good not helpful



Linear Search

1	5	10	12	13
0	1	2	3	4

Worst case $O(4) \equiv O(n)$

reduce work in half

// Binary Search : (But array sorted হতে হবে)

1	5	10	12	13
0	1	2	3	4

 $O(\log n)$

numbers $<$ mid go left

1. numbers $>$ mid go right

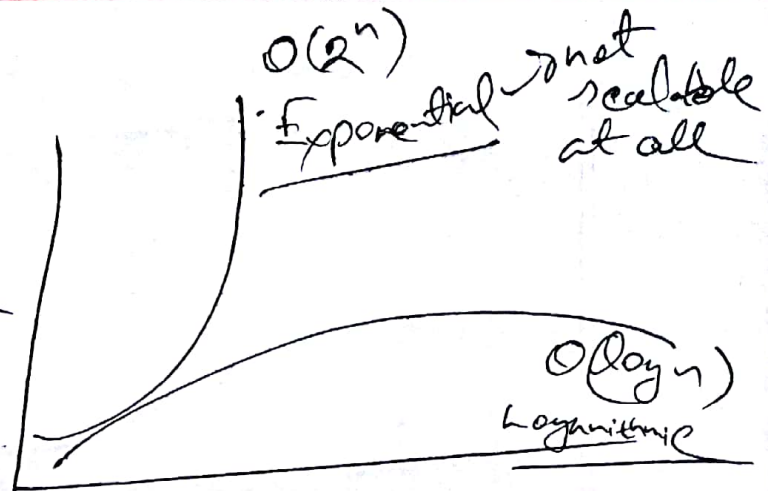
then again mid ~~(left right)~~ 2.

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14 items \rightarrow only 19 comparisons

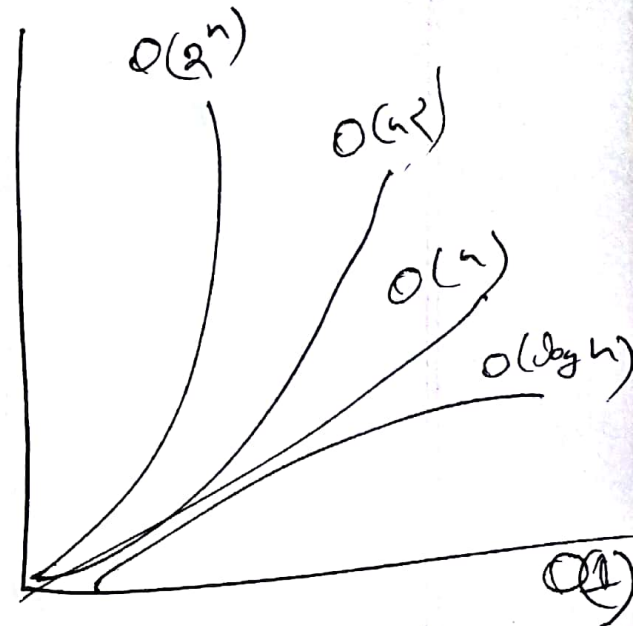
$O(2^n)$

Exponential is opposite
logarithmic growth



Summary $O()$:

- $O(1)$ → constant
- $O(\log n)$ → logarithmic
- $O(n)$ → linear
- $O(n^2)$ → Quadratic
- $O(2^n)$ → Exponential



Space Complexity:-

main (String[] args) {

// $O(1)$ - space

for loop → just 1 memory space
cause input is already there in memory,

but

main (String[] args) {

// $O(n)$ → space

String copy = new String[args.length];
0 1 2 3 4 5