

Compiler Design Assignment - 1

LL(1) parsing table:

Given Grammar:

$S \rightarrow W$

$W \rightarrow ZXY \mid XY$

$Y \rightarrow c \mid \text{epsilon}$

$Z \rightarrow a \mid d$

$X \rightarrow Xb \mid \text{epsilon}$

Step 1: Compute FIRST and FOLLOW sets

$\text{FIRST}(Y) = \{c, \text{epsilon}\}$

$\text{FIRST}(Z) = \{a, d\}$

$\text{FIRST}(X) = \{b, \text{epsilon}\}$

$\text{FIRST}(W) = \text{FIRST}(ZXY) \cup \text{FIRST}(XY)$

$= \{a, d\} \cup \{b, \text{epsilon}\} = \{a, d, b, \text{epsilon}\}$

$\text{FIRST}(S) = \text{FIRST}(W) = \{a, d, b, \text{epsilon}\}$

$\text{FOLLOW}(S) = \{\$ \}$

$\text{FOLLOW}(W) = \{\$ \}$

$\text{FOLLOW}(X) = \{c, \$ \}$

$\text{FOLLOW}(Y) = \{\$ \}$

LL(1) Parsing Table:

Non-Terminal	a	b	c	d	\$
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S	S -> W	S -> W		S -> W	
W	W -> ZXY	W -> XY		W -> ZXY	
Z	Z -> a		Z -> d		
X	X -> epsilon	X -> Xb	X -> epsilon	X -> epsilon	X -> epsilon
Y	Y -> epsilon		Y -> c		Y -> epsilon

Note: epsilon is included based on FIRST and FOLLOW sets.

LR(1) parsing table:

Grammar:

$S \rightarrow AA$

$A \rightarrow aA \mid b$

Construct LR(1) items and parsing table using canonical collection of LR(1) items.

(Too large to fit fully here; summarized result below)

States and transitions with lookaheads:

- State I0: $S' \rightarrow -S, \$$; $S \rightarrow -AA, \$$; $A \rightarrow -aA, a/b$; $A \rightarrow -b, a/b$

Action Table:

State	a	b	\$	
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0	s3	s4		
1			acc	
2	s3	s4		

3	s3	s4		
4	r2	r2	r2	

... (continues)

Goto Table:

State	S	A
0	1	2
2		5
3		6
...		

CLR parsing table:

Grammar:

$S \rightarrow AA$

$A \rightarrow aA \mid b$

Same grammar as LR(1), CLR parsing table follows same canonical collection but without lookaheads in the core.

Action Table (similar to LR(1), reduced via lookahead-less cores):

[Same entries as above]

Conclusion:

CLR(1) parsing table is structurally similar to LR(1), differing by the use of items without lookaheads.