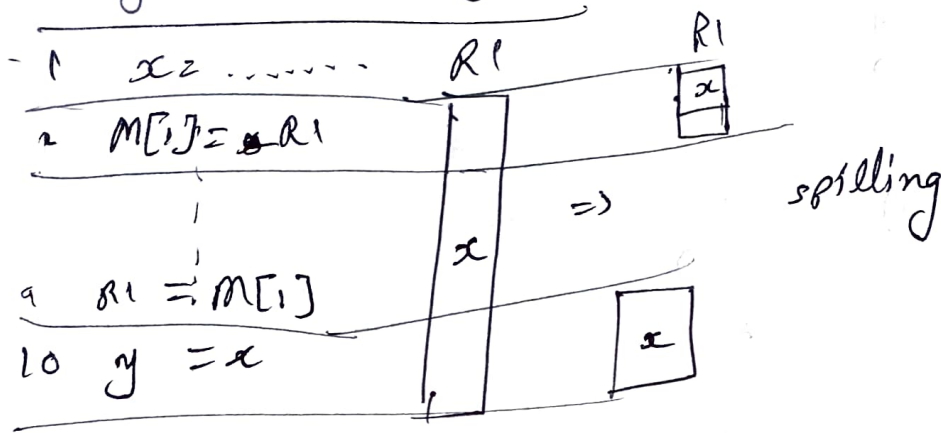
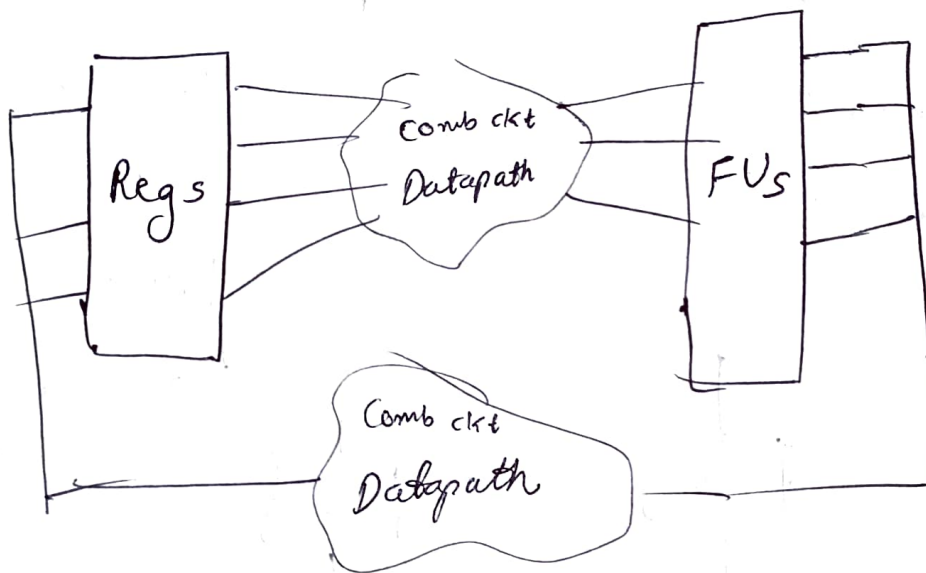


⇒ Register spilling:



⇒ Datapath and Controller generations:



Interconnection

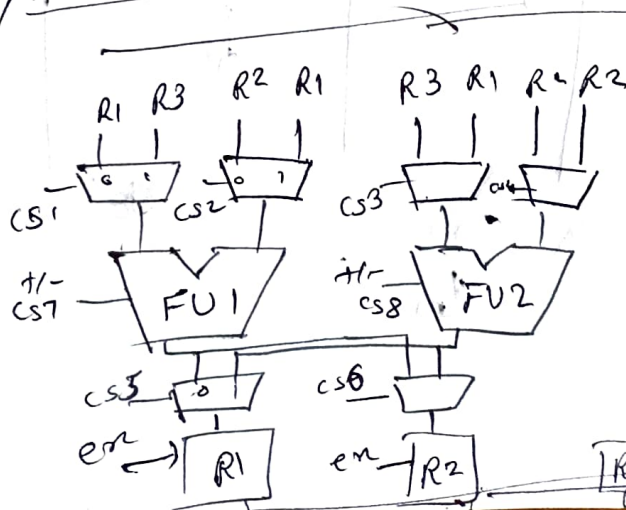
- 1) MUX based
- 2) Bus based

obj: reduce Interconnection Cost.  
# MUX, # switch, Mux size

⇒ Mux based datapath

T1.  $R1 = FU1_+(R1, R2)$   
 $R2 = FU2_+(R3, R2)$

T2.  $R2 = FU1_-(R3, R1)$   
 $R1 = FU2_-(R1, R2)$



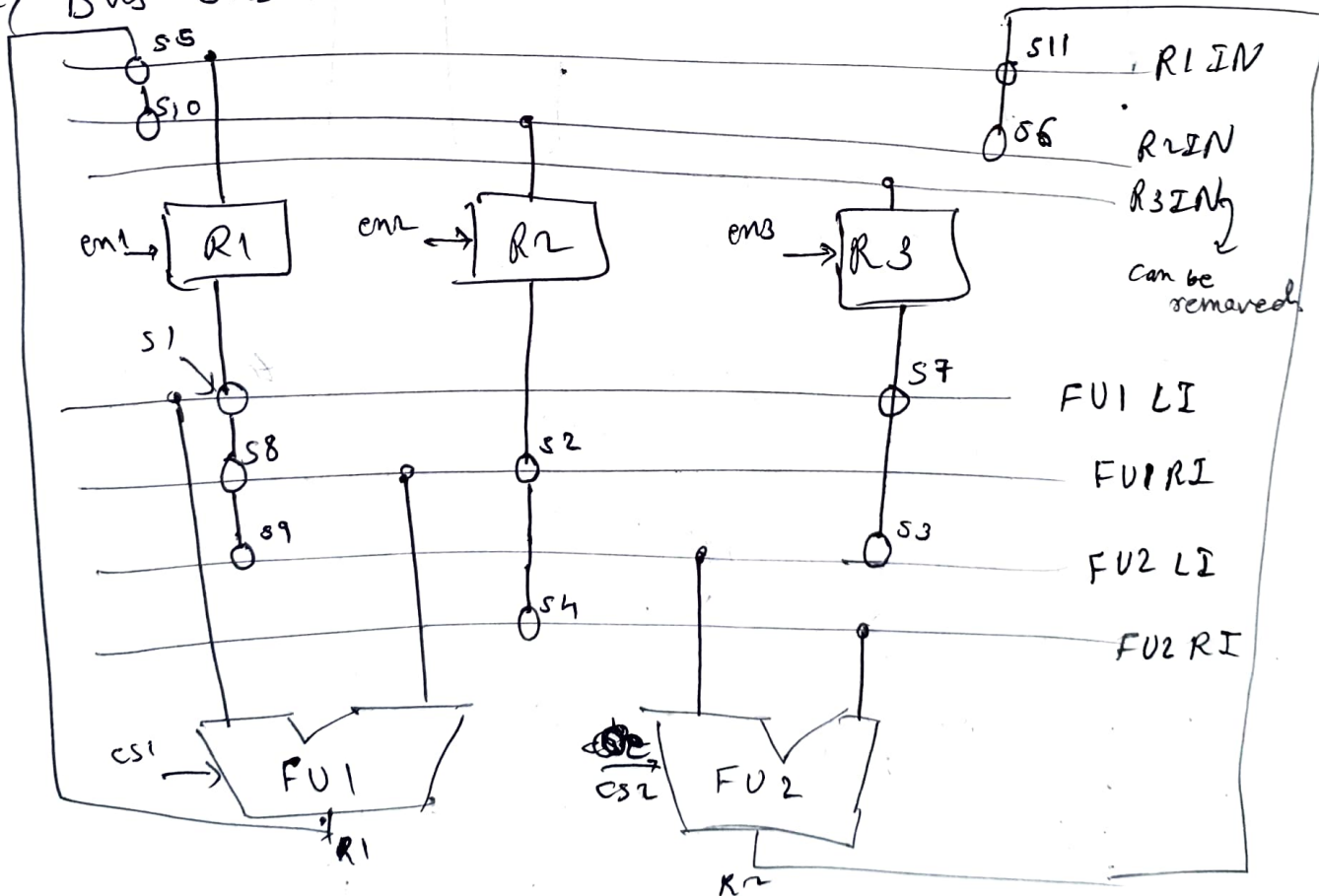
	CS1	CS2	CS3	CS4	CS5	CS6	CS7	CS8	en1	en2	en3
T1	0	0	0	0	0	1	0	0	1	1	0
T2	1	1	1	1	1	0	1	1	1	1	0

	CS1	CS5	CS6	CS7	en1	en2	en3
T1	0	0	1	0	1	1	0
T2	1	1	0	1	1	1	0

→ m2 & m4 can be removed. by changing TL:  $R1 = FU1, CR2, R1$

⇒ Bus based



	S1	S2	S3	S4	S5	S6	S7	S8	S9	S10	S11	en1	en2	en3	cs7	cs2
T1	1	1	1	1	1	1	0	0	0	0	0	1	1	0	0	0
T2	0	0	0	1	0	0	1	1	1	1	1	1	1	0	1	1

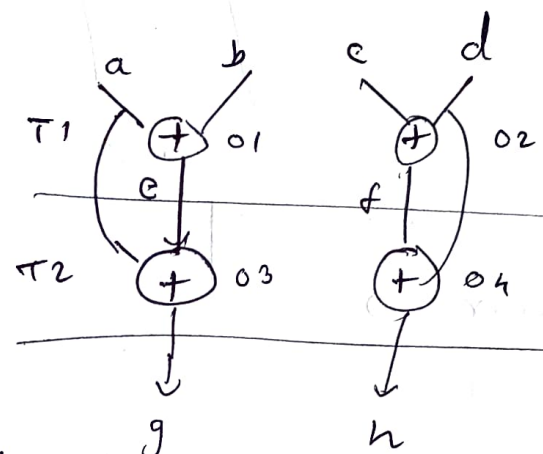
→ Optimization obj:

- Minimum no. of buses to accommodate all data transfers
- Find max. no. of data transfers that can be accommodated in a fixed number of buses.

⇒

T1:  $e = a + b$   
 $f = c + d$

T2:  $g = a + e$   
 $h = f + d$



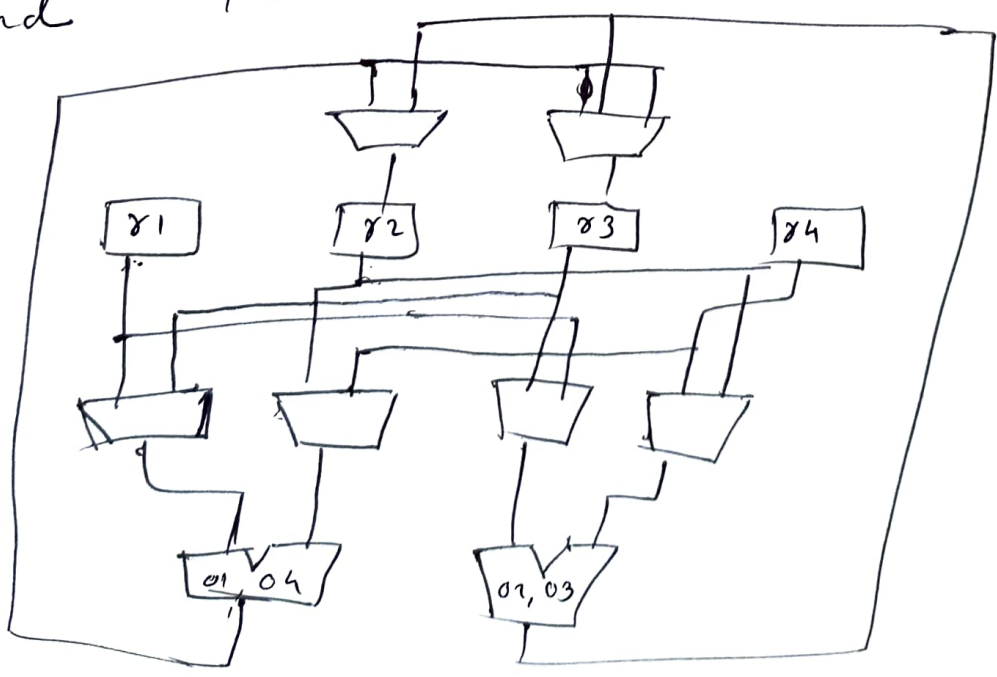
$r1 = a$   
 $r2 = b, c, g$   
 $r3 = c, f, h$   
 $r4 = d$

ALU1: 01, 04

ALU2: 02, 03

FU bind

Reg bind



5 2: 1 Max

→ other possible binding

ALU1: 01, 03

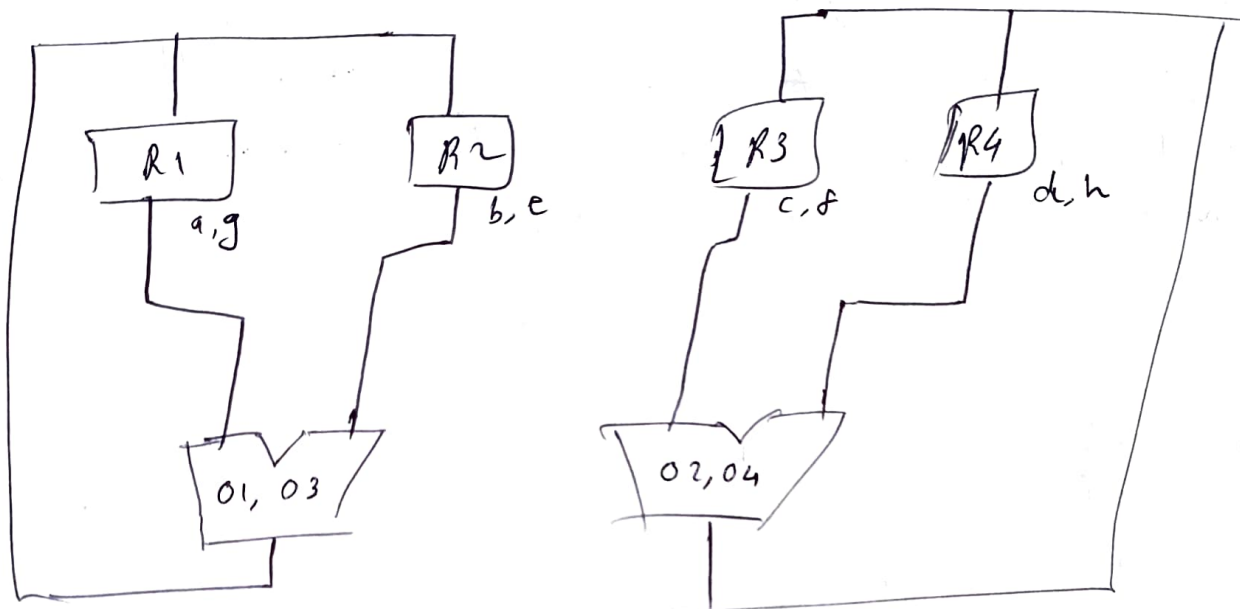
ALU2: 02, 04

R1: a, g

R2: b, e

R3: c, f

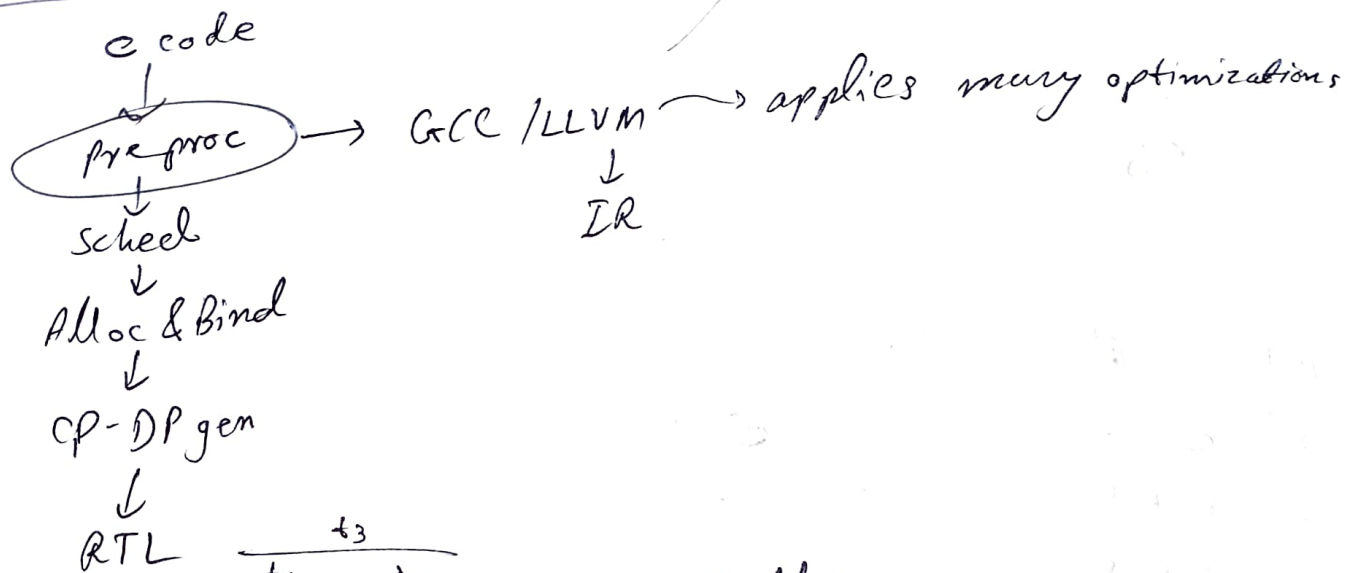
R4: d, h



2:1 MUX = 0



# Frontend Optimization and its impact

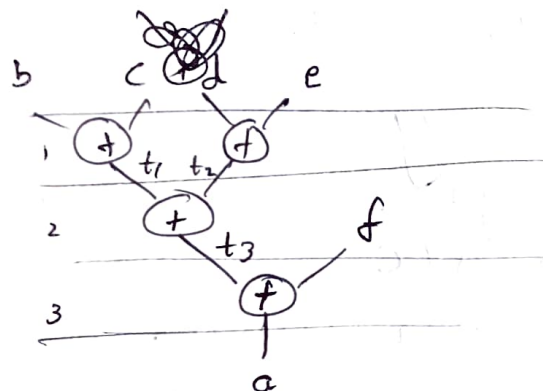
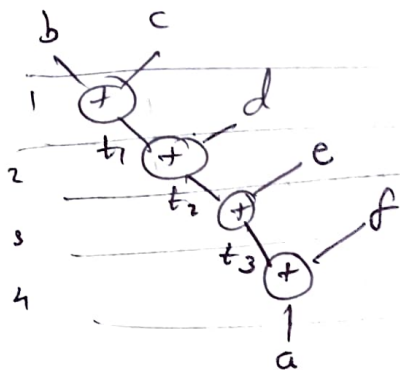


$$a = \frac{b+c}{t_1} + d + e + f$$

$$\xrightarrow[\text{gen}]{\text{3addr}}$$

$$a = \frac{t_1}{t_2} + t_3$$

$$\begin{aligned}
 t_1 &= b+c \\
 t_2 &= t_1 + d \\
 t_3 &= t_2 + e \\
 a &= t_3 + f
 \end{aligned}$$

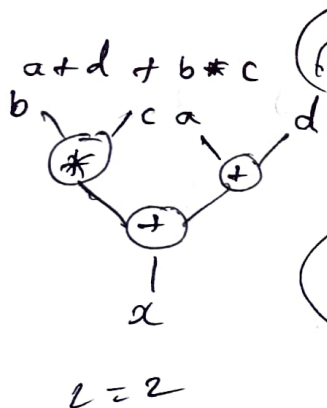
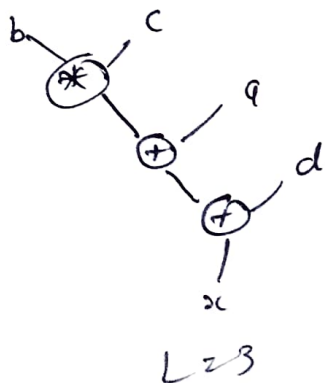


Tree Height Reduction.

- To force 2<sup>nd</sup> → add parenthesis

$$a = (b+c) + (d+e) + f$$

$$x = a + b * c + d \Rightarrow x = a + d + b * c \quad (\text{commutativity})$$



Associativity  
 Distributivity  
 rewrite

Expressions.  
 to reduce tree height.

## → Constant Propagation

$$a = 0$$

$$a = 0$$

$$b = a + 1 \Rightarrow b = 1$$

$$c = 2 * b \Rightarrow c = 2$$

→ Reduce latency, resources.

## → Copy propagation

$$a = x$$

$$b = x + 1$$

$$b = a + 1$$

$$\Rightarrow c = 2 * x$$

$$c = 2 * x$$

→ Reduce the registers

## → Common subexpression elimination

- Identify CSE & remove them

- Reduce latency & resources.

$$a = x + y$$

$$c = y + x$$

$$b = a + c$$

$$\Rightarrow$$

$$a = x + y$$

$$c = a$$

$$b = a + c$$

$$\Rightarrow$$

$$a = x + y$$

$$b = a + a$$

$$\text{or } a \ll 1$$

## → Operation strength Reduction

$$b = 2 * a \Rightarrow b = a \ll 1$$

1) Multiply by const  $\equiv$  left shift.

$$b = a * 9 \Rightarrow b = (a \ll 3) + a$$

2) Division by const  $\equiv$  Right shift

$$a = b / 2 \Rightarrow a = b \gg 1$$

→ ~~const~~

→  $C = 7$

for ( $i = 0; i < N; i++$ )

$y[i] += C * i;$

Induction variable & loop invariant

$C = 7, k = 0$

for ( $i = 0; i < N; i++$ ) {

$y[i] += k;$

$k += C;$

}

## → Code Motion

- Move instruction within a program w/o changing the functionality.

$a = b + c$   
 $d = d - e$   
 if (c)  
 $x = x + y$   
 else  
 $x = x - d$

⇒ code motion

~~if (c)~~  
 $a = b + c$   
~~if (c)~~  
 $x = x + y$   
 else  
 $d = d - e$   
 $x = x - d$

$a = \dots$   
 $\vdots$   
 $\vdots$   
 $\vdots$   
 $\vdots$   
 $b = a + c$

⇒  
reduce  
life time  
of the var

$a = \dots$   
 $b = a + c$   
 $\vdots$   
 $\vdots$   
 $\vdots$   
 loop

- Loop invariant code motion.

for ( $i = 0; i < n; i++$ ) {

$t = a + b;$  // loop invariant

~~$y[i] = t + y;$~~

}

$t = a + b;$   
 for ( $i = 0; i < n; i++$ ) {

$y[i] = t + y;$

}

- reduces latency