

MA374 Financial Engineering lab: 07

Name: Naman Goyal

Roll No. 180123029

Ques.1,2

- To execute my .py file
Run `$python3 180123029_NamanGoyal_q1q2.py` on the terminal. The snapshot is shown below:

```
neo@Neo:~/Desktop/FE_Labs/lab07$ python3 180123029_NamanGoyal_q1q2.py
-----Q2-----
For T = 0, 0.2, 0.4, 0.6, 0.8, 1.0
For t = 0
For t = 0.2
For t = 0.4
For t = 0.6
For t = 0.8
For t = 1.0

(180123029_NamanGoyal_q1q2.py:39569): Gtk-WARNING **: 21:16:07.709: Theme directory 16x16@2x/places-Catalina-icons-master has no size field

(180123029_NamanGoyal_q1q2.py:39569): Gtk-WARNING **: 21:16:07.711: Theme directory 24x24/apps of alina-icons-master has no size field

For t = 0
For t = 0.2
For t = 0.4
For t = 0.6
For t = 0.8
For t = 1.0
neo@Neo:~/Desktop/FE_Labs/lab07$
```

- **Formulas** used for $C(t,x)$ and $P(t,x)$ are given below:

$$C(t, x) = xN(d_+) - Ke^{-r(T-t)}N(d_-) \quad (0 \leq t < T)$$

with boundary conditions $C(T, x) = (x - K)^+$ and $C(t, 0) = 0$

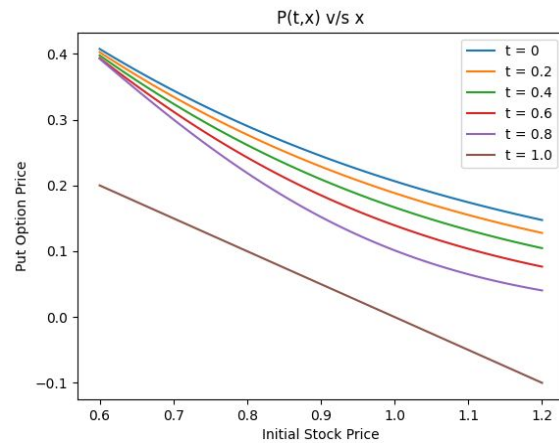
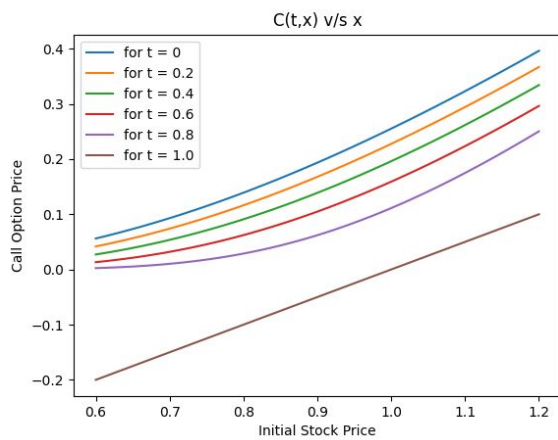
$$\text{where, } d_{\pm} = \frac{1}{\sigma\sqrt{T-t}}[\log(x/K) + (r \pm \frac{\sigma^2}{2})(T-t)]$$

and N is the CDF of $N(0, 1)$

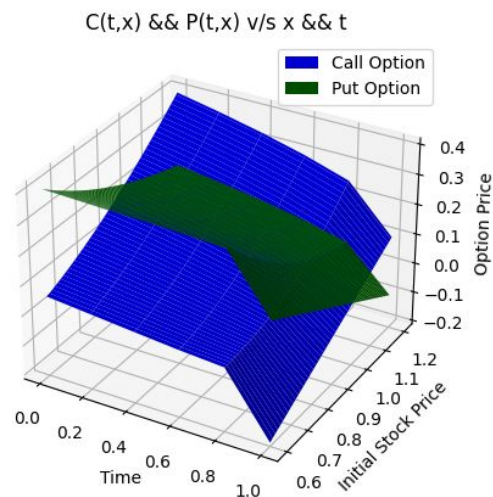
and for Put-Call Parity we may use $C(t,x)$ that's been calculated above:

$$P(t, x) = C(t, x) + Ke^{-r(T-t)} - x$$

- The **2D Plots** obtained for $C(t,x)$ and $P(t,x)$ for varying the **Price of underlying Asset (x)** and **time = [0, 0.2, 0.4, 0.6, 0.8, 1.0]**. Program written in Ques.1 are used in the further questions to calculate $P(t,x)$ and $C(t,x)$



- The **3D Plot** for $C(t,x)$ & $P(t,x)$ obtained by **varying x & t**

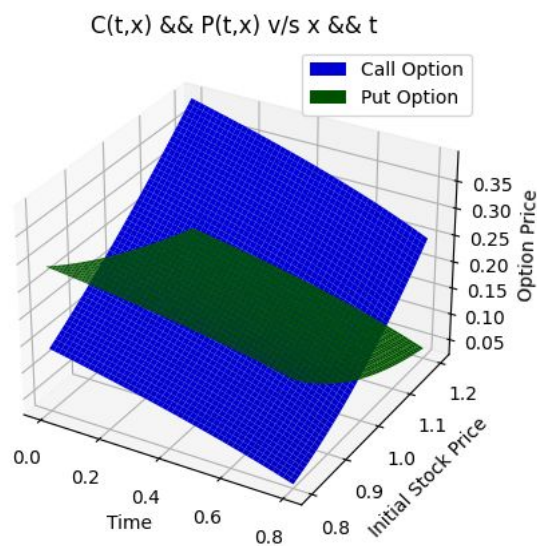


Ques.3

- To execute my .py file
Run `$python3 180123029_NamanGoyal_q3.py` on the terminal. The snapshot is shown below:

```
neo@Neo:~/Desktop/FE_Labs/lab07$ python3 180123029_NamanGoyal_q3.py
-----Q3-----
```

- The 3D Plot obtained for $P(t,x)$ and $C(t,x)$ by varying t & x



Ques.4

- To execute my .py file
Run `$python3 180123029_NamanGoyal_q4.py` on the terminal. The snapshot is shown below:

```
neo@Neo:~/Desktop/FE_Labs/lab07$ python3 180123029_NamanGoyal_q4.py
Varying Strike Price
Part I <--> 2D Plot
Part II <--> Table

      K  Call Price  Put Price
0  0.8    0.142841   0.123089
1  0.9    0.105344   0.183123
2  1.0    0.077139   0.252449
3  1.1    0.056239   0.329080
4  1.2    0.040908   0.411280

Part III <--> 3D Plot
```

Varying Rate

Part I <-> 2D Plot

Part II <-> Table

	Rate	Call Price	Put Price
0	0.0100	0.072389	0.267401
1	0.0325	0.075037	0.258918
2	0.0550	0.077747	0.250621
3	0.0775	0.080518	0.242509
4	0.1000	0.083350	0.234580

Part III <-> 3D Plot

Varying Sigma

Part I <-> 2D Plot

Part II <-> Table

	Sigma	Call Price	Put Price
0	0.100	0.000047	0.175357
1	0.325	0.021751	0.197061
2	0.550	0.066304	0.241614
3	0.775	0.116043	0.291353
4	1.000	0.166766	0.342076

Part III <-> 3D Plot

Part II <-> Table

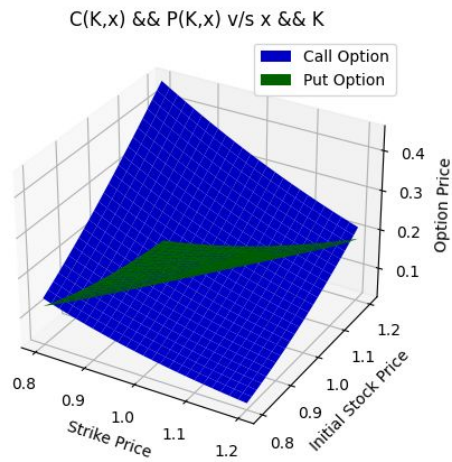
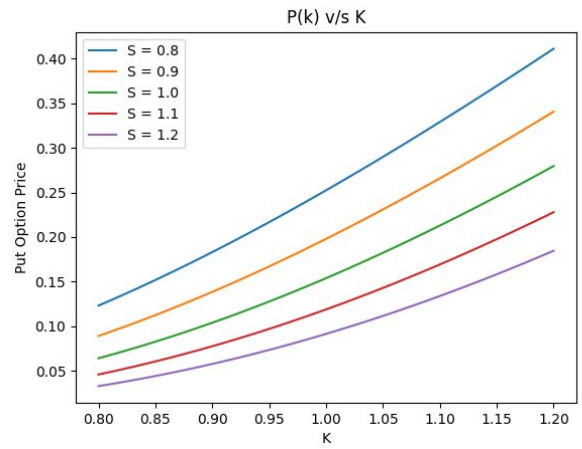
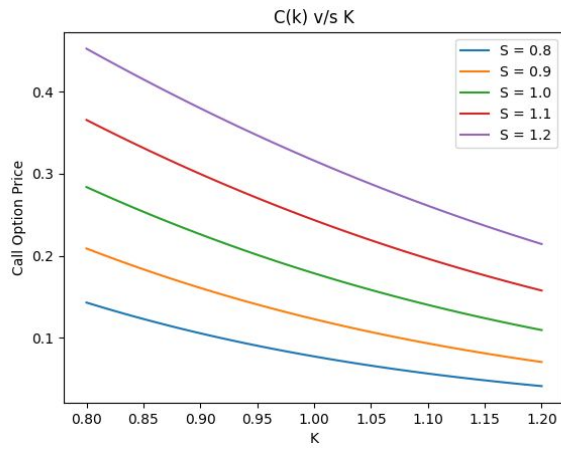
	Time	Call Price	Put Price
0	0.1	0.127990	0.283988
1	0.3	0.104005	0.269610
2	0.5	0.077139	0.252449
3	0.7	0.046251	0.231363
4	0.9	0.010488	0.205500

Part III <-> 3D Plot

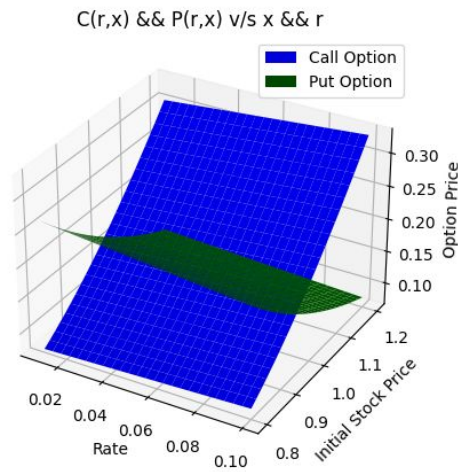
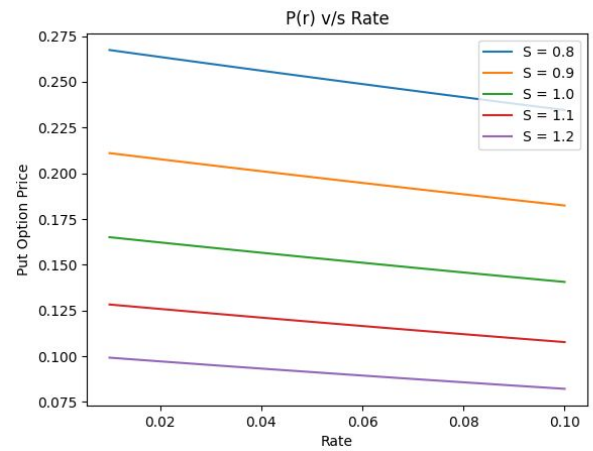
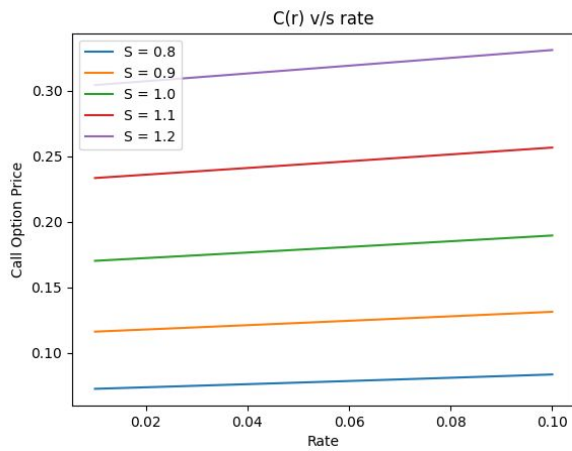
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- The tables obtained for **varying Strike Price (K), Rate (r), Sigma, Time** are shown in the above **snapshots** itself.
- The **2D, 3D Plots** obtained for **varying the above quantities** are listed and shown below:

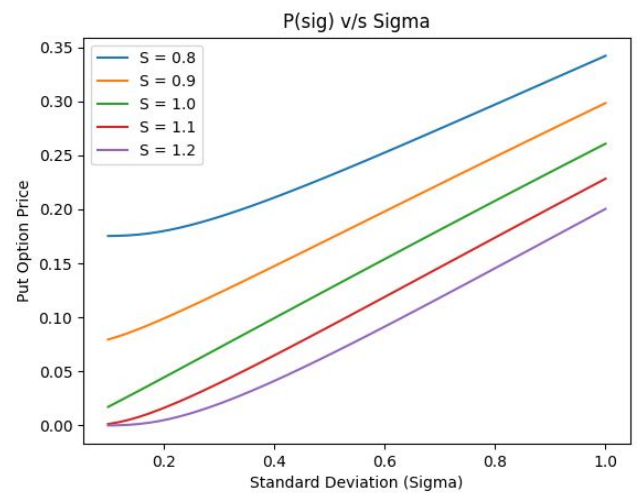
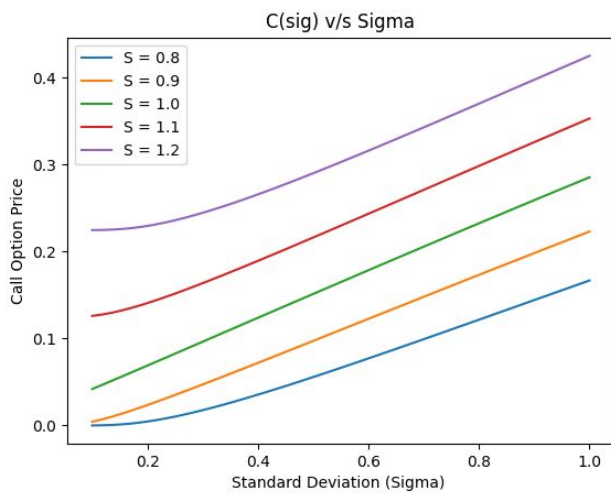
1. Varying Strike Price (K):



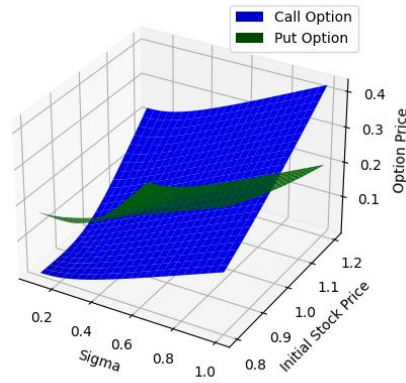
2. Varying Rate (r):



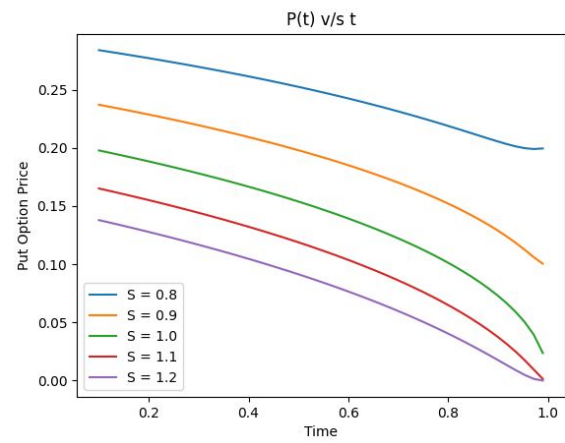
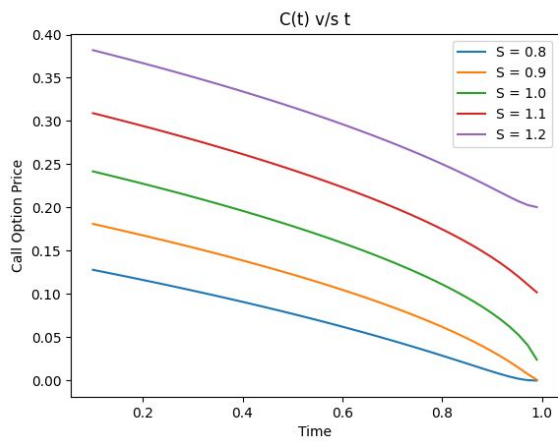
3. Varying Sigma:



$C(\sigma, x)$ & $P(\sigma, x)$ v/s x & σ



4. Varying Time (t):



$C(t, x)$ & $P(t, x)$ v/s x & t

