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Assignment 2 Machine Learning
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         CLASS: LA01
         Assignment Number: 2
         No 1
        import pandas as pd
         import numpy as np
         from csv import reader
         from math import sqrt
         import math
In [81]: def load_csv(filename):
              dataset = list()
             with open(filename, 'r') as file:
                 csv_reader = reader(file)
                  for row in csv_reader:
                      if not row:
                          continue
                      dataset.append(row)
             return dataset
         Standarizing Data
         Data is standarized to make the value has same scale based on their mean and standard deviation. This method is used because it has better performa
         def str_column_to_float(dataset, column):
              for row in dataset:
                  row[column] = float(row[column].strip())
         def column_means(dataset):
             means = [0 for i in range(len(dataset[0]))]
             for i in range(len(dataset[0])):
                 col_values = [row[i] for row in dataset]
                  means[i] = sum(col_values) / float(len(dataset))
             return means
         def column_stdev(dataset, means):
              stdevs=[0 for i in range(len(dataset[0]))]
             for i in range(len(dataset[0])):
                 variance=[pow(row[i]-means[i],2) for row in dataset]
                  stdevs[i]=sum(variance)
             stdev=[sqrt(x/(float(len(dataset)-1))) for x in stdevs]
             return stdev
         def standardize_dataset(dataset, means, stdevs):
             for row in dataset:
                  for i in range(len(row)):
                      row[i]=(row[i]-means[i])/stdevs[i]
         filename='home.txt'
         dataset=load_csv(filename)
         for i in range(len(dataset[0])):
              str_column_to_float(dataset, i)
         means=column_means(dataset)
         stdevs=column_stdev(dataset, means)
         standardize_dataset(dataset, means, stdevs)
         print(dataset[0])
         [0.13000986907454054, -0.2236751871685913, 0.47574686657859083]
         Fitting into training & test set
In [91]: x=[row[:-1] for row in dataset]
         y=[row[-1] for row in dataset]
In [92]:
         index=list(np.arange(len(dataset)))
         np.random.shuffle(index)
         split=int(0.8*len(dataset))
         x=np.array(x)
         y=np.array(y)
         x_train,x_test=x[index[:split]], x[index[split:]]
         y_train,y_test=y[index[:split]], y[index[split:]]
         Predicting the training & test result
In [93]: class MLR:
              def __init__(self):
                  self.coeff_=None
                  self.intercept_=None
             def fit(self,x,y):
                  x=np.insert(x,0,1,axis=1)
                  betas=np.dot(np.dot(np.linalg.inv(np.dot(x.T,x)),x.T),y)
                  self.intercept_=betas[0]
                 self.coeff_=betas[1:]
             def predict(self,x):
                 y_pred=np.dot(x,self.coeff_)+ self.intercept_
                  return y_pred
In [94]: mlr=MLR()
         mlr.fit(x_train,y_train)
         mlr.coeff_,mlr.intercept_
         (array([ 0.9068845 , -0.10135699]), -0.01404181980368411)
In [95]: y_pred=mlr.predict(x_test)
         print(y_test)
         print(y_pred)
         [-0.11767561 \quad 2.16464933 \quad 0.21700862 \quad -0.86057238 \quad -0.86399586 \quad -0.90165422
          -0.44404807  0.56962782  -1.01919396  -0.56957595]
         Evaluation Metrics
In [96]:
         def mea(pred, test):
             n=len(pred)
              for i in range(n):
                 sum+=abs(test[i]-pred[i])
              error=sum/n
             return error
         def rmse(pred, test):
              mse=np.square(np.subtract(y_test,y_pred)).mean()
             rmse=math.sqrt(mse)
             return rmse
         def r2(pred, test):
              corr_matrix=np.corrcoef(test,pred)
              corr=corr_matrix[0,1]
              r2=corr**2
              return r2
In [97]: mea=mea(y_pred,y_test)
         rmse=rmse(y_pred,y_test)
         r2=r2(y_pred,y_test)
         print("Evaluation Metrics")
         print('MEA: ', mea)
         print('RMSE: ',rmse)
         print('R2: ', r2)
         Evaluation Metrics
         MEA: 0.2919205147578155
         RMSE: 0.3667736144713026
         R2: 0.8725577270118904
         No 2
         1. How to avoid underfitting in model supervised learning?
         Underfitting happens when the model fails to predict the data because lack of ability to learn enough from training, this identificated by high bias and low variance. To avoid this, we can do several things such:
           • Increasing model complexity: using more complex algorithm, adding more parameters, etc

    Increasing number of features in dataset: adding more features to help model identify patterns and improve accuration

           • Removing noise from the data: eliminating irrelevant, redundant and misleading data that can distract the pattern identification
           • Increasing the duration of training: extending the training time to let model learn more from training data
         2. Explain two types of regularization techniques!
           • Ridge Regession: L2 Regularization is used to reduce complexity of model with introducing small amount of bias in order to get better predictions. this adds bias called ridge regression penalty, which is squared
             magnitude of the coefficient as a penalty to the loss function. this helps to reduce complexity by shrinking the coefficients. the equation of the cost function will be:
                                                                             where,
                                                                              • m – Number of Features
                                                                              • n – Number of Examples
                                                                              • y_i – Actual Target Value
               	ext{Cost} = rac{1}{n} \sum_{i=1}^n (	ext{y}_i - \hat{	ext{y}_i})^2 + \lambda \sum_{i=1}^m 	ext{w}_i^2
                                                                               • y_i(hat) - Predicted Target Value
           • Lasso Regression: Least Absolute Shrinkage and Selection Operator regression (L1 Regularization) adds absolute value of magnitude of coefficient as a penalty to the loss function. this helps to find important features
                                                                                                            	ext{Cost} = rac{1}{n} \sum_{i=1}^n (y_i - \hat{y_i})^2 + \lambda \sum_{i=1}^m |w_i|
             by penalizing weights equal to zero if the feature isn't important to the model. the equation for cost function will be:
             where,
              • m – Number of Features
              • n – Number of Examples
              • y_i – Actual Target Value
              • y_i(hat) - Predicted Target Value
         3. Calculate output k-fold Cross-Validationfor dataset = [[10], [9], [8], [7], [6], [5], [4], [3], [2], [1]]
         from sklearn.model_selection import KFold
         data=np.array([[10], [9], [8], [7], [6], [5], [4], [3], [2], [1]])
         #np.random.shuffle(data)
         kf=KFold(n_splits=5)
         i=1
         for train_index, test_index in kf.split(data):
             print(f'fold {i} Train set: {data[train_index].T}, Test set: {data[test_index].T}')
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fold 1 Train set: [[8 7 6 5 4 3 2 1]], Test set: [[10 9]]

fold 2 Train set: [[10 9 6 5 4 3 2 1]], Test set: [[8 7]] fold 3 Train set: [[10 9 8 7 4 3 2 1]], Test set: [[6 5]] fold 4 Train set: [[10 9 8 7 6 5 2 1]], Test set: [[4 3]] fold 5 Train set: [[10 9 8 7 6 5 4 3]], Test set: [[2 1]]