10110		
9017:	BFS	DFS
->	BFS, stands for Breadth First Search.	DFS, stands for Depth First Search.
->	BFS uses queue to find the shortest path.	OFS uses stack to find the shortest path.
	BFS is better richen larget is closer to source.	DFS is better nihen target is far from source.
→ ·	As BFS considers all neighbour so it is not suitable for decision tree used in puzzle games.	DFS is more suitable for decision tree. As with one decision, me need to + ranerse further to argument the decision. If we reach the conclusion, me mon.
$\rightarrow$	BFS is slower than DFS.	DFS is faster than BFS.
4	T.C Of BFS = O(V+E) ruhere V is vertices & E is edges.	TC of DFS is also O(V+E) where V is vertices & E is edges.

## · Applications of DFS:-

- -> If me perform DFS on uneweighted graph, then it will create minimum spanning tree for all pair shortest path tree.
- -> nie can detect cycles in a graph using DFS. If we get one back-edge during BFS, then there must be one cycle.
- -> Using DFS me can find path between two given neutries
- -> nue can perform topological storting is used to scheduling jobs from given dependencies among jobs. Topological

Sorting can be done using DFS algorithm.

I using DFS, we can find strongly connected components of a graph. If there is a path from each werlex to every other wester that is strongly connected components of a verter, that is strongly connected. → like DFS, BFS may also used for delecting cycles in a graph. → Finding shortest path and minimal spanning trees in unweighted graph. Tinding a route through GPS navigation system with minimum number of crossings → In networking spinding a route for packet transmission.

→ In building the index by search engine cravilers.

→ In peer-to-peer networking, BFS is to find neighbouring node. -> In gar bage collection BFS is used for copying garbage. 5012: BFS (Breadth First search) was quem data structure for finding the shortest path. -> DFS(Depth First search) uses stack data structure. - A quem (FIFO-First in First Out) data structure is used by BFS. You mark any node in the graph as root and start traversing the data from it. BFS traverses all the nodes in the graph and keeps dropping them as completed. BFS rusits an adjacent unuisited node, marks it as done, and insurts it into a queue. - DFS algorithm traverses a graph in a depth ward motion and uses a stack to remember to get the next vertex to start a search, when a dead end occurs in any iteration.

Sol3:- • sparse glapsh: - A graph in which the number of edges is much less than the possible number of edges.

Dense graph :- A dense graph is a graph in which the number of edges is close to the maximal number of edges.

of edges. Atternatively, if the graph is dense, we should store it as as adjacency matrix.

3

The existence of a cycle in directed and undirected graphs can be determined by whether depth - first Starch (DFS) prinds an edge that points to an ancestors of the current vertex (it contains a back edge). All the back edges netrich DFS skips ouer are part of cycles.

\* Détectagle in a directed graph.

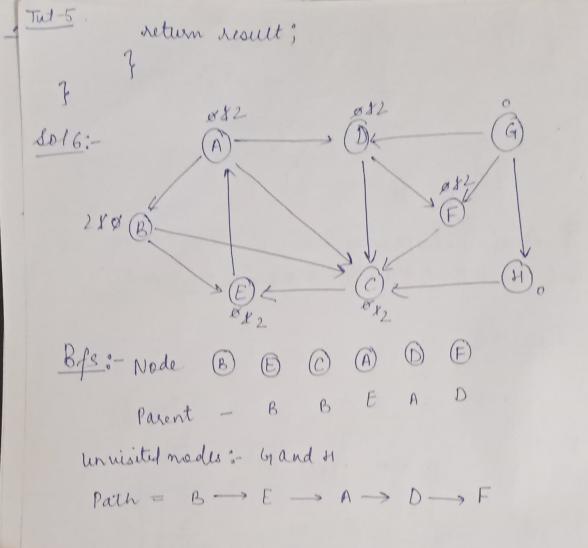
DFS can be used to destect a cycle in a graph. DFS for a connected graph produces a tree. There is a cycle in a graph only if there is a back edge that is from a node to itself (self-loop) ere one of its ancistors in the tree produced by DES. In the following For a disconnected graph, Get the DFS forest as output To detect cycle, check for a cycle in individual trus by

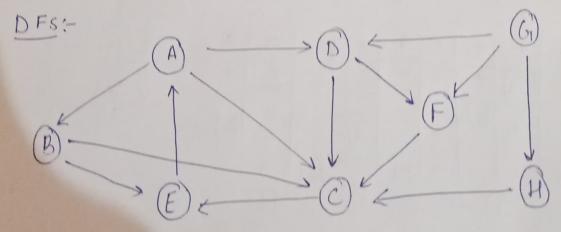
To detect a back edge, keep track of nextices currently in the recursion stack of function for DFS tracursal. If a nextent is reached that is already in the recursion stack, then there is a cycle in the tree. The edge that

recurs ion stack is a back edge. Use recestack [] array to keep track of vertices in the recursion stack. · Detect cycle in an undirected graph. -> Run a DFS from enery unnisited node. DFS can be graph produces a tree. There is a cycle in a graph only if there is a back edge present in the graph. A back edge is an edge that is joining a node to itself [ selfloop) or one of its ancestor in the tree produced by OFS. To find the back edge to any of its ancestor keep a visited away & if there is a back edge to any visited node then there is a loop & Kettern true. SOI5: Disjoint set data structure . -> It allows to find out whether the two are in the same set or not efficiently. -> The disjoint set can be defined as the subsets nihere there is no common element b/w the true sets. (2) -3) -4) Eg: - S1 = \$1, 2, 3.4} SZ = \$5, 6, 7, 8} (5) (6) (7) (8) operations performed: (i) Find: can be implemented by recursinely traversir the parent array until me hit a node who is parent to itself. int find (parent i) if (parent[i]==i)

E return i;

```
return find (parent [ i ]);
(U) Union : It takes, as input, two elements. And finds
 the representatives of their sets using the find
  operation, and finally puts either one of the trees
  ( repassenting the set) under the root node of the
   other tree, effectively merging the tree & the sets.
     rioid Union (int i, int j)
             int 'rep = this. Find(i);
             int just = this. Find (j°);
             this. Parent [irep] = prep;
  (iii) Path Compression (Modifications to find () : It speeds
    up the data structure by compressing the height of the trees. It can be achieved by inserting a small caching
    mechanism into Find operation
      int find (int i)
           if (Parentli] == i)
           return i;
                 int result = find (Parent[i]);
Parent[i] = result;
```





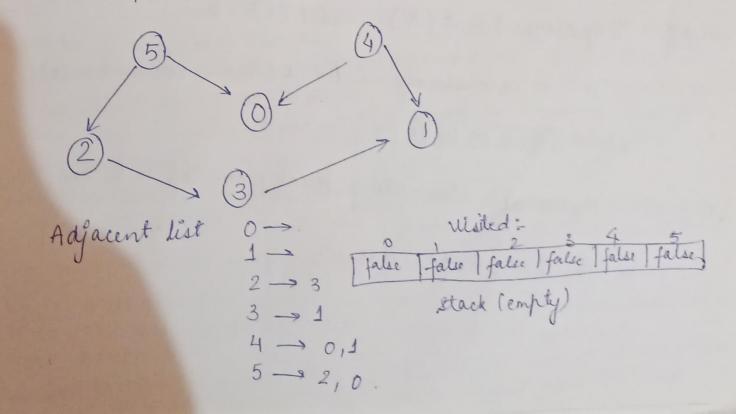
Node processed B B C E AE DE FE E
Stack B CE EE AE DE FE E

Path: B -> c -> E -> A -> D -> F

5017: V = 5a3 5b3 5c3 5d3 6e3 {t} fg3 fh3 fiff] E = 5a, b3, 5a, c3, 5b, c3, 6b, d3, 6e, f3, 5e, g3, 5h, i3, [i]

Noumber of connected components = 3 ans.

Sol8:- topological sort :-



step 18 - Topological sort (0) visited [0] = true list is empty, No more recursion call Step 2:- Topological sort (1), visited [1] = true list is empty. No more recursion call. Step 3:- Topological sort (2), resilted [2] = true Topological Port (3), visited [3] = true 1' is already visited. No more recursion call step 4:- Jopological sort (4), visited [4] = true 'O', 'I' are already nesited. No more recursion call stack [0] 1 | 3 | 2 | 4 Step 5 - Jopological Sort (5), visited [5] = true (2°, '0') are already visited. No more recursion Call Stack [0] 13/2/4/5

step 6:- Print all Mements of stack from top to bottom 5, 4, 2, 3, 1, 0. aus.

guene. It will take O( log N) time to insert and delete each element in the priority queue. Based on heap structure, priority queue has also has two types - max priority and min-priority queue. Some algorithms where we need to use priority queue are: (1) Dykstra's shortest path algorithm using priority queue: or matrix, priority queue can be used extract minimum efficiently when implementing Dijkstra's algorithm. (11) Prim's algorithm: It is used to implement Prim's Algorithm to store keys of nodes & extract minimum key node at every step (iii) Data compression: It is used in suffman's code netrich U used to compresses data. Man-heap Solso:- Min-heap In a max-heap the key - In a min - heap the key present at the root node

In a min-heap the key present at the root must be less than or equal to among the keys present at all of its children.

-> the minimum key element present at the root.

- In a construction of a minheap, the smallest element has priority.

- the smallest element is the - the smallest element is the

in a max-heap the key present at the root node must be greater than or equal to among the keys present at all of ets e children

the maximum key element present at the root.

In the construction she largest clement has priority the first the propped from the heap