



- It is time to explore another clustering method!
- Hierarchical clustering is very common in biology and lends itself nicely to visualizing clusters.
- It can also help the user decide on an appropriate number of clusters.



- Section Overview:
 - Theory and Intuition of Hierarchical Clustering
 - Coding Example of Hierarchical Clustering



Theory and Intuition



- Like most clustering algorithms,
 Hierarchical Clustering simply relies on
 measuring which data points are most
 "similar" to other data points.
- "Similarity" is defined by choosing a distance metric.



So why use Hierarchical Clustering?

- Easy to understand and visualize.
- Helps users decide how many clusters to choose.
- Not necessary to choose cluster amount **before** running the algorithm.



So why use Hierarchical Clustering?

- o Divides points into *potential* clusters:
 - Agglomerative Approach:
 - Each point begins as its own cluster, then clusters are joined.
 - Divisive Approach:
 - All points begin in the same cluster, then clusters are split.



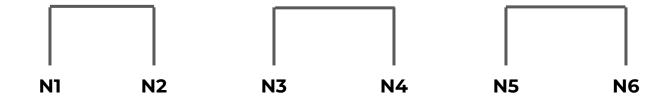
- Hierarchical Clustering
 - Divides points into potential clusters:

N1 N2 N3 N4 N5 N6

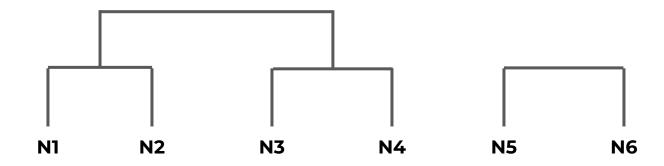
- Hierarchical Clustering
 - Agglomerative:



- Hierarchical Clustering
 - Agglomerative:

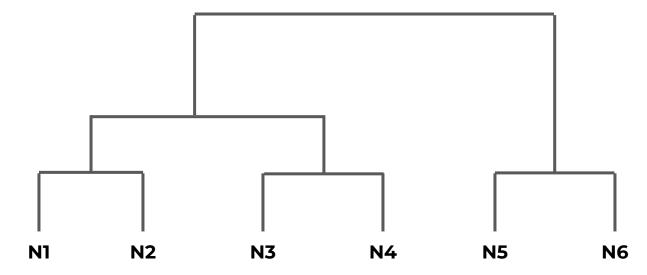


- Hierarchical Clustering
 - Agglomerative:





- Hierarchical Clustering
 - Agglomerative:





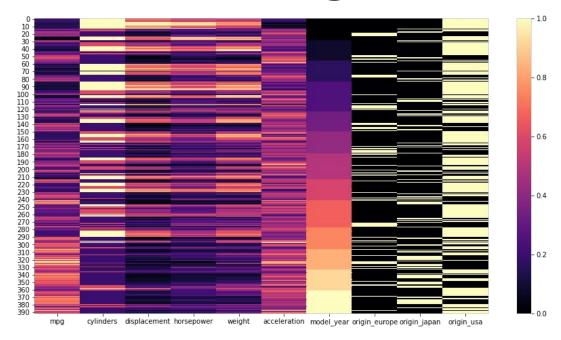
 Opposite of the Agglomerative approach is a **Divisive** approach, which starts with all points belonging to the same cluster, and the begins divisions to separate out clusters.



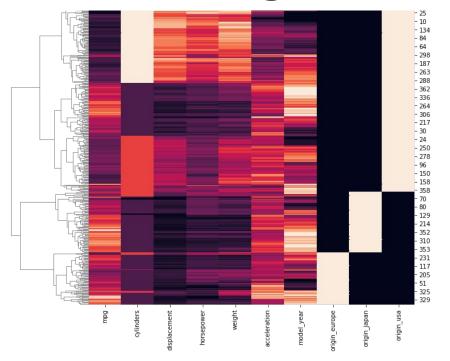
Hierarchical Clustering Process

- Compare data points to find most similar data points to each other.
- Merge these to create a cluster.
- Compare clusters to find most similar clusters and merge again.
- Repeat until all points in a single cluster.

Hierarchical Clustering Process



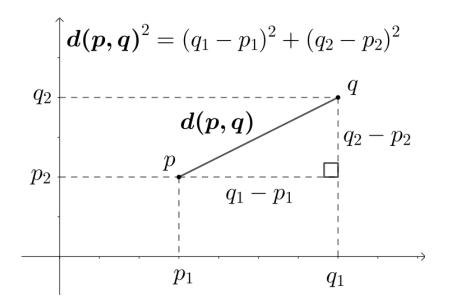
Hierarchical Clustering Process



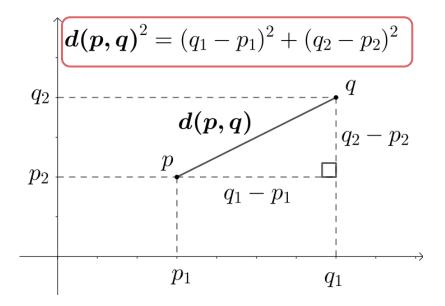
- There are a few key topics we still need to understand for Hierarchical Clustering:
 - Similarity Metric
 - Dendrogram
 - Linkage Matrix

- Similarity Metric
 - Measures distance between two points.
 - Many options:
 - Euclidean Distance
 - Manhattan
 - Cosine
 - and many more...

- Similarity Metric
 - Default choice is Euclidean



- Similarity Metric
 - Default choice is Euclidean



- Similarity Metric
 - Each dimension would be a feature
 - For **n** data points and **p** features:

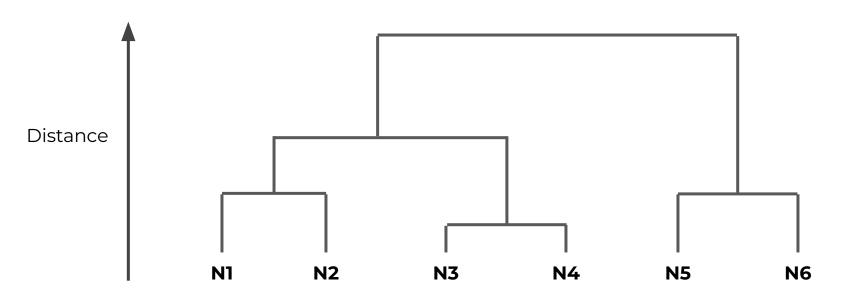
- Similarity Metric
 - Each dimension would be a feature
 - For **n** data points and **p** features:

- Using MinMaxScaler we can scale all features to be between 0 and 1.
- This allows for maximum distance between a feature to be 1.



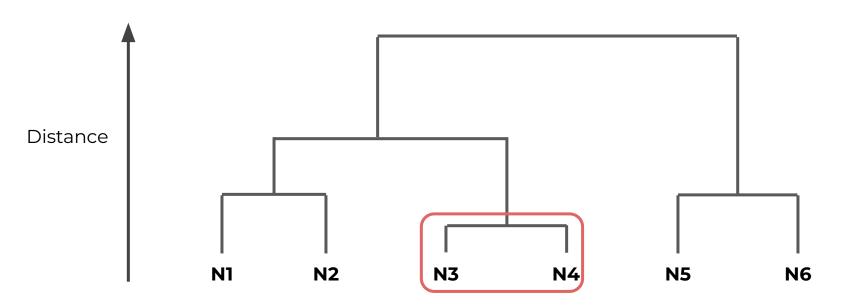
- Dendrogram:
 - o Plot displaying all potential clusters.
 - Very computationally expensive to compute and display for larger data sets.
 - Very useful for deciding on number of clusters.



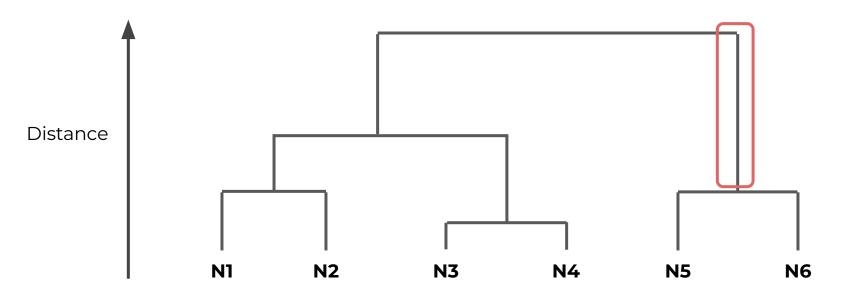




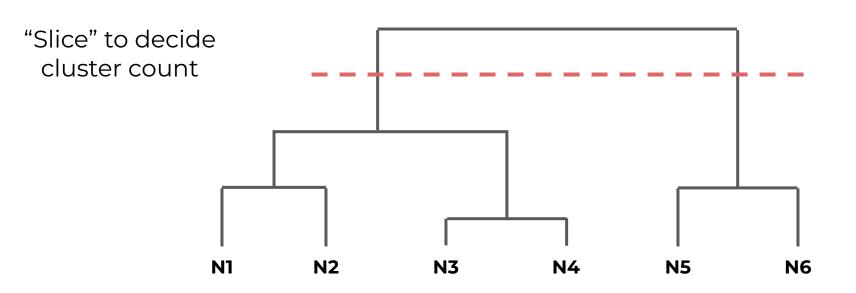




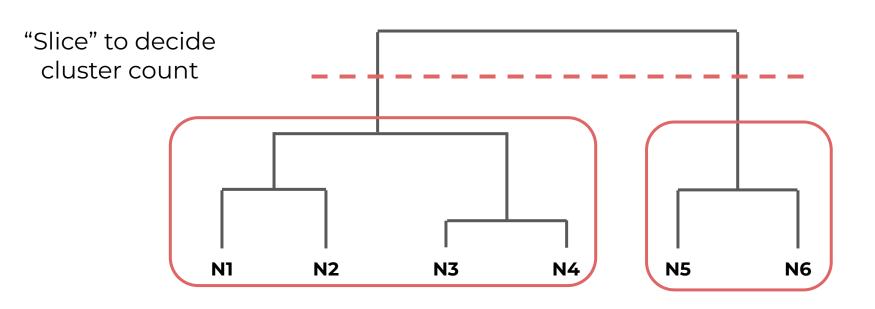




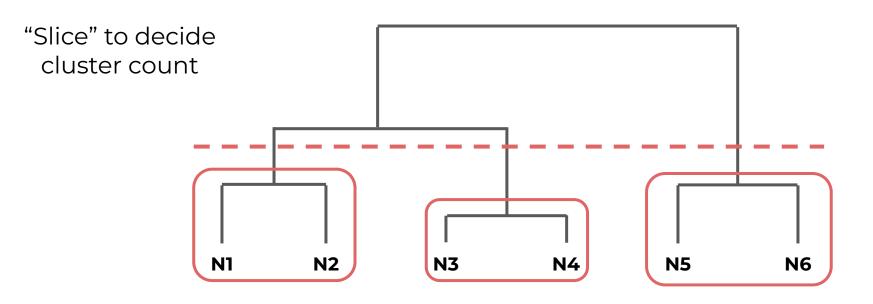












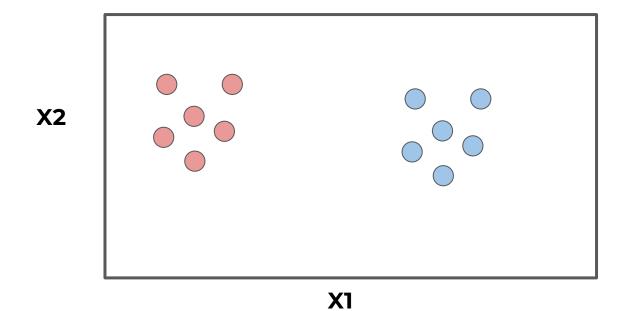


- Linkage
 - How do we measure distance from a point to an entire cluster?
 - How do we measure distance from a cluster to another cluster?

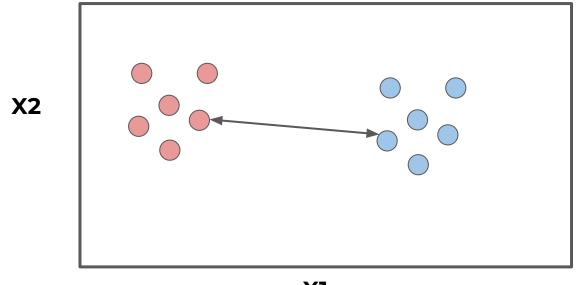


- Linkage
 - Once two or more points are together and we want to continue agglomerative clustering to join clusters, we need to decide on a linkage parameter.

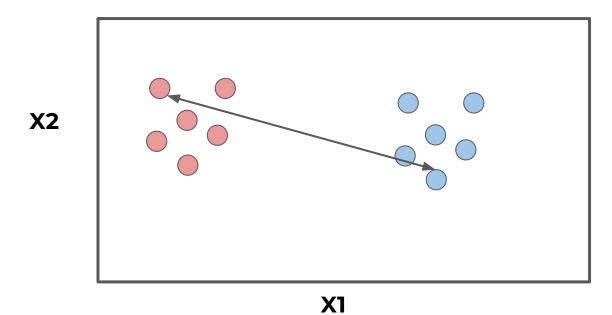




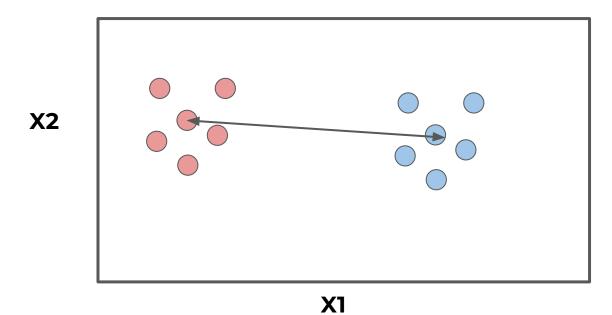




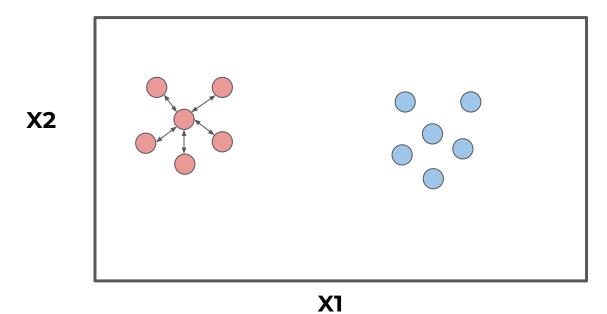














- Linkage
 - Criterion determining which distance to use between sets of observation.
 - Algorithm will merge pairs of clusters that minimizes the criterion.



- Linkage:
 - Ward: minimizes variance of clusters being merged.
 - Average: uses average distances between two sets.
 - Minimum or Maximum distances between all observations of the two sets.