

Q Given an array of size $(N-1)$ having all elements from 1 to N except one
Find the missing no. $[1 - N]$

0	1	2	3	4	5
3	6	1	4	2	7

→ 5

$[1 - N]$

$$\frac{N(N+1)}{2} - \sum_{i=0}^{N-1} A[i]$$

TC: $O(N)$

SC: $O(1)$

0	1	2	3	4	5	
3	6	1	4	2	7	
1	2	3	4	5	6	7

ans → take XOR of array
take XOR of all elements from 1 to N

$$A \oplus A = 0$$

$$A \oplus 0 = A$$

Q Given an array with all elements appearing 2 times except 2 elements.

Return the 2 single elements. ($O(1)$ sc)

0	1	2	3	4	5	6	7
15	20	30	15	4	20	30	9

→ [4, 9]

$15 \wedge 20 \wedge 30 \wedge 15 \wedge 4 \wedge 20 \wedge 30 \wedge 9 \Rightarrow 4 \wedge 9$

$$\begin{array}{r} 0100 \\ 1001 \\ \hline 1101 \end{array}$$

$\Rightarrow 13$

1 1 0 1

4

9

Step I

Take XOR of array

$XOR = S_1 \wedge S_2$

$O(N)$

Step II

Find position of any set bit

in XOR → P

$N \& 1$

```
int getSetBitPos (int XOR) {  
    for (i=0; i<32; i++) {  
        if (checkBit(XOR, i)) {  
            ret i;  
        }  
    }  
}
```

ret -1;

$O(\log M)$

Step III

Take xor of all elements which have
a set Bit at P in ans1
an unset bit at P in ans2

$ans1 = 0; ans2 = 0;$

$O(N)$

```
for (i = 0; i < N; i++) {  
    if (checkBit(A[i], P)) {  
        ans1 = ans1 ^ A[i];  
    }  
    else {  
        ans2 = ans2 ^ A[i];  
    }  
}
```

Tc: $O(N)$

Sc: $O(1)$

Q. Given an array where all no. appear 3 times
except 1.

Find the single no. ($O(1)$ Sc)

0	1	2	3	4	5	6	7	8	9
10	3	10	5	8	3	10	8	8	3

→ 5

		³	²	¹	⁰ ← i
10	1	0	1	0	
3	0	0	1	1	
10	1	0	1	0	
8	1	0	0	0	
3	0	0	1	1	
10	1	0	1	0	
8	1	0	0	0	
8	1	0	0	0	
3	0	0	1	1	
5	0	1	0	1	

00000000...

ans = 0;

for (i = 0; i < 32; i++) { → $O(\log M)$

count = 0;

for (j = 0; j < N; j++) {

if (checkBit(A[j], i)) {

count++;

}

}

if (count % 3 > 0) {

ans = setBit(ans, i);

}

ret (ans | (1 << i))

}

ret ans;

Tc: $O(N \log M)$

Sc: $O(1)$