

Approximate counter-diabatic driving protocols for non-integrable quantum systems

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November 26, 2017

Student's statement providing the context of the contribution

Quantum computers can provide substantial advantages over classical computers in certain tasks, such as large integer factorization. The "quantum supremacy" is largely due to the quantum algorithms which harness the advantage offered by the qubits over classical bits. Whereas a classical bit has to be in one of just two states (0 or 1), a qubit can be in an arbitrary complex superposition of both states at the same time. This allows for the development of powerful algorithms for quantum computing. Many of these algorithms are dependent on adiabatic processes. For example, quantum adiabatic dynamics can be used for solving satisfiability problem [1], quantum search algorithms [2] and holonomic quantum computation [3].

However, the quantum adiabatic theorem imposes restrictions which require systems to be driven sufficiently slowly. This makes it difficult to protect their sensitive coherence from noise and decoherence caused by the environment.

Counter-diabatic (CD) driving protocols, which are also known as "shortcuts-to-adiabaticity," provide powerful alternatives for controlling quantum systems, doing quantum state transfer and helping in building scalable quantum computers. Within the field of CD driving protocols, there is a problem called problem of small denominators [4] which prevents one from constructing the CD Hamiltonian for non-integrable quantum systems (which are also called quantum chaotic systems). The reason behind this is their exponential sensitivity to perturbations of the Hamiltonian. This makes the quantum control of such systems extremely difficult.

Our approximate CD protocol for these systems avoids this problem. Further, our method has a potential of being used as a diagnostic tool for differentiating between integrable and non-integrable quantum systems. Compared to the conventional method, which uses the statistics of the nearest neighbor energy spacing distribution, our method should work without worrying about identifying the symmetries of the Hamiltonian.

[1]arXiv:quant-ph/0001106 [2]arXiv:quant-ph/0107015 [3]arXiv:quant-ph/9904011 [4] arXiv:1602.01062