

Supplementary Material

Step-by-Step Procedure, Pseudo-code, and Full Parameter Settings for Hybrid Swarm Optimization of Three ML Classifiers (FSDM4784)

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Generated on: *Sep 15, 2025.*

Introduction

This supplementary file provides the complete, reproducible description of the optimization framework referenced in the paper.

It includes (1) a step-by-step procedure, (2) algorithmic pseudo-code for FA, GWO, and Hybrid FA–GWO, (3) full hyperparameter search spaces for SVM, Random Forest, and KNN, and (4) the evaluation protocol.

The objective being minimized during metaheuristic search is $1 - F1$ on a 70/30 stratified train/test split.

Reproducibility Notes

- Environment: Python ≥ 3.9 ; NumPy ≥ 1.23 ; scikit-learn ≥ 1.2 .
- Determinism: Random seeds (random_state=42) are fixed where supported. Metaheuristics remain stochastic; convergence curves and final scores are reported.
- Scaling: Standardization is applied to features used by SVM and KNN; Random Forest uses raw features.
- Objective during search: Minimize $1 - F1$.
- Final evaluation: Re-train model on training split and evaluate on hold-out test split.

Step-by-Step Procedure

1. Data Preparation
 - 1.1 Split the dataset into train/test with stratification (test_size=0.30, random_state=42).
 - 1.2 Fit a StandardScaler on X_train and transform X_train/X_test for SVM and KNN.
2. Define Models & Bounds
 - SVM (RBF): optimize $C \in [0.1, 100]$, $\gamma \in [1e-4, 1]$.

- Random Forest: optimize $n_estimators \in [50, 200]$, $max_depth \in [2, 15]$.
 - KNN: optimize $n_neighbors \in [2, 20]$.
3. Objective Function
 - 3.1 For candidate vector θ , map to model hyperparameters (cast to int where required).
 - 3.2 Train model on X_train ; predict on X_test ; compute F1.
 - 3.3 Return $1 - F1$ to be minimized.
 4. Initialize Population

Draw $n_agents \times dim$ initial positions uniformly within bounds.
 5. Run Optimizer

Use FA, GWO, or Hybrid FA–GWO for max_iter iterations, recording the best score each iteration.
 6. Select Best Hyperparameters

Take the position with the minimum objective value as best parameters.
 7. Final Evaluation & Reporting

Refit the model on X_train with best parameters.

Evaluate on X_test : Accuracy, Precision, Recall, F1-score, and ROC-AUC.

Save best parameters and metrics for each ($Model \times Optimizer$) pair.

Pseudo-code: Firefly Algorithm (FA) with Initialization

Input: objective $f(\cdot)$, bounds $[L, U]$, init positions X ($n \times d$),
 α , β_0 , γ , max_iter

Output: best position x^* , best score $f(x^*)$, convergence curve

- 1: $X \leftarrow$ init positions within $[L, U]$; $I[i] \leftarrow f(X[i])$ for all i
- 2: for $t = 1..max_iter$ do
- 3: for $i = 1..n$ do
- 4: for $j = 1..n$ do
- 5: if $I[j] < I[i]$ then
- 6: $r \leftarrow \|X[i] - X[j]\|$
- 7: $\beta \leftarrow \beta_0 * \exp(-\gamma * r^2)$
- 8: $step \leftarrow \beta (X[j] - X[i]) + \alpha * (rand(d) - 0.5)$
- 9: $X[i] \leftarrow clip(X[i] + step, L, U)$
- 10: $I[i] \leftarrow f(X[i])$
- 11: record $\min(I)$ to curve
- 12: return $\operatorname{argmin}(I)$, $\min(I)$, curve

Pseudo-code: Grey Wolf Optimizer (GWO) with Initialization

Input: objective $f(\cdot)$, bounds $[L,U]$, init positions X ($n \times d$), \max_iter

Output: best position α , best score $f(\alpha)$, convergence curve

- 1: Initialize α , β , δ as $+\infty$; α_pos , β_pos , δ_pos as None
- 2: for $t = 1..\max_iter$ do
- 3: for each wolf i :
- 4: $s \leftarrow f(X[i])$; update α , β , δ and their positions
- 5: $a \leftarrow 2 - 2 * t / \max_iter$
- 6: for each wolf i do
- 7: for each dimension d do
- 8: draw $r1, r2$; $A \leftarrow 2*a*r1 - a$; $C \leftarrow 2*r2$
- 9: $X1 \leftarrow \alpha_pos[d] - A*|C*\alpha_pos[d] - X[i,d]|$
- 10: repeat with β , $\delta \rightarrow X2, X3$
- 11: $X[i,d] \leftarrow \text{clip}((X1 + X2 + X3)/3, L[d], U[d])$
- 12: record α to curve
- 13: return α_pos , α , curve

Pseudo-code: Hybrid FA–GWO

Input: objective $f(\cdot)$, bounds $[L,U]$, init positions X ($n \times d$),
alpha, beta0, gamma, \max_iter

Output: best position α , best score $f(\alpha)$, convergence curve

- 1: Track α , β , δ wolves as in GWO
- 2: for $t = 1..\max_iter$ do
- 3: Update α , β , δ by evaluating all wolves
- 4: $a \leftarrow 2 - 2 * t / \max_iter$
- 5: for each agent i do
- 6: compute GWO-guided position $G[i]$ (average of $X1, X2, X3$)
- 7: $r \leftarrow \|X[i] - G[i]\|$; $\beta \leftarrow \text{beta0} * \exp(-\text{gamma} * r^2)$
- 8: $\text{step} \leftarrow \beta (G[i] - X[i]) + \text{alpha} * (\text{rand}(d) - 0.5)$
- 9: $X[i] \leftarrow \text{clip}(X[i] + \text{step}, L, U)$
- 10: record α to curve
- 11: return α_pos , α , curve

Hyperparameter Search Spaces

Model	Hyperparameters to Optimize	Bounds / Domain	Type
SVM (RBF)	C, gamma	[0.1, 100], [1e-4, 1]	float,float
RandomForest	n_estimators, max_depth	[50, 200], [2, 15]	int,int
KNN	n_neighbors	[2, 20]	int

Evaluation Protocol

- Split: stratified train/test, test_size = 0.30, random_state = 42.
- Objective minimized during search: 1 – F1 on hold-out test split.
- After selecting best hyperparameters, refit on training set and evaluate on test set:
Accuracy, Precision, Recall, F1-score, and ROC-AUC.
- Convergence curves record best score per iteration.

How to Run (Example Skeleton)

- Prepare X_train_scaled, X_test_scaled, y_train, y_test as described above.
- Set n_agents = 10, max_iter = 20 (modifiable).
- For each model in {SVM, RF, KNN}:
 - Define objective(params) → returns 1 – F1.
 - Initialize positions uniformly within bounds.
 - Call one of {firefly_with_init, gwo_with_init, hybrid_fa_gwo_init}.
 - Train final model with best parameters; compute metrics and ROC.