Fall 2015 Prof. P. Scheuermann

EECS 495--Introduction to Database Systems Homework Assignment 2 Due: Wednesday, November 25, 2015

- Prove, or disprove the following inference rules for a relation R with X, Y, Z, W subsets of R.
 - a. $X \rightarrow Y$ and $Y \rightarrow Z$ imply $X \rightarrow YZ$

use union rule

b. $X \rightarrow Y$ and $Z \rightarrow W$ imply $XZ \rightarrow YW$

use pseudotransitivity rule

c. $XY \rightarrow Z$ and $Z \rightarrow X$ imply $Z \rightarrow Y$

<u>Note:</u> To prove an inference rule you need to use Armstrong's rules. To disprove a rule it is sufficient to exhibit a relation (extension) which does violate it.

(15 pts)

2. Given the relational schema R(A,B,C,D,E,F,G,H) with $F = (ABH \rightarrow C; A \rightarrow DE; BGH \rightarrow F; F \rightarrow ADH; BH \rightarrow GE)$.

Use the decomposition algorithm to obtain a lossless BCNF schema. Examine the functional dependencies in F for violation of BCF in the order in which they appear above (i.e., consider first ABH \rightarrow C)

(20pts)

3. Consider a database schema R=(A,B) that has only two attributes. Is an instance r of the schema R always in BCNF? If your answer is no explain briefly your reasoning., Otherwise, give a proof that the claim is true.

True. (15 pts)

4. Consider a relation R with the following set of dependencies $F := \{A \rightarrow BC, B \rightarrow AC, C \rightarrow AB\}$. Obtain at least two canonical covers of F. Use the algorithm given in class.

Text

(15 pts)

5. Given the database schema R=(A,B,C) and a relation r on the schema, write an SQL query to test whether the functional dependency $B \rightarrow C$ holds in r. Also write an SQL assertion that enforces the functional dependency. Assume that no null values are present.

(15 pts)

6. Consider the relation schema R =(A,B,C,D,E) with the following set of functional dependencies:

$$F = \{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}.$$

- a. Find the candidate keys of of R
- b. Show that the following decomposition of R is a lossless-join decomposition:

$$R_1=(A, B, C)$$
 and $R_2=(A, D, E)$.

(20 pts)