# -----Performance of linear models in case of imbalanced data-----

#### In [16]:

```
#importing required libraries
import numpy as np
{\color{red} \textbf{import}} \ {\color{blue} \textbf{matplotlib.pyplot}} \ {\color{blue} \textbf{as}} \ {\color{blue} \textbf{plt}}
from sklearn.linear_model import SGDClassifier
from sklearn.linear_model import LogisticRegression
import pandas as pd
import numpy as np
from sklearn.preprocessing import StandardScaler, Normalizer
import matplotlib.pyplot as plt
from sklearn.svm import SVC
import warnings
warnings.filterwarnings("ignore")
```

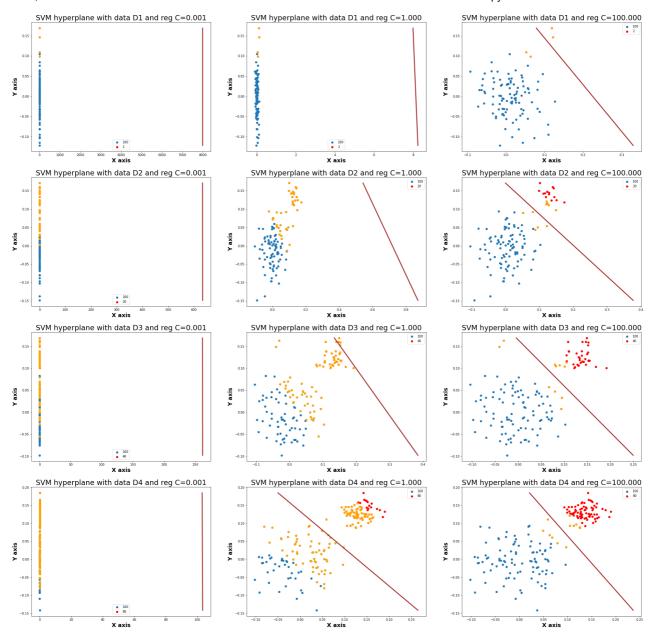
#### In [17]:

```
def draw_line(coef,intercept, mi, ma):
       # for the separating hyper plane ax+by+c=0, the weights are [a, b] and the intercept is c
       # to draw the hyper plane we are creating two points
      # 1. ((b*min-c)/a, min) i.e ax+by+c=0 ==> ax = (-by-c) ==> x = (-by-c)/a here in place of y we are keeping the minimum value of y # 2. ((b*max-c)/a, max) i.e ax+by+c=0 ==> ax = (-by-c) ==> x = (-by-c)/a here in place of y we are keeping the maximum value of y points=np.array([[((-coef[1]*mi - intercept)/coef[0]), mi],[((-coef[1]*ma - intercept)/coef[0]), ma]])
       \textcolor{red}{\textbf{return}} \hspace{0.1cm} \textbf{points}
```

### Task 1: Applying SVM

In [27]:

```
ratios = [(100,2), (100, 20), (100, 40), (100, 80)]
                                                                                  #ratios of the imbalanced dataset to be created
fig, axes = plt.subplots(nrows=4, ncols=3, figsize=(35, 35))
np.random.seed(1)
regularization_value_list=[0.001, 1, 100]
for idx,i in enumerate(ratios): \#for\ each\ dataset
     \textbf{X\_p=np.random.normal(0,0.05,size=(i[0],2))} \quad \textit{\# here we are creating 2d imbalanced data points } 
    \label{eq:control_control} \textbf{X}\_\texttt{n=np.random.normal}(0.13, 0.02, \texttt{size=}(\texttt{i[1],2}))
    y_p=np.array([1]*i[0]).reshape(-1,1)
                                                               #creating y labels
    y_n=np.array([0]*i[1]).reshape(-1,1)
    X=np.vstack((X_p,X_n))
                                                               #vertically stacking two classes data
    y=np.vstack((y_p,y_n))
     for j in range(len(regularization_value_list)):
                                                                        #for each regularization value
          svc=SVC(kernel='linear',C=regularization_value_list[j]) #fitting svm model
          svc.fit(X,y)
          coef=svc.coef_
                                                    #2 dim coefficients (weights) of the hyperplane
          intercept=svc.intercept_
                                                    # intercept of hyperplane
          sv=svc.support_vectors_
                                                    #support vectors coordination
         mi=min(X[:, 1])
ma=max(X[:, 1])
                                                            #minimum y axis value of 2d data point (it help to calulate x axis value for hyperplane us
                                                             #maximum y axis value of 2d data point
         points=draw_line(coef[0],intercept[0], mi, ma)
         axes[idx, j].scatter(X_p[:,0],X_p[:,1])
axes[idx, j].scatter(X_n[:,0],X_n[:,1],color='red')
                                                                                    #plotting all the class 1 points
                                                                                   #plotting all the class_2 points
         axes[idx, j].scatter(sv[:,0],sv[:,1],color='orange') #plotting support vector points
axes[idx, j].plot(points[:,0], points[:,1],linewidth=3.0,color="brown") #plotting hyperplace
axes[idx, j].set_title("SVM hyperplane with data D%s and reg C=%1.3f"%((idx+1),regularization_value_list[j]),fontsize=23)
          axes[idx, j].legend(ratios[idx])
         axes[idx, j].set_xlabel('X axis', fontweight ='bold', fontsize=18)
axes[idx, j].set_ylabel('Y axis', fontweight ='bold',fontsize=18)
fig.show()
```



## **Observation for SVM**

- In svm, C is determining how much weightage to give for minimizing error(eta)
- when the C(regularisation) is very low(=0.001), it gives less weightage to averaged eta(avg distance of misclassified points). That is why what irrespective of the class imbalance, our hyperplane underfitted in the all four cases where C=0.001. When C is very very low it does not care about minimizing the error that caused due to misclassified points(eta) and it only cares about minimizing (1/margin).
- When the value of C is moderate(=1), it give piority to both minimizing the error due to misclassified points(eta) and minimizing (1/margin) which we can see on the plots where C=1 .but here the imbalance data hugely determines the fit of the hyperplane...since error due to the unbalanced class datapoint is not peanalised heavely.
- When the value of C is High(=100), it give high piority to minimizing the error due to misclassified points(eta) than minimizing (1/margin) which we can see on the plots where C=100 .but here the wherther balance or imbalance data ,our model fit well for all cases...since error due to the imbalanced class with few number of datapoint is also peanalised heavly.

### Task 2: Applying LR

```
In [30]:
```

```
ratios = [(100,2), (100, 20), (100, 40), (100, 80)]
                                                                      #ratios of the imbalanced dataset to be created
fig, axes = plt.subplots(nrows=4, ncols=3, figsize=(35, 35))
np.random.seed(1)
regularization_value_list=[0.001, 1, 100]
for idx,i in enumerate(ratios): #for each dataset
    X_p = np.random.normal(0,0.05,size=(i[0],2))
                                                    # here we are creating 2d imbalanced data points
    X_n=np.random.normal(0.13,0.02,size=(i[1],2))
    y_p=np.array([1]*i[0]).reshape(-1,1)
                                                      #creating y labels
    y_n=np.array([0]*i[1]).reshape(-1,1)
    X=np.vstack((X_p,X_n))
                                                      #vertically stacking two classes data
    y=np.vstack((y_p,y_n))
    for j in range(len(regularization_value_list)):
                                                              #for each regularization value
        lr=LogisticRegression(C=regularization_value_list[j])
        lr.fit(X,y)
        coef=lr.coef_
                                             #coefficients (weights) of the hyperplane
        intercept=lr.intercept_
                                             #intercept of hyperplane
        mi=min(X[:, 1])
                                                    #minimum y axis value of 2d data point (it help to calulate x axis value for hyperplane
        ma=max(X[:, 1])
                                                    #maximum y axis value of 2d data point
        points=draw_line(coef[0],intercept[0], mi, ma)
        axes[idx, j].set title("Log.Reg hyperplane with data D%s and reg C=%1.3f"%((idx+1),regularization value list[j]),fontsize=23)
        axes[idx, j].legend(ratios[idx])
        axes[idx, j].set_xlabel('X axis', fontweight ='bold', fontsize=18)
axes[idx, j].set_ylabel('Y axis', fontweight ='bold',fontsize=18)
fig.show()
    Log.Reg hyperplane with data D1 and reg C=0.001
                                                 Log.Reg hyperplane with data D1 and reg C=1.000
                                                                                             Log.Reg hyperplane with data D1 and reg C=100.000
Y axis
                                             Y axis
                                                                                                               X axis
    Log.Reg hyperplane with data D2 and reg C=0.001
                                                 Log.Reg hyperplane with data D2 and reg C=1.000
                                                                                             Log.Reg hyperplane with data D2 and reg C=100.000
                                                                                                                Xaxis
    Log.Reg hyperplane with data D3 and reg C=0.001
                                                 Log.Reg hyperplane with data D3 and reg C=1.000
                                                                                             Log.Reg hyperplane with data D3 and reg C=100.000
Y axis
    Log.Reg hyperplane with data D4 and reg C=0.001
                                                 Log.Reg hyperplane with data D4 and reg C=1.000
                                                                                             Log.Reg hyperplane with data D4 and reg C=100.000
```

# **Observation for LR**

- In LG C=(1/lambda) which is act like the giving weightage to regularization term (I1 or I2 regularization term)
- . Here low value of C(=0.001) or high vaule of lambda used to give high weightage to Regularization term...regularization term is used for avoiding overfitting but giving high weightage to them make model underfit.
- When C(=100) very large, lower weightage given to Regularization term so by defaulf higher waightage given to minimizing logistic loss...so the model fit the data well to minimize loss and also lower weighted regularization term make sure that our model does not overfit to train data

## SVM vs LR

- we can see that SVM model fits well when C=large(=100) even with imbalance dataset of 100:2 ration but LG does not preform well in that case.
- But for the almost balanced data SVM and LG both fits well with the data