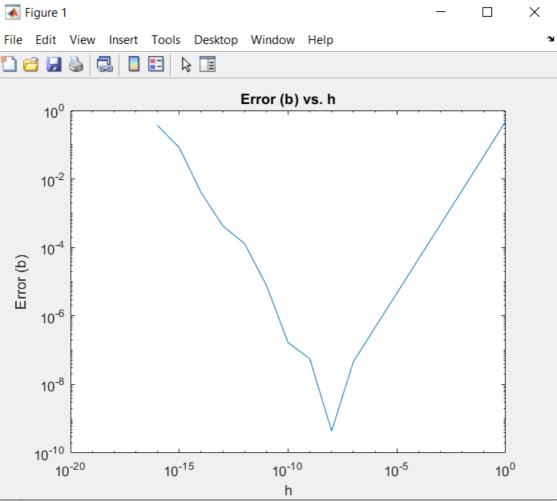
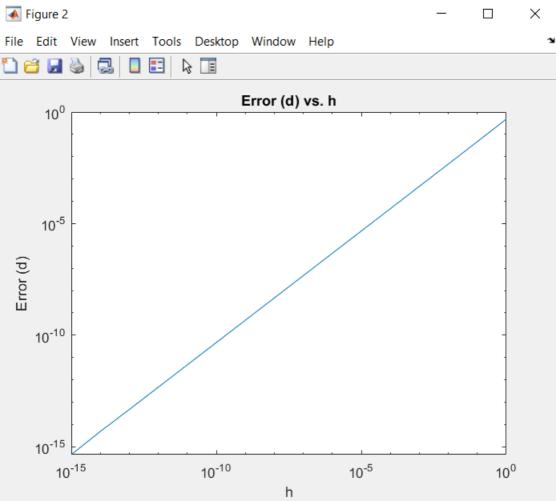
```
Editor - C:\Users\Nwhybra\Desktop\UW AMATH Masters\AMATH 584\HW\HW5\problem A2.m
 problem_A2.m × problem_A3.m × gecp.m × +
          x0 = 1.2:
          f prime exact = cos(x0);
          h = 10.^{(0:-1:-16)}:
 4
          f prime approx = (\sin(x0 + h) - \sin(x0)) ./ h;
          better approx = (2 * cos(x0 + h/2) .* sin(h/2)) ./ h;
 6
          error 1 = abs(f prime exact - f prime approx);
          error 2 = abs(f prime exact - better approx);
 8
 9
          figure:
10
          loglog(h, error 1);
11
          xlabel("h")
12
          vlabel("Error (b)")
          title("Error (b) vs. h")
13
14
          figure:
15
16
          loglog(h, error 2);
17
          xlabel("h")
18
          ylabel('Error (d)')
19
          title('Error (d) vs. h')
```





```
Editor - C:\Users\Nwhybra\Desktop\UW AMATH Masters\AMATH 584\HW\HW5\problem_A3.m
   problem A2.m × problem_A3.m × gecp.m
                                            × +
            % Make the matrix A as defined in the problem.
  2
            n = 100;
  3
            A = -1 * tril(ones(n), -1) + eve(n);
  4
            A(:, end) = 1;
  5
  6
            % Make the random vector.
  7
            x = randn(100, 1);
  8
  9
            % Calculate b.
 10
            b = A * x;
 11
 12
            % Part (a).
 13
            k = cond(A);
 14
 15
            % Part (b).
 16
            x ge = A \setminus b;
 17
            norm error 1 = norm(x - x_ge, 2);
 18
 19
            % Part (c).
 20
            [0,R] = qr(A, 0);
            x qr = R \setminus (Q' * b);
 21
 22
            norm error 2 = norm(x - x qr, 2);
 23
            % Part (d).
 24
 25
            % P*A*Q = L*U...
 26
            [L, U, P, Q] = gecp(A);
```

x gecp = 0 \* inv(U) \* inv(L) \* P \* b;

 $norm\_error_3 = norm(x - x\_gecp, 2);$ 

27

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