

Step 1: insert 3

Step 2: insert 6

3



AVL

Step 3: insert 5



Step 3a: right-left rotation on 3

Step 3aa: right rotation on 6



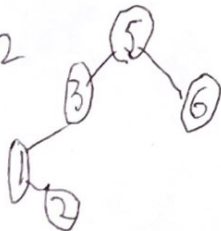
Step 3ab: left rotation on 3



Step 4: insert 1

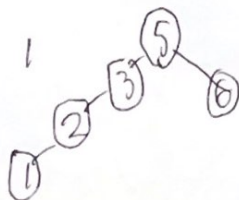


Step 5: insert 2

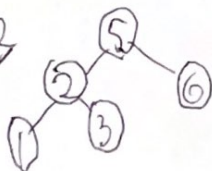


Step 5a: left-right on 3

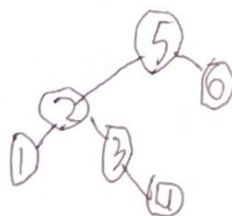
Step 5aa: left on 1



Step 5ab: right on 3

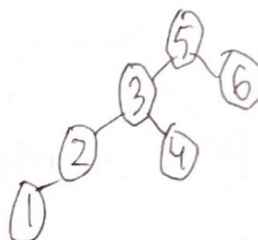


Step 6: insert 4

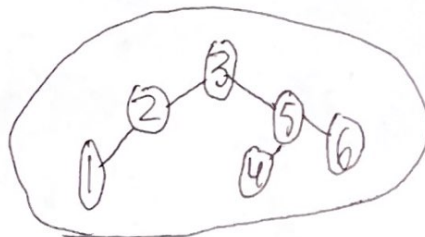


Step 6a: left-right on 5

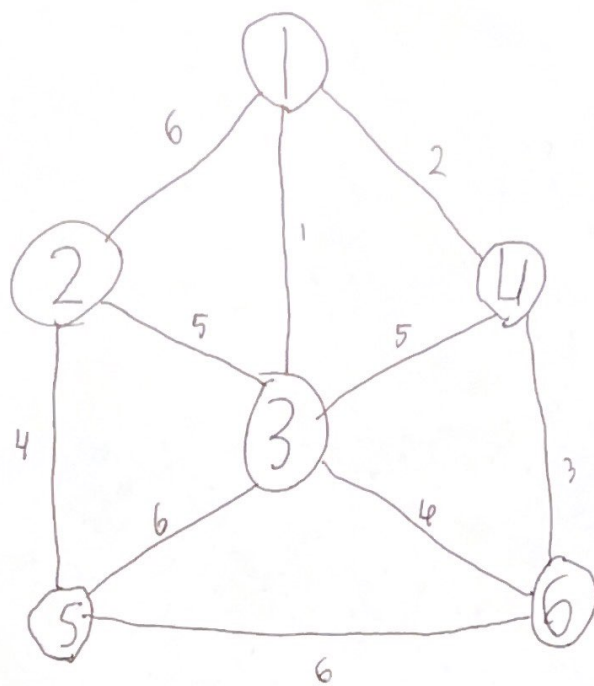
Step 6aa: left on 2



Step 6ab: ~~left~~ right on 5



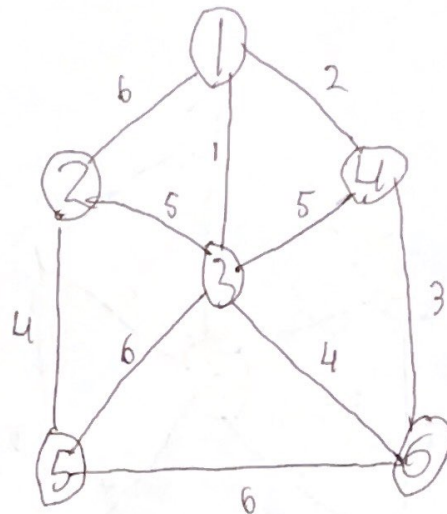
↑  
Making 4 5's left child since  
new root already had a right child



Starting w/ 1, we will go to 3 since the <sup>weight</sup> from 1 to 3 is 1 the smallest edge going to 1. From there we'll go from 1 to 4 since the edge between those 2 is the smallest available node going to 1 or 3 (excluding 1 to 3). Next I'll choose 4 to 6 since that's the next smallest edge going to the available nodes (weight of 3). Then I'll go to 2 from 3, ~~weight~~ then 2 to 5.

(1,3) (1,4) (4,6) (3,2) (2,5)

## Kruskal's algorithm



First, we'll put  $(1,3)$  in our list since it is the smallest edge. The next smallest edge is  $(1,4)$ , then  $(4,6)$ , so we'll add those. Initially, you add  $(3,6)$ , but this actually forms a cycle between 1, 3, and 6, so we will ignore this edge. Next we'll add  $(5,2)$  since this has the next smallest weight, ~~then~~ then finally  $(3,2)$ .

$(1,3)$   $(1,4)$   $(4,6)$   $(5,2)$   $(3,2)$