P18.27

CHEM 450 HW9 Hardin Solutions

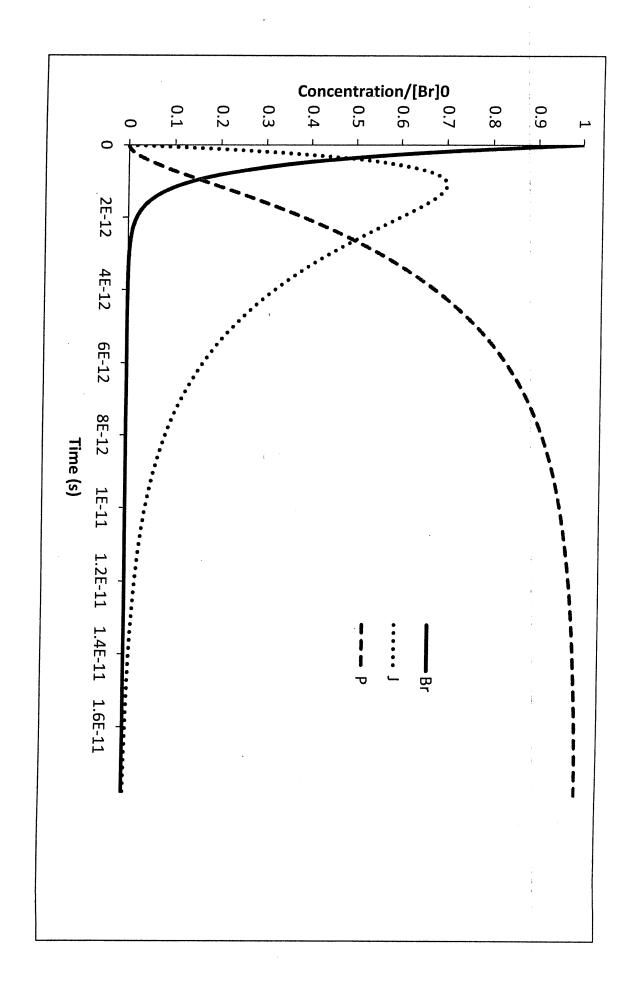
We cannot use rate-limiting step here, as $k_1 \approx k_2$ (good rule of thumb: 2 orders of magnitude) We must use the consentrations derived in class for a sequential reaction: $A \Leftrightarrow Br$, $I \Leftrightarrow J$, and Pe > k. (Br](t) = [Br]_o e - $k_1 t$

$$[J](t) = \frac{k_1}{k_2 - k_1} \left(e^{-k_1 t} - e^{-k_2 t} \right) [Br]_0$$

$$\mathbb{P}_{1}(t) = \left(\frac{k_{1}t - k_{2}t}{k_{2} - k_{1}t} + 1\right) CBr_{1}o$$

Which are plotted ([Br] [J] and [P] on the next page.

for a, we use egn. 35.57 $t_{max} = \frac{1}{k_1 - k_2} ln\left(\frac{k_1}{k_2}\right) = \frac{1}{2.0 \times 10^{\frac{12}{5}-1} - 3.3 \times 10^{\frac{11}{5}-1}} ln\left(\frac{2.0 \times 10^{\frac{12}{5}-1}}{3.3 \times 10^{\frac{11}{5}-1}}\right)$



a) rate =
$$\frac{dN_2}{dt} = \frac{dN_2}{dt} = \frac{1}{2} = \frac{1}{2$$

as a single step as written-implies Hz is second under.

b) now, rate =
$$\frac{d\Omega_2}{dt} = k_2 [H_2][N_20]$$
, but

[N20] is an Hermediate. Use SSA:

$$\frac{d[N_20]}{dt} = k_1[H_2][N0]^2 - k_2[H_2][N_20] = 0$$

$$[N_20] = \frac{k_1}{k_2} [\frac{1}{1} \frac{1}{2}][N0]^2 = \frac{k_1}{R_2} [N0]^2$$

Mlaning
Nate =
$$\frac{d \ln_2 J}{dt} = \frac{1}{4} \left[\frac{1}{2} \ln_2 J \ln_2 J \right]$$
So yes - tuis one

15 consistent with experiment,

c) This time, we have a fast egm: we can use the PE approximation to get W2027, tun SSA to get [N20]

overall:
$$rah = d[N_2] = k$$
, $[H_2][N_20]$
 $PE^{\circ} \frac{k_1}{K_1} = \frac{[N_2 0_2]}{[N07^2]} \Rightarrow [N0] = \frac{k_1}{K_1} [N0]^2$
 $SSA: \frac{d(N_20)}{dt} \approx 0 = k_2 [H_2][N_20_2] - k_3 [H_2][N_20]$

$$[N_20] = \frac{K_L}{K_3} [N_20_2]$$

Hus overall, rate = $(k_3 [4_2])(\frac{k_2}{k_3} [N_2 0_2])$ = $\frac{k_2 k_1}{k_{-1}} [H_2] [N0]^2$

Lessons learned:

- 1) sometimes more than one mechanism Can describe a vate law consistent with experiment,
- 2) Sometimes it is necessary to deal with more than one intermediate. It is ok to use both PE and SSA in the same mechanism.