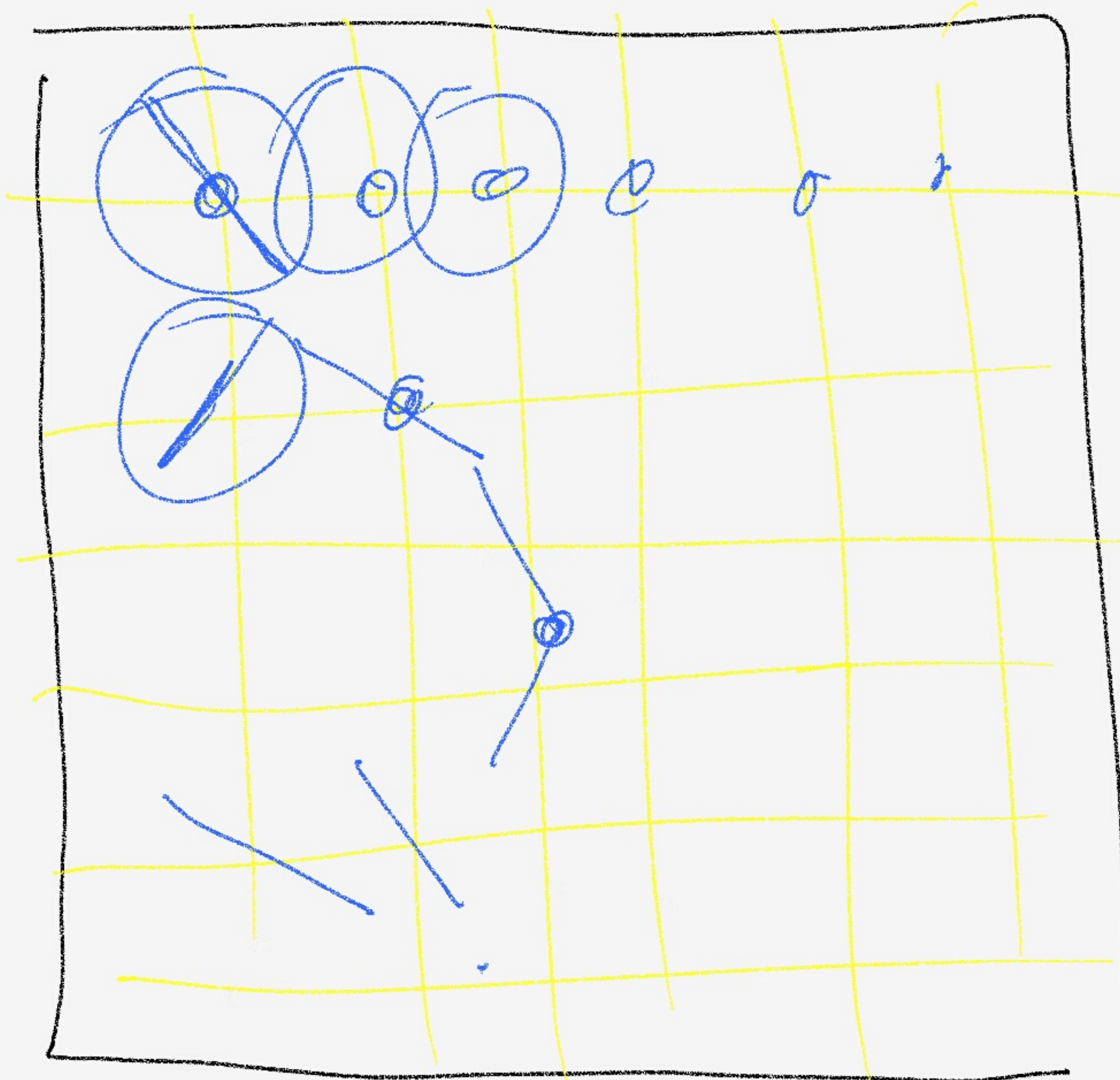


CRISTAL

Elasticité

expo
dynamo

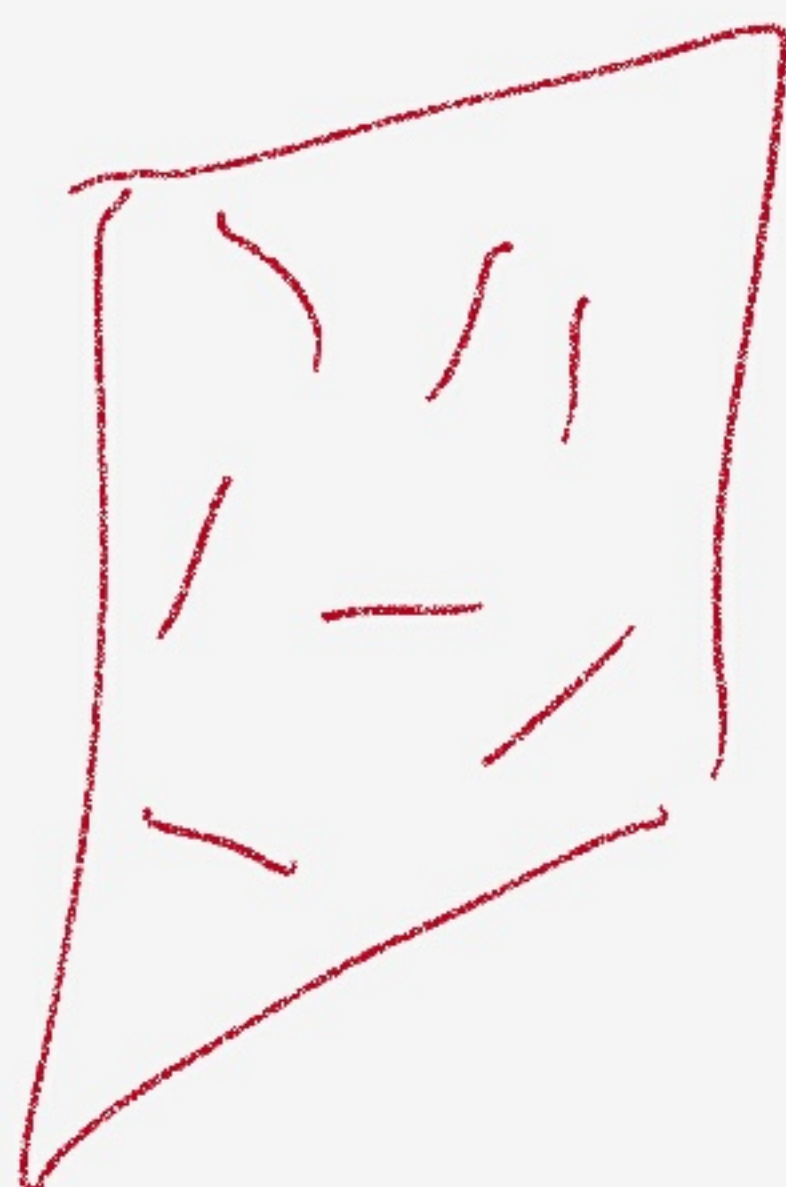


Configurations
d'angles
→ Asso Field

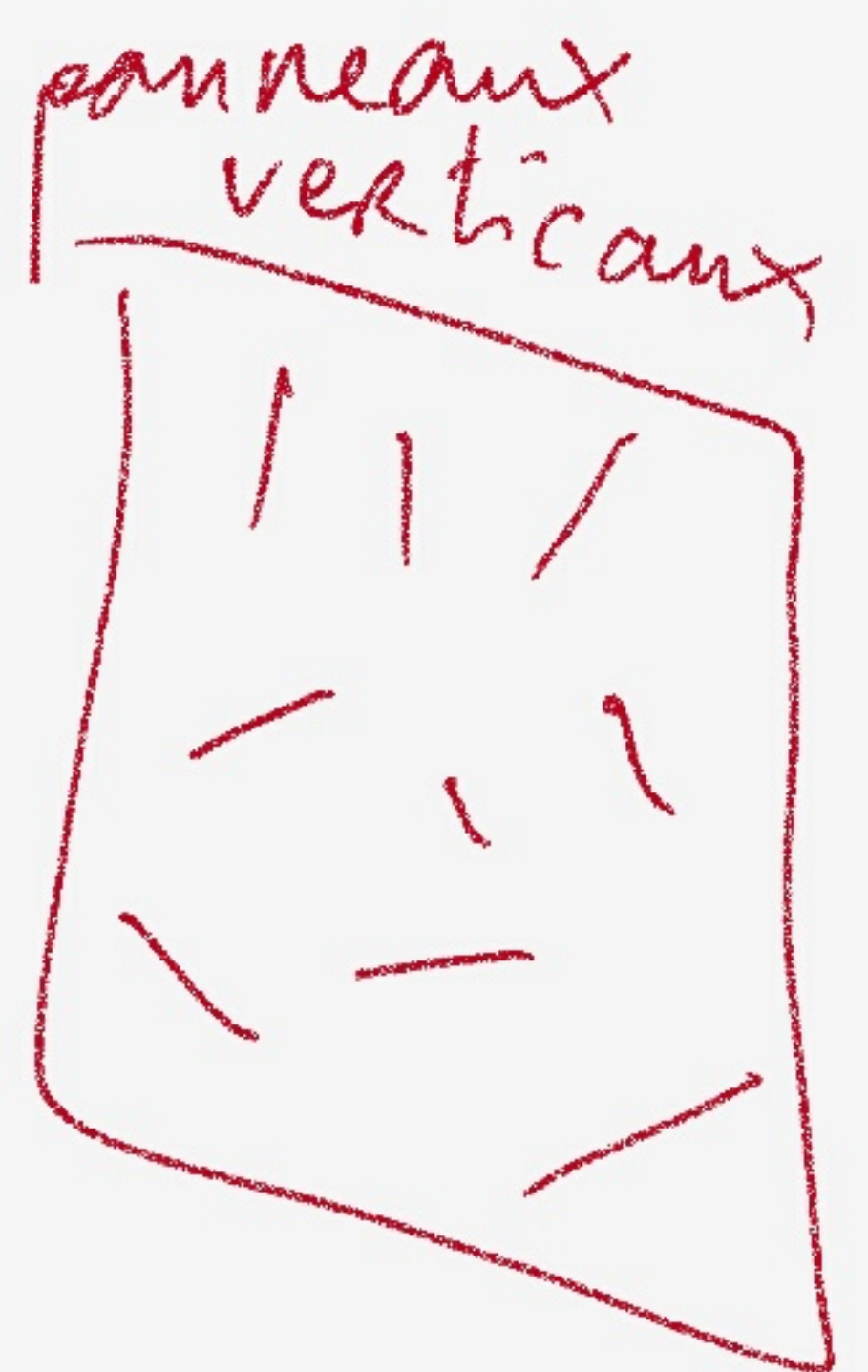
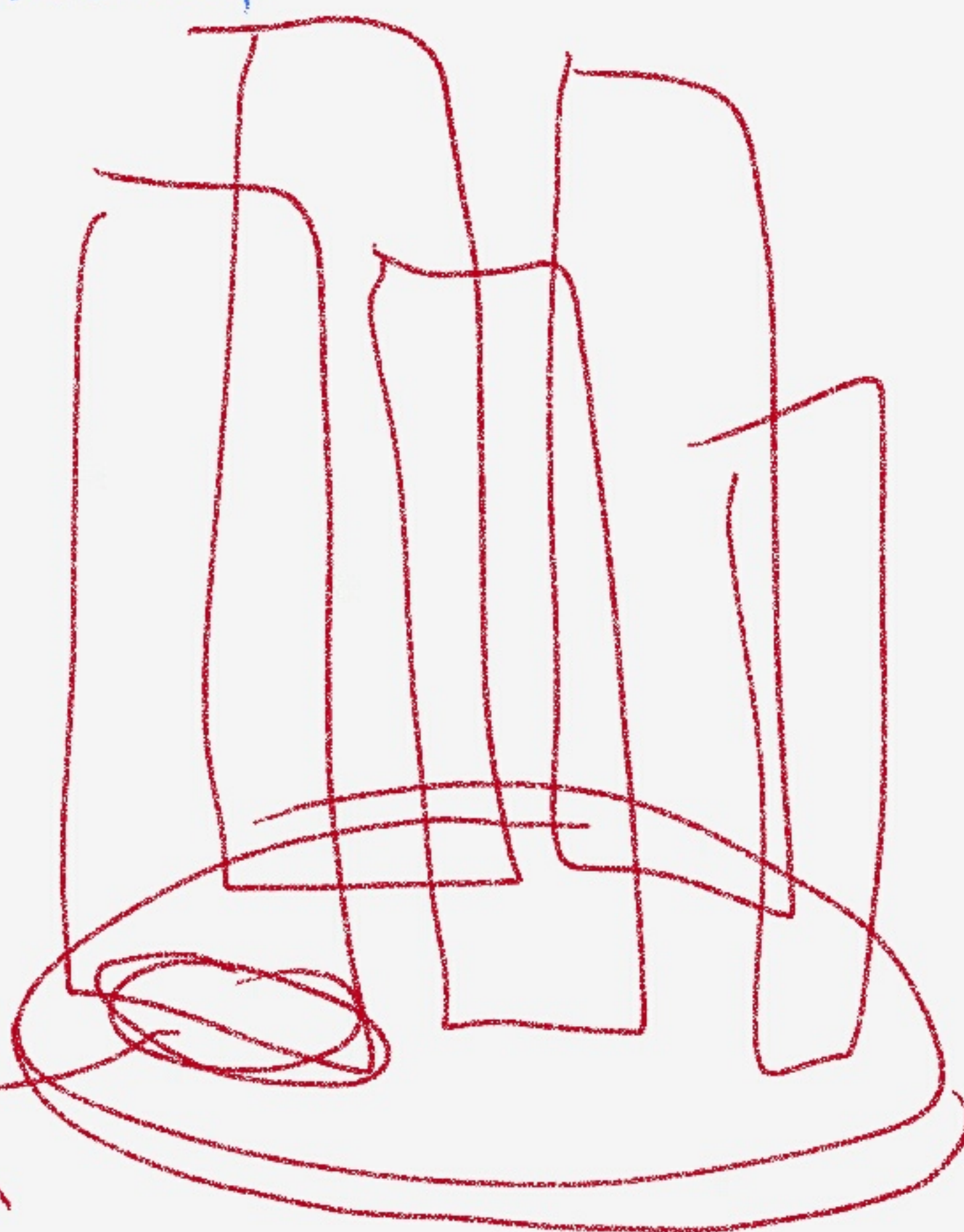
$$p = \int dy$$

- structure permutative
Francisco Sobrino
→ écoulement

1932

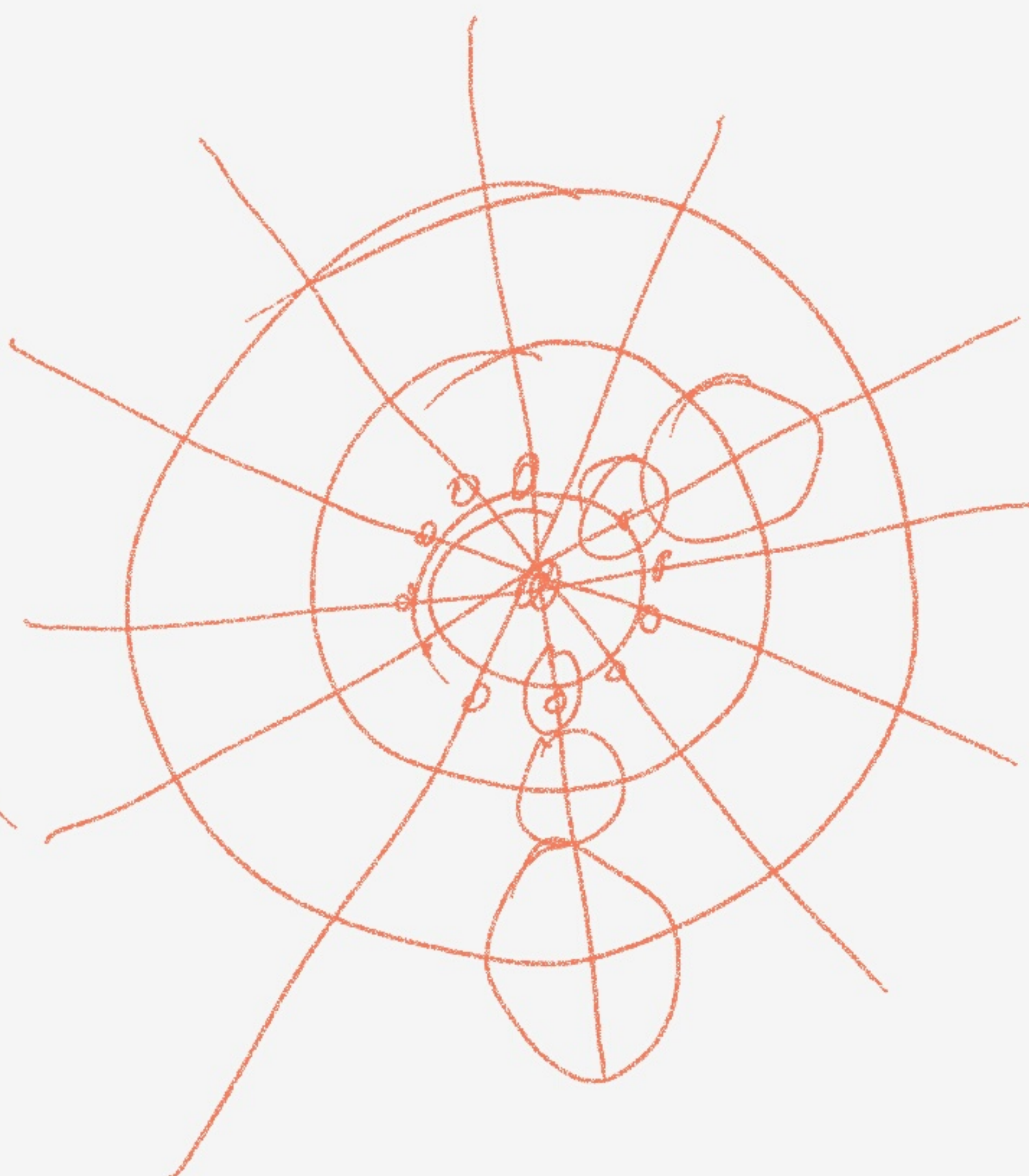
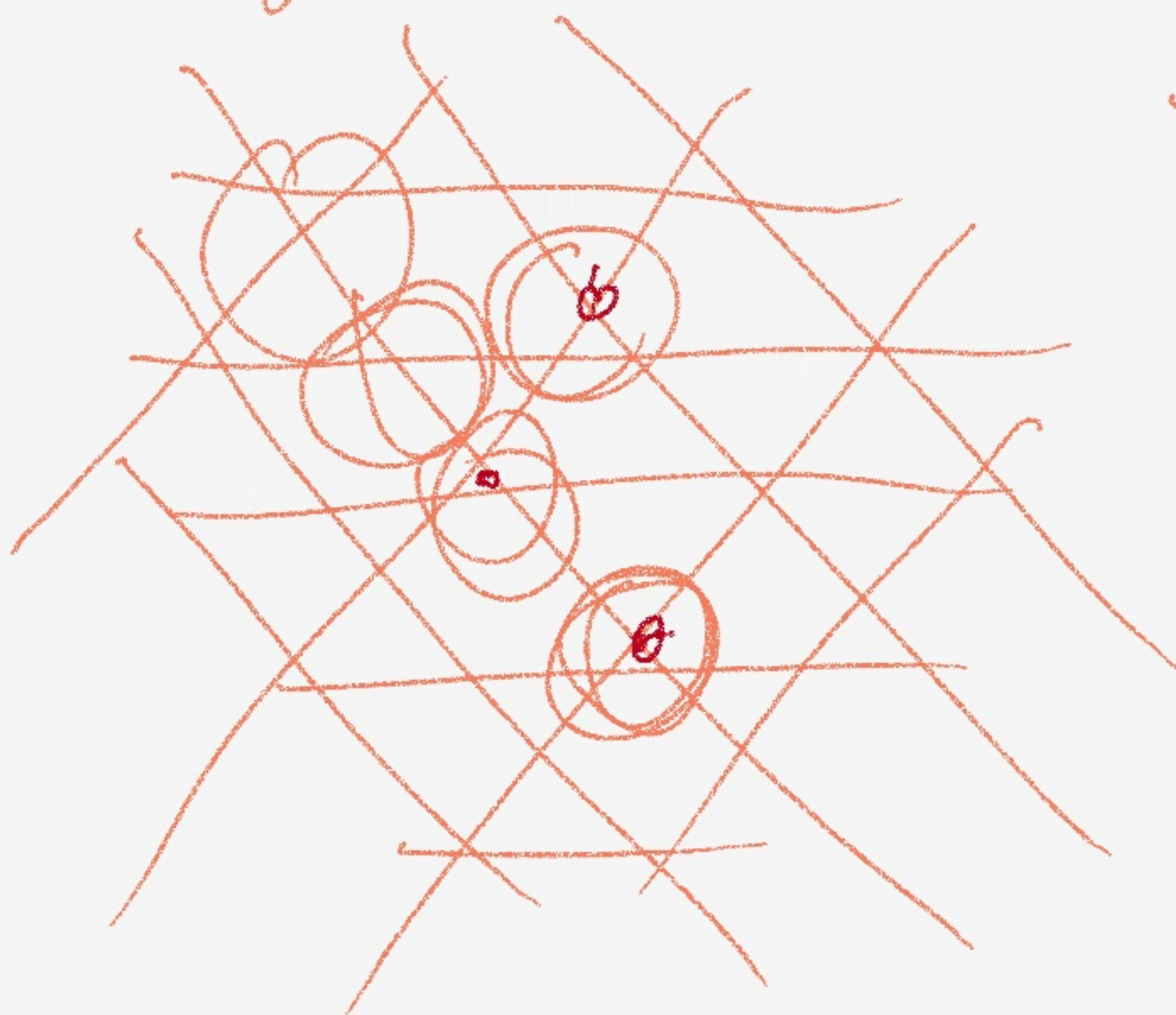


mélange

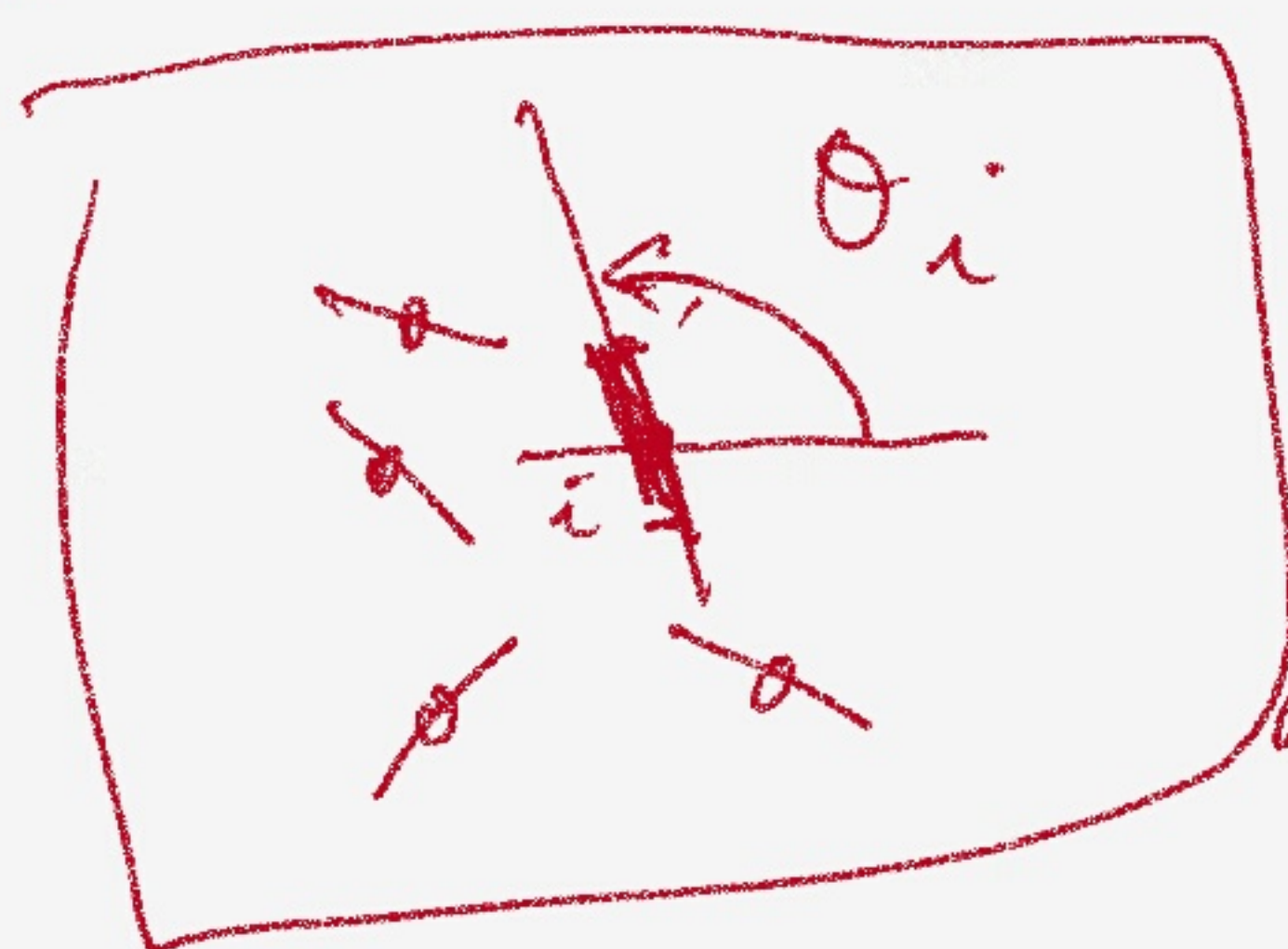


structure
de plaques
verre

Configurations



Création de textures



$$\pi = \{x, y, \theta, \sigma\}$$



algo sur \theta_i

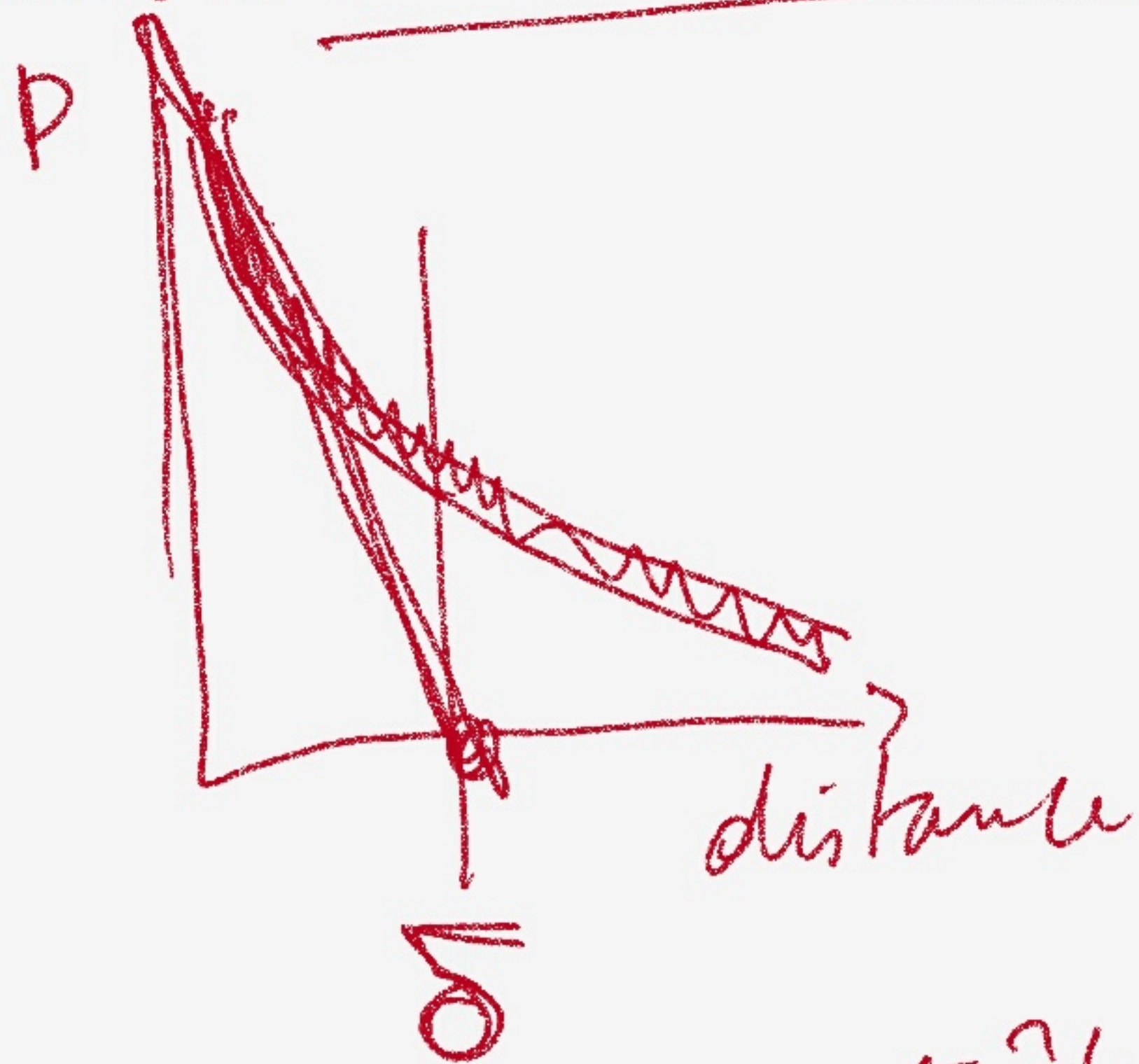


- possibilité de contraindre
sur la position de
l'observateur.

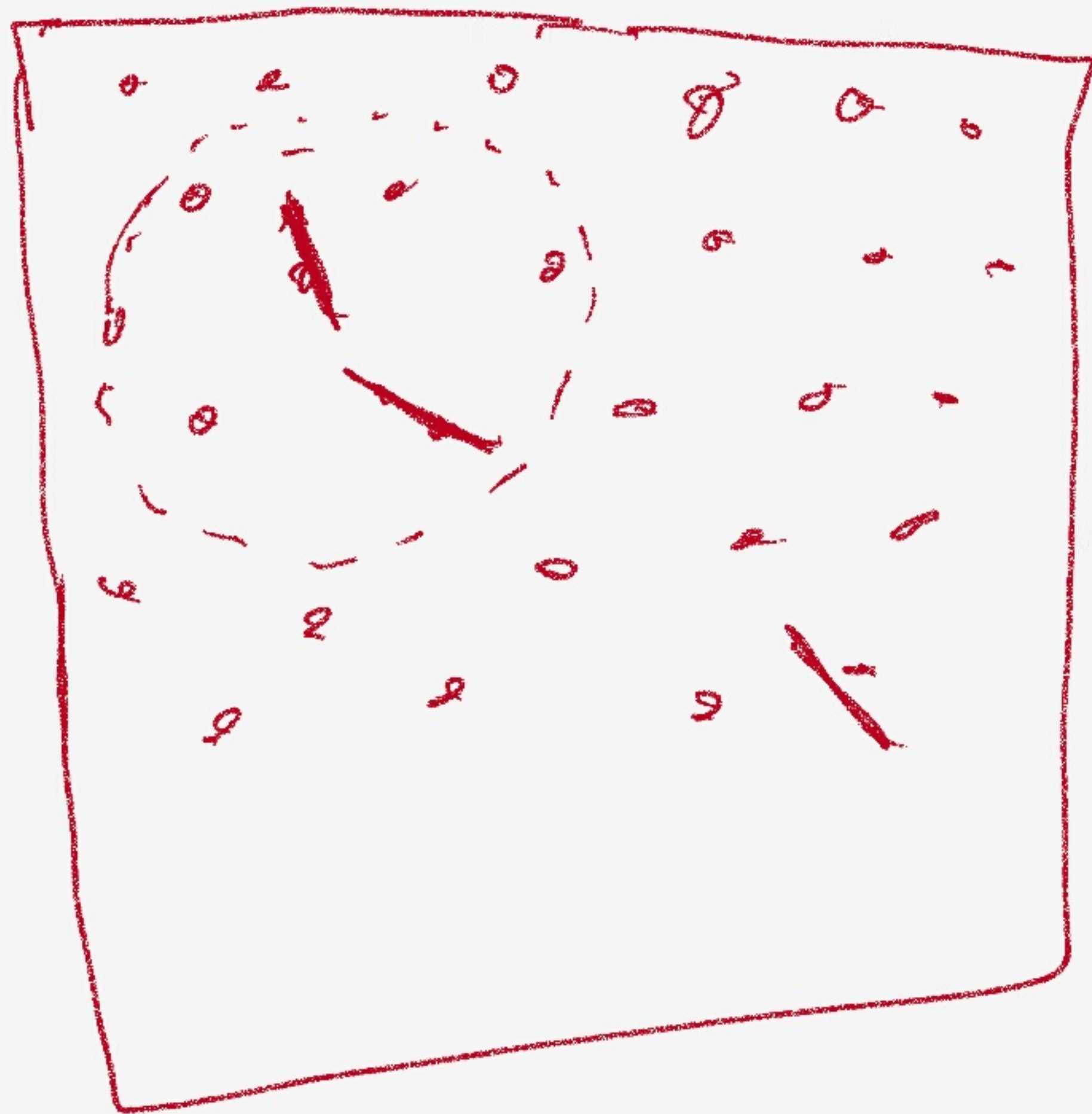
- calcul d'énergie libre?

- Mumford - FRAME
portilla
bibliothèque de textures

distance locale



contrôle de
la vitesse de
propagation



algorithme d'optimisation

on veut obtenir une proba de co-occurrence

$p(\pi_i | \pi_j)$ mesurée sur - une texture
- une base de données
- images naturelles

on mesure $q(\pi_i | \pi_j)$ sachant $\pi_i = \{x_i, y_i, \theta_i\}$
fixés

on définit un coût

$$\mathcal{E}(\pi) = KL(q || p) = \int_{i,j} q(\pi_i | \pi_j) \log \frac{q(\pi_i | \pi_j)}{p(\pi_i | \pi_j)}$$

descente de gradient (variational Bayes?)

Beal 03

$$\frac{\partial \mathcal{E}(\pi)}{\partial \theta_i}$$

$i \in \{1, \dots, 64\}$

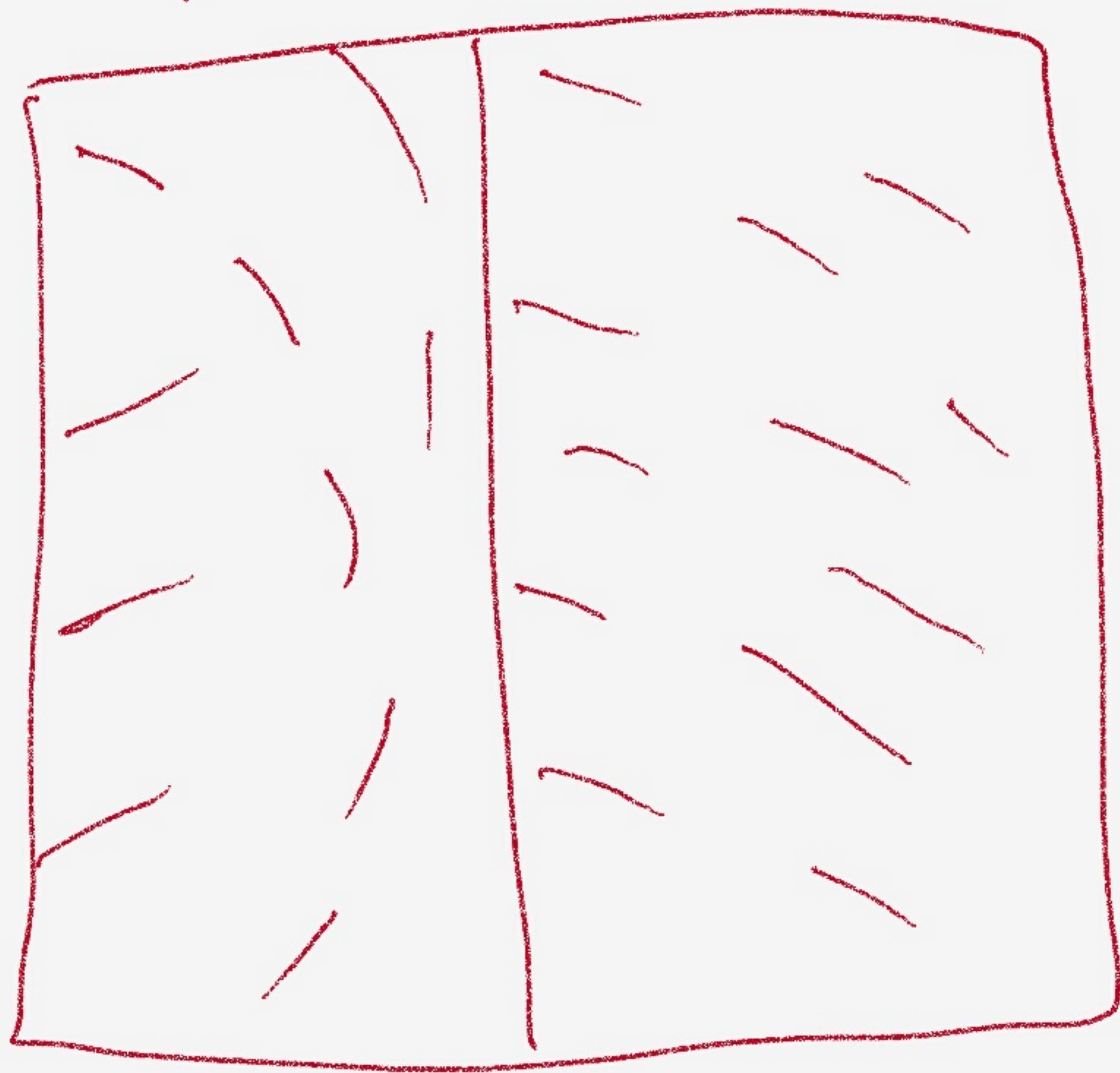
$$\#(i,j) = 64^2 = 4096$$

Mumford

$$q(\pi_i, \pi_j) = \frac{1}{2} \exp \left(- \sum_{ij} \lambda_{ij} (\theta_i - \theta_j)^2 \right)$$

Expectation Maximisation

- imposer des segmentations



textures
à la Julesz

- next

— dossier DROPBOX

— arcadi

— convention CNRS