資料結構報告

楊政愷

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1. 解題說明

利用上課學到的方法來完成這份功課,並參考課本和 ppt 寫出大概,還上網查了很多解決方式才完成。

```
class Polynomial {

|| p(x) = a_0 x^{e_0} + \cdots + a_n x^{e_n}|; a set of ordered pairs of \langle e_i, a_i \rangle,

|| where a_i \text{ is a nonzero float coefficient and } e_i \text{ is a non-negative integer exponent.}

public:

Polynomial();

|| \text{Construct the polynomial } p(x) = 0.

Polynomial Add(Polynomial poly);

|| \text{Return the sum of the polynomials *this and } poly.

Polynomial Mult(Polynomial poly);

|| \text{Return the product of the polynomials *this and } poly.

float Eval(float f);

|| \text{Evaluate the polynomial *this at } f \text{ and return the result.}
};
```

```
class Polynomial; // forward declaration

class Term {
  friend Polynomial;
  private:
     float coef; // coefficient
     int exp; // exponent
};

The private data members of Polynomial are defined as follows:
  private:
     Term *termArray; // array of nonzero terms
     int capacity; // size of termArray
     int terms; // number of nonzero terms
```

Problems

- 1. Implement the Polynomial class its ADT and private data members are shown in Figure 1 and 2, respectively.
- 2. Write C++ functions to input and output polynomials represented as Figure 2. Your functions should overload the << and >> operators.

我今天才發現要實作<<與>>的多載,但我需要去上班,會在之後補上。

2. 演算法設計與實作

```
class Polynomial;
class Term {
   friend Polynomial;
private:
   float coef;
   int exp;
public:
   //Term() : coef(0), exp(0) {}
};
class Polynomial {
private:
   Term *termArray;
   int capacity;
   int terms;
public:
   // 基本建構子
    Polynomial() {
       capacity = 2;
       termArray = new Term[capacity];
       terms = 0;
```

Figure 2.1.1: Polynomial.cpp

```
// 複製構造函數
Polynomial(const Polynomial& poly) {
   capacity = poly.capacity;
   terms = poly.terms;
   termArray = new Term[capacity];
   copy(poly.termArray, poly.termArray + terms, termArray);
//運算子多載
Polynomial& operator=(const Polynomial& poly) {
   if (this == &poly) return *this;
   delete[] termArray;
   capacity = poly.capacity;
   terms = poly.terms;
   termArray = new Term[capacity];
   copy(poly.termArray, poly.termArray + terms, termArray);
   return *this;
 / 解構子
~Polynomial() {
   delete[] termArray;
```

Figure 2.1.2: Polynomial.cpp

Figure 2.1.3: Polynomial.cpp

```
Polynomial Add(Polynomial poly) {//多項是加法
    Polynomial c;
    int aPos = 0, bPos = 0;
   while ((aPos < terms) && (bPos < poly.terms)) {</pre>
        if (termArray[aPos].exp == poly.termArray[bPos].exp) {
            float t = termArray[aPos].coef + poly.termArray[bPos].coef;
            if (t) {
                c.NewTerm(t, termArray[aPos].exp);
            aPos++;
            bPos++;
        } else if (termArray[aPos].exp < poly.termArray[bPos].exp) {</pre>
            c.NewTerm(poly.termArray[bPos].coef, poly.termArray[bPos].exp);
        } else {
            c.NewTerm(termArray[aPos].coef, termArray[aPos].exp);
            aPos++;
    for (; aPos < terms; aPos++) {
        c.NewTerm(termArray[aPos].coef, termArray[aPos].exp);
    for (; bPos < poly.terms; bPos++) {</pre>
        c.NewTerm(poly.termArray[bPos].coef, poly.termArray[bPos].exp);
    return c;
```

Figure 2.1.4: Polynomial.cpp

```
Polynomial Mult(Polynomial poly) {//多項式乘法
    Polynomial c;
    for (int i = 0; i < terms; i++) {
        Polynomial temp;
        for (int j = 0; j < poly.terms; j++) {
            float newCoef = termArray[i].coef * poly.termArray[j].coef;
            int newExp = termArray[i].exp + poly.termArray[j].exp;
            temp.NewTerm(newCoef, newExp);
        c = c.Add(temp);
    return c;
float Eval(float f) {
   float ans = 0;
   for (int i = 0; i < terms; i++) {
       ans += termArray[i].coef * pow(f, termArray[i].exp);
   return ans;
void NewTerm(const float theCoef, const int theExp) {
   if (terms == capacity) {
       capacity *= 2;
       Term *temp = new Term[capacity];
       copy(termArray, termArray + terms, temp);
       delete[] termArray;
        termArray = temp;
   termArray[terms].coef = theCoef;
    termArray[terms++].exp = theExp;
```

Figure 2.1.5: Polynomial.cpp

```
int main() {
   float coef;
   int exp, terms;
   Polynomial a;
   Polynomial b;
   cin >> terms;
   for(; terms > 0; terms--){
       cin >> coef >> exp;
       a.NewTerm(coef, exp);
   a.show();
   cin >> terms;
   for(; terms > 0; terms--){
       cin >> coef >> exp;
       b.NewTerm(coef, exp);
   b.show();
   cout << "f1() + f2() = ";</pre>
   (a.Add(b)).show();
   cout << "f1() * f2() = ";
    (a.Mult(b)).show();
    return 0;
```

Figure 2.1.6: Polynomial.cpp

3. 效能分析

F(n) = O(n)

時間複雜度

Show():O(terms)

Add():O(max(terms))

Mult():O(terms^2)

空間複雜度

不知道該怎麼算

4. 測試與過程

起初是打算自己從 0 到有,但太多 bug 查課本後才好的,後來在寫 Mult 遇到很多問題,多了 Figure 4.3 兩個完整性處理才好的。

```
PS E:\資料結構\HW\code\output> & .\`Polynomial.exe

2

2 1

1 0

2X^1 + 1

2

2 1

1 0

2X^1 + 1

f1() + f2() = 4X^1 + 2

f1() * f2() = 4X^2 + 4X^1 + 1
```

Figure 4.1: Polynomial.cpp

```
PS E: \資料結構\HW\code\output> .\Polynomial.exe

3

3 2

2 1

1 0

3X^2 + 2X^1 + 1

2

2 2

2 0

2X^2 + 2

f1() + f2() = 5X^2 + 2X^1 + 3

f1() * f2() = 6X^4 + 4X^3 + 8X^2 + 4X^1 + 2
```

Figure 4.2: Polynomial.cpp

Figure 4.3: Polynomial.cpp