

UNIT-2 DBT : Important formulas & conditions

•> Sort Scan :

if clustered: $B(R)$
else: $T(R)$

$V(R, a) \rightarrow$ Value set of
Relation R for attr a .

•> " for π & σ in one pass algorithm.

•> δ & γ 1-pass
dup group

$B(R) \leq (M-1)$
Disk I/O = B

If $B(R) > M$ high cost to
Exhaustive.

for MAX, MIN, AVG : I/O same but now req, lesser.

•> 1-pass $R \cup S$ & $R \cap S$

$\min(B(S), B(R)) \leq M-1$
I/O : $B(R) + B(S)$

for Intersection it is
must for larger Rel to
be Swapped in M^{th} block
for exhaustive Search.

•> Same as above for
 $R \times S$ & $R \setminus S$ & $R - S$

•> Nested Loop Join:

Using smaller Rel on outer better

$\frac{B(S)}{(M-1)}$ # of iter of outer loop & $B(R)$ of
inner loop.

In each iter $M-1$ of S & $B(R)$ of R are read.

$I/O = \left\{ (M-1) \times B(R) \right\} \times \frac{B(S)}{(M-1)}$

•> 2 phase Multi way merge sort.

$B(R)$ should not be greater than $(M-1)$ Sublist of
each size $M \Rightarrow \frac{B(R)}{M} \leq M \Rightarrow B(R) \leq M^2$
I/O : $3B(R)$ $\Rightarrow \sqrt{B(R)} \leq M$.

•> Pop elim 2 phase:

I/O: $3B(R)$ Same as above.
Mem: $M \geq \sqrt{B(R)}$

•> U 2 phase: first have to sort sublist of R & S
load 1 block from each sublist & keeping
smallest & keep cycling thru:

I/O: $3 * (B(S) + B(R))$

Mem: $B(R) + B(S) \leq M^2$

•> 2 phase N, - Same as above

•> Sort based join 2 Hpps

first fully sort R & S

use 2 buffers to find least match & write joins.

I/O: $5(B(R) + B(S))$

Mem: $\max(B(R), B(S)) \leq M^2$

•> Sort - merge - join

Only have to create sorted sublist & join on
merge, leading to:

I/O: $3(B(R) + B(S))$ But

Mem: $(B(R) + B(S)) \leq M^2$

→ Hashing to $M-1$ blocks on disk adv:

$2 B(R)$

⇒ Dup elim I/O = $3B(R)$

Same for grp agg

→ U, \cap , -

Hash R & S using Same, all related tuples in same bucket:

Cost = $3 * (B(R) + B(S))$

Mem: $\min(B(R), B(S)) \leq M^2$

→ Hash base join same as above

→ Hybrid hash join

Mem: $\frac{m * B(S)}{k} + (k - m) \leq M$

I/O Saving = $2 \text{ per } M$

$k \approx \frac{B(S)}{M}$

$= 2 \left(\frac{M}{k} \right) (B(R) + B(S))$

$\epsilon, m=1$

$= 2 \left(\frac{M}{B(S)} \right) (B(R) + B(S))$

3-Saving

→ Index based Selection

I/O: $B(R) / U(R, a)$ if clustered else:
 $T(R) / \quad "$

•) Join

$$\text{IO: } T(R) * \frac{T(S)}{V(S, y)} \quad \text{or} \quad T(R) * \frac{B(S)}{V(S, y)}$$

•) Sorted index Join.

for Sort 2 $B(R)$ for Sort on already
sorted B-tree index - $B(R) + B(S)$