# Prediction of price for second hand cars using Regression

#### **Imports**

```
Im [1]: import tensorflow as tf
import pandas as pd
import matplotlib
from matplotlib import pyplot as plt
from tensorflow.keras.layers import Normalization, Dense, InputLayer
from tensorflow.keras.losses import MeanAbsoluteError, MeanSquaredError, Huber
from tensorflow.keras.optimizers import Adam
from tensorflow.keras.metrics import RootMeanSquaredError, Accuracy
import numpy as np
```

### Read Data

```
In [2]: data = pd.read_csv("SecondHandCarDataSet.csv")
    data.head()
```

Out[2]:		v.id	on road old	on road now	years	km	rating	condition	economy	top speed	hp	torque	current price
	0	1	535651	798186	3	78945	1	2	14	177	73	123	351318.0
	1	2	591911	861056	6	117220	5	9	9	148	74	95	285001.5
	2	3	686990	770762	2	132538	2	8	15	181	53	97	215386.0
	3	4	573999	722381	4	101065	4	3	11	197	54	116	244295.5
	4	5	691388	811335	6	61559	3	9	12	160	53	105	531114.5

#### **Data Processing**

```
In [3]: tensor_data = tf.constant(data)
  tensor_data = tf.random.shuffle(tensor_data)
```

```
In [4]: X = tensor_data[:, 3:-1]
Y = tensor_data[:,-1]
Y = tf.expand_dims(Y,axis=-1)
```

## Splitting the data into training, testing and validation data

```
In [5]: TRAIN_RATIO = 0.8
TEST_RATIO = 0.1
VALIDATION_RATIO = 0.1
DATASET_SIZE = len(data)
```

```
In [6]: #Training Data
x_train=X[:int(DATASET_SIZE*TRAIN_RATIO)]
y_train=Y[:int(DATASET_SIZE*TRAIN_RATIO)]

#Testing Data
x_test = X[int(DATASET_SIZE*TRAIN_RATIO):int(DATASET_SIZE*(TRAIN_RATIO+TEST_RATIO))]
y_test = Y[int(DATASET_SIZE*TRAIN_RATIO):int(DATASET_SIZE*(TRAIN_RATIO+TEST_RATIO))]

#Validation Data
x_validate = X[int(DATASET_SIZE*(TRAIN_RATIO+TEST_RATIO)):]
y_validate = Y[int(DATASET_SIZE*(TRAIN_RATIO+TEST_RATIO)):]
```

# Normalize the data

```
In [7]: normalizer = Normalization()
normalizer.adapt(x_train)
```

### Creating a model

#### Model: "sequential"

Layer (type)	Output Shape	Param #
normalization (Normalization)	(None, 8)	17
dense (Dense)	(None, 128)	1,152
dense_1 (Dense)	(None, 128)	16,512
dense_2 (Dense)	(None, 128)	16,512
dense_3 (Dense)	(None, 1)	129

Total params: 34,322 (134.07 KB)
Trainable params: 34,305 (134.00 KB)
Non-trainable params: 17 (72.00 B)

### Compiling and fitting the model

```
In [9]: model.compile(
    optimizer= Adam(learning_rate=0.1),
    loss = MeanAbsoluteError(),
    metrics= [RootMeanSquaredError()]
)
```

In [10]: history = model.fit(x\_train,y\_train,validation\_data=(x\_validate,y\_validate),epochs=100,verbose=1)

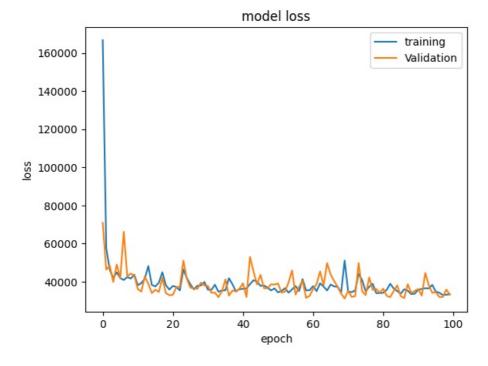
Epoch 1/100

```
1/25 -
                       — 13s 571ms/step - loss: 322586.2188 - root mean squared error: 338913.2188
                       — 0s 13ms/step - loss: 332477.3125 - root mean squared error: 351293.2188
                       — 0s 11ms/step - loss: 311415.8438 - root mean squared error: 333668.0000
                  ——— 0s 11ms/step - loss: 285040.1562 - root mean squared error: 312035.6875
                       — 0s 11ms/step - loss: 258718.4375 - root_mean_squared_error: 289946.8125
                        - 1s 16ms/step - loss: 241827.3125 - root_mean_squared_error: 275261.2500 - val_loss: 7
0898.0781 - val_root_mean_squared_error: 95216.2422
Epoch 2/100
1/25
                       — 0s 17ms/step - loss: 69136.1406 - root mean squared error: 91435.4141
                       — 0s 10ms/step - loss: 65426.3516 - root mean squared error: 81465.0156
12/25 -
                        - 0s 10ms/step - loss: 64000.1562 - root mean squared error: 79450.9531
                        — 0s 10ms/step - loss: 62415.8789 - root mean squared error: 77701.7031
                     —— 0s 10ms/step - loss: 61238.1055 - root mean squared error: 76329.9922
                       — 0s 11ms/step - loss: 60952.6602 - root mean squared error: 75977.7266 - val loss: 463
36.7539 - val_root_mean_squared_error: 60648.1914
Epoch 3/100
1/25 -
                       — 0s 16ms/step - loss: 42258.9141 - root mean squared error: 57050.6680
7/25 -
                       — 0s 10ms/step - loss: 44746.5781 - root mean squared error: 57257.1680
12/25 -
                     — 0s 10ms/step - loss: 43718.4414 - root mean squared error: 55362.1602
18/25 -
24/25 -
                       ─ 0s 10ms/step - loss: 43931.5664 - root mean squared error: 55491.7383
                        – 0s 11ms/step - loss: 44116.7031 - root mean squared error: 55672.7656 - val loss: 484
08.5547 - val_root_mean_squared_error: 57142.0938
```

```
Epoch 99/100
                         — 0s 16ms/step - loss: 31547.9238 - root_mean_squared_error: 38936.7734
1/25
                         - 0s 9ms/step - loss: 33135.2227 - root mean squared error: 41485.8242
7/25 -
13/25 -
                         - 0s 9ms/step - loss: 33699.7148 - root_mean_squared_error: 41985.9961
                          - 0s 9ms/step - loss: 33503.9453 - root_mean_squared_error: 41787.1055
19/25 -
25/25 -
                         - 0s 9ms/step - loss: 33387.6680 - root mean squared error: 41634.7070
25/25 -
                    ——— 0s 10ms/step - loss: 33381.7930 - root mean squared error: 41622.4492 - val loss: 358
87.7031 - val_root_mean_squared_error: 47676.9141
Epoch 100/100
1/25 -
                          - 0s 16ms/step - loss: 36376.9141 - root mean squared error: 44244.2969
7/25 -
                         - 0s 10ms/step - loss: 35325.3398 - root mean squared error: 42602.6133
                         — 0s 10ms/step - loss: 34735.6406 - root mean squared error: 42111.9258
13/25 -
19/25 -
                         - 0s 10ms/step - loss: 34448.3906 - root_mean_squared_error: 41937.6445
25/25 -
                         - 0s 10ms/step - loss: 34249.0117 - root mean squared error: 41892.3320
                         - 0s 10ms/step - loss: 34215.7188 - root_mean_squared_error: 41880.6367 - val_loss: 333
25/25 •
21.3203 - val_root_mean_squared_error: 45155.1914
```

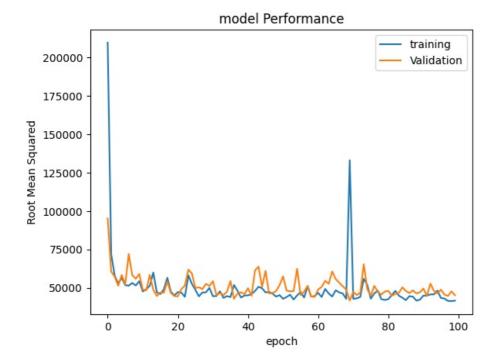
## Visualiztion of loss values during training and validation

```
In [11]: plt.plot(history.history['loss'])
    plt.plot(history.history['val_loss'])
    plt.title('model loss')
    plt.xlabel('epoch')
    plt.ylabel('loss')
    plt.legend(['training','Validation'])
    plt.show()
```



## Visualiztion of RMS during training and validation

```
In [12]: plt.plot(history.history['root_mean_squared_error'])
    plt.plot(history.history['val_root_mean_squared_error'])
    plt.title('model Performance')
    plt.ylabel('Root Mean Squared')
    plt.xlabel('epoch')
    plt.legend(['training','Validation'])
    plt.show()
```

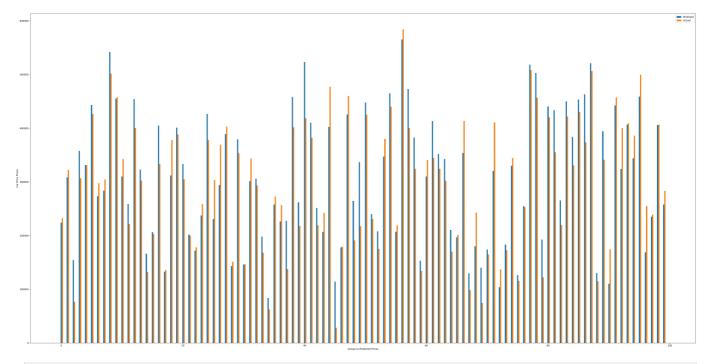


## Evaluation and prediction

```
In [13]:
         model.evaluate(x test,y test)
        1/4 -
                     • Os 10ms/step - loss: 29214.6953 - root_mean_squared_error: 37767.1289
        4/4 -
                           —— 0s 3ms/step - loss: 34239.4102 - root_mean_squared_error: 43914.4258
Out[13]: [34738.046875, 45548.31640625]
In [14]: model.predict(tf.expand dims(x test[0], axis = 0 ))
                         0s 49ms/step
                    0s 49ms/step
Out[14]: array([[223938.44]], dtype=float32)
In [15]: y_test[0]
Out[15]: <tf.Tensor: shape=(1,), dtype=float64, numpy=array([232192.])>
In [16]: y_true = list(y_test[:,0] .numpy())
In [17]: y_pred = list(model. predict(x_test) [:,0])
        1/4 -
                         Os 36ms/step
                         0s 6ms/step
        4/4 -
```

### Visualization of actual values vs predicted values

```
ind = np.arange (100)
plt. figure(figsize=(40,20))
width = 0.2
plt.bar(ind, y_pred, width, label='Predicted Car Price')
plt.bar(ind + width, y_true, width, label='Actual Car Price')
plt.xlabel('Actual vs Predicted Prices')
plt.ylabel( 'Car Price Prices')
plt.legend(['Pridicted','Actual'])
plt.tight_layout()
plt.show()
```



Tn [ 1: