# Using R with Single Variables

## Working with Diamonds Dataset

Loading the diamonds data set.

I noticed that the diamonds data set will be listed as a 'Promise' in the workspace. This is a special object in R, and I need to run a command on the data to fully load the data set. I need to run summary in order to get the data appear in the environments.

```
#must load the ggplot package first
library(ggplot2)

#loads the diamonds data set since it comes with the ggplot package
data(diamonds)

summary(diamonds)
```

```
##
        carat
                              cut
                                          color
                                                        clarity
##
           :0.2000
                                : 1610
    Min.
                      Fair
                                          D: 6775
                                                     SI1
                                                             :13065
    1st Qu.:0.4000
                      Good
                                : 4906
                                          E: 9797
                                                     VS2
                                                             :12258
##
   Median :0.7000
                      Very Good:12082
                                          F: 9542
                                                     SI2
                                                             : 9194
##
    Mean
            :0.7979
                      Premium
                               :13791
                                          G:11292
                                                     VS1
                                                             : 8171
##
    3rd Qu.:1.0400
                      Ideal
                                :21551
                                          H: 8304
                                                     VVS2
                                                             : 5066
##
                                          I: 5422
                                                     VVS1
                                                             : 3655
    Max.
           :5.0100
##
                                          J: 2808
                                                     (Other): 2531
##
        depth
                          table
                                           price
##
                                                                : 0.000
    \mathtt{Min}.
            :43.00
                     Min.
                             :43.00
                                      Min.
                                              :
                                                 326
                                                        Min.
    1st Qu.:61.00
                     1st Qu.:56.00
                                       1st Qu.:
                                                 950
                                                        1st Qu.: 4.710
##
    Median :61.80
                     Median :57.00
                                      Median: 2401
                                                        Median : 5.700
##
    Mean
           :61.75
                     Mean
                             :57.46
                                      Mean
                                             : 3933
                                                        Mean
                                                                : 5.731
##
    3rd Qu.:62.50
                     3rd Qu.:59.00
                                       3rd Qu.: 5324
                                                        3rd Qu.: 6.540
##
    Max.
            :79.00
                             :95.00
                                              :18823
                                                                :10.740
                     Max.
                                      Max.
                                                        Max.
##
##
                             z
##
    Min.
           : 0.000
                      Min.
                              : 0.000
                      1st Qu.: 2.910
    1st Qu.: 4.720
##
##
    Median : 5.710
                      Median : 3.530
##
    Mean
           : 5.735
                      Mean
                              : 3.539
    3rd Qu.: 6.540
                      3rd Qu.: 4.040
##
            :58.900
    Max.
                      Max.
                              :31.800
##
```

There are 53940 observations and 10 variables in the dataset. There are 3 ordered factors in the dataset: cut, color, clarity

```
str(diamonds)
```

```
## Classes 'tbl_df', 'tbl' and 'data.frame': 53940 obs. of 10 variables:
## $ carat : num 0.23 0.21 0.23 0.29 0.31 0.24 0.24 0.26 0.22 0.23 ...
## $ cut : Ord.factor w/ 5 levels "Fair"<"Good"<..: 5 4 2 4 2 3 3 3 1 3 ...
## $ color : Ord.factor w/ 7 levels "D"<"E"<"F"<"G"<..: 2 2 2 6 7 7 6 5 2 5 ...
## $ clarity: Ord.factor w/ 8 levels "I1"<"SI2"<"SI1"<..: 2 3 5 4 2 6 7 3 4 5 ...
## $ depth : num 61.5 59.8 56.9 62.4 63.3 62.8 62.3 61.9 65.1 59.4 ...
## $ table : num 55 61 65 58 58 57 57 55 61 61 ...
## $ price : int 326 326 327 334 335 336 336 337 337 338 ...</pre>
```

```
## $ x : num 3.95 3.89 4.05 4.2 4.34 3.94 3.95 4.07 3.87 4 ...
## $ y : num 3.98 3.84 4.07 4.23 4.35 3.96 3.98 4.11 3.78 4.05 ...
## $ z : num 2.43 2.31 2.31 2.63 2.75 2.48 2.47 2.53 2.49 2.39 ...
levels(diamonds$color)
## [1] "D" "E" "F" "G" "H" "I" "J"
```

```
## [1] D L 1 G II 1 3
```

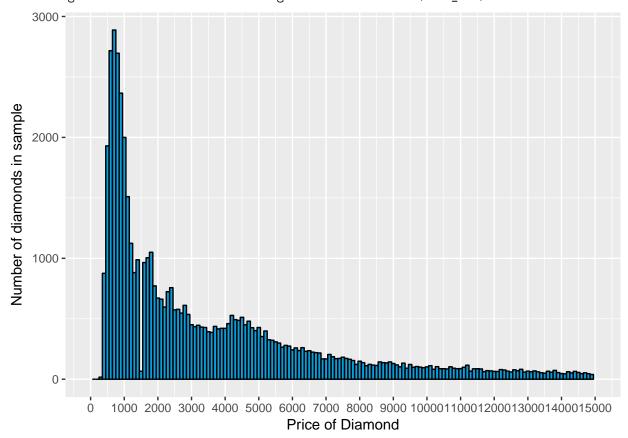
According to the documents, level 'D' is the best level for the diamonds.

### Price Histogram

Getting a histogram of the price shows a long-tailed distribution.

## Scale for 'x' is already present. Adding another scale for 'x', which ## will replace the existing scale.

## Warning: Removed 1655 rows containing non-finite values (stat\_bin).



The shape of the price distribution is long-tailed. This means a large portion of the distribution is far from the 'head' or center of the distribution.

Running summary on price, we'll see:

#### summary(diamonds\$price)

```
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 326 950 2401 3933 5324 18820
```

Now, I want to get more statistics on the price of the diamonds. I answer questions like:

How many diamond cost less than \$500? To answer this question, first I get a summary of the price for those under \$500. After executing the below command, the summary looks logical and gives true and false statements. True for those numbers below \$500 and False for those above \$500.

```
summary(diamonds$price < 500)</pre>
```

```
## Mode FALSE TRUE NA's
## logical 52211 1729 0
```

To make the above logical statement look nicer, I create a new variable called 'less\_than\_500' and assign it to 'NA'. Then I create a conditional statement: If the price is under \$500, return 1; else return 0.

```
less_than_500 <- NA
diamonds$less_than_500 <- ifelse(diamonds$price < 500, 1, 0)
diamonds$less_than_500 <- factor(diamonds$less_than_500)
summary(diamonds$less_than_500)</pre>
```

```
## 0 1
## 52211 1729
```

Next question, how many diamonds cost less than \$250? The same approach for the previous question will be applied here.

```
less_than_250 <- NA
diamonds$less_than_250 <- ifelse(diamonds$price < 250, 1, 0)
diamonds$less_than_250 <- factor(diamonds$less_than_250)
summary(diamonds$less_than_250)</pre>
```

```
## 0
## 53940
```

The above calculations show that the conditional statement returns only those that do NOT cost less \$250 dollars. This means there are no diamonds that cost less than \$250.

Nest question, how many diamonds cost \$15000 or more? Let's apply the same approach in the 2 previous questions to this question as well.

```
more_than_15000 <- NA
diamonds$more_than_15000 <- ifelse(diamonds$price >= 15000, 1, 0)
diamonds$more_than_15000 <- factor(diamonds$more_than_15000)
summary(diamonds$more_than_15000)</pre>
```

```
## 0 1
## 52284 1656
```

There are 1656 diamonds that cost \$15000 or more.

#### Cheaper Diamonds

Now, I want to explore the largest peak on the histogram I created earlier. I will use different binwidth, and limit the x-axis to observe the largest peak better.

According to my previous histogram, it's safe to say that the peak occurred somewhere between 0-2000. I decided to set limits and breaks to get a closer look on the peak. I first started to set the limit(0,2000), and limit breaks = seq(0,2000,100), which gave me a much clear view that I can easily ignore anything under \$300.

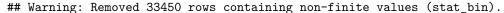
Also, I could see there were no diamonds that cost \$15000.

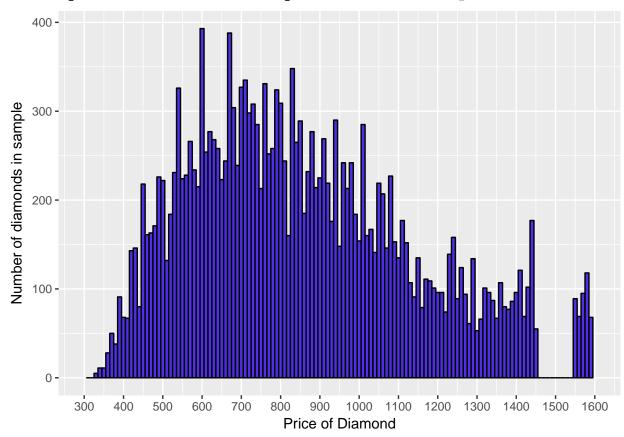
I decided to set my final limit between \$300-1600.

```
\#\# Scale for 'x' is already present. Adding another scale for 'x', which \#\# will replace the existing scale.
```

## Saving  $6.5 \times 4.5$  in image

## Warning: Removed 33450 rows containing non-finite values (stat\_bin).





From this histogram, we can see the main peaks are between \$600-900.

### Price by Cut Histograms

I want to break the histogram of diamonds prices by their cut. Let's have a look at the cut summary.

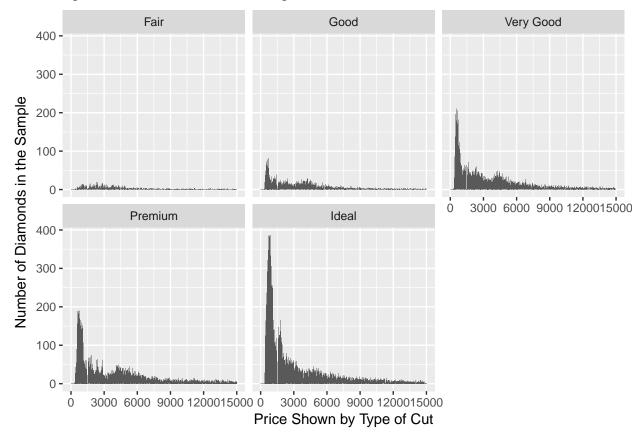
summary(diamonds\$cut)

```
## Fair Good Very Good Premium Ideal
## 1610 4906 12082 13791 21551
```

There are 5 categories of cut: Fair, Good, Very Good, Premium, and Ideal.

```
qplot(data = diamonds, x = price, binwidth = 25) +
   xlab('Price Shown by Type of Cut') +
   ylab('Number of Diamonds in the Sample') +
   scale_x_continuous(limits = c(0, 15000), breaks = seq(0, 15000, 3000)) +
   facet_wrap(~cut)
```

## Warning: Removed 1655 rows containing non-finite values (stat\_bin).



Diving the prices based on the diamond cut, shows that the distribution looks similar in Ideal, Very Good and Premium categories; all long-tailed with a price peak. In the Good category, it is also long-tailed but the peak is not as much as in the first 3. In the Fair category the distribution looks uniform on the left with long tails on the right.

#### Price by Cut

Now, let's answer some questions about the price of the diamonds based on their cuts:

Which cut has the highest priced diamond?

To answer this question, I use 'by' to get the summary of each cut. The information below shows that Very Good and Premium cuts have the maximum value of \$18820.

#### by(diamonds\$price, diamonds\$cut, summary)

```
## diamonds$cut: Fair
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
##
       337
               2050
                        3282
                                4359
                                         5206
                                                18570
##
##
  diamonds$cut: Good
##
      Min. 1st Qu. Median
                                Mean 3rd Qu.
                                                 Max.
##
       327
               1145
                       3050
                                3929
                                         5028
                                                 18790
  diamonds$cut: Very Good
##
##
      Min. 1st Qu.
                                Mean 3rd Qu.
                     Median
                                                 Max.
##
       336
                912
                        2648
                                3982
                                         5373
                                                18820
##
##
   diamonds$cut: Premium
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
                                                 Max.
##
       326
               1046
                        3185
                                4584
                                         6296
                                                 18820
##
   diamonds$cut: Ideal
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
                                                 Max.
##
       326
                878
                        1810
                                         4678
                                                 18810
                                3458
```

Which cut has the lowest priced diamond?

Cuts Ideal and Premium have the lowest priced diamond \$326.

Which cut has the lower median price?

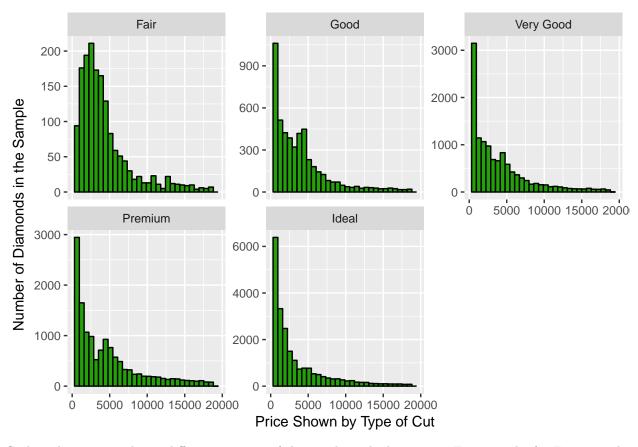
Cut Ideal has the lowest Median price of \$1810.

#### Scales and Multiple Histograms

Getting a summary of the prices based on cuts shows that the distribution of the prices should be somewhat the same. However, in the histograms I created for prices based on cuts, we saw that only the distributions of Premium, Very Good and Ideal look the same. The distribution of Fair and Good look somehow uniform.

Let's look into this more. I now create histograms of prices based on cuts, where the y-axis is not fixed. I do it by scaling the y-axis.

## `stat\_bin()` using `bins = 30`. Pick better value with `binwidth`.

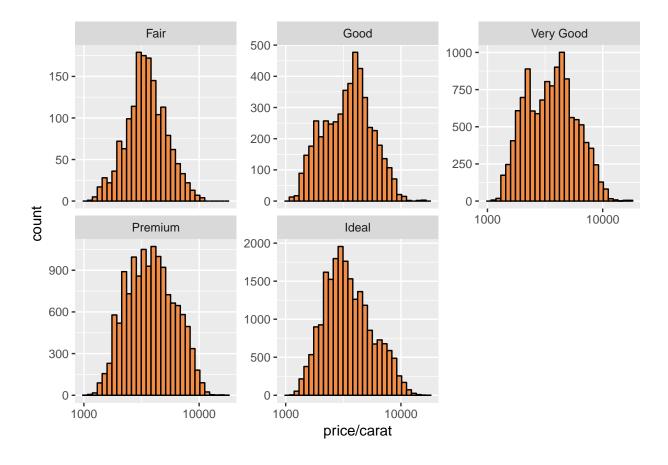


Scaling the y-axis makes it different on some of the panels in the histogram. For example, for Fair cuts, the y-axis goes from 0 to over 200, whereas, in Premium it goes from 0 to about 3000.

### Price per Carat by Cut

I want to create a histogram of price per carat and facet it by cut. Since histograms only takes a single series and splits it into bins, for the 'x' variable, I use 'price/carat' to get the distribution for price per carat. I wrap it by cut, and add scales for the y-axis to get different values on the y-axis. I complete my histogram by scaling it using log10. After adding log10, I can see how the distribution has changed to a somehow normal one

## `stat\_bin()` using `bins = 30`. Pick better value with `binwidth`.

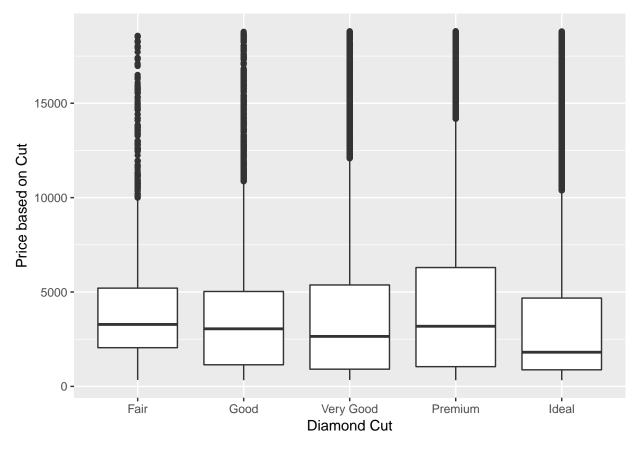


#### **Price Box Plots**

I want to investigate the price of diamonds using box plots, numerical summaries, and the following categorical variables: cut, clarity, or color.

### Box Plot by Cut

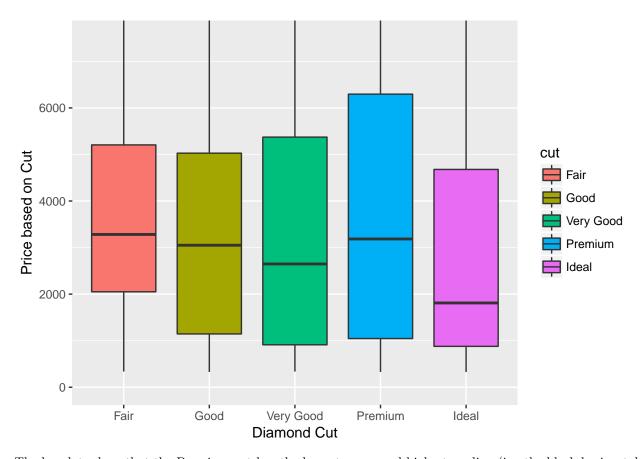
To get the boxplot based on cut, I set the x-axis to show different cuts, and the y-axis to show the price of those cuts.



These boxplots show there are a lot of outliers which fall over \$10000 price. I need to get a closer look at the boxes without having to deal with the outliers. To do that, I use the 'coord\_cartesian' which can magnify the boxes for me.

The Cartesian coordinate system is the most familiar, and common, type of coordinate system. Setting limits on the coordinate system will zoom the plot (like you're looking at it with a magnifying glass), and will not change the underlying data like setting limits on a scale will. Read more on: http://docs.ggplot2.org/0.9.3.1/coord\_cartesian.html

Since the boxplots lie between 0 and \$7000, I adjust my y-axis to limit the prices up to 7500. I also add a bit of color to the boxplots for a nicer look.

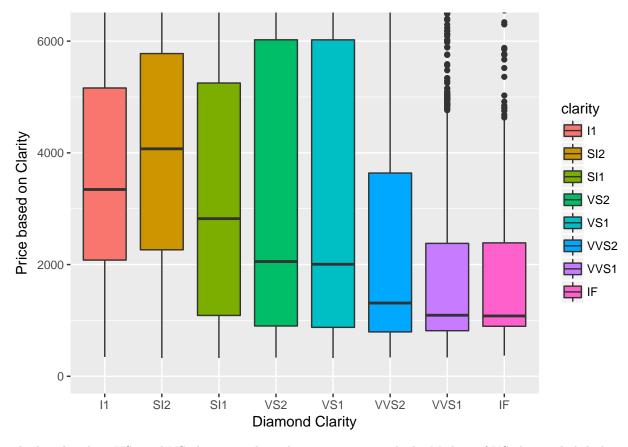


The barplots show that the Premium cut has the largest range and highest median (i.e. the black horizontal line in the box), where the Ideal cut has the lower price.

# Box Plot by Clarity

To get the boxplot based on clarity, I set the x-axis to show different clarities, and the y-axis to show the price of them.

I first generate my boxplot without using cartesian coordinates. This will give me the chance to see the ranges and where the outliers are. After investigating these things, I adjust my coordinates.

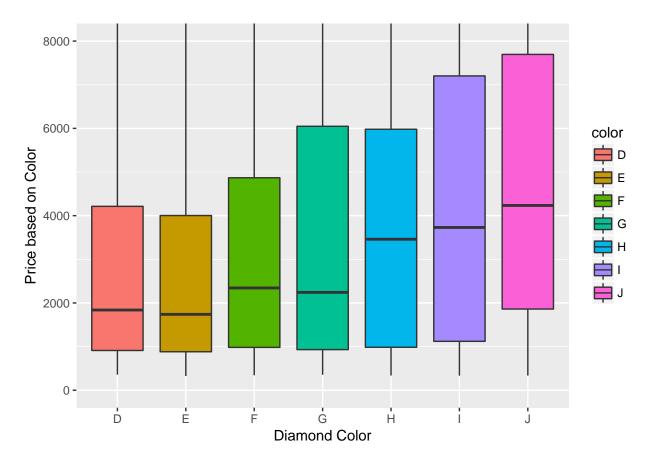


The barplot show VS1 and VS2 have somehow the same range, with the Median of VS2 being slightly larger than VS1. The largest Median in price goes to SI2 clarity categorty.

### Box Plot by Color

To get the boxplot based on clarity, I set the x-axis to show different colors, and the y-axis to show the price of them.

I first generate my boxplot without using cartesian coordinates. This will give me the chance to see the ranges and where the outliers are. After investigating these things, I adjust my coordinates.



The barplots show that color E seems to have the lowest price, and the largest Median belongs to color J.

### Interquartile Range - IQR

Now I will work with the IQR() function and try to get some info regarding price and color of diamonds. IQR() computes the interquartile range of the x values.

Let's first investigate a bit on the price range based on color. I use the 'by' command to get a summary of prices, categorized by color.

#### by(diamonds\$price,diamonds\$color, summary)

```
## diamonds$color: D
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
                                                 Max.
##
       357
               911
                       1838
                                3170
                                         4214
                                                18690
##
##
   diamonds$color: E
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
                                                 Max.
##
       326
               882
                       1739
                                3077
                                         4003
                                                18730
##
   diamonds$color: F
      Min. 1st Qu. Median
##
                                Mean 3rd Qu.
                                                 Max.
       342
               982
                       2344
                                3725
                                         4868
##
                                                18790
##
##
  diamonds$color: G
##
      Min. 1st Qu.
                     Median
                                Mean 3rd Qu.
                                                 Max.
##
       354
               931
                       2242
                                3999
                                         6048
                                                18820
```

```
## diamonds$color: H
                          Mean 3rd Qu.
##
     Min. 1st Qu. Median
                                        Max.
##
      337
             984
                   3460
                          4487 5980
                                        18800
##
## diamonds$color: I
##
     Min. 1st Qu. Median
                          Mean 3rd Qu.
                                         Max.
##
      334
            1120
                   3730
                          5092
                                 7202
                                        18820
##
     _____
## diamonds$color: J
##
     Min. 1st Qu. Median
                          Mean 3rd Qu.
                                         Max.
##
      335
            1860
                   4234
                          5324
                                 7695
                                        18710
```

Based on this summary, I can for example say that the first quartile(25%) of diamonds with color D has the price 911 dollors, and the third quartile(75%) of them are 4214 dollors.

#### What is the IQR for the diamonds with the worst color?

Based on the documentation for the diamonds dataset, in diamonds colors, 'J' is the worst and 'D' is the best.

```
IQR(subset(diamonds, color=="J")$price)
```

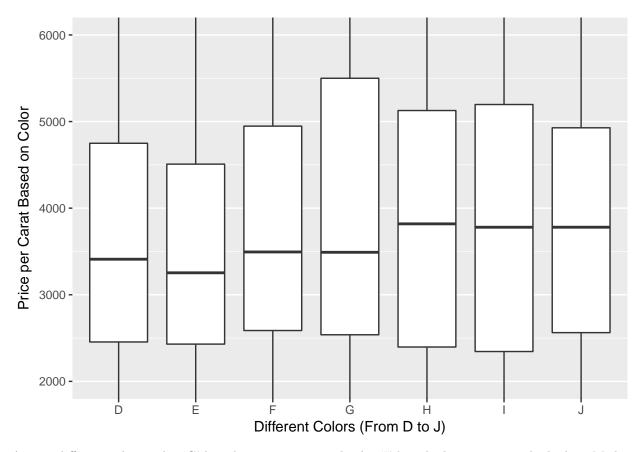
```
## [1] 5834.5
```

#### What is the IQR for the diamonds with the best color?

```
IQR(subset(diamonds, color=="D")$price)
## [1] 3302.5
```

### Price per Carat Box Plots by Color

I want to investigate the price per carat of diamonds across the different colors of diamonds using boxplots.

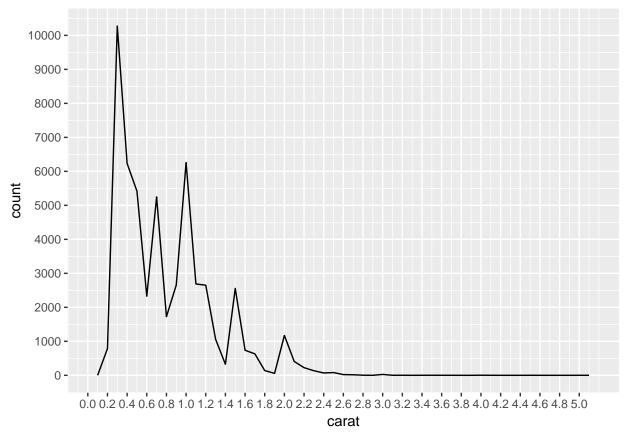


Among different colors, color 'G' has the most range, and color 'I' has the lowest price. The highest Median goes to color 'H'.

# Carat Frequency Polygon

Using a frequency polygon, I want to find out what carat size has a count greater than 2000.

```
qplot(data = diamonds, x = carat, binwidth = 0.1,
  geom = 'freqpoly') +
  scale_y_continuous(breaks = seq(0, 15000, 1000)) +
  scale_x_continuous(breaks = seq(0, 5, 0.2))
```



From this plot, I can see that for example 0.3 and 1.01 sizes (carats) have more than 2000 counts, while anything after 2.0 has fewer than 2000 counts.

# Gapminder Data

The Gapminder website contains over 500 data sets with information about the world's population. My task will be to download a data set of my choice, and create 2-5 plots based on its data.

I decide to go with the data about female students who are out of primary school. I downloaded the main file in xlsx, and converted it to CSV to read it in R.

```
getwd()
```

```
## [1] "/Users/nazaninmirarab/Desktop/Data Science/P4"
female_out_of_school <- read.csv('data.csv', header = T, check.names = F)</pre>
```

After executing the command above, I have 'female\_out\_of\_school' dataset created in my environment.

There are many values in the dataset marked as '..' and I want to change them to NA, so that I can later filter them out of the actual values when I am creating plots.

I also name the first column in the dataset 'Country' since it is representing the countries.

```
#Replacing the '..' value with NA
female_out_of_school[female_out_of_school == '..'] = NA

#Changing the name of the first column to 'country'
colnames(female_out_of_school)[1] <- 'Country'</pre>
```

I do a little bit more cleanup on the original dataset. In my dataset, the values are between years 1999-2006. So I want to have a table with only these years present.

Also, I want to change the original table to a table where there are three columns: country, year, and count. Country and year are self-explanatory. Count will be the number of female students out of school for the specific year and country.

To do this tidying up, I use the 'tidyr' package.

```
#install.packages("tidyr")
library(tidyr)

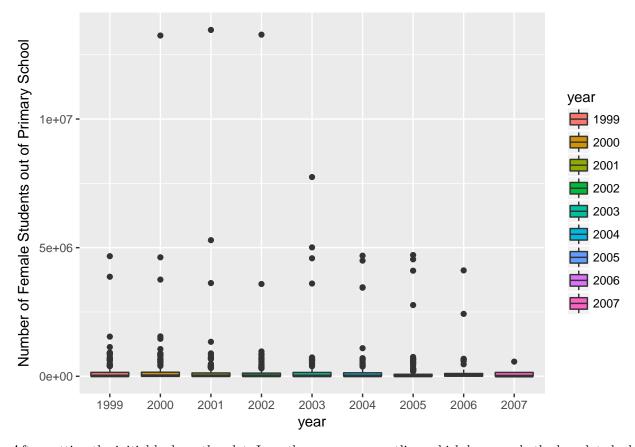
#Creating a new dataset 'female_out_gather' with 3 columns: country, year and count
female_out_gather <- gather(female_out_of_school, year, count, 2:ncol(female_out_of_school))

## Warning: attributes are not identical across measure variables; they will
## be dropped
#Extracting years 1999-2006 from the dataset as only these years have meaningful values in them
female_out_gather_1999_2006 <- subset(female_out_gather, year >= 1999, year <= 2006)</pre>
```

For getting plots, I use my 'female\_out\_gather\_1999\_2006' dataset that I have cleaned up already. I want to get a plot from the data, excluding the NA values.

For the y-axis, I use 'as.numeric' to make sure the values returned are numbers.

## Warning: Removed 9 rows containing non-finite values (stat\_boxplot).



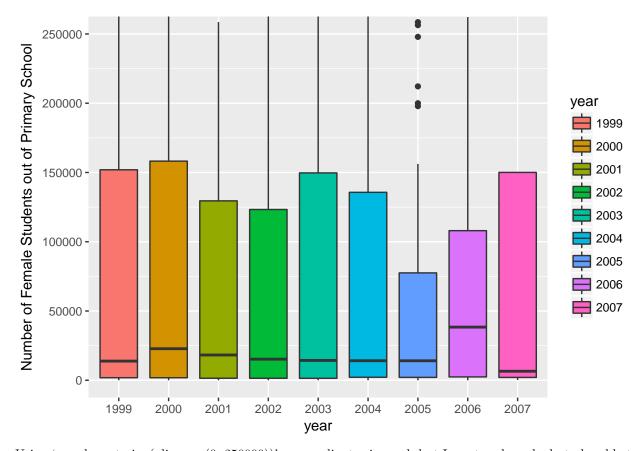
After getting the initial look on the plot, I see there are many outliers which have made the boxplots look very small. I use cartesian coordinates to magnify the boxes.

```
qplot(data = subset(female_out_gather_1999_2006, !is.na(count)),
    x = year, y = as.numeric(count),
    geom = 'boxplot', fill=year) +
    coord_cartesian(ylim = c(0, 250000)) +
    ylab('Number of Female Students out of Primary School') +
    ggsave('boxplot-2.png')

## Saving 6.5 x 4.5 in image

## Warning: Removed 9 rows containing non-finite values (stat_boxplot).

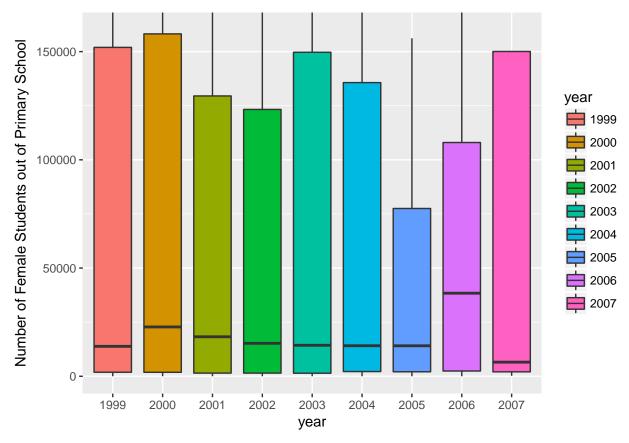
## Warning: Removed 9 rows containing non-finite values (stat_boxplot).
```



Using 'coord\_cartesian(ylim = c(0, 250000))' as coordinates is good, but I want a closer look, to be able to distinguish the Medians in each year better.

```
qplot(data = subset(female_out_gather_1999_2006, !is.na(count)),
    x = year, y = as.numeric(count),
    geom = 'boxplot', fill=year) +
    coord_cartesian(ylim = c(0, 160000)) +
    ylab('Number of Female Students out of Primary School') +
    ggsave('boxplot-3.png')
```

- ## Saving  $6.5 \times 4.5$  in image
- ## Warning: Removed 9 rows containing non-finite values (stat\_boxplot).
- ## Warning: Removed 9 rows containing non-finite values (stat\_boxplot).

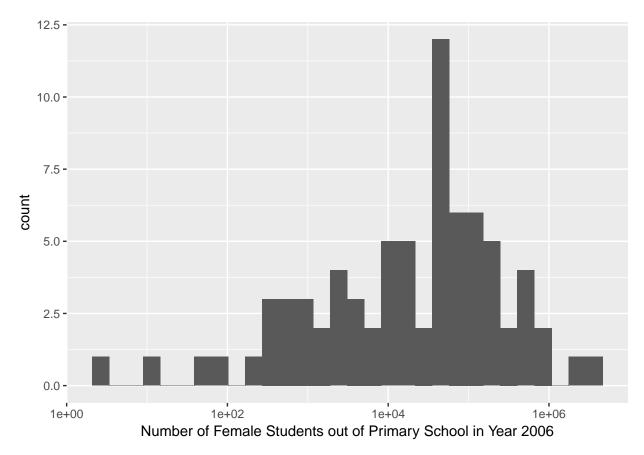


Magnifying the boxplots by setting the limite between 0-160000 suffices for me to see that year 2006 has the highest Median in female students out of primary school. Also, year 2000 seems to have a wider range in comparison to other years.

The plots show that the Median was decreasing from year 2000 until it reaches year 2006 with a sudden increase. So let's focus on year 2006 a bit more.

```
out_of_school_2006 <- subset(female_out_gather_1999_2006, year == 2006)
qplot(data = out_of_school_2006, x = as.numeric(count)) +
  xlab('Number of Female Students out of Primary School in Year 2006') +
  scale_x_log10() +
  ggsave('plot-4.png')
```

- ## Saving 6.5 x 4.5 in image
- ## Warning: Transformation introduced infinite values in continuous x-axis
- `stat\_bin()` using `bins = 30`. Pick better value with `binwidth`.
- ## Warning: Removed 134 rows containing non-finite values (stat\_bin).
- ## Warning: Transformation introduced infinite values in continuous x-axis
- ## `stat\_bin()` using `bins = 30`. Pick better value with `binwidth`.
- ## Warning: Removed 134 rows containing non-finite values (stat\_bin).



Using log10, I could achieve a normal-ish distribution of the data.