A close-up photograph of a person's hand in a dark red sweater reaching over a Go board. The board is a light-colored stone surface with a grid of lines. Black and white Go stones are scattered across the board. A white plastic cup is visible on the right side of the board. The background is a soft-focus green, suggesting an outdoor setting.

Game Theoretic Scheduling

Real Time Task Scheduling In
Cloud Computing

Hmm...



Co-operative



Non Co-operative



Prisoners' dilemma

prisoner A

confess



remain silent



prisoner B

confess



remain silent



5 years

5 years

0 year

20 years

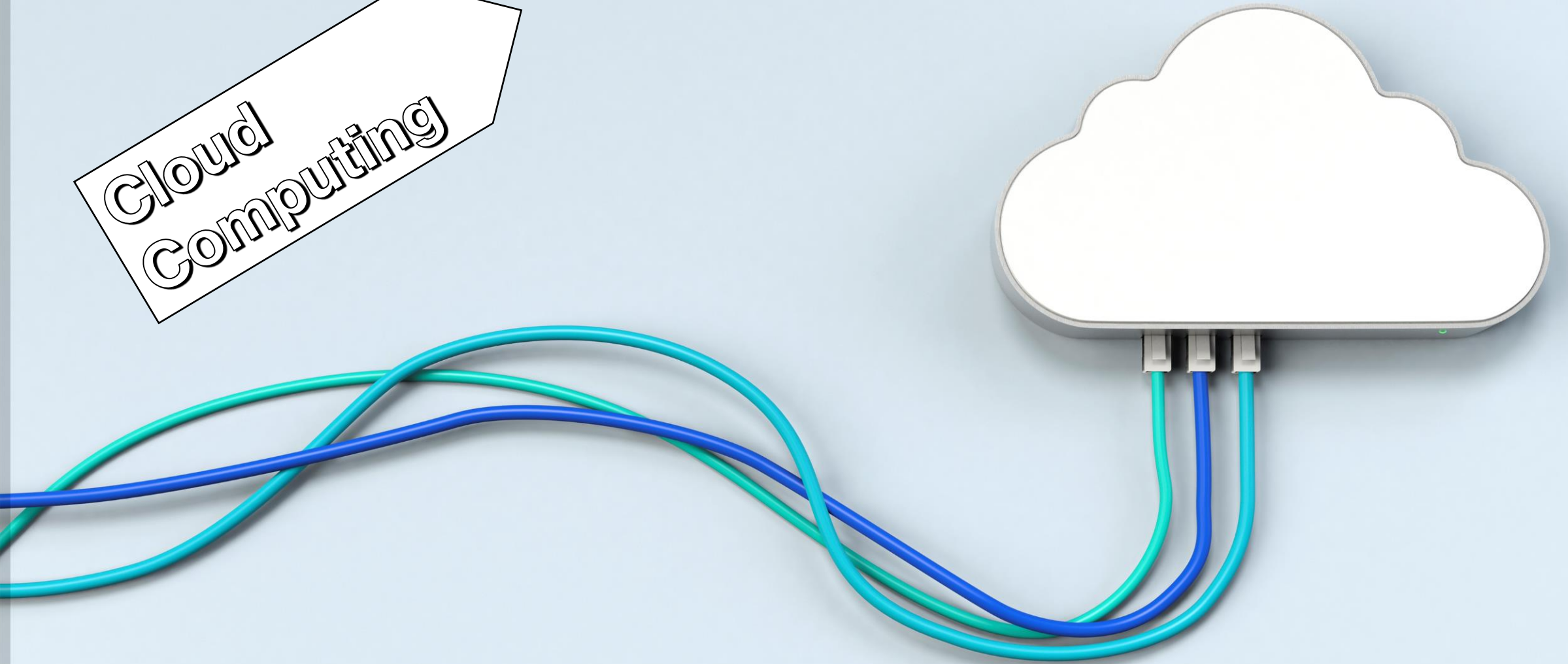
20 years

0 year

1 year

1 year

Cloud
Computing



System Model



Virtual Machine Model

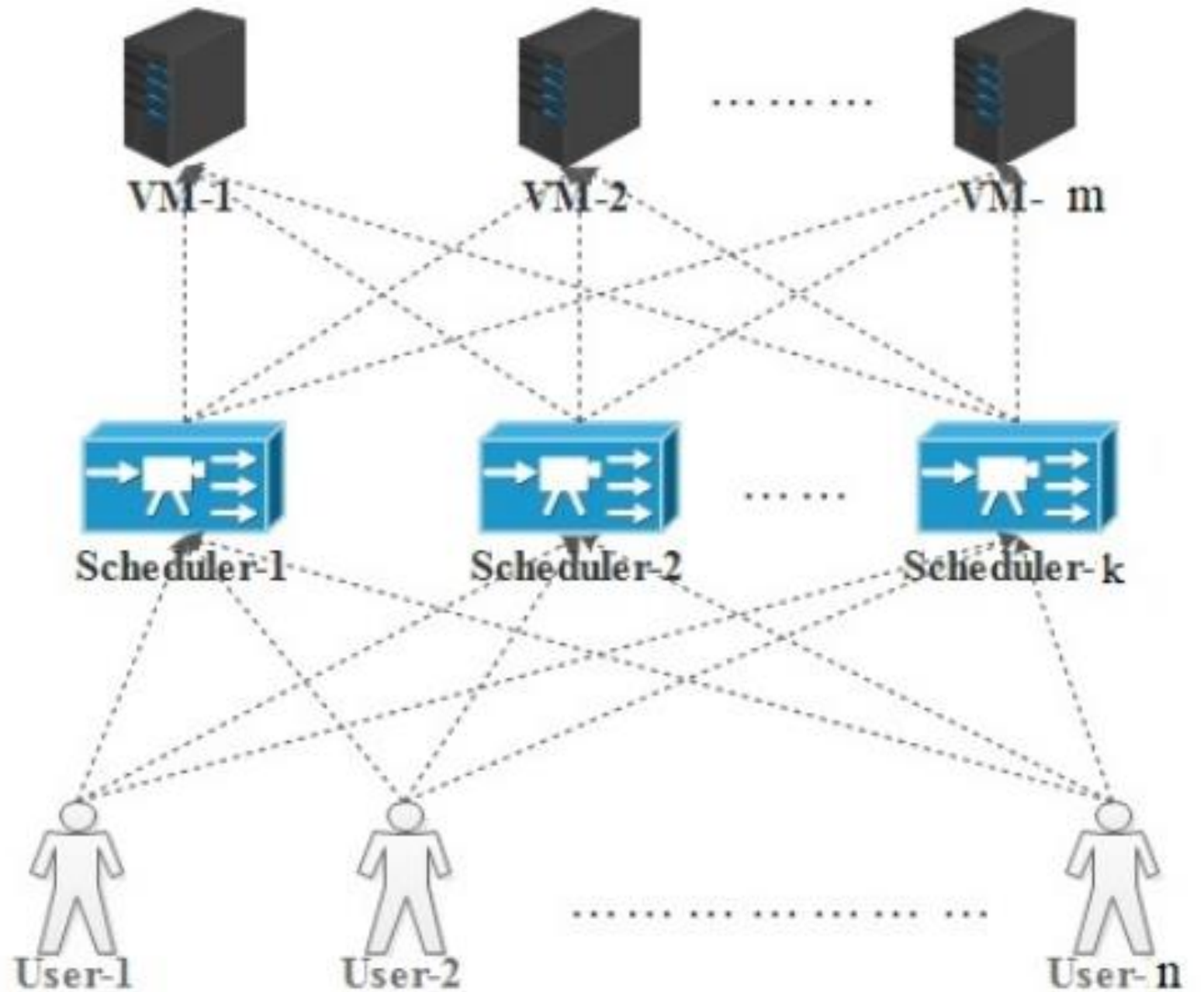


Task Model



Scheduling Model

System Model



Virtual Machine Model

$$V = \{v1, v2, \dots, vm\}$$

$$j = \{1, 2, \dots, m\}.$$

Million Instructions Per
Second
(MIPS)

Task Model

$$T = \{t1, t2, \dots, tn\}$$

$$i = \{1, 2, \dots, n\}$$

$$t_i = \{a_i, s_i, d_i\},$$

$$et_{ij} = \frac{s_i}{sp_j} \quad (1)$$

$$c_{ij} = st_{ij} + et_{ij} \quad (2)$$

$$w_{ij} = st_{ij} - a_i \quad (3)$$

Player : Each task is taken as a player i.e., $t_i = p_i$. The set of player is represented by $P = \{p_i \mid 1 \leq i \leq n\}$

Strategies : Every virtual machine functions as a strategy. To maximize their payoff, each player will look for the best strategy v_j

Payoff : The variable payoff that t_i will acquire while choosing a strategy v_j can either be completion time c_{ij} or waiting time w_{ij} .

Payoff Matrix :

player-1 time period	t_1
player-2 time period	t_2
Strategy v_j , where $j = \{1, 2, \dots, m\}$.	

Non Co Operative

PayOff Matrix

t1 \ t2	V_1	V_2	V_3
V_1	(4, 3)	(1, 2)	(3, 2)
V_2	(5, 2)	(2, 7)	(8, 4)
V_3	(5, 9)	(3, 1)	(4, 6)

Normalised PayOff Matrix

t1 \ t2	V_1	V_2	V_3
V_1	1	-1	1
V_2	3	-5	4
V_3	-4	2	-2

VM Selection

t1 \ t2	V_1	V_2	V_3	Row-Max
V_1	1	-1	1	1
V_2	3	-5	4	4
V_3	-4	2	-2	2
Col-Min	-4	-5	-2	

Co-Operative

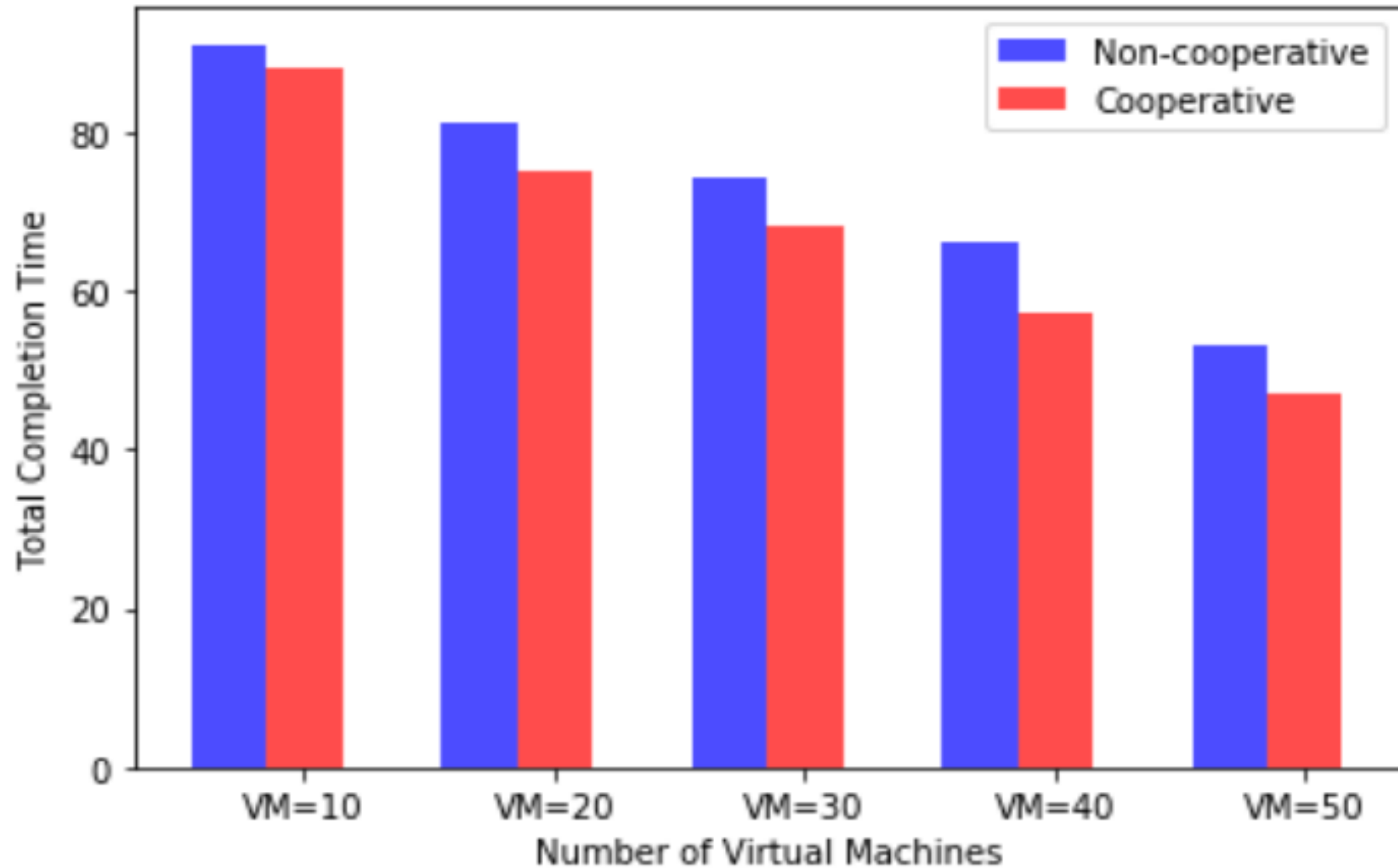
PayOff Matrix

t1 \ t2	V_1	V_2	V_3
V_1	(5, 3)	(1, 4)	(6, 2)
V_2	(5, 1)	(2, 5)	(1, 4)
V_3	(5, 6)	(2, 4)	(4, 7)

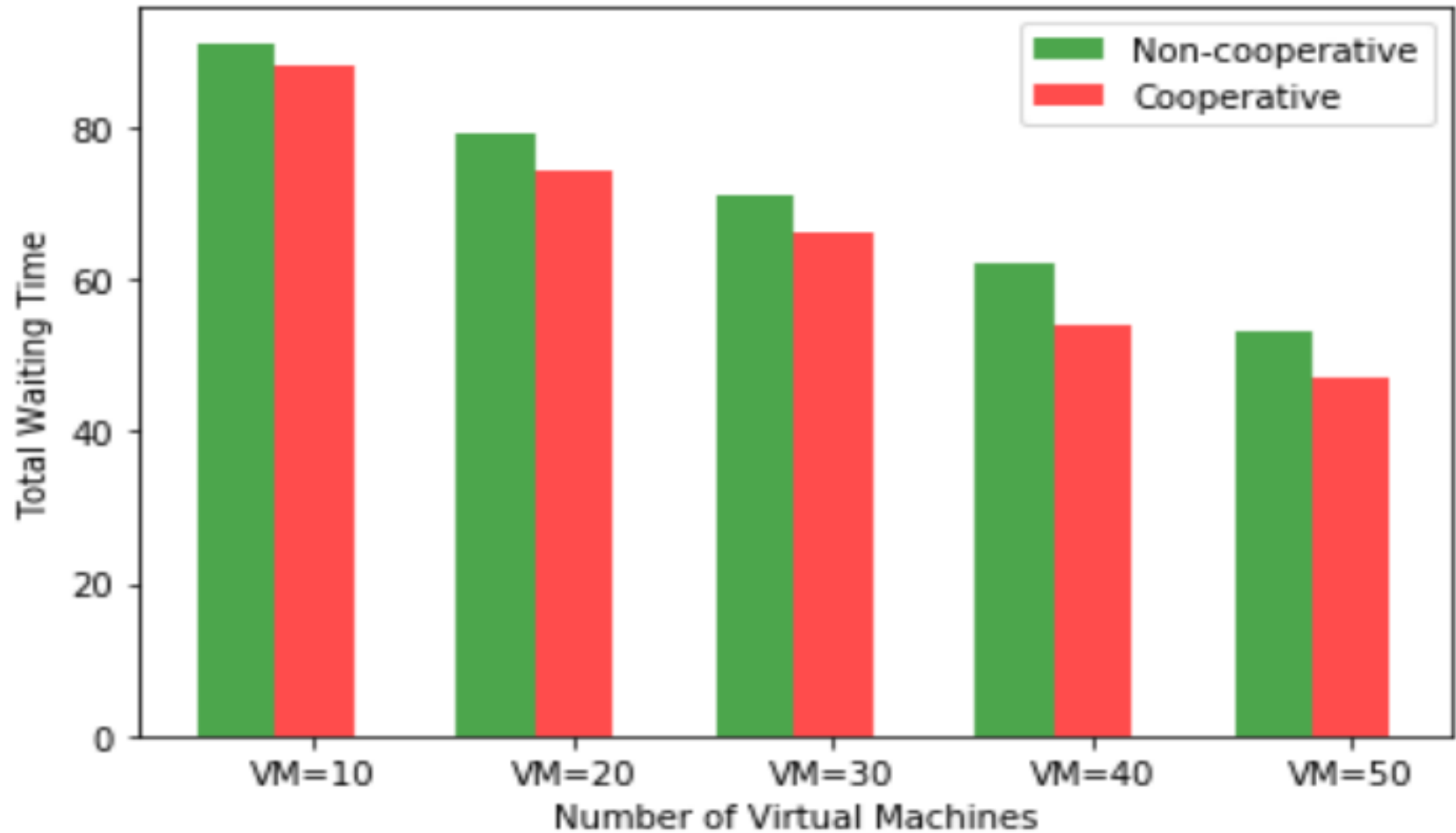
Normalised PayOff Matrix

t1 \ t2	V_1	V_2	V_3
V_1	2	3	4
V_2	4	3	3
V_3	1	2	3

Completion Time as PayOff



Waiting Time as PayOff





Take Away