

Importing required Libraries

In [1]:

```
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import warnings
warnings.filterwarnings('ignore')
import statsmodels.api as sm
from statsmodels.graphics.gofplots import qqplot
import scipy.stats as stats
from scipy.stats import ttest_ind, ttest_1samp, ttest_rel, chi2_contingency, f_oneway, chisquare, levene, shapiro, boxcox
%matplotlib inline
import os
```

Downloading given Dataset

In [2]:

```
!gdown "https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/428/original/bike_sharing.csv"
```

Downloading...

From: https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/428/original/bike_sharing.csv ([http](https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/428/original/bike_sharing.csv)
[s://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/428/original/bike_sharing.csv](https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/428/original/bike_sharing.csv))

To: C:\Users\Dell\bike_sharing.csv

```
 0%|          | 0.00/648k [00:00<?, ?B/s]
100%|#####| 648k/648k [00:00<00:00, 12.1MB/s]
```

Define Problem Statement and perform Exploratory Data Analysis (10 points)

Problem Statement

Specifically, they want to understand the factors affecting the demand for these shared electric cycles in the Indian market.

Which variables are significant in predicting the demand for shared electric cycles in the Indian market?

How well those variables describe the electric cycle demands.

From above business case Yulu is suffering some considerable dips in its revenues as losing customers. Some of the factors given in the dataset as temp, atemp, windspeed, season, weather etc.... How they are affecting on the target attribute which is Number of cycles rented, need to be evaluated. Need to find out the revenue model like registered or casual users are impacting more. or working day or holiday have significant impact or not. Also can be checked along weather and season as well.

Creating Dataframe read given CSV file

In [3]:

```
df = pd.read_csv("C:/Users/Dell/bike_sharing.csv")
df
```

Out[3]:

	datetime	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual	registered	count
0	2011-01-01 00:00:00	1	0	0	1	9.84	14.395	81	0.0000	3	13	16
1	2011-01-01 01:00:00	1	0	0	1	9.02	13.635	80	0.0000	8	32	40
2	2011-01-01 02:00:00	1	0	0	1	9.02	13.635	80	0.0000	5	27	32
3	2011-01-01 03:00:00	1	0	0	1	9.84	14.395	75	0.0000	3	10	13
4	2011-01-01 04:00:00	1	0	0	1	9.84	14.395	75	0.0000	0	1	1
...
10881	2012-12-19 19:00:00	4	0	1	1	15.58	19.695	50	26.0027	7	329	336
10882	2012-12-19 20:00:00	4	0	1	1	14.76	17.425	57	15.0013	10	231	241
10883	2012-12-19 21:00:00	4	0	1	1	13.94	15.910	61	15.0013	4	164	168
10884	2012-12-19 22:00:00	4	0	1	1	13.94	17.425	61	6.0032	12	117	129
10885	2012-12-19 23:00:00	4	0	1	1	13.12	16.665	66	8.9981	4	84	88

10886 rows × 12 columns

It contains 10886 rows and 12 columns , those are attributes to look upon and find out which are the most relevant one effecting the revenue of the Yulu Bike sharing company

In [4]:

```
df.shape
```

Out[4]:

(10886, 12)

In [5]:

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 10886 entries, 0 to 10885
Data columns (total 12 columns):
#   Column          Non-Null Count  Dtype
---  -
0   datetime        10886 non-null object
1   season          10886 non-null int64
2   holiday         10886 non-null int64
3   workingday      10886 non-null int64
4   weather         10886 non-null int64
5   temp            10886 non-null float64
6   atemp           10886 non-null float64
7   humidity        10886 non-null int64
8   windspeed       10886 non-null float64
9   casual          10886 non-null int64
10  registered      10886 non-null int64
11  count           10886 non-null int64
dtypes: float64(3), int64(8), object(1)
memory usage: 1020.7+ KB
```

In [6]:

```
#From data we see that no NULL values are present in the dataset. #We have total 10885 rows and 12 columns in given dataset
```

All the attributes except datetime are int or float.

In [7]:

df.describe()

Out[7]:

	season	holiday	workingday	weather	temp	atemp	humidity	windspeed	casual
count	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000	10886.000000
mean	2.506614	0.028569	0.680875	1.418427	20.23086	23.655084	61.886460	12.799395	36.021955
std	1.116174	0.166599	0.466159	0.633839	7.79159	8.474601	19.245033	8.164537	49.960477
min	1.000000	0.000000	0.000000	1.000000	0.82000	0.760000	0.000000	0.000000	0.000000
25%	2.000000	0.000000	0.000000	1.000000	13.94000	16.665000	47.000000	7.001500	4.000000
50%	3.000000	0.000000	1.000000	1.000000	20.50000	24.240000	62.000000	12.998000	17.000000
75%	4.000000	0.000000	1.000000	2.000000	26.24000	31.060000	77.000000	16.997900	49.000000
max	4.000000	1.000000	1.000000	4.000000	41.00000	45.455000	100.000000	56.996900	367.000000

#From the above describe table we infer following insights.

1. The median temperature is noted at 20.5 degrees Celsius, while 75% of the data has been recorded at 26.24 degrees Celsius. The average temperature is noted as 20.36 degrees Celsius.
2. The Yulu has a median of 145 counted (casual + registered) users, with 75% of users totaling 284. The average number of counted users is 191.574. The maximum number of counted users is 977.
3. 68% of the data points are collected for the working day, which makes sense as a lot of people use public transportation on working days.
4. The average temperature was 20.23 degrees Celsius, with 20.5 happening 50% of the time.

In [8]:

df.nunique()

Out[8]:

```
datetime    10886
season       4
holiday      2
workingday   2
weather      4
temp        49
atemp       60
humidity     89
windspeed   28
casual      309
registered  731
count       822
dtype: int64
```

In [9]:

```
#missing_values
df.isna().sum()
```

Out[9]:

```
datetime    0
season      0
holiday     0
workingday  0
weather     0
temp        0
atemp       0
humidity    0
windspeed   0
casual      0
registered  0
count       0
dtype: int64
```

In [10]:

```
#We see that we dont have missing values in our dataset.
```

we see that columns season, holiday, workingday, wheather are having unique values as 4,2,2,4 respectively. So converting these 4 columns to

category.

In [11]:

```
df.drop("datetime", axis = 1, inplace = True)
```

In [12]:

```
#changing it from object dtype to category to save memory
df["season"]=df["season"].astype("category")
df["holiday"]=df["holiday"].astype("category")
df["workingday"]=df["workingday"].astype("category")
df["weather"]=df["weather"].astype("category")
```

In [13]:

```
cat_cols = df.dtypes == 'category'
cat_cols = list(cat_cols[cat_cols].index)
cat_cols
```

Out[13]:

```
['season', 'holiday', 'workingday', 'weather']
```

In [14]:

```
#Collecting all categorical variables in one array.
```

In [15]:

```
nume_cols = df.dtypes != "category"
nume_cols = list(nume_cols[nume_cols].index)
nume_cols
```

Out[15]:

```
['temp', 'atemp', 'humidity', 'windspeed', 'casual', 'registered', 'count']
```

In [16]:

```
#Collecting all numerical variables in one array.
```

In [17]:

```
for i in df.columns:
    print(f'{i} has {df[i].nunique()} unique values')
    print("*20")
```

season has 4 unique values

holiday has 2 unique values

workingday has 2 unique values

weather has 4 unique values

temp has 49 unique values

atemp has 60 unique values

humidity has 89 unique values

windspeed has 28 unique values

casual has 309 unique values

registered has 731 unique values

count has 822 unique values

Univariate Analysis

##Univariate Analysis for all the continuous variables such as atemp, temp, humidity, windspeed, casual, registered, count . #So plotting displot of all

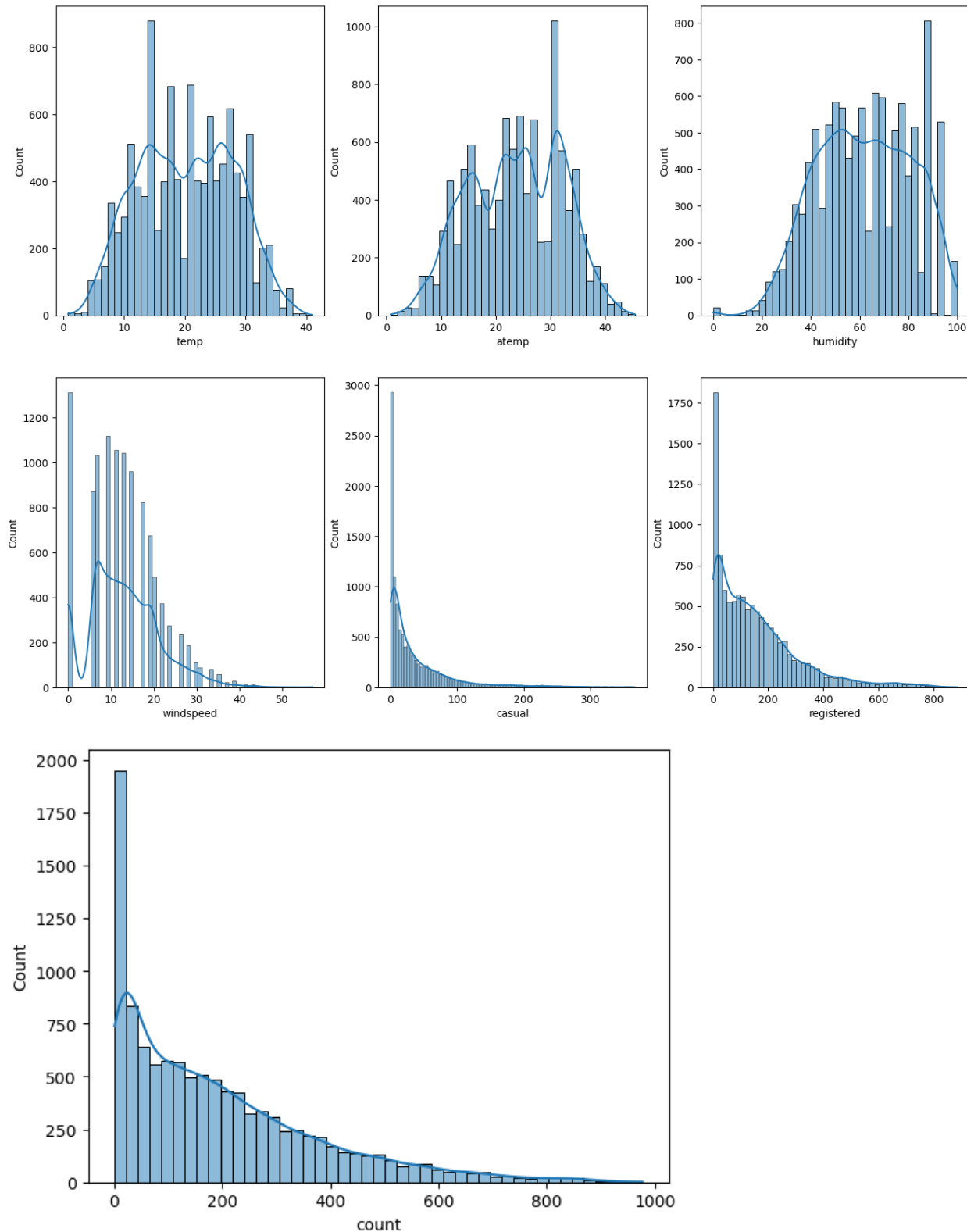
In [18]:

```
#nume_cols = ['temp', 'atemp', 'humidity', 'windspeed', 'casual', 'registered', 'count']

fig, axis = plt.subplots(nrows=2, ncols=3, figsize=(16, 12))

index = 0
for row in range(2):
    for col in range(3):
        sns.histplot(df[nume_cols[index]], ax=axis[row, col], kde=True)
        index += 1

plt.show()
sns.histplot(df[nume_cols[-1]], kde=True)
plt.show()
```



#from the above histplots we can observe that

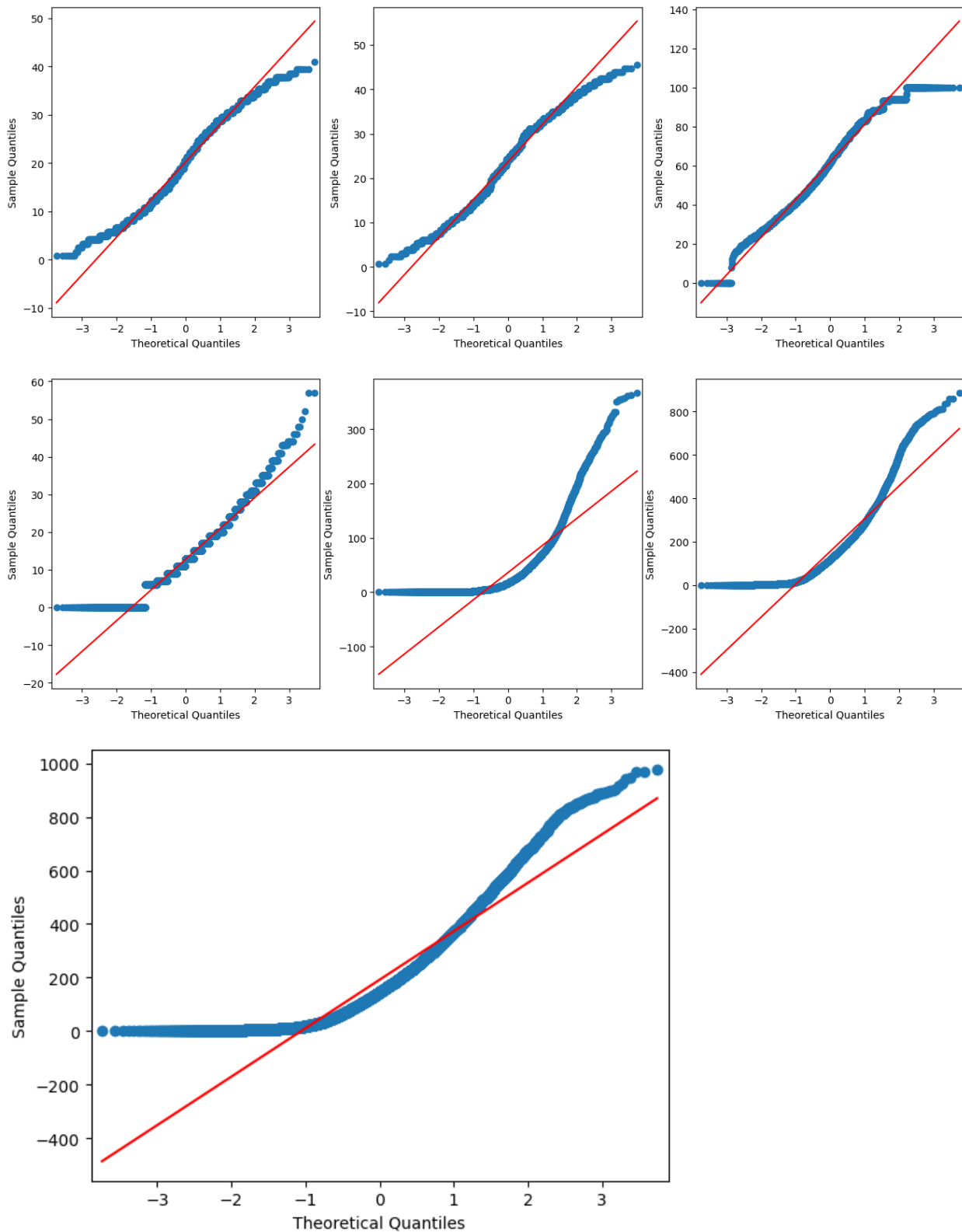
1. casual, registered and count somewhat looks like Log Normal Distribution
2. temp, atemp and humidity looks like they follows the Normal Distribution
3. windspeed follows the binomial distribution

In [19]:

```
fig, axis = plt.subplots(nrows=2, ncols=3, figsize=(16, 12))

index = 0
for row in range(2):
    for col in range(3):
        qqplot(df[nume_cols[index]], line="s", ax=axis[row, col])
        index += 1

qqplot(df[nume_cols[-1]], line = "s")
plt.show()
```



#To verify for ANOVA assumptions we have plot qqplot of all the numerical attributes and can observe

1. casual, registered and count somewhat looks like Log Normal Distribution are not aligned to red "S" line.
2. temp, atemp and humidity looks like they follows the Normal Distribution are aligned to red "S" line.
3. windspeed follows the binomial distribution not aligned to red "S" line.

In [20]:

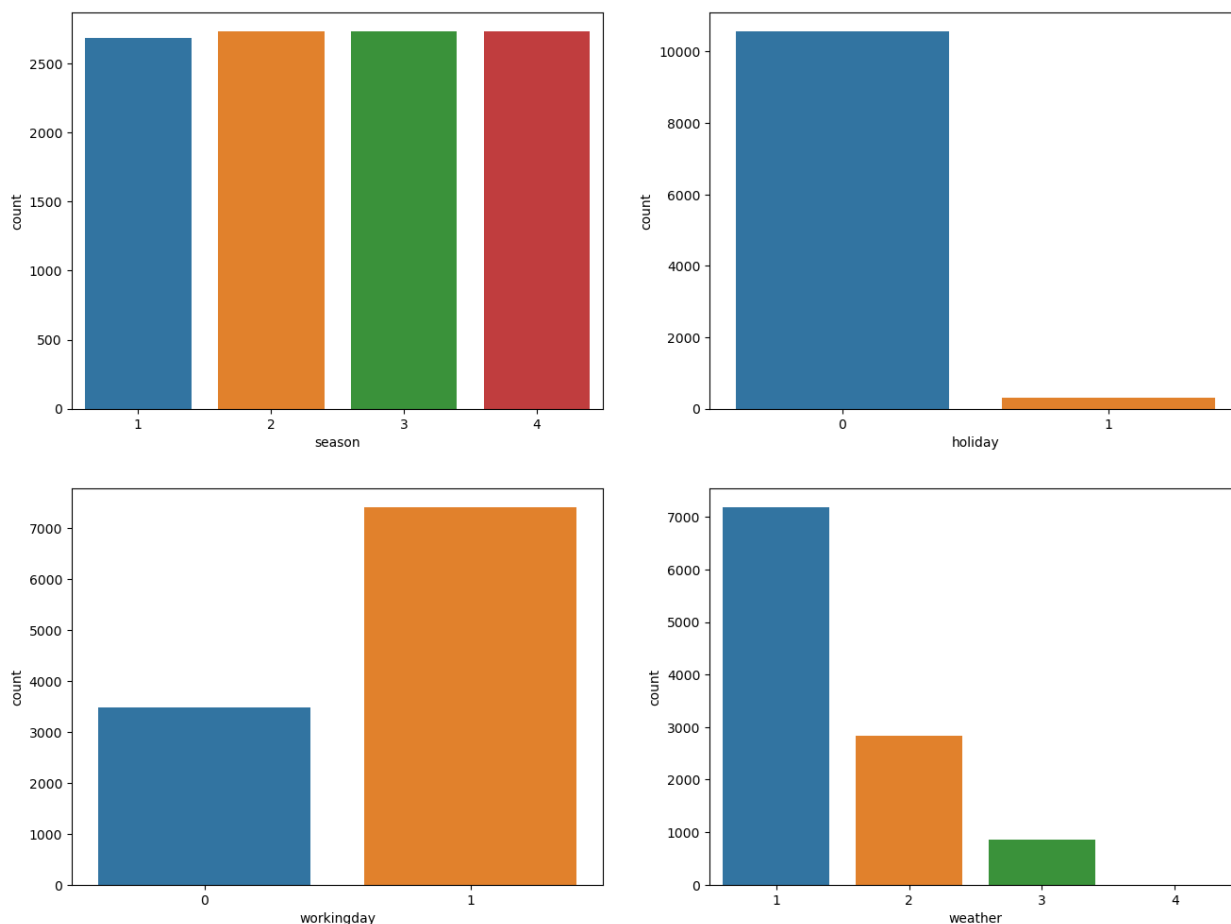
```
##Now countplots for categorical variables which are season holiday workingday and weather
```

In [21]:

```
fig, axis = plt.subplots(nrows=2, ncols=2, figsize=(16, 12))

index = 0
for row in range(2):
    for col in range(2):
        sns.countplot(df[cat_cols[index]], ax=axis[row, col])
        index += 1

sns.countplot(df[cat_cols[-1]])
plt.show()
```



From above four countplots of categorical variables it is seen that.

1. Almost all season have same count. There exist negligible change in number.
2. More count on Holiday as compared to working day.
3. Graph 2 we see It is highly imbalanced to holiday and working day, because a lot of people don't use vehicles on holiday
4. If seen in weather, weather 1 that is clear weather having the maximum demands for bike goes on decreasing as weather changes to mist and then light snow and almost negligible in the heavy rain. As it is much risky to use Bike in such a climate.
5. 1 more categorical variable is made so as to bin the count of number of bicycles rented in low, medium, high etc. which shows the lognormal distribution as maximum times Low and then for different High values for many reasons.
6. Data looks common as it should be like equal number of days in each season, more working days and weather is mostly Clear, Few clouds, partly cloudy, partly cloudy.

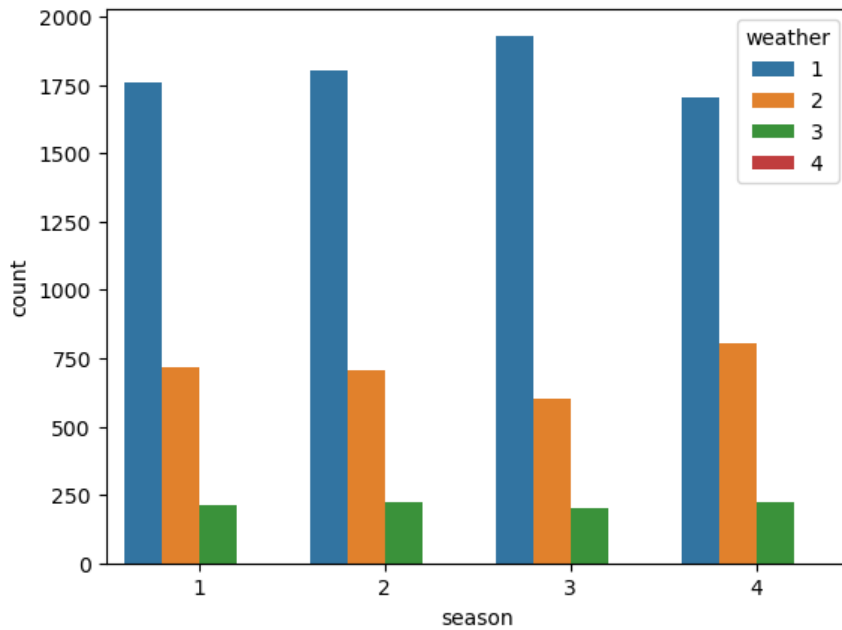
Bivariate Analysis

In [22]:

```
sns.countplot(df['season'], hue=df['weather'], data = df)
```

Out[22]:

<AxesSubplot:xlabel='season', ylabel='count'>



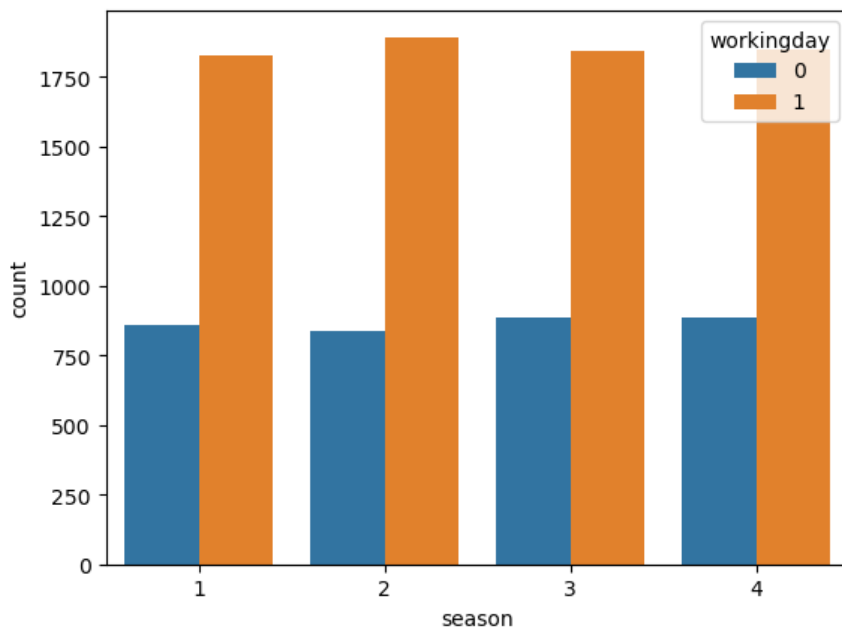
Whatever may be the season is the weather has a strong impact as clear wheather Most demand then mist and then light snow. And heavy rain no demand is shown from the above plot

In [23]:

```
sns.countplot(df['season'], hue=df['workingday'], data = df)
```

Out[23]:

<AxesSubplot:xlabel='season', ylabel='count'>



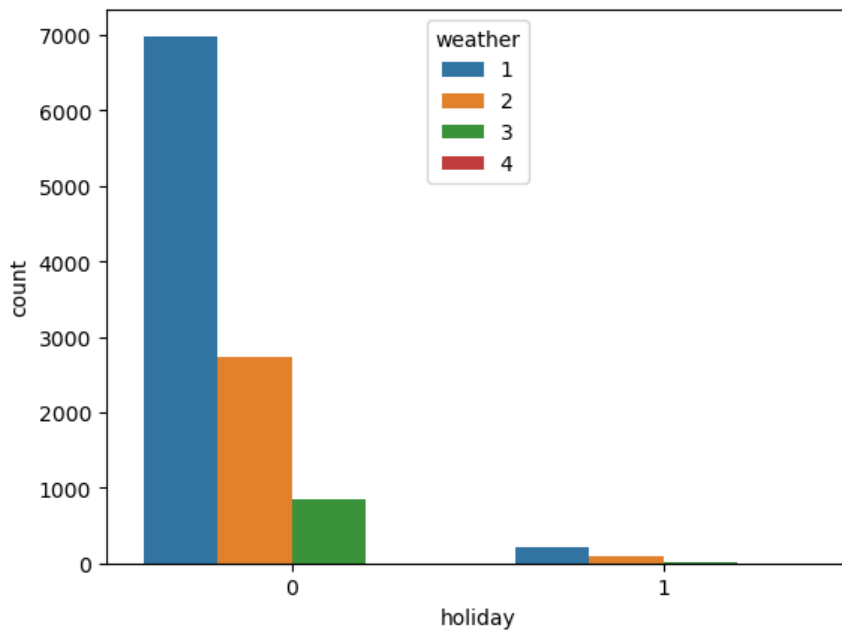
Working day having more demand. As employees must be using it to travel to their offices.

In [24]:

```
sns.countplot(df['holiday'], hue=df['weather'])
```

Out[24]:

<AxesSubplot:xlabel='holiday', ylabel='count'>



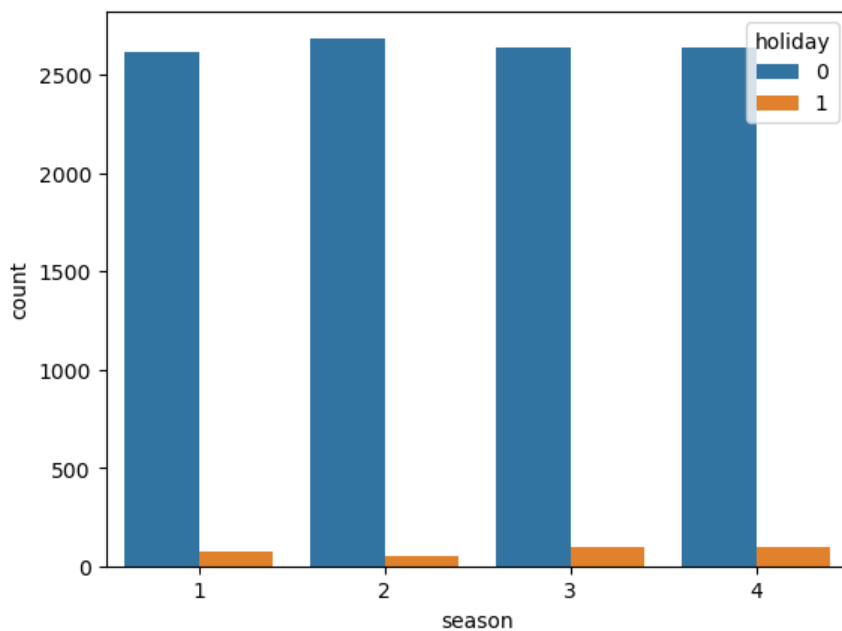
#More demand of Yulu bikes is on working day . As it can be used and a transport to commute to their offices.

In [25]:

```
sns.countplot(df['season'], hue=df['holiday'])
```

Out[25]:

<AxesSubplot:xlabel='season', ylabel='count'>



#In any season it is mostly used on working days.

In [26]:

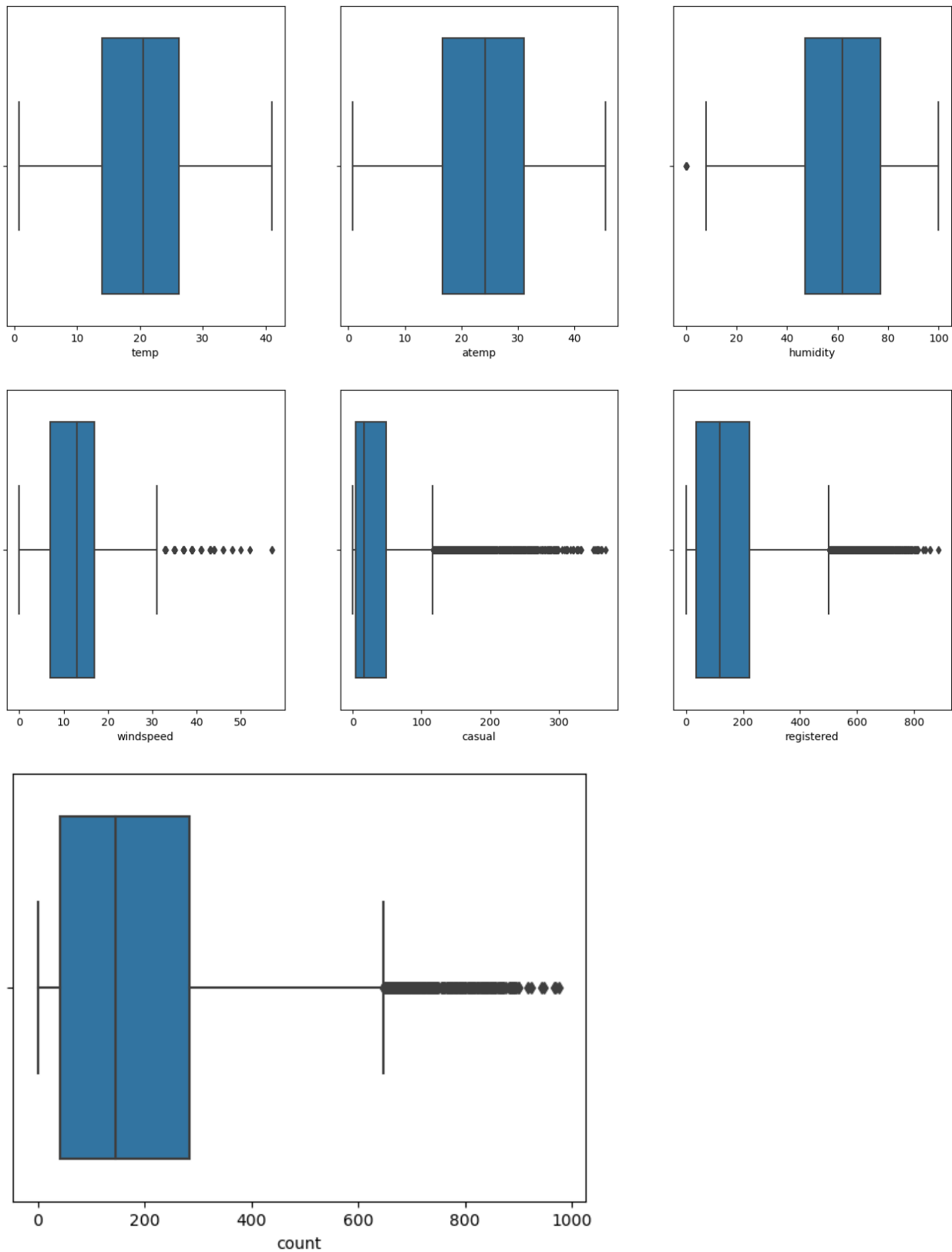
```
##Checking for outliers. Plotting boxplot for all the numerical columns.
```

In [27]:

```
fig, axis = plt.subplots(nrows=2, ncols=3, figsize=(16, 12))

index = 0
for row in range(2):
    for col in range(3):
        sns.boxplot(df[nume_cols[index]], ax=axis[row, col])
        index += 1

plt.show()
sns.boxplot(df[nume_cols[-1]])
plt.show()
```



In [28]:

```
#Here we observe be have outliers present for numerical columns such as count, windspeed, casual and registered.
```

Bin Count

In [29]:

```
bins=[0,40,100,200, 300, 500, 700, 900, 1000]
group=['Low', 'Average', 'medium', 'H1', 'H2', 'H3', 'H4', 'Very high']
```

In [30]:

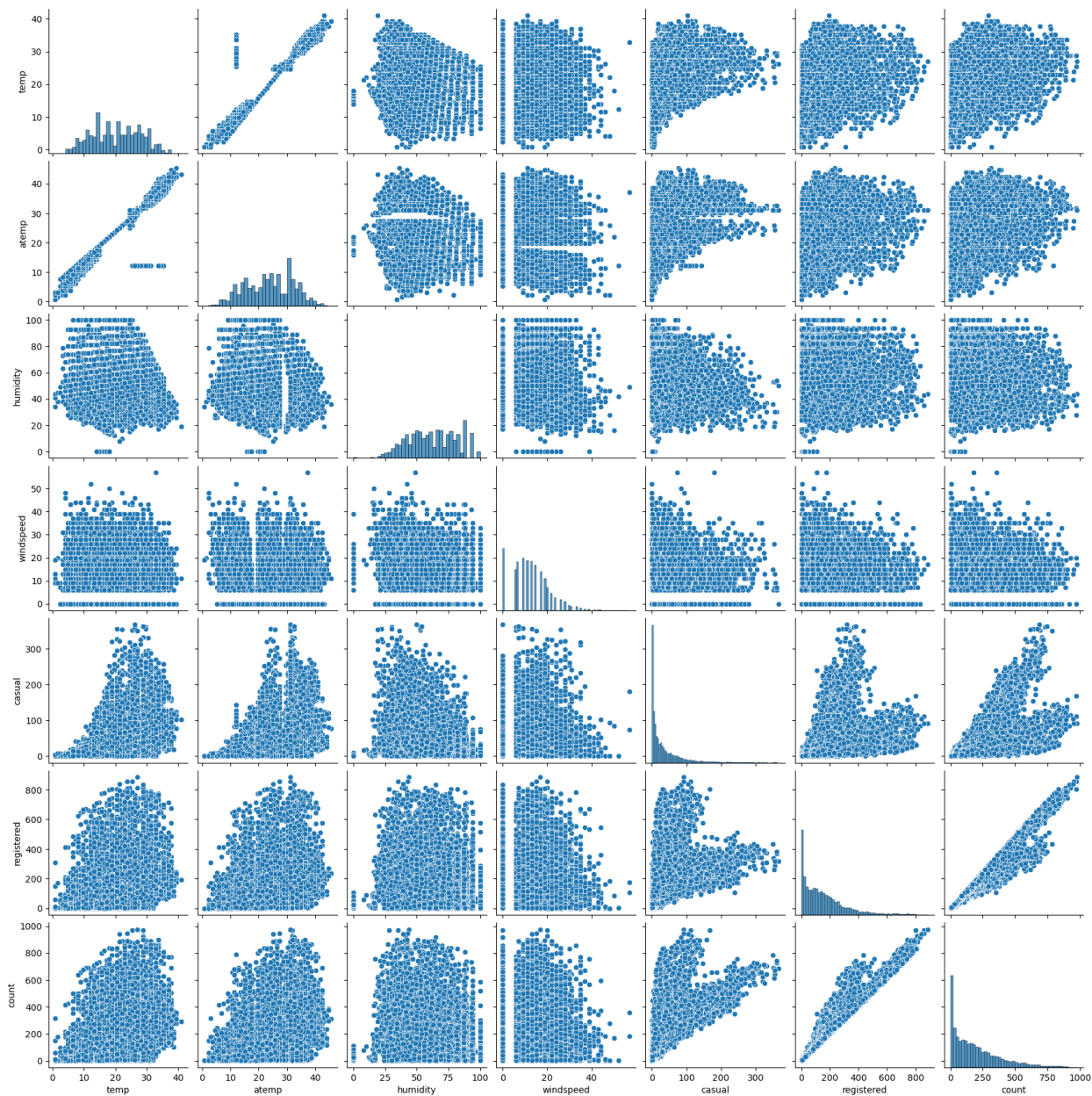
```
df['Rent_count']= pd.cut(df['count'],bins,labels=group) # Create new categorical column
```

In [31]:

```
sns.pairplot(df)
```

Out[31]:

```
<seaborn.axisgrid.PairGrid at 0x2b2e4ec48e0>
```



Bivariate Analysis

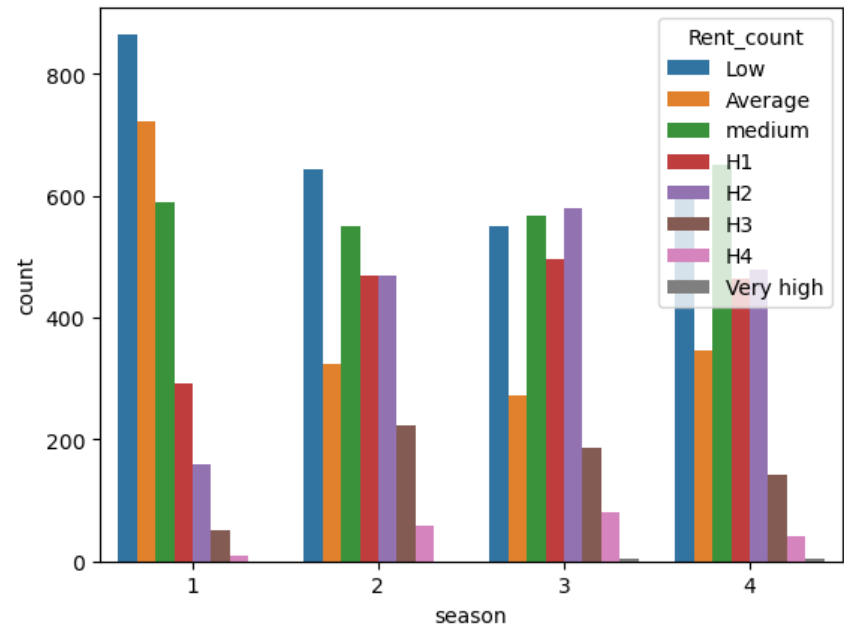
(Relationships between important variables such as workday and count, season and count, weather and count. As count was continuous variable I have binned it in to the categories as Rent_count Low, average, Medium, H1,H2,H3,H4,Very High

In [32]:

```
sns.countplot(df['season'], hue=df['Rent_count'])
```

Out[32]:

<AxesSubplot:xlabel='season', ylabel='count'>

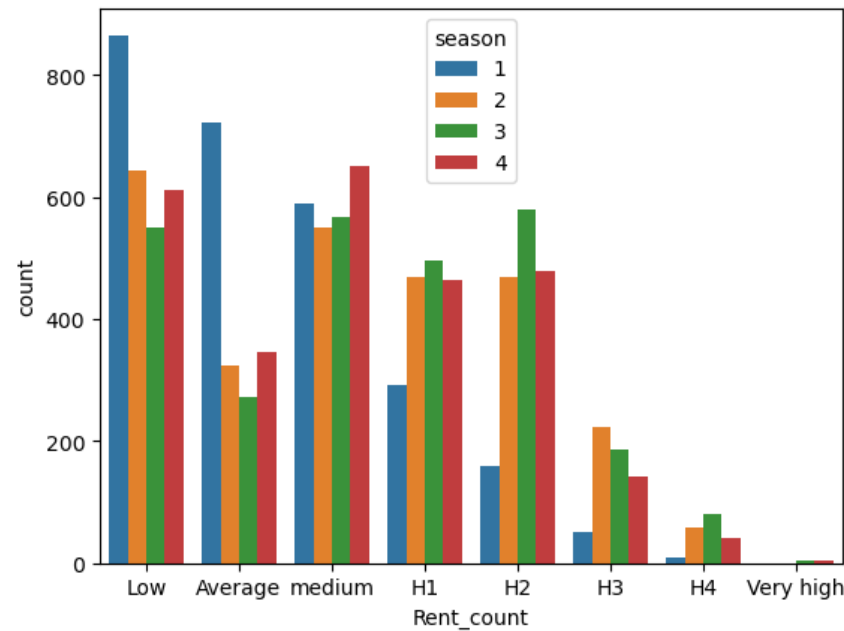


In [33]:

```
sns.countplot(df['Rent_count'], hue=df['season'])
```

Out[33]:

<AxesSubplot:xlabel='Rent_count', ylabel='count'>

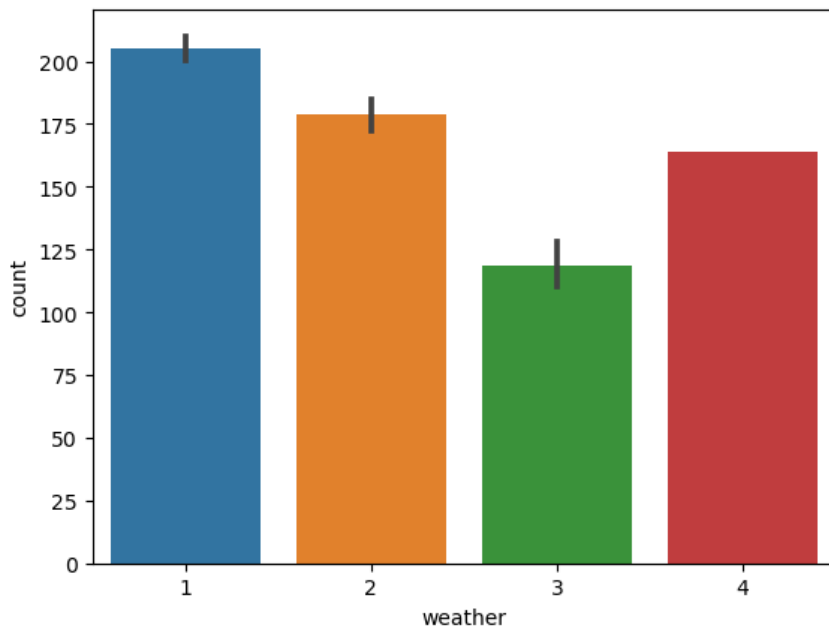


In [34]:

```
sns.barplot(df['weather'], df['count'])
```

Out[34]:

```
<AxesSubplot:xlabel='weather', ylabel='count'>
```

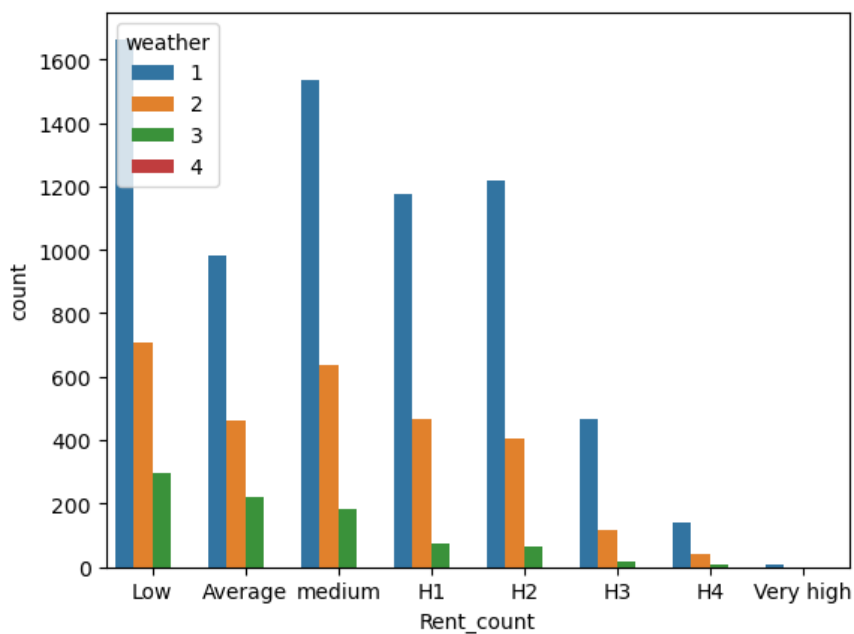


In [35]:

```
sns.countplot(df['Rent_count'], hue=df['weather'])
```

Out[35]:

```
<AxesSubplot:xlabel='Rent_count', ylabel='count'>
```

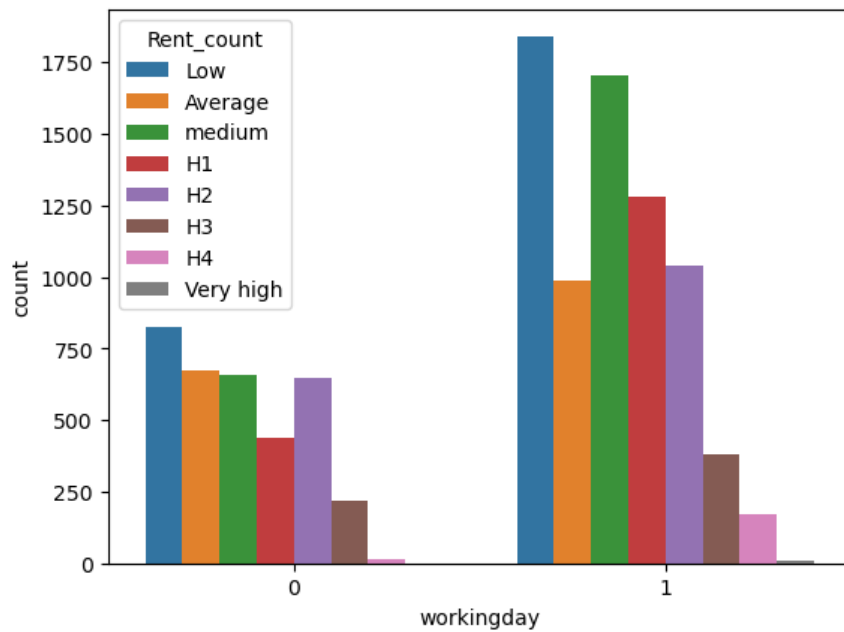


In [36]:

```
sns.countplot(df['workingday'], hue=df['Rent_count'])
```

Out[36]:

```
<AxesSubplot:xlabel='workingday', ylabel='count'>
```

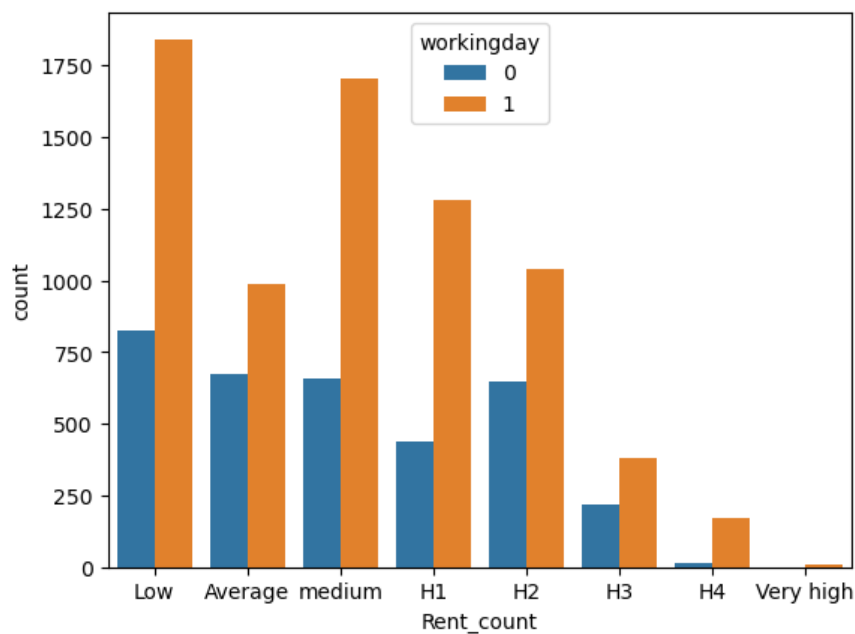


In [37]:

```
sns.countplot(df['Rent_count'], hue=df['workingday'])
```

Out[37]:

```
<AxesSubplot:xlabel='Rent_count', ylabel='count'>
```

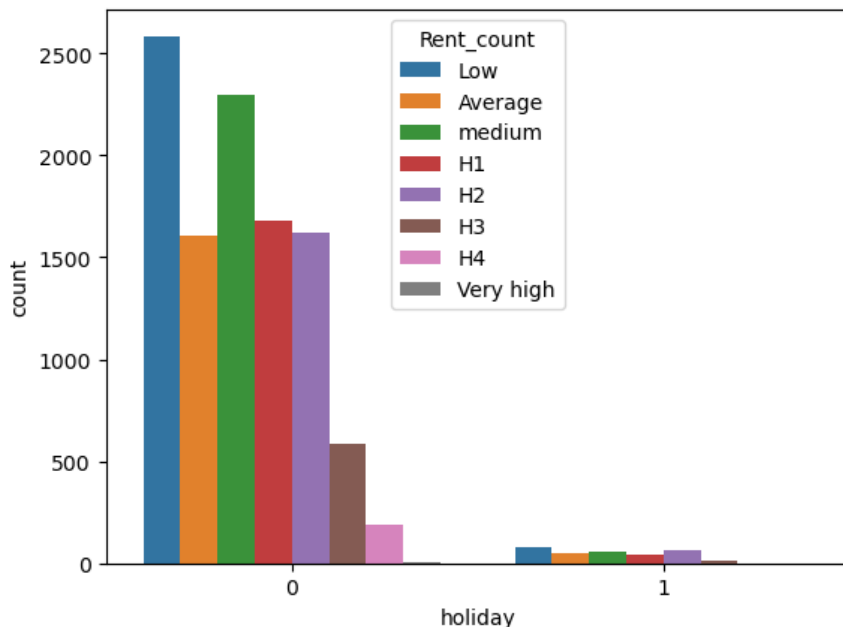


In [38]:

```
sns.countplot(df['holiday'], hue=df['Rent_count'])
```

Out[38]:

```
<AxesSubplot:xlabel='holiday', ylabel='count'>
```

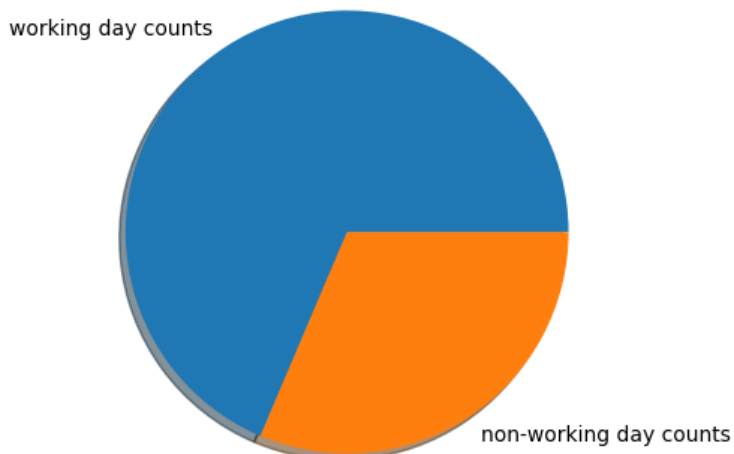


In [39]:

```
plt.pie([df.loc[df['workingday']==1]['count'].sum(), df.loc[df['workingday']==0]['count'].sum()],
        labels=['working day counts', 'non-working day counts'],
        shadow=True
    )
```

Out[39]:

```
([<matplotlib.patches.Wedge at 0x2b2ea2d2790>,
  <matplotlib.patches.Wedge at 0x2b2ea2d2ee0>],
 [Text(-0.6067654144600506, 0.9175160662435963, 'working day counts'),
  Text(0.6067653285559936, -0.9175161230530706, 'non-working day counts')])
```



Illustrate the insights based on EDA Comments on range of attributes, outliers of various attributes Comments on the distribution of the variables and relationship between them Comments for each univariate and bivariate plots

1. In summer and fall seasons more bikes are rented as compared to other seasons.
2. Whenever its a holiday more bikes are rented.
3. It is also clear from the workingday also that whenever day is holiday or weekend, slightly more bikes were rented.
4. Whenever there is rain, thunderstorm, snow or fog, there were less bikes were rented.

Check assumptions of the test (Normality, Equal Variance). You can check it using Histogram, Q-Q plot or statistical methods like levene's test, Shapiro-wilk test (optional) Please continue doing the analysis even If some assumptions fail (levene's test or Shapiro-wilk test) but double check using visual analysis and report wherever necessary

2 sample t test

Performing 2 sample t test on working day and non working day counts.

Taking significant level(alpha) as 0.05 for all test.

considering: Null hypothesis H_0 = mean of count of bike on non working day is equal to mean of counts of bike on working day.

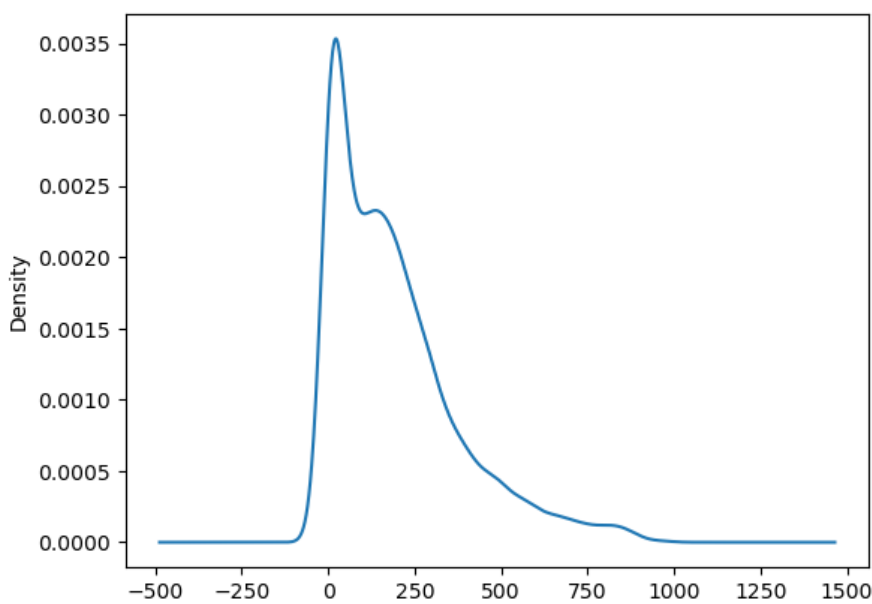
Alternate hypothesis H_n = mean of count of bike on non working day is not equal to mean of counts of bike on working day.

In [40]:

```
df.loc[df['workingday']==1]['count'].plot(kind='kde')
```

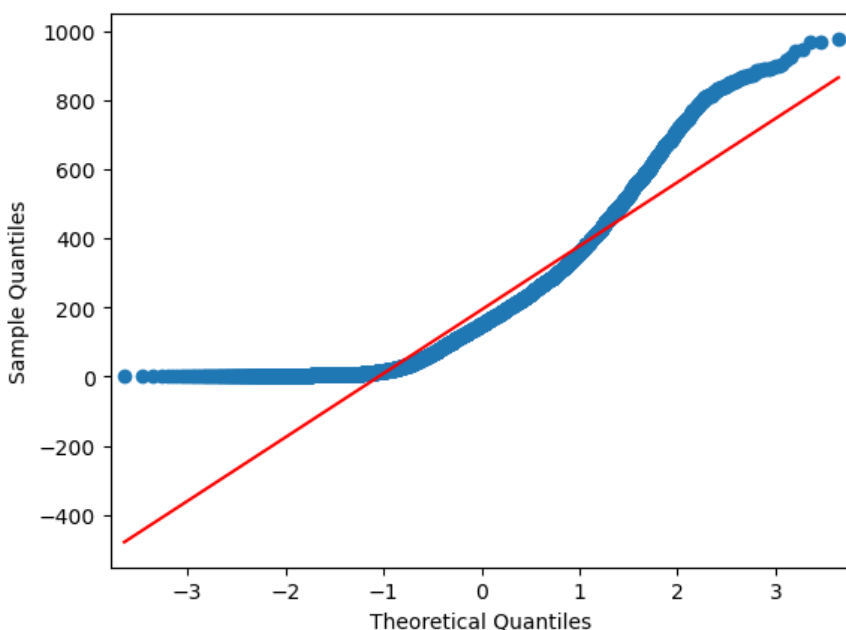
Out[40]:

<AxesSubplot:ylabel='Density'>



In [41]:

```
x=df.loc[df['workingday']==1]['count']  
sm.qqplot(x, dist=stats.norm, line='s');
```



In [42]:

```
#The distribution does not follows normal distribution
df1=df.loc[df['workingday']==1]['count'].reset_index()
df1.drop(['index'], axis=1, inplace=True)
df2=df.loc[df['workingday']==0]['count'].reset_index()
df2.drop(['index'], axis=1, inplace=True)
ttest,p_value=ttest_ind(df1,df2)
print("p_value = ",p_value)
```

p_value = [0.22644804]

Since the P value is greater than 0.05 hence null hypotheis has failed to reject.

So we can say that non non working day has no effect on counts of bike.

Hypothesis Testing (30 Points):

2- Sample T-Test to check if Working Day has an effect on the number of electric cycles rented (10 points) ANNOVA to check if No. of cycles rented is similar or different in different 1. weather 2. season (10 points) Chi-square test to check if Weather is dependent on the season (10 points)

In [43]:

```
t_stat, p_value = levene(df["count"],df["workingday"])
p_value
alpha = 0.5
```

2- Sample T-Test to check if Working Day has an effect on the number of electric cycles rented (10 points) H0 = There is no effect of Working Day on the number of electric cycles rented. Ha = There is an effect of WorkingDay on the number of electric cycles rented. Right/Left/Two_tailed Test_statistic Using ttest_ind

In [44]:

```
ttest_ind(df["count"], df["workingday"])
```

Out[44]:

Ttest_indResult(statistic=109.95076974934595, pvalue=0.0)

In [45]:

```
population_mean_count = df["count"].mean()
population_mean_count
```

Out[45]:

191.57413191254824

Select an appropriate test to check whether:

1. Working Day has effect on number of electric cycles r of cycles rented similar or different ented
2. No.in different seasons
3. No. of cycles rented similar or different in different weather
4. Weather is dependent on season (check between 2 predictor variable)

First 3 statements to chk are having one Numerical variable i.e. Count and one Categorical_variable as working Day or seasons or Weather. So For these type of questions we use ttest or Anova i.e (Numeric, catagorical)

4th one is both the categorical variables so use Chisquare or chi2_contingency test.

In [46]:

```
#1.Working Day has effect on number of electric cycles rented
population_mean_count = df["count"].mean()
population_mean_count
```

Out[46]:

191.57413191254824

In [47]:

```
df_workingday_count = df[df["workingday"] == 1]["count"]
df_workingday_count.mean()
```

Out[47]:

193.01187263896384

In [48]:

```
df_non_workingday_count = df[df["workingday"] == 0]["count"]
df_non_workingday_count.mean()
```

Out[48]:

188.50662061024755

Using ANOVA

In [49]:

```
#H0 = Working day does not have any effect on number of cycles rented.
#HA = Working day has an positive effect on number of cycles rented. i.e.  $\mu_1 > \mu_2$ 
# We consider it to be Right Tailed
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01
f_stat, p_value = f_oneway(df_workingday_count, df_non_workingday_count)
print(f"Test statistic = {f_stat} pvalue = {p_value}")
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

Test statistic = 1.4631992635777575 pvalue = 0.22644804226428558

Fail to reject Null Hypothesis

Using ttest

In [50]:

```
#H0 = Working day does not have any effect on number of cycles rented.
#HA = Working day has an effect on number of cycles rented.  $\mu_1 > \mu_2$ 
# We consider it to be Right Tailed.
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01
t_stat, p_value = ttest_ind(df_workingday_count, df_non_workingday_count, alternative = "greater")
print(f"Test statistic = {t_stat} pvalue = {p_value}")
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

Test statistic = 1.2096277376026694 pvalue = 0.11322402113180674

Fail to reject Null Hypothesis

2.No. of cycles rented similar or different in different seasons

#As we have 4 different seasons ttest will not work here. Need to use ANOVA #Using ANOVA

In [51]:

```
df_season1_spring = df[df["season"] == 1]["count"]  
df_season1_spring_subset = df_season1_spring.sample(100)
```

In [52]:

```
df_season2_summer = df[df["season"] == 2]["count"]  
df_season2_summer_subset = df_season2_summer.sample(100)
```

In [53]:

```
df_season3_fall = df[df["season"] == 3]["count"]  
df_season3_fall_subset = df_season3_fall.sample(100)
```

In [54]:

```
df_season4_winter = df[df["season"] == 4]["count"]  
df_season4_winter_subset = df_season4_winter.sample(100)
```

In [55]:

```
#We have taken samples of each dataframe to send it to shapiro as Shapiro test
```

checking for assumptions:

In [56]:

```
#Levene's Test
```

In [57]:

```
#H0 = All samples have equal variance  
#HA = At least one sample will have different variance  
t_stat, p_value = levene(df_season1_spring, df_season2_summer, df_season3_fall, df_season4_winter)  
p_value
```

Out[57]:

1.0147116860043298e-118

#Shapiro == Test for normality #We are taking samples of the available data. As it works well with (50 to 200) values. So we have created subset of each of 100 values.

In [58]:

```
#H0 = Sample is drawn from NormalDistribution  
#HA = Sample is not from Normal Distribution  
##Here we are considering alpha (significance value as ) 0.05
```

```
t_stat, pvalue = shapiro(df_season1_spring_subset)  
if pvalue < 0.05:  
    print("Reject H0 Data is not Gaussian")  
else:  
    print("Fail to reject Data is Gaussian")
```

Reject H0 Data is not Gaussian

In [59]:

```
t_stat, pvalue = shapiro(df_season2_summer_subset)  
if pvalue < 0.05:  
    print("Reject H0 Data is not Gaussian")  
else:  
    print("Fail to reject Data is Gaussian")
```

Reject H0 Data is not Gaussian

In [60]:

```
t_stat, pvalue = shapiro(df_season3_fall_subset)
if pvalue < 0.05:
    print("Reject H0 Data is not Gaussian")
else:
    print("Fail to reject Data is Gaussian")
```

Reject H0 Data is not Gaussian

In [61]:

```
t_stat, pvalue = shapiro(df_season4_winter_subset)
if pvalue < 0.05:
    print("Reject H0 Data is not Gaussian")
else:
    print("Fail to reject Data is Gaussian")
```

Reject H0 Data is not Gaussian

In all the above 4 test we got p_value almost 0.0 (like 10^{-6} or so) which is less than alpha so we Reject the Null Hypothesis of these samples from Normal Distribution

#From above we can say that none of the samples are from Normal distribution. So Anova assumption fails here. But still we will go ahead with the test as it is mentioned in the problem statement.

In [62]:

```
#t_stat, p_value = kruskal
```

In []:

In [63]:

```
#H0 = season does not have any effect on number of cycles rented.
#HA = At least one season out of four (1:spring, 2:summer, 3:fall, 4:winter) has an effect on number of cycles rented.
#Righ Tailed /Left/Two
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01

f_stat, p_value = f_oneway(df_season1_spring, df_season2_summer, df_season3_fall, df_season4_winter)
print(f"Test statistic = {f_stat} pvalue = {p_value}")
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

Test statistic = 236.94671081032106 pvalue = 6.164843386499654e-149
Reject Null Hypothesis

3.No. of cycles rented similar or different in different weather

#As we have 4 different weather ttest will not work here. Need to use ANOVA

In [64]:

```
df_weather1_clear = df[df["weather"] == 1]["count"]
df_weather1_clear.mean()
```

Out[64]:

205.23679087875416

In [65]:

```
df_weather2_Mist = df[df["weather"] == 2]["count"]
df_weather2_Mist.mean()
```

Out[65]:

178.95553987297106

In [66]:

```
df_weather3_LightSnow = df[df["weather"] == 3]["count"]  
df_weather3_LightSnow.mean()
```

Out[66]:

118.84633294528521

In [67]:

```
df_weather4_HeavyRain = df[df["weather"] == 4]["count"]  
df_weather4_HeavyRain.mean()
```

Out[67]:

164.0

In [68]:

```
#checking for assumptions
```

In [69]:

```
#Levene's Test = It is chekking for variance
```

In [70]:

```
#H0 = All samples have equal variance  
#HA = At least one sample will have different variance  
t_stat, p_value = levene(df_weather1_clear, df_weather2_Mist, df_weather3_LightSnow, df_weather4_HeavyRain)  
p_value
```

Out[70]:

3.504937946833238e-35

In [71]:

```
#Shapiro == Test for normality
```

In [72]:

```
#H0 = Sample is drawn from NormalDistribution  
#HA = Sample is not from Normal Distribution  
##Here we are considering alpha (significance value as ) 0.05  
  
shapiro(df_weather1_clear)
```

Out[72]:

ShapiroResult(statistic=0.8909230828285217, pvalue=0.0)

In [73]:

```
shapiro(df_weather2_Mist)
```

Out[73]:

ShapiroResult(statistic=0.8767687082290649, pvalue=9.781063280987223e-43)

In [74]:

```
shapiro(df_weather3_LightSnow)
```

Out[74]:

ShapiroResult(statistic=0.7674332857131958, pvalue=3.876090133422781e-33)

In [75]:

```
#shapiro(df_weather4_HeavyRain)
```

In [76]:

df_weather4_HeavyRain

Out[76]:

5631 164
 Name: count, dtype: int64

using ANOVA

In [77]:

```
#H0 = weather does not have any effect on number of cycles rented.
#HA = At least one weather out of four (1: clear, 2: Mist, 3:Light snow, 4:Heavy Rain) has an effect on number of cycles re
#Righ Tailed /Left/Two
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01
f_stat, p_value = f_oneway(df_weather1_clear,df_weather2_Mist,df_weather3_LightSnow,df_weather4_HeavyRain)
print(f"Test statistic = {f_stat} pvalue = {p_value}")
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

Test statistic = 65.53024112793271 pvalue = 5.482069475935669e-42
 Reject Null Hypothesis

In [78]:

```
#H0 = weather does not have any effect on number of cycles rented.
#HA = At least one weather out of four (1: clear, 2: Mist, 3:Light snow, 4:Heavy Rain) has an effect on number of cycles re
#Righ Tailed /Left/Two
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01
f_stat, p_value = f_oneway(df_weather1_clear,df_weather2_Mist,df_weather3_LightSnow)
print(f"Test statistic = {f_stat} pvalue = {p_value}")
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

Test statistic = 98.28356881946706 pvalue = 4.976448509904196e-43
 Reject Null Hypothesis

Conclusion

#As we can see the pvalue is very very very low and we are Rejecting Null Hypothesis because we see weather 4 having rent count negligible and clear and lightsnow have good number of bikes rented. So it does impact and not all similar.

4.Weather is dependent on season (check between 2 predictor variable)

4.Using chisquare_test

In [79]:

```
val = pd.crosstab(index = df["weather"], columns = df["season"])
print(val)
chisquare(val)
```

season	1	2	3	4
weather				
1	1759	1801	1930	1702
2	715	708	604	807
3	211	224	199	225
4	1	0	0	0

Out[79]:

```
Power_divergenceResult(statistic=array([2749.33581534, 2821.39590194, 3310.63995609, 2531.07388442]), pvalue
=array([0., 0., 0., 0.]))
```

4.Using chi2_contingency test

In [80]:

```
#H0 = Weather is not dependent (Independent) on season.
#HA = Weather is dependent on Season
#Righ Tailed /Left/Two
#Test Statistic and p_value
#We will consider alpha as 0.01 significance value. i.e 99% confidence
alpha = 0.01
val = pd.crosstab(index = df["weather"], columns = df["season"])
#print(val)
chi_stat, p_value, df, confusion_matrix = chi2_contingency(val)
print(f"Test statistic = {chi_stat} pvalue = {p_value}") #degree of freedom (df) = {df}")
#print("The confusion matrix is :")
#print(confusion_matrix)
if (p_value < alpha):
    print("Reject Null Hypothesis")
else:
    print("Fail to reject Null Hypothesis")
```

```
Test statistic = 49.15865559689363 pvalue = 1.5499250736864862e-07
Reject Null Hypothesis
```

Conclusion:

We reject NULL hypothesis that is Weather is independent from season at significance 0.01 we get that the p_value comes out to very low and These 2 attributes are strongly dependent on each other.

Insights

1. A 2-sample T-test on working and non-working days with respect to count, implies that the mean population count of both categories are the same.
2. An ANOVA test on different seasons with respect to count, implies that population count means under different seasons are not the same, meaning there is a difference in the usage of Yulu bikes in different seasons.
3. By performing an ANOVA test on different weather conditions except 4 with respect to count, we can infer that population count means under different weather conditions are the same, meaning there is a difference in the usage of Yulu bikes in different weather conditions.
4. By performing a Chi2 test on season and weather (categorical variables), we can infer that there is an impact on weather dependent on season.
5. The maximum number of holidays can be seen during the fall and winter seasons.
6. There is a positive correlation between counts and temperature.
7. There is a negative correlation between counts and humidity.
8. More number of counts when weather is clear with less clouds, proved by annova hypothesis test.

Recommendations:

1. As casual users are very less Yulu should focus on marketing strategy to bring more customers. for eg. first time user discount, friends and family discounts, referral bonuses etc.
2. On non working days as count is very low Yulu can think on the promotional activities like city exploration competition, some health campaigns etc.
3. In heavy rains as rent count is very low Yulu can introduce a different vehicle such as car or having shade or protection from that rain.

