

Ch:1 Introduction

1.1 Intro & application of DBMS

1.2 Purpose of database

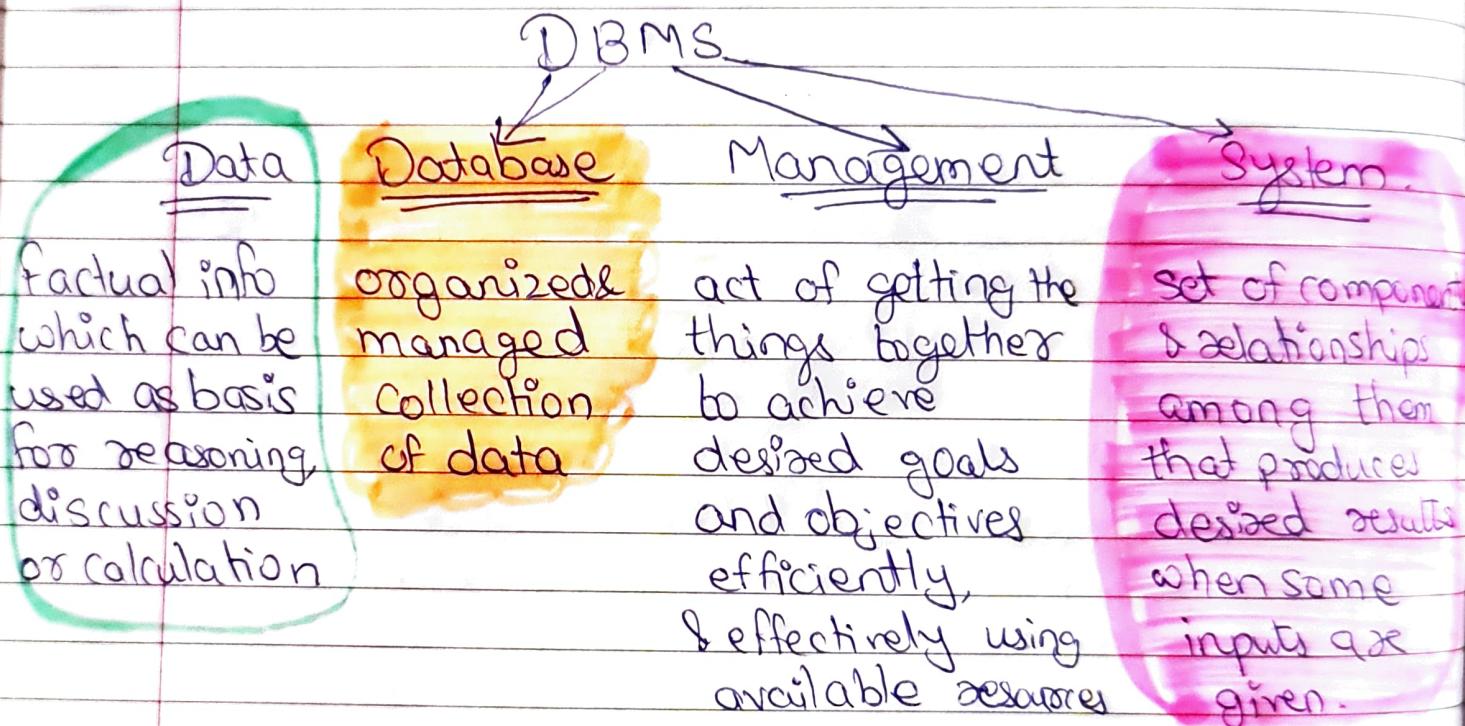
1.3 Data independence

1.4 Database - System architecture - level

1.5 mappings

1.6 Database user & DPA

1.1 Intro & application of DBMS.



* Database Management System =

Collection of interrelated data and a set of programs and procedures to provide mechanisms for storage, access, manipulation & safety of those data.

→ Database can be seen in various fields like banking, educational institution, financial institutions, airlines, railways, telecommunication, etc.

⇒ Difference between Data & information

→ Data = It is the total set.

→ Information = Data that is usable according to your situation is information, rest is data.

⇒ Eg:

There are 10,000 trains in Indian railway and have data of those 10,000 trains.



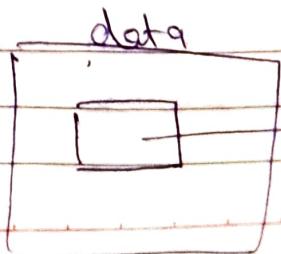
friend 1

- he has to travel through Chennai express, so that data related to Chennai express is information for friend 1 & rest is data

which is not needed to friend 1 this time.

friend 2.

- for him, only data related to shatabdi express is information - rest is just data.



data which
is usable
for that time
is information

1.2 Purpose of Database

- To store large number of data, it was difficult to manage this task using file system.
- Finally, we got rid of it with what is called DBMS

* File System vs DBMS

1. Data Redundancy

- It means repetition of data.
- For example: A student registered himself in two different sports but has only one address.

The address gets repeated in both records.

Cricket
Name: Shub
Address: 123 malviya street Jaipur

Chess
Name: Ananya
Address: Jaipur

Cricket
Name: Shub
Address: 123 malviya street Jaipur

Chess
Name: Ananya
Address: Jaipur

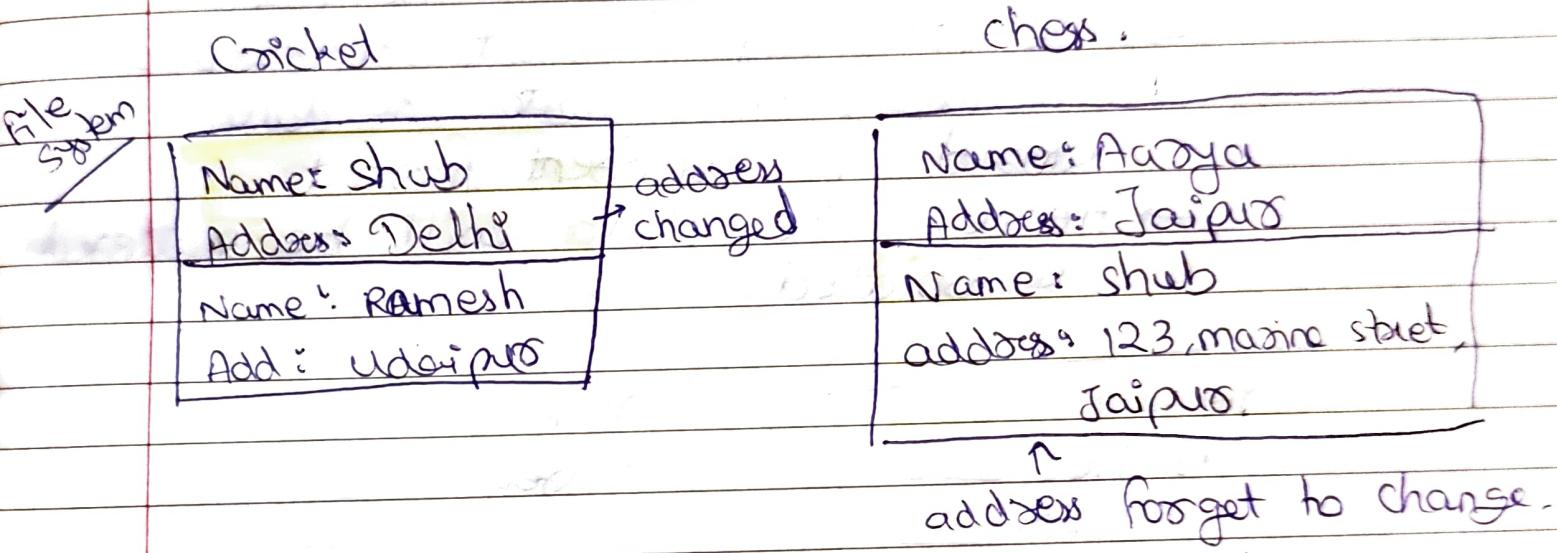
In DBMS, there is only one copy of a particular data, that is accessible from all places, where needed.

id	name	sports	id	address
1	shub	Cricket	1	123 malviya street Jaipur
2	Ramesh	Cricket	2	Udaipur
3	Ananya	Chess	3	Jaipur
1	Shub	Chess		

→ This repetition requires more storage & cost

2. Inconsistency:

- It means, A thing is existed in the form in which it should not be.
- For example: A student changes his address, so the authority changed it in Cricket records but forgot to change in Chess records.
So there will be two addresses of a student which is not possible.



→ This leads to inconsistency in data base.

Ans This does not occur in DBMS, because there is only one ^{common} table of address, so we need to change once only.

3. Data Isolation

- In file system, different people can go with different formats for storing the data.
- For example: An authority suggest particular format of storing data & assigns.
 - Another authority will be recruited and suggest another format of storing data.
 - If same thing goes on there will be various formats by the time.
 - We will need different programs to access & manipulate the data stored in different format.
 - Hence, the data will be scattered & isolated.

Name:

Address line1: _____
line2: _____

format suggested
by 1st person

Name:

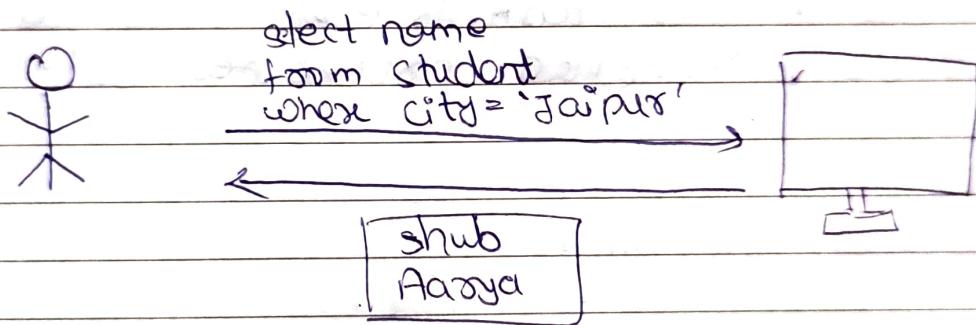
Address: _____

format suggested by
2nd person.

- In DBMS, this can be avoided since only one fixed format can be decided and stored in system for long term.

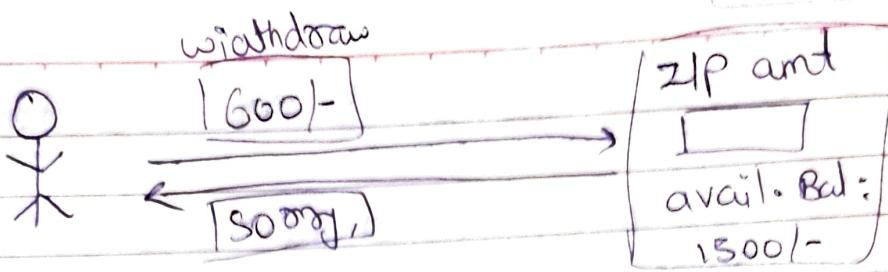
4. more effortful Access & manipulation of Data

- In file system, the data reside in different formats, so it is not easy to access the data according to our needs.
- For example: If an authority asks an employee to get list of student who live in Jaipur, so the employee has to get names manually as there is no such program available. Time taking task.
- In DBMS, employee has to type one or two lines and list will be generated.



5. Integrity problems

- Integrity = putting constraint/restriction.
- In file system, we can't impose constraints on our data.
- In DBMS, we can put constraint.
- For example: We put a constraint that in an account the minimum balance should be 1000. If you have ₹1500 in account & want to withdraw ₹600 then system will deny due to integrity constraint.

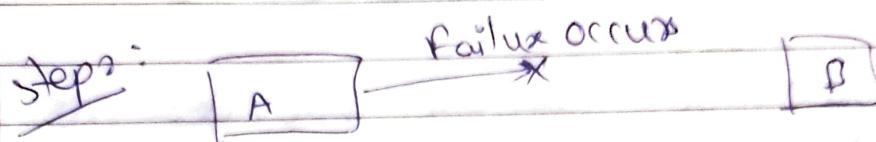
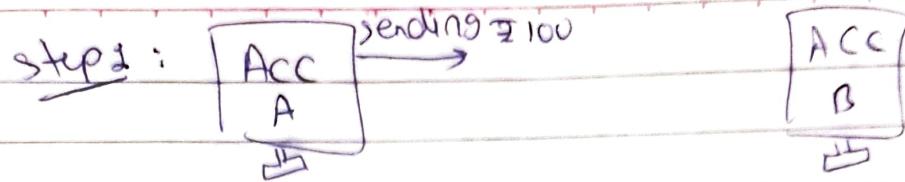


6. Backup Problems:

- In file system, it is not easy to have a backup of all data.
As in file system different formats are existed and data exist is scattered form so backing up data becomes a typical task.
- In DBMS, this task is easy, we just need to follow predefined procedures only.

7. Recovery Problems:

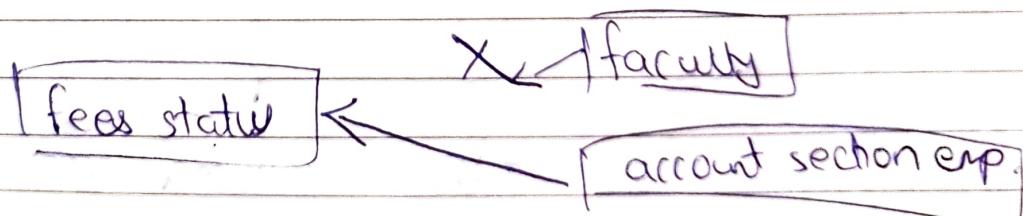
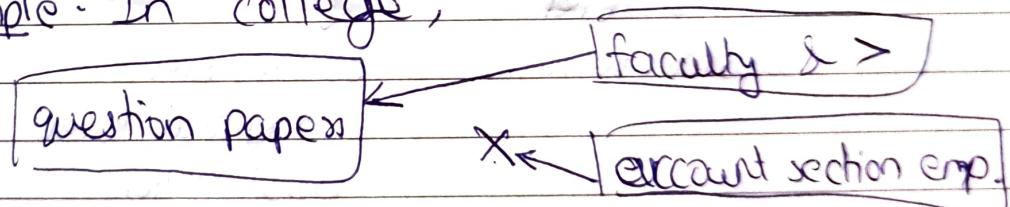
- When there is a system failure, we need some strategy to recover the data as the system has to be restored to the same state, that existed before failure.
- In file system, it is not possible.
- For example: If ₹100 is transferred from account A to B, and failure occurs when ₹100 is deducted from A but does not deposited to B.
- Then ₹100 should be deposited back to account A, otherwise the system will become inconsistent.



8. Security Issues:

→ In an organization, it is not necessary that all people have same level of access authorization for all data.

→ For example: In college,

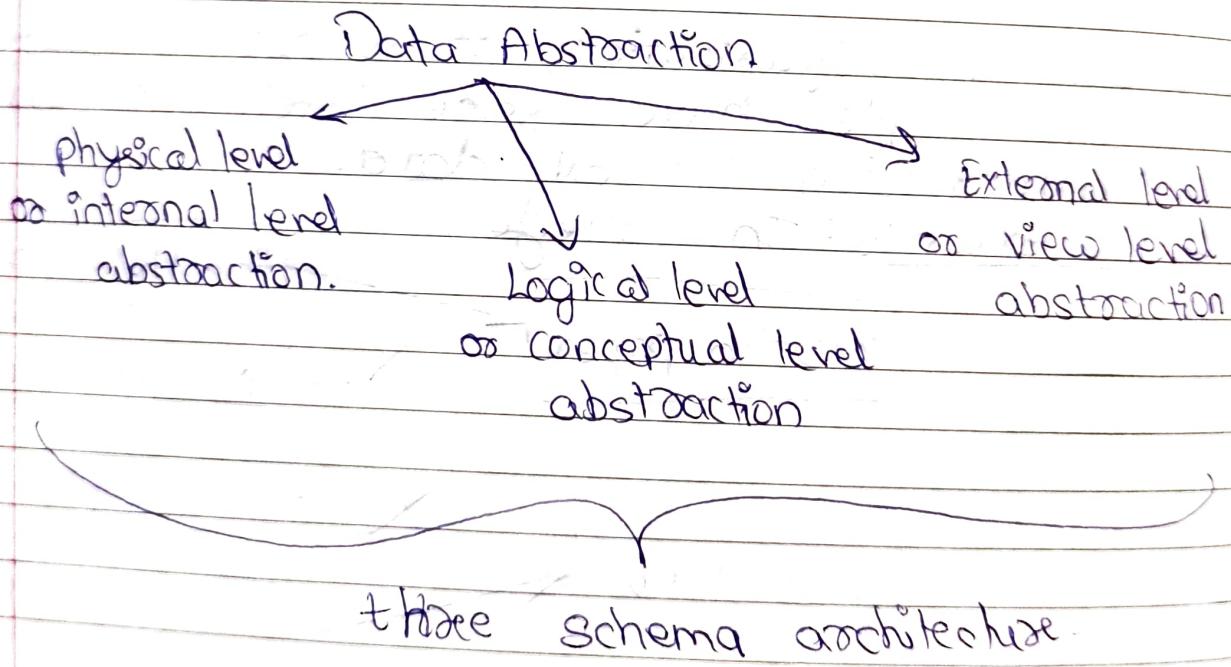


→ Such constraint can be applied with DBMS by creating different user names & passwords for different people in organization.

15

mapping1. * Data Abstraction / View of Data

- The database system provides its user an abstract view of data i.e. the system hides the internal implementation structure and type of data for providing the feature of simple and easy interfacing.
- There are 3 levels of abstraction



(a) Physical level abstraction:

- It tells how data is stored
- Lowest Level of abstraction
- Describes database structure in detail
- A Database Administrator (DBA) may have some idea about physical level storage

Physical storage of data

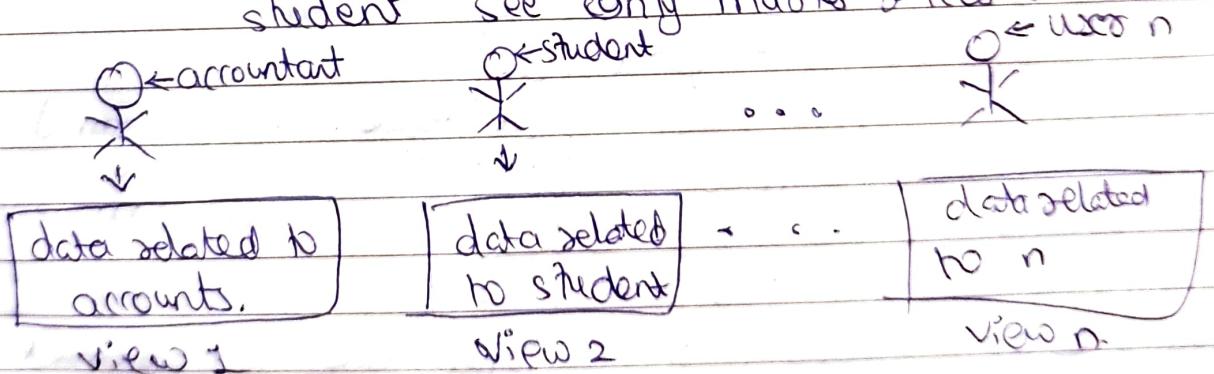


(b) Logical level abstraction:

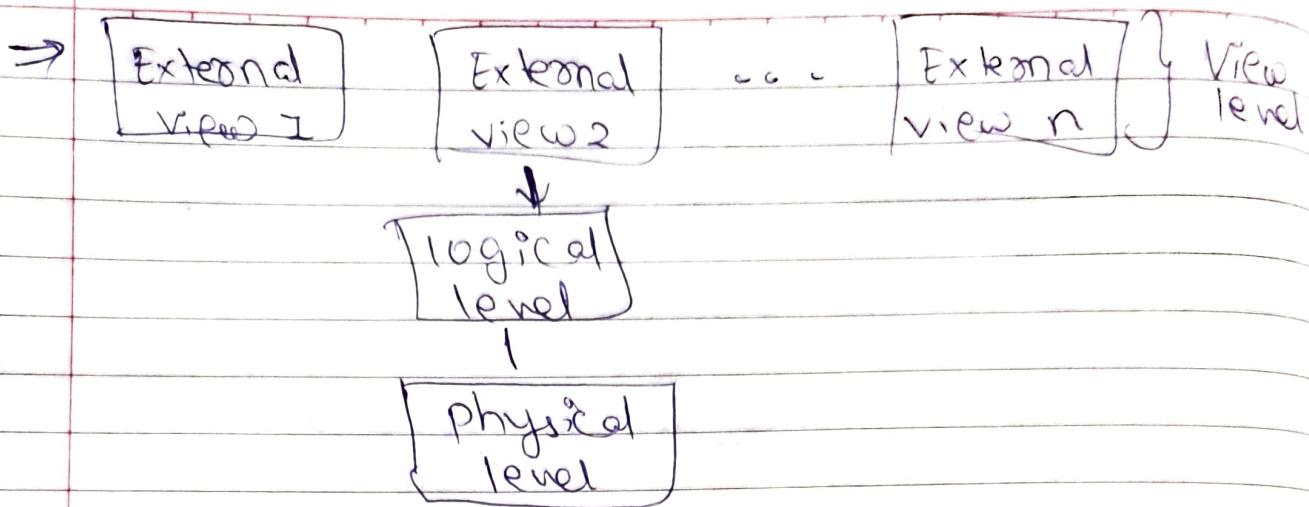
- It tells what type of data is stored and also constraints associated with data.
- middle level of abstraction
- Describes Relationships among Data.
- The decision of datatype and constraint is taken by programmer and it is hidden from external user.

(c) View level abstraction:

- It tells how the data is looked to external user.
- There can be number of different views.
- for example: Accountant can see account section of student see only marks & fees status.

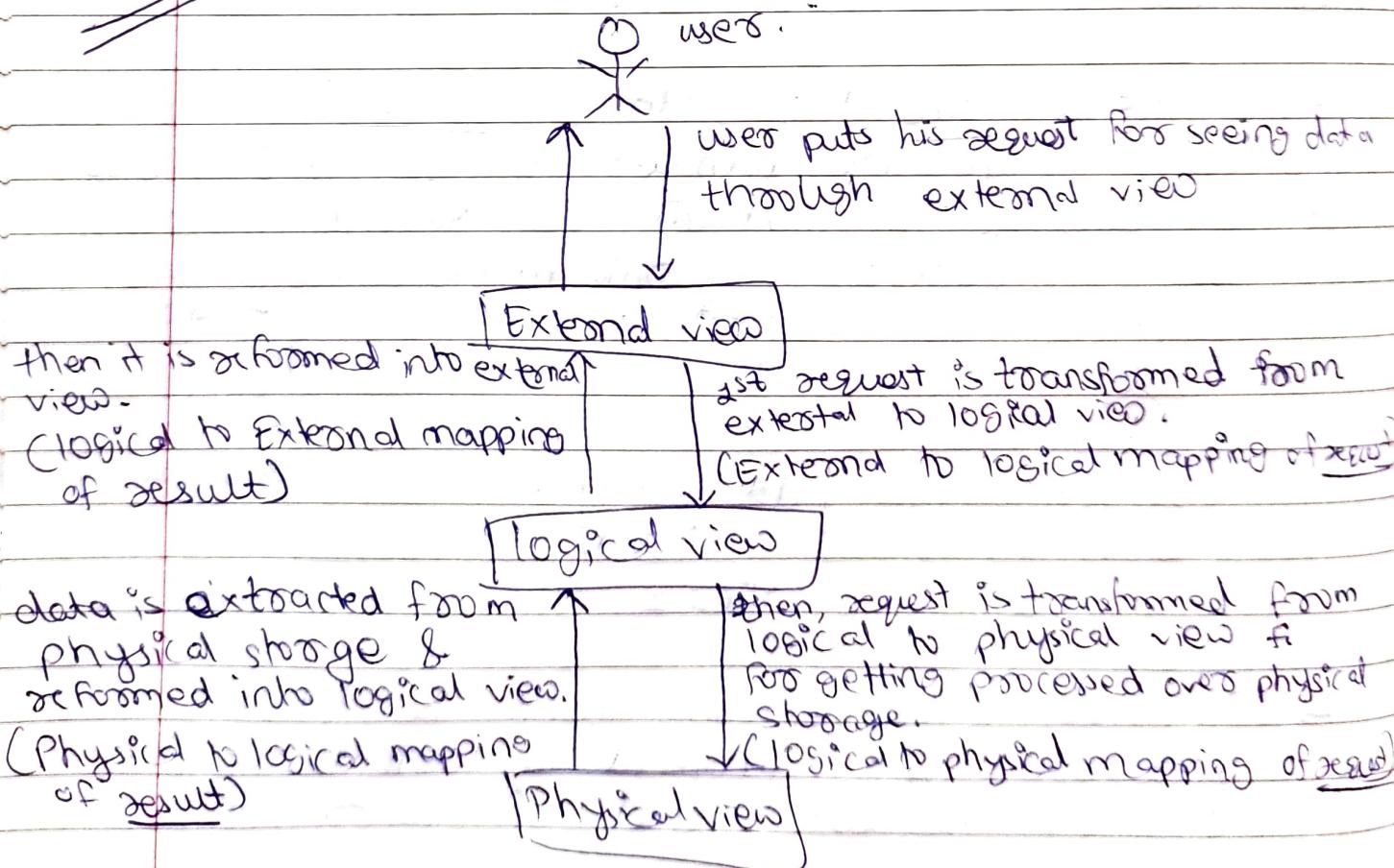


- At this level external user is totally unaware of physical & logical level ∵ it is highest level of abstraction.



Hierarchy of abstraction.

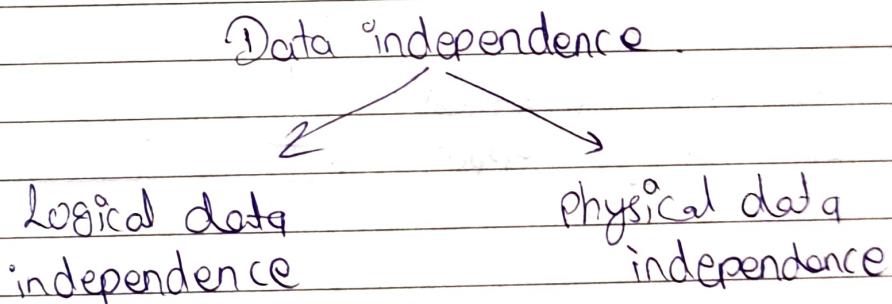
Concept of mapping



→ This process of transforming request to result from one level to another is called mapping.

1.3 Data Independence

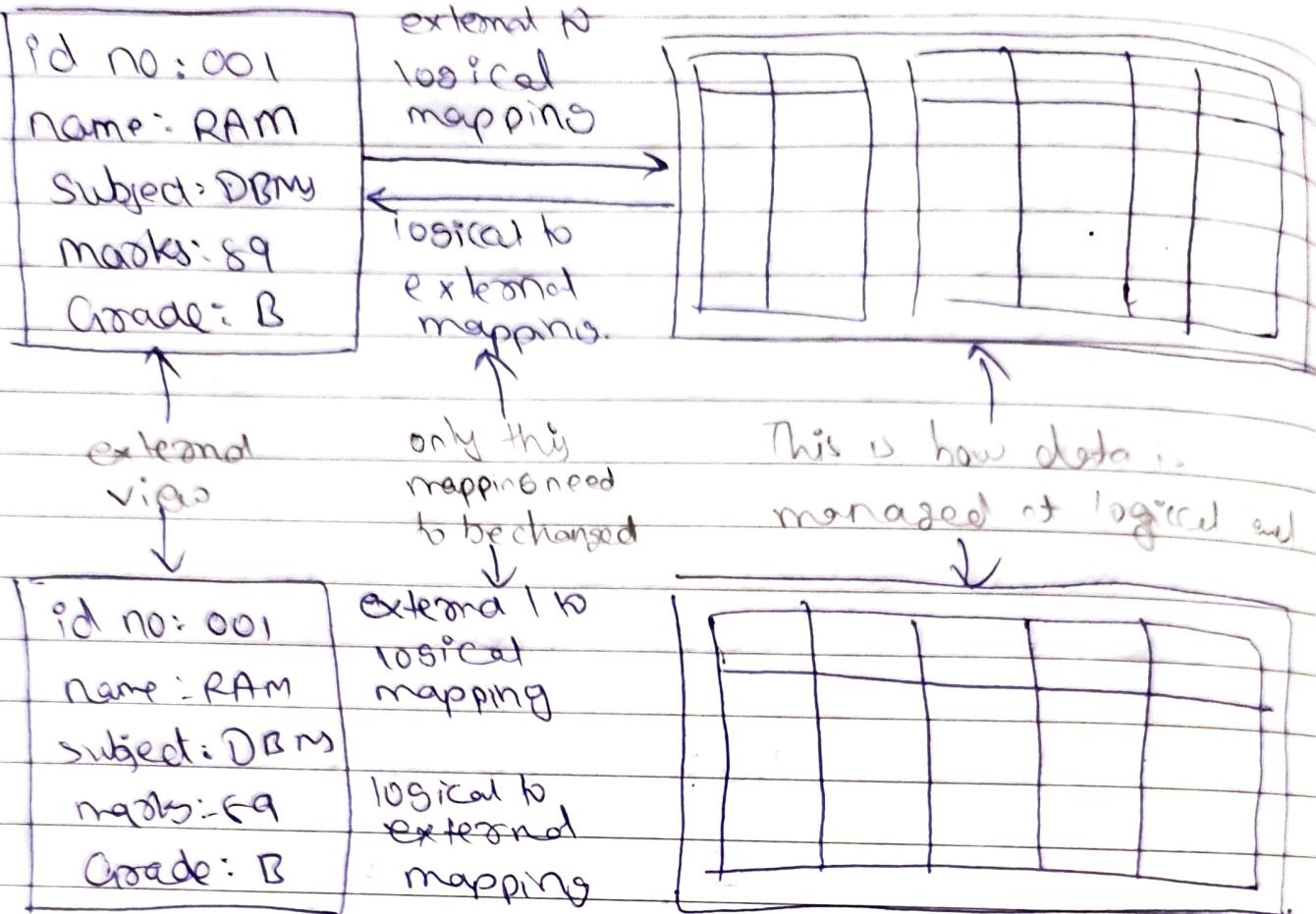
- Data independence is a feature of power to change the schema at one level without getting other level schema affected.
- If we make changes at one level, then we do not need to make change of other level schema.
- It means upper levels are unaffected by changes in lower level.



(a) Logical data independence.

- It is a power to change logical schema without any need of changing external schema.
- If we change structure then we do not need to change external structure (at logical level)
- Difficult to achieve

Q8.



(b) Physical data independence

- Powers to change physical level schema without making changes in logical level.
 - If we change structure at physical level then do not need to change structure at logical level.
- It is needed for improving performance in retrieval, insertion or updation of data.
- Example of changing physical schema:
 - Relocation of data, merging, splitting.
 - Providing new access path to data, etc.
- Easy to achieve.

Database system is made up of few subsystems or components.

The basic building components are:

User & DBA Query processor storage manager disk storage.

* Users & Database Administrators:

→ The people who interact with database are classified into

database users

database administrator

(a) Database user

→ There can be different users who use database in different manners.

(b) Database administrators: DBA

- DBA is a person who monitors and controls database.
- Responsible for deciding level of access (read, read & write, read & write & edit) to a particular person.

→ The responsibilities that come under DBA:

- Schema definition
- DBA has to define structure of DB by writing queries.
- applying constraints through keys.
- Modification of logical & physical level schema.
- DBA has to modify structure of DB by executing queries.
- for improving performance, he may supposed to modify physical level schema.

• Routine maintenance

- The activities which are done on a regular or on fixed time interval are routine activities.
- It includes - taking backup of data
 - monitoring resource consumption by specific process.
 - Availability of enough disk storage
 - prevention of data by unauthorized parties

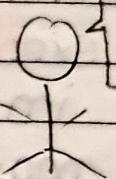
• Granting different level of authorization for person

- within an organization every person should not be able to access all data.
- DBA has to assign different level of access to different people.

your password is "stut", you can read your
 fees status, but you can't write it, you can't see
 other status also.
 your password is "acct", you can read & write
 fees status of all students.
 your password is "fac001", you can see
 your salary status but can't write
 your password is "cha001", you
 can read, write, edit all records



DBA

I am a
chair person

* Query processor

→ It is a component of database architecture which process a query coming from one of the database user.

→ Query processor is made up of 3 main sub components:

ODL

interpreters

DM2

compiler

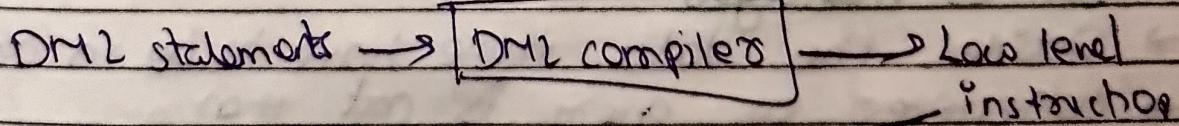
query evaluation
engine

• DDL Interpreters

- It interprets DDL statements
(Data Definition Language statements)
- Records data definition in data dictionary.
- Data dictionary contains meta data (data about data)
- Eg. name → char(24)
data ,
metadata (this is kept in data dictionary by DDL interpreter)

• DML compilers

- It translates DML statements (Data Manipulation Language statement)
DML statements are queries written for manipulating data.
- It provides feature of query optimization
(execution of query with lowest cost)
it picks the form which consume lowest cost
DML statements can be translated in many forms
and all of them give same results.
- Here, lower the time consumed, ↓ time & cost.
lower the cost will be.
∴ cost can be seen as factor of time.



• Query evaluation engine

- These low level instructions are executed by query evaluation engine.

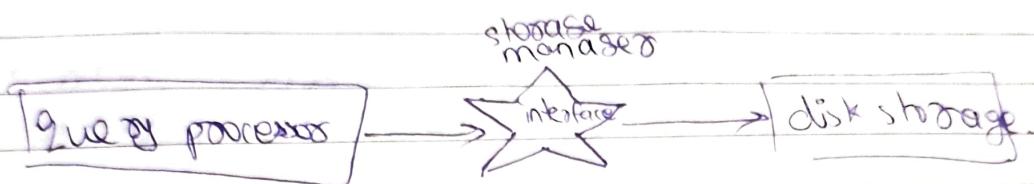
Low level instructions

Query evaluation engine

evaluates query
earily for fetching data
from storage units

* Storage Manager

→ It is a program module that provides interface between query coming from query processor and data that is stored in disk storage.



→ Storage manager program is made up of

- file manager
- buffer manager
- Transaction manager
- Authorization & integrity manager.

→ The work carried out by sub-components are:

• file manager

→ responsible for

- managing space on disk
- deciding storage structure & data structure to store data.

• Buffer manager

→ Decides the data those have to be in cache memory

→ whenever a query is put then

- ① data is fetched from storage
- ② & some data put in cache memory for specified time.

So if other user or same user ask for same data, then it can be fetched from cache memory

→ ∵ time for fetching reduces.

- Transaction manager

→ monitors - transaction that goes on particular time.
 ensure - that transaction occurs fully or not at all.
 - → consistency in database.

- Authorization & integrity manager.

→ ensures - integrity to be maintained in Database system.
 → Authorization manager checks - the user, whether it is authorized for specific access or not.

* Disk storage

→ It contains - the data itself &
 - metadata
 → Different parts that can be seen in disk storage are:

- Data files

→ These are main storage, where actual data resides.

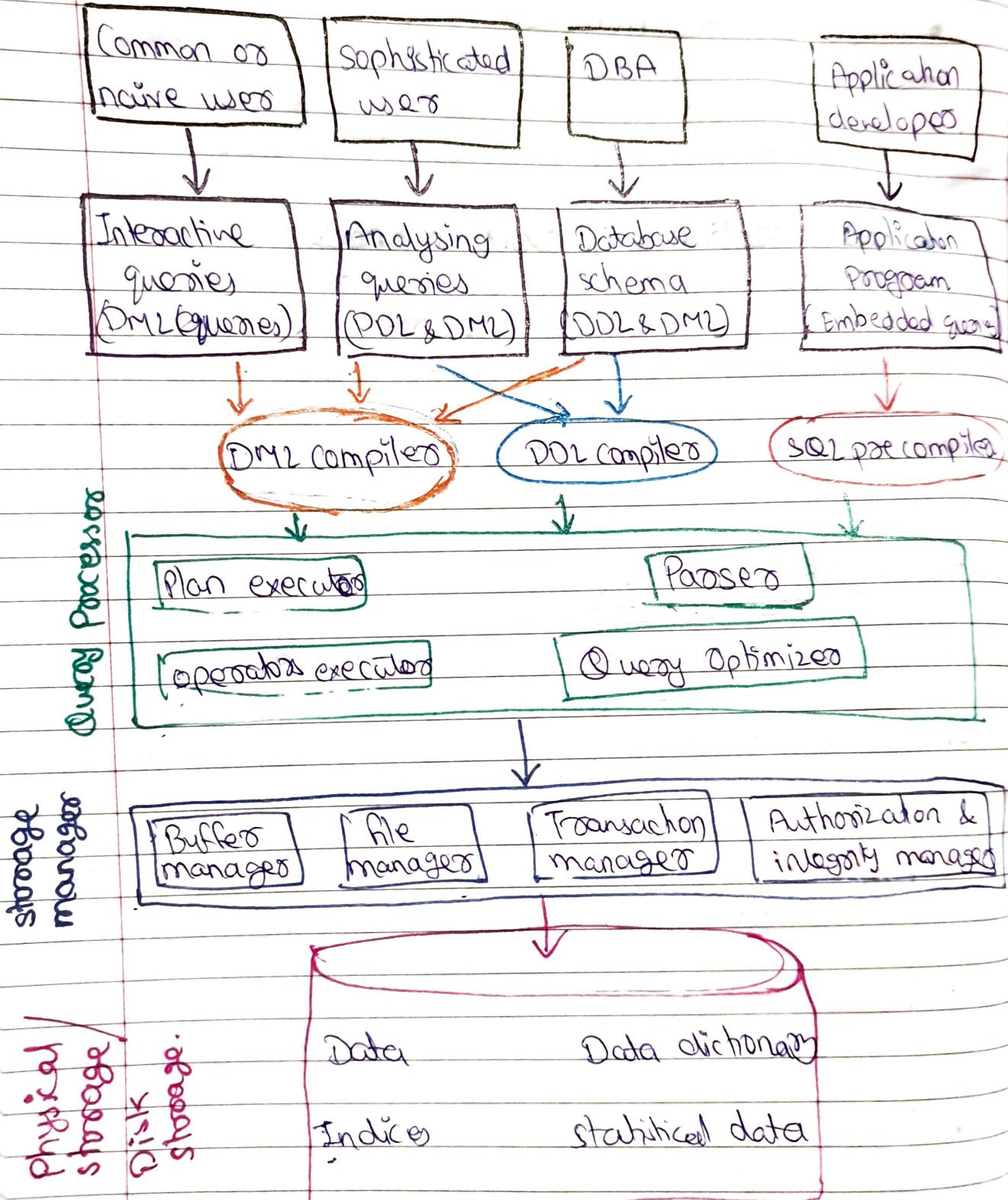
- Data dictionary

→ It stores metadata ; like structure of database

- Indices:

→ In textbook, index helps to find topics
 → similarly, database has indices to find the data fast & efficiently.

* System architecture of DBMS



Ch:2 Relational Model

2.1 Structure of Relational DB

2.4 Domains, Relations

2.2 DB schema

2.5 Relational Query Language

2.3 Schema diagram

2.6 Relational Operations.

X —

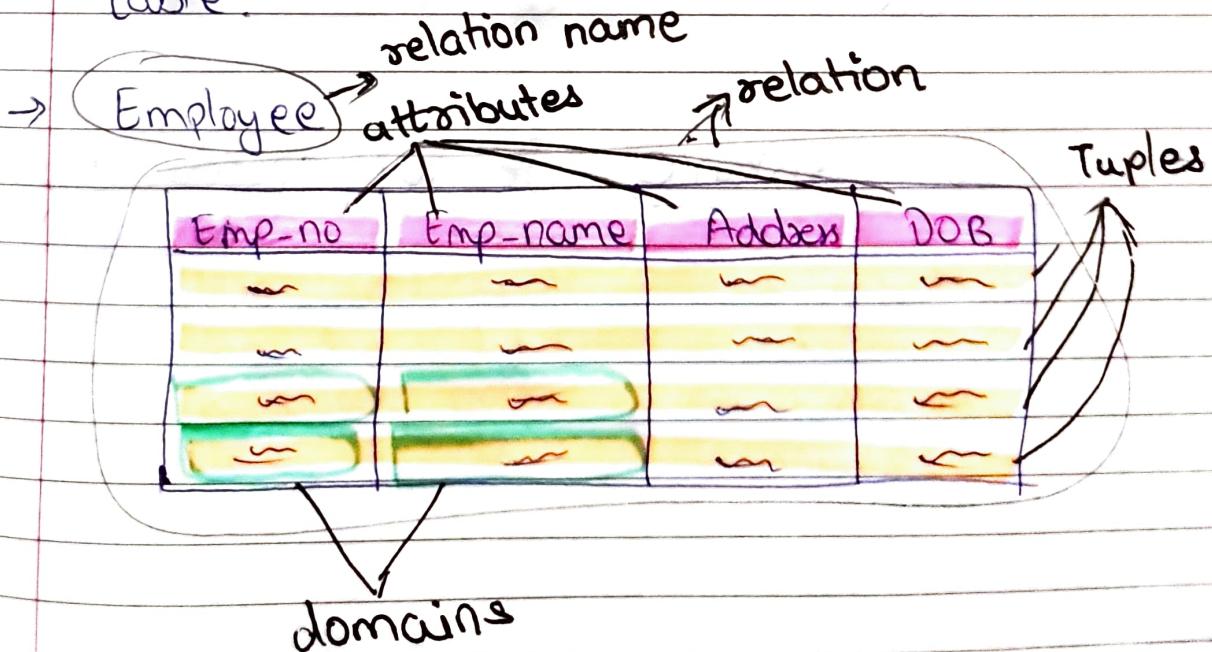
- Relational model is primary data model.
- It is used for data storage & processing.

2.1 Structure of Relational Database

→ Relational database consist of collection of tables.

→ Relation is a table with columns & rows.

- It is based on mathematical concept of relation which is represented physically as table.



- relation refers to table
- tuple refers to row
- attribute refers to column
- Domain refers to all possible values of column

- Null value of domain - value which is unknown or does not exist
- Atomic domains - If values of domain are considered to be indivisible units.

* Properties of Relation:

1. Relation has unique name
2. each cell contains exactly one value.
3. each attribute has distinct name.
4. each tuple is distinct
5. The order of attributes & tuples has no significant.

⇒ Relation instance refers to specific set of rows & not whole table

Database instance: snapshot of data in DB at given instant in time
e.g. 1/1/2000 {40 entries} @ 10/2001 {4000 entries}

SOMS Page No.

Date

2.2

Database Schema

- Schema → logical representation.
- It defines how the data is organized & how relations among them are associated.
- It contains descriptive detail of database, which is shown using schema diagrams.
- DB designer, designs the schema to help programmers understand the database.

- Database schema are divided into.



- It is actual storage of data in form of files, indices, etc.
- It defines how data will be stored in secondary storage.
- Schema describes the attributes & not the data.
- It defines logical constraints that need to be applied on data stored.
- It defines tables, views & integrity constraints.

→ Eg: student relation

SID	Name	dept-name	Semester
001	aashka	CE	2
002	shubham	CSE	4
003	Kashik	IT	3
004	Om	mech	2

The Schema is.

student (SID, Name, dept-name, semester)

2.3 schema diagrams

- pictorial representation of database that shows
- relations in database
 - their attributes
 - primary keys
 - foreign keys

Primary key

→ values of attribute should be unique

Table 1: Department

DID	DName	Address
D1	-	-
D2	-	-
D3	-	-
D4	-	-

primary
key

Foreign key

→ reference of primary key

Table 2: Employee

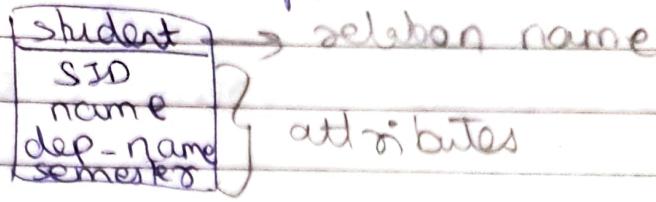
EID	Ename	Address	DID
001	-	-	D1
002	-	-	D1
003	-	-	D4
004	-	-	D3

referenced

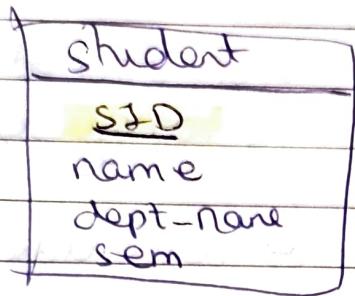
DID of employee is

⇒ Points to be noted:

- Each relation appears as box

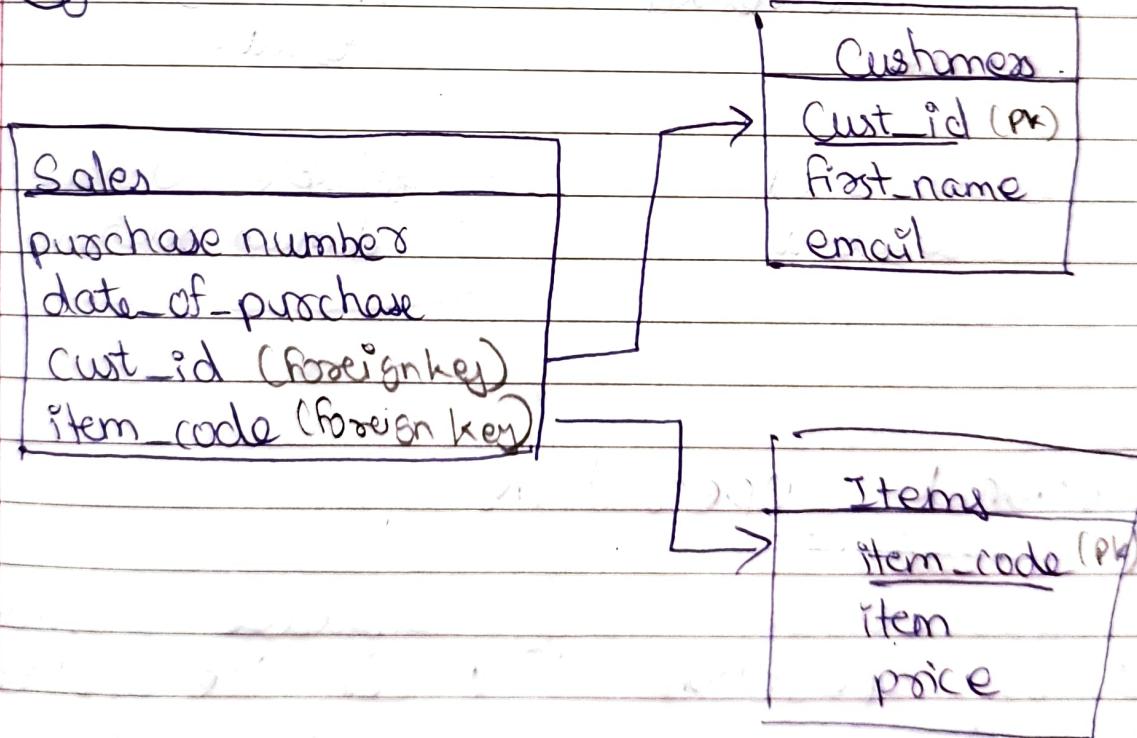


- Primary key attributes are shown underlined.



- Foreign key dependencies appear as arrows from foreign key to primary.

→ Eg:



2.5

Relational Query Languages

→ It is a language in which a user request information from database.

→

Query languages

Procedural language

→ user instructs the system to perform sequence of operations on database to compute desired results.

→ eg: relational algebra

non-procedural language

→ user describes desired results without giving specific procedure for obtaining that result.

→ eg: tuple relational calculus domain relational calculus

2.6

Relational Operations

→ All procedural query language provides set of operations that can be applied on either a single relation or pair of relations.

→ relational algebra: provides set of operations that take one or more relations as input & return a relation as output. SQL is based on relational algebra.

• Outline of few operations

Operation

Description

selection

(σ)

Return rows of rel selection that satisfy predicate.

 $\sigma_{\text{salary} \geq 3500} (\text{instructor})$

projection

(π)

Return specified attributes from all rows of rel selection. Remove duplicate tuples.

 $\pi_{\text{ID}, \text{salary}} (\text{instructor})$

Natural join

(⋈)

It matches tuples whose values are same on all attribute names, that are common in both rel selection.
 $\text{instructor} \bowtie \text{department}$.

Join

Combine two relation by merging pairs of tuples.

Cartesian

product (×)

Returns all pairs of rows from two rel selection.

 $\pi_{\text{name}} (\text{instructor}) \times \pi_{\text{name}} (\text{student})$

Union

(U)

Returns union of tuples from two rel selection.

 $\pi_{\text{name}} (\text{instructor}) U \pi_{\text{name}} (\text{student})$

X

Ch:3 Entity-Relationship model

- 3.1 Basic concepts
- 3.2 Design process
- 3.3 Constraints
- 3.4 Keys
- 3.5 Design issues

3.6 ER diagrams

3.7 weak entity sets

3.8 Extended ER features, generalization, specialization, Aggregation.

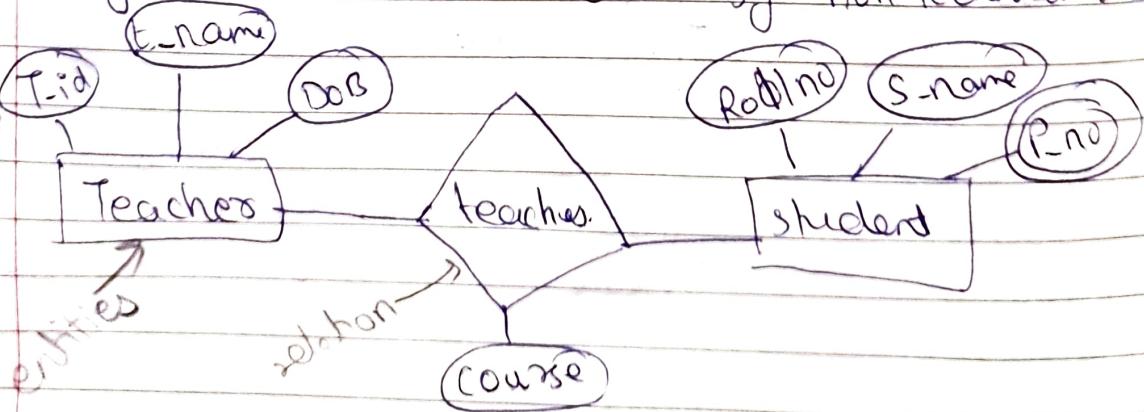
3.9 Reduction to ER database schema

3.1 Basic concepts

→ ER model = conceptual view of database

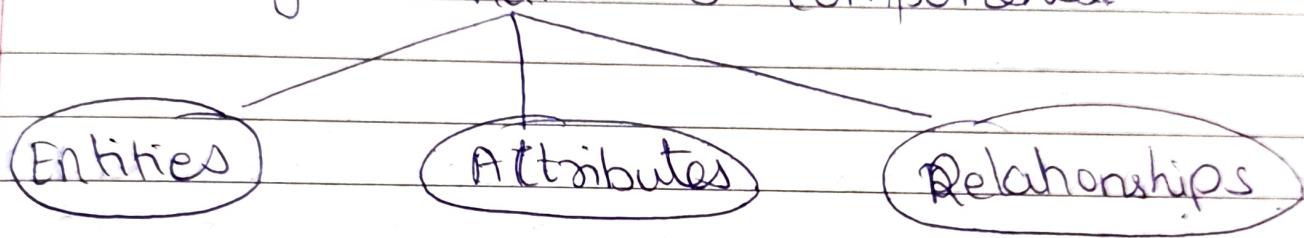
→ Introduced by : Dr. Peter Chen
in : 1976

- It is a non-technical designing method.
- works on conceptual level
- works around real-world entities
- It is a diagrammatic representation
- Easy to understand even by non-technical w.c.



- * ER diagrams are used to
 - Identify data that must be captured, stored & retrieved in order to support business.
 - Activities performed by an organisation.
 - Identify data required to derive and report on the performance measures, that an organisation should be monitoring.

- * ER diagram have 3 components.



* Entity

⇒ An entity is a thing / an object in real world, that is distinguishable from other object based on the values of attributes

→ eg:



blue



blue



blue

Here, object = balls.

these are objects

but entity



X because all are blue and we can't distinguish

Eg:



pink



blue



orange]

these are objects

b. entity



because we can distinguish based on attributes

* Types of Entities.

1) Tangible : Entities having physical existence in real world.
eg: Car, Pen, Bank-locker.

2) Intangible : Entities which exist logically
eg: Bank-account.

* Entity set

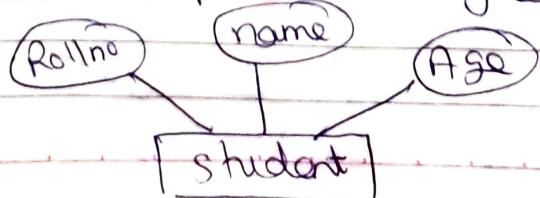
- Collection/ set of same type of entities that share same properties or attributes.
- It is represented by table in relational model

entity set

Student			
	RollNo	name	age.
Entity 1	1	A	18
2	2	B	19
3	3	C	20

so, student = entity set
 & student A }
 " B } = entities.
 " C }

- Entity set is represented by rectangle in ERD.

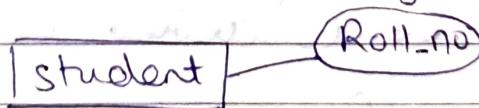


- * Entity cannot be represented in ERD.
- * Entity can be represented in relational model by row / tuple / record.

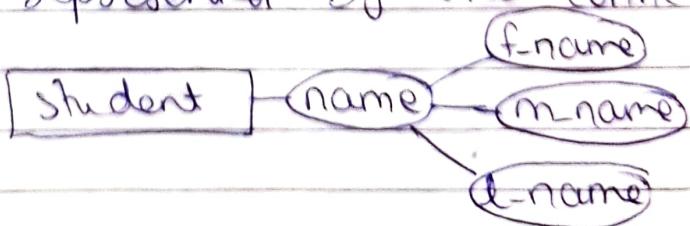
* Attributes

- Attributes = units that describes the characteristics of entities
 - For each attribute there is set of permitted values called domains.
 - It is represented as: Oval in ERD & separate column in relational model
- * Types of Attributes.

- 1) Simple : can't divide
: represented by simple oval.



- Composite : Can be divided into simple attribute.
: represented by oval connected to oval.



2) Single: have one value at a time
: eg: Roll no.

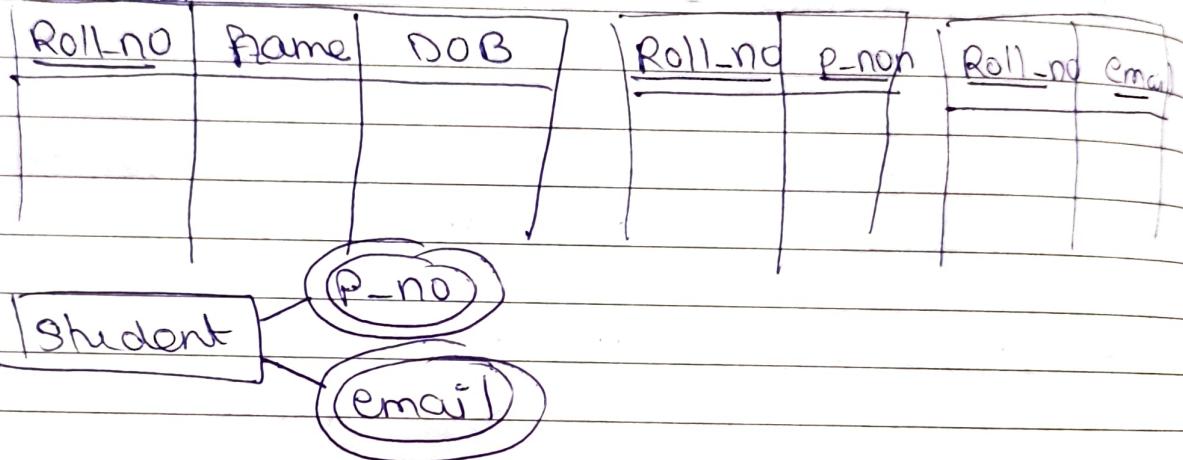
Multivalued: have >1 value.

: eg. phone no., email address.

: represent by separate column in relational model

: " " double oval in ERD

Eg: Student



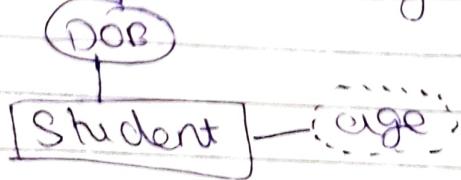
3) Stored: stored permanently
: Eg: DOB

Derived: can be calculated based on other attributes

: eg: age

: age can be calculated at runtime
by subtracting current DOB from
current date.

: represented by dotted oval in ERD.



* Regular Entity Type Vs Weak Entity Type.

→ has its own key attribute

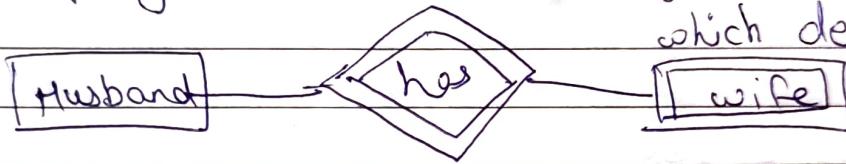
→ doesn't have key attribute of its own

model → does not depend on any other entity for its existence

→ Its existence depends on existence of other entity.

→ eg: employee, student

→ eg: Spouse of employee which depend on employee



* Null values

- If attribute does not have a value for a particular entity then it is null value.
- [O] X , [] X , [Null] ✓

3.2 Design process

~~step 1~~ Determine DB purpose

~~step 2~~ Discover & collect info

~~step 3~~ Divide the entities into table

~~step 4~~ Turn data points into column

~~step 5~~ Identify primary & foreign keys

~~step 6~~ Normalize & Refine.

DB design principles

- Duplicate information is bad 😞

- Accuracy & completeness is good 😊

3

Constraints continue.

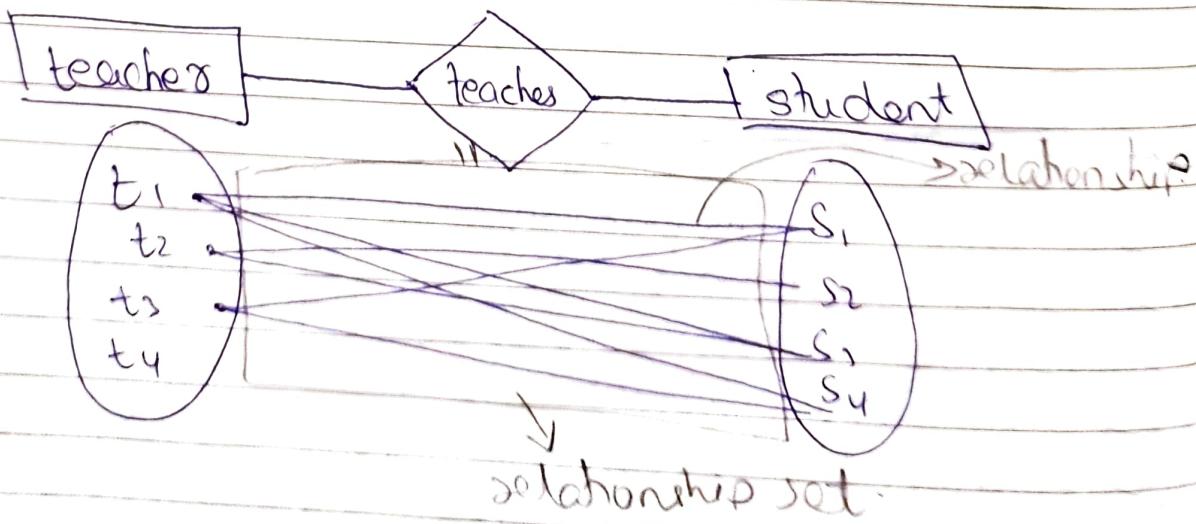
* Relationship

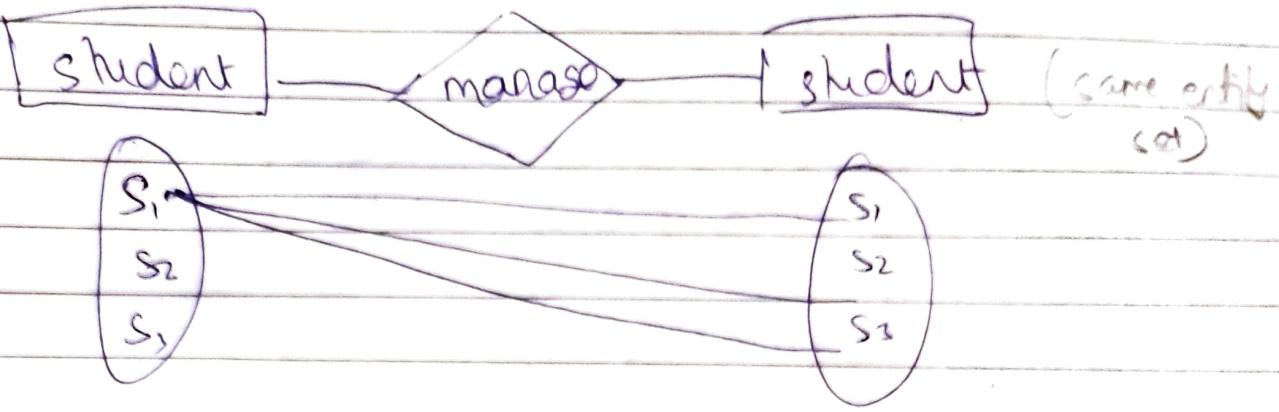
⇒ Relationship = association between two or more entity sets of same or different entity set.

- no representation in ERD.
- represented using row in a table in relational model.

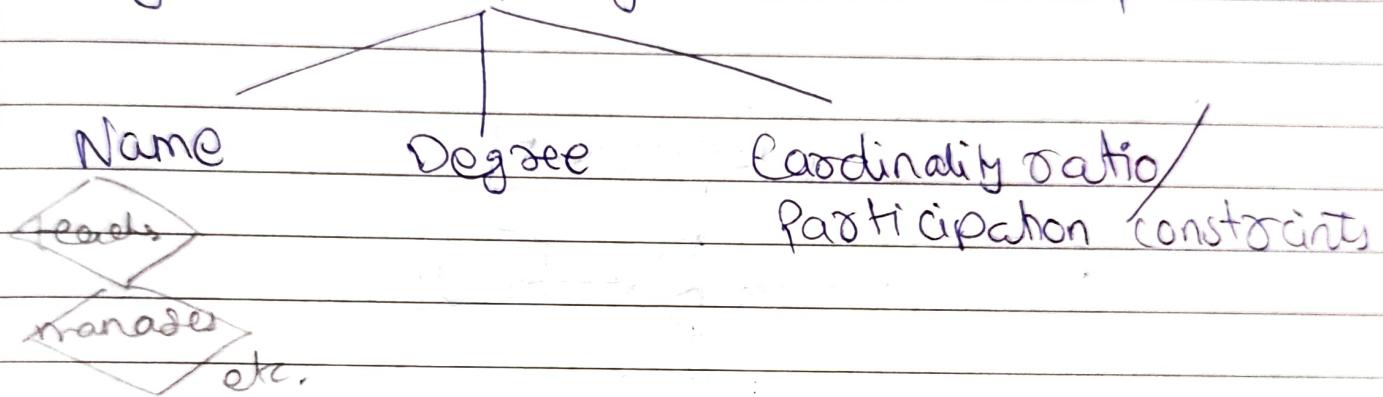
* Relationship set

- Set of similar type of relationship.
- represented by diamond in ERD
- In relational model, represented either by a separate table or separate column (foreign key)





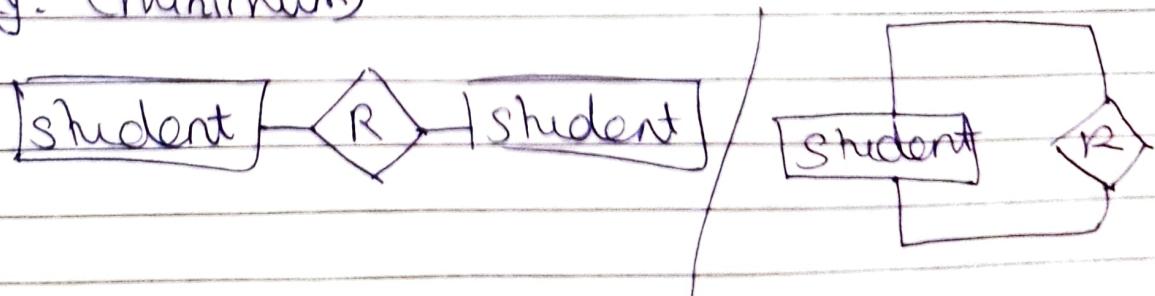
- Every relationship type has 3 components.



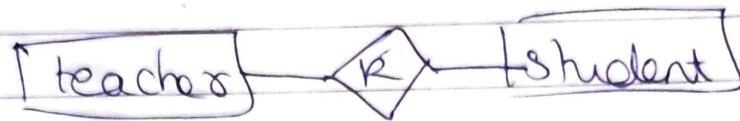
* Degree of relationship set

- ⇒ no. of entity set associated (Participated) in relationship set.
- most of the relationship sets in ERD are binary (in industries).

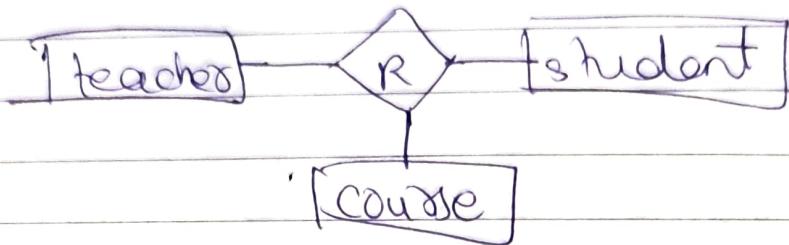
- unary (minimum)



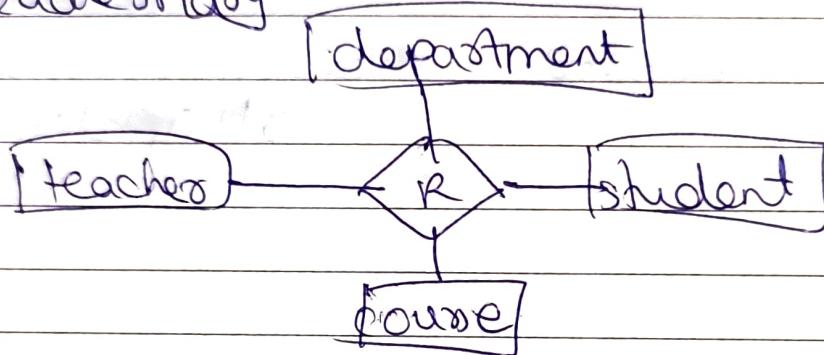
• binary (X)



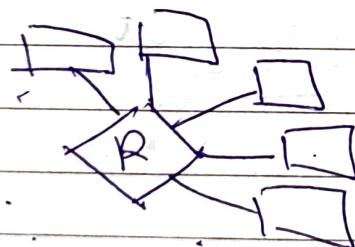
• Ternary



• Quaternary



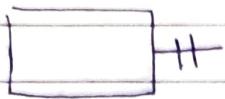
• N-ary



33

Constraints

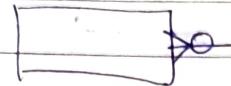
* Cardinality



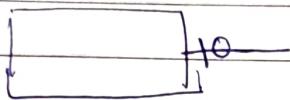
one & only one



One or more



zero or more



zero or one.

0 = zero

1 = one

\Rightarrow = many

11 = (min=1 & max=1)

• eg:

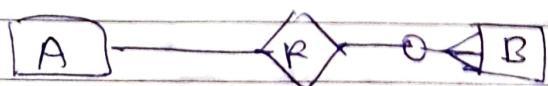
① A associated with minimum 0 B & max 1 B.



② A asso with min 1 B & max 1 B



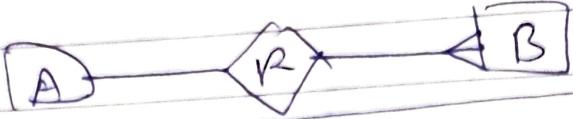
③ A asso with min 0 B & max >1



④ A asso with min 1 B & max >1



⑤ A ass0 \rightarrow B



- One-to-one ($1:1$) Relationship

e.g.:



- One-to-many ($1:m$)

e.g.:



- many-to-many ($m:N$)

e.g.:



* Relationship participation

1) Partial:

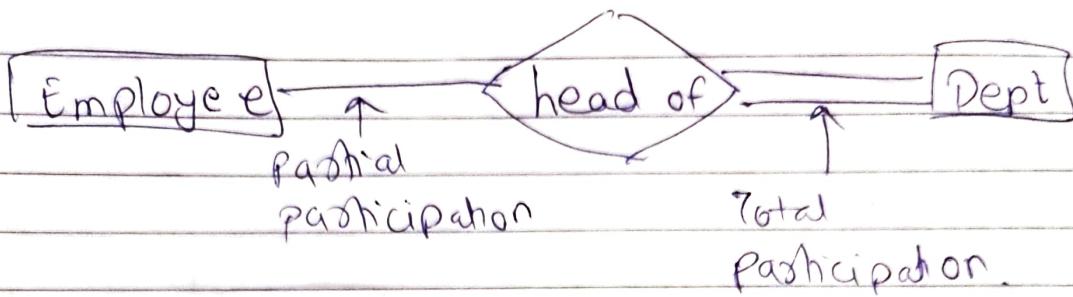
→ all employee don't participate in relationship (head of) because every employee is not head of department.

→ Hence partially participated.

2) Total:

→ All department have heads.

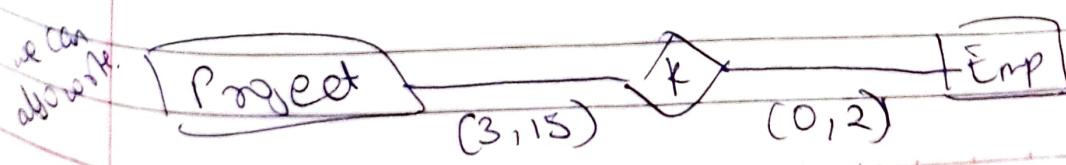
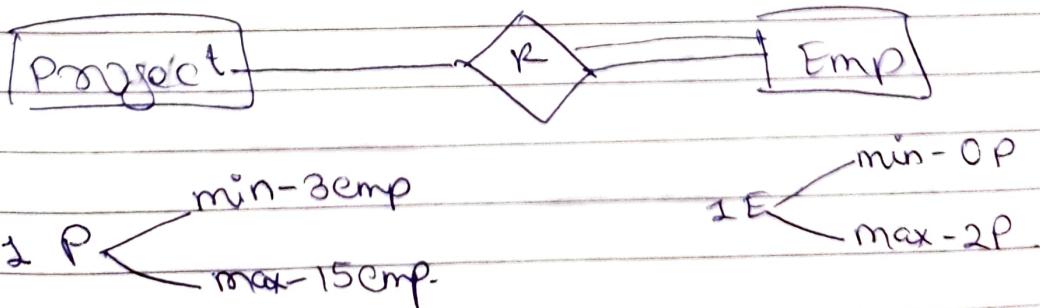
→ Hence total participation.



If there is at least one entity that doesn't participate is partial.

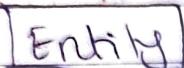
* Participation Constraints.

- Specifies minimum & maximum no. of relationship instances that each entity can/must participate.
- max Cardinality: max no. of times an entity occurrence participating in relationship.
- min Cardinality: min no. of times an entity occurrence participating in relationship.



3.6 ER diagrams

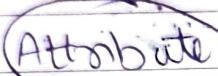
* Notations.

 Entity

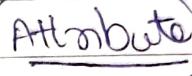
entity set

 Entity

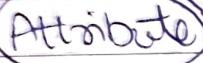
weak entity

 Attribute

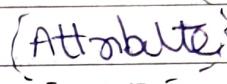
attribute

 Attribute

PK attribute

 Attribute

multivalue att.

 Attribute

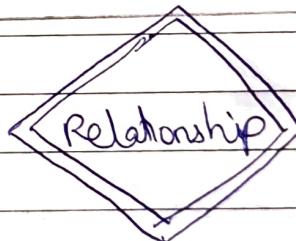
Derived att.

 Attribute

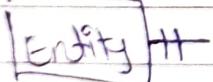
Discriminating att.
of weak entity set

 Relationship

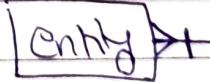
Relationship set

 Relationship

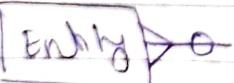
Identify relation
set for weak
entity set

 Entity

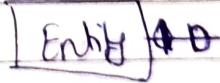
1 & only 1

 Entity

1 or >

 Entity

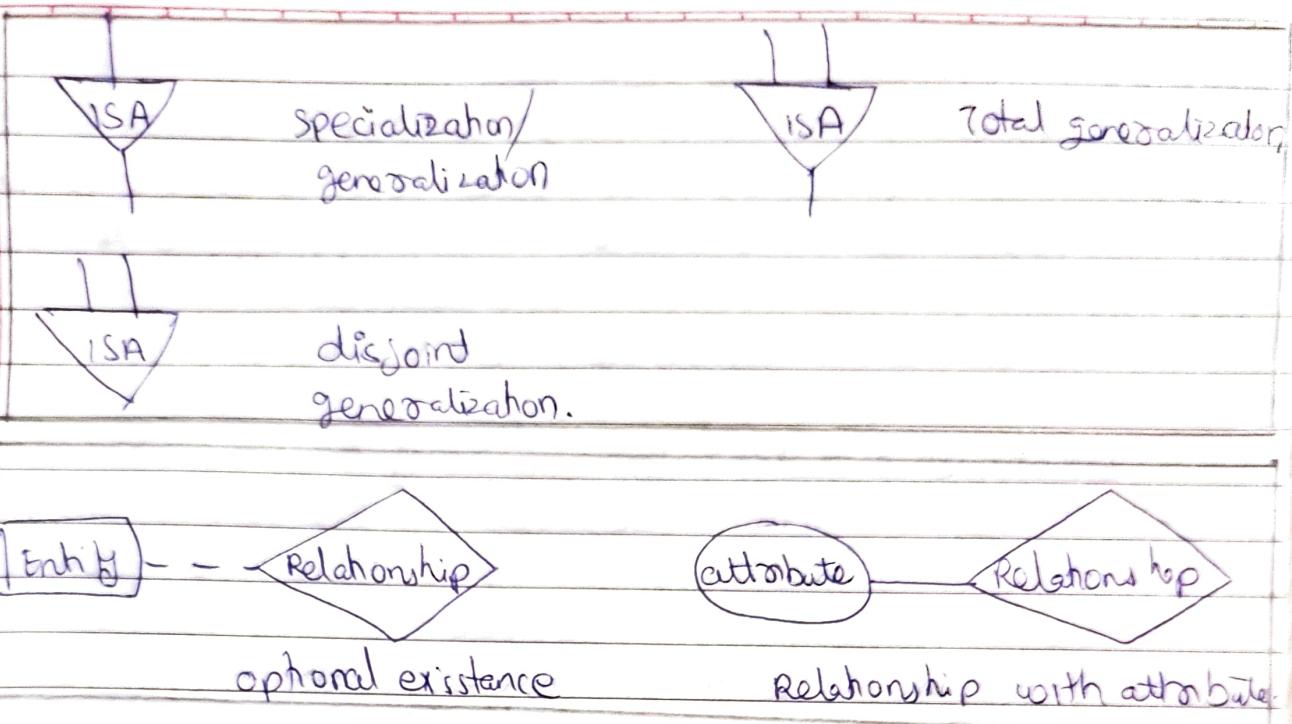
0 or >

 Entity

0 or 1

 Entity

> 1 always



* Case Studies

① Notown Records:

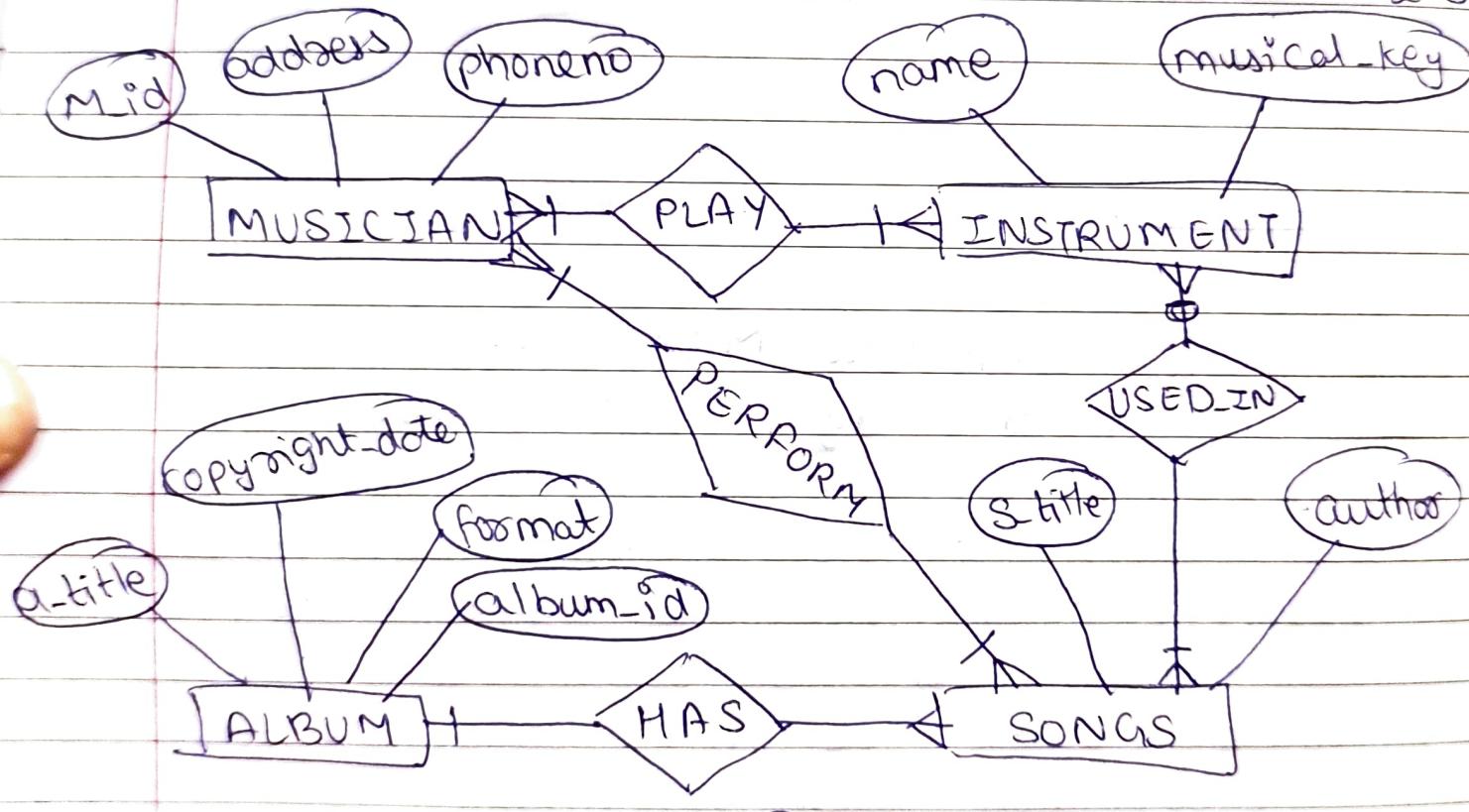
- Each musician has M-id, address & phone no.
Each musician plays several instrument &
given instrument is played by several musician.
- Each instrument has name & musical key
- Each album has title, copyright date, format
& album identifiers
Each album has no. of songs but
no song may appear more than once in album.
- Each song is performed by one or more musician
& musician may perform no. of songs.
Each song has title & author.

Entity-sets for company.

- 2) MUSICIAN, with attributes M-id, address & phone
- 2) INSTRUMENT, with attributes name & musical-key.
- 3) ALBUM, with attributes title, copyright-date, format & albumid.
- 4) SONGS, with attributes title & author.

Relationship-sets for company

- 1) 'PLAY', M to M between MUSICIAN & INSTRUMENT
- 2) 'HAS', 1 to M between ALBUM & SONG
- 3) 'PERFORM', M to M between MUSICIAN & SONGS
- 4) 'USED-IN', M to M between INSTRUMENT & SONGS



② Car insurance company.

has set of customers

each owns 1 or > cars.

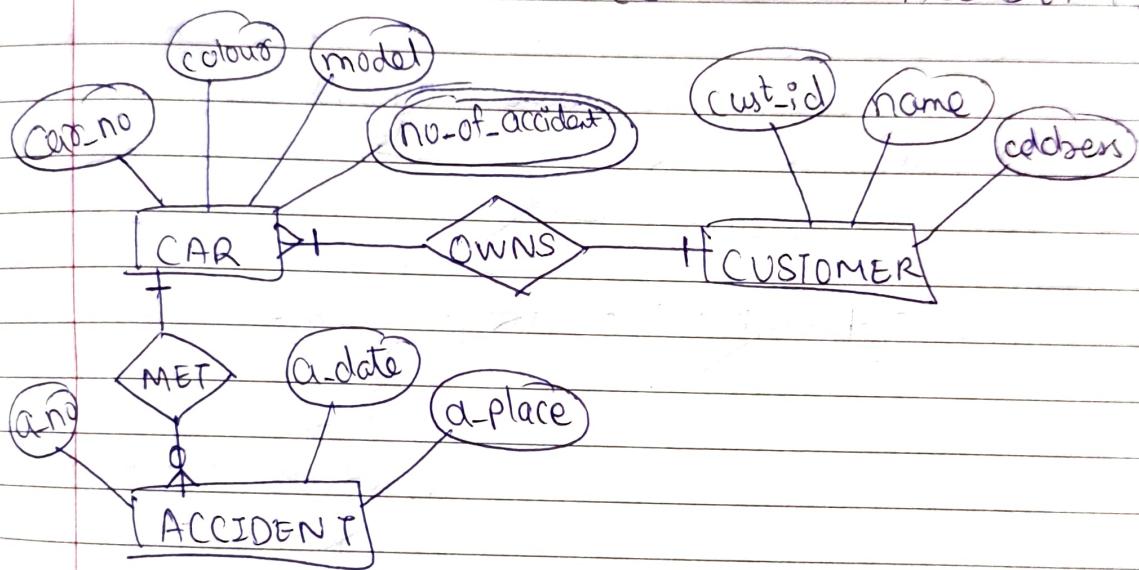
Each car 0 or > accident.

Entity-sets for Insurance company

- 1) CAR, with attributes car-no, colour, model & multivalued attribute of no of accidents.
- 2) CUSTOMER, with attributes cust-id, name, address.
- 3) ACCIDENT, with attributes a-no, a-date, a-place.

Relationship-sets for Insurance company

- 1) 'OWNS', M to 1 between CAR & CUSTOMER
- 2) 'MET', 1 to M between CAR & ACCIDENT.



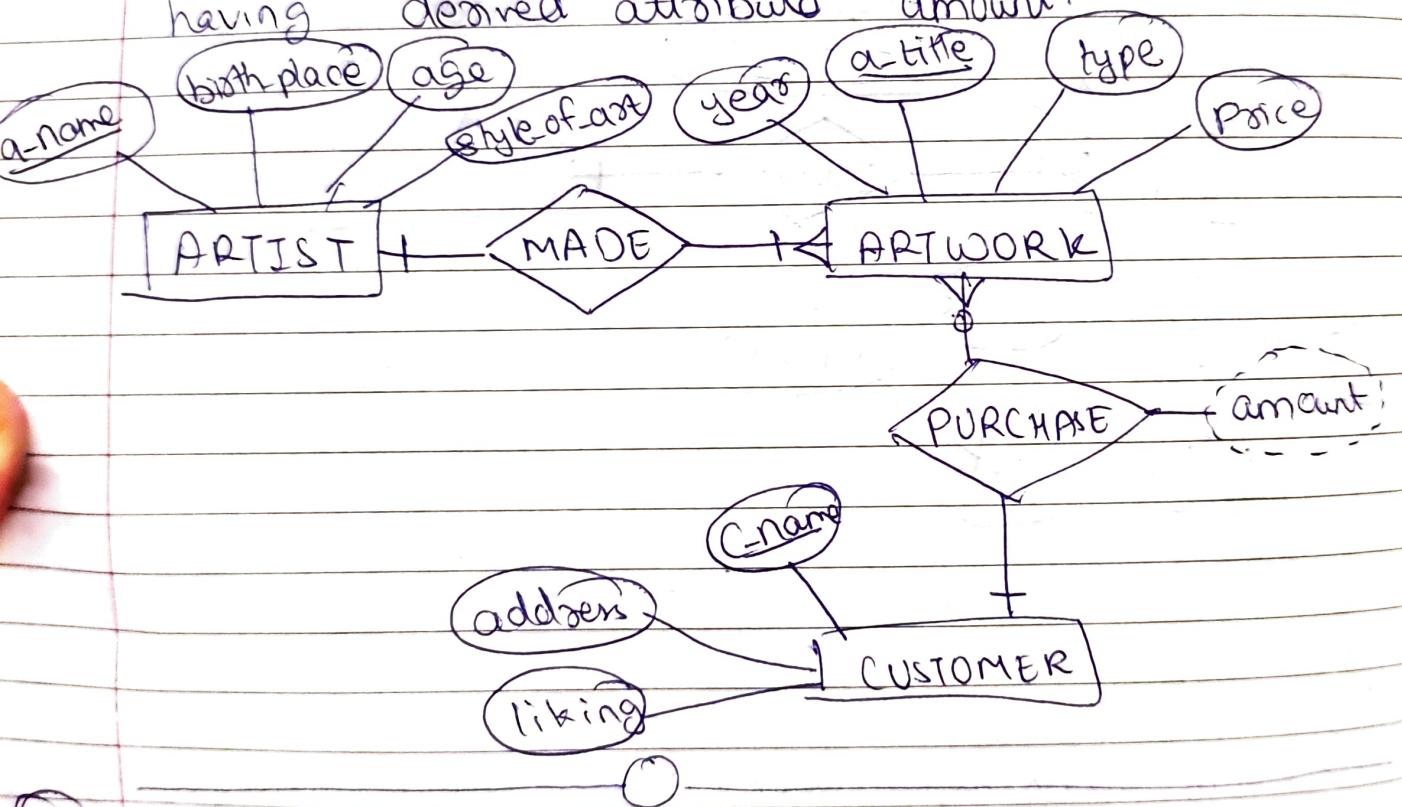
③ ART gallery.

- keeps info abt 'artist', their name(unique), birthplace, age, style of art.
- 'artwork', the artist, year it was made, unique title, type of art & price.
- 'artwork' is classified into
- keeps info abt 'customers', unique names, address, amount of dollars & liking.

- Entity-sets for gallery
- 1) 'ARTIST', with attributes
a-name(unique), birth-place, age,
style_of_art.
 - 2) ARTWORK, with attributes
year, a-title(unique), type & price
 - 3) CUSTOMER, with attributes
c-name(unique), address, likes,
total amt.

Relationship sets for gallery

- 1) 'MADE', 1 to M between ARTIST & ARTWORK.
- 2) 'PURCHASE', 1 to N between CUSTOMER & ARTWORK
having derived attribute amount.



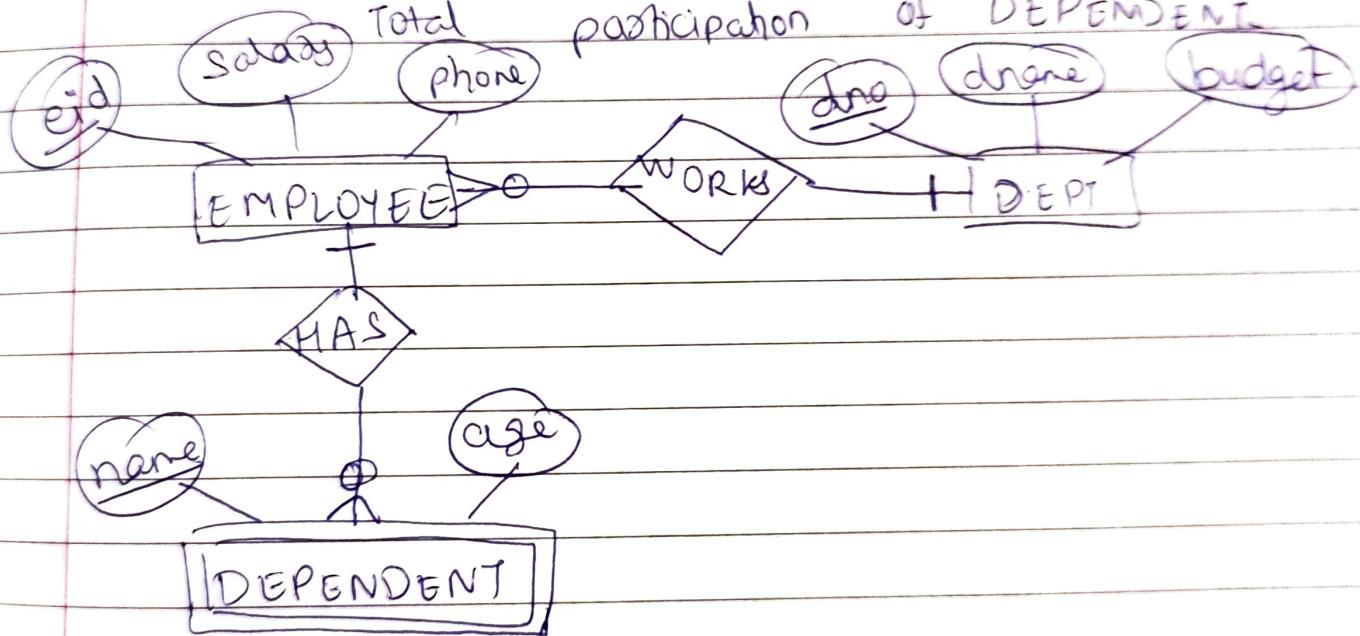
- (u) Company stores info about
- employees (eid, salary, phone)
 - department (dno, dname, budget)
 - dependent of employee (name & age)
 - Employees work in department
each department is managed by an employee
a dependent must be identified uniquely by
name if employee is known.

Entity-sets for company

- 1) EMPLOYEE, with attributes eid, salary, phone
- 2) DEPT, with dno (unsg), dname, budget.
- 3) DEPENDENT, with (name, age)

Relationship-sets for company

- 1) 'WORK', M to 1 between EMPLOYEE & DEPT.
- 2) 'HAS', 1 to M between EMPLOYEE & DEPENDENT with partial participation of EMPLOYEE & total participation of DEPENDENT



Ch: 6 Transaction

DOMS

Recovery Management

6.1 Transaction concept

6.2 Properties of transaction

6.3 Serializability of transaction

6.4 Testing for serializability

6.5 System recovery

6.6 Two-Phase commit protocol.

6.7 Recovery & atomicity

6.8 Log-based recovery.

6.9 Concurrent execution of transaction & related problem

6.10 Locking mechanism

6.11 Solution of concurrency related problem

6.12 Deadlock

6.13 Two-phase locking protocol

6.14 Intent Locking

Transaction Concept

→ Transaction = Set of instructions/operations that perform a logical unit of work.

Transaction

R(A)

A = A - 10

w(A)

R(B)

B = B + 10

w(B)

Set of
instructions

transferred \$10 } logical
from acc A to B } unit
of work
from client
side.

- main issues to deal with transaction.

failures

Concudency.

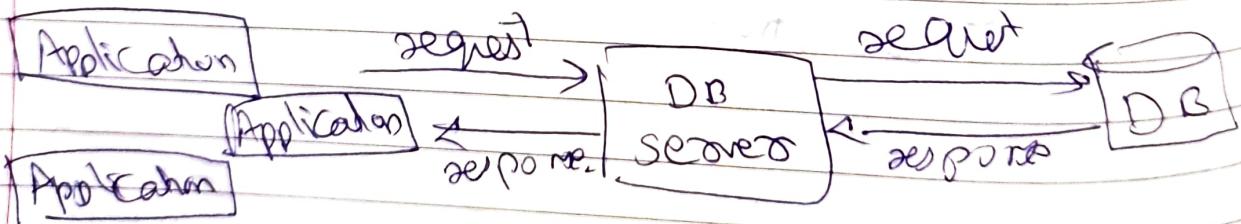
like hardware
failures,
system crashes

execution of multiple
transaction

- Example of transaction:

- withdraw money from ATM
- money transfer
- update address at online profile
- change password.

- A transaction is often initiated by an application program (API)
- API contacts DB servers.
- DB servers update, DB.



Read

write

Commit

have high probability than write used to change update in Data value

e.g.: Alice wants to transfer 700 to Bob.

read(A)

$$A = A - 700$$

write(A)

read(B)

$$B = B + 700$$

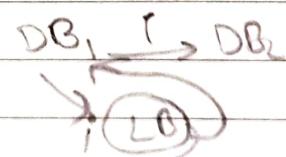
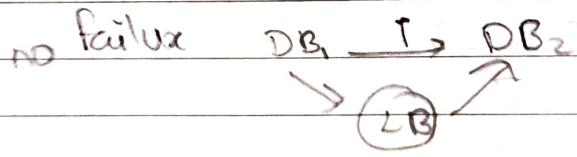
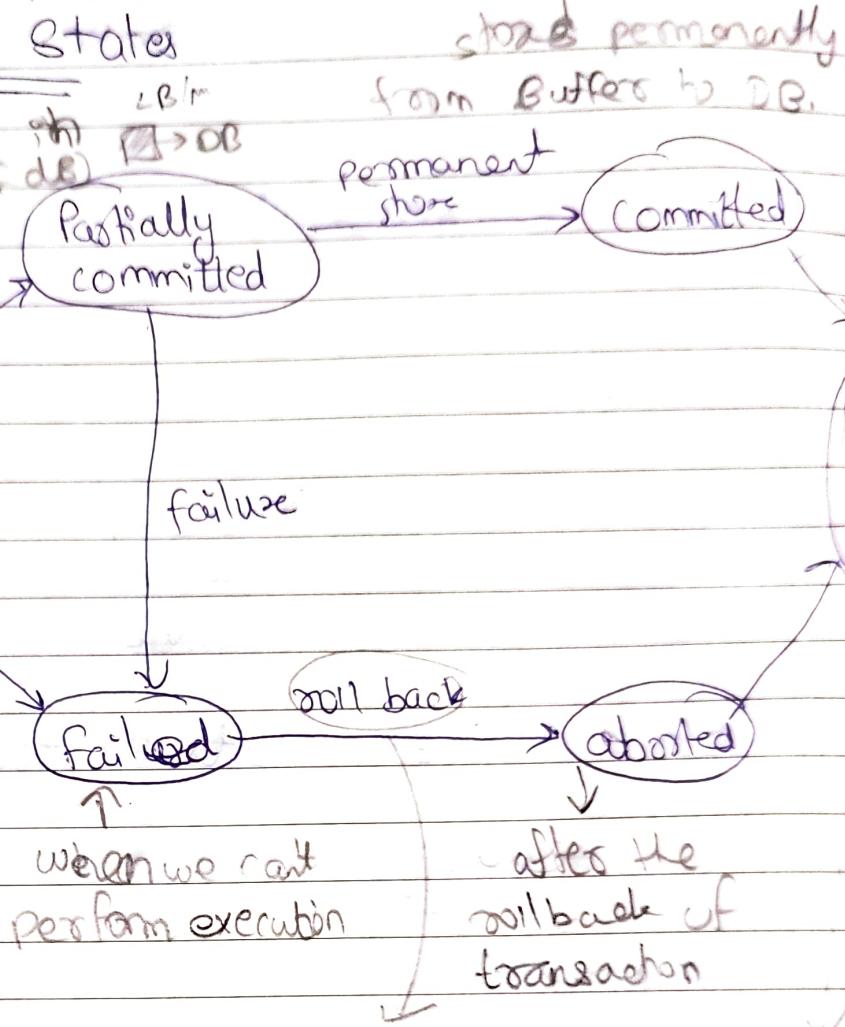
* Transaction States

we perform operation in local buffers (ie copy of DB) i.e. the work is done R/W but in copy operation of DB

Active

↑
I,
I,
I,
I,

The transaction is in active state until all the instructions are executed



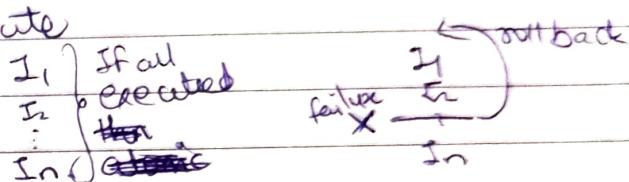
failure occurs than roll back
i.e. we undo all changes

we are ready for next transaction

6.2 ACID properties

(A) Atomicity

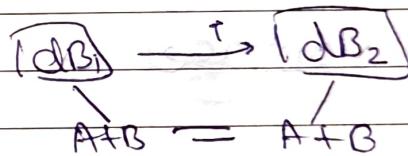
→ All the instructions OR none in transaction should execute



→ Transaction management component ensures atomicity.

(C) Consistency

→ If dB is consistent b4 transaction then it's consistent after transaction



→ If Atomicity, Isolation & Durability works properly then consistency automatically holds good.

(2) Isolation

→ It means logical isolation.

→ i.e. no physical isolation.

→ Here, All transaction runs parallelly but ~~other~~ transaction does not affect each other.

→ $\omega \tau \downarrow$
Resource utilization \uparrow
efficiency \uparrow

→ Concurrency control component ensures isolation.

→ Eg: There are lots of transaction occurring during Tatkal, but the transaction of 2nd person won't affect 1st person.

① Durability.

→ After the transaction is committed, then the change in DB should persist, irrespective of SW/HW failure.

→ Eg., initially $i = 10$
then $i = \underline{20}$ committed
so $i = 20$ should remain as it is.

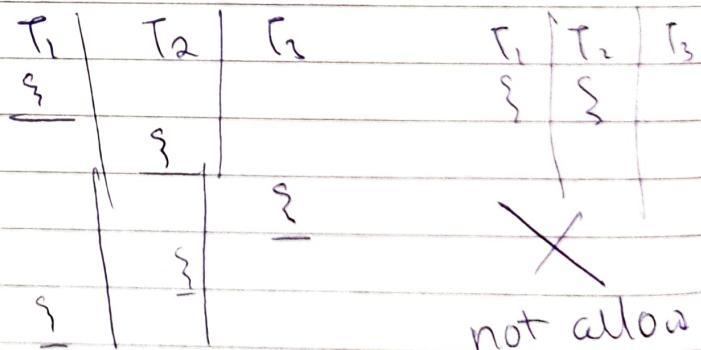
→ Recovery Management component ensures durability.

~~6.3~~

Socializability (it is a method to check, which schedules are consistent)

* Advantage of Concurrency.

→ Concurrency = multiple transaction at a time
→ it means context switching between transaction.



- ① Waiting time \downarrow
- ② Response time \downarrow
- ③ Resource utilization \uparrow
- ④ Efficiency \uparrow

The problems that occurs when we run transaction parallelly / concurrently

* Dirty Read Problem (dependency)

→ When a transaction reads a value ~~written~~ returned by an uncommitted transaction then it is said to be dirty read.

dB = 10

	T_1	T_2
$A = 10$	$R(A) - 10$	
$A = 11$	$w(A) - A = A_{new}$	
$LB [11]$		$(RCA) - 11$

\rightarrow Dirty Read.
coz it is not the value of DB,
it is of LB

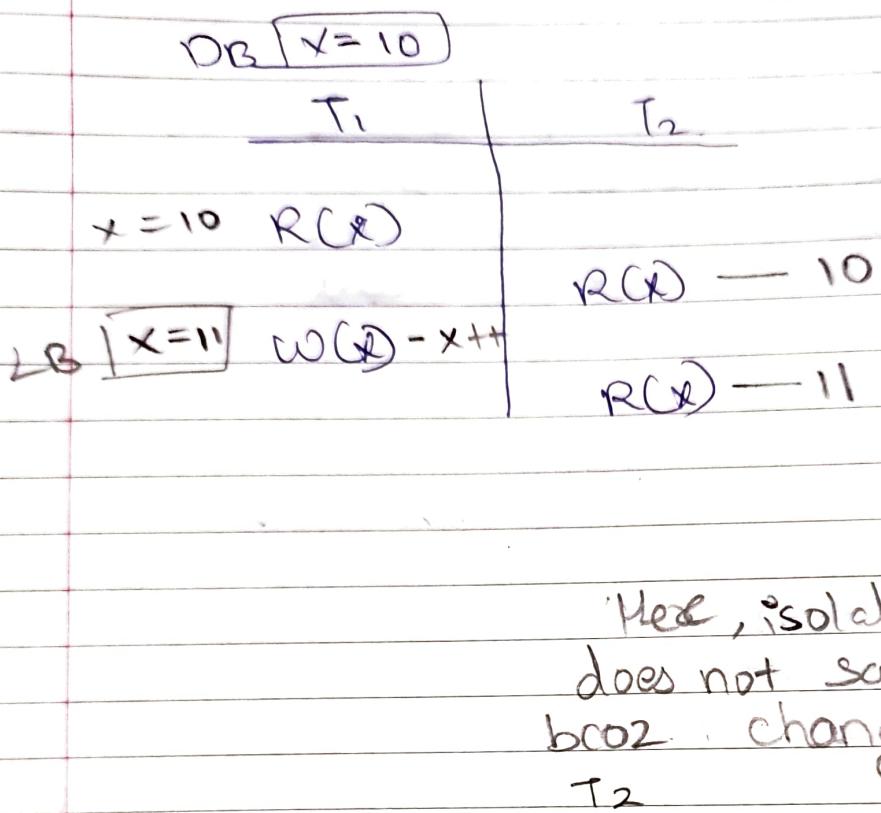
Failure X
we can
roll back.

T_2 can not roll back
coz it has committed.
 T_2 read the value
which does not exist
in DB.

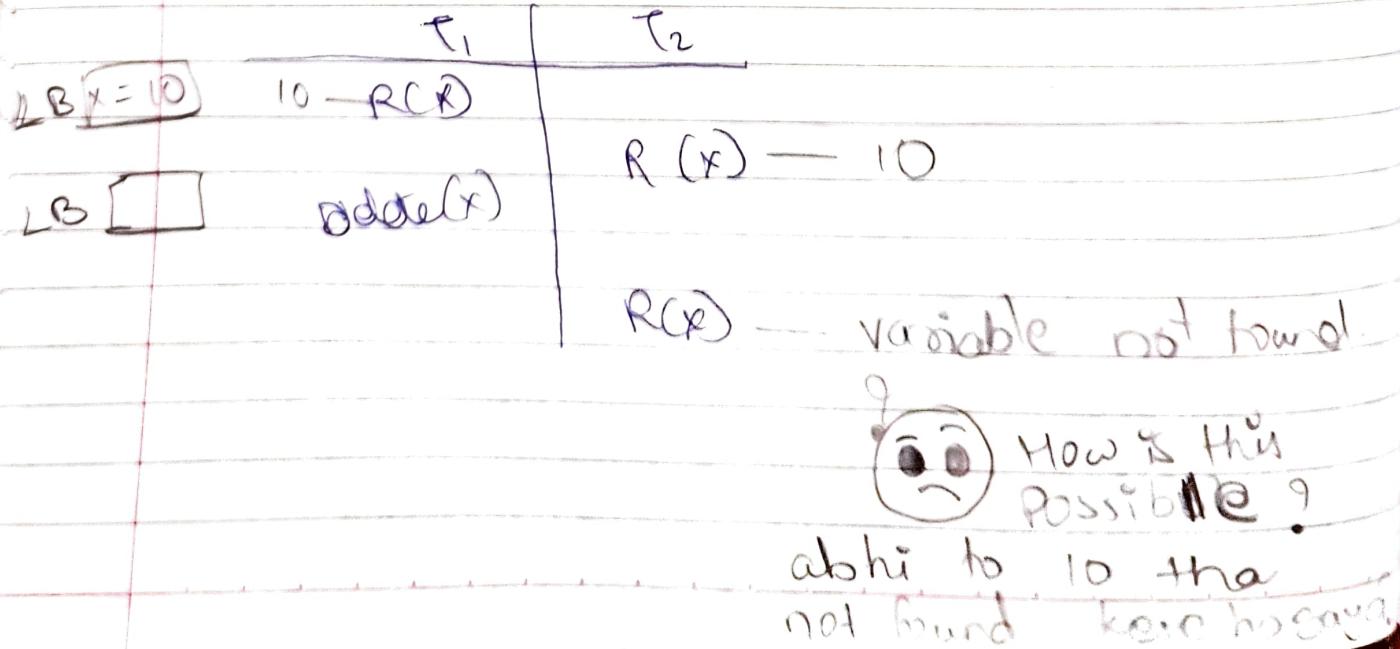
→ Solution

	T_1	T_2
$R(A)$		
$w(A)$		$R(A)$
:		
commit		<u>commit</u>
		commit after T_1

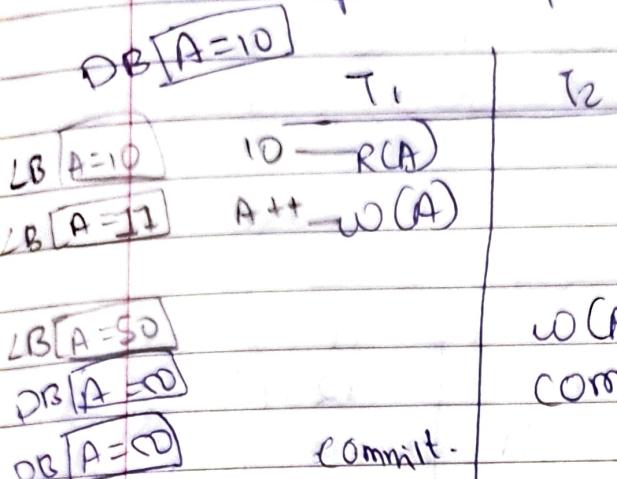
* Unrepeatable read problem



* Phantom read problem



* Lost update problem (Write-write conflict)



I performed blind work without reading I am writing the value.



My updated value is lost i.e. 11, still if I dk how the value is 6, and if A = 50, according to me it should be 11.

* Schedules

schedules.

serial schedules

Non-serial schedules

serializable

Non-serializable

Result
serializable

conflict
serializable

view
serializable



Schedules

→ Chronological order in which operations of concurrent transactions are executed.

T ₁	T ₂	T ₁	T ₂
i ₁	i ₁		i ₁
i ₂	i ₂		i ₂
i ₃	i ₃	i ₁	i ₃

These are two transactions.

This is Called schedule.

Here contact switching is done between T₁ & T₂, but the order of instruction should be maintained

i ₁	i ₃
i ₂	i ₁
i ₃	i ₂
✓	✗

We can't swap instructions of transaction.



Schedules

serial

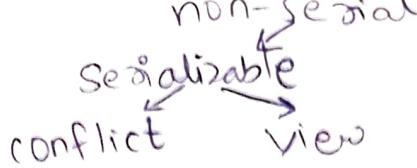
non-serial.

	T ₁	T ₂
consistent ✓		R(B)
concurrency problem ✗		w(B)
efficient ✗	R(A)	
WT	w(A)	
RT	↓ R(B)	w(B)

	T ₁	T ₂
consistent ✗	R(A)	
concurrency problem ✗	w(A)	
efficient ✗	R(B)	
WT	w(B)	
RT	↑ w(A)	RT ↑

These contact switching is done only after completion of 1 transaction.

Here, contact switching is done before completion of transaction, so that we get consistency.



* Conflict Serializability

(A schedule is CS if we can convert it into a serial schedule after swapping its non-conflicting operations)

- To know that any schedule is consistent or not we have to prove that non-serial = serial (inconsistent) (consistent) always
- To prove this we use conflict serializability (i.e. by swapping the instructions between transactions).

S_1	S_2
T_1 we can't swap $\rightarrow R(A)$ $w(A)$	T_1 $R(A)$ $w(A)$
$R(B)$ $w(B)$ we can swap $\rightarrow R(B)$ $w(B)$	$R(B)$ $w(B)$ $R(A)$ $w(A)$ $R(A)$ $w(A)$ $R(B)$ $w(B)$

⇒ If swap ✓ Then non-conflicting so it can be in serial

If swap ✗ Then conflicting it cannot be in serial.

- How to find conflicting?

$T_1 \quad T_2$

i_1

i_2

~~Case 1~~

Before swap	$R(A)$	$w(B)$
After swap	$R(A)$	

non-conflicting
coz data items are different.
Read on A & write on B.

~~Case 2~~

Before swap	$R(A)$	$R(A)$
After swap	$R(A)$	

non-conflicting
Read doesn't affect DB value.

~~Case 3~~

Before	$DB A = 10$	$w(A) - 20$
After	$20 - R(A)$	

conflicting

$DB | A = 20$

$DB | A = 20$

Hex result changes

~~Case 4~~

Before	$w(A)$	$w(A)$
After	$w(A)$	

conflicting

Before swap

$- DB | A = i_2$

After swap

$- DB | A = i_1$

∴ It affects the final value in DB.

no-cycle \rightarrow Conflict scenario \rightarrow serial schedule const.

\Rightarrow from those cases we conclude that a schedule is conflicting

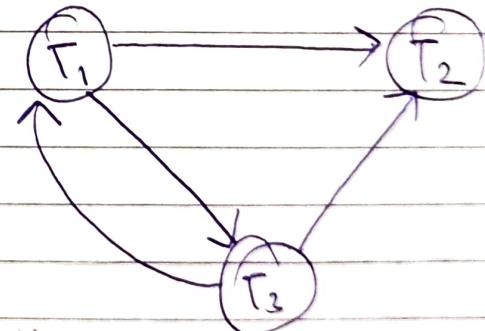
- ① They must belong to diffⁿ transaction
- ② must operating on same data value
- ③ Atleast one of them should be write

* Questions on Conflict Serializability

\Rightarrow finding whether a schedule is conflict serializable or not.

Here we have to prove non-serial = serial.
by swapping.

S		
T ₁	T ₂	T ₃
R(X)		
	R(Z)	
R(Y)		
	W(Z) x	
R(Y) x		
	W(Y)	
		W(X)
w(X)		

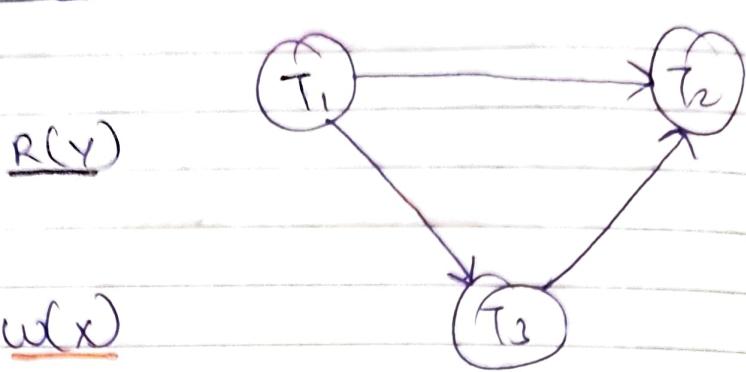


Here cycle occurs.
 \therefore serial order conversion is not possible.

Hence, it is
not conflict serializable.

Q2

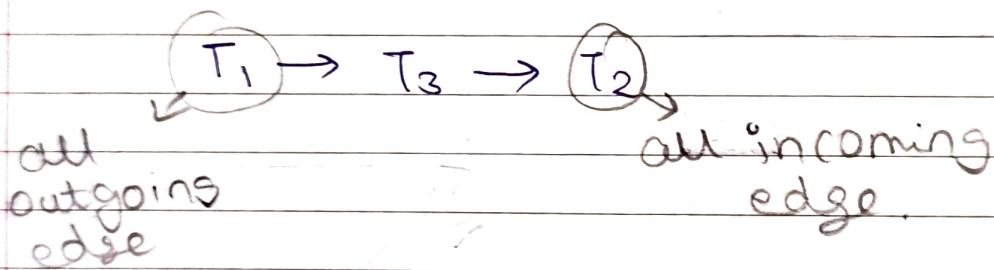
<u>T₁</u>	<u>T₂</u>	<u>T₃</u>
<u>R(x)</u>		
	<u>R(y)</u>	
<u>w(x)</u>	<u>w(y)</u>	
		<u>R(y)</u>
		<u>w(x)</u>
<u>R(x)</u>		
<u>w(x)</u>		



→ It is conflict serializable.

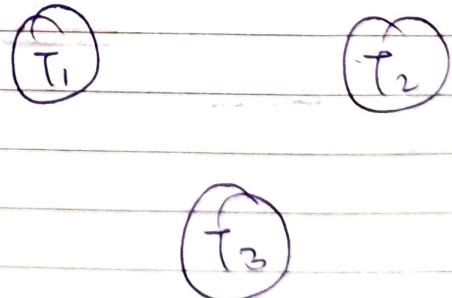
∴ non serial → serial is possible.

→ Order of serializability.



Q3

<u>T₁</u>	<u>T₂</u>	<u>T₃</u>
<u>R(a)</u>		
	<u>R(b)</u>	
		<u>R(c)</u>
		<u>w(c)</u>
<u>w(a)</u>	<u>w(b)</u>	

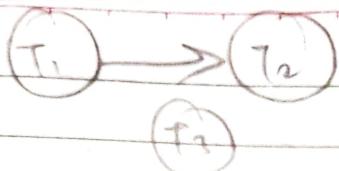


→ It is conflict serializable

→ diffⁿ conflict serializable possible
then

3) schedule are possible.

Note :-



(Hence T1 depends on T2)

possibilities : T₁ T₂ T₃

T₃ T₁ T₂

T₁ T₃ T₂

3 diff' schedules are possible.

Transaction with Commit after commit we don't have to check the clash.

T ₁	T ₂	T ₃	T ₄
R(x) —		w(x) C	
w(x) C			
w(y) R(z) C			
		R(x) R(y) C	



Conflict Serializable

Q5 → Transactions

- $T_1 : R_1(x) \text{ } w_1(x)$
- $T_2 : w_2(x)$

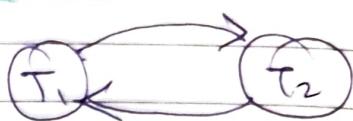
→ Schedule S

$R_1(x) \text{ } w_2(x) \text{ } w_1(x)$

T_1 T_2
 $\underline{R_1(x)}$

$w_1(x)$

$w_2(x)$

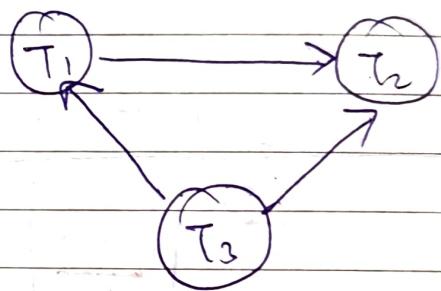


not conflict serializable

Q6

	S^1		
	T_1	T_2	T_3
$R(x)$			
<u>$w(x)$</u>			
	$R(y)$		
	<u>$R(x)$</u>		
		$R(x)$	
		$R(y)$	
		$R(z)$	
		<u>$w(y)$</u>	
<u>$R(z)$</u>			
			<u>$w(z)$</u>

we have to compare $s1$ & $s2$



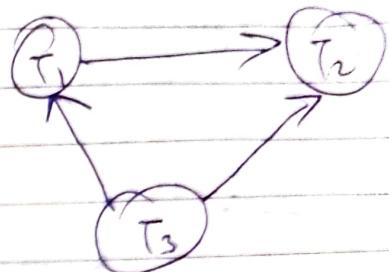
$T_3 \rightarrow T_1 \rightarrow T_2$

Given
Equivalent

	S^2		
	T_1	T_2	T_3
$R(x)$			
$w(x)$			
$R(z)$			
	$R(y)$		
	$R(x)$		
		$R(y)$	
			$R(y)$
			$R(z)$
		$w(y)$	
			$w(z)$

not conflict equivalent

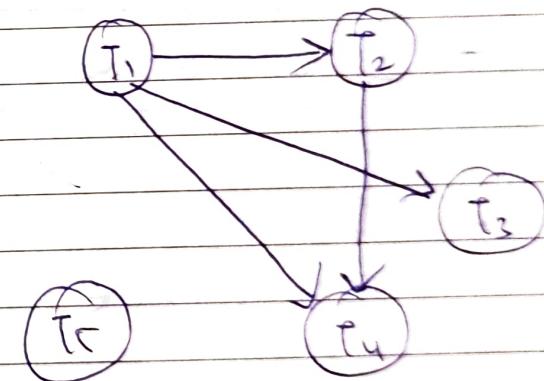
	T_1	T_2	T_3
	<u>$R(x)$</u>		
	<u>$w(x)$</u>		
		<u>$R(y)$</u>	
		<u>$R(x)$</u>	
			<u>$R(y)$</u>
			<u>$R(z)$</u>
		<u>$w(y)$</u>	
			<u>$w(z)$</u>
	<u>$R(z)$</u>		



$T_3 \rightarrow T_1 \rightarrow T_2$

Conflict serializable

	T_1	T_2	T_3	T_4	T_5
		<u>$R(x)$</u>			
	<u>$R(y)$</u>				
	<u>$R(z)$</u>				
			<u>$R(v)$</u>		
			<u>$R(w)$</u>		
		<u>$R(y)$</u>			
		<u>$w(y)$</u>			
			<u>$w(z)$</u>		
				<u>$R(y)$</u>	
				<u>$w(y)$</u>	
				<u>$R(z)$</u>	
				<u>$w(z)$</u>	
	<u>$R(u)$</u>				
		<u>$w(u)$</u>			
					<u>$R(u)$</u>
					<u>$w(u)$</u>

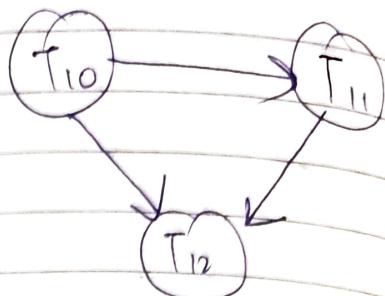


$T_5 \rightarrow T_1 \rightarrow T_2 \rightarrow T_3 \rightarrow T_4$

Conflict serializable

Q9

T_{10}	T_{11}	T_{12}
$R(A)$		
$R(B)$		
$w(A)$	$R(A)$ $w(A)$	RCA
<u> </u>	<u> </u>	<u> </u>
about	-	-

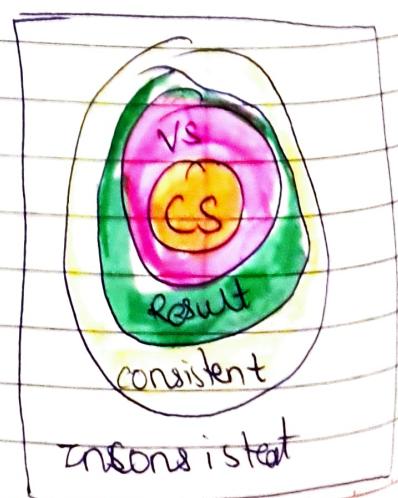
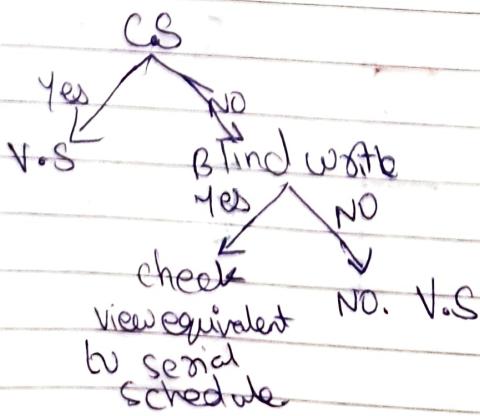
 $T_{10} \rightarrow T_{11} \rightarrow T_{12}$.

conflict pairs.

 $\langle R_{10}(A), w_{11}(A) \rangle, \langle w_{10}(A), R_{12}(A) \rangle, \langle w_{11}(A), R_{12}(A) \rangle$ 

View Serializability

- If a schedule is conflict serializable then it will be view serializable.
- If the view serializable which does not conflict serializable contains blind write.
- A schedule will view serializable if it is view equivalent to serial schedule.



if conflict \rightarrow V.S ✓

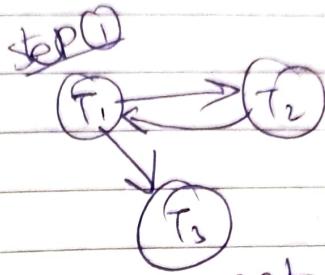
DOMS

Page No.

Conditions to check view equivalent

- ① Initial Read (Same)
- ② Final write (Same)
- ③ intermediate Read orders (Same).

S		
T ₁	T ₂	T ₃
R(a)		
	w(a)	
w(a)		(w(a))



not conflict serializable

step② check blind write = Yes.

step③ all possible serial schedule

1 2 3 ↗ ?
1 3 2
2 1 3
2 3 1
3 1 2
3 2 1

S'		
T ₁	T ₂	T ₃
R(a)		
	w(a)	
w(a)		w(a)

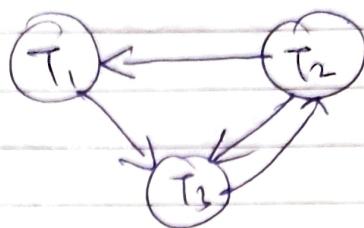
$\therefore S \xrightarrow{\text{view equivalent}} S'$ $T_1 \rightarrow T_2 \rightarrow T_3$
 \therefore View serializable.

Dataobject	Initial Read	Final w/r	update Read.	Serial order
a.	T ₁	T ₃	-	$T_1 \rightarrow T_2 \rightarrow T_3$

Q2

81

T_1	T_2	T_3
$R(A)$		
	$R(B)$	
	$W(B)$	
	$R(A)$	
	$W(A)$	
$R(B)$		
	$R(B)$	
$R(A)$		
$W(A)$		



non conflict serializable.

Data object	Initial Read	Final write	Updated Read order	Serial order
A	T_1	T_2	$T_2 \rightarrow T_2$	$T_1 \rightarrow T_3 \rightarrow T_2$
B	T_2	T_2	$T_2 \rightarrow T_1$, $T_2 \rightarrow T_3$	$T_2 \rightarrow T_1 \rightarrow T_3$ $T_2 \rightarrow T_3 \rightarrow T_1$

not view serializable schedule

no common serial orders.

Q3 Check view equivalence betn S1 & S2.

S1			S2		
T ₁	T ₂	T ₃	T ₁	T ₂	T ₃
R(x) w(x)			R(x) w(x)		
	R(y) R(x)			R(z) R(y)	
		R(y) R(z)			R(x) w(y)
					R(y) R(z) w(x)
	w(y)				
		w(x)			
R(z)					

Data object	Schedule no.	Initial Read	Final write	Update Read
X	S1 S2	T ₁ T ₁	T ₁ T ₃	T ₁ \rightarrow T ₂ T ₁ \rightarrow T ₂
Y	S1 S2	T ₂ T ₂	T ₂ T ₂	— T ₂ \rightarrow T ₃
Z	S1 S2	T ₃ T ₁	—	—

Not view equivalent

* Recoverable Schedule

Schedule

Recoverable

Irrecoverable

S	T ₁	T ₂
DB A = 10	T ₁	
10 - R(A)		
20 A = A + 10		R(A) - 20

S	T ₁	T ₂
DB A = 10	T ₁	
10 - R(A)		A = A - 5 - 15
20 A = A + 10		W(A) - 20 A = 15

S	T ₁	T ₂
DB A = 10	T ₁	
10 - R(A)		A = A - 5 - 15
20 A = A + 10		W(A) - 20 A = 15

S is - Serial schedule
- conflict serializable

but ... Irrecoverable.

R(A) - 20

A = A - 5 - 15

W(A) - 20 | A = 15

C — DB | A = 15

S	T ₁	T ₂
DB A = 15	T ₁	
15 - R(A)		
20 A = A + 10		

LD | A = 20 W(A)

S	T ₁	T ₂
DB A = 15	T ₁	
15 - R(A)		
20 A = A + 10		

R(A) - 20
A = A - 5 - 15
W(A) - LD | A = 15
DB | A = 15

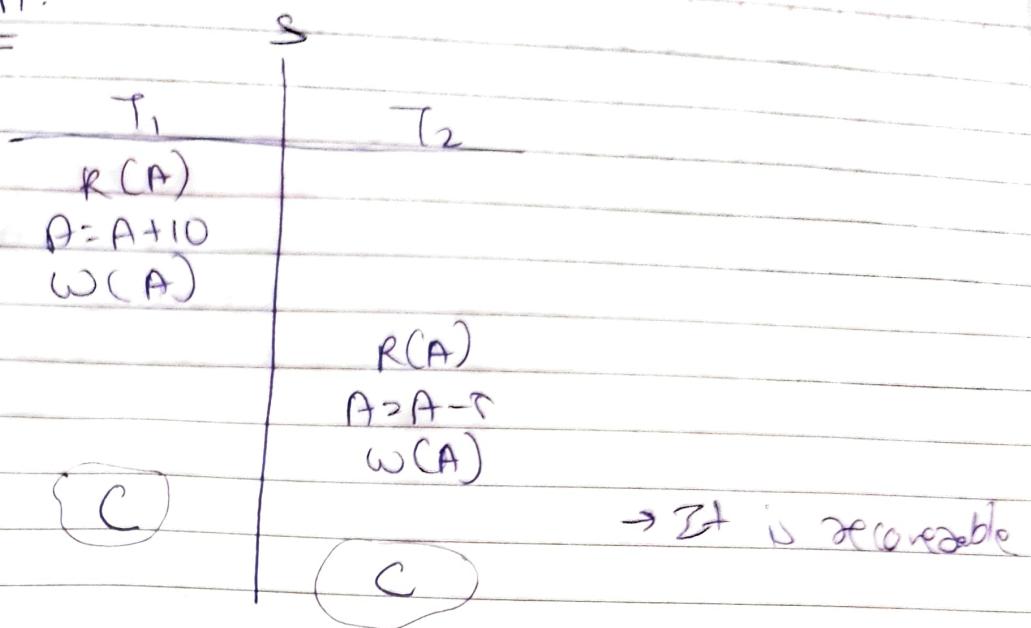
Dirty Read
occurs
here.

DB | A = 20 C

This Transaction is

committed & done. so it

DB changes & irrecoverable. don't need to roll back

solution:

\Rightarrow Now how to find whether a schedule is recoverable or not.

check Dirty Read

NO

Yes

Recoverable

check order of dirty read

= order of commit

Same

not same

Recoverable

Irrecoverable

Recoverability is a mandatory property of a schedule.



Cascadeless schedule



Cascadeless schedule \Rightarrow If there are no cascading roll back then it is cascadeless schedule.
 The transaction T_2 which dirty read from T_1 , IF T_1 rolls back then T_2 have to roll back
 this is called cascading roll back

\Rightarrow		S	$lock$	$solution$
T_1	T_2	S	$lock$	S
$R(A)$		0	$-$	T_1
$w(A)$	DR	1	$-$	$R(A)$
	$R(A)$	2	$-$	$w(A)$
	$w(A)$	3	$-$	c
		4	DR	$DR \times 0$
		5	$R(A)$	$R(A)$
		6	$w(A)$	$w(A)$
		7	c	c
		8	DR	$DR \rightarrow 0$
		9	$R(A)$	$R(A)$
		10	c	c

recoverable \checkmark
 cascadeless \times

recoverable \checkmark
 cascadeless \checkmark
 degree of concurrency \downarrow

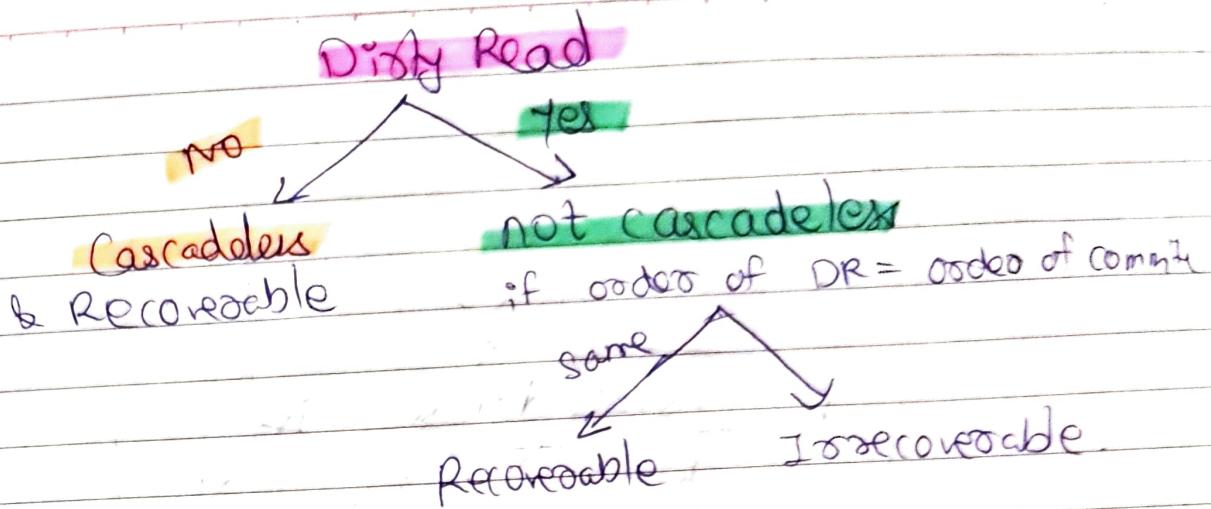
\rightarrow Cascadeless is optional property

\rightarrow If there is dirty read then compulsorily there is cascading roll back & hence it will not be a cascading schedule

DR = Dirty Read

DOMS Page No.

1324



* Strict Schedule

S1		S2		S3	
T ₁	T ₂	T ₁	T ₂	T ₁	T ₂
R(a)		R(a)		R(a)	
w(a)		w(a)		w(a)	
	w(a)		C		R(b)
C			w(a)		w(b)
	R(a)		R(a)		R(a)
C		C		C	

Recoverable: ✓

✓

✓

Cascadable: ✓

✓

✓

Strict: X

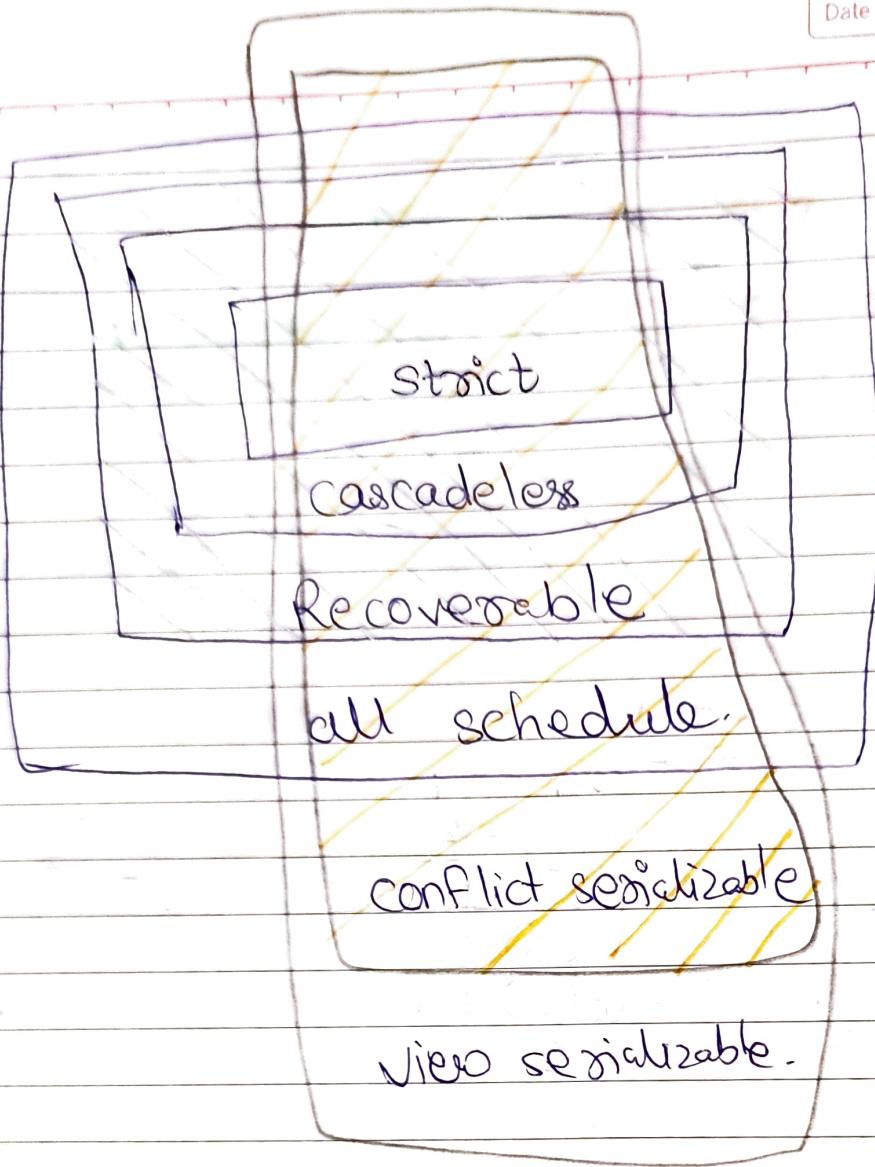
✓

✓

Rule for
strict schedule

If a transaction is working on a data item and doesn't commit till that no other transaction can read or write that data item.

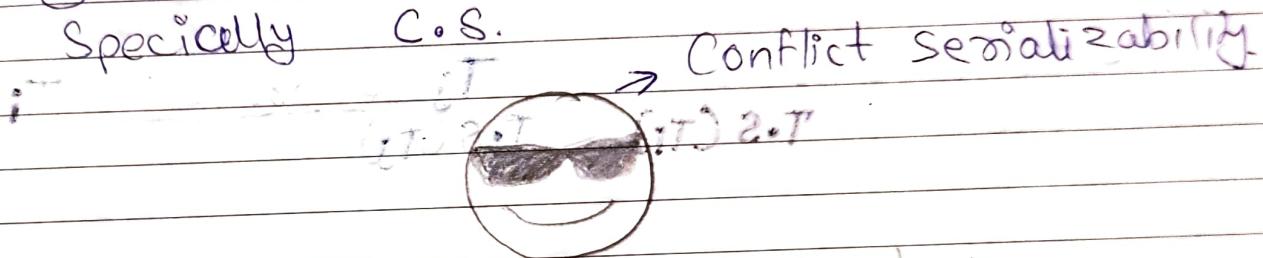
after committing we can work on that data item



If all those properties satisfies then we can guarantee consistency of a schedule.

* ConcURRENCY Control techniques

- Till now we were checking whether a schedule maintains consistency or not.
- Now we will use protocols that guarantee to generate schedule which satisfy the properties (CS, V.S, Reversability, Cascadability, strict etc), specifically C.S.



Kabhi kabhi to lagta hein
K apun ich bhagwaan hain

* Time Stamping protocol

- Basic idea = to decide the order between the transaction before that enters into the system. So in case of conflict, we can resolve that using ordering.
- Timestamp → System uses
- For ordering, we use value of system clock [dd:hh:mm:ss dd/mm/yyyy] (it is always unique & never repeat itself).

Hence we call it Time stamp.

⇒ 2 ideas of time stamping

② Time stamping with transaction:

→ with each transaction T_i , we associate a time stamp denoted by $T.S(T_i)$.
It is the value of system clock when transaction enters into system.

→ If new transaction T_j enters after T_i then, $T.S(T_i) < T.S(T_j)$

bcoz. if T_i enters at 2:20 pm 3/3/2020 & T_j enters at 4:10 pm 3/3/2020 then $T.S(T_j) > T.S(T_i)$

→ Also determine serializability order if $T.S(T_i) < T.S(T_j)$
then, system ensure that in the resultant conflict serializable schedule, T_i will execute first (before T_j)

② Time stamp with data item:

R(A)

→ For each data item A, protocol maintains two time-stamps.

(i) Write-timestamp (A): The largest timestamp of any transaction that executed write (A) successfully

(ii) Read-timestamp (A): The largest timestamp of any transaction that executed read (A) successfully

allow for i/o
deny gen i/o

2015

⇒ Timestamping Protocol

T_i request for Read(A)

- IF $T.S(T_i) < W.T.S(A)$

T_i It means T_i needs to read a value of A that was already overwritten by A . Hence, request must be **rejected & roll back**.

- IF $T.S(T_i) \geq W.T.S(A)$

T_i : Operation can be **allowed** and $R.T.S(A)$ will be $\max(R.T.S(A), T.S(T_i))$

T_i request for Write(A)

- IF $T.S(T_i) < R.T.S(A)$

T_i It means value of A that T_i is producing was needed previously and the system assumed that the value would never be produced hence **reject & roll back**.

- IF $T.S(T_i) < W.T.S(A)$

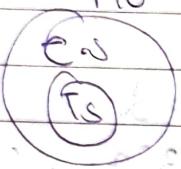
T_i is attempting to write an absolute value of A . **reject & roll back**

- Otherwise $T.S(T_i) \geq R.T.S(A)$ or $T.S(T_i) \geq W.T.S(A)$

then **allowed**

$$\& W.T.S(A) = \max(W.T.S(A), T.S(T_i))$$

* Properties of Time stamping protocol.

- Ensures conflict serializability
- Ensures view serializability
- Possibility of dirty read no restriction on commit.
- ↳ Recoverable schedules & cascading rollbacks are possible.
- Here, we either allow or reject, so no idea of deadlock.
-  (A) $\text{es} \cdot \text{Ts}(i) \rightarrow \text{es} \cdot \text{Ts}(j)$
using Time stamping (Ts)
we can generate conflict serializable schedule
but, not all c.s. can be generated with Ts
- may suffer from starvation,
→ relatively slow.

* THOMAS WRITE RULE

$Ts(T_i) = 5$	$Ts(T_j) = 10$	$Ts(T_k) = 5$
$A = 10$ $\text{W}(A)$	$\text{W}(A)$	$\text{W}(A) = 12$
if $T_j > T_i$ $\text{IF } Ts(T_j) > Ts(T_i)$	$\text{W}(A) = 12$ Ignore $\text{IF } Ts(T_i) < Ts(T_j)$	$\text{W}(A) = 12$

- modify time stamping protocol to make some improvements and may generate those schedules that are V.S but not C.S and provide better concurrency.
- modify time-stamping protocol in absolute write case when T_i request $w(A)$ if $T.S(T_i) < WTS(A)$
- Here T_i attempts to write absolute value of A. Rather than rolling back T_i , write operation is ignored.

eg.	T_1	T_2	T_3
	R(A)		
	ignored \rightarrow $w(A)$	$w(A)$	$w(A)$

not conflict serializable
but V.S.

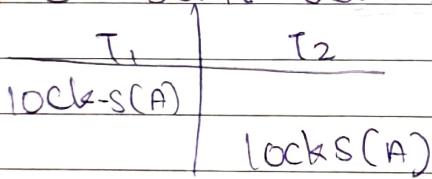
* Lock based Protocol

→ To achieve consistency, isolation is most important.

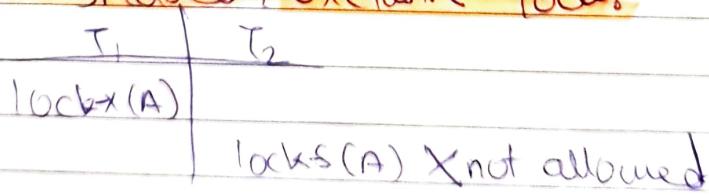
→ Locking is a simple concept to achieve isolation i.e. first obtain a lock on data item then perform desired operation & then unlock.

- modes of lock.

1) Shared lock : denoted by lock-S(A)
 Transaction can perform Read.
 Any other transaction can also obtain same lock on same data item at same time.



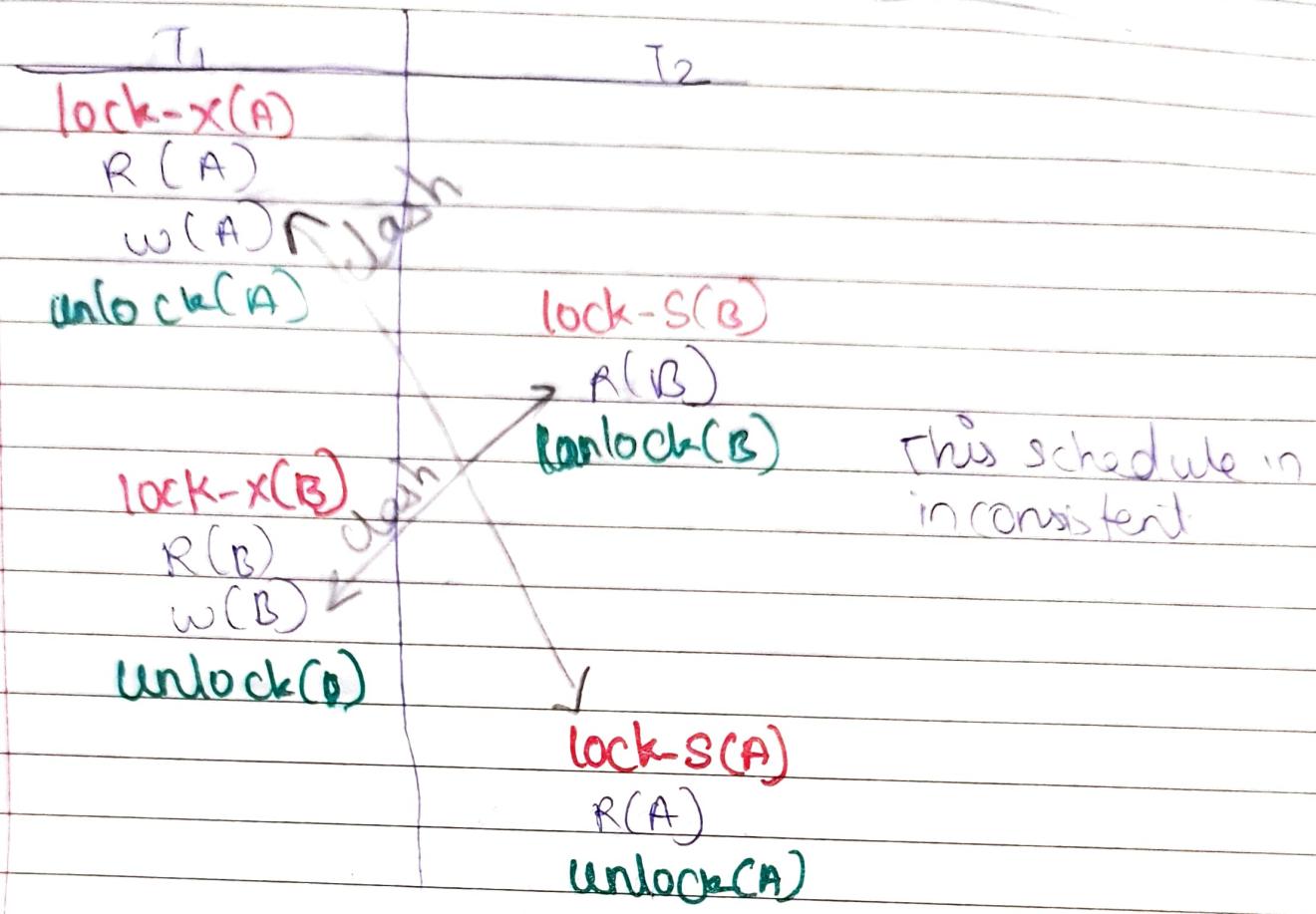
2) Exclusive lock: denoted by lock-X(A)
 Transaction can perform Read / write.
 Any other transaction cannot obtain either shared / exclusive lock.



→ Compatibility table

	shared	Exclusive
shared	F	F
exclusive	F	F

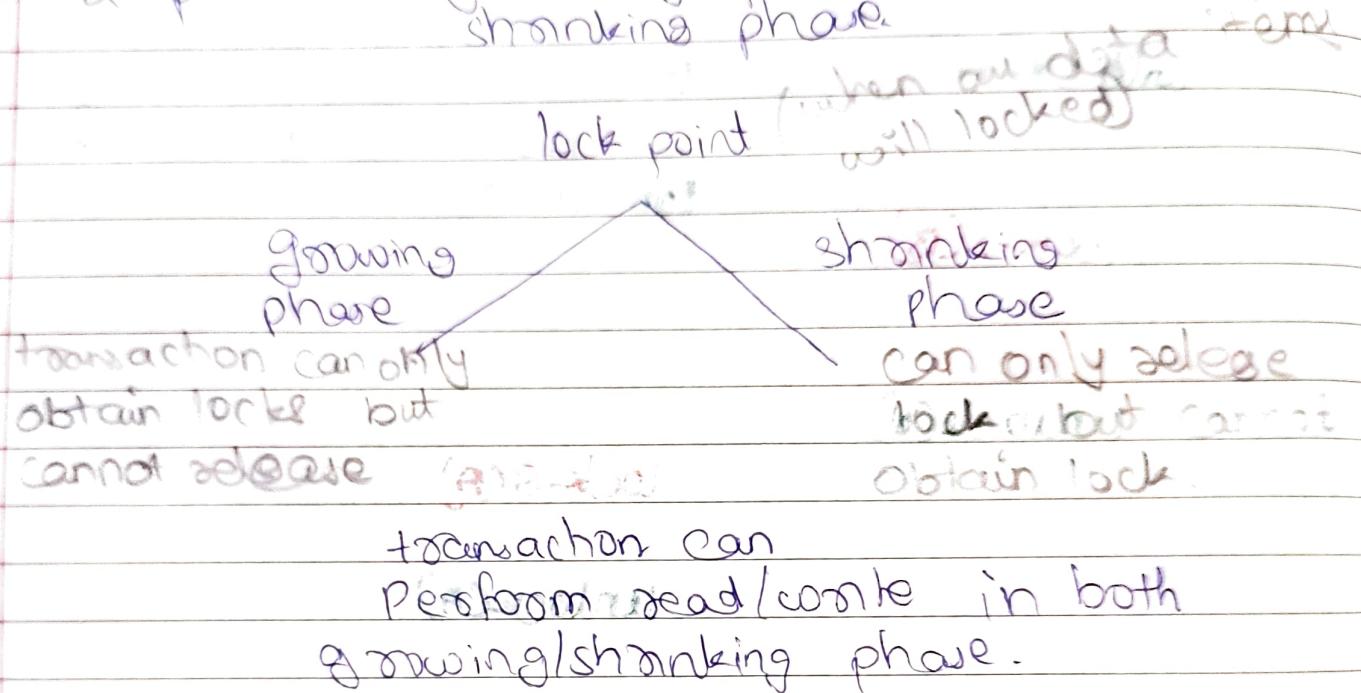
* Properties of Lock based protocol



- If we do unlocking, inconsistency will occur if we don't unlock then, concurrency will poor.
- We require that, transaction follows some set of rules for locking & unlocking of data eg: 2PL or graph based protocol
- We say a schedule is legal under a protocol, if it can be generated using the rules of protocol.

* Two-phase locking (2PL) / Basic 2PL

- This protocol requires that each transaction in a schedule will have 2 phases: growing phase & shrinking phase.



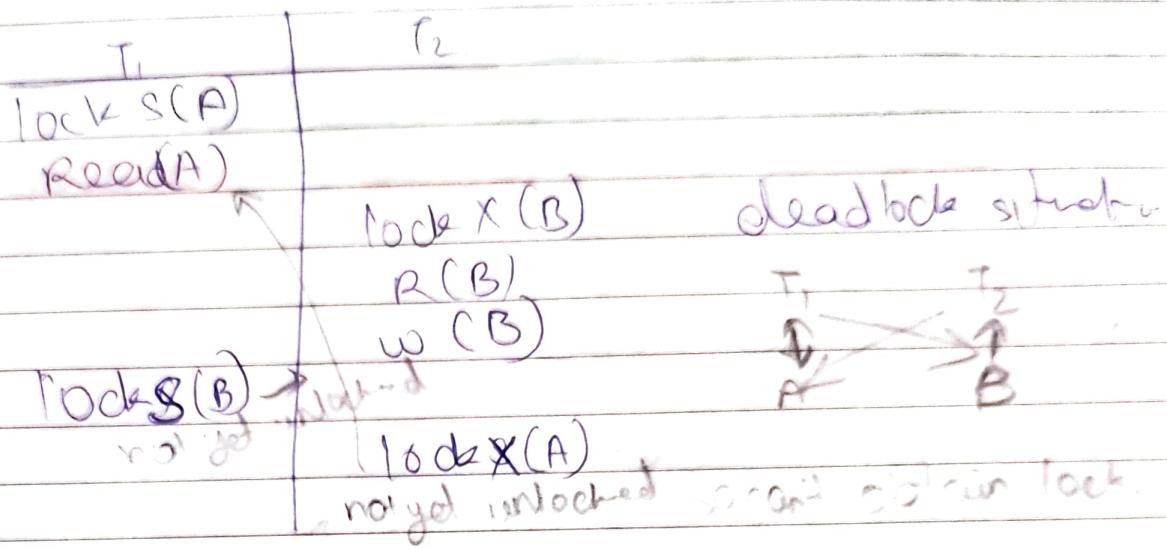
→ Properties

→ Ensures C.S./V.S., the order of serializability
↳ order in which transaction reaches lock point.

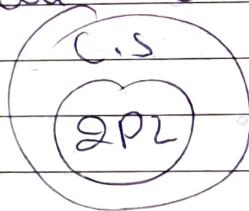
Q → may generate **recoverable** schedule &
cascading roll back.

T_1	T_2
lock(A)	
r(A)	
w(A)	
unlock(A)	
	flash because did not get lock
	T_1 has not yet come
	locked(n)
	f(A) exit

3) Do not ensure freedom from deadlock.



→ 2PL can be C-S
but not all C-S can generate by 2PL



* Conservative / static 2PL:

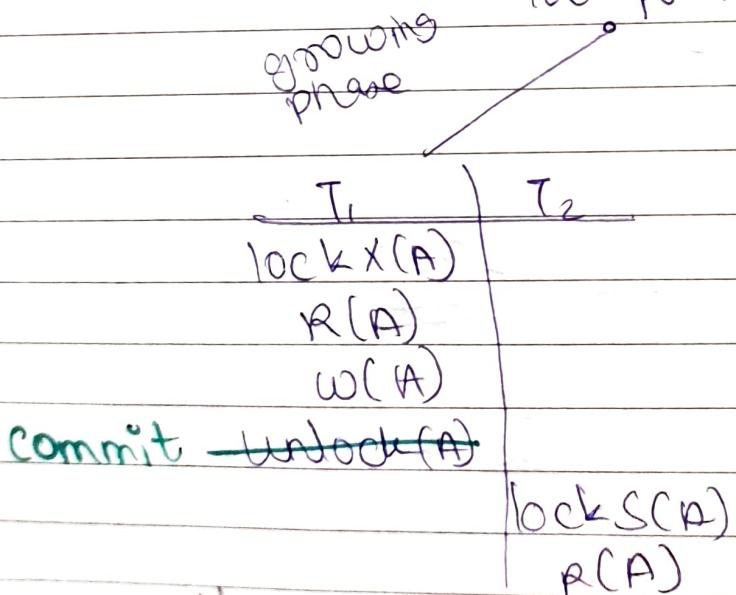
- There is no growing phase, 1st acquire all locks required & directly start from lock point. lock point shanking phase
- If all locks are not available, then transaction must release the lock acquired so far & wait.
- shanking phase works as usual.

* Properties:

- Ensures CS / vs
- Independent from deadlock
- Recoverable schedule & Cascading roll back

* Rigorous 2P2

- It is implemented over 2PL protocol where we try to ensure recoverability by cascading rollback.
- Here, all locks must be held until commit i.e. there is no shrinking phase.



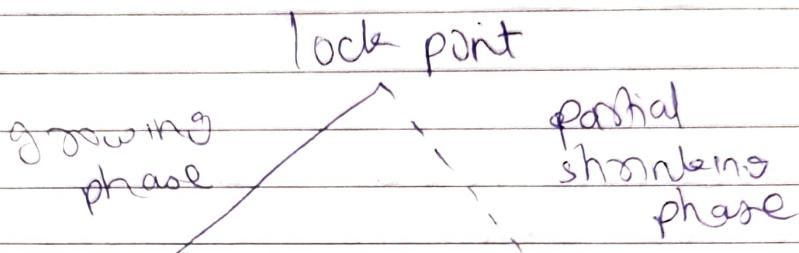
then there will be no dirty read.

* Properties:

- Ensure CS / vs
- If recoverable & cascading roll back
- Suffered ~~from~~ from deadlock & inefficiency

* Strict 2PL

- It is an improvement over Rigorous 2PL
- In shrinking phase
 - Exclusive lock cannot unlock but shared lock can be unlock.



* Properties

- Ensures CS/VS, recoverability, consistency, efficiency
- suffers from deadlock but it's ok

* Log based Recovery

1) Deferred Database modification.

DB	T ₁	
A = 100 B = 200	R(A) A = A + 100 W(A)	
	R(B) B = B + 200 W(B)	

log (it is like a red file).

<T₁, start> → new value

<T₁, A, 200>

<T₁, B, 400>

<T₁, commit>

redo

(Save new values)

DB

i.e. [A=200]

→ It is also called **NO undo/redo**

→ $\langle T_1, \text{start} \rangle$

$\langle T_1, A, 200 \rangle$

$\langle T_1, B, 400 \rangle$

$\langle T_1, \text{Commit} \rangle$

$\langle T_2, \text{start} \rangle$

$\langle T_2, C, 500 \rangle$

} if failure occurs

then,

T_1 will redo i.e.

DB $| A=200 \\ B=400$

T_2 , will roll back

DB $| C=0$

If Commit found then new value updated
If not then roll back.

After commit only we save changes.

* Immediate Database modification

→ Here, at the time of write operation value is updated in DB & doesn't wait for commit.

$\langle T_1, \text{start} \rangle$ →
 $\langle T_1, A, 100 \rightarrow 200 \rangle$
 $\langle T_1, B, 200 \rightarrow 400 \rangle$
 $\langle T_1, \text{Commit} \rangle$

T_1
 $R(A)$
 $A = A + 100$

DB
 $A = 200$
 $B = 200$

$w(A)$ —
 $R(B)$
 $B = B + 200$
 $w(B)$ —
 Commit.

DB
 $A = 200$
 $B = 400$

DB
 $A = 200$
 $B = 400$

- It is also called Undo/Redo
 - $\langle T_1, \text{start} \rangle$
 - $\langle T_1, A, 1000, 2000 \rangle$
 - $\langle T_1, B, 5000, 6000 \rangle$
 - $\langle T_1, \text{commit} \rangle$
 - $\langle T_2, \text{start} \rangle$
 - $\langle T_2, C, 700, 800 \rangle$
- ↑ T_1 transaction will
redo & save new value
in DB bcz
- ↑ T_2 will Undo
& save old value to DB
failure bcz, it didn't
commit
- saved*

* Deadlock

- A system is in deadlock state if there exists a set of transaction such that every transaction in the set is waiting for another transaction in the set.
- If there exist a set of waiting transaction, T_0, T_1, T_2, T_3 ~~the~~ such that $T_0 \rightarrow T_1, T_1 \rightarrow T_2, \dots, T_{n-1} \rightarrow T_0$ so no transaction can progress in such situation

$$T_1 \rightarrow T_2 \rightarrow T_3$$

- System must have proper methods to deal with deadlock otherwise
- it may lead to loss of money in real time
- will reduce resource utilization & increase inefficiency

→ There are two principle for dealing with deadlock problem.

→ Prevention: ensures system never enters into deadlock.

→ Detection & Recovery: allow system to enter deadlock then try to recover.

Ch-4 Formal Relational

Query Language

- u.1 The relational algebra
- u.2 Tuple Relational Calculus
- u.3 Domain Relational Calculus.

Relational algebra

- It is a procedural query language.
- Consist of set of operation that take one or two relations as input & produce new relation as output.
- Fundamental operations are:
 - 1) select
 - 2) project
 - 3) union
 - 4) set difference
 - 5) Cartesian product
 - 6) Rename
 - 7) set intersection
 - 8) natural join
 - 9) assignment.

1) Select

- Select tuples that satisfy given predicate
- denoted by σ

Q1 : select instructors whose deptname = 'physics'
 $\sigma_{deptname='physics'}(instructor)$

Q1: select instructor where salary > 90000;

$\cap_{\text{salary} > 90000} (\text{instructor})$

Q2: select instructor where dept_name = "physic" and salary > 90000;

$\cap_{\text{dept_name} = \text{"physic"} \wedge \text{salary} > 90000} (\text{instructor})$

2) Project

- Allows us to produce relation,
- list the attributes
- denoted by (Π)

Q1: $\Pi_{\text{ID, name, salary}} (\text{instructor})$

ID	name	salary

Q2: Select sname from student where city = jaipur;

$\Pi_{\text{sname}} (\text{city} = \text{"jaipur"}) (\text{student})$

3) Union

- Include all tuples in table A or in B.
also eliminates duplicate tuples.
- denoted by (\cup)

• Conditions:

1) A, B, B, have same no. of attributes

- 2) Attribute domain must be compatible
- 3) Duplicate tuples are automatically eliminated.

Q1: $\Pi_{\text{author}}(\text{Books}) \cup \Pi_{\text{author}}(\text{Articles})$

displays name of authors who wrote books or articles or both.

4) Set difference

- result is tuples which are present in one relation but not in second.
- Denoted by (-)

Q1: list name of authors who wrote books & not articles.

$\Pi_{\text{author}}(\text{Books}) - \Pi_{\text{author}}(\text{Articles})$

5) Cartesian Product

- Combines information of 2 different relations into 1.
- Denoted by (x)

Q1: display all the books & articles written by xyz.

$\Pi_{\text{authors}} = 'xyz' (\text{Books} \times \text{Articles})$

6

Rename

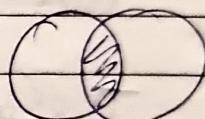
- Allows to rename old relation.
- denoted by (8)

Q1: result of expression E should be saved as x.

$$\textcircled{8} \quad \text{sx}(E)$$

* Additional Relational Algebra operations

7) Set-intersection



- To find tuple that ax in both table.
- Denoted by (n)

Q1: list authors that wrote both books & articles.

$$\text{Taauthors(Books)} \cap \text{Taauthors(Articles)}$$

8) Natural join

* Join

- Combination of Cartesian product followed by selection process.
- Pairs 2 tuples from different relations, iff given join condition is satisfied.
- Denoted by $\textcircled{10} \rightarrow$ join condition

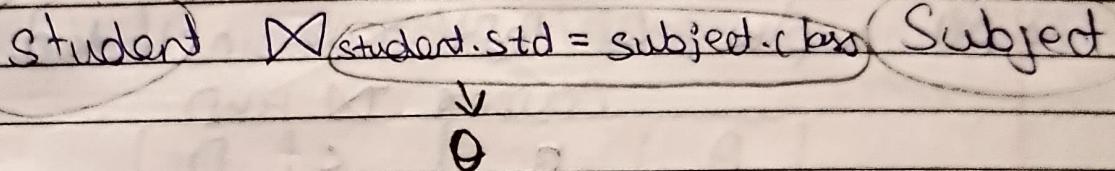
eg: student

STD	Name	std
101	A	10
102	B	11

subject

Class	Subject
10	math
10	eng
11	music
11	sport

(Q) join student & subject where std = sub

* Natural join

- does not require any comparison operators.
- we can perform natural join only if 1 common attribute exist betⁿ tabs.
- denoted by (\bowtie)

eg: Courses

CID	Course	Dept

HOD

Dept	Head

(Q) Jan Courses & HOD
Courses \bowtie HOD* Outer join

- Include all tuples from participating relations in resulting relation.

Left (Courses)		Right (HOD)	
A	B	A	B
100	DBMS	100	A
101	OS	102	B
102	CO	104	C

2) Left Outer join (R Δ S)

→ All tuples of left are included.

Courses Δ HOD			
A	B	C	D
100	DBMS	100	A
101	OS	-	-
102	CO	102	B

2) Right Outer join (R Δ S)

→ All tuples of right are included.

Courses Δ HOD			
A	B	C	D
100	DBMS	100	A
102	CO	102	B
-	-	104	C

3) Full Outer join (R Δ S)

→ All tuples from both are included.

Courses Δ HOD			
A	B	C	D
100	DBMS	100	A
101	OS	-	-
102	CO	102	B
-	-	104	C

Assignment operation

- works like assignment in programming language denoted by (\leftarrow)

temp \leftarrow R XS

* Extended Relational-Algebra Operations

1) Generalized projection

- Extends the projection operation by allowing operations such as arithmetic & string functions to be used in projection list
- Can use arithmetic operations (+, -, *, /, \div) also permits operation on other data types (concatenation of strings).

e.g: $\Pi_{\text{is_name}, \text{dep_name}, \text{salary} \div 12}$ (instructor)

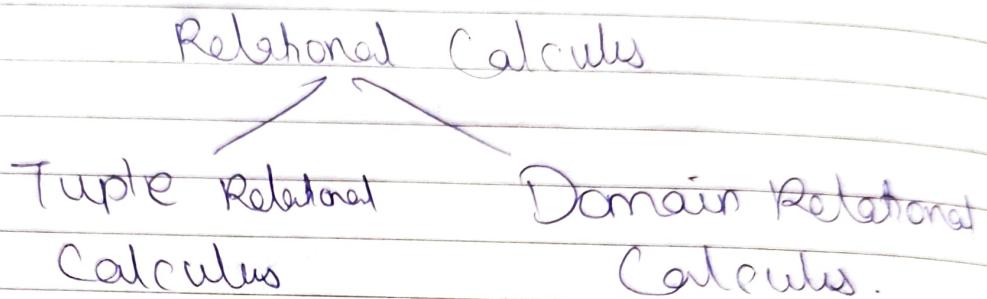
Aggregation

- Permits use of aggregate functions such as min, average, sum, count, max, distinct
- denoted by Σ

e.g.: $\Sigma_{\text{dept_no}}(\text{sum}(\text{salary}))$ (instructor)
 $\Sigma_{\text{dept_no}}(\text{average}(\text{salary}))$ (instructor)

* Relational Calculus

- It is non-procedural query language.
- User is concerned with details of how to obtain end results.
- tells what to do but not how to do.



u-2 Tuple Relational Calculus (TRC)

- Specified to select tuples in relation.
- The result of selection can have one or more tuples.

$\{T | R(T)\}$ or $\{T | \text{condition}(T)\}$

↑
resulting tuples condition to fetch T

e.g.: $\{T | \text{name} | \text{Author}(T)^{\text{Author}} \text{ AND } T[\text{article}] = \text{'data'}\}$

Select tuples from Authors relation
returns tuple with name from
authors who wrote article on data

IRC can be quantified
we can use Existential (\exists) & Universal (\forall)
quantifiers.

e.g. (R) $\exists T$ E Authors (T.article = 'dotted And R.name = T.name')

e.g. Find ID, name, dept.name, salary
for those instances whose salary > 80000

L T I T E instances ~~T~~ T.salary > 80000

Domain Relational Calculus (DRC)

Provides Only the description of the query
but does not provide method to solve it.
In DRC, query is expressed as

$$\{ \langle x_1, x_2, x_3, \dots, x_n \rangle \mid P(x_1, x_2, x_3, \dots, x_n) \}$$

↑ ↑
resulting domains condition to predicate
variable calculus

- Predicate calculus formulas
- 1) set of all comparison operators
- 2) set of connectives \wedge, \vee, \neg
- 3) set of quantifiers

e.g. find loan no., branch, amt from LOAN
of ≥ 100 .

$$\{ \langle l, b, a \rangle \mid \langle l, b, a \rangle \in \text{LOAN} \wedge (a \geq 100) \}$$

eg: find loan no. for each loan of
amt ≥ 150 .

$\{ \langle l \rangle \exists b, a (\langle l, b, a \rangle \in \text{LOAN} \wedge (a \geq 150)) \}$

Ch:5 Relational Database Design.

DOMS

Date

1) functional dependency & types.

2) normalisation & normal forms

- 1NF, 2NF, 3NF, BCNF,
UNF, 5NF

2) closure of FD set

3) closure of attribute set

4) irreducible set of FD

Functional Dependency (FD)

→ It is a relationship between attributes of a table dependent on each other.

→ It helps in preventing data redundancy and gets to know about bad design.

→ FD is represented by (\rightarrow)

B is functionally dependent on R

$A \rightarrow B$
dominant dependent

A	B
1	1
2	1

$f: \alpha \rightarrow \beta$

R

	A	B
a	1	1
a	2	1
c	3	
d	4	

R

	A	B
a	1	1
b	2	1
c	3	
d	4	

X

✓

$\therefore \text{if } \alpha \subseteq R \text{ & } \beta \subseteq R$

- If $t_1[\alpha] = t_2[\alpha]$

then $t_1[\beta] = t_2[\beta]$



$t_1 = \text{tuple 1}$

$t_2 = \text{tuple 2}$



\Rightarrow If

\rightarrow two or more determinants are same
~~then~~ and dependents are different
 then not valid.

\rightarrow ~~two~~ determinants are different
 $\&$ ^{2/} dependents are same
 then valid.

\rightarrow two or more determinants are same
 $\&$ their dependents are also same
 then valid.

* Types of functional Dependency

<u>Trivial</u>	<u>Non-trivial</u>	<u>completely non-trivial</u>
\rightarrow occurs when \rightarrow occurs when B is subset of A in $A \rightarrow B$	\rightarrow occurs when B is not subset of A in $A \rightarrow B$	\rightarrow occurs when A intersection B is null in $A \rightarrow B$
\rightarrow e.g: ID, name \rightarrow e.g: $ID \rightarrow ID$, $ID \rightarrow \text{name}$	$B \subseteq \alpha$	$B \not\subseteq \alpha$

* FD examples.

- find valid dependencies.

1) R

A	B	C	D	E	
a	2	3	4	5	\checkmark A \rightarrow BC
2	a	3	4	5	\cancel{A} DE \rightarrow C
a	2	3	6	5	\cancel{C} C \rightarrow DE
a	2	3	6	6	\checkmark BC \rightarrow A

Step 1: In $\alpha \rightarrow \beta$

Check if α is distinct
If yes then valid.

else

Step 2: Check if β are same
If yes then valid
else

Step 3: You have to check every dependency

For ~~Step 1~~ step 1.

To prove step 2

R

A	B	C	D	E
a	2	3	4	5
b	0	1	4	5
c	2	3	6	5
d	2	3	6	6

R

A	B	C	DE
a	2	3	4 5
b	0	1	4 5
c	2	3	6 5
d	2	3	0 6

more
distinct $\therefore A \rightarrow B$

$A \rightarrow D$

$A \rightarrow BCDE$

all are valid.

all are same

$\therefore A \rightarrow C$

$BD \rightarrow C$

$ABCE \rightarrow C$

all are valid

x	y	z
1	4	2
1	5	3
1	6	3
3	2	2

A	B	C
1	2	4
3	5	4
3	7	2
1	4	2

- ~~(x) $X \rightarrow Y \& Y \rightarrow Z \Rightarrow X \rightarrow Z$~~
 ✓ $Y \rightarrow X \& X \rightarrow Z \Rightarrow Y \rightarrow Z$
~~(x) $Y \rightarrow X \& X \rightarrow Z \Rightarrow Y \rightarrow Z$~~
~~(x) $X \rightarrow Y \& Y \rightarrow Z \Rightarrow X \rightarrow Z$~~

- ~~(x) $A \rightarrow B \& BC \rightarrow A \Rightarrow C \rightarrow A$~~
~~(x) $C \rightarrow B \& CA \rightarrow B \Rightarrow A \rightarrow C$~~
✓ $B \rightarrow C \& AB \rightarrow C \Rightarrow A \rightarrow C$
~~(x) $A \rightarrow C \& BC \rightarrow A \Rightarrow B \rightarrow C$~~

* Armstrong's axioms (Inference rules)

1) Reflexivity: If $y \subseteq x$ then $x \rightarrow y$

Primary
rules
(CRAT)

2) Augmentation: If $x \rightarrow y$ then $x \rightarrow yz$

3) Transitivity: If $x \rightarrow y \& y \rightarrow z$ then $x \rightarrow z$

4) Union: If $x \rightarrow y \& x \rightarrow z$ then $x \rightarrow yz$

Second
rules

5) Decomposition: If $x \rightarrow yz$ then $x \rightarrow y \& x \rightarrow z$

wrong.
~~wx \rightarrow yz~~

wx \rightarrow y

6) Pseudo-transitivity: If $x \rightarrow y \& wy \rightarrow z$ then $wx \rightarrow z$

7) Composition: If $X \rightarrow Y$ & $Z \rightarrow W$
then $XZ \rightarrow YW$

8) Self determination: $X \rightarrow X$

* Closure of set of FDs

→ Given a set F , set of FDs,
these are certain other FDs that are
logically implied by F .

Eg: $F = \{A \rightarrow B, B \rightarrow C\}$
then we can infer that
 $A \rightarrow C$

→ The set of FDs that is logically implied
by F is called closure of F

→ Denoted by F^+

Q Check whether the closure set of FD
is valid or not.

R (A, B, C, G, H, I)

$F (A \rightarrow B, A \rightarrow C, CG \rightarrow H, CG \rightarrow I, B \rightarrow H)$

$$\textcircled{1} \quad F^+ \{ A \rightarrow H \} \quad \checkmark$$

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow H \\ \hline \therefore A \rightarrow H \text{ (transitivity)} \end{array}$$

$$\textcircled{2} \quad F^+ \{ C \rightarrow H I \} \quad \checkmark$$

$$\begin{array}{l} C \rightarrow H \\ C \rightarrow I \\ \hline C \rightarrow H I \text{ (union)} \end{array}$$

$$\textcircled{3} \quad F^+ \{ A G \rightarrow I \} \quad \checkmark$$

$$\begin{array}{l} A \rightarrow C \\ C \rightarrow I \\ \hline A G \rightarrow I \text{ (pseudo transitivity)} \end{array}$$

Or. $\frac{A \rightarrow C}{A G \rightarrow C G} \text{ (Augmentation)}$

$$\begin{array}{l} A G \rightarrow C G \\ C G \rightarrow I \\ \hline A G \rightarrow I \text{ (transitivity)} \end{array}$$

$$\therefore F^+ = (A \rightarrow H, C \rightarrow H I, A G \rightarrow I)$$



Compute closure of following set of FD

$$\textcircled{1} \quad R = (A, B, C, D, E, F)$$

$$F = (A \rightarrow B, A \rightarrow C, CD \rightarrow E, CD \rightarrow F, B \rightarrow E)$$

$A \rightarrow BC$	$A \rightarrow B \wedge A \rightarrow C$	Union rule
$A \rightarrow E$	$A \rightarrow B \wedge B \rightarrow E$	transitivity
$CD \rightarrow EF$	$CD \rightarrow E \wedge CD \rightarrow F$	Union
$AD \rightarrow E$	$A \rightarrow C \wedge CD \rightarrow E$	pseudo transitivity
$AD \rightarrow F$	$A \rightarrow C \wedge CD \rightarrow F$	pseudo transitivity

$$\therefore F^+ = [A \rightarrow BC, CD \rightarrow EF, A \rightarrow E, AD \rightarrow E, AD \rightarrow F]$$

② $R(A, B, C, D, E)$

$F = \{AB \rightarrow C, D \rightarrow AC, D \rightarrow E\}$

$D \rightarrow A, D \rightarrow C$
 $D \rightarrow ACE$

$D \rightarrow AC$
 $D \rightarrow AC \& D \rightarrow E$

Decomposition
 Union

$$\therefore F^+ = \{D \rightarrow A, D \rightarrow C, D \rightarrow ACE\}$$

* Closure of Attribute set

- It is defined as set of attributes which can be functionally determined from it
- Denoted by F^+ .

⇒ Algorithm to compute α^+ , the closure of α under F

Step 1: result = α

Step 2: while (changes to result)
 do

 for each $\beta \rightarrow \gamma$ in F

 do

 begin

 if $\beta \subseteq \text{result}$ then

 result = result $\cup \gamma$

 else

 result = result

 end.

Q
3)

$$R(ABC)$$

$$F = \{ A \rightarrow B, \\ B \rightarrow C \}$$

$$\begin{aligned} A^+ &= A \\ &\vdash AB \\ &= ABC \end{aligned}$$

$$2) R(ABCDEF)$$

$$F = \{ A \rightarrow B, \\ C \rightarrow DE, \\ AC \rightarrow F, \\ D \rightarrow AF \}$$

$$E \rightarrow CF \}$$

$$\begin{aligned} (DE)^+ &= DE \\ &= ADEF \\ &= ABFE \end{aligned}$$

$$\boxed{ABDF}$$

$$\boxed{ABFE}$$

$$\boxed{ABCD}$$

$$3) R(ABCDEFG)$$

$$\begin{aligned} F = \{ &A \rightarrow B, \\ &BC \rightarrow DE, \\ &AE \rightarrow G \} \end{aligned}$$

$$(AC)^+ = AC$$

$$ABC$$

$$\boxed{ABCDEF}$$

$$4) R(ABCDEF)$$

$$\begin{aligned} F = \{ &A \rightarrow BC, \\ &CD \rightarrow E, \\ &B \rightarrow D, \\ &E \rightarrow A \} \end{aligned}$$

$$B^+ = B$$

$$\boxed{BD}$$

$$5) R(ABCDEFH)$$

$$\begin{aligned} F = \{ &A \rightarrow BC, \\ &CD \rightarrow E \\ &B \rightarrow D, \\ &E \rightarrow C \\ &D \rightarrow AEH \\ &ABH \rightarrow BD \\ &DH \rightarrow BCJ \} \end{aligned}$$

$$\text{check, } BCD \rightarrow H \quad \checkmark$$

$$(BCD)^+ = BCD$$

$$B \rightarrow CD$$

$$AB \rightarrow CDH$$

$$\begin{aligned} 6) F = \{ &A \rightarrow B, \\ &\neg A \rightarrow C, \\ &\neg h \rightarrow H \\ &\neg G \rightarrow I \\ &\neg B \rightarrow H \} \end{aligned}$$

$$(AG)^+ = AG$$

$$ABC$$

$$ABCAG$$

$$ABCAGH$$

$$ABCAGHS$$

$R = (A, B, C, D, E)$	1) Find closure of A $\in R^+$
$P = [A \rightarrow BC, C \rightarrow E, B \rightarrow D, E \rightarrow A]$	2) $(CD)^+$ 3) B^+ 4) BC^+ 5) E^+

$$A^+ = A$$

$A B C$
 $A B C D$
 $\boxed{A B C D E}$

$$(CD)^+ = CD$$

$C D E$
 $A C D E$
 $\boxed{A B C D E}$

$$(B)^+ = B$$

$B D$

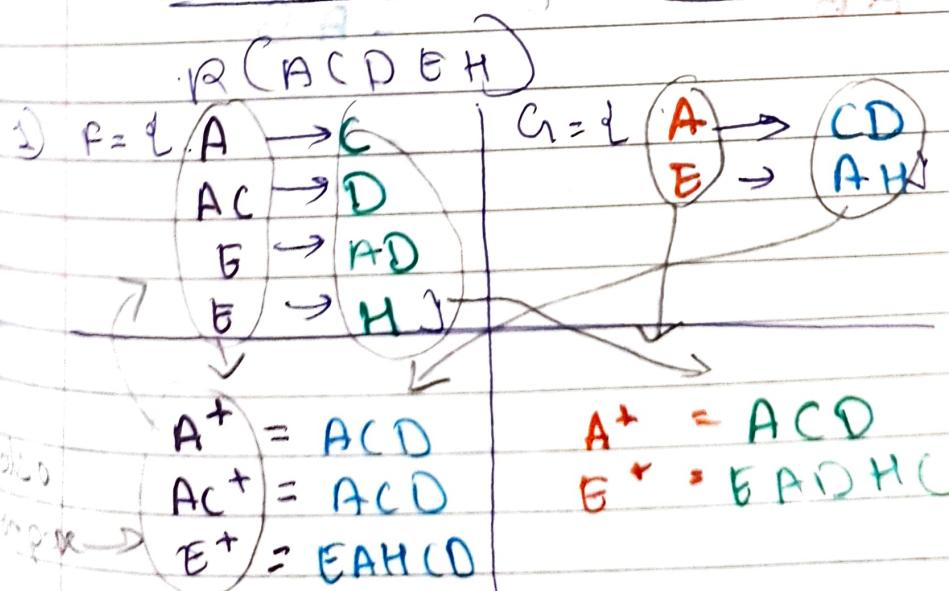
$$(BC)^+ = BC$$

$B C D$
 $B C D E$
 $\boxed{A B C D E}$

$$E^+ = E$$

$A E$
 $A B C E$
 $\boxed{A B C D E}$

* Equivalence of functional dependency



- options
- $F \subseteq G$
 - $F \supseteq G$
 - $F = G$
 - $F \neq G$

$$G \subseteq F$$

$$\therefore F = G$$

2)

R(PQR)

$$\begin{aligned}x: \quad P &\rightarrow Q \\Q &\rightarrow R \\R &\rightarrow S\end{aligned}$$

$$\begin{aligned}y: \quad P &\rightarrow QR \\R &\rightarrow S\end{aligned}$$

$$P^+ = PQRS$$

$$Q^+ = QD_x$$

$$R^+ = RS$$

$$P^+ = PQRST$$

$$R^+ = RS$$

$$\therefore x \notin y$$

$$y \subseteq x$$

3)

R(ABC)

$$\begin{aligned}F: \quad A &\rightarrow B \\B &\rightarrow C \\C &\rightarrow A\end{aligned}$$

$$\begin{aligned}G: \quad A &\rightarrow BC \\B &\rightarrow A \\C &\rightarrow A\end{aligned}$$

$$A^+ = ABC$$

$$B^+ = ABC$$

$$C^+ = ABC$$

$$A^+ = ABC$$

$$B^+ = BCA$$

$$C^+ = CAB$$

$$F \subseteq G$$

$$G \subseteq F$$

$$\therefore F = G$$

4)

R(VWXYZ)

$$\begin{aligned}F: \quad W &\rightarrow X \\W &\rightarrow Y \\Z &\rightarrow WY \\Z &\rightarrow V\end{aligned}$$

$$\begin{aligned}w^+ &= WXY \\(wx)^+ &= WXY \\z^+ &= ZWXY\end{aligned}$$

$$F \notin G$$

$$G: \quad W \rightarrow XY$$

$$Z \rightarrow WY$$

$$\begin{aligned}w^+ &= WXY \\z^+ &= ZWY\end{aligned}$$

$$G \subseteq F$$

- options
- (a) $x \subseteq y$
 - (b) $y \subseteq x$
 - (c) $x = y$
 - (d) $x \neq y$

* Irreducible sets of FD / canonical cover

→ It is simplified and reduced version of the given set of FD.

• Extraneous attributes

→ If we can remove an attribute from a FD without changing the closure of set of functional dependencies then that attribute is extraneous attribute.

* Steps to find canonical Cover

Step 1: Write FD in such a way that each FD contains exactly 1 attribute at right side.

Step 2: consider each FD one by one from set obtain in Step 1.

& To determine whether it is essential or not

- compute closure of its left side.

1st time: consider that particular FD is present in set

2nd time: consider that particular FD is not present in set.

If results (of both 1st & 2nd) are same

Then eliminate that FD immediately & don't consider further.

If results are different
then it is essential.

Step 3: Consider the newly obtained set
of FD after performing
step 2

- Check if any FD contains
more than 2 attribute on its
~~left side~~.

IF ~~YES~~ NO

then obtained set in step 2
is canonical cover.

IF YES

then consider all FD one by one

- Check if their left side can be
reduced.

↳ To check

- Consider FD

- Compute closure of all
possible subset on
left side

- If any subset produce
same closure result
as produced by entire
left side,

then replace left side
with that subset

Q1) $R(W \times YZ)$

$$X \rightarrow W$$

$$WZ \rightarrow XY$$

$$Y \rightarrow WXYZ$$

Step 1:

$$\checkmark X \rightarrow W$$

~~$XWZ \rightarrow X$~~

$$\checkmark WZ \rightarrow Y$$

~~$X \rightarrow WZ$~~

$$\checkmark Y \rightarrow X$$

~~$Y \rightarrow Z$~~

Step 2:

$$(X)^+ = XW \rightarrow \text{considering } X \rightarrow W$$

$$X^+ = X \rightarrow \text{ignoring } X \rightarrow W$$

$$WZ^+ = WZXY \quad \} \text{ producing same result}$$

$$WZ^+ = WZYX$$

$$WZ^+ = WZ$$

$$Y^+ = YWZX$$

$$Y^+ = YXZW$$

$$Y^+ = YZ$$

$$Y^+ = YXZW$$

$$Y^+ = YXW$$

Step 3:

$$X \rightarrow W$$

$$WZ \rightarrow Y \rightarrow w^+ = WZYX$$

$$w^+ = W$$

$$z^+ = Z$$

$$Y \rightarrow X$$

$$Y \rightarrow Z$$

~~Ans~~: Canonical cover is

$$X \rightarrow W, WZ \rightarrow Y, Y \rightarrow X, Y \rightarrow Z$$

Q2)

$R(ABCD)$

$$A \rightarrow B$$

$$C \rightarrow B$$

$$D \rightarrow ABC$$

$$AC \rightarrow D$$

Step 1:

$$\checkmark A \rightarrow B$$

$$\checkmark C \rightarrow B$$

$$\checkmark D \rightarrow ABC$$

$$\checkmark AC \rightarrow D$$

Step 2:

$$A^+ = AB$$

$$A_B^+ = A$$

$$C^+ = CB$$

$$C_C^+ = C$$

$$D^+ = DABC$$

$$D_D^+ = DBC$$

$$D^+ = DBAC$$

$$D_B^+ = DACB$$

$$D^+ = DCAB$$

$$D_C^+ = DAB$$

$$\checkmark AC \rightarrow D$$

$$AC^+ = ACDB$$

$$AC_D^+ = ACB$$

Step 3:

$$A \rightarrow B$$

$$C \rightarrow B$$

$$D \rightarrow A$$

$$D \rightarrow C$$

$$AC \rightarrow D \rightarrow$$

$$AC^+ = ACDB$$

$$A^+ = AB$$

$$C^+ = CB$$

\therefore Canonical cover

$$A \rightarrow B$$

$$C \rightarrow B$$

$$D \rightarrow A$$

$$D \rightarrow C$$

$$AC \rightarrow D$$

(3)

 $R(\sqrt{w}x y_2)$ $\sqrt{v} \rightarrow w$ $\sqrt{w} \rightarrow x$ $y \rightarrow \sqrt{v}x_2 \quad \sqrt{v} \rightarrow w$

Step 1:

Step 2:

Step 3:

 $\sqrt{v} \rightarrow w$ ~~$\sqrt{v} \rightarrow x$~~ $y \rightarrow \sqrt{v}$ $y \rightarrow z$ $v^+ = \sqrt{w}x$ $v_w^+ = \sqrt{v}$ $v_w^+ = \sqrt{w}x$ $v_{w_x}^+ = \sqrt{w}$ $y^+ = \sqrt{v}w_x z$ $y_v^+ = y \times z$ $y^+ = y \times \sqrt{v}z w$ $y_x^+ = y \sqrt{v}z w x$ $y^+ = y z \sqrt{v} w x$ $y_z^+ = y \sqrt{v} w x$ $\therefore \sqrt{v} \rightarrow w$ $v \rightarrow x$ $y \rightarrow v$ $y \rightarrow z$ \therefore Canonical covers $= v \rightarrow w x$ $y \rightarrow v z$ * Keys

→ It is used to uniquely identify any tuple of data

- Super key: It is used to uniquely identify any tuple of data.

$$(\text{Super key})^+ = R$$

- Candidate keys: It is a super key but efficient.

eg: $(ABC)^+ = ABCD$

$(AB)^+ = ABCD$

$(A)^+ = ABCD$

} all are
SK

} but this
is efficient &
hence it is CK



If \uparrow subset of $SK = R$, then it is
closed or
CK.

CAND

→ These can be more than 1 candidate key (among the FD) or in a table

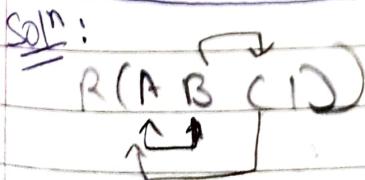
- Primary key :- must contain unique value
 - Cannot have NULL value
 - There can be only 1 PK in table which can consist of single or multiple fields/attributes.

g:	① $R(ABCD)$ $A \rightarrow BC$	② $R(ABCD)$ $ABC \rightarrow D$ $A, B \rightarrow CD$ $A \rightarrow BCD$	③ $R(ABCD)$ $B \not\rightarrow ACD$ $ACD \rightarrow B$	④ $R(ABCD)$ $AB \rightarrow C$ $C \rightarrow BD$ $D \rightarrow A$
soln	$A^+ = ABC$ not a key $(\text{or } [key]^+) = R$	$ABC^+ = ABCD$ sk $AB^+ = ABCD$ sk $A^+ = ABCD$ sk	$B^+ = ABCD$ sk $ACD^+ = ABCD$ sk	$AB^+ = ABCD$ sk $C^+ = CBD$ sk $D^+ = DA$

eg: Find candidate key - Imp

① $R(ABCD)$ $A \rightarrow B$ $B \rightarrow C$ $C \rightarrow A$
--

Now making combination with D
 $(AD)^+ = ABCD$ ck } we have made
 $(BD)^+ = ABCD$ ck } only 2 combinations
 $(CD)^+ = ABCD$ ck } coz it is minimum



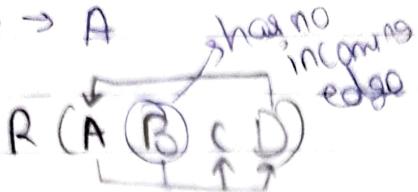
$\therefore \text{Ck} = AD, BD, CD$

not a ck.
 bcoz, D is not
 these

(2) $R(A B C D)$

$A B \rightarrow C D$

$D \rightarrow A$



check $B^+ = L \setminus X$

making combo of 2

$$(A B)^+ = A B C D \quad \checkmark$$

$$(B C)^+ \times$$

$$(B D)^+ = B D A C \quad \checkmark$$

$$\therefore CK = AB \& BD$$

(3) $R(A B C D E F)$

$A B \rightarrow C$

$C \rightarrow D$

$B \rightarrow A E$



$$BF^+ = B \setminus A F E C D = R$$

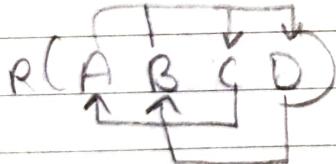
$$\therefore CK = BF$$

(4) $R(A B C D)$

$A B \rightarrow C D$

$C \rightarrow A$

$D \rightarrow B$



all have incoming edge

so trying all combo

$$A^+ = A$$

$$B^+ = B$$

$$C^+ = AC$$

$$D^+ = DB$$

$$B D^+ = BD$$

$$C D^+ = CDAB$$

$$A B^+ = ABCD$$

$$A C^+ = AC$$

$$A D^+ = ADBC$$

$$B C^+ = BCAD$$

$$B D^+ = BD$$

$$C D^+ = CDAB$$

$$A C B \times$$

$$A C D \times$$

$$B D A \times$$

$$B D C \times$$

$$\therefore CK = AB, AD$$

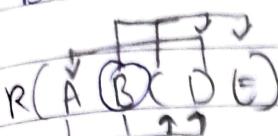
$$BC, CD$$

⑤ $R(ABCDE)$

$AB \rightarrow CD$

$D \rightarrow A$

$BC \rightarrow DE$

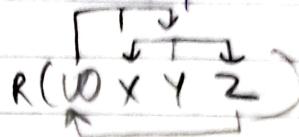


⑥ $R(WXYZ)$

$Z \rightarrow W$

$Y \rightarrow XZ$

$XW \rightarrow Y$



$$B^+ = \{X\}$$

$$\checkmark AB^+ = ABCDE$$

$$\checkmark BC^+ = BCDEA$$

$$\checkmark BD^+ = BDACE$$

$$\checkmark BE^+ = BE$$

$$\therefore CK = AB, BC, BD$$

$$W^+ = W$$

$$X^+ = X$$

$$\checkmark Y^+ = YXZW$$

$$Z^+ = ZW$$

$$wx^+ = wxYZ$$

$$xz^+ = XZWY$$

$$wz^+ = WZ$$

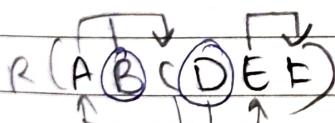
$$\therefore CK = Y, WX, XZ$$

⑦ $R(ABCDEF)$

$AB \rightarrow C$

$DC \rightarrow AE$

$E \rightarrow F$



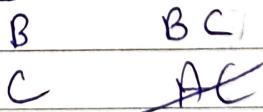
Note:-

~~If $R(ABC)$~~

so, possible combo ~~ABC~~

~~If A is key then dont check AB, AC~~

~~& ABC~~



$$B^+ = B$$

$$D^+ = D$$

$$BD^+ = BD$$

$$ABD^+ = ABCDEF$$

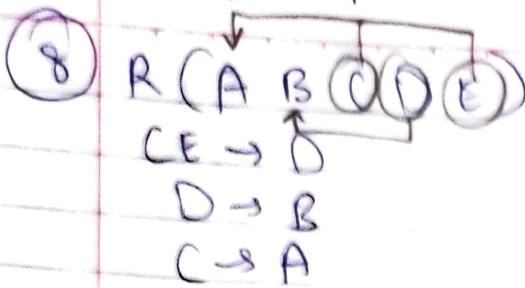
$$BCD^+ = ABCDEF$$

$$\checkmark BDE^+ = BDEF$$

$$\checkmark BDF^+ = BDF$$

$$\checkmark BDEF = BDEF$$

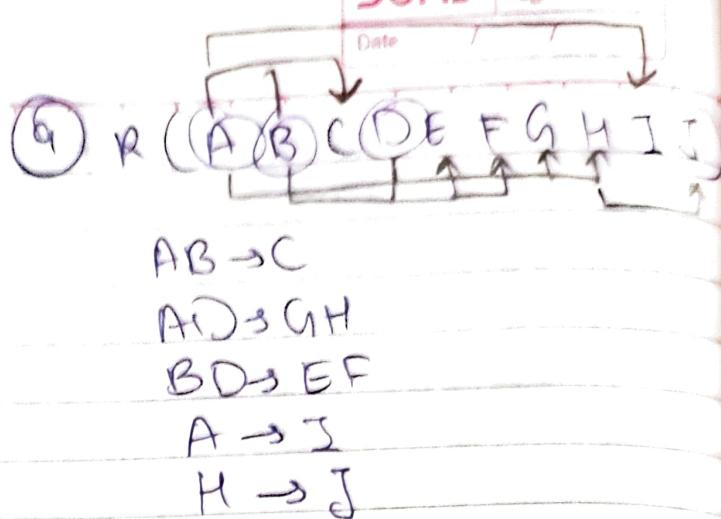
$$\therefore CK = ABD & BCD$$



$$\begin{aligned} \cancel{CDE} &= C' = A \bar{C} \\ \cancel{D^+} &= DB \\ \cancel{E^+} &= E \end{aligned}$$

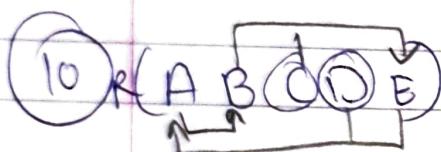
$$CE^+ = ABCDE = R$$

$$\cancel{DE} = \\ CK = CE$$



$$\begin{aligned} ABD^+ &= ABCDEFGHIJ \\ &= R \end{aligned}$$

$$CK = ABD$$



$$\begin{aligned} A &\rightarrow B \\ BC &\rightarrow E \\ DE &\rightarrow A \end{aligned}$$

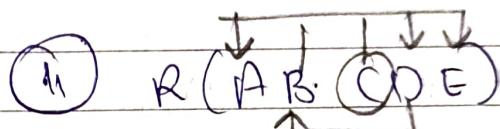
$$CD^+ = CD$$

$$ACD^+ = ABCDE$$

$$BCD^+ = ABCDE$$

$$CDE^+ = ABCDE$$

$$CK = ACD, BCD, CDE$$



$$\begin{aligned} BC &\rightarrow ADE \\ D &\rightarrow B \\ C &\rightarrow E \end{aligned}$$

$$C^+ = C$$

$$AC^+ = AC$$

$$\cancel{BC^+} = ABCDE$$

$$\cancel{CD^+} = ABCDG$$

$$\cancel{CE^+} = CE$$

$$ACE^+ = AC G$$

$$CK = BC \& CD$$

(12) $R(A B C D E F)$

$$AB \rightarrow C$$

$$C \rightarrow D$$

$$D \rightarrow B E$$

$$E \rightarrow F$$

$$F \rightarrow A$$

(13) $R(A B C D E F G H)$

$$CH \rightarrow G$$

$$A \rightarrow BC$$

$$B \rightarrow CFH$$

$$E \rightarrow A$$

$$F \rightarrow EG$$

~~$A^+ = A$~~

~~$B^+ = B$~~

$$C^+ = ABCDEF$$

$$D^+ = ABCDEF$$

~~$E^+ = A EF$~~

~~$F^+ = A F$~~

$$AB^+ = ABCDEF$$

~~$AE^+ = A EF$~~

~~$AF^+ = A F$~~

$$BE^+ = ABCDEF$$

$$BF^+ = ABCDEF$$

~~$EF^+ = A EF$~~

$$AD^+ = ABCFHEG$$

$$BD^+ = ABCDEFGH$$

~~$CD^+ = CD$~~

$$DE^+ = ABCDEFGH$$

$$DF^+ = ABCDEFGH$$

~~$DG^+ = D G$~~

~~$DH^+ = D H$~~

~~$CDG^+ = CD G$~~

~~$CDH^+ = CD GH$~~

~~$DGH^+ = D GH$~~

~~$CDGH^+ = CD GH$~~

$$CK = C, D, AB, BE, BF$$

$$CK = AD, BD, DE, DF$$

Normalization.

DOMS Page No.

Date / /

Redundancy

Sid	name	age	Bp-code	Bname	HOD name
1	A	18	101	CS	ABC
2	B	19	101	CE	ABC
3	C	18	101	CE	ABC
4	D	20	102	EC	XYZ
5	E	21	102	EC	XYZ
6	F	18	103	ME	KLM

- In this table, we tried to store entire data of student.
- Here entire branch data is being repeated.
- ⇒ Redundancy : It is the root cause of all problems
→ It means : when same data is stored multiple times unnecessarily in a database.
- ⇒ Disadvantages:

- (i) Insertion, deletion & updation anomalies.
- Insertion anomalies :- When certain data cannot be inserted in DB without presence of another data.
 - Deletion anomalies :- If we delete some data (unwanted) it cause deletion of some other data (wanted).
 - updation anomalies :- When we want to update a single piece of data, but it must be done at all of its copies.
- (ii) Inconsistency
- (iii) ↑ in dB size & ↑ in time (slow)

monitors

⇒ Solution for student_info secondary.

student_info				Branch_info		
s_id	name	age	Bo-code	Bo-code	Banana	Modern
1	A	18	101	101	CE	ADC
2	B	19	101	102	EC	X42
3	C	18	101	103	ME	KLM
4	D	20	102			
5	E	21	102			
6	F	18	103			

Normalization :- It is a process which we use to remove redundancy.

To do normalization we use FD.

* 1 Normal Form :-

1) Single value in a single cell.

Roll	name	cause
1	Ash	OS, CO
2	Shub	SS, CO

2) Order of columns & order of rows are insignificant

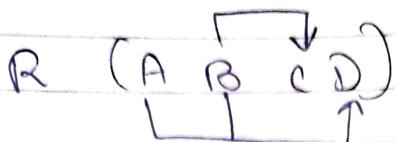
Roll	name	cause
1	Ash	OS
2	Ash	CO
2	Shub	DBA
2	Shub	WT

3) In every column, all value must belong to same domain.

4) Every column should have unique name.

* 2NF

→ Let's consider a relation.



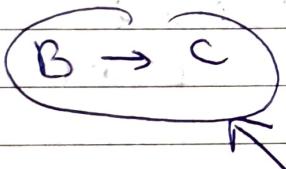
$$\text{So, } (AB)^+ = ABCD$$

∴ AB is candidate key.

AB are prime attributes.
as it is candidate key.

CD are non-prime attributes
as it is not CK.

$AB \rightarrow D$ D is dependent on entire CK.



C is dependent on only a part of CK.

Partial dependency.

Now, we know that,

A & B makes PK here.

So, PK's total value cannot be null
but any one value is allowed to be null

Or any one value must not be null

	A	B
1	-	✓
2	✓	-
3	-	X
4	✓	✓

Partial dependency :-
when a proper subset of ~~prime~~^{candidate key} ~~DOMS~~^{Page No.} identify non-prime attribute then it is P.D.

Now in this case,

$$B \rightarrow C.$$

If

$A \not\rightarrow B$, $B \rightarrow C$ then, the value of C is dependent on B.

But B is null.

hence partial dependency is not allowed.

$\therefore R(A B C D)$ is not in 2NF.

To decompose

To ~~make~~ it ~~is~~

$R_1(A B C)$

Create 1st table of candidate key
and also their dependents
which are entirely dependent on ck

$R_1(A B D)$

Create 2nd table.

$R_2(B C)$

eg: $R(A \underline{B} C)$



$R_1(A B)$



$R_2(B \underline{C})$

<u>R</u>		
A	B	C
a	1	x
b	2	y
a	3	z
c	3	z
d	3	z
e	3	z

redundancy

<u>R₁</u>	
A	B
a	1
b	2
a	3
c	3
d	3
e	3

<u>R₂</u>	
B	C
1	x
2	y
3	z

hence using normalization
redundancy is removed.

eg: $R(A \underline{B} C D E)$

$AB \rightarrow C$

$D \rightarrow E$

$$(ABD)^+ = ABCDE = R,$$

$$\therefore CR = ABD.$$

- $R_1(A \underline{B} C)$

- $R_2(D \underline{E})$

- $R_3(A B D)$

Now, $AB \rightarrow C$

$D \rightarrow E$



These must always
a table for (e.g.)

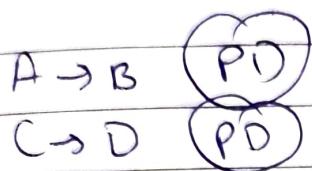
eg) $R(A \overbrace{B C}^{\swarrow \searrow} D E)$

$$A \rightarrow B$$

$$B \rightarrow E$$

$$C \rightarrow D$$

$$(AC)^+ = R = CK.$$



$$R_1(\underline{A B} E)$$

$$R_2(\underline{C D})$$

$$R_3(\underline{A C})$$

eg) $R(A \overbrace{B C}^{\swarrow \searrow} D E F G H I J)$

$$\begin{array}{l} AB \rightarrow C \\ AD \rightarrow GH \\ BD \rightarrow EF \\ A \rightarrow I \\ H \rightarrow J \end{array}$$

$$(ABD)^+ = R = CK.$$

$$R_1(\underline{A B} C)$$

$$R_2(\underline{A} I)$$

$$R_3(\underline{A D} G H J)$$

$$R_4(\underline{B D E F})$$

$$R_5(\underline{A B D})$$

* 3NF

Let $R(A \overbrace{B}^{\uparrow} C)$

$$A \rightarrow B$$

$$B \rightarrow C$$

Here $CK = A$.

This relation is in 2NF.

BUT:- lets suppose.

R		
A	B	C
a	1	x
b	1	x
c	1	x
d	2	y
e	2	y
f	3	z
g	3	z

Redundancy occurs even after removing Partial dependency.

So, to achieve 3NF we have to remove transitive dependency also.

⇒ Transitive dependency :-

It is a FD from $\alpha \rightarrow \beta$ is called transitive if $\alpha, \beta \in$ non-prime attributes.

Point 3NF: A relation R is in 3NF if

- if \tilde{r}_1 is 2NF
- no transitive dependency.

Now, converting $R(ABC)$ in 3NF.

$R_1 (\overbrace{BC})$

$R_2 (\overbrace{AB})$

A	B
a	i
b	i
c	i
d	2
e	2
f	3
g	3

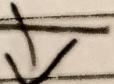
B	C
1	x
2	y
3	z

Hence redundancy
is removed

PD	$P \rightarrow NP$
TD	$NP \rightarrow NP$

→ Now we can also prove that the relation is in 3NF by proving ^{any} the following condition true.

- every dependency from $\alpha \rightarrow \beta$
 - either α is super key
 - or β is a prime attribute.



This is used
to directly find 3NF
or not, without
finding 2NF

eg: $R(A \overline{B} \overline{C} \overline{D} \overline{E})$

not S^*
 $\begin{array}{l} A \rightarrow B \\ B \rightarrow E \\ C \rightarrow D \end{array} \therefore R \text{ is not } 3NF$

$$(AC)^+ = ABCDE - R \\ = CK$$

- $R_1(\overbrace{A B E}) \rightarrow TD$

- $R_{11}(\overbrace{A B})$

- $R_{12}(\overbrace{B E})$

- $R_2(\overbrace{C D})$

- $R_3(\overbrace{A C})$

Now we'll get 4 tables

eg: $R(A \overline{B} \overline{C} \overline{D} \overline{E} \overline{F} \overline{G} \overline{H} \overline{I} \overline{J})$

$\begin{array}{l} AB \rightarrow C \\ A \rightarrow DE \rightarrow not P \\ B \rightarrow F \text{ hence} \\ F \rightarrow GH \text{ not in} \\ D \rightarrow IJ \text{ 3NF.} \end{array}$

$$(AB)^+ = R = CK$$

- $R_1(\overbrace{A D E I J})$

- $R_{11}(\overbrace{B D E})$

- $R_{12}(\overbrace{D I J})$

- $R_2(\overbrace{B F G H})$

- $R_{21}(\overbrace{B F})$

- $R_{22}(\overbrace{F G H})$

- $R_3(A B C)$

eg: $R(A \overline{B} \overline{C} \overline{D} \overline{E})$

$\begin{array}{l} AB \rightarrow C \text{ not P} \\ B \rightarrow D \text{ not} \\ D \rightarrow E \text{ in} \end{array}$

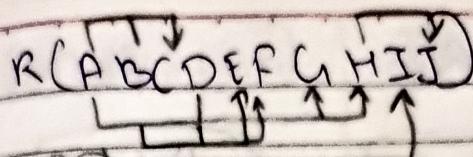
$$(AB)^+ = R = CK$$

- $R_1(\overbrace{B D E})$

- $R_{11}(\overbrace{B D})$

- $R_{12}(\overbrace{D E})$

- $R_2(\overbrace{A B C})$



CK: ABD

$$-R_1(A \downarrow B \downarrow C \downarrow I)$$

$$-R_{11}(A \downarrow B \downarrow C)$$

$$-R_{12}(A \downarrow I)$$

$$-R_2(A \downarrow D \downarrow G \downarrow H \downarrow I \downarrow J)$$

$$-R_{21}(A \downarrow D \downarrow G \downarrow H)$$

$$-R_{22}(G \downarrow H \downarrow I \downarrow J)$$

$$-R_3(B \downarrow D \downarrow E \downarrow F)$$

$$-R_4(A \downarrow B \downarrow D)$$

* BCNF (Boyce Codd NF)

A relation R is in BCNF if
in $\alpha \rightarrow \beta$
 α is a super key

eg: $R(A \downarrow B \downarrow C)$ The R is in 3NF.

SK

$$(AB) \rightarrow C$$

$$(C) \rightarrow B$$

not SK

Candidate key = AB & AC.

∴ prime att = ABC

$$-R_1(C \downarrow B)$$

$$-R_2(A \downarrow C)$$

$$R_3(B \downarrow C) \times$$

R	A	B	C
a	1	x	
b	2	y	
c	2	z	
d	2	z	
e	3	w	
f	3	w	
g	3	w	

R ₁	C	B
x		1
y		2
z		2
w		3

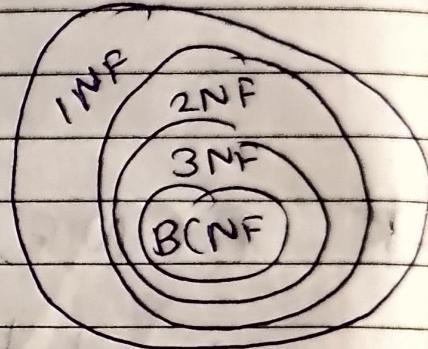
R ₂	A	C
a	x	
b	y	
c	z	
d	z	
e	w	
f	w	
g	w	

We solved

In 2NF : $P \rightarrow NP$

3NF : $NP \rightarrow NP$

BCNF : $P/NP \rightarrow P$



Q. Consider the following relation with FD & identify the normal form.

How to check?

Step 1: check BCNF

If yes then ✓
else goto step 2.

Step 2: check 3NF

If yes then ✓
else goto step 3

Step 3: check 2NF

If yes then ✓

① R(ABCDEF GH)

$AB \rightarrow C$ BCNF

$A \rightarrow D$ BCNF fails
not P/BCNF

$B \rightarrow F$

$F \rightarrow GH$

$CK = SK = AB$

It is 1NF

② R(ABC DE)

~~CE~~ CE $\rightarrow D$

~~D~~ D $\rightarrow B$

~~C~~ C $\rightarrow A$

$CK = SK = CE$

It is 1NF

③ R($\overbrace{ABC}^T, \overbrace{CDE}^T, F$)

BCNF $AB \rightarrow C$

~~DC~~ DC $\rightarrow AE$

~~E~~ E $\rightarrow F$

$CK = SK = ABD, BCD$

It is 1NF

④ R(ABCDEF GH)

$AB \rightarrow C$ BCNF

$BD \rightarrow EF$ 3NF

$AD \rightarrow GH$ 2NF

$A \rightarrow I$

$CK = SK = ABD$

It is in 1NF

⑤ R(ABC DE)

$AB \rightarrow CD$ BCNF

$D \rightarrow A$ 3NF

$BC \rightarrow DE$

$CK = SK = AB$

BD

BC

It is in 3NF

⑥ R(ABC DE)

$BC \rightarrow ADE$ BCNF

$D \rightarrow B$ 3NF

$CK = SK = BC, CD$

It is in 3NF

⑦ R(VWXY Z)

$X \rightarrow YV$ BCNF

$Y \rightarrow Z$ 3NF

$Z \rightarrow Y$ 2NF

$VW \rightarrow X$

$CK = SK = VW, XW$

It is in 1NF

⑧ R(ABCDEF)

$ABC \rightarrow D$ BCNF

$ABD \rightarrow E$ 3NF

$CD \rightarrow F$ 2NF

$CDF \rightarrow B$

$BF \rightarrow D$

$CK = SK = ABC, ACD$

It is in 1NF

⑨ R(ABC)

$A \rightarrow D$ BCNF

$B \rightarrow C$

$C \rightarrow A$

$CK = SK = ADC$

It is in BCNF

(10) $R(ABCDEF)$ $A \rightarrow BCDEF$ $BC \rightarrow ADEF$ $DEF \rightarrow ABC$ A, BC, DEF It is BCNF

BCNF

3NF

(11) $R(ABC)$ $AB \rightarrow C$

BCNF

3NF

 $C \rightarrow A$ AB, BA If it is 3NF(12) $R(ABCDEF)$ $A \rightarrow B$ $BC \rightarrow E$ $DE \rightarrow A$ ACD, BCD, CDE

3NF

(13) $R(AB(CDE))$ $AB \rightarrow CD$ $D \rightarrow A$ $BC \rightarrow DE$ AB, BC, BD

3NF

BCNF

3NF

(14) $R(WXYZ)$ $Z \rightarrow W$

BCNF

3NF

 $Y \rightarrow XZ$ $XW \rightarrow Y$

3NF

3NF

3NF

(15) $R(ABCDEF)$ $A \rightarrow B$ $B \rightarrow E$ $C \rightarrow D$ AB

INF

(16) $R(ABCDEF)$ $AB \rightarrow C$ $BC \rightarrow AB$ $E \rightarrow F$ ABD, BCD

BCNF

3NF

2NF

(17) $R(VWXYZ)$

BCNF

 $2 \rightarrow V$

3NF

 $V \rightarrow Z$

2NF

 $X \rightarrow YV$

3NF

 $VW \rightarrow X$

3NF

 $VW \rightarrow XW$

INF

INF

(18) $R(ABCDEF)$ $ABC \rightarrow D$ $PBD \rightarrow E$ $CD \rightarrow F$ $CDF \rightarrow B$ $BF \rightarrow D$ ABD, BCD

BCNF

3NF

2NF

3NF

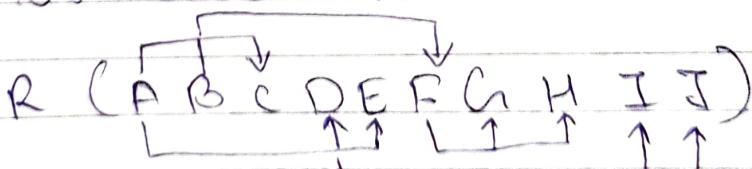
2NF

3NF

1NF

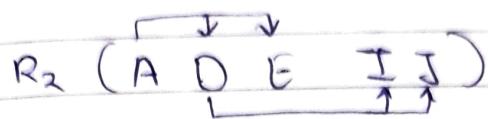
0.

normalize from INF to BCNF.

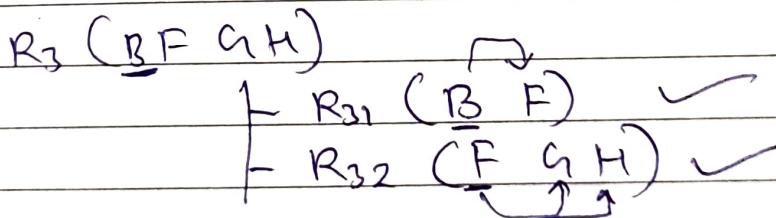
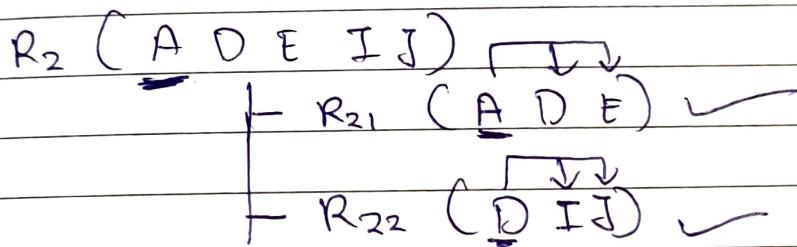
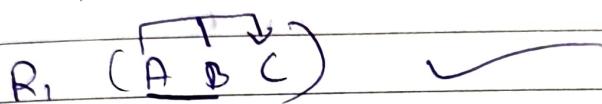
 $CK = AB$

$$\begin{aligned} AB &\rightarrow C \\ A &\rightarrow DE \\ D &\rightarrow IJ \\ B &\rightarrow F \\ F &\rightarrow GH \end{aligned}$$

⇒ Decompose to 2NF.



⇒ Decompose to 3NF



This is also in BCNF.

⇒ ~~Decompose to BCNF~~

Hence we will have 5 tables.