



Laxmi Charitable Trust's
**Sheth L.U.J. & Sir M.V. College of
Arts, Science & Commerce**

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Certificate

*This is to certify that, Mr./Ms. Neeoj Aopovi
Seat No. F-129 studying in F.Y.B.Sc. SEM-II Computer
Science has satisfactorily completed the Practicals in the
Subject of Statistics as prescribed by University of
Mumbai, during academic year 2019-2020.*

Signature
Subject in charge
Date: -

Signature
Co-ordinator B.Sc, C.S
Date: -

Signature
External Examiner
Date: -

QLM#10



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Department of Computer Science

Affiliation
Approved
ACCRREDITED

| No | Date | Topic | Sign |
|----|------------|--|------|
| 1 | 7/1/2020 | Solving problem based on binomial distribution | ✓ |
| 2 | 7/1/2020 | Solving problem based on normal distribution | ✓ |
| 3 | 14/1/2020 | Property plotting of binomial distribution with expectation, variance and standard deviation | ✓ |
| 4 | 14/1/2020 | Property plotting of Pdf and Cdf | ✓ |
| 5 | 21/1/2020 | F test, normal test and t test | ✓ |
| 6 | 28/1/2020 | Property plotting of Pdf and Cdf | ✓ |
| 7 | 7/02/2020 | Analysis of variance (Anova) | ✓ |
| 8 | 25/02/2020 | Non parametric test - 1 | |
| 9 | 08/03/2020 | Non parametric test - 2 | |
| 10 | 05/03/2020 | Post of analysis One way Anova | |



Practical-1

Aim: Solving problem based on binomial distribution

- Q] It is observed that if students work hard then chances of passing exam is very high i.e 80%. Random sample of such 10 students were selected what is the chance that :-
- a) No Students will pass the exam
 - b) 3 Students will pass the exam
 - c) greater than or equal to 8 students will pass the exam
 - d) All students will pass the exam

\rightarrow let x denote the result of student

let p denote the probability of passing exam.

$$\text{i.e } p = 80\% = 0.8$$

let q denote probability of students failing exam

$$\text{i.e } q = 1 - p = 1 - 0.8 = 0.2$$

formula : $x \sim \text{Bin}(n, p)$

code :- (a) $\text{dbinom}(0, \text{size} = 10, \text{prob} = 0.8)$

(b) $\text{dbinom}(3, \text{size} = 10, \text{prob} = 0.8)$

(c) $\text{dbinom}(8, \text{size} = 10, \text{prob} = 0.8)$

(d) $\text{dbinom}(10, \text{size} = 10, \text{prob} = 0.8)$



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Vijay has started new retail outlet in mid of the market. In market there is business and competition. Therefore survival of a new outlet is very rare chance almost 4%. Vijay has started such 12 new retail outlet. Find out probability that a) at least 3 shops will survive
b) exactly 7 shops will survive

let x denotes survival of retail outlets

let p denote probability of survival of outlets

$$10 \quad P: 4\% = 0.04$$

let q denote probability of failing survival

$$i.e. 1 - p = q = 1 - 0.04 = 0.96$$

Let n denote the total 12 new retail outlet

formula $\hat{=} dbinom(20, size: \underline{\hspace{2cm}}, prob: \underline{\hspace{2cm}})$

a) $dbinom(0: 3, size=12, prob=0.04)$

$$i.e. 1 - 0.3$$

b) $dbinom(7, size=12, prob=0.04)$

$$i.e. 1 - 0.3$$



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ALNRAE

Q) Generate the random sample with $x=9$, $n=15$
& probability = 0.3

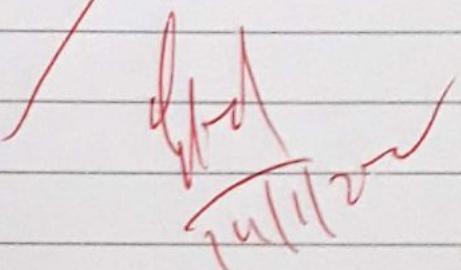
$$x=9$$

$$\text{size}/n=15$$

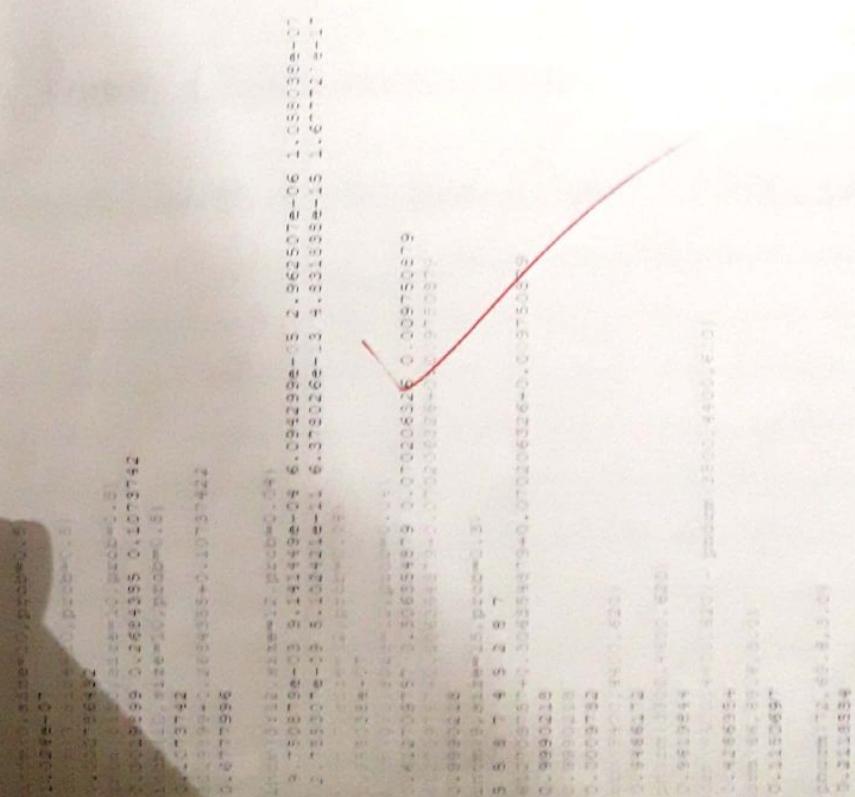
$$\text{prob}=0.3$$

formula $\div \text{rbinom}(x, \text{size} = \underline{\hspace{2cm}}, \text{prob} = \underline{\hspace{2cm}})$

$\text{rbinom}(9, \text{size}=15, \text{prob}=0.3)$



ALNRA^e





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Practical -2

Aim : Problem based on normal distribution

-) The lion population in national park is approx. normally distributed with mean (μ) = 4400 and S.D (σ) = 620. Find the probability that
- less than 5400
 - more than 3300
 - between 3500 and 4400

Given : mean (μ) = 4400
S.P (σ) = 620

Formula : $P\text{norm}(x, \mu, \sigma)$

a) $P\text{norm}(5400, 4400, 620)$

b) $1 - P\text{norm}(3300, 4400, 620)$

c) $P\text{norm}(4400, 4400, 620) - P\text{norm}(3500, 4400, 620)$


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Survey of height of Indian men was conducted,
 height are normally distributed with mean (μ)
 69.6 & $\sigma = 3.6$ find the probability of
 height

for height less than 62 inch

for height more than 72 inch

for height in between 66 and 72 inch

Given: mean (μ) = 69.6 inch
 $S.D (\sigma) = 3.6$

$\therefore P(\text{norm}(x, \mu, \sigma))$

\rightarrow (a) $P(\text{norm}(62, 69.6, 3.6))$

(b) $1 - P(\text{norm}(72, 69.6, 3.6))$

$P(\text{norm}(72, 69.6, 3.6)) - P(\text{norm}(62, 69.6, 3.6))$

- Q) The weight of adult goat are normally distributed with mean (μ) = 25 kg and $\sigma = 3$ kg. Find the probability of weight
- less than 23 kg
 - more than 29 kg
 - between 20 kg and 27 kg
 - If 50 goats are randomly selected and with prob 0.25. Find the no of goats with weights ≤ 25 kg
 - Also if prob = 0.35 and 0.85 for selected sample

mean (μ) = 25 kg & S.D (σ) = 3 kg

- $\text{pnorm}(x, \mu, \sigma)$
- $\text{qnorm}(\text{Prob}, \mu, \sigma)$
- $\text{pnorm}(23, 25, 3)$
- $1 - \text{pnorm}(29, 25, 3)$
- $\text{pnorm}(27, 25, 3) - \text{pnorm}(20, 25, 3)$
- $\text{qnorm}(0.25, 25, 3)$

~~difficult~~

~~difficult~~

way

ALP'180



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ALNRB0

Practical - 3

Aim - Property plotting of binomial distribution with expectation, variance and standard deviation

31) 40% of student passed in statistics in the survey of 65 students. Find the mean and variance

Probability of students passed = 0.4
Sample size of students = 65

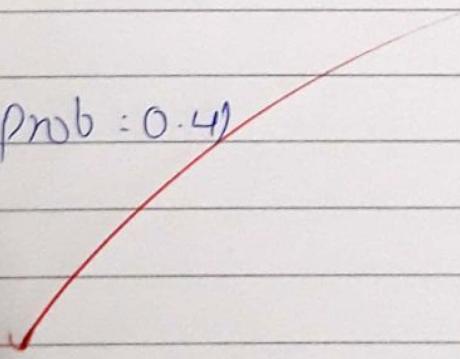
Code -

install.packages("distefx")
library(distefx)

rr <- Binom(size = 65, prob = 0.4)

E(rr)

Var(rr)



ALNDRAD

Output

$$E(x) = 26$$

$$\text{Var}(x) = 15.6$$

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115449

20% of the products produced are defective in a lot of 30 products. Find its expectation and standard deviation.

Given - Probability of product being defective : 0.2
Sample size of Products = 30

Code :-

library (distrEx)

$x \sim \text{Binom}(\text{size} = 30, \text{prob} = 0.2)$

$E(x)$

$\text{Var}(x)$

$S_d(x)$

DEEPIKA

Output:

$$E(x) = 6$$

$$Var(x) = 4.8$$

$$SD(x) = 2.19089$$



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ALNDOO

3) For the sample size of 65 and probability 0.25
find the expectation of Q

a) $2^x + 4$

b) $\frac{2}{3} 2^x + 3$

Given - probability = 0.25

Sample size = 65

a) Code :-

library (distrE71)

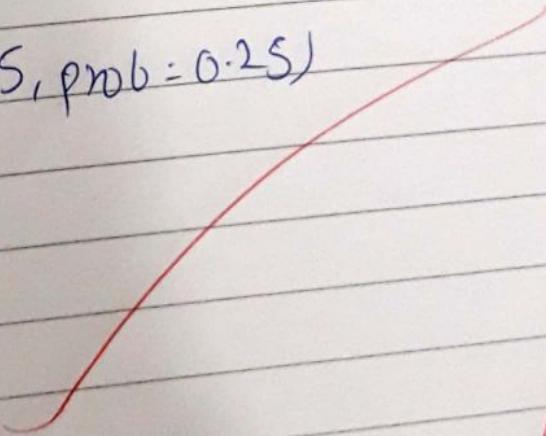
$x \leftarrow \text{Binom}(\text{size} = 65, \text{prob} = 0.25)$

$E(2^x + 4)$

b) Code -

$x \leftarrow \text{Binom}(\text{size} = 65, \text{prob} = 0.25)$

$E\left(\frac{2}{3}x + 3\right)$



Ans
with v

ANERA

Output

- 1) $E(x) = 6$
- 2) $\text{Var}(x) = 4.8$
- 3) $Sd(x) = 2.10089$



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Practical - 4

Aim - Property plotting of Pdf and Cdf

i) For the following value of x & its corresponding prob. find mean (μ), variance and standard deviation
 $x = 0, 1, 2, 3$

→ Code -

i) $x \leftarrow (0, 1, 2, 3)$
 $f \leftarrow c(1/8, 3/8, 3/8, 1/8)$
 $\mu \leftarrow \text{sum}(x * f)$

μ

ii) $\sigma^2 \leftarrow \text{sum}((x - \mu)^2 * f)$
 σ^2

iii) $\sigma \leftarrow \sqrt{\sigma^2}$
 σ

ANSWER

Output :

$$\exists E(2^x \cdot x \cdot 4) = 50$$

$$\forall E(2^{13} + x \cdot 2) : 20.3333$$

200: valid domain

22: one signal



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Almora

Q2. Find the probability for the following function where x lie between 0.14 and 2.3, $f = 3x^2$

Code - $0.14 < x < 2.3$ (given)
 $f = 3x^2$

$\therefore f$ - function (x) $3x^2$
integrate (f , lower = 0.14, upper = 2.3)

Q3. Find the value of x in the following function
 $f = \frac{3}{x^2}$, limit 1 to ∞

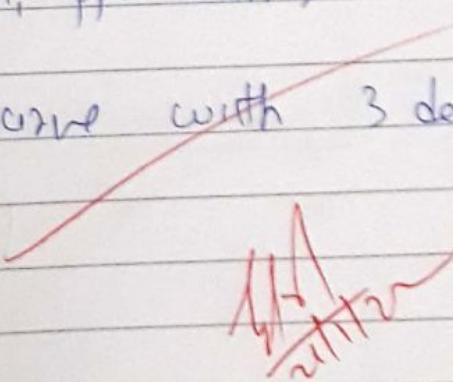
$1 < x < \infty$
 $f = \frac{3}{x^2}$

Code - g - function (x) $\frac{3}{x^2}$
integrate (f , lower = 1, upper = Inf)

Q4. Obtain an Chi-square curve with 3 degrees of freedom ($0 < x < \infty$)

Code

Curve (dchisq (x, df = 3), from = 0, to = 20, ylab = "y").



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Output

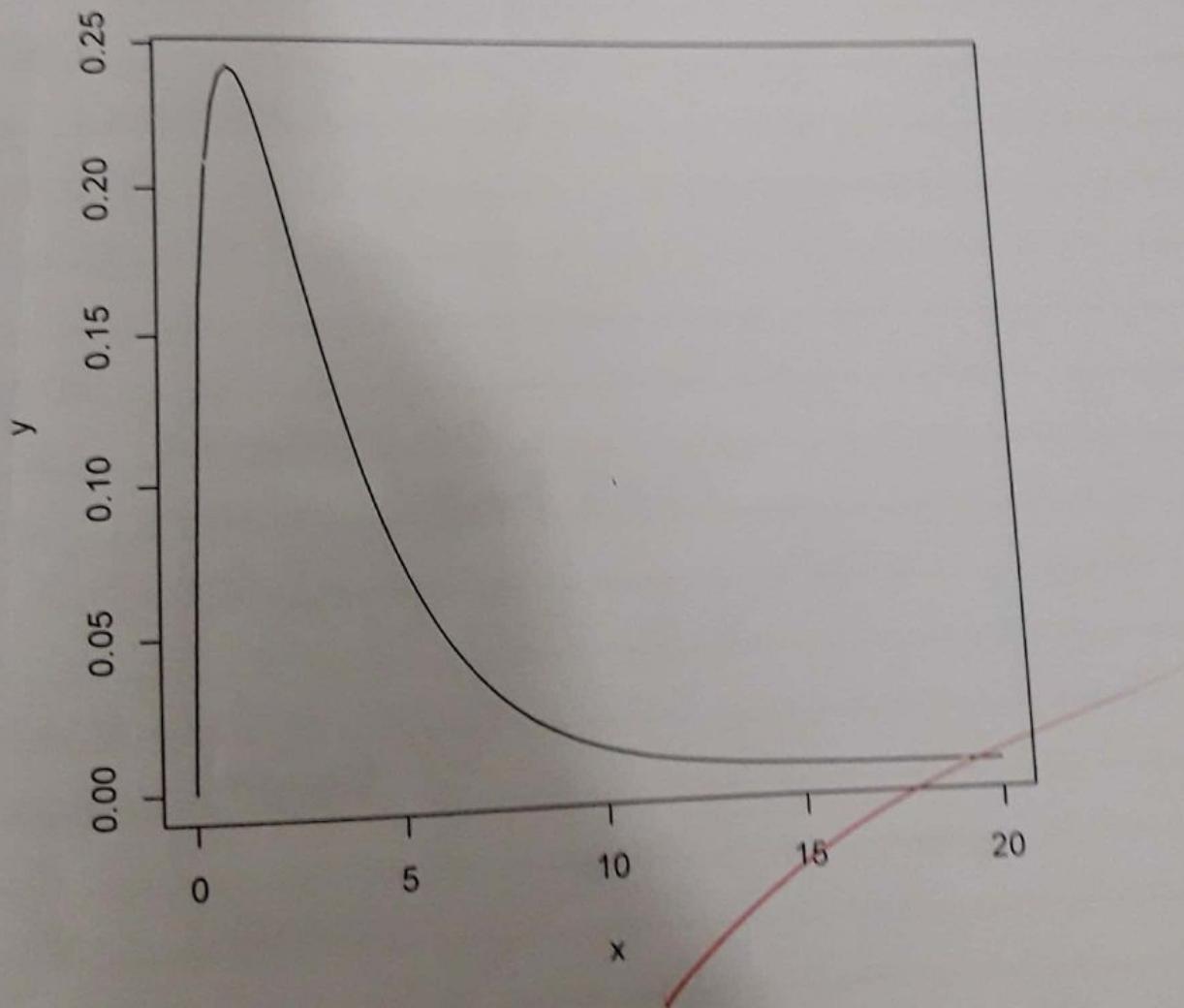
$\mu = 15$

$\sigma_{\text{err}} = 0.75$

$\Sigma_{\text{err}} = 0.3660254$

NMR HO

vN



BURPO

02 12.16426 with obsolete error $\leq 1.4e-3$

03 3 with obsolete error $\leq 33e-14$

04



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PRACTICAL

Practical - 05

Aim - T test, normal test and F test

Consider two random sample of size = 40, perform the F test for the 2 variables (x and y)

Code

~~x = rnorm()~~

Given

size = 40

Code

~~x = rnorm(40)~~

~~y = rnorm(-50, 55)~~

~~t.test(x,y)~~

ttest = t.test(x,y)

names(ttest)

ttest \$ statistic

ttest [[1]]\$statistic



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BUNRAU

for a random normal Sample of size 50
and 30 with mean 0 and 1 and S.D
2 and 1 respectively. Perform the F test
to compare their variance, also comment
on the degrees of freedom

Given

Size = 50, 30

mean = 0, 1

S.D = 2, 1

Code

$x \leftarrow rnorm(50, 0, 2)$

$y \leftarrow rnorm(30, 1, 1)$

$var.test(x, y)$

~~$var.test(lm(x^~1), lm(y^~1))$~~



Ad

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3) Generate a random normal sample $size = 100$
and mean 0 calculate the weight with
standard deviation 10

→

Given

$size = 100$, mean = 0

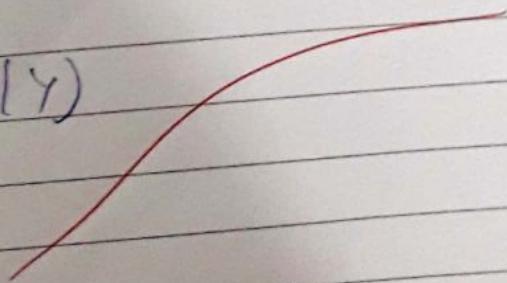
Code

$x \leftarrow \text{rnorm}(100, \text{mean} = 0)$

$\text{shapiro.test}(x)$

(0.2)

$y \leftarrow (0.2[1, 5])$
 $\text{shapiro.test}(y)$



ALNABO

example1=output

```
> x=rnorm(40)  
> y=rnorm(55)  
> t.test(x,y)
```

Welch Two Sample t-test

```
data: x and y  
t = 1.2159, df = 74.205, p-value = 0.2279  
alternative hypothesis: true difference in means is  
not equal to 0  
95 percent confidence interval:  
-0.1536599 0.6348350  
sample estimates:  
mean of x mean of y  
0.05014231 -0.19044526
```

```
> ttest=t.test(x,y)  
> names(ttest)  
[1] "statistic" "parameter" "p.value"  
"conf.int"    "estimate"   "null.value"  
"alternative" "method"    "data.name"  
> ttest$statistic  
t  
1.215884  
> ttest[['statistic']]  
t  
1.215884
```

example2=output

```
> x<-rnorm(50,0,2)  
> y<-rnorm(30,1,1)  
> var.test(x,y)
```

F test to compare two variances

BUNKB

```
data: x and y
F = 2.746, num df = 49, denom df = 29, p-value =
0.004702
alternative hypothesis: true ratio of variances is not
equal to 1
95 percent confidence interval:
1.379631 5.166283
sample estimates:
ratio of variances
2.745954
```

```
> var.test(lm(x~1), lm(y~1))
    F test to compare two variances
```

```
data: lm(x ~ 1) and lm(y ~ 1)
F = 2.746, num df = 49, denom df = 29, p-value =
0.004702
alternative hypothesis: true ratio of variances is not
equal to 1
95 percent confidence interval:
1.379631 5.166283
sample estimates:
ratio of variances
2.745954
```

```
example3=output
```

```
> x<-rnorm(150,mean=0)
> shapiro.test(x)
```

Shapiro-Wilk normality test

```
data: x
W = 0.98352, p-value = 0.06997
```

```
> CO2
   Plant      Type Treatment conc uptake
1   Qn1      Quebec nonchilled   95    16.0
2   Qn1      Quebec nonchilled  175    30.4
```

| | | | | |
|----|-----|-------------------|------|------|
| 3 | Qn1 | Quebec nonchilled | 250 | 34.8 |
| 4 | Qn1 | Quebec nonchilled | 350 | 37.2 |
| 5 | Qn1 | Quebec nonchilled | 500 | 35.3 |
| 6 | Qn1 | Quebec nonchilled | 675 | 39.2 |
| 7 | Qn1 | Quebec nonchilled | 1000 | 39.7 |
| 8 | Qn2 | Quebec nonchilled | 95 | 13.6 |
| 9 | Qn2 | Quebec nonchilled | 175 | 27.3 |
| 10 | Qn2 | Quebec nonchilled | 250 | 37.1 |
| 11 | Qn2 | Quebec nonchilled | 350 | 41.8 |
| 12 | Qn2 | Quebec nonchilled | 500 | 40.6 |
| 13 | Qn2 | Quebec nonchilled | 675 | 41.4 |
| 14 | Qn2 | Quebec nonchilled | 1000 | 44.3 |
| 15 | Qn3 | Quebec nonchilled | 95 | 16.2 |
| 16 | Qn3 | Quebec nonchilled | 175 | 32.4 |
| 17 | Qn3 | Quebec nonchilled | 250 | 40.3 |
| 18 | Qn3 | Quebec nonchilled | 350 | 42.1 |
| 19 | Qn3 | Quebec nonchilled | 500 | 42.9 |
| 20 | Qn3 | Quebec nonchilled | 675 | 43.9 |
| 21 | Qn3 | Quebec nonchilled | 1000 | 45.5 |
| 22 | Qc1 | Quebec chilled | 95 | 14.2 |
| 23 | Qc1 | Quebec chilled | 175 | 24.1 |
| 24 | Qc1 | Quebec chilled | 250 | 30.3 |
| 25 | Qc1 | Quebec chilled | 350 | 34.6 |
| 26 | Qc1 | Quebec chilled | 500 | 32.5 |
| 27 | Qc1 | Quebec chilled | 675 | 35.4 |
| 28 | Qc1 | Quebec chilled | 1000 | 38.7 |
| 29 | Qc2 | Quebec chilled | 95 | 9.3 |
| 30 | Qc2 | Quebec chilled | 175 | 27.3 |
| 31 | Qc2 | Quebec chilled | 250 | 35.0 |
| 32 | Qc2 | Quebec chilled | 350 | 38.8 |
| 33 | Qc2 | Quebec chilled | 500 | 38.6 |
| 34 | Qc2 | Quebec chilled | 675 | 37.5 |
| 35 | Qc2 | Quebec chilled | 1000 | 42.4 |
| 36 | Qc3 | Quebec chilled | 95 | 15.1 |
| 37 | Qc3 | Quebec chilled | 175 | 21.0 |
| 38 | Qc3 | Quebec chilled | 250 | 38.1 |
| 39 | Qc3 | Quebec chilled | 350 | 34.0 |
| 40 | Qc3 | Quebec chilled | 500 | 38.9 |
| 41 | Qc3 | Quebec chilled | 675 | 39.6 |
| 42 | Qc3 | Quebec chilled | 1000 | 41.4 |

DATA

| | | | | | |
|----|-----|-------------|------------|------|------|
| 43 | Mn1 | Mississippi | nonchilled | 95 | 10.6 |
| 44 | Mn1 | Mississippi | nonchilled | 175 | 19.2 |
| 45 | Mn1 | Mississippi | nonchilled | 250 | 26.2 |
| 46 | Mn1 | Mississippi | nonchilled | 350 | 30.0 |
| 47 | Mn1 | Mississippi | nonchilled | 500 | 30.9 |
| 48 | Mn1 | Mississippi | nonchilled | 675 | 32.4 |
| 49 | Mn1 | Mississippi | nonchilled | 1000 | 35.5 |
| 50 | Mn2 | Mississippi | nonchilled | 95 | 12.0 |
| 51 | Mn2 | Mississippi | nonchilled | 175 | 22.0 |
| 52 | Mn2 | Mississippi | nonchilled | 250 | 30.6 |
| 53 | Mn2 | Mississippi | nonchilled | 350 | 31.8 |
| 54 | Mn2 | Mississippi | nonchilled | 500 | 32.4 |
| 55 | Mn2 | Mississippi | nonchilled | 675 | 31.1 |
| 56 | Mn2 | Mississippi | nonchilled | 1000 | 31.5 |
| 57 | Mn3 | Mississippi | nonchilled | 95 | 11.3 |
| 58 | Mn3 | Mississippi | nonchilled | 175 | 19.4 |
| 59 | Mn3 | Mississippi | nonchilled | 250 | 25.8 |
| 60 | Mn3 | Mississippi | nonchilled | 350 | 27.9 |
| 61 | Mn3 | Mississippi | nonchilled | 500 | 28.5 |
| 62 | Mn3 | Mississippi | nonchilled | 675 | 28.1 |
| 63 | Mn3 | Mississippi | nonchilled | 1000 | 27.8 |
| 64 | Mc1 | Mississippi | chilled | 95 | 10.5 |
| 65 | Mc1 | Mississippi | chilled | 175 | 14.9 |
| 66 | Mc1 | Mississippi | chilled | 250 | 18.1 |
| 67 | Mc1 | Mississippi | chilled | 350 | 18.9 |
| 68 | Mc1 | Mississippi | chilled | 500 | 19.5 |
| 69 | Mc1 | Mississippi | chilled | 675 | 22.2 |
| 70 | Mc1 | Mississippi | chilled | 1000 | 21.9 |
| 71 | Mc2 | Mississippi | chilled | 95 | 7.7 |
| 72 | Mc2 | Mississippi | chilled | 175 | 11.4 |
| 73 | Mc2 | Mississippi | chilled | 250 | 12.3 |
| 74 | Mc2 | Mississippi | chilled | 350 | 13.0 |
| 75 | Mc2 | Mississippi | chilled | 500 | 12.5 |
| 76 | Mc2 | Mississippi | chilled | 675 | 13.7 |
| 77 | Mc2 | Mississippi | chilled | 1000 | 14.4 |
| 78 | Mc3 | Mississippi | chilled | 95 | 10.6 |
| 79 | Mc3 | Mississippi | chilled | 175 | 18.0 |
| 80 | Mc3 | Mississippi | chilled | 250 | 17.9 |
| 81 | Mc3 | Mississippi | chilled | 350 | 17.9 |
| 82 | Mc3 | Mississippi | chilled | 500 | 17.9 |

DATA

```
83   MC3 Mississippi      chilled 675 18.9  
84   MC3 Mississippi      chilled 1000 19.9  
> y<-CO2  
> y<-CO2[,5]  
> shapiro.test(y)
```

Shapiro-Wilk normality test

```
data: y  
W = 0.94105, p-value = 0.0007908
```

```
> y<-CO2[,5]  
> shapiro.test(y)
```

Shapiro-Wilk normality test

```
data: y  
W = 0.94105, p-value = 0.0007908
```

`dbinom(k, size = 30, prob = 0.4)`

`dbinom(k, size = 30, prob = 0.15)`

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R. Aro



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Practical - 6

Aim - property plotting of pdf and cdf

The following examples show how to common the quantile of some common distribution for a given probability (or a number between 0 to 1)

Normal(0,1) distribution:-

`y1 <- c(0.01, 0.05, 0.1, 0.2, 0.5, 0.95, 0.99)`

`qnorm(y1, mean=0, sd=1)`

Binomial (n,p) distribution

`y1 <- c(0.01, 0.05, 0.1, 0.2, 0.5, 0.8, 0.95, 0.99)`

`qbinom(y1, size=30, prob=0.2)`

The following examples illustrate how to generate 8 random sample from some of the well known probability distribution.

Normal (μ, σ^2) distribution.

The first sample is from $N(0,1)$ distribution and the next one from $N(5,1)$ distribution

`z1 <- rnorm(10)`

`z2`

dbinom(k, size = 30, prob = 0.4)

dbinom(k, size = 30, prob = 0.15)

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110



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- b) If you would like to see how the distribution of sample points looks like
→ $w \sim \text{norm}(1000, \text{mean} = 5, \text{sd} = 1)$
→ hist(w)

- c) Binomial (n,p) distribution:
→ $k \sim \text{rbinom}(20, \text{size} = 5, \text{prob} = 2)$
→ k

- d) Plotting the probability density function (pdf) of a normal distribution
→ $x \sim \text{rnorm}(20, \text{mean} = 0, \text{sd} = 1)$
→ $x \sim \text{seq}(-4.5, 4.5, 1)$
→ normdensity ← dnorm(x, mean = 0, sd = 1)
→ plot(x, normdensity, type = "l")

- e) Plotting the probability mass function (pmf) of a binomial distribution
→ par(mfrow = c(2, 1))
→ k ← c(1:30)
→ plot(k, dbinom(k, size = 30, prob = 0.15), type = "h")
→ plot(k, dbinom(k, size = 30, prob = 0.4), type = "h")
→ par(mfrow = c(1, 1))

- f) R has two different function than can be used for generating a (Q-Q) plot. Use the function qqnorm for plotting sample quantities against theoretical quantiles of standard normal random variable
→ normSamp ← rnorm(100, mean = 0, sd = 1)

$\text{norm samp} \leftarrow \text{rnorm}(100, \text{mean} = 5, \text{sd} = 1)$
 $\text{binom samp} \leftarrow \text{rbinom}(100, \text{size} = 20, \text{prob} = .25)$

$\text{qqline}(\text{mflow} = c(2, 1))$

$\text{qqnorm}(\text{std norm samp}, \text{main} = "Normal")$ o-o plot: $N(0,1)$ samples
 $\text{qqline}(\text{std norm samp}, \text{tol} = 2)$
 $\text{qqnorm}(\text{norm samp}, \text{main} = "Normal")$ o-o plot: $N(S,1)$ samples
 $\text{qqline}(\text{norm samp}, \text{tol} = 2)$
 $\text{qqnorm}(\text{binom samp}, \text{main} = "Normal")$ o-o plot: $\text{Bin}(20,.25)$ samples
 $\text{qqline}(\text{binom samp}, \text{tol} = 2)$

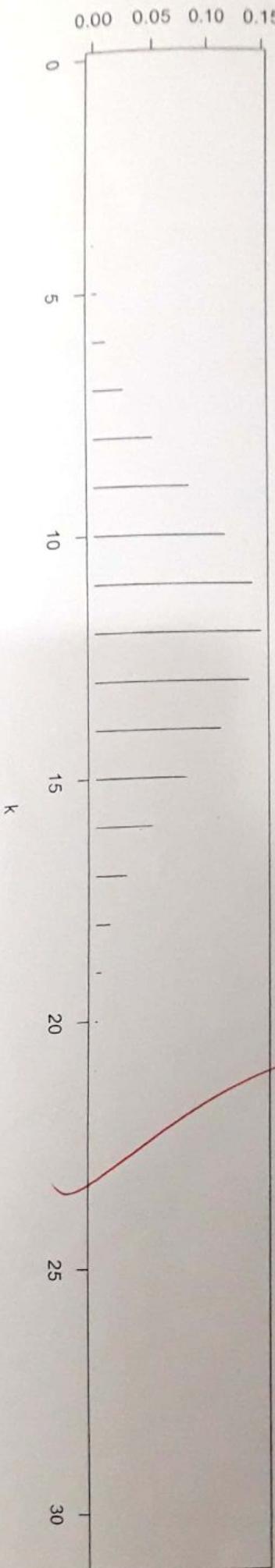
use of function qq plot for plotting sample quantiles
for one sample against the sample quantiles of
another sample

$\text{qqplot}(\text{mflow} = c(2, 1))$

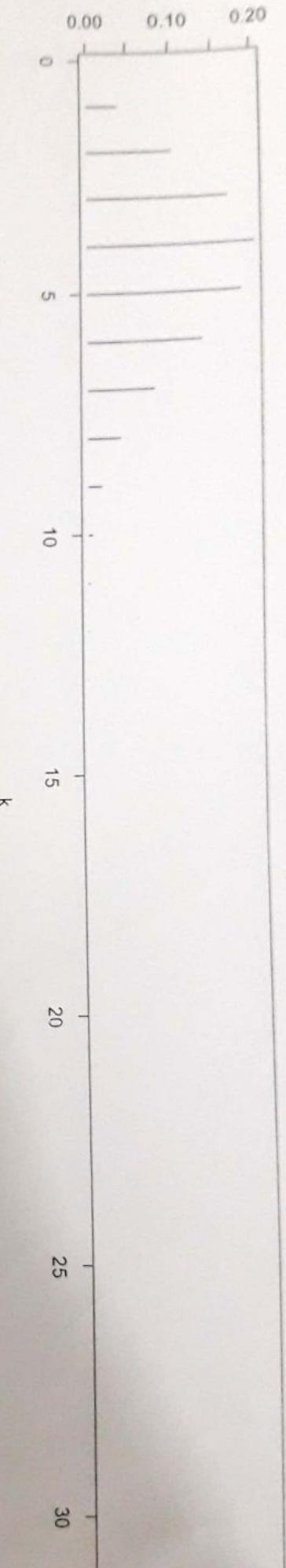
$\text{qqplot}(\text{std norm samp}, \text{norm samp}, \text{xlab} = "sample quantiles"
"N(0,1) sample",
ylab = "sample quantile : $N(S,1)$ samples")$
 $\text{qqplot}(\text{std norm samp}, \text{binom samp}, \text{xlab} = "sample quantiles"
"N(0,1) Sample",
ylab = "sample quantiles : $\text{Bin}(20,.25)$ samples")$

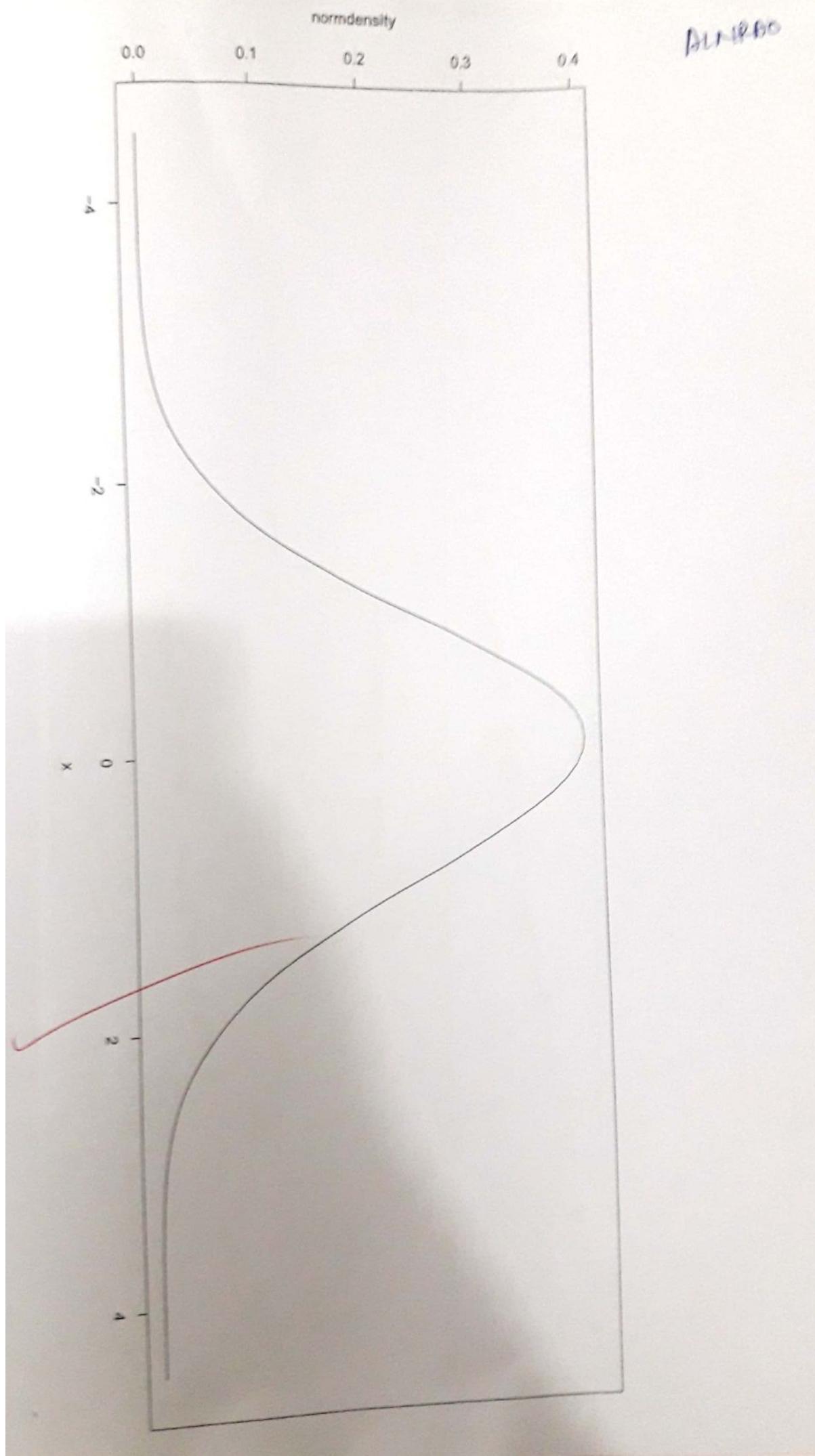
~~18/21 2020~~
~~18/21 2020~~

`dbinom(k, size = 30, prob = 0.4)`

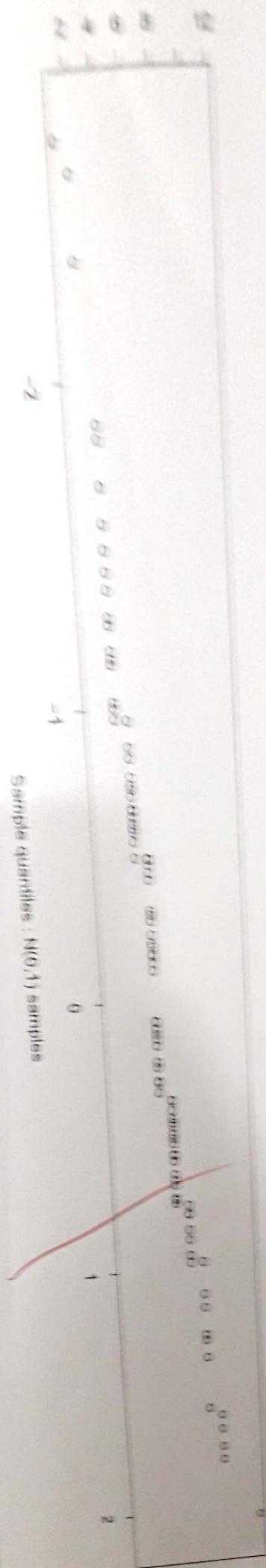


`dbinom(k, size = 30, prob = 0.15)`

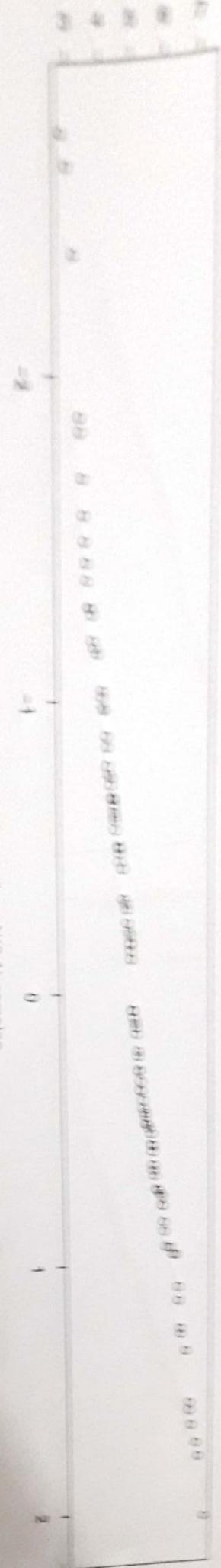




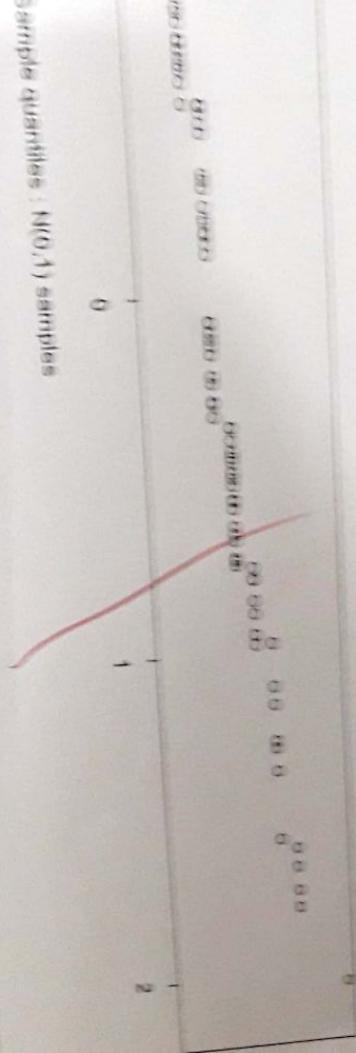
Sample quantiles: Bin(20, 25) samples



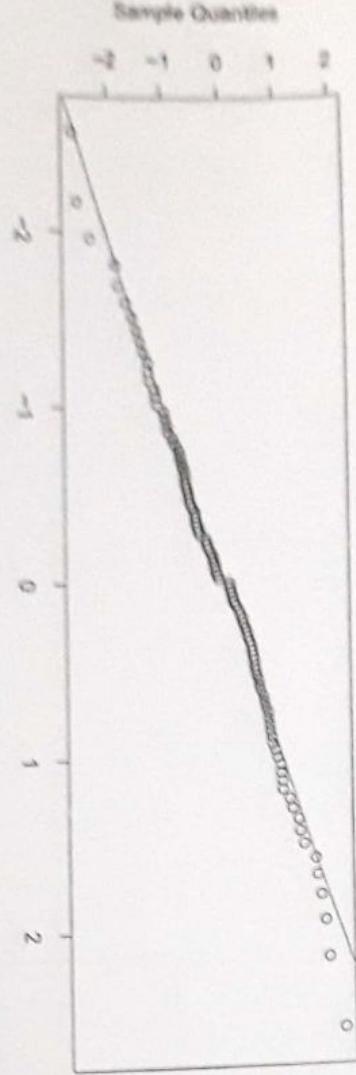
Sample quantiles: N(0,1) samples



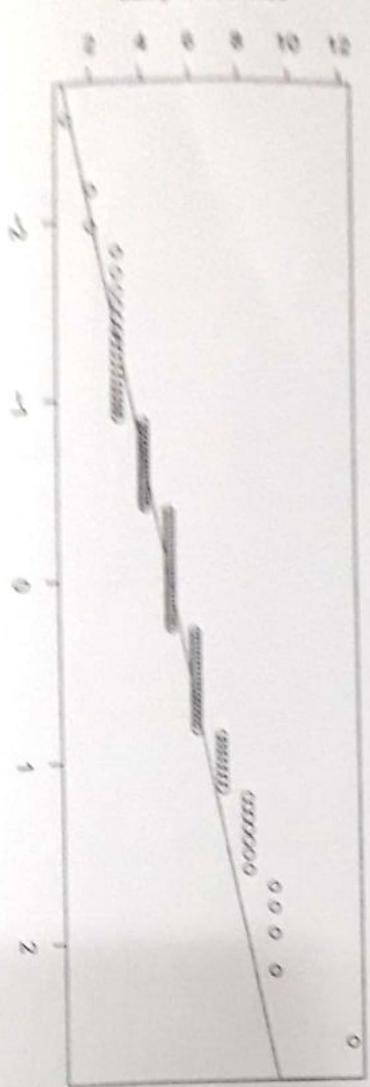
Sample quantiles: M(0,1) samples



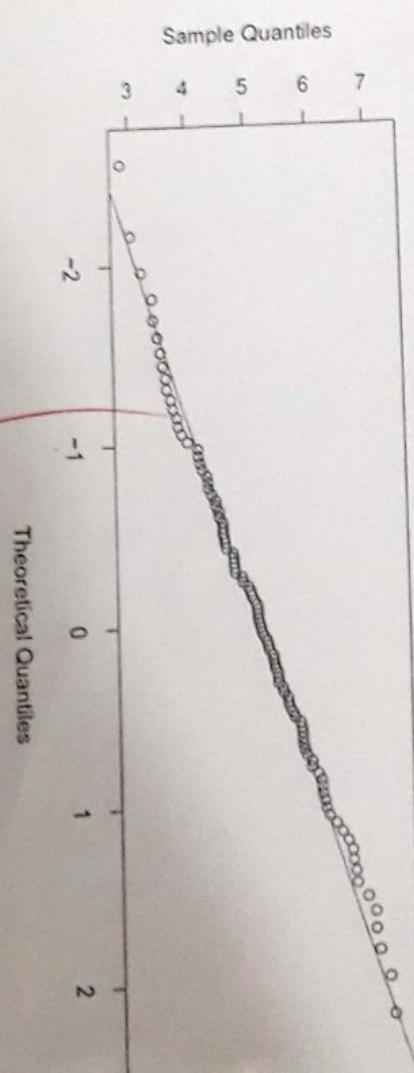
Normal Q-Q plot : $N(0,1)$ samples

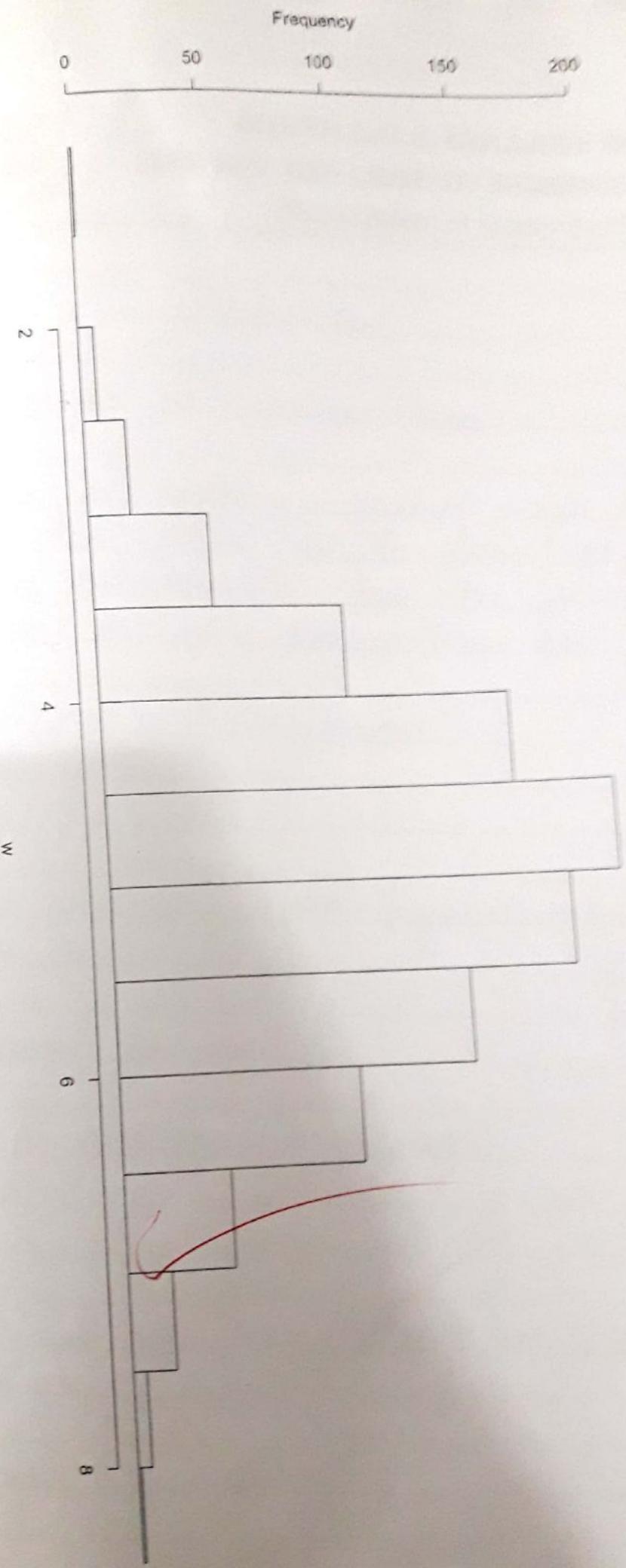


Normal Q-Q plot : $\text{Bin}(20, .25)$ samples



Normal Q-Q plot : $N(5,1)$ samples







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Practical No. 7

Aim - Analysis of variance (Anova)

Q) Suppose a company produce sugar and it wants to test the market on the basis of increasing demand prepare an observation from the selected population and comment on its variance. Also find its summary Anova

Field = read.csv(file.choose())
Field

your.anov = aov(Field ~ growth ~ Field ~ sugar)

your.anov

summary(your.anov)

1) b) field = read.csv(file.choose())
field

your.anov = aov(Field ~ DM ~ Field ~ YASH)

your.anov

summary(your.anov)



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Department of Computer Science

Date: 10/12/2018

Q3) A media company wants to examine different combination of media and marketing strategy. The unit sales of mango juice for 3 different areas are collected using the hypothetical data provided below test whether which city has a proper marketing strategy. use %S LOS

| | Area 1 | Area 2 | Area 3 |
|-----|--------|--------|--------|
| 492 | 676 | 577 | |
| 712 | 626 | 538 | |
| 559 | 682 | 581 | |

$$\bar{x} = \frac{950.63}{9} = 105.60$$

$$\bar{x}_1 = \frac{587.67}{3} = 195.89$$

$$\bar{x}_2 = \frac{661.33}{3} = 217.07$$

$$\bar{x}_3 = \frac{587.67}{3} = 195.89$$

$$N = \text{Total Size} = 9$$

$$\bar{x} = \frac{604.77}{3} = 201.59$$

$$\begin{aligned} SSTR &= \sum (x_{ij} - \bar{x}_{\cdot j})^2 = 3 \times (587.67 - 604.77)^2 + 3 \times (661.33 - 604.77)^2 + \\ &\quad 3 \times (587.67 - 604.77)^2 \\ &= 878.25 + 9597.10 + 1666.51 \\ &= 13141.89 \end{aligned}$$

$$\begin{aligned} SSE &= \sum (x_{ij} - \bar{x}_{\cdot j})^2 = (492 - 587.67)^2 + (712 - 587.67)^2 + (559 - 587.67)^2 \\ &\quad + (676 - 661.33)^2 + (626 - 661.33)^2 + (682 - 661.33)^2 \\ &\quad + (577 - 587.67)^2 + (538 - 587.67)^2 + (581 - 587.67)^2 \\ &= 9150.33 + 15166.13 + 821.39 + 21520 + 12422.6 \\ &\quad + 1427.24 + 69.39 + 746.92 + 245.51 \\ &= 28385.13 \end{aligned}$$

$$\begin{aligned} SST &= SSTR + SSE \\ &= 13141.89 + 28385.13 \\ &= 41527.02 \end{aligned}$$

H.A
13/12/2018



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ALNRAO

$$MSTR = \frac{SSTR}{C-1} = \frac{15141.89}{2} = 7570.945$$

$$MSF = \frac{SSF}{n-2} = \frac{28451.83}{6} = 4741.9883$$

$$F = \frac{MSTR}{MSF} = \frac{7570.945}{4741.9883} = 1.5965$$

Anova Table for one way Analysis of variance

| Source | Sum of Square | D.d.f |
|------------------|---|-------------|
| Between group | $SSTR = \sum r_j (\bar{x}_{ij} - \bar{x})^2 = 15141.89$ | $C-1 = 3-1$ |
| Within group | $SSF = \sum \sum (x_{ij} - \bar{x}_i)^2 = 28451.83$ | $n-C = 9-3$ |
| Total Correction | $SST = SSTR + SSE = 43593.52$ | $n-1 = 9-1$ |

| Mean Square | F ratio |
|---------------------------------------|--|
| $MSTI2 = \frac{SSTR}{C-1} = 7570.945$ | $F = \frac{MSTR}{MSF} = \frac{7570.945}{4741.9883} = 1.5965$ |
| $MSF = \frac{SSE}{n-C} = 4741.9883$ | |

✓
28451.83

> field=read.csv(file.choose())

> field

GROWTH SUGAR

1 75 A

2 72 B

3 73 D

4 69 B

5 68 C

6 75 A

7 65 A

8 76 B

9 98 C

10 77 A

11 54 D

12 45 D

13 65 D

14 45 A

15 78 C

16 55 B

17 74 A

18 23 C

19 43 D

20 54 A

21 45 A

22 34 B

23 22 C

24 43 B

25 89 D

26 56 C

PALINDRO

10

C

W

SP

er

eg

ek

H

DATA (PDS)

| Index | GROWTH | SUGAR |
|-------|--------|-------|
| 27 | 33 | A |
| 28 | 65 | A |
| 29 | 34 | C |
| 30 | 11 | C |
| 31 | 32 | C |
| 32 | 67 | C |
| 33 | 86 | D |
| 34 | 97 | A |
| 35 | 45 | A |
| 36 | 64 | D |
| 37 | 23 | C |
| 38 | 33 | A |
| 39 | 54 | B |
| 40 | 66 | B |
| 41 | 75 | A |
| 42 | 54 | C |
| 43 | 23 | A |
| 44 | 43 | D |
| 45 | 55 | C |
| 46 | 65 | B |
| 47 | 76 | A |
| 48 | 11 | A |
| 49 | 86 | D |

> your.aov=aov(field\$GROWTH~field\$SUGAR)

> your.aov

Call:

aov(formula = field\$GROWTH ~ field\$SUGAR)

ALMAD

Terms:

field\$SUGAR Residuals
Sum of Squares 1755.274 21246.849
Deg. of Freedom 3 45

Residual standard error: 21.72906

Estimated effects may be unbalanced

> summary(your.aov)

Df Sum Sq Mean Sq F value Pr(>F)
field\$SUGAR 3 1755 585.1 1.239 0.307

Residuals 45 21247 472.2

> field=read.csv(file.choose())

> field

OM YASH

1 65 A

2 66 V

3 44 C

4 23 F

5 54 G

6 66 K

7 22 H

8 44 R

9 44 D

10 89 S

11 66 D

12 88 A

13 12 F

14 33 E

15 42 F

DURRBO

16 55 C
17 32 V
18 13 A
19 53 R
20 11 F
21 78 S
22 54 E
23 12 A
24 43 F
25 66 F

> your.aov=aov(field\$OM~field\$YASH)

> your.aov

Call:

aov(formula = field\$OM ~ field\$YASH)

Terms:

field\$YASH Residuals

Sum of Squares 5106.167 7857.833

Deg. of Freedom 10 14

Residual standard error: 23.69122

Estimated effects may be unbalanced

> summary(your.aov)

Df Sum Sq Mean Sq F value Pr(>F)

field\$YASH 10 5106 510.6 0.91 0.55

Residuals 14 7858 561.3

AUNR80

Q1
> binom.test(5, 18)

Exact binomial test

data: 5 and 18
number of successes = 5, number of trials = 18, p-value = 0.09625
alternative hypothesis: true probability of success is not equal to 0.5
95 percent confidence interval:
0.09694921 0.53480197
sample estimates:
probability of success
0.2777778

Q2

```
library(MASS)
> head(immer)
  Loc Var    Y1     Y2
1  UF   M 81.0  80.7
2  UF   S 105.4 82.3
3  UF   V 119.7 80.4
4  UF   T 109.7 87.2
5  UF   P  98.3 84.2
6   W   M 146.6 100.4
wilcox.test(immer$Y1, immer$Y2, paired=TRUE)
```

Wilcoxon signed rank test with continuity correction

data: immer\$Y1 and immer\$Y2
V = 368.5, p-value = 0.005318
alternative hypothesis: true location shift is not equal to 0

Q3

```
library(BSDA)
Loading required package: lattice
```

Attaching package: 'BSDA'

The following object is masked from 'package:datasets':
Orange

```
Orange
> x<-c(7.8, 6.6, 6.5, 7.4, 7.3, 7.7, 6.4, 7.1, 6.7, 7.6, 6.8)
> SIGN.test(x, md=6.5)
```

One-sample Sign-Test

data: x
s = 9, p-value = 0.02148
alternative hypothesis: true median is not equal to 6.5
95 percent confidence interval:
6.571273 7.628727

ALNRAO

sample estimates:
median of x
7.1

Achieved and Interpolated Confidence Intervals:

| | Conf.Level | L.E.pt | U.E.pt |
|-------------------|------------|--------|--------|
| Lower Achieved CI | 0.9346 | 6.6000 | 7.6000 |
| Interpolated CI | 0.9500 | 6.5713 | 7.6287 |
| Upper Achieved CI | 0.9883 | 6.5000 | 7.7000 |

Q4

```
> Input ="  
>   Speaker          Rater      Likert  
>   'Maggie Simpson' 1          3  
>   'Maggie Simpson' 2          4  
>   'Maggie Simpson' 3          5  
>   'Maggie Simpson' 4          4  
>   'Maggie Simpson' 5          4  
>   'Maggie Simpson' 6          4  
>   'Maggie Simpson' 7          4  
>   'Maggie Simpson' 8          3  
>   'Maggie Simpson' 9          2  
>   'Maggie Simpson' 10         5  
> ")  
> Data = read.table(textConnection(Input), header=TRUE)  
> SIGN.test(Data$Likert,  
>             md = 3)  
>
```

One-sample Sign-Test

```
data: Data$Likert  
s = 7, p-value = 0.07031  
alternative hypothesis: true median is not equal to 3  
95 percent confidence interval:  
 3.000000 4.675556  
sample estimates:  
median of x  
4
```

Achieved and Interpolated Confidence Intervals:

| | Conf.Level | L.E.pt | U.E.pt |
|-------------------|------------|--------|--------|
| Lower Achieved CI | 0.8906 | 3 | 4.0000 |
| Interpolated CI | 0.9500 | 3 | 4.6756 |
| Upper Achieved CI | 0.9785 | 3 | 5.0000 |



Practical - 8

Aim: Non parametric test

- 1) A softdrink company has invented a new drink and would like to find out if it will be as popular as the existing favorite drink for this purpose. Its research department arranges 18 participants for taste testing. Each participant tries both drinks in random order before giving his or her opinion.
↳ binom-test (S, 18)
- 2) In the built-in data set named imrey, the barley yield in years 1931 and 1932 of the Saree are recorded. The yield data are presented in the data frame (columns Y1 and Y2)
↳ library (MASS)
↳ head (imrey)
↳ wilcox.test (imrey \$Y1, imrey \$Y2, paired = TRUE)
- 3) library (BSDA)
↳ xcc <- c(7.8, 6.6, 6.5, 7.4, 7.3, 7, 6.4, 7.1, 6.7, 8.7, 6.6, 6.8)
↳ sign.test (x, md = 6.5)



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ALNIPAO

③) Input C "

+ speaker

+ 'Maggie Simpson'
+ 'Maggie Simpson'

| | Date | likert |
|--|------|--------|
| | 1 | 3 |
| | 2 | 4 |
| | 3 | 5 |
| | 4 | 4 |
| | 5 | 4 |
| | 6 | 4 |
| | 7 | 3 4 |
| | 8 | 2 3 |
| | 9 | 5 2 |
| | 10 | 5 |

>Data = read.table (text=connection (Input), header = TRUE)
SIGN. test (Data \$likert, md=3)

Practical No-9

Aim - Non - Parametric Test 2

Suppose a company produce sugar and it want to test the market on the basis of increasing demand prepare a observation from the market population find its variance & Tukey's method

field = read.csv(file.choose())

file Id

your.aov = aov(field \$ sugar ~ field \$ growth)

your.aov

Tukey HSD(your.aov)

Test using Kruskals wallis random test.

attach(fileId)

field.kw = kruskal.test(growth, sugar)

field.kw

Prepare a box plot for Tukey test and Kruskal test

boxplot(fileId)



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ALNRA

Generate random and run a test

library (tseries)

a) $x \leftarrow \text{factor}(\text{sign}(\text{rnorm}(100)))$
nns.test

b) $x \leftarrow \text{factor}(\text{rep}(c(-1, 1), 50))$
runs.test

ALMRAO

```
> field=read.csv(file.choose())
> field
   growth sugar
1      45     A
2      32     B
3      45     C
4      67     D
5      31     D
6      23     B
7      87     C
8      98     A
9      13     B
10     43     D
11     67     C
12     89     A
13      9     D
14     76     A
15     45     B
16     34     C
17     78     D
18     90     B
19     86     C
20     98     A
21     53     B
22     74     A
23     94     D
24     90     C
25     38     A
26     49     B
27     38     A
28     38     D
29     93     C
30     86     B
31     54     A
32     66     B
33     77     D
34     88     C
35     99     D
36     48     B
37     44     A
38     55     B
39     97     D
40     67     B
41     16     A
42     18     C
43     53     C
44     70     D
45     50     A
46     40     B
47     30     C
48     21     A
> your.aov=aov(field $growth ~ field $sugar)
> TukeyHSD(your.aov)
Tukey multiple comparisons of means
```

ALNRAO

95% family-wise confidence level

> fit: aov(formula = field\$growth ~ field\$sugar)

> field\$sugar'

| | diff | lwr | upr | p adj |
|-----|-----------|-----------|----------|-----------|
| B-A | -5.692308 | -33.81074 | 22.42612 | 0.9485972 |
| C-A | 5.818182 | -23.55056 | 35.18692 | 0.9515953 |
| C-B | 6.903091 | -22.45965 | 36.27783 | 0.9224587 |
| D-B | 11.510490 | -17.85825 | 40.87923 | 0.7232833 |
| D-C | 12.601399 | -16.76734 | 41.97014 | 0.6636489 |
| D-C | 1.090909 | -29.47705 | 31.65886 | 0.9996851 |

> attach(field)

> field.kw=kruskal.test(growth, sugar)

> field.kw

Kruskal-Wallis rank sum test

data: growth and sugar

Kruskal-Wallis chi-squared = 1.4936, df = 3, p-value = 0.6838

> boxplot(field)

> install.packages(tseries)

> library(tseries)

> x<-factor(sign(rnorm(100)))

> runs.test(x)

Runs Test

data: x

Standard Normal = 0.40606, p-value = 0.6847

alternative hypothesis: two.sided

> x<-factor(rep(c(-1,1),50))

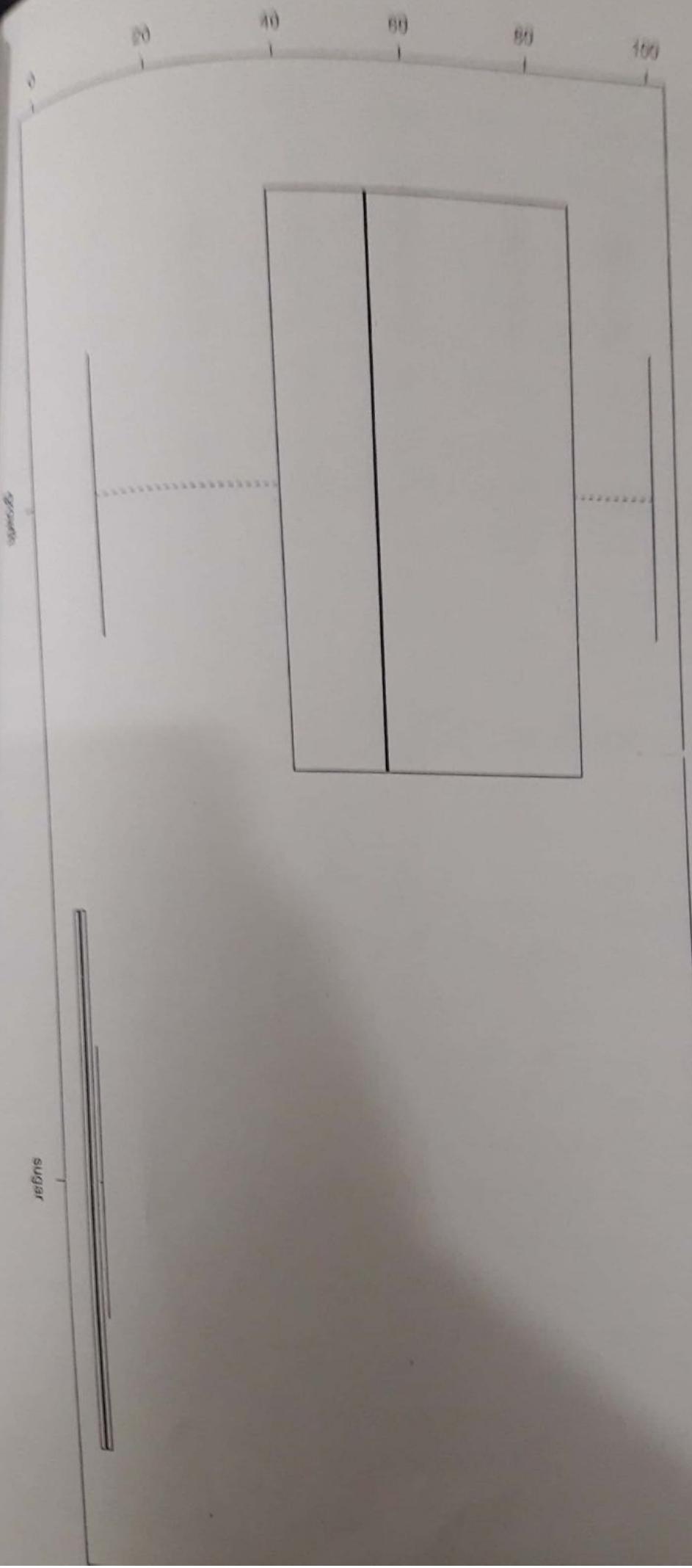
> runs.test(x)

Runs Test

data: x

Standard Normal = 9.8499, p-value < 2.2e-16

alternative hypothesis: two.sided



1180

10

210



Practical No 10

Aim: Post of analysis One-way ANOVA

(consider the source and test the post of analysis
also comment on the output)

Prepare a data and perform a pairwise test, Tukey
comment on the plot produced using Tukey test
and explain the summary output

Code

```
source("https://www.r-statistics.com/wp-content/uploads/2013/02/Friedman-Test-with-Post-Hoc.rtf")  
#load testing <- data.frame(  
+ Task = c(S.40, S.50, S.55,  
+ S.85, S.70, S.75,  
+ S.20, S.60, S.50,  
+ S.55, S.50, S.40,  
+ S.90, S.85, S.70,  
+ S.45, S.55, S.60,  
+ S.40, S.40, S.35,  
+ S.45, S.50, S.35,  
+ S.25, S.15, S.00,  
+ S.85, S.80, S.70,  
+ S.25, S.20, S.10,  
+ S.65, S.55, S.45,  
+ S.05, S.60, S.15)
```



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A/NR/20

+ S.H.S., S.SS, S.3S

+ S.SS, S.H.S., S.2S

+ 6.3S, 16.3S, 6.2S),

+ Wine = factor (rep(c("Wine A", "Wine B", "Wine C"), 12))

+ Taster = factor (rep(1:3, rep(2, 2))) ;

? with (WineTasting, boxplot (Taste ~ Wine))

? friedman.test with post.hoc (Taste ~ Wine | Taster, WineTasting)

? field: read.csv (file.choose())

? field

? attach (field)

? group = as.factor (sugar)

? mm = tapply (growth, group, length); sdsd = tapply (growth\$group, sd)
by; nn; sdsd

? aov.ex1 = aov (growth ~ group)

? summary (aov.ex1, intercpt = 1)

? pairwise.t.test (growth, group, p.adjust = "none", pool.sd = 1)

? pairwise.t.test (growth, group, p.adjust = "bonferroni", pool.sd = 1)

? TukeyHSD (aov.ex1, conf.level = 95)

? plot (TukeyHSD (aov (growth ~ group), conf.level = 95))

? summary (aov.ex1)

```
> source("https://www.r-statistics.com/wp-content/uploads/2010/02/Friedman-Test-with-Post-Hoc.r.txt")

> WineTasting <- data.frame(
+   Taste = c(5.40, 5.50, 5.55,
+             5.85, 5.70, 5.75,
+             5.20, 5.60, 5.50,
+             5.55, 5.50, 5.40,
+             5.90, 5.85, 5.70,
+             5.45, 5.55, 5.60,
+             5.40, 5.40, 5.35,
+             5.45, 5.50, 5.35,
+             5.25, 5.15, 5.00,
+             5.85, 5.80, 5.70,
+             5.25, 5.20, 5.10,
+             5.65, 5.55, 5.45,
+             5.60, 5.35, 5.45,
+             5.05, 5.00, 4.95,
+             5.50, 5.50, 5.40,
+             5.45, 5.55, 5.50,
+             5.55, 5.55, 5.35,
+             5.45, 5.50, 5.55,
+             5.50, 5.45, 5.25,
+             5.65, 5.60, 5.40,
+             5.70, 5.65, 5.55,
+             6.30, 6.30, 6.25),
+   Wine = factor(rep(c("Wine A", "Wine B", "Wine C"), 22)),
+   Taster = factor(rep(1:22, rep(3, 22)))))

>

> with(WineTasting, boxplot(Taste ~ Wine))

> friedman.test.with.post.hoc(Taste ~ Wine | Taster, WineTasting)
```

> field=read.csv(file.choose())
> field

growth sugar

1 23 1
2 24 1
3 28 1
4 26 1
5 34 1
6 7 1
7 8 1
8 9 1
9 11 2
10 12 2
11 15 2
12 17 2
13 18 2
14 19 2
15 15 2
16 29 2
17 28 3
18 27 3
19 39 3
20 38 3
21 37 3
22 36 3
23 35 3
24 34 3
25 32 4
26 21 4
27 12 4

ALH180

ALTRAU

| | | |
|----|----|---|
| 28 | 33 | 4 |
| 29 | 23 | 4 |
| 30 | 16 | 4 |
| 31 | 15 | 4 |
| 32 | 23 | 4 |
| 33 | 34 | 5 |
| 34 | 12 | 5 |
| 35 | 34 | 5 |
| 36 | 6 | 5 |
| 37 | 4 | 5 |
| 38 | 3 | 5 |
| 39 | 2 | 5 |
| 40 | 12 | 5 |
| 41 | 18 | 6 |
| 42 | 17 | 6 |
| 43 | 22 | 6 |
| 44 | 34 | 6 |
| 45 | 12 | 6 |
| 46 | 32 | 6 |
| 47 | 34 | 6 |
| 48 | 23 | 6 |

> attach(field)

> group=as.factor(sugar)

> mm=tapply(growth,group,mean)

> mm

1 2 3 4 5 6

19.875 17.000 34.250 21.875 13.375 24.000

> nn=tapply(growth,group,length);sd=sd(tapply(growth,group,sd));nn;sd

1 2 3 4 5 6

8 8 8 8 8 8

1 2 3 4 5 6

ALNPAU

10.384570 5.580579 4.464143 7.642690 13.276591 8.434623

> aov.exl=aov(growth~group)

> summary(aov.exl,intercept=T)

Df Sum Sq Mean Sq F value Pr(>F)

(Intercept) 1 22664 22664 292.60 < 2e-16 ***

group 5 2060 412 5.32 0.00071 ***

Residuals 42 3253 77

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 '' 1

> pairwise.t.test(growth,group,p.adjust="none",pool.sd=T)

Pairwise comparisons using t tests with pooled SD

data: growth and group

1 2 3 4 5

2 0.51710 - - -

3 0.00217 0.00032 - -

4 0.65181 0.27423 0.00745 -

5 0.14710 0.41472 2.4e-05 0.06017 -

6 0.35391 0.11917 0.02473 0.63167 0.02019

P value adjustment method: none

pairwise.t.test(growth,group,p.adjust="bonferroni",pool.sd=T)

Pairwise comparisons using t tests with pooled SD

data: growth and group

1 2 3 4 5

2 1.00000 - - -

3 0.03257 0.00481 - -

4 1.00000 1.00000 0.11173 -
 5 1.00000 1.00000 0.00037 0.96257 -
 6 1.00000 1.00000 0.37088 1.00000 0.30285

P value adjustment method: Bonferroni

TukeyHSD(aov.ex1, conf.level=.95)

Tukey multiple comparisons of means

95% family-wise confidence level

Fit: aov(formula = growth ~ group)

\$group

| diff | lwr | upr | p adj |
|------|-----|-----|-------|
|------|-----|-----|-------|

| | | | | |
|-----|---------|------------|------------|-----------|
| 2-1 | -2.875 | -16.011397 | 10.2613972 | 0.9859766 |
| 3-1 | 14.375 | 1.238603 | 27.5113972 | 0.0247157 |
| 4-1 | 2.000 | -11.136397 | 15.1363972 | 0.9973920 |
| 5-1 | -6.500 | -19.636397 | 6.6363972 | 0.6802680 |
| 6-1 | 4.125 | -9.011397 | 17.2613972 | 0.9343909 |
| 3-2 | 17.250 | 4.113603 | 30.3863972 | 0.0040719 |
| 4-2 | 4.875 | -8.261397 | 18.0113972 | 0.8753930 |
| 5-2 | -3.625 | -16.761397 | 9.5113972 | 0.9614416 |
| 6-2 | 7.000 | -6.136397 | 20.1363972 | 0.6089973 |
| 4-3 | -12.375 | -25.511397 | 0.7613972 | 0.0750699 |
| 5-3 | -20.875 | -34.011397 | -7.7386028 | 0.0003326 |
| 6-3 | -10.250 | -23.386397 | 2.8863972 | 0.2054094 |
| 5-4 | -8.500 | -21.636397 | 4.6363972 | 0.3979603 |
| 6-4 | 2.125 | -11.011397 | 15.2613972 | 0.9965252 |
| 6-5 | 10.625 | -2.511397 | 23.7613972 | 0.1745835 |

plot(TukeyHSD(aov(growth~group), conf.level=.95))

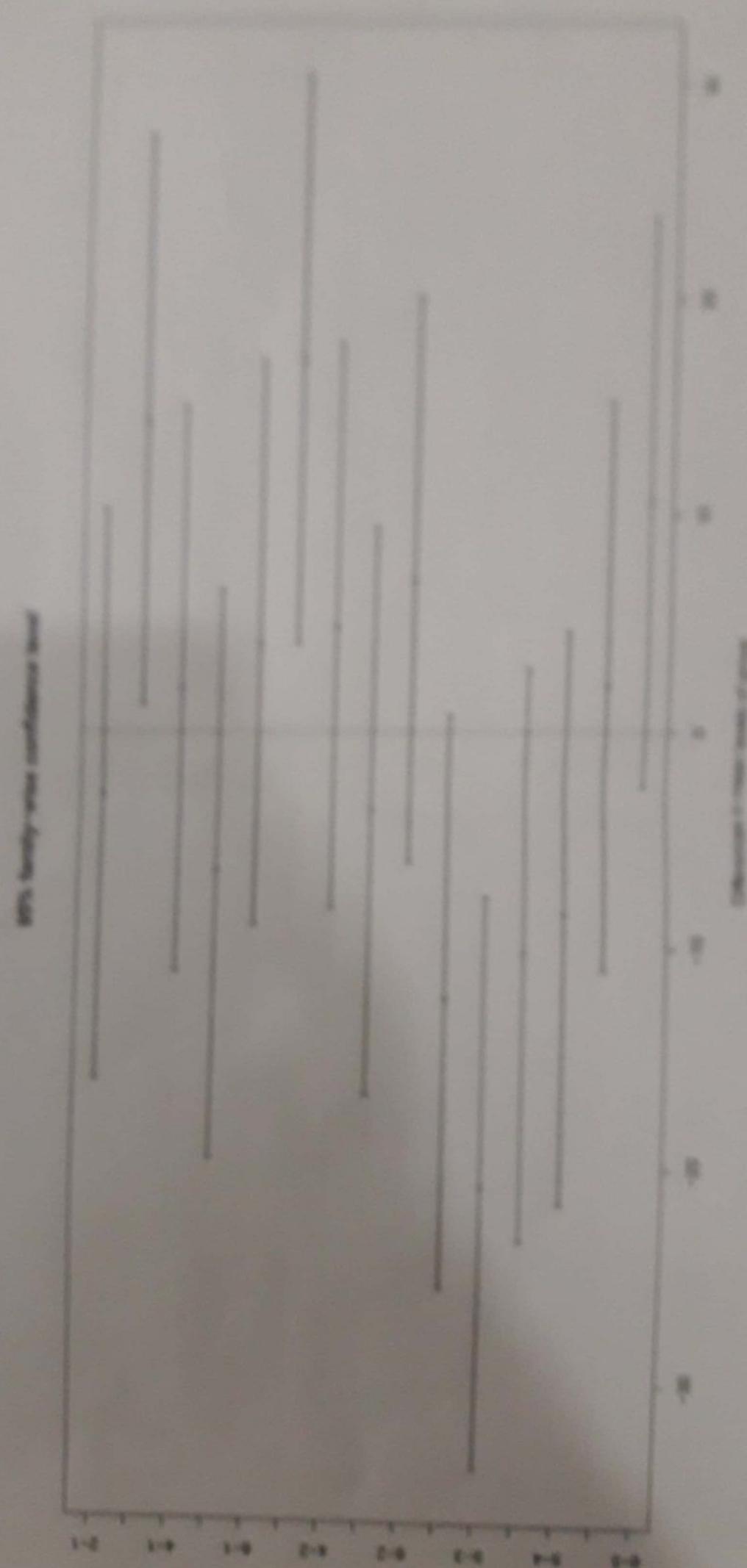
Period

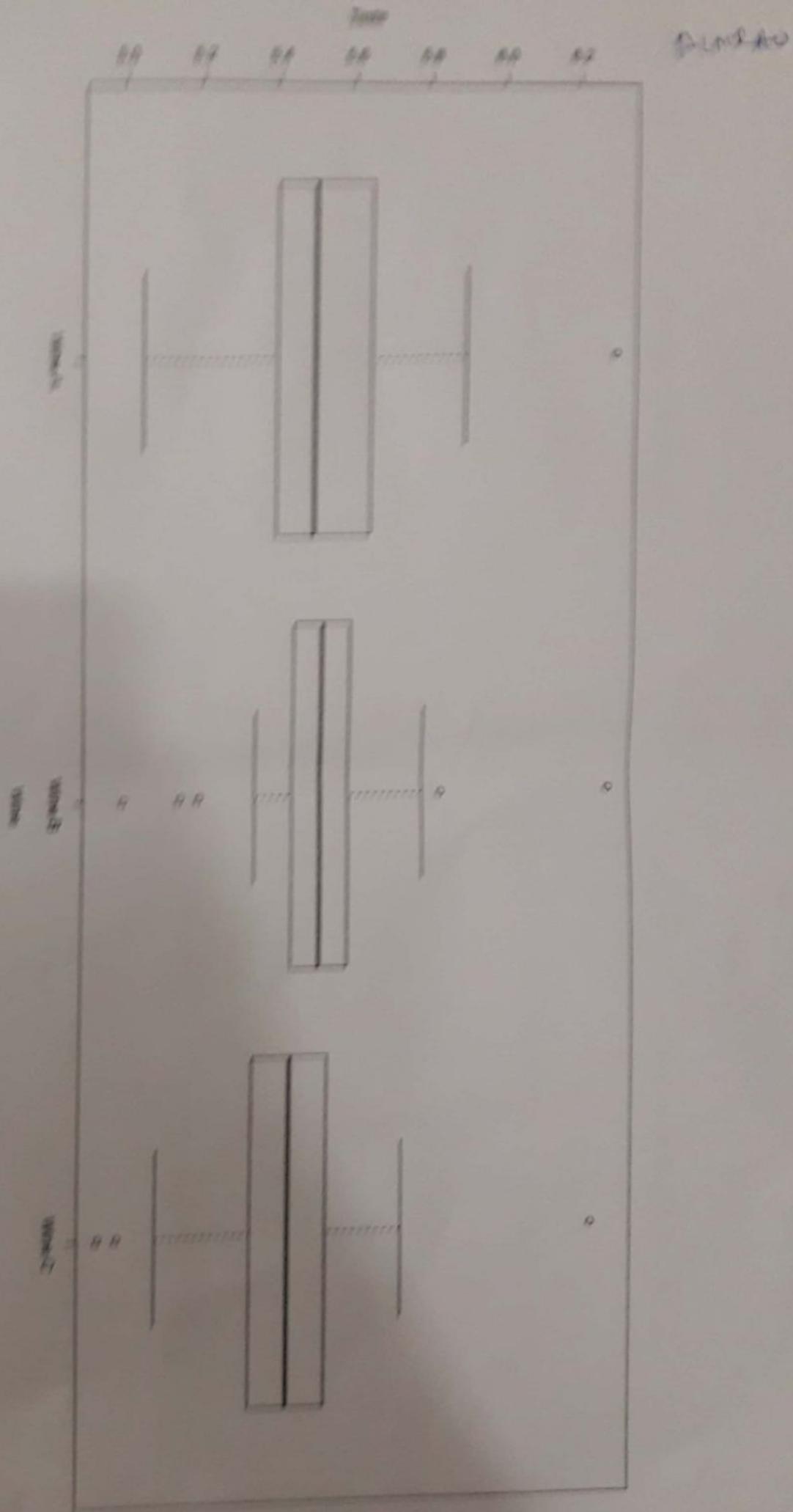
```
> summary(aov.ex1)

Df Sum Sq Mean Sq F value Pr(>F)

group      5  2060  412.1  5.32 0.00071 ***
Residuals  42  3253   77.5

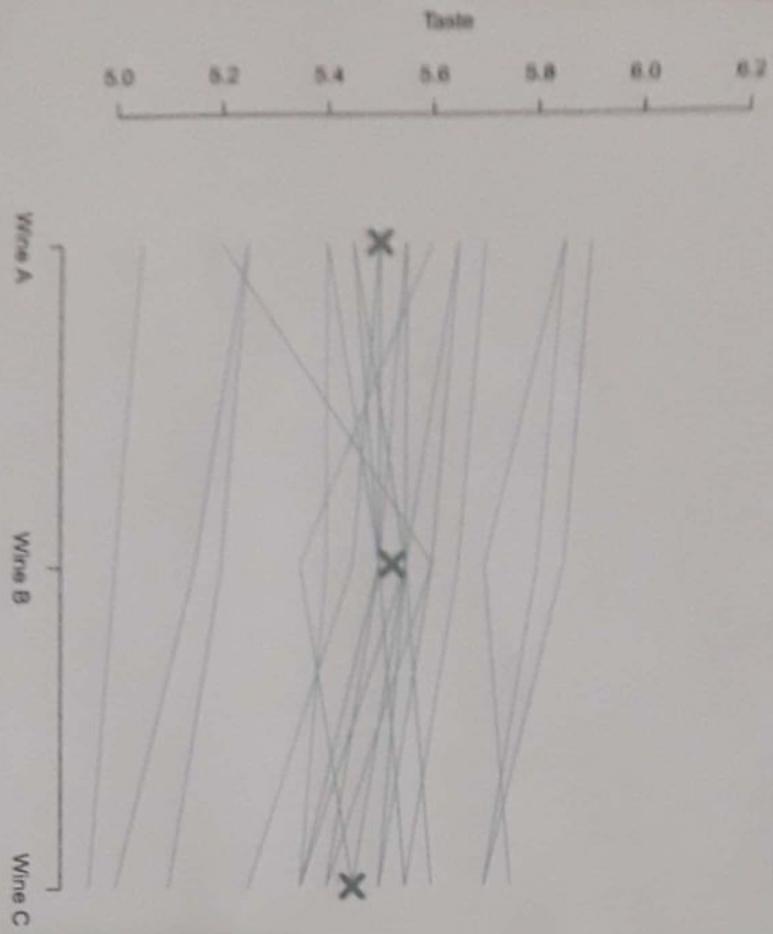
Signif. codes: 0 '****' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 '' 1
```





DAPP DU

Parallel coordinates plot



Boxplots (of the differences)

