

CS156 (Introduction to AI), Spring 2021

Homework 3 submission

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Any special notes or anything you would like to communicate to me about this homework submission goes in here.

References and sources

List all your references and sources here. This includes all sites/discussion boards/blogs/posts/etc. where you grabbed some code examples.

Solution

Load libraries and set random number generator seed

```
In [120...] import numpy as np
import pandas as pd
from sklearn import datasets
from sklearn.datasets import load_boston
from sklearn import linear_model
from sklearn import preprocessing
from sklearn.preprocessing import PolynomialFeatures
from sklearn.model_selection import train_test_split
from sklearn.metrics import mean_squared_error, mean_absolute_error, r2_score
import matplotlib.pyplot as plt
import matplotlib.ticker as ticker
import seaborn as sns

In [121...] np.random.seed(42)
```

Load the dataset.

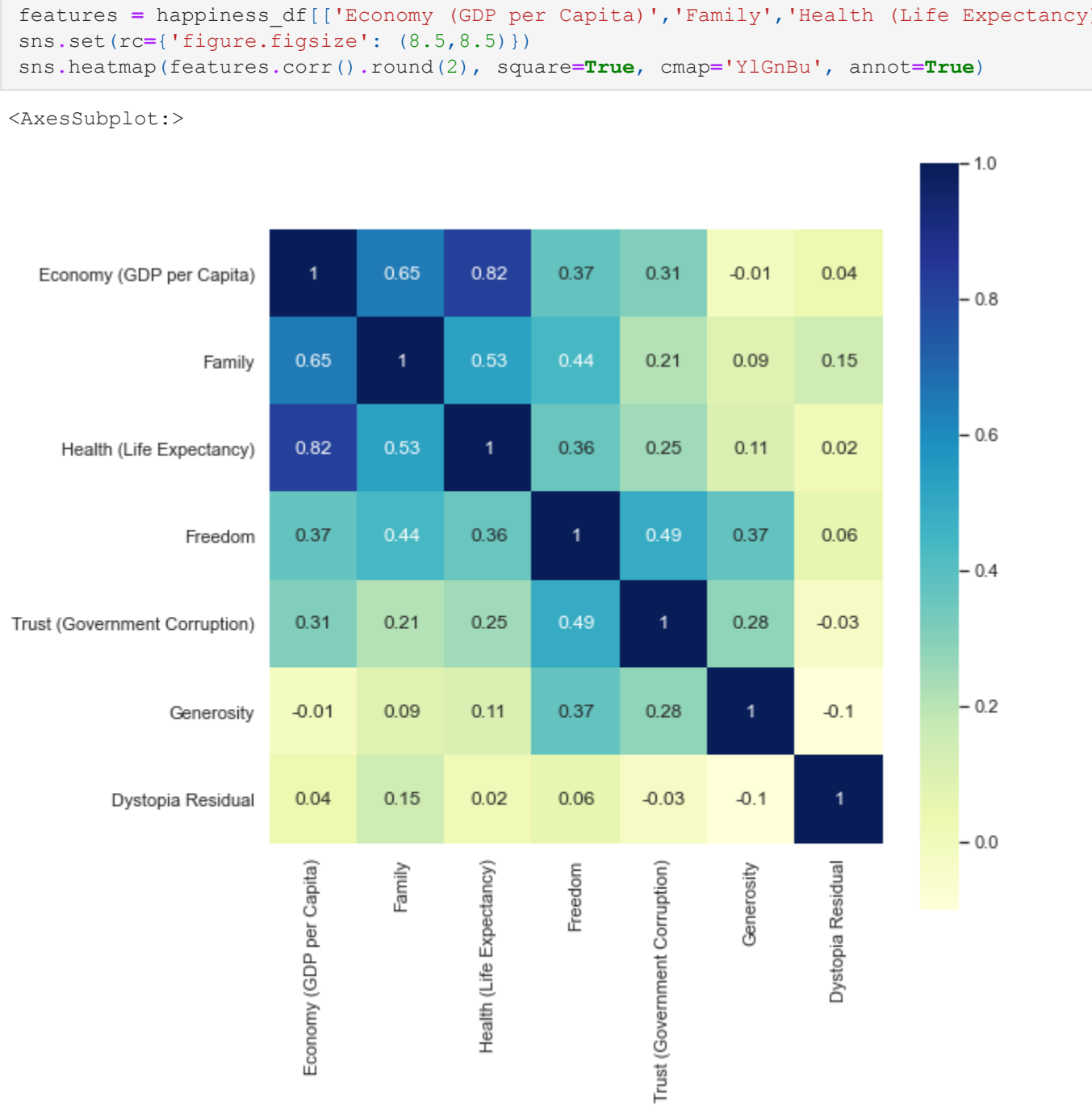
```
In [122...] happiness_df = pd.read_csv(r"./homework3_input_data.csv")
happiness_df.head()
```

	Country	Region	Happiness Rank	Happiness Score	Standard Error	Economy (GDP per Capita)	Family	Health (Life Expectancy)	Freedom	(G
0	Switzerland	Western Europe	1	7.587	0.03411	1.39651	1.34951	0.94143	0.66557	
1	Iceland	Western Europe	2	7.561	0.04884	1.30232	1.40223	0.94784	0.62877	
2	Denmark	Western Europe	3	7.527	0.03328	1.32548	1.36058	0.87464	0.64938	
3	Norway	Western Europe	4	7.522	0.03880	1.45900	1.33095	0.88521	0.66973	
4	Canada	North America	5	7.427	0.03553	1.32629	1.32261	0.90563	0.63297	

Plot all independent variables vs. the dependent variable (similar to how I demonstrated in the Regression.Boston.ipynb Jupyter notebook). This will show you the relationship between each independent variable and the dependent variable.



Compute and plot a correlation matrix between the independent variables (similar to how I demonstrated in the Regression.Boston.ipynb Jupyter notebook). This will show you how independent all the input variables are between each other.



```
In [125...] Y = happiness_df.pop("Happiness Score")
del happiness_df["Country"]
del happiness_df["Region"]
del happiness_df['Happiness Rank']
del happiness_df["Standard Error"]
```

Break the data into the training and test datasets.

```
In [126...] X_train, X_test, Y_train, Y_test = train_test_split(happiness_df, Y, test_size=0.2, r
```

Train a linear regression model to predict the output/dependent variable (Happiness Score) based on the input variables I specified in the description of this assignment.

```
In [127...] model = linear_model.LinearRegression().fit(X_train, Y_train)
X_train.head()
```

	Economy (GDP per Capita)	Family	Health (Life Expectancy)	Freedom	Trust (Government Corruption)	Generosity	Dystopia Residual
16	1.56391	1.21963	0.91894	0.61583	0.37798	0.28034	1.96961
130	0.01604	0.41134	0.22562	0.43054	0.06977	0.33128	2.80791
134	0.88180	0.74700	0.61712	0.17288	0.06324	0.11291	1.59927
22	1.04424	1.25596	0.72052	0.42908	0.11069	0.05841	3.19131
93	0.08308	1.02626	0.09131	0.34037	0.15603	0.22269	3.05137

Report (print out) the mean squared error and coefficient of determination for the test data as your model performance indicators. Remember to use the set aside test data for this.

```
In [128...] # The coefficients:
print('Coefficients: \n', model.coef_)
X_test.head()

Y_test_pred = model.predict(X_test)

# The mean squared error:
print('Mean squared error: %.2f' % mean_squared_error(Y_test, Y_test_pred))

# The coefficient of determination (1 is perfect prediction):
print('Coefficient of determination: %.2f' % r2_score(Y_test, Y_test_pred))

Coefficients:
[1.00010263  0.99995379  0.99986239  0.99968513  0.99990488  0.9999532
 1.00003023]
Mean squared error: 0.00
Coefficient of determination: 1.00
```

```
In [ ]:
```