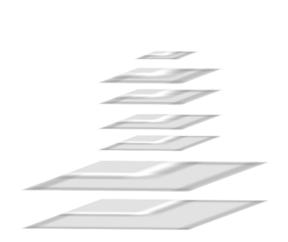


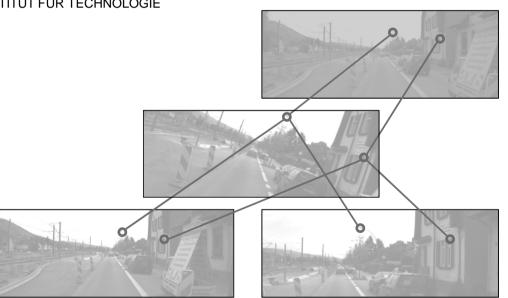
### **Automotive Vision Tutorial**

#### **Feature Points**

Martin Lauer and Annika Meyer

INSTITUTE OF MEASUREMENT AND CONTROL SYSTEMS | KARLSRUHER INSTITUT FÜR TECHNOLOGIE





## SIFT (Scale Invariant Feature Transform)

Martin Lauer and Annika Meyer - Automotive Vision Tutorial 3



**Feature Detection** 

**Feature Description** 

Correspondence and Feature Matching

# **Feature Detection**

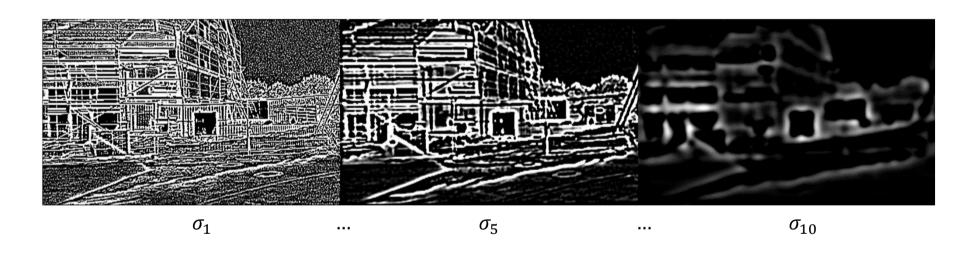


Step	in full SIFT	introduced in lecture	used in SIFT light
build scale space function L	with DoG filter	with LoG	with LoG
use image pyramids to build and represent L	yes	yes	no
determine local maxima in L	yes	yes	yes
subpixel refinement (determine maxima position with subpixel accuracy)	yes	no	no
eliminate maxima with low contrast	yes	yes	yes
eliminate maxima next to graylevel edges	yes	yes	yes
eliminate maxima at boundaries	?	no	yes

### **Scale Space Function**



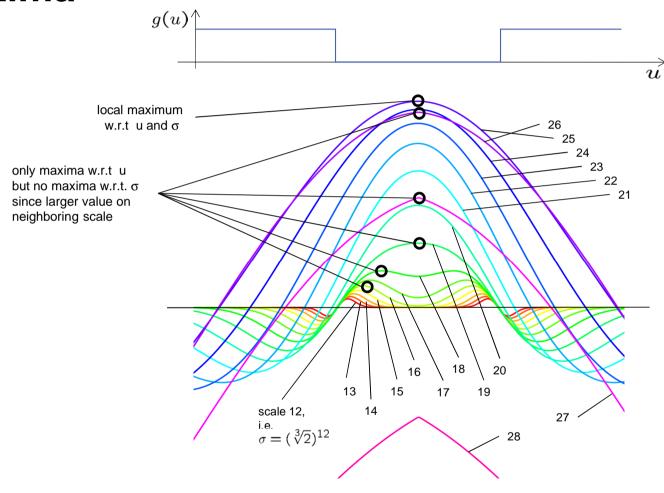
Convolve with Laplacian of Gaussian (LoG) with different scales  $\sigma$ 



$$L(u, v, \sigma) = \sigma^2 \cdot (g * LoG_{\sigma})(u, v)$$

# Karlsruher Institut für Technologie

### **Local Maxima**





## SIFT-light – Conditions for Feature Points

- Maxima in local window cube
- 2. Eigenvalues of the Hessian  $H(u, v, \sigma)$  matrix should roughly be the same

$$\frac{Tr^2(H)}{\det(H)} < \frac{(r+1)^2}{r}$$

3. Maxima should not be located at boundary of scale space

# Karlsruher Institut für Technologie

#### **Hessian Matrix**

- Second order partial derivatives of L
- Local curvature of a function with many variables

$$H = \begin{pmatrix} \frac{\partial^2 L}{(\partial v)^2} & \frac{\partial^2 L}{\partial u \partial v} \\ \frac{\partial^2 L}{\partial u \partial v} & \frac{\partial^2 L}{(\partial u)^2} \end{pmatrix}$$

$$\frac{\partial^2 L}{(\partial v)^2} \approx L(v+1,u,\sigma) - 2 \cdot L(v,u,\sigma) + L(v-1,u,\sigma)$$

$$\frac{\partial^2 L}{\partial u \partial v} \approx \frac{1}{4} (L(v+1,u+1,\sigma) + L(v-1,u-1,\sigma) - L(v+1,u-1,\sigma) - L(v-1,u+1,\sigma)$$

# SIFT (Scale Invariant Feature Transform)



**Feature Detection** 

Feature Description

Correspondence and Feature Matching

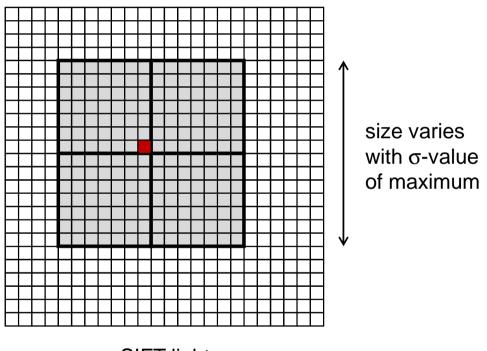
# **Feature Description**



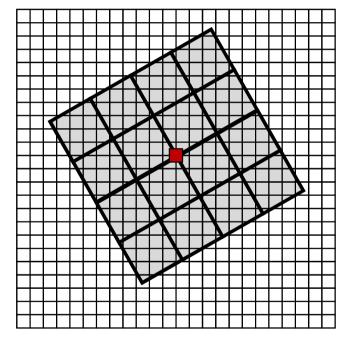
Step	in full SIFT	introduced in lecture	used in SIFT light
weight graylevel gradients by Gaussian	yes	no	no
calculate orientation histogram for environment	yes	yes	no
determine preference direction	yes	yes	no
partition environment into blocks	4-by-4 blocks	2-by-2 / 4-by-4- blocks	2-by-2 blocks (non-rotated)
create orientation histograms for each block	yes	yes	yes
concatenate histograms	yes	yes	yes
normalize descriptor	?	no	yes

### **Block Structure**





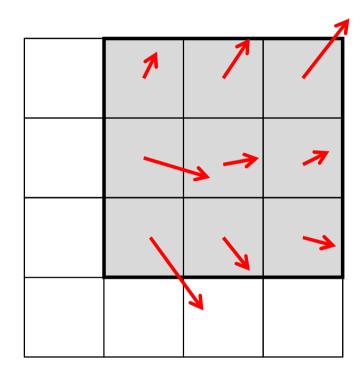
SIFT light 2-by-2 block, non-rotated



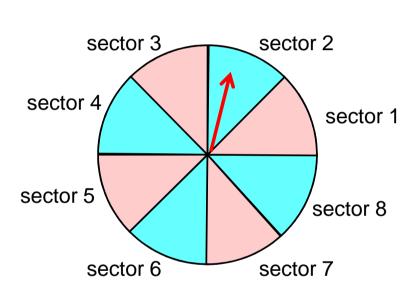
full SIFT 4-by-4 block, rotated interest point at subpixel position

## **Orientation Histogram**

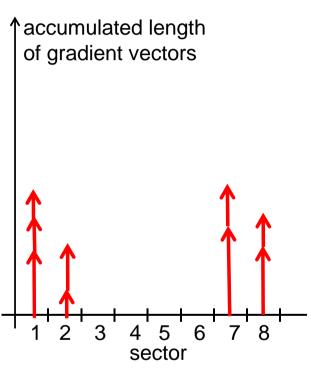




determine graylevel gradients



determine orientation sector



sum gradientlengths for each sector

31.05.2019





Step	used in SIFT light
calculate dissimilarity between pairs of feature points	yes
search pairs of feature points with smallest dissimilarity	yes
eliminate pairs with considerably large dissimilarity	yes

# SIFT (Scale Invariant Feature Transform)

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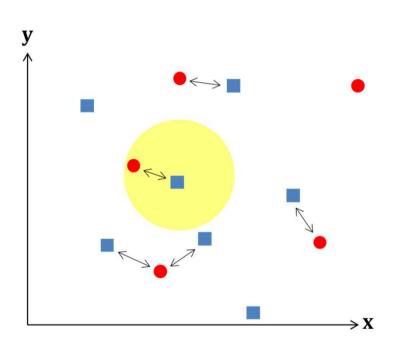
**Feature Detection** 

**Feature Description** 

Correspondence and Feature Matching

## SIFT-light – Nearest Neighbors





- Find corresponding points in neighborhood
- Neighborhood defined in 32dimensional descriptor space