Experiment/Practical 3: Polynomial Linear Regression

Title:

Implementation of Polynomial Linear Regression

Aim:

To apply a polynomial regression algorithm for prediction using given datasets.

Objective:

Students will learn:

- The implementation of the polynomial linear regression algorithm on different datasets
- Visualization and interpretation of results.

Problem Statement

Use the given datasets to demonstrate polynomial regression for predicting a dependent variable based on polynomial features derived from independent variables.

The four datasets used:

- 1. **Position Salaries Dataset** Predicting salary based on job levels.
- 2. **Advertising Dataset** Predicting sales based on advertising spend.
- 3. **Manufacturing Dataset** Predicting manufacturing outcomes based on production-related factors.
- 4. Weight-Height Dataset Predicting weight based on height.

Explanation / Stepwise Procedure / Algorithm

1. Brief Description of Polynomial Regression

Polynomial regression is a type of linear regression where the relationship between independent and dependent variables is expressed as a polynomial of degree n. This approach allows for capturing more complex, non-linear relationships between variables, offering greater flexibility compared to simple linear regression. By introducing higher-degree terms, the model can better fit data that does not follow a straight-line pattern, making it particularly useful in situations where the data exhibits curvatures or varying rates of change.

2. Mathematical Formulation

Polynomial regression equation:

$$y = \beta 0 + \beta 1x + \beta 2x + 2 + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + 2 + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \epsilon y = \beta 0 + \beta 1x + \beta 2x + \beta 3x + ... + \beta nxn + \beta$$

Where:

- yy is the dependent variable (target).
- xx is the independent variable (feature).
- $\beta 0,\beta 1,...,\beta n\beta 0,\beta 1,...,\beta n$ are the regression coefficients.
- $\epsilon \epsilon$ represents the error term.

3. Importance of Polynomial Regression in Data Analysis

- Addresses non-linear correlations between variables.
- Improves accuracy for datasets where linear regression falls short.
- Valuable for predictive modeling to identify trends and patterns.

4. Applications of Polynomial Regression in Real-World Scenarios

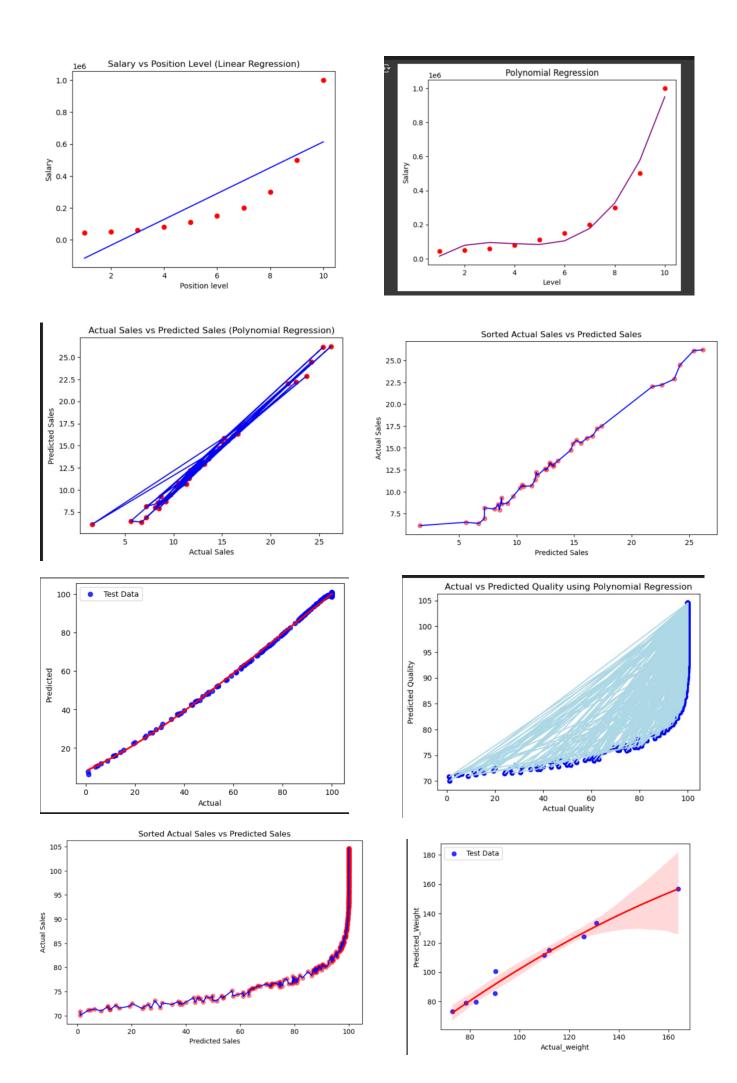
- **Position Salaries Dataset:** Salary prediction based on job level.
- Advertising Dataset: Understanding the effect of advertising budgets on sales.
- Manufacturing Dataset: Process optimization and defect prediction.
- Weight-Height Dataset: Estimating a person's weight based on height.

5. Explanation of Performance Metrics

- **R**² **Score:** Measures how well the model explains the variance in the target variable. Higher values indicate a better fit.
- **Mean Squared Error (MSE):** Measures the average squared difference between actual and predicted values.
- **Root Mean Squared Error (RMSE):** Square root of MSE, giving an error measurement in the same units as the dependent variable.

5. Figures/Diagrams

- Polynomial regression curves plotted for each dataset.
- Comparison between polynomial and linear regression fits.



Input & Output Analysis for Each Dataset

1. Position Salaries Dataset

- **Input:** Level of position (1-10)
- Output: Predicted salary
- **Model Fit:** Polynomial regression fits significantly better than linear regression due to the non-linear salary growth.

2. Advertising Dataset

- **Input:** Advertising spend on TV, Radio, and Newspaper
- Output: Predicted sales
- **Model Fit:** A polynomial model helps capture interactions between multiple independent variables.

3. Manufacturing Dataset

- **Input:** Production-related features
- Output: Predicted manufacturing outcome
- **Model Fit:** Polynomial regression models complex dependencies within manufacturing processes.

4. Weight-Height Dataset

- **Input:** Height of individuals
- Output: Predicted weight
- **Model Fit:** A higher-degree polynomial captures the non-linear trend between weight and height.

Results & Model Performance

1. Position Salaries Dataset

- R² Score (Linear Regression): Low
- R² Score (Polynomial Regression): High
- Interpretation: Salary increases in a non-linear fashion with level.

2. Advertising Dataset

- R² Score (Linear Regression): Moderate
- **R**² Score (**Polynomial Regression**): Higher
- **Interpretation:** Advertising influence is not strictly linear, and polynomial terms improve fit.

3. Manufacturing Dataset

- R² Score (Linear Regression): Moderate
- R² Score (Polynomial Regression): Higher
- **Interpretation:** Captures non-linearity in the production process.

4. Weight-Height Dataset

- R² Score (Linear Regression): Moderate
- R² Score (Polynomial Regression): Higher
- **Interpretation:** A polynomial model captures curvatures in the weight-height relationship.

Challenges Encountered

- 1. Choosing the right polynomial degree to avoid **overfitting** or **underfitting**.
- 2. Handling **multicollinearity** when using multiple polynomial terms.
- 3. Computational cost increases as polynomial degree increases.

Conclusion

- Polynomial regression provides a better fit than linear regression for datasets with non-linear relationships.
- Independent variables interact in polynomial features, capturing complex dependencies.
- Performance metrics like **R² score**, **MSE**, and **RMSE** help evaluate model effectiveness.
- Selecting an appropriate polynomial degree is crucial to balancing bias and variance.

Poly_1_2_Salary_1_Advertising_1

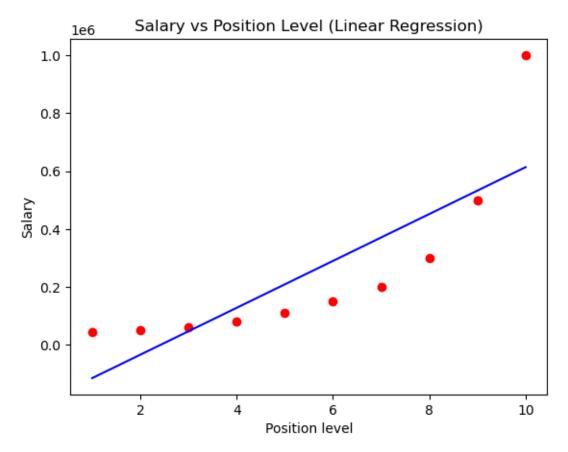
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1 Salary

```
[91]: # Importing the libraries
      import numpy as np
      import matplotlib.pyplot as plt
      import pandas as pd
      import seaborn as sns
[92]: url = "https://raw.githubusercontent.com/content-anu/
      ⇔dataset-polynomial-regression/master/Position_Salaries.csv"
      df = pd.read csv(url)
[93]: df.head()
[93]:
                  Position Level Salary
         Business Analyst
                                    45000
      1 Junior Consultant
                                    50000
      2 Senior Consultant
                                3 60000
                  Manager
                                    80000
      3
                                4
           Country Manager
      4
                                5 110000
[94]: # Splitting the data to X and Y
      X = df.Level.values
      y = df.Salary.values
      print(f"The shape of X is {X.shape} and the shape of y is {y.shape}")
     The shape of X is (10,) and the shape of y is (10,)
[95]: # Reshaping the data
      X = X.reshape(-1, 1)
      y = y.reshape(-1, 1)
      print(f"The shape of X is {X.shape} and the shape of y is {y.shape}")
     The shape of X is (10, 1) and the shape of y is (10, 1)
[96]: # Implementing the Polynomial Regression
      from sklearn.preprocessing import PolynomialFeatures
      from sklearn.linear_model import LinearRegression
```

```
# For Simple Linear Regression
lin_reg = LinearRegression()
lin_reg.fit(X, y)
y_pred = lin_reg.predict(X)
```

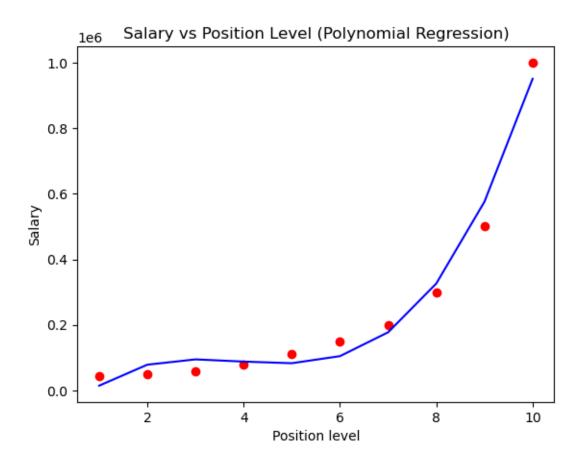
```
[97]: # Linear Regression on Scatter Plot
   plt.scatter(X, y, color = 'red')
   plt.plot(X, y_pred, color = 'blue')
   plt.title('Salary vs Position Level (Linear Regression)')
   plt.xlabel('Position level')
   plt.ylabel('Salary')
   plt.show()
```



```
[98]: # Evaluating the model
from sklearn.metrics import mean_squared_error, r2_score
mse = mean_squared_error(y, y_pred)
r2 = r2_score(y, y_pred)
print(f"The Mean Squared Error is {mse} and the R2 Score is {r2}")
```

The Mean Squared Error is 26695878787.878788 and the R2 Score is 0.6690412331929895

```
[99]: from sklearn.preprocessing import PolynomialFeatures
       poly_reg = PolynomialFeatures(degree = 3)
       X_poly = poly_reg.fit_transform(X)
[100]: X
[100]: array([[ 1],
              [2],
              [ 3],
              [4],
              [5],
              [ 6],
              [7],
              [8],
              [ 9],
              [10]], dtype=int64)
[101]: X_poly
                         1.,
[101]: array([[
                  1.,
                                1.,
                                       1.],
              1.,
                         2.,
                                4.,
                                       8.],
              Г
                  1.,
                         3.,
                               9.,
                                      27.],
              Γ
                               16.,
                                     64.],
                  1..
                         4.,
              1.,
                         5.,
                               25.,
                                    125.],
              36., 216.],
                  1.,
                         6.,
              1.,
                         7.,
                               49., 343.],
              Γ
                  1.,
                         8.,
                               64., 512.],
              1.,
                         9.,
                               81., 729.],
              10., 100., 1000.]])
                  1.,
[102]: lin_reg_2 = LinearRegression()
       lin_reg_2.fit(X_poly, y)
       y_pred_2 = lin_reg_2.predict(X_poly)
[103]: # Poly Regression on Scatter Plot
       plt.scatter(X, y, color = 'red')
       plt.plot(X, y_pred_2, color = 'blue')
       plt.title('Salary vs Position Level (Polynomial Regression)')
       plt.xlabel('Position level')
       plt.ylabel('Salary')
       plt.show()
```



```
[104]: # Evaluating the model
from sklearn.metrics import mean_squared_error, r2_score
mse = mean_squared_error(y, y_pred_2)
r2 = r2_score(y, y_pred_2)
print(f"The Mean Squared Error is {mse} and the R2 Score is {r2}")
```

The Mean Squared Error is 1515662004.6620033 and the R2 Score is 0.9812097727913367

2 Advertising

```
[105]: Unnamed: 0 TV Radio Newspaper Sales 0 1 230.1 37.8 69.2 22.1
```

```
2
                  3 17.2 45.9
                                        69.3
                                               9.3
                  4 151.5 41.3
      3
                                        58.5
                                               18.5
      4
                  5 180.8 10.8
                                        58.4
                                               12.9
[106]: # Using Multiple Linear Regression
      X = dataset[['TV', 'Radio', 'Newspaper']]
      y = dataset['Sales']
      from sklearn.model_selection import train_test_split
      X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.2,__
       →random_state = 0)
      from sklearn.linear_model import LinearRegression
      lin reg = LinearRegression()
      lin_reg.fit(X_train, y_train)
      y_pred = lin_reg.predict(X_test)
      from sklearn.metrics import mean_squared_error, r2_score
      mse = mean_squared_error(y_test, y_pred)
      r2 = r2_score(y_test, y_pred)
      print(f"The Mean Squared Error is {mse} and the R2 Score is {r2}")
      # Scatter Plot
      plt.scatter(y_test, y_pred)
      plt.xlabel("Actual Sales")
      plt.plot(y_test, y_pred, color = 'red')
      plt.ylabel("Predicted Sales")
      plt.title("Actual Sales vs Predicted Sales")
```

45.1

10.4

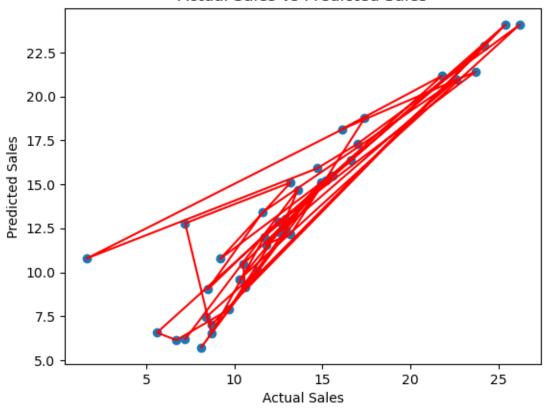
2 44.5 39.3

1

plt.show()

The Mean Squared Error is 4.402118291449685 and the R2 Score is 0.8601145185017868

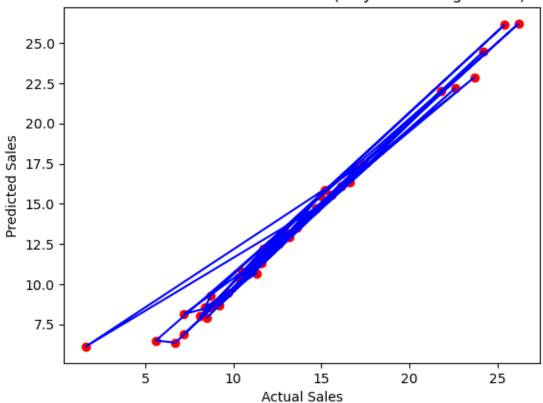
Actual Sales vs Predicted Sales



```
[107]: # Using Polynomial Regression
       from sklearn.preprocessing import PolynomialFeatures
       poly = PolynomialFeatures(degree = 3)
       X_train_poly = poly.fit_transform(X_train)
       X_test_poly = poly.fit_transform(X_test)
       y_train = np.array(y_train).reshape(-1, 1)
       lin_reg_2 = LinearRegression()
       lin_reg_2.fit(X_train_poly, y_train)
       y_pred_2 = lin_reg_2.predict(X_test_poly)
       # Poly Regression on Scatter Plot
       plt.scatter(y_test, y_pred_2, color = 'red')
       plt.plot(y_test, y_pred_2, color = 'blue')
       plt.title('Actual Sales vs Predicted Sales (Polynomial Regression)')
       plt.xlabel('Actual Sales')
       plt.ylabel('Predicted Sales')
       plt.show()
       # Evaluating the model
```

```
from sklearn.metrics import mean_squared_error, r2_score
mse = mean_squared_error(y_test, y_pred_2)
r2 = r2_score(y_test, y_pred_2)
print(f"The Mean Squared Error is {mse} and the R2 Score is {r2}")
```

Actual Sales vs Predicted Sales (Polynomial Regression)

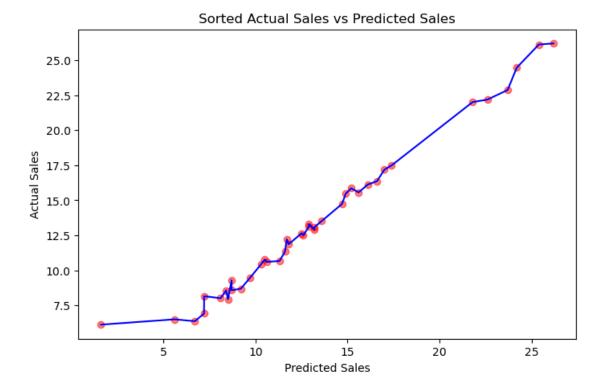


The Mean Squared Error is 0.6721344417962923 and the R2 Score is 0.978641680255429

```
[109]: import numpy as np
  import matplotlib.pyplot as plt
  sorted_idx = np.argsort(y_test)
  y_test_sorted = np.array(y_test)[sorted_idx]
  y_pred_sorted = y_pred_2[sorted_idx]

# Scatter Plot (Actual vs Predicted)
  plt.figure(figsize=(8, 5))
  plt.scatter(y_test_sorted, y_pred_sorted, color = 'red', alpha=0.5)
  plt.plot(y_test_sorted, y_pred_sorted, color = 'blue')
  plt.title('Sorted Actual Sales vs Predicted Sales')
  plt.xlabel('Predicted Sales')
```

plt.ylabel('Actual Sales')
plt.show()



Poly_3_Manufacturing_1

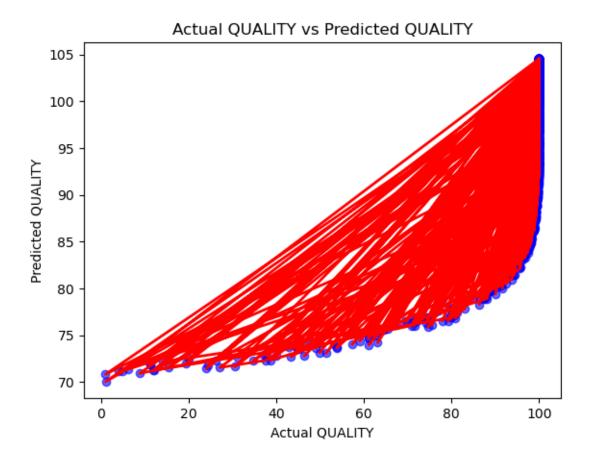
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```
[109]: import numpy as np
       import matplotlib.pyplot as plt
       import pandas as pd
       import seaborn as sns
[110]: url = r"D:\Supervised Machine Learning lab (SMLL)\3\Practice-1 Manufacturing.
       df = pd.read_csv(url)
       df.head()
「110]:
          Temperature (°C) Pressure (kPa) Temperature x Pressure \
                209.762701
                                  8.050855
                                                       1688.769167
                243.037873
                                                        3842.931469
       1
                                 15.812068
       2
                220.552675
                                  7.843130
                                                        1729.823314
       3
                208.976637
                                 23.786089
                                                       4970.736918
       4
                184.730960
                                 15.797812
                                                        2918.345014
          Material Fusion Metric Material Transformation Metric
                                                                   Quality Rating
       0
                    44522.217074
                                                    9.229576e+06
                                                                        99.999971
                    63020.764997
                                                    1.435537e+07
                                                                        99.985703
       1
       2
                    49125.950249
                                                    1.072839e+07
                                                                        99.999758
       3
                    57128.881547
                                                    9.125702e+06
                                                                        99.999975
                    38068.201283
                                                    6.303792e+06
                                                                       100.000000
[111]: X = X = df[['Temperature (°C)', 'Pressure (kPa)', 'Temperature x Pressure',
               'Material Fusion Metric', 'Material Transformation Metric']]
       y = df['Quality Rating']
[112]: # importing vif
       from statsmodels.stats.outliers_influence import variance_inflation_factor
       # Vif dataframe
       vif data = pd.DataFrame()
       for i in range(X.shape[1]):
           vif data["Feature"] = X.columns
           vif_data["VIF"] = [variance_inflation_factor(X.values, i) for i in range(X.
        ⇔shape[1])]
       print(vif_data)
```

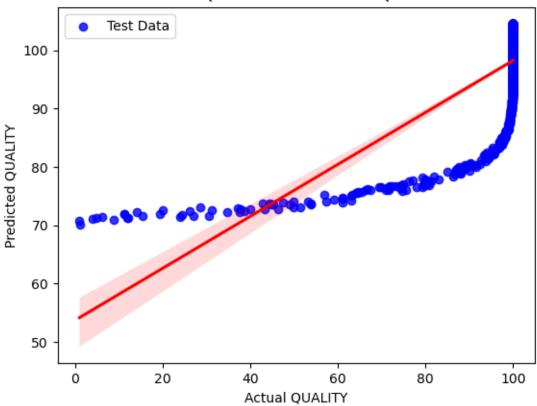
```
Feature
                                                 VIF
      0
                       Temperature (°C) 113.050204
                         Pressure (kPa) 49.349434
      1
      2
                 Temperature x Pressure 72.745768
                 Material Fusion Metric 764.593283
      3
      4 Material Transformation Metric 219.003134
[113]: # Scaling the data
       from sklearn.preprocessing import StandardScaler
       scaler = StandardScaler()
       X = scaler.fit transform(X)
       X = pd.DataFrame(X)
[114]: # importing vif
       from statsmodels.stats.outliers_influence import variance_inflation_factor
       # Vif dataframe
       vif_data = pd.DataFrame()
       for i in range(X.shape[1]):
           vif_data["Feature"] = X.columns
           vif_data["VIF"] = [variance_inflation_factor(X.values, i) for i in range(X.
        \hookrightarrowshape[1])]
       print(vif_data)
                         VIF
         Feature
      0
               0
                   92.760519
      1
               1
                   22.782171
               2
                   19.174847
      3
               3 300.197535
                   99.639939
[115]: X.drop(X.columns[3], axis=1, inplace=True)
[116]: # importing vif
       from statsmodels.stats.outliers_influence import variance_inflation_factor
       # Vif dataframe
       vif_data = pd.DataFrame()
       for i in range(X.shape[1]):
           vif_data["Feature"] = X.columns
           vif_data["VIF"] = [variance_inflation_factor(X.values, i) for i in range(X.
        ⇒shape[1])]
       print(vif_data)
                        VIF
         Feature
      0
               0 24.566249
      1
               1 12.900307
               2 19.153063
      3
               4 17.623707
```

```
[117]: y
[117]: 0
                99.999971
       1
                99.985703
       2
                99.999758
       3
                99.999975
               100.000000
       3952
               100.000000
       3953
               99.999997
       3954
               99.989318
       3955
                99.999975
       3956
               100.000000
       Name: Quality Rating, Length: 3957, dtype: float64
[118]: # Train Test Split
       from sklearn.model_selection import train_test_split
       X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,_
        →random state=42)
[119]: print(X_train.shape, X_test.shape, y_train.shape, y_test.shape)
      (2769, 4) (1188, 4) (2769,) (1188,)
[120]: # Implementing the Linear Regression
       from sklearn.preprocessing import PolynomialFeatures
       from sklearn.linear_model import LinearRegression
       # For Simple Linear Regression
       lin_reg = LinearRegression()
       lin_reg.fit(X_train, y_train)
       y_pred = lin_reg.predict(X_test)
[121]: | y_pred.shape
[121]: (1188,)
[122]: plt.scatter(y_test, y_pred, color='blue',alpha=0.6)
       plt.plot(y_test, y_pred, color='red', linewidth=2, label='Linear Regression_∪

→Line')
       plt.title('Actual QUALITY vs Predicted QUALITY')
       plt.xlabel('Actual QUALITY')
       plt.ylabel('Predicted QUALITY')
       plt.show()
```



Actual QUALITY vs Predicted QUALITY



```
[124]: #Metrics
from sklearn.metrics import mean_squared_error, r2_score
from math import sqrt

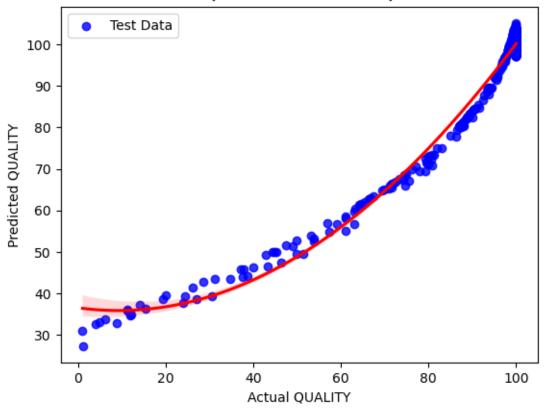
mse = mean_squared_error(y_test, y_pred)
rmse = sqrt(mse)
r2 = r2_score(y_test, y_pred)
print("Mean Squared Error: ", mse)
print("Root Mean Squared Error: ", rmse)
print("R2 Score: ", r2)
```

Mean Squared Error: 100.06958965362516 Root Mean Squared Error: 10.003478877551807

R2 Score: 0.5004768505711403

```
[125]: # For Polynomial Regression with degree 2
poly_reg = PolynomialFeatures(degree=2)
X_poly = poly_reg.fit_transform(X_train)
lin_reg2 = LinearRegression()
```

Actual QUALITY vs Predicted QUALITY

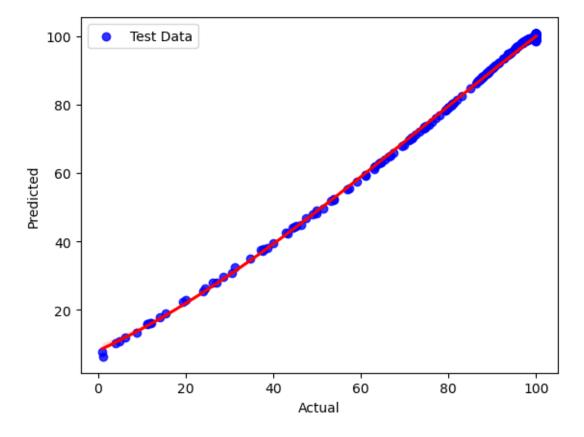


```
[126]: # Metrics
    mse = mean_squared_error(y_test, y_pred2)
    rmse = sqrt(mse)
    r2 = r2_score(y_test, y_pred2)
    print("Mean Squared Error: ", mse)
    print("Root Mean Squared Error: ", rmse)
    print("R2 Score: ", r2)
```

Mean Squared Error: 15.26909748852792

Root Mean Squared Error: 3.907569255755798

R2 Score: 0.923780364316409



```
[128]: # Metrics
mse = mean_squared_error(y_test, y_pred3)
```

```
rmse = sqrt(mse)

r2 = r2_score(y_test, y_pred3)

print("Mean Squared Error: ", mse)

print("Root Mean Squared Error: ", rmse)

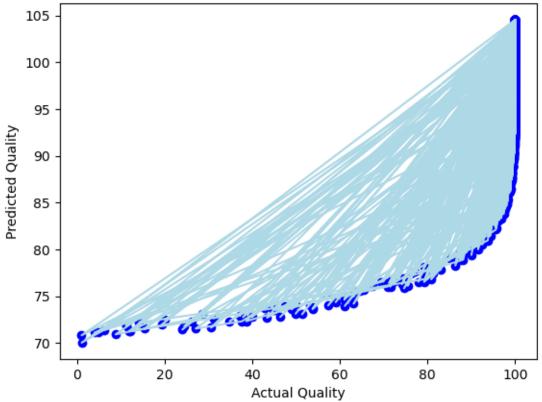
print("R2 Score: ", r2)
```

Mean Squared Error: 0.6158333511438949
Root Mean Squared Error: 0.7847505024808171

R2 Score: 0.9969259090983433

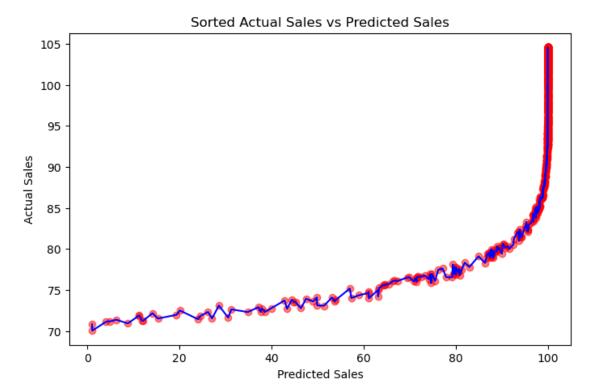
```
[129]: plt.scatter(y_test, y_pred, color = 'blue')
   plt.plot(y_test, y_pred, color = 'lightblue')
   plt.title("Actual vs Predicted Quality using Polynomial Regression")
   plt.xlabel("Actual Quality")
   plt.ylabel('Predicted Quality')
   plt.show()
```





```
import numpy as np
import matplotlib.pyplot as plt
sorted_idx = np.argsort(y_test)
y_test_sorted = np.array(y_test)[sorted_idx]
y_pred_sorted = y_pred[sorted_idx]

# Scatter Plot (Actual vs Predicted)
plt.figure(figsize=(8, 5))
plt.scatter(y_test_sorted, y_pred_sorted, color = 'red', alpha=0.5)
plt.plot(y_test_sorted, y_pred_sorted, color = 'blue')
plt.title('Sorted Actual Sales vs Predicted Sales')
plt.xlabel('Predicted Sales')
plt.ylabel('Actual Sales')
plt.show()
```



Poly_4_Weight-Height

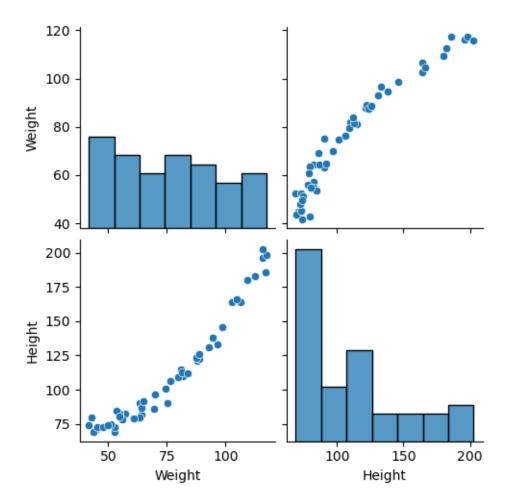
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```
[166]: import pandas as pd
       import numpy as np
       import matplotlib.pyplot as plt
       import seaborn as sns
       from sklearn.preprocessing import StandardScaler
       from sklearn.model selection import train test split
       from sklearn.linear_model import LinearRegression
       from sklearn.preprocessing import PolynomialFeatures
       from sklearn.metrics import mean_squared_error, r2_score, mean_absolute_error
       import math
[167]: url = r"Practice-2 Weight-Height Polynomial Dataset.csv"
       df = pd.read_csv(url)
       df.head()
[167]:
              Weight
                          Height
           69.963210
                       96.644532
       1 116.057145
                      196.156340
         98.559515
                      145.862047
       2
       3
          87.892679 121.157923
           52.481491
                       68.971292
          Data Preprocessing
      Checking for null values
[168]: df.isna().sum()
[168]: Weight
      Height
                 0
       dtype: int64
      Checking Statistics
```

[169]: df.describe(include='all')

```
[169]:
                  Weight
                               Height
               50.000000
                            50.000000
       count
       mean
               75.673912
                         111.473633
       std
               23.110656
                            39.493803
       min
               41.646760
                            68.971292
       25%
               54.701360
                           79.966731
       50%
               74.883900
                            98.819101
       75%
               91.988395
                          129.709758
              117.592788
                          202.663424
       max
      Checking Info
[170]: df.info()
      <class 'pandas.core.frame.DataFrame'>
      RangeIndex: 50 entries, 0 to 49
      Data columns (total 2 columns):
       #
           Column Non-Null Count Dtype
       0
           Weight 50 non-null
                                    float64
           Height 50 non-null
                                    float64
       1
      dtypes: float64(2)
      memory usage: 932.0 bytes
      Checking Shape
[171]: df.shape
[171]: (50, 2)
      Visualizing the Data
[172]: sns.pairplot(df)
```

[172]: <seaborn.axisgrid.PairGrid at 0x252f1d9db50>



Scaling the data

```
[173]: sca = StandardScaler()
X = df['Weight'].values.reshape(-1,1)
```

Creating X and y

```
[174]: X = df.Weight.values
y = df.Height.values
```

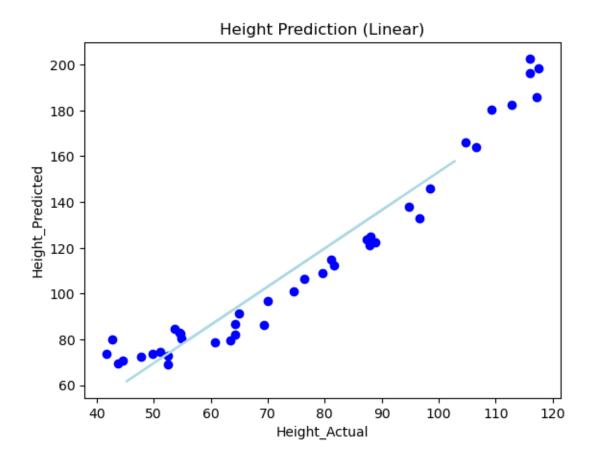
Train Test Split

```
[175]: X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, u →random_state=42)
```

Reshaping the data

```
[176]: X_train = X_train.reshape(-1, 1)
X_test = X_test.reshape(-1, 1)
```

```
#y_train=y_train.reshape(-1,1)
       #y_test=y_test.reshape(-1,1)
       print(f"X_train shape: {X_train.shape}")
       print(f"X_test shape: {X_test.shape}")
       print(f"y_train shape: {y_train.shape}")
       print(f"y_test shape: {y_test.shape}")
      X train shape: (40, 1)
      X_test shape: (10, 1)
      y_train shape: (40,)
      y_test shape: (10,)
      Model Creation
      Simple Linear Regression
[177]: linear = LinearRegression()
       linear.fit(X_train.reshape(-1,1), y_train)
[177]: LinearRegression()
      Predcicting using Simple Linear Regression
[178]: pred_linear = linear.predict(X_test.reshape(-1,1))
      Evaluating Simple Linear Regression
[179]: mse = mean_squared_error(y_test, pred_linear)
       rmse = math.sqrt(mse)
       r2 = r2_score(y_test, pred_linear)
       mae = mean_absolute_error(y_test, pred_linear)
       print('MSE:', mse)
       print('RMSE:', rmse)
       print('R2:', r2)
       print('MAE:', mae)
      MSE: 117.22192004841368
      RMSE: 10.826907224522323
      R2: 0.8403417139170934
      MAE: 8.882234589447728
      Visualizing Using Simple Linear Regression
[180]: plt.scatter(X_train, y_train, color = 'blue')
       plt.plot(X_test, pred_linear, color = 'lightblue')
       plt.title("Height Prediction (Linear)")
       plt.xlabel("Height_Actual")
       plt.ylabel('Height_Predicted')
       plt.show()
```



2 Using Polynomial Regression

Getting Predictions

```
[184]: y_pred = lin.predict(X_test_poly)
```

Evaluating the Model

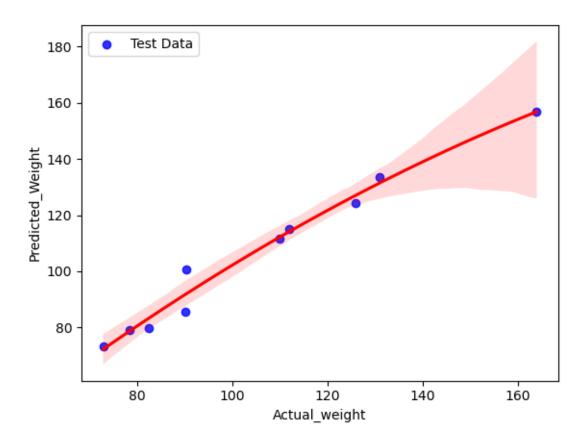
```
[185]: r2 = r2_score(y_test, y_pred)
    mse = mean_squared_error(y_test, y_pred)
    mae = mean_absolute_error(y_test,y_pred)
    rmse = math.sqrt(mse)

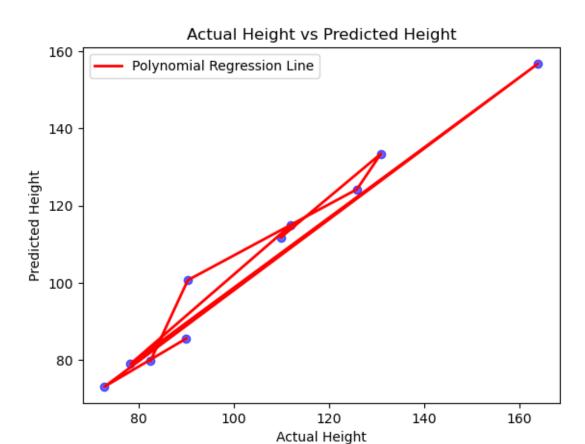
    print(f"R2 Score: {r2}")
    print(f"Mean Squared Error: {mse}")
    print(f"Mean Absolute Error: {mae}")
    print(f"Root Mean Squared Error: {rmse}")
```

R2 Score: 0.9717532753949885

Mean Squared Error: 20.73888787431194 Mean Absolute Error: 3.461429854635168 Root Mean Squared Error: 4.553996911978745

Visualizing the Predicitons





```
import numpy as np
sorted_idx = np.argsort(y_test)
Y_test_sorted = np.array(y_test)[sorted_idx]
y_pred_sorted = y_pred[sorted_idx]

plt.scatter(y_test, y_pred, color='blue')
plt.plot(Y_test_sorted, y_pred_sorted, color='lightblue')
plt.title("Actual vs Predicted Height using Polynomial Regression")
plt.xlabel("Actual Height")
plt.ylabel("Predicted Height")
plt.show()
```

