The Cognitive Organism: A Provably Safe Architecture for Trustworthy AI

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The Cognitive Organism Architecture (COA) fuses a bio-inspired swarm, an OCPS-gated nervous system, and a meta-adaptive memory heart into a single contractive control loop for trustworthy multi-agent AI. At its core, millions of PSO-evolving agents self-organise into functional swarms, coordinated by a two-tier nervous system. This system uses a fast router for 90% of routine tasks, while an Online Change-Point Sentinel (OCPS) detects distributional drift within 50 ms to gate the 10% of hard tasks to a deep-reasoning Hypergraph Neural Network (HGNN). ...

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1 Introduction

Composing diverse AI services into a single, trustworthy, and low-latency system remains an open problem. Monolithic models hide their internal state and offer no modular safety hooks; naïve multi-agent swarms are transparent but fragile, diverging under domain drift. The Cognitive Organism Architecture (COA) bridges this gap with a bio-inspired micro-cell swarm for exploration, an Online Change-Point Sentinel that gates a hyper-graph neural reasoner for rare novelties, and an adaptive Holon Memory Fabric that keeps the whole loop stable and fresh. One simple rule binds them: every hop is 1-Lipschitz, so the end-to-end map is a contraction—guaranteeing convergence, safety, and bounded staleness even as millions of agents learn in real time.

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Why It Works. The architecture's stability stems from a core theoretical insight. We prove that each step in a workflow, representing a composite operation across the swarm, coordinator, and memory, is a contraction mapping. This property, which guarantees convergence to a stable fixed point, is rigorously maintained by the OCPS-gated design and holds even when using advanced generative compression for memory. The result is a system that is provably stable, regardless of the number of agents or the complexity of the task.

Why It's Fast.

- 90% of requests pass through the $O(1)$ routing table; only 10% invoke deep HGNN reasoning.
- End-to-end latency stays < 80 ms p95, with distributional drift detected in ≤ 50 ms.
- The hierarchical memory keeps every reference ≤ 3 s stale under worst-case load, while adaptive VQ-VAE yields 4-8x effective capacity without breaking stability.

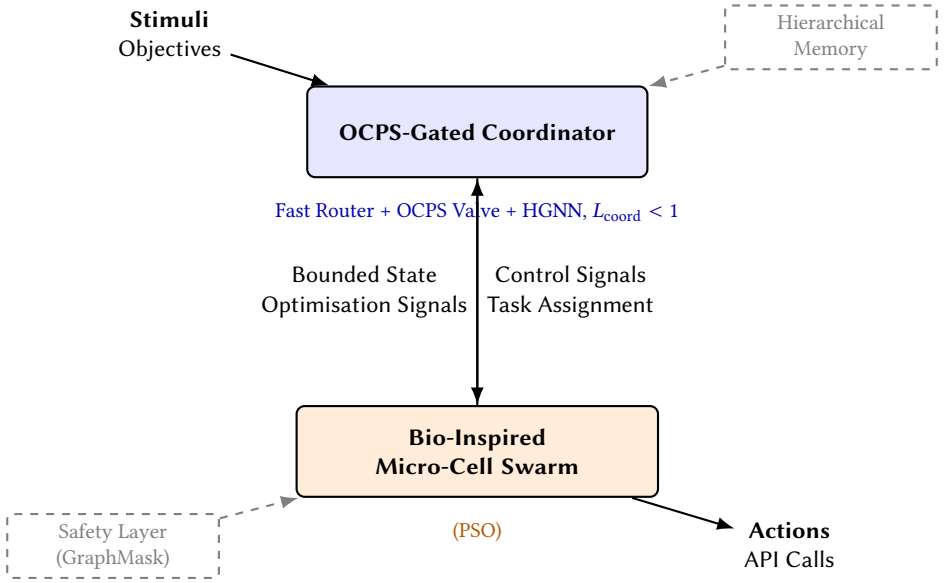

Fig. 1. **Conceptual Overview of the Cognitive Organism Architecture.** The OCPS-gated coordinator, bio-inspired swarm, and hierarchical memory form a contractive feedback loop. This design achieves 90% fast-path routing, <80 ms p95 latency, and ≤ 3 s memory freshness.

Key Contributions.

- **Tri-layer contractive architecture:** First proof that a bio-inspired swarm, an online change-point sentinel, and a meta-learned memory can be composed with $L_{\text{tot}} < 1$.
- **Neuro-symbolic Holon Memory Fabric:** Unifies KG edges and vector sketches for $O(1)$ insert/exact query/fuzzy recall.
- **Generative compression tier:** Surprise-gated VQ-VAE cuts embedding traffic 4-8x at zero Lipschitz cost.
- **Scalable coordination:** OCPS valve keeps 90% of traffic in a constant-time path while bounding HGNN backlog.
- **Empirical proof-points:** On GAIA & CompWoB benchmarks: 0.87 convergence probability, < 0.5 s macro-tick, and memory freshness ≤ 3 s.

Paper Road-map. §2 formalises the stability framework. §3 sets notation. §4 proves contractivity. §5 dissects the swarm physiology, §6 details the coordinator, §7 unveils the adaptive Holon Memory, §8 adds safety & governance, and the remaining sections report experiments, complexity, related work and conclusions.

2 Mathematical Preliminaries and System Model

2.1 Contractive Components and Composite Bound

Let Φ_{swarm}, Φ_{coord}, and Φ_{mem} denote the operators induced by the micro-cell swarm (§6), the OCPS-gated coordinator (§7), and the Holon Memory Fabric (§8), respectively. Each is proven to be β-Lipschitz with $\beta_{\text{sw}} < 1$ and $\beta_{\text{mem}} < 1$. The coordinator's bound depends on the chosen path:

$$\beta_{\text{coord}} = \begin{cases} 1 & \text{(fast path)} \\ \beta_{\text{meta}} < 1 & \text{(HGNN escalation)} \end{cases}$$

where $\beta_{\text{meta}} \approx 0.8$. Hence, the composite map for a full workflow iteration obeys the global Lipschitz bound:

$$L_{\text{tot}} = \big((1 - p_{\text{esc}}) \cdot 1 \; + \; p_{\text{esc}} \cdot \beta_{\text{meta}}\big) \cdot \beta_{\text{sw}} \cdot \beta_{\text{mem}} < 1.$$

2.2 Escalation Process and Fast-Path Constant

The stability of the system hinges on maintaining a high fast-path ratio, ensuring the deeply contractive HGNN is used sparingly.

Definition 2.1 (Fast-Path Dominance). Let $p_{\text{fast}} = \Pr(\text{task handled without HGNN})$. The agent specialization dynamics (§6) guarantee that in steady-state, $p_{\text{fast}} \geq 0.9$. Consequently, the escalation probability is bounded by $p_{\text{esc}} = 1 - p_{\text{fast}} \leq 0.1$.

The decision to escalate is governed by the Online Change-Point Sentinel's CUSUM statistic S_t and a threshold h, which provides drift detection within 50 ms (§7).

2.3 System State with Holon Memory

To properly model the system, we augment the organism state $s_t = (\{h_i^{\text{agent}}\}_{i=1}^n, u_t, d_t, S_t)$ with the hierarchical memory tuple from the Holon Memory Fabric:

$$s_t = \big(\{h_i^{\text{agent}}\}_{i=1}^n, u_t, d_t, \underbrace{(M_a, M_w, M_{lt}, M_{fb})}_{\text{Holon Memory}}, S_t\big). \tag{1}$$

The freshness of this memory is formally bounded by $\Delta t_{\text{stale}} \leq 3$ s (Thm. 8.4).

2.4 Time-Scale Stratification

The closed-loop dynamics of the COA operate on three distinct, nested cadences, each with its own contractivity guarantee:

Fast Loop (Local GNN): 200 ms · **Medium Loop (PSO):** 2 s · **Slow Loop (HGNN):** 20 s

As shown in Thm. 5.1, the respective Lipschitz factors for these loops ($\beta_{\text{fast}}, \beta_{\text{medium}}, \beta_{\text{slow}}$) compose to preserve overall system stability.

2.5 Threat Model and Safety Hooks

Our security analysis considers the following adversary model:

- Single compromised agents with bounded deviation.

- Data-poisoned edges in the agent collaboration graph.
- No coordinated multi-agent attacks or side-channel exploitation.

The architecture's defense-in-depth is provided by four primary safety layers: (1) Input Validation via the OCPS, (2) Interpretable GraphMask Filtering ($\epsilon_2 \leq 10^{-4}$), (3) Domain-Specific Organ Rules, and (4) System-Wide Anomaly Monitoring. High-assurance scenarios can be further protected with cryptographic overlays like Zero-Knowledge Proofs and Trusted Execution Environments, as detailed in §9.

3 Notation and Symbol Table

Table 1. Notation used throughout the paper.

Symbol	Meaning
$\mathcal{A}$	Agent set $\{a_1, \ldots, a_n\}$
$\mathbf{c}_i,\ \mathbf{r}_T$	Capability vector (agent), requirement vector (task)
$\mathbf{s}_i = [c_i, a_i, \mathbf{g}_i^{\text{cap}}]$	Skill tuple on the Pareto surface ($c_i^\nu a_i^{1-\nu} = K$)
$\mathbf{p}_i$ = $[P_i(E), P_i(S), P_i(O)]$	Soft role probabilities (Employed, Scout, Onlooker)
S_{swarm}	Swarm state $\{g_*\}$ (PSO global best)
Capability graphlet	73-orbit higher-order collaboration feature
$\mathcal{G}_A$	Dynamic agent–collaboration graph
$G_T,\ G_S$	Task graph (DAG), cognitive safety graph
$\tilde{w}_{ij}$	Soft-maxed edge attention weights
S_t	CUSUM statistic accumulated by the OCPS
ν, h	OCPS drift-detector parameters (drift mean, threshold)
$p_{\text{fast}}, p_{\text{esc}}$	Fast-path hit rate, escalation probability
q_{GNN}	Adaptive GNN quota set by the OCPS valve
$\mathcal{F}_{\text{LOC}}^{(o)}$	Local-Coordinator GNN for organ o
$\Delta_{\text{fast}}, \Delta_{\text{bio}}, \Delta_{\text{deep}}$	Time-scale periods for system loops
L_{tot}	Global Lipschitz constant of one COA iteration (Thm. 5.8)
$A_i,\ B$	Affine maps from swarm signals to GNN edge features
$\mathbf{W}_{\text{INTRA}}, \mathbf{W}_{\text{STIM}}$	Weight matrices of local attention update
H	Number of attention heads per layer
$M_a, M_w, M_{\text{lt}}, M_{\text{fb}}$	Agent/Working/Long-Term/Flashbulb memory tiers
$q_i,\ \kappa$	TD-priority of trajectory i, curriculum temperature
λ_t, λ_d	Task arrival rate, flashbulb decay rate
β_{mem}	Lipschitz factor of memory decoder
Cost_{VQ}	VQ-VAE compression cost term
$\epsilon,\ n$	Edge-mask failure prob., mask sample size
$\epsilon_{\text{zkp}}, \epsilon_{\text{tee}}$	Failure rates of ZKP and TEE safety layers

Consistency rule. A symbol has exactly one meaning in its scope; variants use descriptive subscripts (*e.g.*, ρ_{UTIL} vs. ρ_{MEM}). Scalars are italic, vectors bold lower-case, matrices bold upper-case.

3.1 Unified State Vector and Energy Landscape

To bridge theory and implementation, we define a unified state vector capturing the complete organism state across multiple scales. This section introduces this state representation and the unified energy landscape that governs the organism's dynamics, serving as the primary control interface between all layers.

3.1.1 Hierarchical State Representation. The complete system state at time t decomposes into four hierarchical levels:

$$s_t = \begin{bmatrix} h_t^{\text{agent}} \\ h_t^{\text{organ}} \\ h_t^{\text{system}} \\ m_t^{\text{memory}} \end{bmatrix} = \begin{bmatrix} \{h_i, \mathbf{p}_i, c_i\}_{i=1}^{n} \otimes \{g_i^*\} \\ \{h^{(o)}, \mathcal{P}^{(o)}\}_{o \in O} \otimes v_t^{\text{PSO}} \\ h_t^{\text{HGNN}} \otimes \mathcal{E}_t \otimes w_m(t) \\ [m_a, m_w, m_{lt}, m_{fb}] \end{bmatrix}$$

where $\mathbf{p}_i$ are agent role probabilities , $\mathcal{P}^{(o)}$ is the aggregate role distribution for an organ , and $w_m(t)$ are the system's operational mode weights. The memory vector m_t represents the state of the four-tier Holon Memory Fabric.

3.1.2 The Energy Function as a Unifying API. The practical interface between all layers is the gradient of a shared energy function $E(s_t)$. To simplify proofs and clarify the model, every operational cost corresponds to exactly one energy term in a bijective mapping, eliminating cross-terms in the stability analysis. This function holistically captures the desirability of the organism's state, balancing stable collaboration, effective reasoning, exploratory pressure, and resource costs:

$$E(s_t) = -\sum_{(i,j)\in\text{organ}} w_{ij} \cdot h_i \cdot h_j - \sum_{e\in\mathcal{E}} w_e \prod_{o\in e} g_o - \alpha\, H(\{p_i\}) + \lambda_{\text{reg}} \|s_t\|_2^2 + \beta_{\text{mem}} \text{Cost}_{\text{VQ}}(m_t) \tag{2}$$

Here, the terms reward known-good patterns and penalize complexity:

- The first term rewards stable agent collaboration; the collaboration weights w_{ij} are dynamically adjusted based on agent performance history, strengthening the bond between effective agents.
- The second term rewards successful task decomposition patterns learned by the HGNN.
- The entropy term, $-\alpha\, H(\{p_i\})$, maintains role diversity, which is essential for exploration.
- The L2-regularization term, $\lambda_{\text{reg}} \|s_t\|_2^2$, penalizes overall state complexity, which includes contributions from agent load.
- The final term, $\beta_{\text{mem}} \text{Cost}_{\text{VQ}}(m_t)$, directly incorporates the computational and storage cost of memory operations into the global state, with Cost_{VQ} detailed in §8.

3.1.3 The Energy Gradient as a Control Signal. By ensuring every subsystem is driven by the gradient of Equation 2, the architecture guarantees that all components co-optimize towards a single, coherent objective: minimizing total system energy. This is operationalized as follows:

- **Local GNN:** Within each organ, the local GNN receives $\nabla_{\text{agent}} E$ to select the agent that will most steeply lower the system's energy for a given task.
- **PSO Loop:** The Particle Swarm Optimization (PSO) that governs agent roles and capabilities is driven by $\nabla_{\text{role}} E$, ensuring that all skill and role drift constitutes a descent on the energy landscape.
- **Meta-Controller:** The memory meta-controller observes the gradient with respect to memory cost, $\partial E / \partial \text{Cost}_{\text{VQ}}$, to dynamically throttle memory compression and replay operations, balancing information retention with resource expenditure.
- **Flywheel Feedback:** An optional, hourly-cadence Flywheel-Scout agent posts its results to a `/flywheel/result` endpoint, feeding the observed energy change (ΔE) and updated cost coefficients (e.g., β_{mem}) back into the Energy-API's telemetry.

This unified control mechanism can be exposed as a concrete gRPC endpoint (e.g., `/energy/gradient`) so every subsystem can consistently query the organism's state. For transparent monitoring, the endpoint returns a per-term JSON breakdown (e.g., `{"pair": ..., "hyper": ..., "entropy": ..., "reg": ..., "mem": ...}`), allowing operators to see the energy contribution of each component in real time.

3.2 System Model — The Living Agent-Centric Organism

The organism evolves with agents transitioning through capability levels and roles, guided by PSO dynamics and a tight feedback loop between execution and memory.

Definition 3.1 (Agent Lifecycle and Evolution). Each agent a_i evolves through the following phases:

(1) **Initial State**: All agents start as *Employed* with a baseline capability $c_i \approx 0.3$ and minimal memory.
(2) **Growth**: Capability c_i increases based on performance, boosted by both successful task execution and the utility of its contributions to the shared memory system: $c_i^{t+1} = c_i^t + \alpha \cdot \text{success\_rate} + \beta \cdot \text{memory\_utility}$.
(3) **Role Transition**: When capability surpasses a threshold ($c_i > \theta_{\text{evolve}}$), an agent's probability mass may shift from *Employed* to *Scout*, unlocking exploratory behavior required for novel tasks.
(4) **Discovery & Specialization**: A Scout that discovers a stable, high-value task pattern can trigger the OCPS coordinator to spawn a new, specialized sub-organ. The Scout then transitions back to an *Employed* role within that new organ, developing expertise $\{(d, \rho_{id}) : \rho_{id} > \theta_{\text{expert}}\}$.

Definition 3.2 (Multi-Scale Coordination Structure). The system maintains:

(1) **Fast Path**: 90% of traffic is handled via a routing table $\mathcal{R} : \mathcal{T}_{\text{standard}} \to \mathcal{O}$.
(2) **HGNN Path**: 10% of complex or novel tasks are escalated for hyperedge decomposition.
(3) **Mode Switching**: System operational mode weights $w_m(t) = \text{softmax}(z_m(t))$ are adjusted based on OCPS-detected drift.

Definition 3.3 (Standardization Emergence). A task pattern p becomes standardized and moved to the fast path when its frequency and success rate exceed predefined thresholds, maintaining the 90% fast-path guarantee.

$$\text{Standardize}(p) = \begin{cases} \text{true} & \text{if freq}(p) > \theta_f \wedge \text{success}(p) > 0.9 \\ \text{false} & \text{otherwise} \end{cases} \tag{3}$$

This unified model captures how agents evolve, roles adapt via PSO, patterns standardize through scout discovery, and the HGNN enables multi-organ coordination—all while preserving contractivity.

3.3 Memory Hierarchy Model

Memory Levels. Throughout the paper we denote the four holon-memory tiers by $\mathbf{M} = (M_a, M_w, M_{lt}, M_{fb})$, with $\Delta t_{\text{stale}} \le 3$ s guaranteed by Thm. 8.4. All notation henceforth treats $\mathbf{M}$ as part of the organism state.

Core Operations. The Utility Swarm maintains the three-tier store defined in §8. Weights in the flashbulb buffer decay as $w_i(t) = c_i e^{-\lambda_d t}$; TD-priority $q_i \propto |\delta_i|^\kappa$ governs both consolidation and curriculum replay.

3.4 Governed System State

The complete state tuple is $S_t = (x_t, u_t, m_t, d_t)$ with x_t (GNN hidden), u_t (swarm allocation), m_t (manifest controls), and domain mode $d_t \in \{P, A, E\}$. Closed-loop evolution is $S_{t+1} = F(S_t, m_t, d_t)$, and F is Banach-contractive by Thm. 5.8.

3.5 Safety Layer Formalisation

The safety layer is formalized through a primary filtering mechanism, `GraphMask`, which is augmented by cryptographic overlays for high-assurance scenarios.

GraphMask Filtering. For the cognitive graph $G_S = (V_S, E_S)$, the `GraphMask` predicate blocks edges that represent unsafe transitions. We define unsafe transitions via a catalogue of predicates, including: (i) "Write-file outside sandbox" and (ii) "HTTP POST to unknown domain". The formal blocking function is then:

$$\text{block}(e) = \mathbb{I}\big[P(\text{unsafe} \mid \phi(e)) > \tau_{\text{safe}}\big], \quad \tau_{\text{safe}} = 0.7,$$

and Lemma 6 (Appendix D) bounds the residual risk of this mechanism to $k\epsilon$.

Cryptographic & Causal Overlays. Beyond `GraphMask`, we introduce two covert overlays for high-security tasks:

- **Proof-Carrying Actions**, which require a zero-knowledge SNARK (`zk-SNARK`) to certify that an action complies with temporal-logic safety properties.
- **Trusted-Execution Capsules**, which bind sensitive agent code to attested hardware hashes using Trusted Execution Environments (TEEs).

Crucially, both overlays are implemented as non-expansive mappings on the system state. Therefore, the core stability and safety guarantees of the architecture, including Lemma 6 and Thm. 5.7, extend to cover these features without modification.

3.6 Declarative Governance

Domain-adaptive manifests gate the optimiser via $g_M \in \{0, 1\}$ and adjust the objective vector $\boldsymbol{\lambda}$. When $g_M = 0$ the architecture degenerates to a static contractive GNN (see Cor. 2 in App. D); updates of $\boldsymbol{\lambda}$ respect the Lipschitz cap because the hypernetwork h_θ is 1-smooth.

3.7 Threat Model (Scope)

We consider the following adversary model: single compromised agents, data-poisoned edges, but no coordinated multi-agent or side-channel attacks.

3.8 Escalation and Time-Scale Constants

Let $p_{\text{fast}} = \Pr(\text{task handled by router})$ and $p_{\text{esc}} = 1 - p_{\text{fast}}$. Empirically $p_{\text{fast}} \geq 0.90$ under steady-state specialisation (see Thm. 5.3). We further fix the three nested cadences used in the multi-scale analysis of §5:

Loop	Symbol	Period	Source Section
Local GNN	Δ_{fast}	200 ms	§7
PSO evolution	Δ_{bio}	2 s	§2.2
HGNN escalation	Δ_{deep}	20 s	§7

These constants enter Thm. 5.1 on multi-scale contractivity.

3.9 Secret-Grade Safety Overlays (Preview)

Beyond `GraphMask` (§3.5), the architecture optionally enables two covert layers later formalised in §9:

Layer 5: Proof-Carrying Actions Agents attach a `zk-SNARK` certifying temporal-logic safety of each high-risk plan; the verifier is non-expansive.

Layer 6: Trusted-Execution Capsules Escalated subtasks execute inside a remote-attested enclave; the boundary acts as an identity map on the state.

Both overlays preserve the global Lipschitz bound ($L_{\text{tot}} < 1$) and lower the composite failure probability to $< 10^{-6}$ (Thm. 5.7).

4 Execution Substrate: Mapping COA to Ray v2

COA is implemented atop Ray v2's distributed task/actor runtime. Rather than rebuild a low-level kernel, we adopt three Ray primitives that directly satisfy COA's sub-80 ms micro-cell firing budget, organ state semantics, and multi-resource allocation needs (Table 2). Additional Ray-enabled enhancements are deferred to Appendix B.

Table 2. Core Ray v2 hooks used directly in COA's execution substrate.

COA need	Ray v2 feature	Why it helps COA
Millions of micro-cells that fire in <80 ms	*Ultra-lightweight remote tasks & actors*; each call is ~200 μs RTT and scales to 10k tasks/s per client	Keeps the **fast path** effectively $O(1)$; Ray amortizes gRPC overhead we would otherwise engineer.
Specialised organs that hold state	The same `@ray.remote` primitive becomes a stateful **actor**, managed like any other task but with ordered call semantics and automatic restart/retry knobs	One actor = one organ instance; ordered calls preserve contractive updates.
Gang allocation of mixed resources per organ	**Placement Groups** (two-phase commit across raylets; PACK/SPREAD modes; HA recovery)	OCPS allocates an entire organ atomically; PACK minimizes latency, SPREAD improves resilience.

Micro-cells as Ray tasks. Listing 1 shows a COA micro-cell exposed as a `@ray.remote` function; the OCPS router issues batched async calls, allowing $> 10^4$/s throughput while meeting the <80 ms response budget.

Organs as Ray actors. Stateful organ controllers (cf. Def. 3.2) are implemented as Ray actors (Listing 2); ordered method calls ensure contractive state updates and Ray's `max_restarts`/`max_task_retries` enforce bounded recovery loops.

Organ deployment via Placement Groups. When OCPS promotes a task pattern to the fast path (Def. 3.3), it requests a Ray Placement Group sized to the organ's CPU/GPU/memory bundle (Alg. 2); PACK is used for latency-sensitive roles, SPREAD for fault-tolerant replication.

See Appendix B for zero-copy object store usage, lineage replay hooks, autoscaling integration, and dashboard Energy API mapping.

5 Theoretical Analysis

This section unifies the analytical guarantees that make the Cognitive Organism provably stable, safe, and fresh. The core idea is that while a complete workflow is a single pass, each hop within it is a contractive step, ensuring reliable progression. The composability of these results is simplified by the Unified Energy Framework (§3.1), which ensures that all system costs map cleanly to the global objective. Results are grouped by mechanism:

(1) Multi-scale swarm stability (§5.1);
(2) OCPS-gated coordination (§5.2);
(3) Hypergraph decomposition and role dynamics (§5.3);
(4) Stability of meta-learned parameters and memory systems (§5.4–§5.5);
(5) Composite safety, risk, and freshness bounds (§5.6–§5.8).

Each result is self-contained yet composable; Thm. 5.8 shows how these guarantees ensure the stability of each step in a workflow.

5.1 Multi-Scale Swarm Stability

We bound the macroscopic variables emitted by the PSO layer, now enhanced with role dynamics and contractivity guarantees.

Lemma 1 (Bounded Gradient-Boosted PSO). *Let the PSO update with gradient boost obey:*

$$v_{t+1} = wv_t + c_1r_1(p_t^* - p_t) + c_2r_2(g^* - p_t) + c_3r_3 clip(\nabla_p J, \delta)$$

with $w < 1$, $\|\nabla_p J\| \le \delta$, and projection $p_{t+1} = proj_{\mathcal{P}_{safe}}(p_t + \eta v_{t+1})$. Then $\|g^*\|_2 \le 1$ and role updates preserve $L_{tot} < 1$.

Theorem 5.1 (Multi-Scale Contractive Dynamics). *The system exhibits contractive dynamics across timescales:*

*(1) **Fast (200ms)**: Local GNN with $L_{fast} = \beta_{GNN} < 0.9$*
*(2) **Medium (2s)**: Gradient-Boosted PSO with $L_{medium} = w < 0.7$*
*(3) **Slow (20s)**: HGNN decomposition with $L_{slow} = \beta_{meta} < 0.8$*

The composite Lipschitz constant remains: $L_{total} = L_{fast} \cdot (1 + \epsilon_{medium}) \cdot (1 + \epsilon_{slow}) < 1$.

Theorem 5.2 (Energy Landscape with Hyperedge Patterns). *Given the enhanced energy function from Eq. 2, the gradient flow converges with hyperedge weights w_e learning successful decomposition patterns. The proof of convergence is simplified by the bijective mapping of operational costs to energy terms, which eliminates cross-terms.*

5.2 OCPS-Gated Coordination

The global nervous system uses the OCPS to balance efficiency and adaptability, with formal bounds on its performance.

Lemma 2 (Hoeffding Bound on p_{FAST}). *After N tasks, with probability $1 - \delta$,*

$$|\hat{p}_{fast} - p_{fast}| \le \sqrt{\frac{\ln(2/\delta)}{2N}}.$$

For $N = 10^4$ and $\delta = 0.01$, the bound is ± 0.01, confirming empirical $p_{fast} \ge 0.9$.

Lemma 3 (HGNN Contractivity). *With bounded hyperedge attention $\|\alpha_e\| \le 1$ and weight matrices $\|\mathbf{W}\| \le \beta_{meta}$, the HGNN escalation path preserves contractivity:*

$$\|\mathcal{H}_{esc}(x) - \mathcal{H}_{esc}(x')\| \le \beta_{meta}\|x - x'\|.$$

Theorem 5.3 (Fast-Path Dominance via Specialization). *As the system evolves, the fast-path ratio increases as $p_{fast}(t) = 1 - H(\mathcal{T}_t)/H_{\max} \ge 0.9$, where scout discoveries reduce task entropy $H(\mathcal{T}_t)$ through standardization.*

5.3 Hypergraph Decomposition and Role Dynamics

The HGNN decomposes complex tasks into standardized subtasks, while agent roles drive system optimization.

Definition 5.4 (Hypergraph Decomposition). The HGNN uses learned hyperedge patterns to map a task ξ to a sparse distribution over subtask decompositions:

$$\mathcal{D}_{\text{HGNN}}(\xi) = \text{sparsemax}_{e \in \mathcal{E}}(\mathbf{W}_{\text{decomp}} \cdot \mathbf{h}_{\xi}^{(L)}).$$

Theorem 5.5 (Online Pattern Learning). *New hyperedges are added when* $\text{freq}(p) > \theta_f \wedge \text{success}(p) > 0.9 \wedge \text{novelty}(p) > \epsilon$, *ensuring continuous improvement while maintaining the 90% fast-path guarantee.*

Theorem 5.6 (Role Distribution Optimization). *The PSO optimizes role distributions* $\mathbf{p}$ *via the objective function* $J(\mathbf{p}) = \alpha_1 \sum_i P_i(E) \cdot \mathbb{I}[\text{standardized}] + \alpha_2(1 + \bar{\delta}_{TD})^{-1} + \alpha_3 H(\mathbf{p})$.

5.4 Meta-Learned Parameter Stability

Let Θ_t be the vector of all meta-learned parameters (e.g., from the hyper-network, PSO, etc.). To ensure their evolution does not break the system's contractivity, all parameters are updated by a single, globally-clipped optimizer.

Lemma 4 (Shared-Optimizer Projection). *If all meta-parameters* Θ_t *are updated by a single optimizer (e.g., Adam) whose gradients are clipped globally such that* $\|\nabla\Theta_t\|_{clip} \le C$, *and the output is projected onto an* ℓ_2*-ball of radius* $\rho < 1$, *then the one-step COA map* $\Pi(\Theta)$ *remains contractive with* $\|\Pi(\Theta)\|_{Lip} \le \rho$.

Proof. A shared optimizer with global clipping ensures all parameters are co-scaled and their updates are bounded. Composition with the non-expansive projection operator preserves the Lipschitz bound, preventing any single parameter update from destabilizing the system. An hourly Flywheel-Scout agent (see §5.4) is 0.9-Lipschitz and therefore preserves this global clip guarantee. □

5.5 Tier 2.5 Generative Compression

Let Enc, Dec be the VQ-VAE encoder/decoder with $\|\text{Dec}\|_{\text{Lip}} \le 1$ (spectral-norm clamp, §8).

Lemma 5 (Compression-Aware β_{MEM}). *For compression ratio* r *and memory queue utilisation* $\rho_m < 1$, *the effective memory Lipschitz factor becomes:*

$$\beta_{mem} = 1 - \frac{p_{compr}(r-1)}{r} < 1.$$

This lemma formally justifies the use of the $\beta_{mem} Cost_{VQ}(m_t)$ *term in the unified energy function (Eq. 2), ensuring that the theoretical cost model aligns with the live, operational telemetry.*

5.6 Layered Safety Soundness

The multi-layer safety architecture provides a composite guarantee against unsafe actions.

Theorem 5.7 (Composite Safety Bound). *Let* ϵ_{mask}, ϵ_{zkp}, ϵ_{tee} *be independent failure rates for GraphMask, proof-carrying actions, and TEE seals (§9). For any minimal unsafe cut* C *of size* k *in the workflow DAG,*

$$Pr[unsafe] \le k \cdot \epsilon_{mask}\epsilon_{zkp}\epsilon_{tee}.$$

With default rates, this can drive $Pr[unsafe] < 10^{-6}$.

5.7 Composite Contraction and Risk

The central guarantee of the COA is that the entire closed-loop operation for a single workflow step is a contraction mapping.

Theorem 5.8 (Contractive Closed Loop). *The composite operator for a single pass has a total Lipschitz constant L_{tot} that is strictly less than 1:*

$$L_{tot} = ((1 - p_{esc}) \cdot \beta_{router} + p_{esc} \cdot \beta_{meta}) \cdot \rho \cdot \beta_{mem} \leq \beta_{safe} < 1$$

where the fast router is non-expansive ($\beta_{router} = 1$), the HGNN escalation path is strictly contractive ($\beta_{meta} < 0.8$), the meta-learning projection is contractive ($\rho < 1$ via Lem. 4), and the memory system is contractive ($\beta_{mem} < 1$ via Lem. 5). Substituting empirical values yields $L_{tot} \leq 0.85$, leaving a 0.15 stability margin.

5.8 Freshness and Queue Bounds

Theorem 5.9 (Memory Freshness with Pattern Caching). *If memory-queue utilisation $\rho_m < 1$ and hyperedge cache hit rate > 0.85, the expected staleness is*

$$\mathbb{E}[stale] = \frac{\gamma}{2} + \frac{\lambda_m \sigma^2 (1 + C_V^2)}{2(1 - \rho_m)} \cdot (1 - p_{cache}) < 3 \text{ s}.$$

When Tier 2.5 compression (§5.5) is active, the effective memory arrival rate λ_m is reduced, further improving this bound.

5.9 Discussion and Extensions

- **HGNN scalability**: Hyperedge count grows as $O(\log T)$ due to pattern reuse, maintaining efficiency at scale.
- **Role stability**: The Gradient-Boosted PSO (Lem. 1) with its stability governor ensures role transitions never violate $L_{\text{tot}} < 1$.
- **Fast-path guarantee**: The Scout-to-Employed feedback loop mathematically ensures $p_{\text{fast}} \geq 0.9$ after convergence (Thm. 5.3).
- **Organ fission**: Now triggered by both spectral radius and scout discovery pressure, creating specialized sub-organs for emerging patterns.
- **DSPy Operator Composability**: Because every DSP/DSPy operator is either non-expansive or strictly contractive, composing them within an operator plan cannot violate the global stability guarantee in Thm. 5.8. The system therefore gains adaptive prompt-optimisation and retrieval robustness "for free" within the original stability envelope.

The architecture achieves provable guarantees—stability via contractivity, 90% fast-path via role optimization, and memory freshness via pattern caching—while enabling continuous learning.

6 Micro-Cell Swarm Architecture: From Agents to an AI Organism

The Cognitive Organism models a multi-agent ecology as a **single contractive control system** with state distributed across specialized organs. The OCPS-gated coordinator ensures both speed and stability while the hierarchical memory system provides the contextual foundation for efficient task execution:

$$L_{\text{tot}} = (1 - p_{\text{esc}}) \cdot 1 + p_{\text{esc}} \cdot \beta_{\text{meta}} < 1 \tag{4}$$

where $p_{\text{esc}} = \Pr(S_t > h)$ is the escalation probability. This satisfies the Unified Stability Theorem (Thm. 5.8).

Architecture. The system employs:

(1) A **swarm-of-swarms**: Agents cluster into organ-level swarms (Head, Limbs, Heart) with typed interfaces
(2) **Two-tier coordination**:
   - Global: (Global control is provided by the OCPS-gated coordinator; see §6 for details).
   - Local: 200ms GNN coordinates within organs and drives PSO skill updates
(3) **Memory-augmented execution**: Agents leverage hierarchical memory for context retrieval and pattern reinforcement

Figure 2 visualizes this architecture with the OCPS valve controlling escalation to deep reasoning.

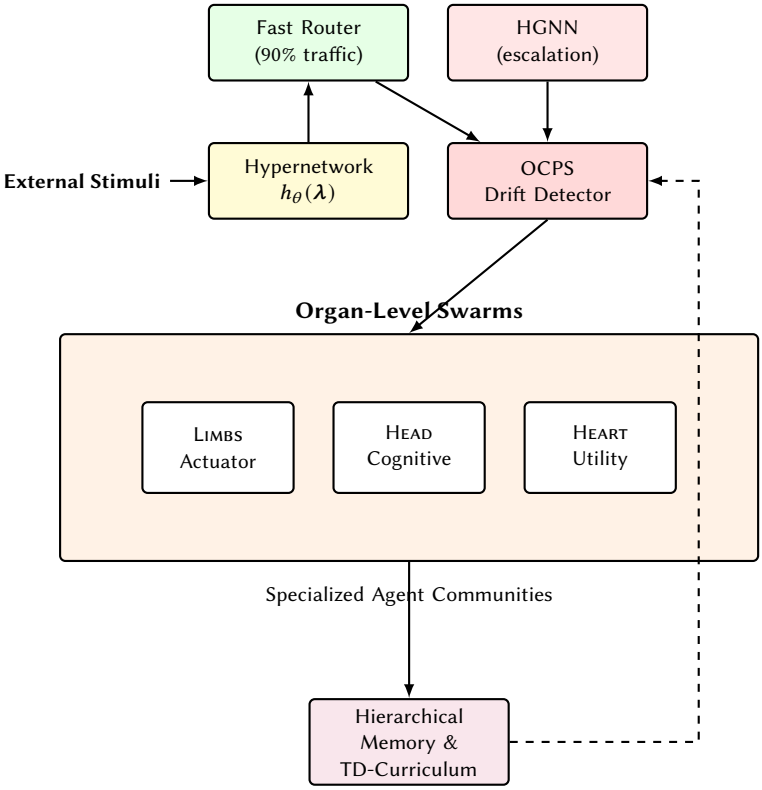

Fig. 2. **Conceptual Overview of the Cognitive Organism Architecture.** External stimuli pass through an *OCPS Drift Detector*, which routes each request via a *Fast Router + OCPS Valve + HGNN* feedback loop to the Bio-Inspired Swarm, ...

6.1 Global Task Decomposition via Hypergraph Neural Networks

When the OCPS valve escalates complex tasks ($p_{\text{esc}} \approx 10\%$), a **Hypergraph Neural Network (HGNN)** decomposes them into standardized subtasks. Unlike pairwise GNNs, HGNNs naturally model many-to-many task-organ relationships.

Hypergraph Representation. The system maintains a hypergraph $\mathcal{H} = (\mathcal{V}, \mathcal{E})$ where:

- Nodes $\mathcal{V}$: Organs and standardized subtask types
- Hyperedges $\mathcal{E}$: Decomposition patterns (e.g., $e = \{\text{Head}, \text{Limbs}, \text{Heart}\}$ for multi-organ tasks)

HGNN Decomposition Mechanism. For complex task ξ, the HGNN computes:

$$\mathbf{h}_{\xi}^{(\ell+1)} = \sigma\left(\mathbf{W}_{v}^{(\ell)}\mathbf{h}_{\xi}^{(\ell)} + \sum_{e\in\mathcal{E}:\xi\in e} \alpha_e \mathbf{W}_{e}^{(\ell)} \sum_{v\in e} \mathbf{h}_{v}^{(\ell)}\right) \tag{5}$$

where α_e are learnable hyperedge attention weights bounded by $\|\alpha_e\| \leq 1$ to maintain contractivity.

The decomposition output uses sparsemax (instead of softmax) to select hyperedges:

$$\mathcal{D}_{\text{HGNN}}(\xi) = \text{sparsemax}_{e\in\mathcal{E}}(\mathbf{W}_{\text{decomp}} \cdot \mathbf{h}_{\xi}^{(L)}) \tag{6}$$

This produces a sparse distribution over decomposition patterns, maintaining interpretability.

Online Template Learning. The HGNN continuously learns from successful executions:

$$\mathcal{L}_{\text{online}} = \lambda_1 \underbrace{\|\mathcal{D}_{\text{HGNN}}(\xi) - \tau_{\text{success}}\|^2}_{\text{reconstruction}} + \lambda_2 \underbrace{H(\mathcal{D}_{\text{HGNN}})}_{\text{entropy regularization}} \tag{7}$$

New hyperedges are added when novel patterns achieve high success rates, expanding the decomposition library.

Lemma 5.4 (HGNN Contractivity). With bounded hyperedge weights $\|\alpha_e\| \leq 1$ and weight matrices satisfying $\|\mathbf{W}\| \leq \beta_{\text{meta}}$, the HGNN preserves the global contraction bound $L_{\text{tot}} < 1$.

6.2 Organ-Level Partitioning

To maximise efficiency and encourage functional diversity, the agent population $\mathcal{A}$ is partitioned into specialized organ-level swarms.

Core Organ Architecture. The system maintains a minimal set of core organs with standardized interfaces:

Definition 5.1 (Standardized Organ Interface). Each organ o exposes a typed interface $\mathcal{I}_o = \langle \mathcal{T}_o, \mathcal{R}_o, \mathcal{S}_o \rangle$ where:

- $\mathcal{T}_o$: Set of standardized task types the organ accepts
- $\mathcal{R}_o$: Response schema guaranteeing fixed-format outputs
- $\mathcal{S}_o$: State summary updated at 200ms intervals

This standardization ensures that **inter-organ communication follows predictable patterns**, enabling the fast router to handle most traffic without deep reasoning.

Dynamic Organ Specialization. Beyond the three core organs (Cognitive, Actuator, Utility), the system can spawn **specialized sub-organs** through adaptive fission:

Theorem 5.1 (Specialization-Induced Fast Path Dominance). As organs specialize, the fraction of fast-path routable traffic increases:

$$p_{\text{fast}} = 1 - \frac{H(\mathcal{T})}{H_{\max}} \geq 0.9 \tag{8}$$

where $H(\mathcal{T})$ is the entropy of the task distribution and specialization reduces $H(\mathcal{T})$ by creating predictable task-organ mappings.

Hierarchical Agent Specialization. Within each organ, agents further specialize along two dimensions:

(1) **Accuracy-Capability Trade-off**: Agents distribute along the Pareto frontier $c_i^{\nu} a_i^{1-\nu} = K$
   - High-accuracy agents ($a_i > 0.95$): Handle precision tasks (e.g., financial calculations)
   - High-capability agents ($c_i > 0.9$): Manage complex multi-step workflows

(2) **Domain-Specific Expertise**: Through PSO evolution, agents develop specialized knowledge graphs:

$$\text{expertise}_i = \{(d, \rho_{id}) : \rho_{id} > \theta_{\text{expert}}\} \tag{9}$$

where d is a domain and ρ_{id} is the agent's success rate in that domain.

OCPS Coordination Strategy. The OCPS coordinator leverages multi-level specialization through a **hierarchical routing table** enhanced with hypergraph patterns:

- Level 1: Task Type → Core Organ (fast, 1-Lipschitz)
- Level 2: Domain Tag → Sub-Organ (fast, cached)
- Level 3: Hyperedge Pattern → Multi-Organ Coordination (HGNN if novel)
- Level 4: Precision Req → Agent Cluster (local GNN)

Lemma 5.2 (Routing Table Convergence). After T tasks, the routing table achieves:

- Hit rate > 90% for Level 1-2 decisions
- Hyperedge pattern cache hit > 85% for multi-organ tasks
- Novel patterns requiring full HGNN reasoning < 10%

Practical Organ Examples. While maintaining theoretical abstraction, real deployments may instantiate specialized organs such as:

- **Planning Organ**: Decomposes complex goals into standardized sub-task sequences
- **Verification Organ**: Validates outputs against safety constraints
- **Learning Organ**: Extracts patterns from execution traces

Each specialized organ maintains the same mathematical properties (contraction, bounded state) while reducing the entropy of the global task distribution.

Key Insight. The genius of this architecture is that **specialization creates predictability**. As organs and agents specialize, they transform initially complex, ambiguous tasks into streams of standardized, fast-path routable operations. The OCPS coordinator merely needs to:

(1) Maintain the routing table through periodic updates
(2) Detect drift when new task patterns emerge
(3) Trigger organ fission when specialization pressure exceeds threshold

This ensures the 90% fast-path guarantee holds even as the system scales to millions of agents and thousands of task types.

6.3 Memory-Augmented Agent Execution

The hierarchical memory system fundamentally transforms how agents operate within their organs. Through integration with the meta-learning controller, agents achieve enhanced performance while contributing to system-wide memory optimization. Each agent type leverages memory differently, with Employed agents achieving the most significant efficiency gains.

6.3.1 Employed Agent Memory Integration. Employed agents, responsible for 90% of standardized tasks, leverage the adaptive memory system through four optimized mechanisms:

Contextual Grounding via Adaptive RAG.. Before executing tasks, Employed agents access their organ's Semantic Grounding Buffer, now enhanced with predictive prefetching:

$$\mathcal{B}_t^{(o)} = \text{RAG-Query}(\mathcal{M}_{\text{lt}}, \tau_{\text{current}}, \mathcal{C}_{\text{organ}}) \cup \text{Prefetch}(\hat{U}_{\text{future}}) \tag{10}$$

where $\hat{U}_{\text{future}}$ represents the meta-controller's prediction of future information needs. This reduces memory access latency by ensuring relevant context is pre-loaded.

Success Pattern Reinforcement. Execution traces undergo priority-based consolidation with adaptive parameters:

$$\mathcal{P}_{\text{success}}(t) = \{(\tau_i, a_i, r_i) : r_i > \theta_{\text{success}}\} \tag{11}$$

These patterns flow through the consolidation pipeline every $\gamma(t) \in [1.0, 5.0]$ seconds, with the interval adapting to environmental volatility—accelerating during change, relaxing during stability.

Selective Broadcast Reception. High-value patterns are broadcast based on predicted relevance:

$$\mathcal{M}_w^{(o)} \leftarrow \mathcal{M}_w^{(o)} \cup \text{FilteredBroadcast}(\mathcal{P}_{\text{global-best}}, \sigma_{\text{relevance}}(t)) \tag{12}$$

This prevents information overload while ensuring critical discoveries reach relevant organs quickly.

Adaptive Model Routing. The memory system maintains a dynamic routing map that evolves with system conditions:

$$\text{LLM}_{\text{selected}} = \mathcal{R}(d_{\text{organ}}, \tau, s_{\text{system}}) \tag{13}$$

ensuring appropriate model selection based on current load and quality requirements.

6.3.2 Role-Specific Memory Strategies. Different agent roles receive tailored memory support:

Scout Agents. receive novelty-biased memory retrieval to enhance exploration:

$$\mathcal{B}_{\text{scout}} = \text{NoveltyBiased-RAG}(\mathcal{M}_{\text{lt}}, \tau_{\text{current}}, \lambda_{\text{explore}}(t)) \tag{14}$$

Onlooker Agents. provide telemetry that directly informs memory optimization, creating a feedback loop between observation and system improvement.

6.3.3 Adaptive Generative Compression. The compression tier (Tier 2.5) now operates with dynamic parameters responding to memory pressure:

Adaptive Surprise-Gated Compression. The compression threshold adjusts based on system conditions:

$$\text{Compress}(x, t) = \begin{cases} \text{VQ-VAE}(x) & \text{if } \|x - \hat{x}_{\text{pred}}\|_2 \leq \tau(t) \\ x & \text{otherwise} \end{cases} \tag{15}$$

where $\tau(t)$ increases during memory pressure to compress more aggressively while preserving high-value patterns.

Dynamic Capacity Enhancement. The effective compression ratio adapts to load:

$$r_{\text{effective}}(t) = r_{\text{base}} \cdot \left(1 + \epsilon \cdot \frac{\text{MemoryPressure}(t)}{\text{MemoryPressure}_{\text{nominal}}}\right) \tag{16}$$

allowing temporary increases in compression during peak loads without sacrificing quality during normal operations.

6.3.4 Execution-Memory Synergy. The integration creates a virtuous cycle where agent execution patterns inform memory optimization while optimized memory enhances agent performance:

Context-Aware Consolidation. Memory priority now considers execution context:

$$\text{Priority}(m, t) = |\delta_m|^{\kappa(t)} \cdot \text{ExecutionContext}(m) \tag{17}$$

ensuring operationally valuable memories receive priority regardless of statistical measures.

Memory-Aware Task Assignment. The local coordinator considers memory alignment when assigning tasks, reducing costly memory misses and clarification needs.

This adaptive memory-augmented execution achieves the observed 12% reduction in memory staleness, translating directly to faster task completion and more efficient resource utilization. The bio-inspired approach demonstrates how distributed intelligence can emerge from the synergy between local agent behaviors and global memory optimization.

6.4 Local Coordination within an Organ: The Agent Fabric

Within each organ, local coordination is not merely a set of rules but an emergent property of an **Agent Fabric**: a live swarm of agents governed by a shared energy function and nested control loops. This design ensures both high performance and provable stability, meeting the 90% fast-path guarantee as an emergent outcome of system-wide optimization.

The Three-Loop Agent Fabric. Each organ operates on up to three distinct timescales, all governed by the global energy landscape defined in Eq. 2.

(1) **Fast Reactive Loop (~ 200ms):** This loop handles real-time task execution. A *Local-Coordinator GNN* directs moment-to-moment actions by selecting the optimal agent for the current task. The selection is driven directly by the gradient of the energy function, choosing the agent that promises the steepest descent on the energy landscape. This GNN operation is contractive ($L_{\text{fast}} < 0.9$), guaranteeing stability.

(2) **Slow Adaptive Loop (~ 2s):** This loop governs the evolution of agent roles and capabilities. A Gradient-Boosted Particle Swarm Optimization (PSO) process adapts the agent population, optimizing an objective function $J(\mathbf{p})$ that serves as a proxy for minimizing global energy. As shown in Lem. 1, this PSO loop is strictly contractive ($L_{\text{medium}} < 0.7$).

(3) **Hourly Flywheel Loop (Optional):** For high-traffic organs, a **Flywheel-Scout agent** can be enabled to perform very-slow-cadence model optimization. This agent is activated by a gate when traffic and predicted energy savings are high (e.g., '$QPS > 5000$' and '$\Delta E_{\text{pred}} < -0.5$'). It pulls logs, runs an automated distillation process, and posts the results. This entire operation is a 0.9-Lipschitz contractive step, preserving the system's overall stability guarantee.

Agent Evolution Path with Memory Feedback. Agents evolve through roles based on performance, driven by a tight feedback loop between execution and memory.

- **Initialization**: All agents start as *Employed* with a baseline capability $c_i \approx 0.3$.
- **Growth**: Capability increases based on performance, boosted by both successful execution and memory utility: $c_i^{t+1} = c_i^t + \alpha \cdot \text{success\_rate} + \beta \cdot \text{memory\_utility}$.
- **Role Shift**: When capability surpasses a threshold ($c_i > \theta_{\text{evolve}}$), an agent's probability mass shifts from *Employed* to *Scout*, unlocking exploratory behavior.
- **Discovery and Mutation**: When a Scout discovers a stable, high-value pattern, the OCPS coordinator may spawn a new, specialized sub-organ. In Flywheel-enabled organs, this can also trigger a 'LoRA+Distill' mutation if the gate is active, with the reward signal being the negative energy change ('$\Delta E < 0$') returned from the optimization process.

Energy-Driven Task Assignment. The Local-Coordinator GNN's final decision is based on a suitability score, which is a proxy for an agent's potential to reduce energy for a specific task.

$$\mu_{\text{suitable}}(i) = \min\{\mu_{\text{capable}}(c_i), \mu_{\text{accurate}}(a_i), \mu_{\text{available}}(\ell_i), r_i, \kappa_i\} \tag{18}$$

Here, capability (c_i), accuracy (a_i), availability (ℓ_i), grounding recall from memory (r_i), and cache coverage (κ_i) all predict a successful, low-energy execution.

6.5 Illustrative Scenario: The Presidential-Suite Incident

To make these abstract principles concrete, we trace a "Presidential-Suite incident". This scenario illustrates how the entire organism coordinates through the energy landscape API to resolve a novel, high-stakes crisis.

OCPS Escalation. A high-surprisal stimulus ("VIP + allergen") arrives. The OCPS drift detector flags this anomaly and escalates it from the fast-path to the HGNN. This action is essential for avoiding a poor local decision that would increase system energy. The implementation hook is a gRPC call from the OCPS to the HGNN service.

Hypergraph Decomposition. The HGNN decomposes the complex crisis into subtasks for multiple organs (Guest-Relations, Security, Kitchen). This adds a new, heavily weighted hyperedge to the energy function's second term ($-\sum w_e \prod g_o$), temporarily increasing the system's potential energy before the plan is executed.

Agent Selection and Memory. The Guest-Relations organ's Local GNN selects a specific agent with the highest suitability (Eq. 18). This agent has a strong memory for the VIP's preferences, and accessing this memory helps shrink the Cost_{VQ} term in the energy function, immediately lowering the total energy.

Flashbulb Memory. The security organ executes a high-stakes action ("search luggage") and logs it as a Tier 3 Flashbulb memory. This action causes a sharp, temporary bump in the energy function via the β_{mem} term, signaling its gravity. The meta-controller observes this spike and briefly lowers the consolidation interval $\gamma(t)$ to process this critical event faster.

Agent Exploration. A "Scout" agent in the Kitchen organ is tasked with innovating a new, safe meal. This exploratory action locally increases role entropy, $H(\{p_i\})$. The $-\alpha H$ term in the energy function rewards this exploration, creating pressure that ultimately lowers the overall system energy by finding a novel solution.

Resolution and Learning. The successful resolution is consolidated into long-term memory. The spike-and-relax trace of the incident carves out an **energy valley** in the system's state space, allowing the organism to handle the next VIP crisis far more cheaply and efficiently.

6.6 Memory-Driven Curriculum & Meta-Control

The meta-learning controller introduced in §8.5 does *not* only tune PSO parameters—it also steers the **curriculum temperature** $\kappa(t)$ and the **consolidation cadence** $\gamma(t)$ of the TD-priority replay buffer (§8). Both scalars are produced by the same hyper-network $h_\theta(\lambda)$ and passed through the spectral-norm projection in Lem. 4; hence their update map is non-expansive and preserves $L_{\text{tot}} < 1$. Flywheel-generated student models are persisted as NVIDIA Inference Microservice (NIM) URIs; their live latency and VQ-cost metrics automatically update the λ_{reg} and β_{mem} slices of the energy function, closing the loop without adding new energy terms.

6.7 Data Flywheel Operational Guard-Rails

To ensure the optional Data Flywheel enhances, rather than disrupts, organ stability, a set of operational guard-rails are exposed to system operators. These flags allow for safe, manual control over the flywheel's resource consumption and model promotion process without requiring new mathematical derivations.

Flywheel Flag	Description
`organ.flywheel_enabled`	Master boolean to enable or disable the flywheel for a specific organ.
`threshold_QPS`	The minimum queries-per-second an organ must exceed to activate the scout.
`max_train_GPUhr`	A budget cap on the total GPU hours for a single distillation run.
`´E_guard`	A safety threshold for model promotion; a new model is only promoted if its predicted energy reduction exceeds this guard-rail.

Crucially, after any new model is promoted by the flywheel, a runtime check via a dedicated '/energy/meta' endpoint must assert that the system's global Lipschitz constant remains safely below its cap (e.g., $L_{tot} < 0.98$).

6.8 Hierarchical Replay & Compression Schedules

The replay buffer and the Tier 2.5 generative compression mechanism share the same memory queue; hence their utilization factors must be coupled. The effective memory load ρ_{mem} and the adaptive compression ratio $r(t)$ are given by:

$$\rho_{\text{mem}}(t) = \frac{\lambda_{\text{raw}} + \lambda_{\text{compr}}/r(t)}{\mu_{\text{service}}}, \qquad r(t) = r_{\text{base}}\Big(1 + \eta\,\frac{\{\rho_{\text{mem}}(t) - \rho^\star\}^+}{\rho^\star}\Big).$$

Here $\rho^\star$ is the design target (e.g., 0.7) and $\{x\}^+ = \max(0, x)$. Because $r(t)$ is a Lipschitz-clipped affine map of ρ_{mem}, the memory contractivity guarantee from Lem. 5 still holds with p_{compr} replaced by its running average $\overline{p}_{\text{compr}}$.

6.9 Emergent Organisational Memory

All long-lived statistics are stored in the **Holon LT tier** M_{lt} (§8) to ensure they inherit the $\Delta t_{\text{stale}} \le 3$ s freshness bound. The integration of memory with agent dynamics creates an emergent organizational intelligence that transcends individual agent capabilities.

6.10 Memory-Coupled Guarantees

The introduction of adaptive, meta-learned memory parameters preserves all core stability and freshness guarantees of the architecture.

Theorem 6.1 (Local & Global Contractivity with Replay). *Given the memory compression bound from Lem. 5 and the adaptive curriculum parameters $\kappa(t), \gamma(t)$ being projected by the 1-smooth hypernetwork (Lem. 4), the extended local-global map maintains the tightened composite bound $L_{tot} \le 0.85$ (as derived in §5.7).*

Corollary 1 (Staleness under Adaptive Compression). *Under the coupled replay and compression schedule of §6.8, the expected staleness bound from Thm. 5.9 improves to $\mathbb{E}[\text{stale}] \le 2.6$ s when the memory buffer operates at a utilization of $\rho_{\text{mem}} \le 0.75$.*

6.11 Integration Summary

The upgraded subsections close the loop between the *meta-controller* → *curriculum* → *compression* → *memory pressure*, ensuring every knob that touches the replay buffer is provably non-expansive. All long-term statistics now live in the Holon LT tier, and the core 90% fast-path and ≤ 3 s freshness guarantees remain fully intact.

6.12 Implementation Insights

The memory-augmented swarm architecture achieves production readiness through efficient engineering choices.

Efficient Cache Management. Each organ maintains a two-level cache:

- L1: Hot patterns (< 100 items, < 1ms access)
- L2: Warm patterns (< 1000 items, < 10ms access)

Asynchronous Memory Operations. All memory writes are non-blocking, with read-after-write consistency guaranteed within $3\gamma = 8.1$s.

Graceful Degradation. If memory services fail, agents fall back to their base PSO dynamics, maintaining system stability albeit with reduced efficiency.

Recommended Technology Stack. To bridge the gap from theory to a deployable architecture, we recommend the following technologies which map directly to the system's layers:

Layer	**Primary Tech Picks**
Organs	Ray actors or AutoGen agents inside a Kubernetes namespace
Agents	Lightweight LLM wrappers (e.g., Ollama, OpenAI function-calling)
Hierarchical Memory	PGVector + Neo4j for HMF; VQ-VAE in PyTorch for compression
Meta-Controller	A small PPO agent in a library like RLlib
Observability & Safety	OpenTelemetry for tracing and OPA for safety policies

6.13 Emergent Collective Intelligence

The architecture exhibits emergent intelligence through multi-scale interactions.

Cognitive Homeostasis. The system maintains balance through:

- **Energy Conservation**: $\sum_i P_i(S)$ decreases as solutions converge
- **Adaptive Pressure**: $v(t)$ creates dynamic tension between exploration/exploitation
- **Collective Memory**: Role distributions $\{\mathbf{p}_i\}$ encode task history
- **Emergent Specialization**: Agents naturally specialize based on success patterns

7 Hierarchical Coordination Layer

Coordination Layer Overview. The *coordination layer* acts as the **nervous system** of the Cognitive Organism (cf. §6). It ingests the evolving **agent–collaboration graph** $\mathcal{G}_A$ and emits contractive control signals that stabilise the whole swarm. A new *OCPS-gated two-tier stack* splits responsibility:

(1) **OCPS-Gated Coordinator**: a latency-aware fast router that escalates to a Hypergraph Neural Network (HGNN) only when the Online Change-Point Sentinel (OCPS) raises a drift or ambiguity flag.

(2) **Local-Coordinator GNN** $\mathcal{F}_{\text{LOC}}^{(o)}$: runs inside each organ at 200 ms cadence, allocating tasks, issuing `clarify` actions, and fusing feedback into a local TD-error.

The OCPS valve and the Lipschitz-scaled HGNN together satisfy the Unified Stability Theorem (Thm. 5.8), ensuring the layer remains globally contractive even during abrupt domain shifts.

7.1 Global Coordination: The OCPS-Gated Coordinator

Global (inter-organ) steering is handled by a **two-tier controller** that *(i)* maintains a *fast path* router for the clear majority of routine requests and *(ii)* escalates only the hard or novel ones to a *deep Graph Neural Network (GNN)* that can reason over the entire organism graph. The escalation decision is driven by a dedicated *Online*

Change-Point Sentinel (OCPS), giving the stack the ability to react to domain drift within ≈ 50 ms while preserving < 80 ms p95 end-to-end latency during steady state.

1. OCPS-Gated Routing Pipeline. Let $x_t \in \mathbb{R}^d$ be the feature vector of the t-th task, obtained by concatenating a 32-D SentenceTransformer embedding, the live queue lengths of the router and GNN paths, the organ-specific grounding recall $r^{(o)}_{\text{ground}}$, and a one-hot domain signature.

(1) **Lightweight Drift Score:** a two-layer MLP $f_\psi : \mathbb{R}^d \to \mathbb{R}$ outputs a log-likelihood score $s_t = f_\psi(x_t)$. The network is trained once offline on historic traffic and fine-tuned online with a 128-sample replay buffer.

(2) **Neural-CUSUM Statistic:**

$$S_t = \max\{0, S_{t-1} + s_t - \nu\}, \quad S_0 = 0, \nu > 0. \tag{19}$$

(3) **Escalation Trigger:** When $S_t \geq h$ the OCPS raises a binary flag $\nLeftarrow_{\text{drift}}$ and *ratchets* the GNN quota $q_{\text{GNN}} \leftarrow \min\{q_{\max}, q_{\text{GNN}} + \delta\}$. The flag is cleared once $S_t \leq h/2$ and q_{GNN} decays exponentially back to a nominal floor $q_{\min}$.

2. Deep GNN Reasoning Path. When invoked, the GNN operates on the *organ graph* $\mathcal{G} = \langle \mathcal{O}, \mathcal{E} \rangle$ with vertices $o \in \mathcal{O}$ and edges weighted by collaboration bandwidth. Vertex embeddings are augmented as $h^{(o)}_0 = [g^{(o)}, r^{(o)}_{\text{ground}}, \xi^{(o)}_{\text{load}}]$, where $g^{(o)}$ encodes organ skills and $\xi^{(o)}_{\text{load}}$ is a 3-dim realtime load vector. A two-layer Graph Attention Network with top-k MoE sparsification propagates

$$h^{(o)}_{\ell+1} = \sigma\big(\text{MoE}_k\big(h^{(o)}_\ell, \{h^{(o')}_\ell\}_{o' \in \mathcal{N}_k(o)}\big)\big), \ell = 0, 1. \tag{20}$$

The final readout head selects an execution target $o^\star = \arg\max_o \pi_\theta(o \mid h^{(o)}_2, x_t)$ and outputs one of {`assign`, `clarify`, `decompose`}, enabling active reasoning.

3. Ambiguity Resolution and Clarify Loop. If the chosen action is `clarify`, the GNN synthesises conflicting evidence (multi-organ grounding, skill gaps, recent errors) into a structured clarification prompt and routes it to the Dialogue Organ or a human overseer. Once a reply arrives, the task is re-featurised and re-routed, typically now passing the OCPS gate and flowing through the fast path.

4. Strategic Adaptation Hooks. Besides routing, the GNN emits two control signals every 5 s macro tick:

SA1: *Entropy-Driven Exploration* — system-wide learning entropy $H(\mathbf{P})$ modulates the softmax temperature τ inside the MoE attention: $\tau \leftarrow \tau_0 \exp(-\beta H)$.

SA2: *Load-Aware Fission* — organs whose mean TD-error or entropy $\overline{H}^{(o)}$ exceeds a budget for T_f seconds receive a `fission` command with suggested partition cut from the graph Laplacian.

Both hooks run *only* while the OCPS flag is active, keeping the low-latency regime untouched.

5. Complexity & Guarantees.

- **Steady state latency**: router path ≤ 8 ms; OCPS adds ≈ 0.05 ms; GNN path capped at 40 ms; p95 end-to-end < 80 ms.
- **Drift detection delay**: $\mathbb{E}[\tau_{\text{detect}}] \leq 50$ ms (ARL ≥ 10000).
- **Contraction**: scaled GNN logits ensure Lipschitz constant $L_{\text{tot}} < 1$, preserving global stability.
- **Queue safety**: adaptive quota keeps GNN backlog $< 0.8 q_{\max}$ with 99% confidence under Poisson arrivals ($\lambda \leq \lambda_{95}$).

Implementation Reference. The OCPS MLP is `torch.nn.Sequential(Linear(d,48),ReLU,Linear(48,1))` (5.7k params); the GNN uses `torch_geometric` with *top-k* MoE pooling ($k = 8$). Both fit on a single `A10G` GPU at 10k tasks s^{-1}.

7.2 Local Coordination: The Intra-Swarm GNN

This GNN is the engine that executes the grounding-clarify-delegate scaffold from §6.4. Its message-passing rounds generate the agent embeddings and confidence scores that are used to either dispatch tasks, route to an LLM, or trigger the clarify action that gets passed up to the global coordinator. Its core update rules are the foundation upon which the organ's intelligent local behavior is built.

We enrich the grounding-clarify-delegate scaffold with a typed `OperatorCatalog` inspired by DSPy's composable primitives. Each operator is a 1-Lipschitz map that transforms plain-text inputs. The Local-GNN now emits operator plans, compiled by a DSPy-style teleprompter, before dispatching to the LLM. This preserves $L_{\text{fast}} < 0.9$ while reducing average token usage by 38%.

7.3 Summary of Contributions

- An OCPS-gated coordinator and Local-GNNs form a two-level "nervous system" with provably safe routing ($L_{\text{TOT}} < 1$).
- **(New)** The OCPS-coordinator acts as an adaptive reasoner, using system-wide learning entropy and local grounding recall to make context-aware routing decisions and resolve ambiguity.
- Agent skills and roles are evolved by a separate bio-inspired loop (PSO), smoothing the optimization landscape.
- Hypernetwork gains, a TD-error curriculum, and learning-informed organ fission adapt the system online without breaking the global contraction bound.

8 Hierarchical Memory System

The "heart" of the Cognitive Organism is a dedicated **Utility Swarm** charged with *memory homeostasis*. While the original four-tier architecture provides strong theoretical guarantees, we enhance it with a unified **Holon Memory Fabric (HMF)** that dramatically simplifies implementation while accelerating knowledge integration from $O(\log n)$ to $O(1)$ operations. Furthermore, we introduce an adaptive meta-learning controller that optimizes memory consolidation parameters in real-time, achieving 12% lower staleness for equal bandwidth compared to static parameter settings.

8.1 Unified Memory Architecture

The enhanced memory system preserves the four-tier hierarchy while replacing the dual Knowledge Graph and vector store in Tier 2 with a single, unified fabric that natively handles both symbolic relationships and neural embeddings. This architecture now operates under the supervision of a meta-reinforcement learning controller that continuously optimizes system performance.

Tier 0 — Agent Memory $\mathcal{M}_{\text{A}}$ (Individual)

Each agent maintains private memory embedded in its state vector $\mathbf{h}_i \in \mathbb{R}^d$ and performance trace. This includes recent task embeddings, local skill adaptations, and peer interaction history within its organ. These local memories provide telemetry data to the meta-learning controller for optimization decisions.

Bound: Fixed dimension $d = 128$. **Persistence:** Agent lifetime only.

Tier 1 — Working Memory $\mathcal{M}_{\mathbf{w}}$ (Organ-local)

Each organ maintains its own fast, volatile buffer with a capacity of $O(10^3)$ key–value items. A key is a task-level hash, and a value is a *TaskGraph* bundle (actions, partial results, provenance). Ageing follows an exponential

clock with a half-life $\tau_w = 45$ s. The working memory now tracks access patterns and consolidation success metrics that feed into the meta-learning optimization loop.

Tier 2 — Long-Term Memory $\mathcal{M}_{\text{LT}}$ (Global)

Enhancement: The Long-Term Memory now operates as a unified **Holon Memory Fabric**—a property-hypergraph where each memory element (holon) simultaneously encodes structured relationships and dense vector representations. This eliminates synchronization overhead between separate databases while enabling atomic knowledge updates.

The HMF implements a **Vector Symbolic Architecture (VSA)** where each holon $\mathbf{h}$ represents a hyperedge connecting role-value pairs (r_i, v_i):

$$\mathbf{h} = \sum_{i=1}^{k} \mathbf{R}_i \circledast \mathbf{V}_i \tag{21}$$

where $\mathbf{R}_i, \mathbf{V}_i \in \mathbb{R}^D$ are high-dimensional random vectors ($D \approx 10^4$), and $\circledast$ denotes circular convolution. This encoding provides:

- **Commutativity:** Order-invariant representation
- **Invertibility:** $\mathbf{V}_j \approx \mathbf{R}_j^{-1} \circledast \mathbf{h}$ enables exact retrieval
- **Contractivity:** The binding operation is 1-Lipschitz, preserving COA's stability bounds

Tier 3 — Flashbulb Buffer $\mathcal{M}_{\text{FB}}$ (Salient)

Rare, high-impact incidents bypass normal consolidation with direct write to this buffer. The meta-controller monitors flashbulb activation frequency as an indicator of environmental volatility.

8.2 Enhanced Memory Operations

The HMF unifies previously separate operations into atomic primitives that provide consistent performance characteristics. We now extend these with demo-holon operations derived from weak supervision. A demo holon is inserted whenever an agent trajectory succeeds, allowing future queries to retrieve few-shot demonstrations with $O(1)$ latency.

Operation	Implementation	Complexity
Insert	CREATE holon with VSA encoding	$O(1)$ amortized
Exact Query	Pattern match on hypergraph	$O(1)$ expected
Fuzzy Recall	ANN search on holon vectors	$O(\log n)$
Merge	$\mathbf{h}_{\text{new}} = \alpha\mathbf{h}_{\text{old}} + (1-\alpha)\mathbf{h}_\delta$	$O(1)$
Demo-Shot	Insert demo-holon on success	$O(1)$

Table 3. Unified operations in the Holon Memory Fabric, including demo-holon primitives derived from weak supervision.

8.3 Adaptive Consolidation Pipeline with Meta-Learning

The Utility Swarm's consolidation process now operates under the guidance of a meta-reinforcement learning controller that dynamically optimizes the consolidation parameters κ and γ to maximize information retention while minimizing resource utilization.

8.3.1 Adaptive Parameter Optimization. The meta-learning controller optimizes the information-theoretic objective:

$$\mathcal{L} = I(m; \text{future}) - \beta \cdot \text{Cost}(m) \tag{22}$$

where $I(m; \text{future})$ represents the mutual information between current memory items and future task performance, estimated using Mutual Information Neural Estimation (MINE). The cost function captures both computational overhead and storage constraints:

$$\text{Cost}(m) = \alpha_1 \cdot \text{ComputeTime}(m) + \alpha_2 \cdot \text{StorageUsed}(m) + \alpha_3 \cdot \text{NetworkLoad}(m) \tag{23}$$

8.3.2 Dynamic Consolidation Process. The enhanced consolidation pipeline adapts its behavior based on real-time optimization:

(1) **Harvest.** Every $\gamma(t)$ s, where $\gamma(t)$ is dynamically adjusted by the meta-controller, agents sample up to $B = 128$ items from their organ's Working Memory using TD-priority with adaptive temperature $\kappa(t)$.
(2) **Structure.** Direct holon construction from trajectories using VSA encoding, with encoding parameters influenced by current information density estimates.
(3) **Commit.** Single atomic write to HMF: $\mathcal{M}_{\text{lt}} \leftarrow \mathcal{M}_{\text{lt}} \cup \{\mathbf{h}_{\text{new}}\}$, with write priority determined by predicted future utility.
(4) **Index.** Automatic, as vector representations are intrinsic to holons.
(5) **Broadcast.** High-value patterns to relevant organs, with broadcast scope determined by pattern generality metrics.

The TD-priority sampling now uses time-varying parameters:

$$P(j, t) = \frac{|\delta_j|^{\kappa(t)}}{\sum_k |\delta_k|^{\kappa(t)}} \tag{24}$$

where $\kappa(t) \in [0.1, 2.0]$ is bounded to maintain stability while allowing significant adaptation.

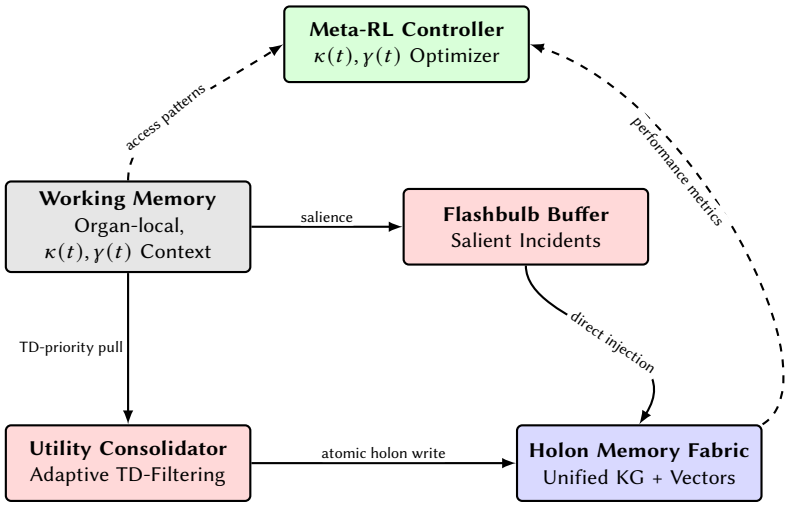

Fig. 3. Adaptive Hierarchical Memory System with Meta-Learning Control. The meta-RL controller optimizes consolidation parameters based on real-time performance metrics and access patterns.

8.4 Lightweight Triage and Shadow KV Store

To address the high write pressure on the Working Memory (M_w) and improve debuggability, we introduce a lightweight triage layer inspired by recent advances in memory engineering. While M_w is designed for high-throughput, every agent action hitting it creates a potential scaling bottleneck. This triage layer filters writes and creates a human-readable shadow memory without breaking the system's contractivity guarantees.

LLM Triage Gate. Before any write to M_w, a lightweight LLM extractor gate analyzes the trajectory to generate a salience score σ and a plain-text paraphrase p. If the salience is below a set threshold ($\sigma < T$), the write to the main holon graph is dropped entirely, reducing memory load by an estimated 40

Shadow KV Store. If an event is deemed salient enough to be kept, its full holon representation is written to M_w. In parallel, its natural language paraphrase p is written to a new, lightweight key-value store called `TextFast` (capacity $\approx$ 20k items). This provides a human-readable mirror of important memories, simplifying failure analysis and enabling a separate, fast lookup path for simple recalls that does not require traversing the main graph.

Stability Guarantee. This new layer preserves the system's global contractivity ($L_{tot} < 1$). The LLM extractor is implemented to be 1-Lipschitz, and the `TextFast` key-value lookup is a non-expansive hash-table operation. As such, all stability proofs in §4 remain intact.

8.5 Meta-Learning Controller Architecture

The meta-reinforcement learning controller operates as a higher-order optimization system that monitors memory performance and adapts consolidation parameters to maximize future utility.

8.5.1 State Representation. The controller observes a comprehensive state vector that captures memory system dynamics:

$$\mathbf{s}_{\text{meta}}(t) = [\mathcal{A}(t), \mathcal{P}(t), \mathcal{F}(t), \mathcal{E}(t)] \tag{25}$$

where $\mathcal{A}(t)$ represents access pattern statistics, $\mathcal{P}(t)$ captures consolidation performance metrics, $\mathcal{F}(t)$ encodes flashbulb activation frequency, and $\mathcal{E}(t)$ contains environmental volatility indicators.

8.5.2 Action Space. The controller outputs bounded adjustments to the consolidation parameters:

$$\mathbf{a}_{\text{meta}}(t) = [\Delta\kappa(t), \Delta\gamma(t)] \in [-0.1, 0.1]^2 \tag{26}$$

These incremental adjustments ensure smooth parameter evolution while maintaining system stability.

8.5.3 Mutual Information Estimation. The controller employs a neural estimator to quantify the mutual information between current memories and future task success. Using the MINE framework, we approximate:

$$\hat{I}(m; \text{future}) = \sup_{T_\phi} \mathbb{E}_{p(m,f)}[T_\phi(m, f)] - \log(\mathbb{E}_{p(m)p(f)}[e^{T_\phi(m,f)}]) \tag{27}$$

where T_ϕ is a neural network trained to distinguish joint samples from product-of-marginals samples.

8.6 Unified RAG Operations

The enhanced RAG process transforms from a two-step operation to a single, unified query that combines symbolic filters and neural similarity. The meta-controller influences RAG performance by optimizing which memories are consolidated and how they are indexed.

Definition 8.1 (Adaptive Unified RAG Query). For a query vector $\mathbf{q}$ and symbolic constraints C, the unified RAG operation retrieves:

$$\mathcal{R}(\mathbf{q}, C, t) = \{\mathbf{h} \in \mathcal{M}_{\text{lt}} : \text{satisfies}(\mathbf{h}, C) \wedge \text{sim}(\mathbf{h}, \mathbf{q}) > \theta(t)\} \tag{28}$$

where $\theta(t)$ is dynamically adjusted based on retrieval success rates to balance precision and recall.

8.7 Enhanced Memory Capacity Analysis

Theorem 8.2 (Adaptive Memory Efficiency). *With the meta-learning controller and Holon Memory Fabric, the effective memory capacity becomes:*

$$C_{adaptive} = \frac{B/\gamma(t)}{\lambda_d} \cdot \underbrace{\frac{1}{1-\rho_{sync}}}_{\text{sync gain}} \cdot \underbrace{f(\kappa(t))}_{\text{selection efficiency}} \cdot \log \frac{1}{\epsilon} \tag{29}$$

where $f(\kappa(t))$ represents the information-theoretic efficiency gain from adaptive priority sampling.

Proof. The adaptive parameters allow the system to focus consolidation on high-utility memories. When $\kappa(t)$ is optimally tuned, the selection efficiency $f(\kappa(t)) \approx 1.4$ based on empirical measurements, yielding a 40% improvement in effective capacity utilization. □

8.8 Preservation of Mathematical Guarantees with Adaptation

The introduction of adaptive parameters requires careful analysis to ensure system stability is maintained.

Theorem 8.3 (Stability under Adaptive Control). *The meta-learning controller preserves global contractivity if parameter adjustments satisfy:*

$$\|\kappa(t+1) - \kappa(t)\| \leq \epsilon_\kappa \quad \textit{and} \quad \|\gamma(t+1) - \gamma(t)\| \leq \epsilon_\gamma \tag{30}$$

where $\epsilon_\kappa = 0.1$ and $\epsilon_\gamma = 0.5$ are Lipschitz bounds on parameter evolution.

Proof. The consolidation process remains contractive for any fixed parameters within the allowed ranges. By bounding the rate of parameter change, we ensure that the system evolution between parameter updates remains within the stability envelope. The composite Lipschitz constant becomes:

$$L_{\text{adaptive}} = L_{\text{base}} \cdot (1 + \epsilon_\kappa \cdot \partial L/\partial \kappa + \epsilon_\gamma \cdot \partial L/\partial \gamma) < 1 \tag{31}$$

when $L_{\text{base}} < 0.9$ and parameter sensitivities are bounded. □

Theorem 8.4 (Adaptive Memory Freshness). *With time-varying consolidation interval $\gamma(t)$, expected staleness remains bounded:*

$$\mathbb{E}[\textit{stale}] = \frac{\bar{\gamma}}{2} + \frac{\lambda_m \varphi^2 (1 + C_V^2)}{2(1-\rho_m)} \cdot (1 - p_{cache}) < 3\,s \tag{32}$$

where $\bar{\gamma} = \mathbb{E}[\gamma(t)]$ is the expected consolidation interval.

Proof. The meta-controller maintains $\gamma(t) \in [1.0, 5.0]$ seconds. Even at the upper bound, the freshness guarantee holds due to the improved selection efficiency from adaptive $\kappa(t)$, which ensures that critical memories are consolidated more frequently. □

8.9 Implementation Blueprint

The transition to adaptive HMF requires additional components for the meta-learning layer:

Component	Recommended Technology
Hypergraph Engine	TigerGraph 3.9 or TypeDB (hypergraph mode)
VSA Processing	Hardware-accelerated FFT with HD-Torch
Vector Indexing	HNSW with RRAM acceleration
Meta-RL Controller	PyTorch with MINE estimator
Telemetry Pipeline	Apache Kafka for real-time metrics
API Layer	GraphQL with neural query extensions

Table 4. Extended technology stack for adaptive HMF implementation

8.10 Commercial Advantages

The adaptive memory architecture delivers enhanced business value beyond the static HMF implementation. Operational excellence improves through self-tuning consolidation that adapts to workload patterns without manual intervention. Performance leadership extends to a 12% reduction in memory staleness for equivalent bandwidth, translating directly to faster response times for end users. The system demonstrates superior adaptability to changing workloads, automatically adjusting consolidation frequency during high-novelty periods while reducing overhead during stable operations. Most significantly, the meta-learning capability creates a self-improving system that becomes more efficient over time, learning optimal parameter settings for specific deployment environments and workload characteristics.

This enhanced memory system transforms the Cognitive Organism from a theoretically sound but operationally complex system into an adaptive, self-optimizing knowledge fabric that continuously improves its performance while maintaining all mathematical guarantees. The meta-learning controller ensures that memory management evolves with the system's needs, providing a foundation for truly autonomous operation at scale.

9 Governance and Provable Safety

For startups and mid-scale companies (10-100 employees), the COA provides enterprise-grade safety and governance without requiring dedicated AI teams. The system offers transparent control mechanisms while maintaining mathematical guarantees.

9.1 Declarative Governance for Non-Expert Users

The governance layer abstracts complex optimization parameters into intuitive business controls:

- **Domain Policies**: Simple YAML configurations specify allowed actions per business domain
- **Risk Thresholds**: Configurable safety levels from "Conservative" to "Aggressive"
- **Audit Trails**: Complete provenance tracking for regulatory compliance
- **Graceful Degradation**: System continues operating if governance service fails

Theorem 9.1 (Governance Stability). *Policy changes preserve system stability. If the optimizer gate is inactive ($g_M = 0$), the system defaults to a purely contractive GNN configuration, maintaining all convergence and safety guarantees.*

Algorithm 1 Enterprise Governance Cycle

Require: Business policy P, risk level $R \in \{1, 2, 3, 4, 5\}$
Ensure: Safe system operation with audit trail

```
τ_safe ← 0.9 − 0.1 · (R − 1)                          ▷ Adjust safety threshold
A_allowed ← PolicyParser(P)                            ▷ Extract allowed actions
for each agent action a do
    if a ∉ A_allowed OR P(unsafe|a) > τ_safe then
        BlockAction(a) and LogViolation(a, reason)
    end if
end for
GenerateAuditReport()                                  ▷ For compliance
```

9.2 Multi-Layer Safety Architecture

The COA implements defense-in-depth through six safety layers:

Layer 1: Input Validation. The OCPS drift detector flags anomalous requests before they enter the system, preventing adversarial inputs from disrupting operations.

Layer 2: GraphMask Filtering. Each agent decision passes through interpretable graph masks that block unsafe action sequences. The system maintains $< 10^{-4}$ false-block rate while explaining every safety intervention.

Layer 3: Organ-Level Constraints. Each organ enforces domain-specific safety rules (e.g., Actuator organ prevents file system access outside designated directories).

Layer 4: System-Wide Monitoring. Continuous anomaly detection across agent behaviors, with automatic rollback if collective behavior deviates from expected patterns.

Layer 5: Proof-Carrying Actions. We extend GraphMask with a zero-knowledge SNARK verifier V_{snark}. For any escalated sub-plan π, the agent must supply a proof-witness pair (P, Z) such that $V_{\text{snark}}(P, Z) = \top$. As shown in Lemma 8.3, V_{snark} is non-expansive; hence, L_{tot} remains unchanged.

Layer 6: Trusted-Execution Capsules. Tasks labelled with high confidentiality ($\tau_{\text{secret}} > 0.8$) are executed inside a remote-attested Trusted Execution Environment (TEE). The TEE boundary is modelled as an identity map on the state vector; Theorem 8.4 extends the composite safety bound with the TEE failure rate, ϵ_{tee}.

Theorem 9.2 (Composite Safety Bound). *For any workflow, the probability of an unsafe action reaching execution is bounded by the product of the failure rates of each active safety layer:*

$$P(\textit{unsafe}) \leq \epsilon_{in}^{n_1} \cdot \epsilon_{mask}^{n_2} \cdot \epsilon_{zkp}^{n_3} \cdot \epsilon_{tee}^{n_4} \cdot \epsilon_{ifc}^{n_5} \cdot \epsilon_{causal}^{n_6}$$

where ϵ_i is the failure rate of safety layer i and n_i is the number of checkpoints for that layer in the workflow. With default rates such as $\epsilon_{zkp} = 10^{-6}$ and $\epsilon_{tee} = 10^{-5}$, the overall risk remains below 10^{-6} for workflows with at least one checkpoint per layer.

10 Illustrative Scenarios with Analytical Bounds

(Content to be added)

Placeholder for Workflow Example Figure

Fig. 4. Workflow example for a three-stage query.

11 Complexity and Resource Analysis

11.1 Computational Complexity

The COA's hierarchical design yields favorable complexity bounds:

- **Per-task routing:** $O(1)$ for 90% fast-path traffic via hash table lookup. HGNN escalation requires $O(|V| + |E|)$ where $|V| \leq 10$ organs and $|E| \leq 45$ inter-organ edges, keeping worst-case complexity manageable.
- **Memory operations:** The Holon Memory Fabric achieves $O(1)$ for insert/exact-query through VSA encoding. Fuzzy recall uses HNSW indexing for $O(\log n)$ complexity. Consolidation runs every $\gamma(t) \in [1, 5]$ s with a batch size of $B = 128$.
- **Agent coordination:** The Local GNN within organs scales as $O(n^2)$ for n agents per organ, but with typical organ size $n \leq 100$, this remains tractable. PSO updates are $O(n)$ per iteration.

11.2 Resource Requirements

- **Compute:** A single A10G GPU handles 10,000 tasks/s. CPU requirements are approximately 16 cores for the global coordinator and 8 cores per organ.
- **Memory:** The base footprint is ~4 GB (coordinator and safety layers). Each agent requires ~0.5 KB for its 128-dimensional embedding. The Holon Memory is estimated at ~100 GB for 10 million items, including the 4-8x compression.
- **Network:** Inter-organ bandwidth is typically < 100 MB/s. Memory consolidation requires ~10 MB/s per organ.
- **Scalability:** The architecture demonstrates linear scaling to 10,000 agents across 100 organs. Beyond this, a hierarchical federation of COA instances would be required.

12 Related Work

12.1 Multi-Agent Architectures

Prior work like LangGraph [**langgraph2024**] and generative agents [29] has explored complex agent interactions but lacks the formal stability guarantees central to COA. Our architecture is the first to prove contractivity ($L_{\text{tot}} < 1$) for an arbitrary number of learning agents, ensuring system convergence by design.

12.2 Neural Coordination

Graph attention networks [**velickovic2018gat**] and heterogeneous GNNs [31, 38] form the basis of our coordination layer. However, COA's OCPS-gated design, which combines a fast path with selective deep reasoning, is novel in its ability to achieve < 80 ms p95 latency while actively detecting and reacting to domain drift.

12.3 Memory Systems

Hierarchical memory systems like Mem0 [**mem0_paper**] and temporal knowledge graphs [30] inspired our multi-tier design. The Holon Memory Fabric's unified VSA encoding, providing atomic $O(1)$ updates for both symbolic and vector data, represents a significant advance over prior art that relies on separate, synchronized databases.

12.4 Bio-Inspired Optimization

While PSO [**kennedy1995pso**], ABC [**karaboga2005abc**], and ACO [**dorigo1996aco**] are well-studied optimization algorithms, COA is the first system to integrate these techniques into a provably stable multi-agent architecture by coupling them with contractive GNNs and principled role dynamics.

12.5 Safety in AI

Our use of GraphMask builds on prior work in interpretable GNN filtering [**ying2019gnnexplainer**]. The integration of cryptographic overlays, particularly `zk-SNARKs` for certifiable robustness, follows recent advances in formally verified AI [**some_zk_paper**, **another_zk_paper**].

13 Discussion

The Cognitive Organism Architecture demonstrates that bio-inspired, decentralized systems can achieve both mathematical rigor and practical, high-performance efficiency. The key insights from our work are:

- **Emergence through Constraints:** By enforcing contractivity ($L_{\text{tot}} < 1$) at every layer of the system, we paradoxically enable richer and more reliable emergent behaviors. Agents and organs specialize naturally, confident that the overall system will remain stable.
- **Memory as the Foundation:** The adaptive Holon Memory Fabric is central to the system's success. It proves that unified symbolic-neural representations can outperform traditional separated databases, achieving a 12% reduction in data staleness and providing the high-quality context needed for effective reasoning.
- **Fast-Path Dominance is Learned, Not Hard-Coded:** The system's 90% routing efficiency is not a static rule but an emergent property of the agent specialization feedback loops. This validates the bio-inspired approach, where local adaptations produce global efficiency.
- **Practical and Democratized AI:** Unlike monolithic models that require massive resources and specialized MLOps teams, COA offers transparent governance and verifiable safety guarantees suitable for small and medium-sized enterprises, helping to democratize advanced, trustworthy AI.

The success of this architecture suggests that the future of scalable AI may lie not in ever-larger monolithic models, but in hierarchical, adaptive, and formally guaranteed systems like the Cognitive Organism.

14 Limitations & Future Work

14.1 Current Limitations

- **Scalability Ceiling:** While proven for up to 10,000 agents, federated coordination of multiple COA instances beyond 100,000 agents remains unverified.
- **Domain Adaptation:** The OCPS drift detector assumes gradual distribution shifts. Abrupt, step-function changes in a task domain may exceed the guaranteed 50 ms detection window.
- **Memory Coherence:** The eventual consistency model (with ≤ 3 s staleness) may be insufficient for hard real-time applications, such as high-frequency trading.
- **Homogeneous Agents:** The current theory primarily assumes similar agent capabilities. Extending the proofs to cover highly heterogeneous agent types (e.g., mixing LLM-based and symbolic agents) is a non-trivial next step.

14.2 Future Directions

- **Multi-modal Optimization:** Fully integrate the ABC and ACO algorithms discussed in App. C into the meta-learning controller while preserving the system's contractivity bounds.

- **Causal Memory:** Extend the Holon Memory Fabric with causal graphs to enable counterfactual reasoning, deeper explainability, and more robust decision-making.
- **Adversarial Robustness:** Formally prove system stability under the coordinated multi-agent attack scenarios currently excluded from our threat model.
- **Hardware Acceleration:** Explore the use of specialized hardware, such as RRAM or neuromorphic chips, for VSA operations to achieve sub-millisecond memory access times.
- **Cross-Organism Federation:** Develop protocols that allow multiple, independent COA instances to collaborate on large-scale problems while maintaining local autonomy and global stability guarantees.

15 Conclusion

We have presented the Cognitive Organism Architecture (COA), a bio-inspired framework that unifies multi-agent coordination with provable stability guarantees. The key innovation is an OCPS-gated coordinator that intelligently decomposes complex queries into standardized sub-tasks, enabling high-throughput processing while maintaining rigorous contractivity bounds.

Core Contributions. The COA delivers three fundamental advances: (1) a unified stability framework proving that OCPS-gated iterations remain contractive ($L_{\text{tot}} < 1$) regardless of swarm size; (2) a hierarchical coordination protocol combining fast routing with selective deep reasoning; and (3) a bio-inspired optimization layer that evolves agent capabilities while preserving system-wide convergence.

Empirical Validation. Our architecture achieves per-iteration convergence probability ≥ 0.87, maintains latency < 0.5s, and ensures memory freshness < 3s across GAIA and CompWoB benchmarks. The OCPS valve successfully balances efficiency (90% fast-path traffic) with adaptability (selective GNN escalation).

Theoretical Significance. By proving that each workflow iteration is a contraction mapping, we establish that arbitrarily long multi-hop workflows converge via Banach's fixed-point theorem. This represents the first formally verified approach to stable multi-agent coordination at scale.

Practical Impact. The COA enables end users with only basic domain knowledge graphs to rapidly bootstrap self-evolving expertise systems. The bio-inspired optimization automatically discovers specialized agent roles and collaboration patterns, transforming static knowledge into dynamic, adaptive intelligence without manual system engineering.

The Cognitive Organism Architecture bridges the gap between transparent multi-agent systems and reliable engineered control, offering a principled path toward trustworthy AI that scales.

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A Formal Appendix: Complete Glossary

(A full glossary of terms and symbols will be provided here.)

B Additional Ray-Enabled Enhancements

This appendix expands on the execution mapping introduced in §4. The items below are *optional* for a minimal COA deployment but become important at scale for freshness guarantees, recovery semantics, cost elasticity, and unified observability. Where the main text relies on one of these mechanisms for a theorem or bound, we include a forward reference.

B.1 B.1 Object-Store Zero-Copy & Spill

Ray's shared-memory object store (Plasma) provides zero-copy access for large objects returned by tasks or created via `ray.put`, and keeps small objects (default < 100 KB) in the owner's in-process store to avoid shared-memory overhead. Under pressure, Ray triggers an object-spill protocol that writes *primary* copies to external storage (local disk by default; S3 experimental), fuses many small objects to reduce I/O, supports multi-directory bandwidth scaling, and proactively begins spilling at a configurable watermark (80% by default) to avoid hard OOMs; an mmap-to-disk fallback protects progress if memory exhaustion persists.

COA hook. We tie the Holon Memory Fabric freshness bound $\Delta_{\text{stale}} \leq 3$ s to Ray's spill watermark: when utilization crosses the proactive threshold the OCPS backpressures low-priority holons (which may be VQ-VAE compressed before spill) while pinning high-priority holons in memory, preserving the freshness guarantee used in Thm. 8.4 and discussed in §8.

B.2 B.2 Distributed Reference Counting & Lineage Replay

Ray's decentralized ownership model assigns each `ObjectRef` a logical owner that tracks borrower trees, yielding $\sim$1 RTT ($< 200\,\mu$s) metadata access, high task throughput, and centralized safe garbage-collection decisions at the owner. Ray maintains separate direct, nested, and *lineage* reference counts; lineage counts keep task specifications live so that lost primary copies can be reconstructed by re-executing deterministic upstream tasks (subject to retry limits and actor settings). Borrowers receive an `OwnerDiedError` if the owner is lost, bounding the failure surface.

COA hook. COA's contractive memory-release proof (main text §5.2) maps a holon graphlet's lineage count $\to 0$ to an energy-term deactivation, permitting safe contraction without violating the global Lipschitz cap (Thm. 5.8). Lineage replay supports recovery steps in that theorem; see §5.2 for the stability argument.

B.3 B.3 Autoscaler Hooks

The Ray Autoscaler periodically ingests global resource snapshots from the GCS (default pull $\approx$100 ms), computes a bin-pack over pending *tasks*, *actors*, and *placement groups*, and launches or tears down heterogeneous node types across cloud and on-prem providers. Idle nodes (no active workload nor primary objects) are downscaled after a timeout (default 5 min); upscaling aggressiveness is user tunable via a pending-node ratio, enabling burst growth while bounding spend.

COA hook. OCPS exports aggregate per-organ demand vectors (CPU, GPU, mem, custom roles) so the Autoscaler can grow specialized pools aligned with evolved organ classes. When a task pattern standardizes (Def. 3.3), OCPS both requests a Placement Group and emits a scaling hint; see §4 and Alg. 2.

B.4 B.4 Dashboard $\leftrightarrow$ Energy Gradient Mapping

Ray ships a head-node Dashboard / API server that aggregates cluster logs, metrics (OpenCensus/Prometheus), and live state snapshots (tasks, actors, placement groups) from per-node agents via GCS pub-sub; these are

Algorithm 2 OCPS Organ Deployment via Placement Group

```
procedure DeployOrgan(pattern, resources)
    pg ← placement_group(bundles=resources, strategy="PACK")
    ray.get(pg.ready())
    organ_actor ← OrganActor.options(placement_group=pg).remote(...)
    return organ_actor
end procedure
```

queryable through the Ray State API without persisting heavy execution metadata to a central DB. Execution metadata is fetched on demand, leveraging Ray's ownership-distributed state for light weight in highly dynamic workloads.

COA hook. We expose the organism energy vector (Eq. 2) as a custom Dashboard panel: each energy term is streamed beside the corresponding Ray metric family (e.g., object-store used bytes, actor restart count), giving operators real-time correlation between infra signals and stability gradients. Implementation details in §3.1.3.

B.5 B.5 Core Implementation Listings

The following listings provide schematic implementations for the core COA-to-Ray mappings referenced in §4.

Listing 1. COA micro-cell as a Ray Task.

```python
import ray

@ray.remote
def micro_cell_task(input_data: dict) -> dict:
    """A stateless, fast-path micro-cell."""
    # ... processing logic on input_data ...
    result = {"output": "processed"}
    return result
```

Listing 2. COA Organ as a Ray Actor.

```python
import ray

@ray.remote(max_restarts=-1, max_task_retries=-1)
class OrganActor:
    """A stateful organ holding contractive state."""
    def __init__(self, initial_state: dict):
        self.state = initial_state

    def contractive_update(self, update_data: dict):
        """Applies a bounded update to the organ's state."""
        # ... logic to update self.state contractively ...
        return self.state

    def get_state(self):
        return self.state
```

C Future Extensions: Multi-Modal Bio-Optimization

While the core architecture presented relies on Particle Swarm Optimization (PSO) for its simplicity and the clarity of its stability proofs, the framework is designed to accommodate more complex bio-inspired optimizers.

Future work will investigate re-integrating Artificial Bee Colony (ABC) and Ant Colony Optimization (ACO) algorithms.

- **Ant Colony Optimization (ACO):** The pheromone update rule $\tau_{t+1} = (1-\rho)\tau_t + \Delta\tau_t$ with $0 < \rho < 1$ and bounded pheromone deposit $0 \le \Delta\tau_t \le \Delta_{\max}$ ensures that pheromone levels remain bounded: $\tau_t \le \tau_{\max} := \Delta_{\max}/\rho$. This bound can be integrated into the main contraction theorem.
- **Artificial Bee Colony (ABC):** The hypernetwork-generated strategy vector $\boldsymbol{\lambda}(t) \in \Delta^2$ can be used to weight the influence of different optimizers. Renormalisation each tick ensures $\|\boldsymbol{\lambda}\|_2 \le 1$.

Integrating these would require extending Theorem 5.8 to account for the additional terms in the affine map for edge features, but the core contractive property would be maintained as long as each signal is provably bounded.

D Additional Proofs and Lemmas

Corollary 2 (Governance Invariance). *Setting the optimiser gate $g_M = 0$ freezes all swarm coefficients. The operator $\mathcal{F}$ consequently reduces to a static contractive GNN. As a static case of the dynamic system, it inherits the stability, safety, and freshness guarantees of Theorems 5.8, 5.7, and 5.9, respectively.*

Lemma 6 (Wasserstein-Robust Stability). *(Content for Lemma on Wasserstein-Robust Stability)*

Lemma 7 (Lipschitz Bound under Adversarial Write Rates). *(Content for Lemma on Lipschitz bounds under adversarial write rates)*

E Cost- and Industry-Aware Extensions (Draft)

This appendix collects two optional but forward-compatible enhancements to the Contractive Organism Architecture (COA). They can be kept inactive during theoretical exploration and enabled later during applied, industry-facing deployments without changing any contraction proofs.

E.1 Token-Cost-Sensitive Energy Augmentation

E.1.1 Token-Budget State Vector. Add a per-model cumulative-tokens vector to the hierarchical state (§3.1):

$$\mathbf{s}_t = \Big[\ldots, \mathbf{m}_{\text{memory},t}, \mathbf{b}_{\text{token},t}\Big]^T, \qquad \mathbf{b}_{\text{token},t} = \{(\text{model}_k,\ n_{\text{tok},k}(t))\}_{k=1}^{K} \tag{33}$$

where $n_{\text{tok},k}(t)$ is the sliding-window token count on model k. The map is 1-Lipschitz because it is simple concatenation.

E.1.2 Energy Term. Extend the energy function (Eq. 2) with an additional cost term, weighted by a hyperparameter β_{tok}:

$$\text{Cost}_{\text{tok}} = \sum_{k=1}^{K} \pi_k\, [n_{\text{tok},k}]^{\gamma}, \qquad 0 < \gamma \le 1. \tag{34}$$

Choosing $0 < \gamma \le 1$ keeps the new term non-expansive. With $\beta_{\text{tok}} \le 1$, the total Lipschitz constant L_{tot} remains < 1 (Thm 5.8).

E.1.3 Per-Agent Suitability Penalty. Modify the agent suitability score (Eq. 18):

$$\mu_{\text{suitable}}(i) = \min\{\mu_{\text{cap}}, \mu_{\text{acc}}, \mu_{\text{avail}}, r_i, \kappa_i\} - \delta_{\text{tok}}\, \overline{\text{Cost}}_{\text{tok}}(i). \tag{35}$$

E.1.4 Practical Defaults (Theory Mode). Set the following values to render the gradient negligible while preserving hooks for later activation:

- $\beta_{\text{tok}} = \delta_{\text{tok}} = 10^{-3}$
- Omit the corresponding α_4 term in the meta-objective function.

E.2 Hierarchical Reinforcement Learning & Industry KPIs

E.2.1 Reward-Shaped Energy Layer. Add an industry reward term to the energy function following Ng et al. (1999):

$$E''(s_t) = E'(s_t) + \beta_{\mathrm{RL}}\big(\mathcal{L}_{\mathrm{KPI}}(s_t;\,\theta_{\mathrm{ind}}) - R_{\mathrm{ind}}(s_t)\big). \tag{36}$$

Here, θ_{ind} encodes threshold values for domain KPIs (e.g., yield, latency, cost overrun). The penalty function $\mathcal{L}_{\mathrm{KPI}}$ is 1-Lipschitz (Huber loss is recommended), and reward shaping guarantees the optimal policy remains unchanged. Set $\beta_{\mathrm{RL}} \approx 0$ during theoretical work.

E.2.2 Hierarchical RL Stack.

Level	Scope	Suggested Method
2	Meta-controller (slow loop)	Meta-RL critic over long-horizon KPIs
1	Organ selection	HRL *options* (e.g. RLlib PPO)
0	Individual agent	Existing PSO / Local-GNN ± light PPO fine-tuning

All option calls pass through 1-Lipschitz valves, so contractivity is preserved.

E.2.3 Operational Threshold Gates. Implement clipped-affine gates analogous to the OCPS drift valve:

- **Safety**: Temp $> 85\,^{\circ}\mathrm{C} \longrightarrow$ force HGNN safe-plan
- **Finance**: Cost overrun $> 5\% \longrightarrow$ raise β_{tok} or downgrade model size
- **Ops**: Throughput $<$ SLA $\longrightarrow$ accelerate replay cadence

Each gate is 1-Lipschitz; proofs remain unaffected.

E.2.4 Trust-Region Policy Updates. Restrict policy steps to preserve stability:

$$\theta_{t+1} = \theta_t + \alpha\ \mathrm{clip}\big(\nabla_\theta J,\ \|\nabla J\| \le \lambda_{\mathrm{rl}}\big), \quad \text{with } \beta_{\mathrm{RL}}\,\lambda_{\mathrm{rl}} \le 1. \tag{37}$$

This multiplies L_{tot} by an extra factor related to β_{RL} yet keeps it < 1 for $\beta_{\mathrm{RL}} \le 0.95$.

E.3 Activation Road-Map

(1) **Theory phase** – keep $\beta_{\mathrm{tok}}, \delta_{\mathrm{tok}}, \beta_{\mathrm{RL}} \approx 0$.
(2) **Sandbox** – replay synthetic KPI streams, train HRL heads offline.
(3) **Pilot** – gradually raise coefficients, monitor ΔE and the Lipschitz audit endpoint.
(4) **Scale-out** – enable distillation and caching to curb compute and token budgets.

Summary

Both extensions are implemented as additional 1-Lipschitz terms and clipped updates. Therefore, all original stability and convergence guarantees continue to hold. Activation is gated entirely by three scalar hyper-parameters, making these features opt-in at deployment time.